

Deep Reinforcement Learning for Autonomous Systems

Designing a control system to exploit model-free deep reinforcement learning algorithms to solve a real-world autonomous driving task of a small robot.

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Prof. Elena Baralis

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March 17, 2020



**POLITECNICO
DI TORINO**

This work of this thesis was developed at EURECOM (Sophia Antipolis, France)
in collaboration with

Prof. Pietro Michiardi (EURECOM)

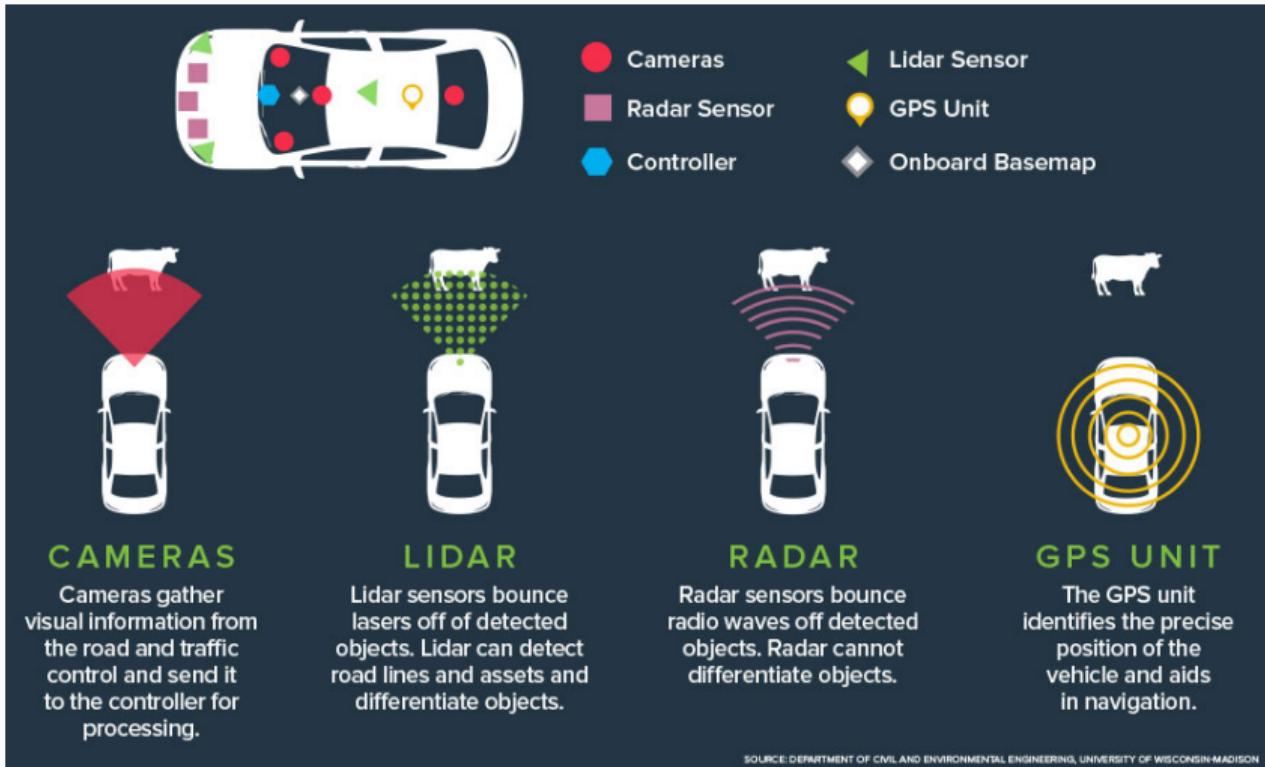
Prof. Elena Baralis (Politecnico di Torino)

