

Rcode for GV900 Homework 2

GV900 Political Explanation

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09-12-2021

Firstly, it will be advisable to clean the console and the environment from previously used data and values by using the following functions:

```
rm(list=ls(all=TRUE))  
cat("\014")
```

1. Load packages

I load the required packages in order to enable the following code to draw graphs and analyse regressions by using the "library" function since I have already installed them (using the "install.packages" function):

```
library(ggplot2)
```

To create graphs and visualise data.

```
library(gmodels)
```

To test, print, or summarise a general linear hypothesis for a regression model.

```
library(lattice)
```

```
## Warning: package 'lattice' was built under R version 4.1.2
```

```
library(survival)
```

```
## Warning: package 'survival' was built under R version 4.1.2
```

```
library(Formula)
```

```
library(Hmisc)
```

```
##
```

```
## Attaching package: 'Hmisc'
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
##      format.pval, units
```

For Leveraged data analysis, high-level graphics, and utility operations. However, I needed to load also the "lattice", "survival", and "Formula" packages since required by my RStudio to correctly run the Hmisc package.

```
library(stargazer)
```

```
##
```

```
## Please cite as:
```

```
## Hlavac, Marek (2018). stargazer: Well-Formatted Regression and Summary Statistics Tables.
```

```
## R package version 5.2.2. https://CRAN.R-project.org/package=stargazer
```

To produce LaTeX code, HTML code and ASCII text for well-formatted tables with regression analysis results.

For this, I will cite: "Hlavac, Marek (2018). stargazer: Well-Formatted Regression and Summary Statistics Tables."

```

library(carData)
library(effects)

## Warning: package 'effects' was built under R version 4.1.2

## Use the command
##   lattice::trellis.par.set(effectsTheme())
##   to customize lattice options for effects plots.
## See ?effectsTheme for details.

# To construct an "eff" object for a term in a regression that models a response as a linear function of main effects and interactions of factors and covariates. However, I needed to load also the "carData" packages since required by my RStudio to correctly run the gridExtra package.

library(gridExtra)

# To provide user-level functions to work with "grid" graphics.

# Sources: https://www.educba.com/list-of-r-packages/;
https://www.rdocumentation.org/packages/stargazer/versions/5.2.2/topics/stargazer;
https://www.rdocumentation.org/packages/effects/versions/4.2-0/topics/effect;
https://rdrr.io/cran/gridExtra/.

```

2. Load the data set

```

# Now, I can import the data set in my console by using the "read.csv" function to read the Comma Separated Values file. Moreover, I will use the "paste0" function to concatenate all elements without a separator (source: https://r-lang.com/paste0-function-in-r-with-example/). The path to finding the data is stored in an object called "myPath":

td <- read.csv(paste0(myPath, "titanic.csv"))

```

3. Number of unit of observation

```

# To see the number of observation, i.e. the number of individual passengers stored in the "td" dataset, I will use the function "dim" which retrieve the dimension of an object as the number of rows and of columns respectively (source: https://www.rdocumentation.org/packages/base/versions/3.6.2/topics/dim):

dim(td)

## [1] 1309   15

# As displayed by the console, the number of observations / individual passengers / rows in the "td" dataset is:

# 1309

```

More than asked in this assignment, another method to display the number of rows (passengers) could be to use the "nrow" function. I will display it as a comment to not disrupt the coding:

```
# nrow(td)
```

4. Frequency table for survival

To create a frequency table to display how many passengers survived or not, I will use the "data.frame" and "table" functions, and I will save it as an object called "ft_survived", thus:

```
ft_survived <- data.frame(table(td$survived))
```

More than asked in this assignment, I will change the name of the first column to have a better understanding of the data displayed in the table by using the "colnames" function. Thus:

```
colnames(ft_survived)[colnames(ft_survived) == "Var1"] <- "Survived (1),  
Deceased (0)"
```

Then, I will print the table using the "print" function:

```
print(ft_survived)
```

```
##   Survived (1), Deceased (0) Freq  
## 1                0      809  
## 2                1      500
```

