

# Fair Pairwise Learning to Rank

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# The Fairness Problem

**Neural Network models** are being increasingly employed in learning to rank tasks

These models are inherently **opaque**, as their huge parameter space prevents a clear understanding of their decisions

When dealing with sensitive data such as race and gender, there is no guarantee about their **fairness**

# The Fairness Problem

If the data contains **biases** against a specific group of people, those can also be learned by a ML model

- **Disparate impact:** positive outcomes are assigned with different rates to people belonging to different groups
- **Disparate treatment:** the model takes different decisions for individual belonging to different groups *who are otherwise similar*
- **Disparate mistreatment:** a decision system has different error rates for different groups

# The Fairness Problem in Ranking

$$D = \{(q_i, x_i, s_i, y_i) \mid i \in \{1..N\}\}$$

$q_i$  : queries

$x_i$ : features

$y_i$ : document relevance

$s_i$ : sensitive attribute

# The Fairness Problem in Ranking

- Singh and Joachims, 2018: **average exposure** of groups should be balanced, i.e. the average probability of individuals from each group to be ranked at the top of the list
- Yang, Stoyanovich, 2017: the proportion of people belonging to different groups should be balanced at the top- $i$  positions
- Narashiman et al., 2020: difference in rank accuracy should be balanced between different groups

# Normalized Discounted Difference (rND)

$$\text{rND} = \frac{1}{Z} \sum_{i \in \{10, 20, \dots\}}^N \frac{1}{\log_2 i} \left| \frac{|S_{1\dots i}^+|}{i} - \frac{|S^+|}{N} \right|$$

$\frac{|S_{1\dots i}^+|}{i}$ : proportion of protected individuals in the top- $i$  documents  
 $\frac{|S^+|}{N}$ : proportion of protected individuals in the overall population/query

**Values close to 0** are desirable.

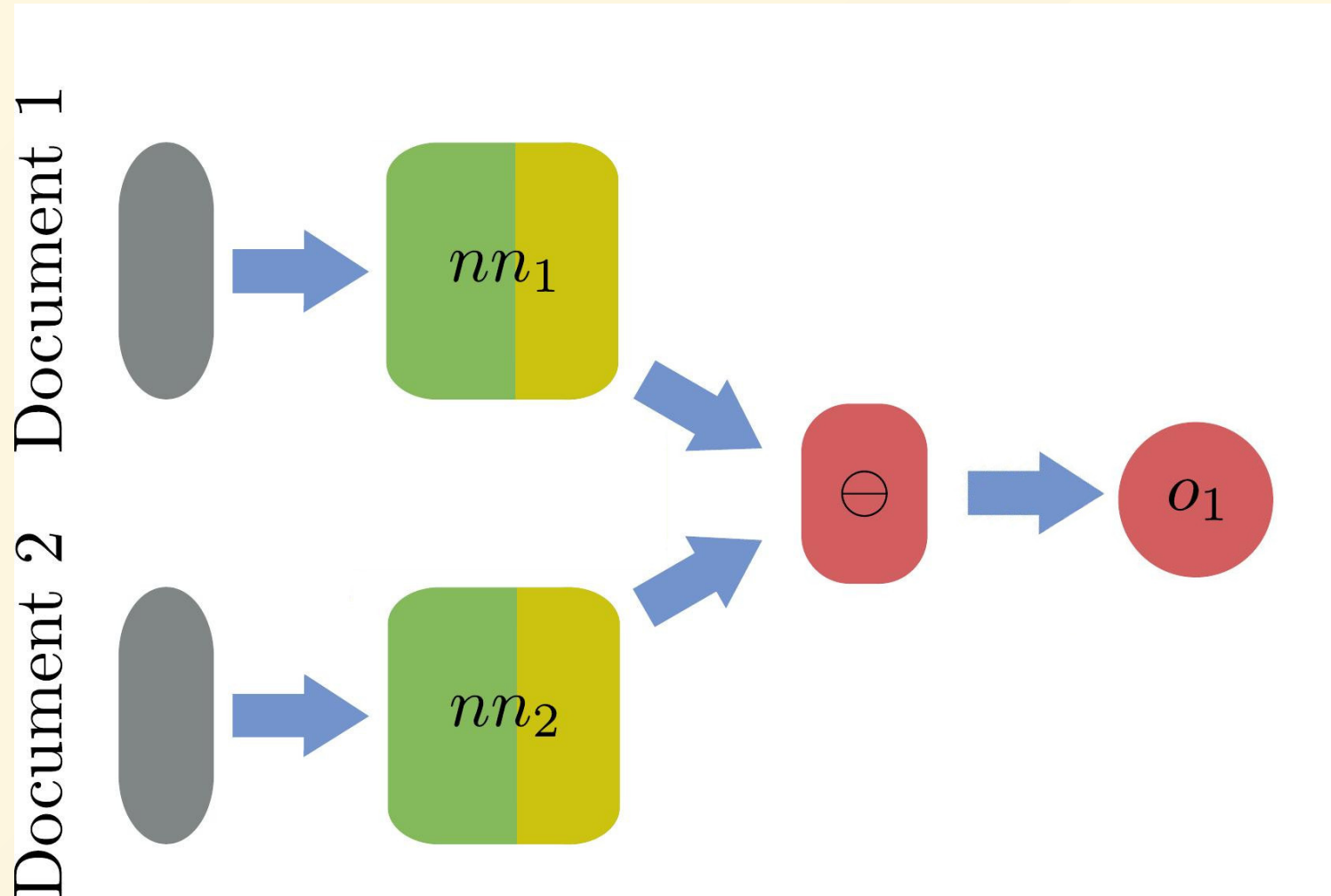
# Group-Dependent Pairwise Accuracy (GPA)