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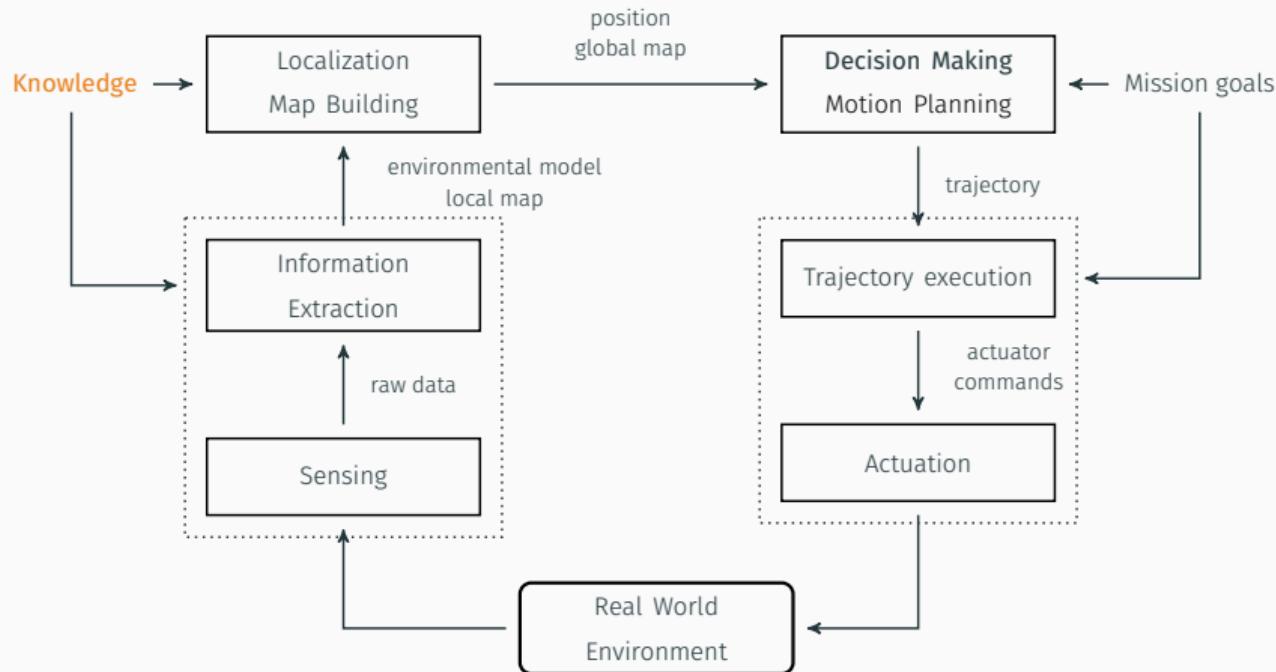
1. Background
2. Design of the control system
3. Experimental methodology and results
4. Conclusions and future work

Background

State-of-the-art Autonomous Driving Systems

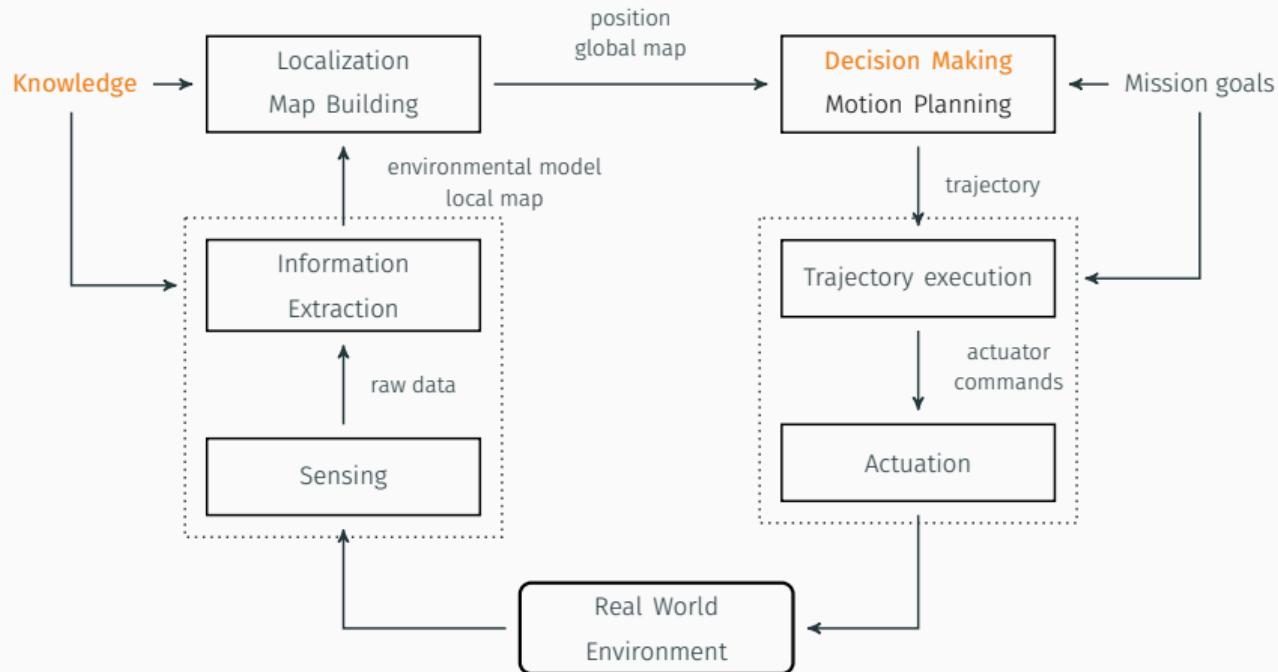


State-of-the-art Autonomous Driving Systems



Pavone, Veicoli a guida autonoma: a che punto siamo e cosa ci aspetta?