5. Survival percentage

*# To add the percentage, I will follow a few steps. First of all, it is necessary to calculate the relative frequencies using the "prop.table" function "prop.table(ft_survived\$Freq)". Then, we can convert the resulting relative frequencies into percentages by multiplying them by 100 "prop.table(ft_survived\$Freq)*100". Finally, it is essential to insert the new column Percentage into the already existing ft.survived frequency table. Thus, the final code:*

```
ft_survived$Percentage <- prop.table(ft_survived$Freq) * 100
```

It should be noticed that, in the assignment, there is no request to round the percentage results. However, it would be advisable to do so in order to have a more understandable table by using the "round" function. Namely:

```
ft_survived$Percentage <- round(ft_survived$Percentage, digits = 2)
```

Then, I will print only the percentage column to display the survival percentage. To do so, I will call only the percentage for the row == 1, since I am interested in the percentage of survival. Therefore, I will firstly store only the data of survived people in another table, and store it in an object called "sur_rate":

```
sur_rate <- ft_survived[ft_survived == "1",]
```

Finally, I will print only the percentage of survived people using the "print" function:

```
print(sur_rate$Percentage)
```

```
## [1] 38.2
```

Besides, I will also print the result as a comment, thus:

```
# 38.2
```

6. Frequency table for socio-economic class

To create a frequency table to display the different socio-economic class of passengers, I will use the "data.frame" and "table" functions, and I will save it as an object called "ft_pclass", thus:

```
ft_pclass <- data.frame(table(td$pclass))
```

More than asked in this assignment, I will change the name of the first column to have a better understanding of the data displayed in the table by using the "colnames" function. Thus:

```
colnames(ft_pclass)[colnames(ft_pclass) == "Var1"] <- "Passenger Ticket Class"
```

Then, I will print the table using the "print" function:

```
print(ft_pclass)
```

```
## Passenger Ticket Class Freq
## 1                      1  323
## 2                      2  277
## 3                      3  709
```

7. Independent and dependent variables

The research question is: "how does the socio-economic class of passengers influence the likelihood of passenger survival?". While the hypothesis is "the socio-economic class of passengers is positively associated with passenger survival".

Therefore, the dependent variable (Y), i.e. the expected outcome, is the probability of survival (passenger survival).

On the other hand, the independent variable (X), i.e. the cause, is the socio-economic class of passengers.

8. Cross-tabulation

Since both "survived" and "pclass" are categorical variables, the way to test their relationship is by using the tabular association test (cross-tabulation).

Before to do that, I will transform the "pclass" and "survived" variables in factor variables to give an ordering to the variable, thus:

```
td$pclass_ord <- factor(td$pclass,  
                        level = c("1", "2", "3"),  
                        ordered = TRUE)
```

```
td$survived_ord <- factor(td$survived,  
                          level = c("0", "1"),  
                          ordered = TRUE)
```

To do that, I will use the "CrossTable" function, remembering to insert first the dependent variable (Y) and then the independent variable (X) (source: <https://www.rdocumentation.org/packages/gmodels/versions/2.18.1/topics/CrossTable>).

However, I need to adjust the coding.

Firstly, I will omit row percentages by imposing the argument "prop.r" as FALSE.

Then, I will omit the cell percentages by imposing the argument "prop.t" as FALSE.

After that, I will omit the chi-squared contributions by imposing the argument "prop.chisq" as FALSE.