$G_1, \dots, G_K$ : a set of  $K$  groups

$A_{G_i > G_j}$ : group-dependent pairwise accuracy - i.e. ranker accuracy on documents which are labelled more relevant and belong to group  $i$ ; and ranker accuracy on documents which are labelled less relevant and belong to group  $j$ .

$|A_{G_i > G_j} - A_{G_j > G_i}|$  **should be close to 0.**

# DirectRanker





# The Fair DirectRanker Framework

We build on a fast, *pairwise* ranking model (DirectRanker, Köppel et al. 2019) by employing different strategies to encourage fair outputs.

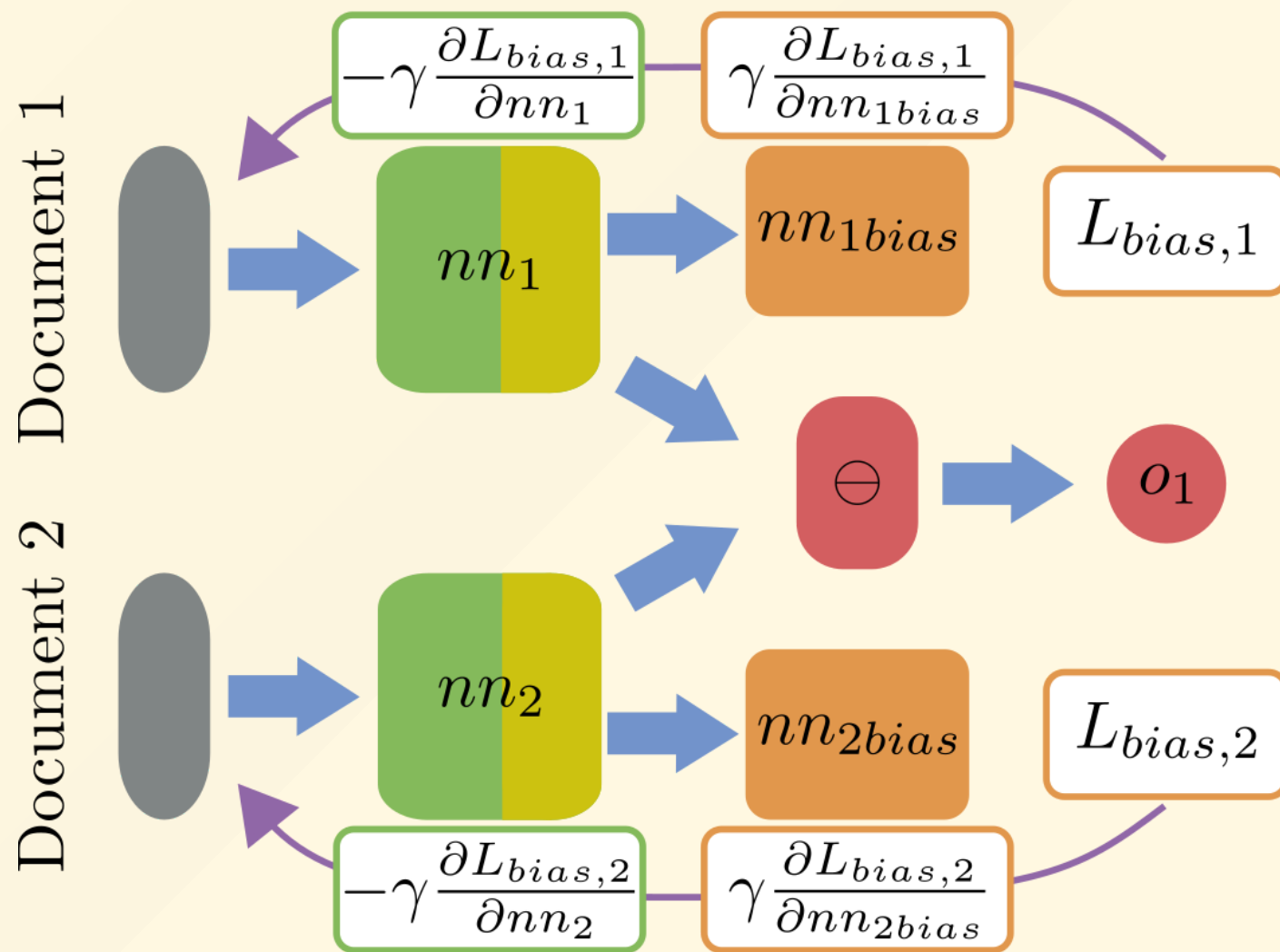
- The Gradient Reversal Layer of Ganin et al., 2016
- The Noise Module by Cerrato et al., 2020

We introduce a family of neural architectures that are able to **rank without discriminating**.

# The Fair DirectRanker Framework

$$L(\Delta y, x_1, x_2, s_1, s_2) = L_{\text{rank}}(\Delta y, x_1, x_2) + \gamma \sum_{i=1}^2 L_{\text{bias},i}(s_i, x_i),$$