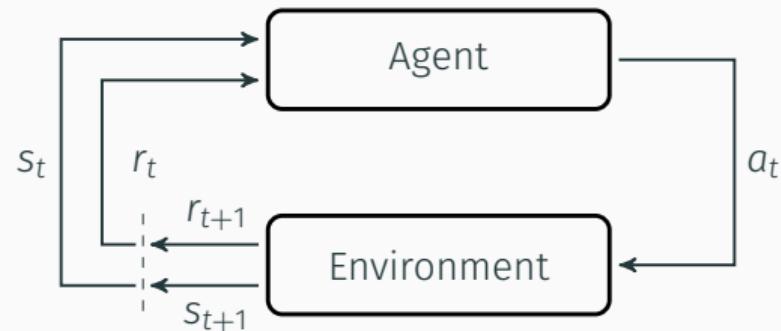
State-of-the-art Autonomous Driving Systems



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Reinforcement Learning

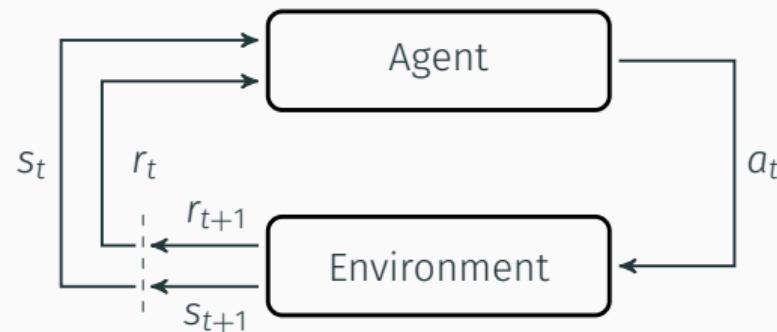
Problems involving an **agent** interacting with an **environment**, which provides numeric **reward signals**.



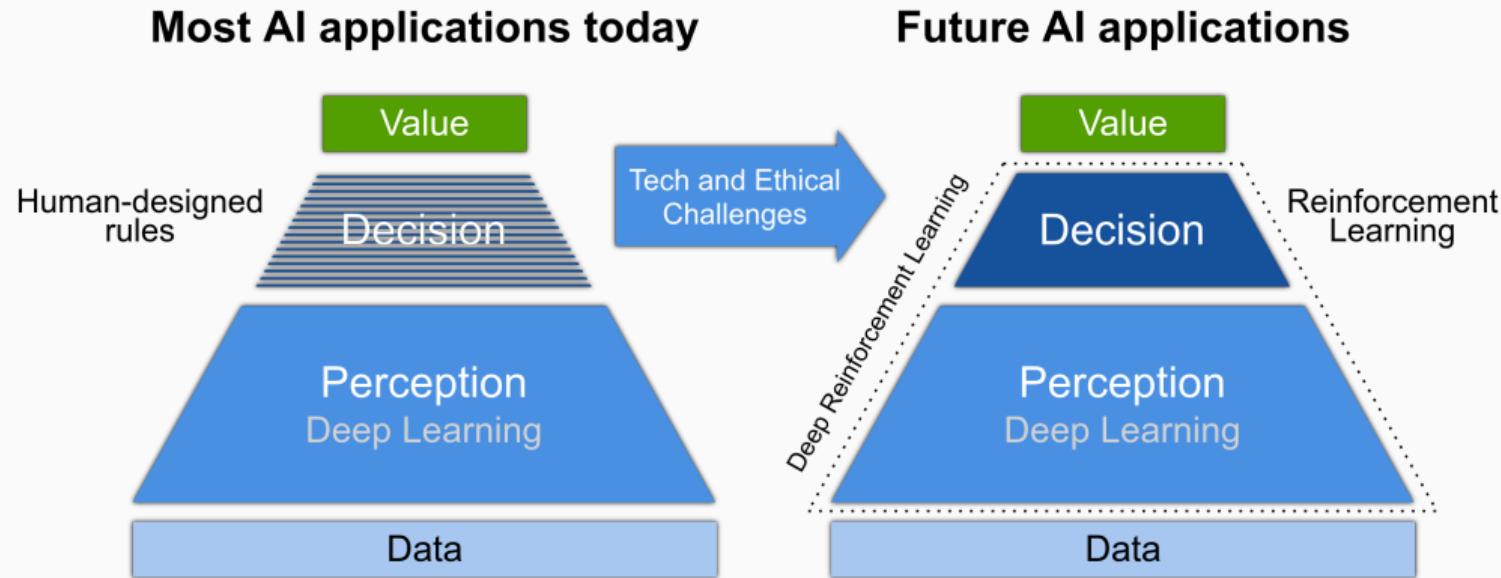
Reinforcement Learning

Problems involving an **agent** interacting with an **environment**, which provides numeric **reward signals**.