Finally, I will insert the chi-squared test statistic by imposing the argument "chisq" as TRUE, thus:

```
CrossTable(td$survived_ord, td$pclass_ord,  
           prop.r = FALSE,  
           prop.t = FALSE,  
           prop.chisq = FALSE,  
           chisq = TRUE)
```

```
##
```

```
##
```

```
##      Cell Contents
```

```
## |-----|
## |               N |
## |       N / Col Total |
## |-----|
##
##
## Total Observations in Table:  1309
##
##
##
##      td$pclass_ord
## td$survived_ord |      1 |      2 |      3 | Row Total |
## -----|-----|-----|-----|-----|
##           0 |    123 |    158 |    528 |    809 |
##           |    0.381 |    0.570 |    0.745 |
## -----|-----|-----|-----|
##           1 |    200 |    119 |    181 |    500 |
##           |    0.619 |    0.430 |    0.255 |
## -----|-----|-----|-----|
##      Column Total |    323 |    277 |    709 |    1309 |
##           |    0.247 |    0.212 |    0.542 |
## -----|-----|-----|-----|
##
##
## Statistics for All Table Factors
##
##
## Pearson's Chi-squared test
## -----
## Chi^2 =  127.8592      d.f. =  2      p =  1.720826e-28
##
##
##
```

9. Table information

To see the survival percentage for each class, we have to analyse the number below the number of passengers for each class ticket. However, we are interested only in the survival rate, not in the death rate, so we will display the numbers displayed in the row labelled "1" (since it represents survived people).

(a) In the first class, 61.9% (0.619) of passengers survived (in absolute terms, 200 passengers; in relative terms, 200 passengers over 323).

(b) In the second class, 43.0% (0.430) of passengers survived (in absolute terms, 119 passengers; in relative terms, 119 passengers over 277).

(c) In the third class, 25.5% (0.255) of passengers survived (in absolute terms, 181 passengers; in relative terms, 181 passengers over 709).

10. First hurdle

The hypothesis is: "socio-economic class of passengers is positively associated with passenger survival."

Then, if the socio-economic class of passengers is operationalised as the class tickets of passengers (pclass), we could say that there is a positive relationship with survival rate indeed.

In fact, people with the most expensive ticket (1st class, which represents the highest socio-economic class as proxy) had the highest survival rate (61.9%), while people with the least expensive ticket (3rd class) had the lowest survival rate (25.5%). Therefore, the statistics, for now, are confirming our hypothesis.

11. Fill the statement

"Since the test statistic produces a p-value smaller than [0.001], we can [reject] the null hypothesis of no association at [99.9] % confidence level. We thus [find] support for our hypothesis."

1. (l) 0.001

2. (n) reject

3. (e) 99.9

4. (o) find

12. Relationship test

Since "female" is a categorical variable, and "fare" is a continuous/numeric variable, the most appropriate bivariate hypothesis test is the "difference of means".

First of all, I will transform the "female" variable (currently a character) into a dummy variable (numeric) to display a correct test. To do so, I will use the "ifelse" function, and I will create a new column in my dataset called "gender". Further, I will assign the value of "1" to Female and "0" to Male passengers, thus:

```
td$gender <- ifelse(td$female == "Female", 1, 0)
```

To implement this test, I will use the "t.test" function. Further, I will assume equal variance between the variables by imposing the option "var.equal" as TRUE. Moreover, I will store the test as an object called "t.ff" (source: <https://www.rdocumentation.org/packages/stats/versions/3.6.2/topics/t.test>). Thus:


```

t_ff <- t.test(fare ~ gender,
              data = td,
              var.equal = TRUE)

# Finally, I will print the test by using the print function

print(t_ff)

##
## Two Sample t-test
##
## data: fare by gender
## t = -6.824, df = 1306, p-value = 1.351e-11
## alternative hypothesis: true difference in means between group 0 and group
## 1 is not equal to 0
## 95 percent confidence interval:
## -25.80481 -14.28092
## sample estimates:
## mean in group 0 mean in group 1
##      26.15382      46.19668

```

13. Results interpretation

First of all, I have to highlight the in the "gender" variable 1 is for Female and 0 is for Male. Therefore, the average ticket price for Female (group 1) is 46.20, while the average ticket price for Male (group 0) is 26.15.

With this data, I could argue that female passengers, on average, tend to have a more expensive ticket since the mean in group 1 is greater than the mean in group 0.

However, the result could be statistically insignificant. In this case, fortunately, this is not true. Indeed, the difference of means between the two is 20.04286 GBP, yielding a t-statistic of -6.824, with a degree of freedom of 1306 and a p-value of less than 0.001. Hence, we are 99.9% confident that our hypothesis is statistically significant.