# Fair Adversarial DirectRanker



# Fair Adversarial DirectRanker

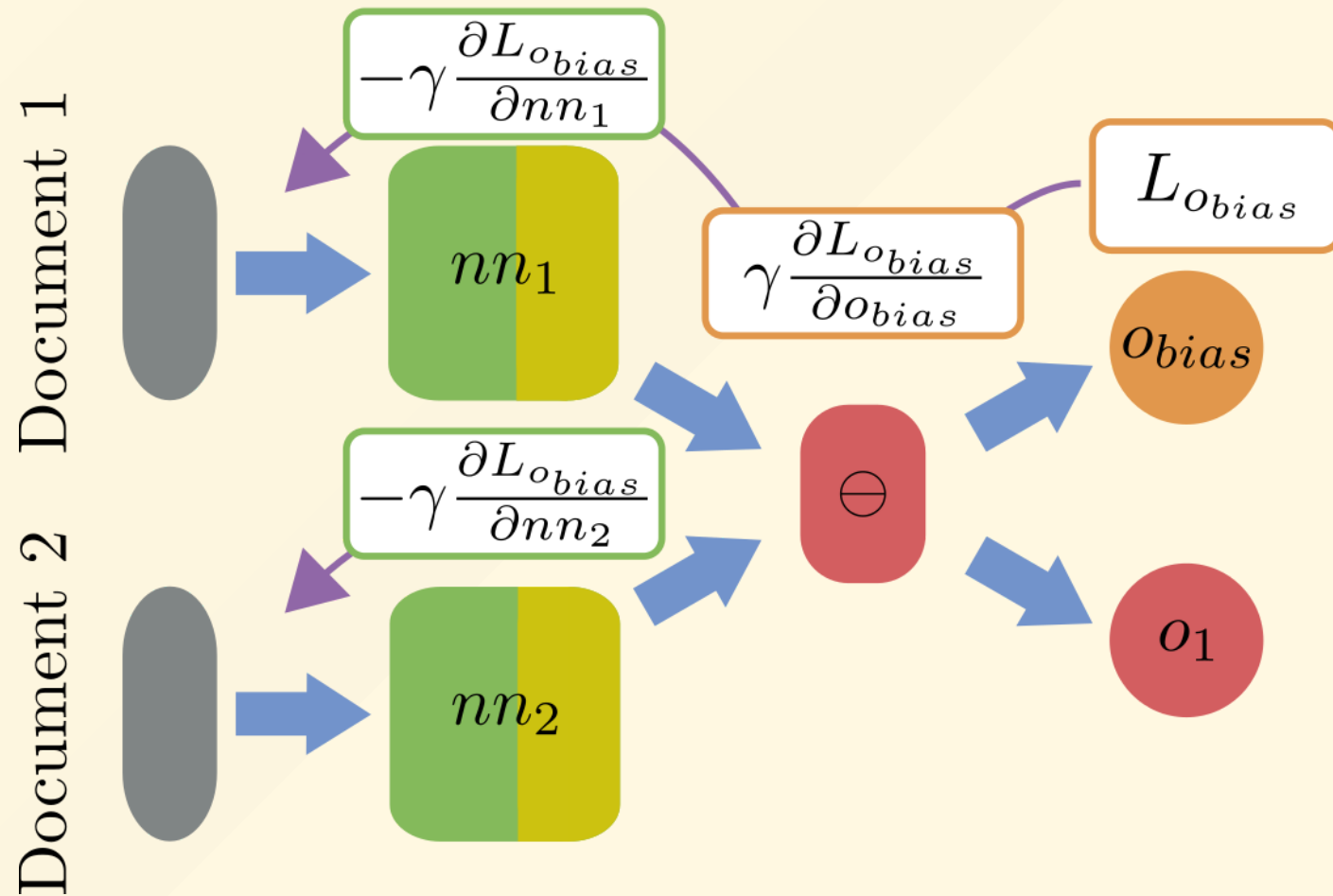
- Two **debiasing networks** try to predict the sensitive attribute/group the individual belongs to
- The gradient is *inverted* when backpropagating into the main network (Ganin et al. 2016)

# Fair Adversarial DirectRanker

$$L_{\text{rank}}(\Delta y, x_1, x_2) = (\Delta y - o_1(x_1, x_2))^2$$

$$L_{\text{bias},i}(s, x) = -s \log(nn_{i \text{ bias}}(x)) \\ - (1 - s) \log(1 - nn_{i \text{ bias}}(x)),$$

# Fair Flipped DirectRanker



# Fair Flipped DirectRanker

- The features extracted from the main network are **ranked** according to the sensitive attribute
- The gradient information is again **flipped** when backpropagating into the main network

# Fair Flipped DirectRanker

$$L(\Delta y, \Delta s, x_1, x_2) = (\Delta y - o_1(x_1, x_2))^2 \\ + \gamma * (\Delta s - o_{bias}(x_1, x_2))^2$$



# Adversarial, Flipped DirectRanker

$$\begin{aligned} L(\Delta y, \Delta s, x_1, x_2) = & (\Delta y - o_1(x_1, x_2))^2 \\ & + \gamma_1 * (\Delta s - o_{bias}(x_1, x_2))^2 \\ & + \gamma_2 * (-s \log(nn_{i\,bias}(x)) - (1 - s) \log(1 - nn_{i\,bias}(x))) \end{aligned}$$