Goal: Learn how to take actions in order to maximize a reward function.



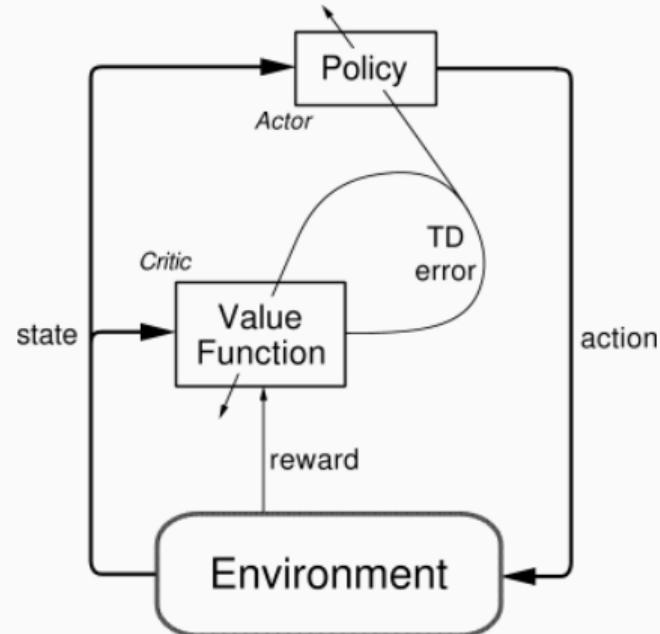
From Data to Value



Charafeddine, *Reinforcement Learning in the Wild and Lessons Learned.*

Algorithms implemented

- Model-Free
- Off-Policy with Experience Replay
Memory of $(s_t, a_t, r_t, s_{t+1}, d_t)$ tuples
- Continuous Action space
- Actor-Critic approach



Deep Deterministic Policy Gradient (DDPG)

DDPG learns a Q-function and a policy. It uses off-policy data and the Bellman equation to learn the Q-function, and uses the Q-function to learn the policy.

- **Policy:** Deterministic

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Needs accurate hyper-parameters fine-tuning

Soft Actor-Critic (SAC)

SAC learns a policy and two Q-functions. It exploits **entropy regularization**.

- **Policy: Stochastic**

Soft Actor-Critic (SAC)

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Suitable for Real-World Experiments

Main Goals



1. Implementation of Reinforcement Learning algorithms
 - Preliminary experiments on a simplified environment
2. Building a **control system** binding every technology used.
 - Formalise the problem as MDP
3. **Real World** Reinforcement Learning experiments analysis.
 - **No model** of the environment.
 - **No preliminary simulation** to tune hyper-parameters

Design of the control system

Anki Cozmo - Not just a toy robot



Why Anki Cozmo?

- Small and portable
- 30fps VGA Camera
- Powerful mechanics
- Python SDK and interfaces

Track Design



Features:

- Low-reflections
- Scaled Reality
- Reproducible

MDP Formalisation - Observation



Configuration:

- Gray-scale image
- Frame Rate: $\sim 15fps$
- Raw image size: 64×64 pixels

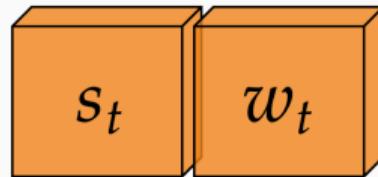
MDP Formalisation - Observation



Configuration:

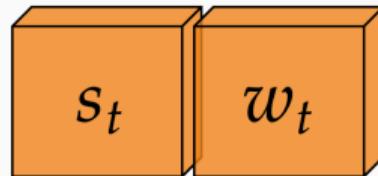
- Gray-scale image
- Frame Rate: $\sim 15fps$
- Raw image size: 64×64 pixels
- Stack size: 2

MDP Formalisation - Actions



$$s_t \in \{x \in \mathbb{R} \mid 0 \leq x \leq 1\} \quad w_t \in \{x \in \mathbb{R} \mid -1 \leq x \leq 1\}$$

MDP Formalisation - Actions

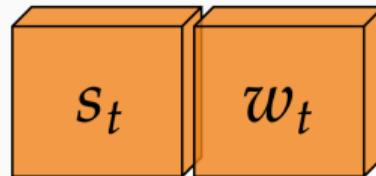


$$s_t \in \{x \in \mathbb{R} \mid 0 \leq x \leq 1\} \quad w_t \in \{x \in \mathbb{R} \mid -1 \leq x \leq 1\}$$