14. Age-Fare graphical relation

To graphically display the relationship between "age" and "fare", I will use the "ggplot" function. However, since both variables are numerical, I will use a scatterplot by using the "geom_point" function.

Firstly, I will use the "ggplot" function to tell R in which data frame the variables are stored, in this case, "td". Besides, I will store the graph as an object called "g_fage", thus:

```
g_fage <- ggplot(td)

# Then, I have to tell to RStudio what variables to plot inside the chart
# thanks to the "aes" function, in this case: "age" on the x-axis and "fare" on
# the y-axis, thus:

g_fage <- g_fage + aes(x = age, y = fare)

# Then, I use the "geom_boxplot" function to tell R what graph I want, in
# this case, a boxplot Furthermore, I added the option "na.rm" to remove all
# variables without a measurement. Hence:

g_fage <- g_fage + geom_point(na.rm = TRUE)

# Besides, and more than asked in this assignment, I will use the "ylab"
# function to change the name of the y-axis in the boxplot previously created:

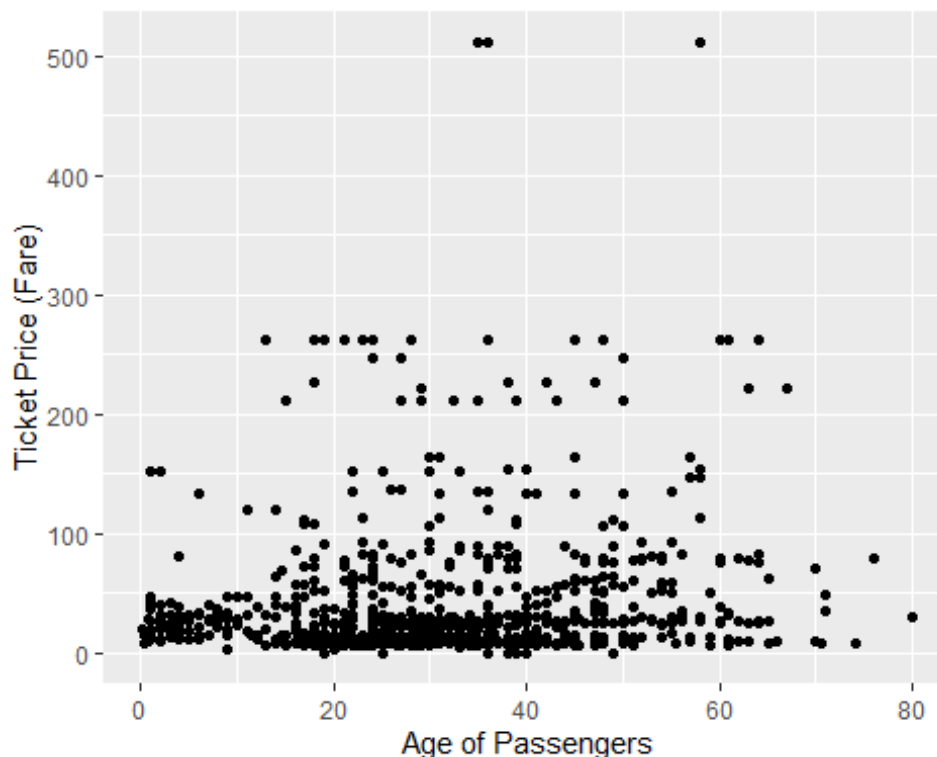
g_fage <- g_fage + ylab("Ticket Price (Fare)")

# Further, I will use the "xlab" function to change the name of the X-axis:

g_fage <- g_fage + xlab("Age of Passengers")

# Finally, I will print the graph using the print function:

print(g_fage)
```



15. Age-Fare test statistic

Since we have two numeric variables (age and fare), the best statistic test is the correlation analysis with the Person's correlation coefficient (r).