Maximum forward speed $\rightarrow s_{\text{forward_max}} = 150\text{mm/s}$

Maximum turning speed $\rightarrow s_{\text{turning_max}} = 100\text{mm/s}$

MDP Formalisation - Actions



$$s_t \in \{x \in \mathbb{R} \mid 0 \leq x \leq 1\} \quad w_t \in \{x \in \mathbb{R} \mid -1 \leq x \leq 1\}$$

Maximum forward speed $\rightarrow s_{\text{forward_max}} = 150\text{mm/s}$

Maximum turning speed $\rightarrow s_{\text{turning_max}} = 100\text{mm/s}$

Left tread speed $\leftarrow s_t \cdot s_{\text{forward_max}} + w_t \cdot s_{\text{turning_max}}$

Right tread speed $\leftarrow s_t \cdot s_{\text{forward_max}} - w_t \cdot s_{\text{turning_max}}$

MDP Formalisation - Reward



Distance Covered

Fixed timing between actions: $T_t [s] \leftarrow \frac{1}{15 \text{ fps}}$
Desired Speed: $s_t [\text{mm/s}]$

MDP Formalisation - Reward



Distance Covered

Fixed timing between actions: T_t [s] $\leftarrow \frac{1}{15}$ fps
Desired Speed: s_t [mm/s]

$$R_t = s_t \cdot T_t$$

if t is terminal $\rightarrow R_t = 0$

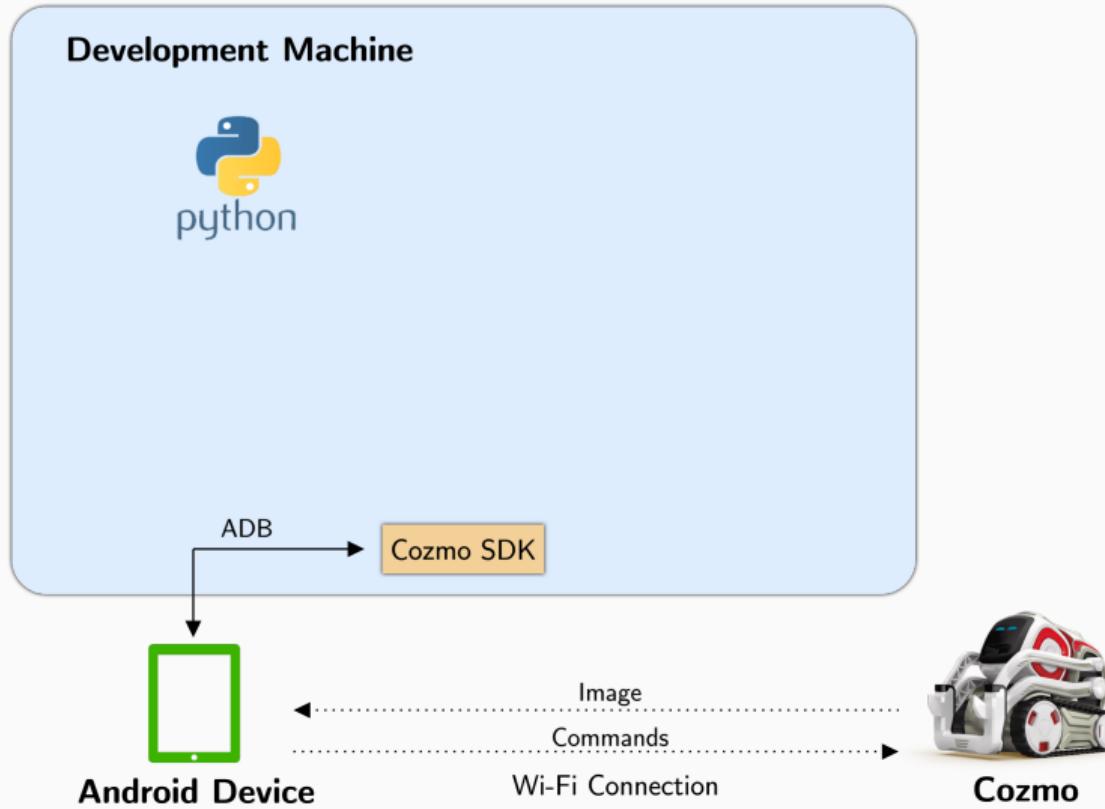
Outline of the control system

Development Machine

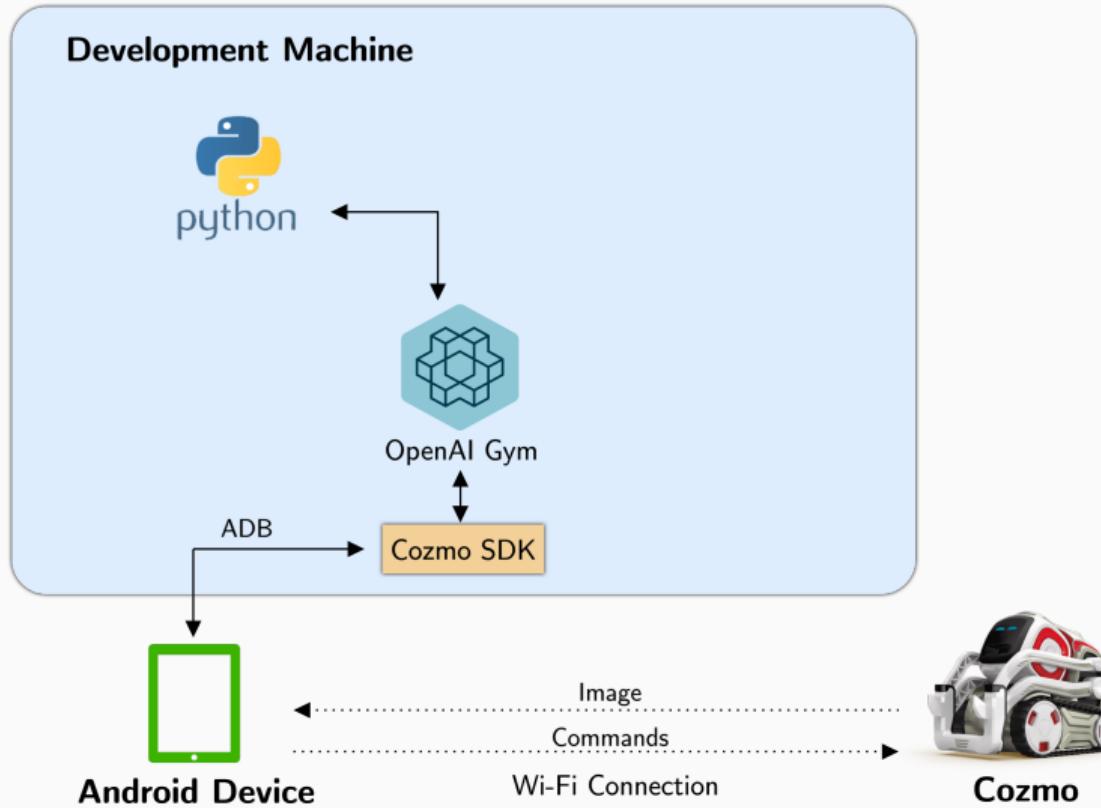