First of all, I have to create a matrix with the two studied variables using the "as.matrix" function. I will store the matrix in an object called "fage_mat". Hence:

```
fage_mat <- as.matrix(td[c("fare", "age")])
```

Then, I will use the "rcorr" function to run the correlation analysis, and I will store it in an object called "r.fage". Further, I will use the "type" option to tell the programme to run a Person's correlation analysis:

```
r_fage <- rcorr(fage_mat, type = "pearson")
```

Finally, I will print the correlation using the print function:

```
print(r_fage)

##      fare  age
## fare 1.00 0.18
## age  0.18 1.00
##
## n
##      fare  age
## fare 1308 1045
## age  1045 1046
##
## P
##      fare  age
## fare      0
## age      0
```

16. Results interpretation

Based on the correlation analysis above, the correlation coefficient between age and fare is positive, with a value of 0,18. Thus, older people pay more for expensive tickets.

The p-value for this test is so low that the R programme rounded it to 0. So, we can conclude that our confidence level is 99.9% at least and so we can reject the null hypothesis with 99.9% confidence.

Overall, the estimated correlation coefficient between the age of passengers and ticket fare is positive (0.18) and statistically significant at a 99.9% confidence level. We thus find support for our hypothesis since

our question was: "do older passengers tend to have a more expensive ticket compared with younger passengers?".

17. Simple Linear Regression

To regress fare on age, I will use the "lm" function since it is a linear model regression. In the argument, I will put first the dependent variable (fare) and then the independent variable (age). Moreover, I will store the regression in an object named "reg_fage". Thus:

```
reg_fage <- lm(fare ~ age, data = td)
```

Then, I will use the "stargazer" function to produce a regression table. Moreover, I will put "text" as the "type" argument. Hence:

```
stargazer(reg_fage, type = "text")

##
## =====
##                      Dependent variable:
##                      -----
##                      fare
## -----
## age                      0.692***
##                      (0.118)
##
## Constant                16.021***
##                      (3.909)
## -----
## Observations              1,045
## R2                        0.032
## Adjusted R2               0.031
## Residual Std. Error      54.851 (df = 1043)
## F Statistic               34.428*** (df = 1; 1043)
## =====
## Note:                    *p<0.1; **p<0.05; ***p<0.01
```