Cozmo

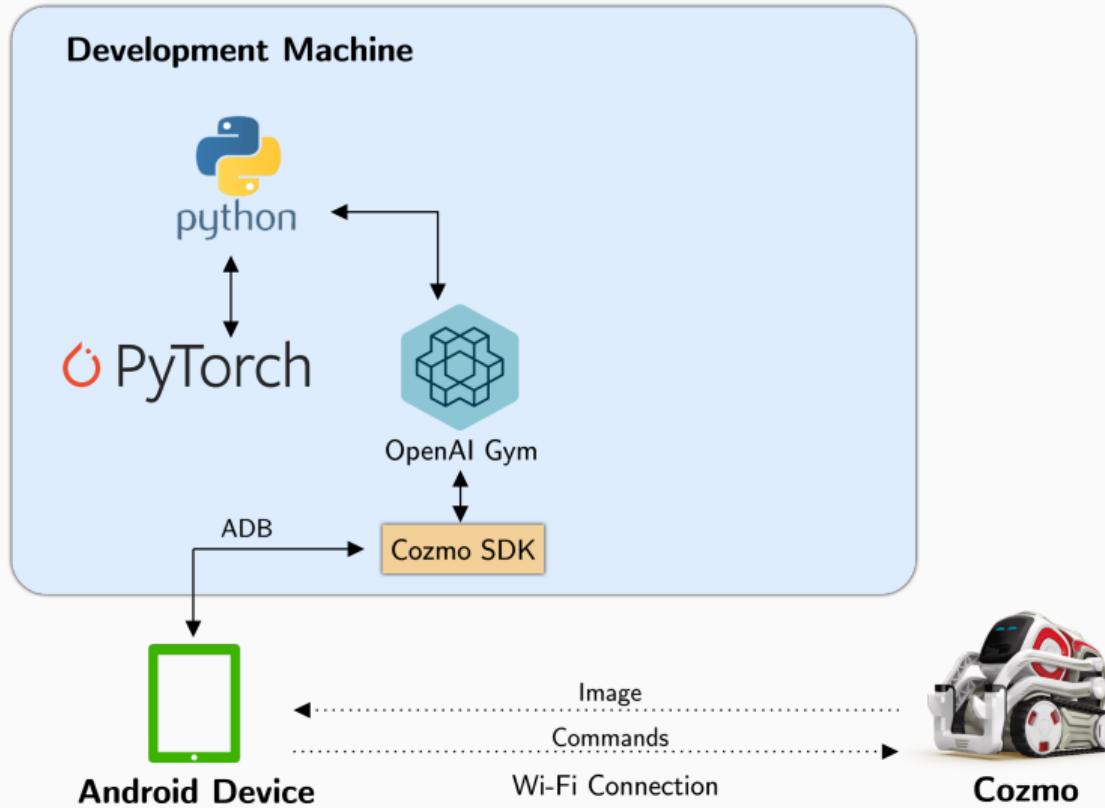
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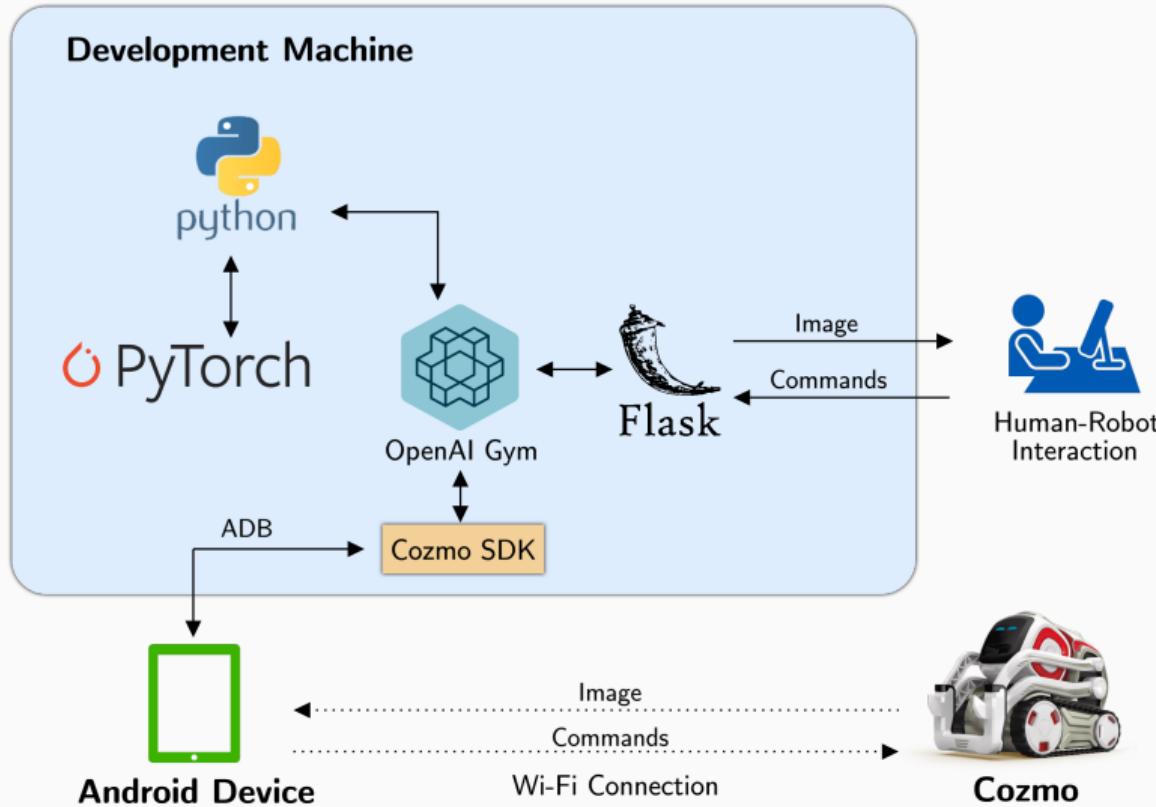
Outline of the control system