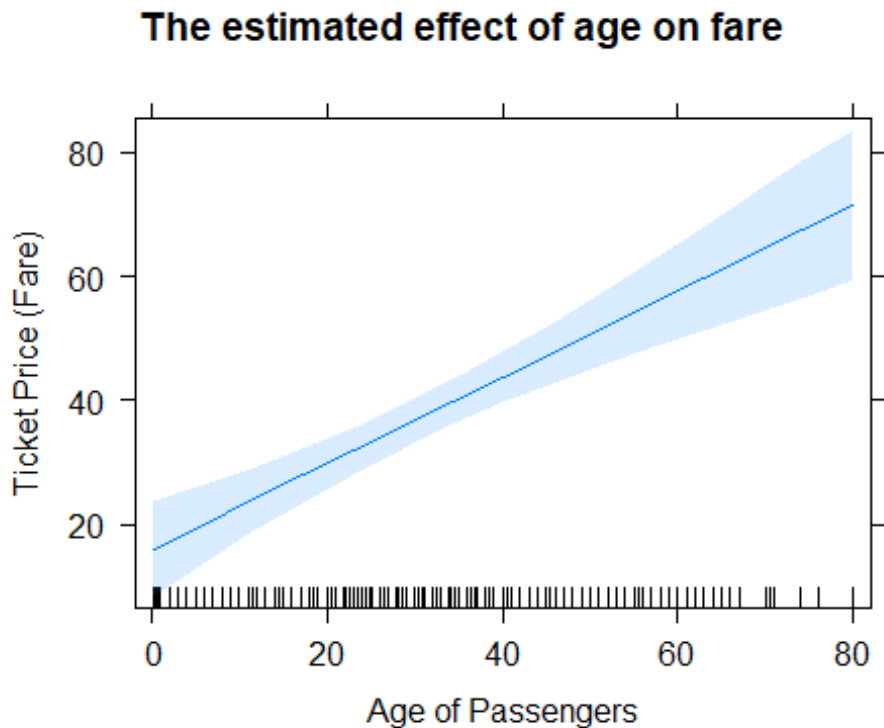
18. Graphical regression

To graphically display the relationship between age and fare, I will use the "effect" function. I will first store the result in an object called "eff_fage". Moreover, in the argument term (the quoted name of a term), I will put the independent variable (age), while in the argument mod, I will put the object that stores the regression (reg_fage). (source: <https://www.rdocumentation.org/packages/effects/versions/4.2-0/topics/effect>). Hence:

```
eff_fage <- effect(term = "age", mod = reg_fage)
```

Then, I will use the "plot" function to graphically display the regression. Moreover, I will adjust the graph to be more readable. So, I will use the main, xlab and ylab arguments to change its labels. Hence:

```
plot(eff_fage,  
     main = "The estimated effect of age on fare",  
     xlab = "Age of Passengers",  
     ylab = "Ticket Price (Fare)")
```



19. Comment of relationship

Graphically, it is straightforward to note a positive relationship between age and fare since the curve is upward.

Moreover, the estimated regression line is:

$\text{fare} = 16.0205 + 0.6922 \cdot \text{age}$

Since it is a simple regression, this is a straight line expressed as $y = mx + q$, and so the m (slope) is 0.6922, which is positive ($m > 0$), indeed.

Finally, we can see from the table that both the constant value (intercept) and the correlation value have a p -value of less than 0.01, thus we have a confidence of at least 99% that the relationship is statistically significant.

However, the adjusted R -squared is 0.031, meaning that only 3.1% of the

variance in the dependent variable is explained by the independent variable (source: <https://www.investopedia.com/terms/r/r-squared.asp>). However, since our independent variable is statistically significant, we can still conclude that age and fare are positively correlated (source: <https://statisticsbyjim.com/regression/interpret-r-squared-regression/>). Indeed, our F-statistic has a p-value < 0.01 , thus further proving the hypothesis that our X (age) is related to Y (fare). (source: <https://quantifyinghealth.com/f-statistic-in-linear-regression/>).

20. Age-Fare relationship on gender

To draw a plot of age and fare based on gender, I will use the "facet_wrap" function and store the graph as an object called "gg_fage".

Firstly, I will use the "ggplot" function to tell R in which data frame the variables are stored, in this case, "td":

```
gg_fage <- ggplot(td)
```

Then, I have to tell R what variables to plot inside the chart with the "aes" function, in this case, age on the x-axis and fare on the y-axis, thus:

```
gg_fage <- gg_fage + aes(x = age, y = fare)
```

Then, I use the "geom_boxplot" function to tell R what graph I want, in this case, a boxplot Furthermore, I added the option "na.rm" to remove all variables without a measurement. Hence:

```
gg_fage <- gg_fage + geom_point(na.rm = TRUE)
```

Besides, and more than asked in this assignment, I will use the "ylab" function to change the name of the y-axis in the boxplot previously created:

```
gg_fage <- gg_fage + ylab("Ticket Price (Fare)")
```

Further, I will use the "xlab" function to change the name of the X-axis:

```
gg_fage <- gg_fage + xlab("Age of Passengers")
```

To differentiate the graph, I will use the "facet_wrap" option, linking it to the "female" variable in td. I did not use the dummy variable "gender" since they are conceptually the same, but if I had used "gender" on the two panels, I would have only seen the numbers 0 and 1, making it harder to interpret the graph. For this reason, I used the "female" variable, which will display the two panels as "Female" and "Male".

```
gg_fage <- gg_fage + facet_wrap(~ female)
```

```
print(gg_fage)
```



21. Multiple regression

```
# To estimate a multiple linear regression, I will use the "lm" function.
Further, I will store it as an object called "m.reg.fage". Besides, "gender"
is already a numeric dummy variable, so I do not need to make any other
adjustment to my code, thus:
```

```
m_reg_fage <- lm(fare ~ age + gender, data = td)
```

Then, I will use the "stargazer" function to produce a regression table. Moreover, I will put "text" as "type" argument. To display also the previous regression model (reg.fage), I will add it inside the brackets Hence:

```
stargazer(reg_fage, m_reg_fage, type = "text")
```

```
##
## =====
##                               Dependent variable:
##                               -----
##                               fare
##                               (1)                               (2)
## -----
```

```
## age                0.692***          0.740***
##                  (0.118)          (0.116)
##
## gender                23.039***
##                  (3.447)
##
## Constant           16.021***          6.029
##                  (3.909)          (4.111)
## -----
## Observations           1,045          1,045
## R2                     0.032          0.072
## Adjusted R2            0.031          0.070
## Residual Std. Error   54.851 (df = 1043)  53.737 (df = 1042)
## F Statistic          34.428*** (df = 1; 1043) 40.267*** (df = 2; 1042)
## =====
## Note:                  *p<0.1; **p<0.05; ***p<0.01
```

22. Fill the statement (2)

"Since [adjusted R2 (R-squared)] is [smaller] for the [first] model, the [second] model fits the data better."

1. (d) adjusted R2 (R-squared)

2. (f) smaller

3. (h) first

4. (i) second

23. Female-Fare relation

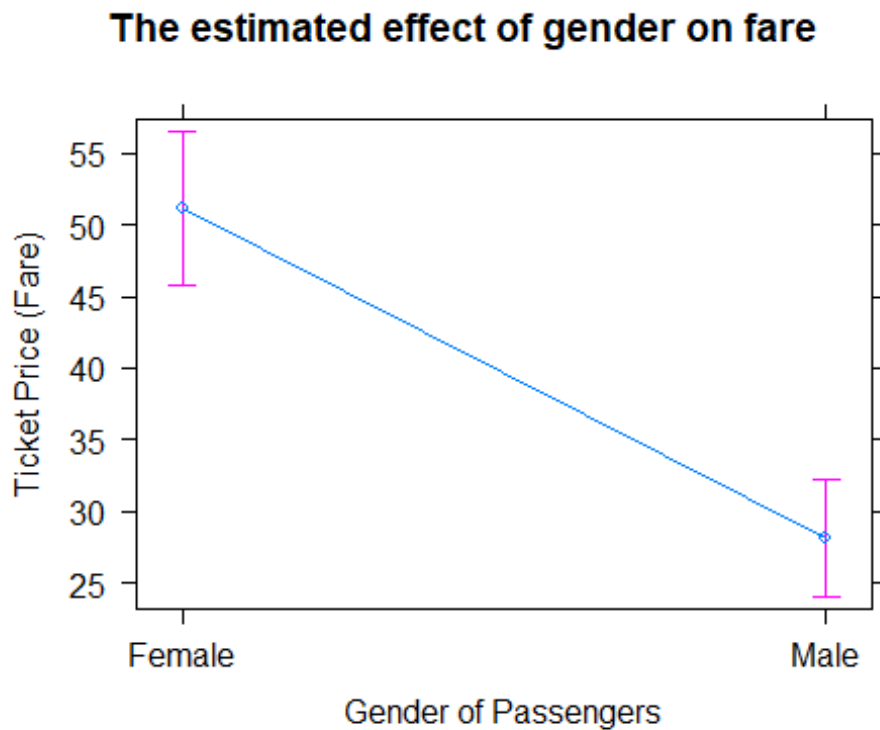
To graphically display the relationship between gender and fare, I will use the "effect" function. Firstly, I will create a new regression with the variable "female" rather than the numeric variable "gender", storing it in an object called "g.ref.fage". I will store the result in an object called "eff.female". Moreover, in the argument term (the quoted name of a term), I will put the independent variable (female), while in the argument mod, I will put the object that stores the regression (g.reg.fage). (source: <https://www.rdocumentation.org/packages/effects/versions/4.2-0/topics/effect>). Hence:

```
g_reg_fage <- lm(fare ~ age + female, data = td)
eff_female <- effect(term = "female", mod = g_reg_fage)
```

Then, I will use the "plot" function to graphically display the regression. Moreover, I will adjust the graph to be more readable. So, I will use the

main, xlab and ylab arguments to change its labels. Hence:

```
plot(eff_femage,  
     main = "The estimated effect of gender on fare",  
     xlab = "Gender of Passengers",  
     ylab = "Ticket Price (Fare)")
```



24. Age-Fare(-Female) relation

To graphically display the relationship between age and fare, based on gender, I will use the "effect" function, inserting the multiple regression model (m_reg_fage) as the "mod" argument.

Firstly, I will use the "effect" function to separate the regression results based on gender. For female, I will store the result in an object called "fml_eff_fage", hence:

```
fml_eff_fage <- effect(term = "age",  
                       mod = m_reg_fage,  
                       given.values = c("gender" = 1))
```

For male, I will store the result in an object called "ml_eff_fage", thus:

```
ml_eff_fage <- effect(term = "age",  
                      mod = m_reg_fage,  
                      given.values = c("gender" = 0))
```

Then, I will translate the result into graphs using the "plot" function. I will store the graph for females in an object called "fml_fage". More than asked in this assignment, in order to increase the comprehension of the data displayed in the graph, I will use the "main", "xlab", and "ylab" arguments to improve them. Further, I added the "ylim" argument in order to have an equal representation between the two graphs. Hence:

```
fml_fage <- plot(fml_eff_fage,  
               main = "Female Passengers",  
               xlab = "Age of passengers",  
               ylab = "Ticket Price (Fare)",  
               ylim = c(0, 100))
```

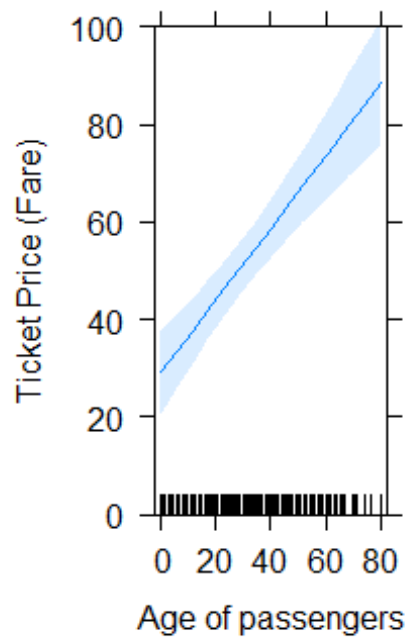
While I will store the graph for male in an object called "ml.fage", and I will do the same improvements, thus:

```
ml_fage <- plot(ml_eff_fage,  
               main = "Male Passengers",  
               xlab = "Age of passengers",  
               ylab = "Ticket Price (Fare)",  
               ylim = c(0, 100))
```

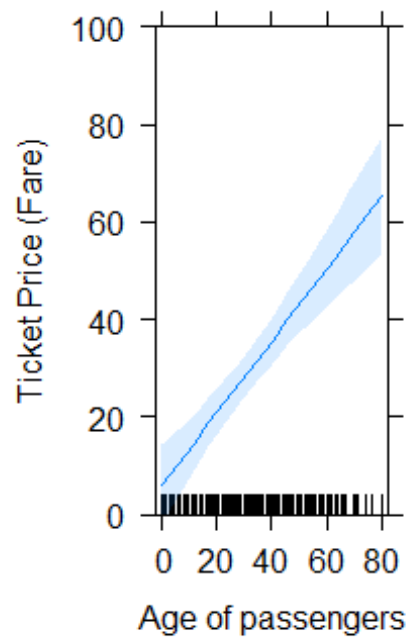
Then, I will use the "grid.arrange" function to display the two graphs together. Moreover, I will use the "ncol" option to represent them one alongside the other and not one above and below, thus:

```
grid.arrange(fml_fage, ml_fage, ncol = 2)
```

Female Passengers



Male Passengers



End of assignment “Homework 2”