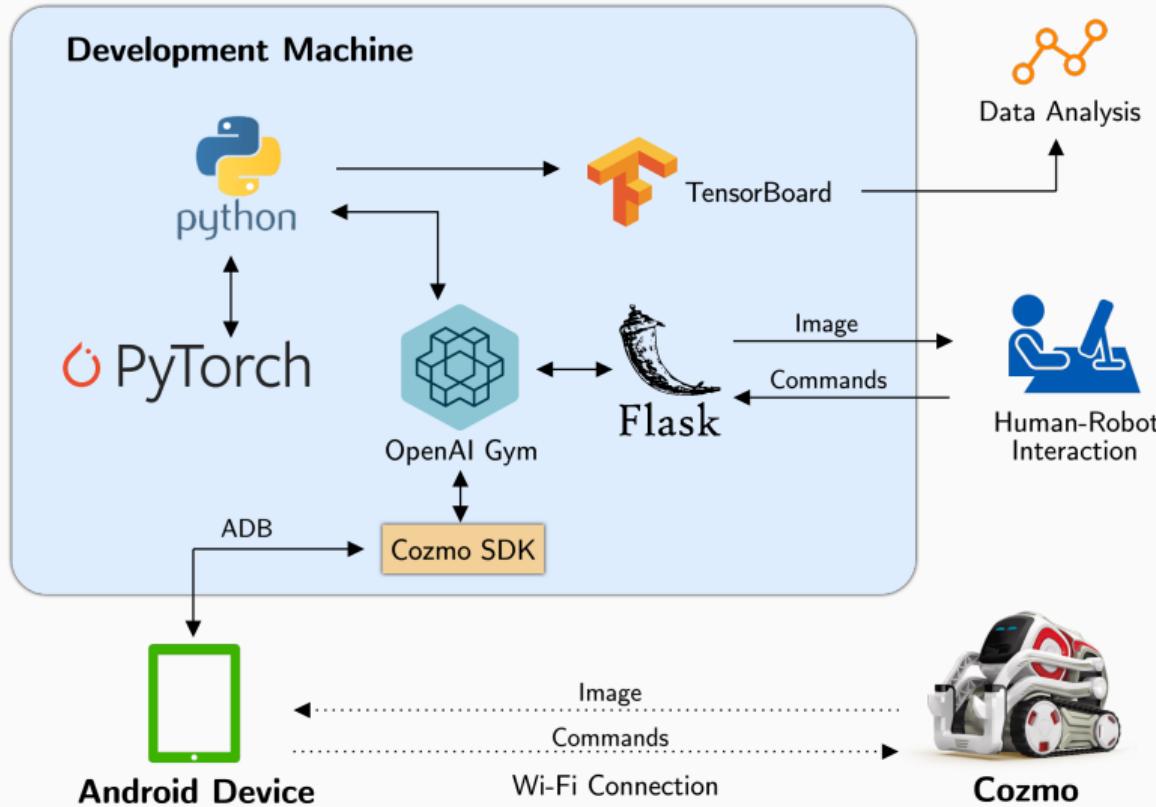
Outline of the control system



Outline of the control system



Outline of the control system



System Features



- Backup/Restore feature:

System Features



- Backup/Restore feature:
 - Episode restore

System Features



- Backup/Restore feature:
 - Episode restore
 - Checkpoint restore

System Features



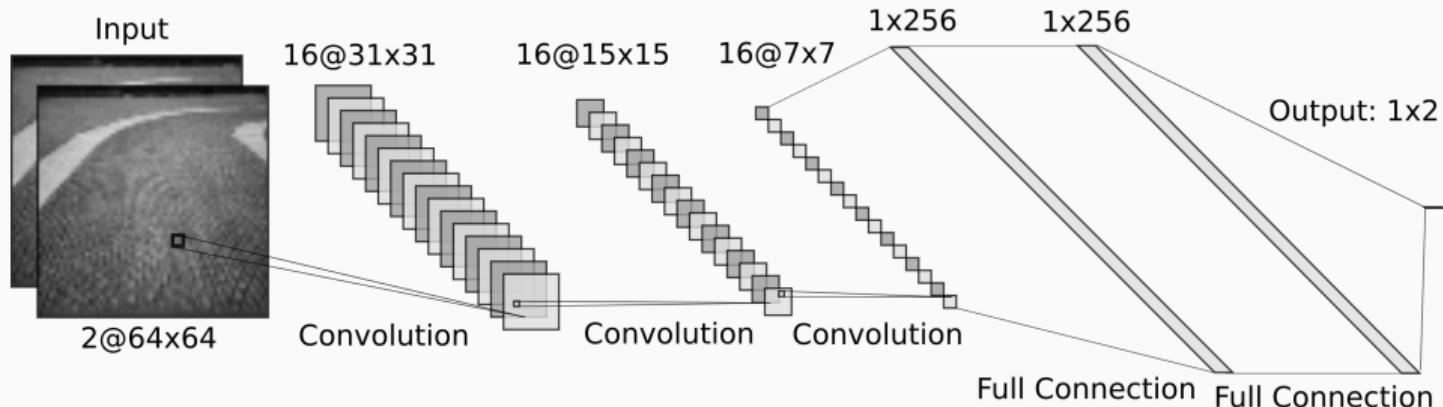
- Backup/Restore feature:
 - Episode restore
 - Checkpoint restore
- [Playground Recording](#)

Experimental methodology and results

Hyper-parameters used

TODO

Convolutional Neural Network Architecture



- 3 Convolutional Layers: 16 features (3×3), Stride 2, Padding 0
- 2 Fully Connected Layer with hidden size = 256

Pendulum-v0 DDPG Results

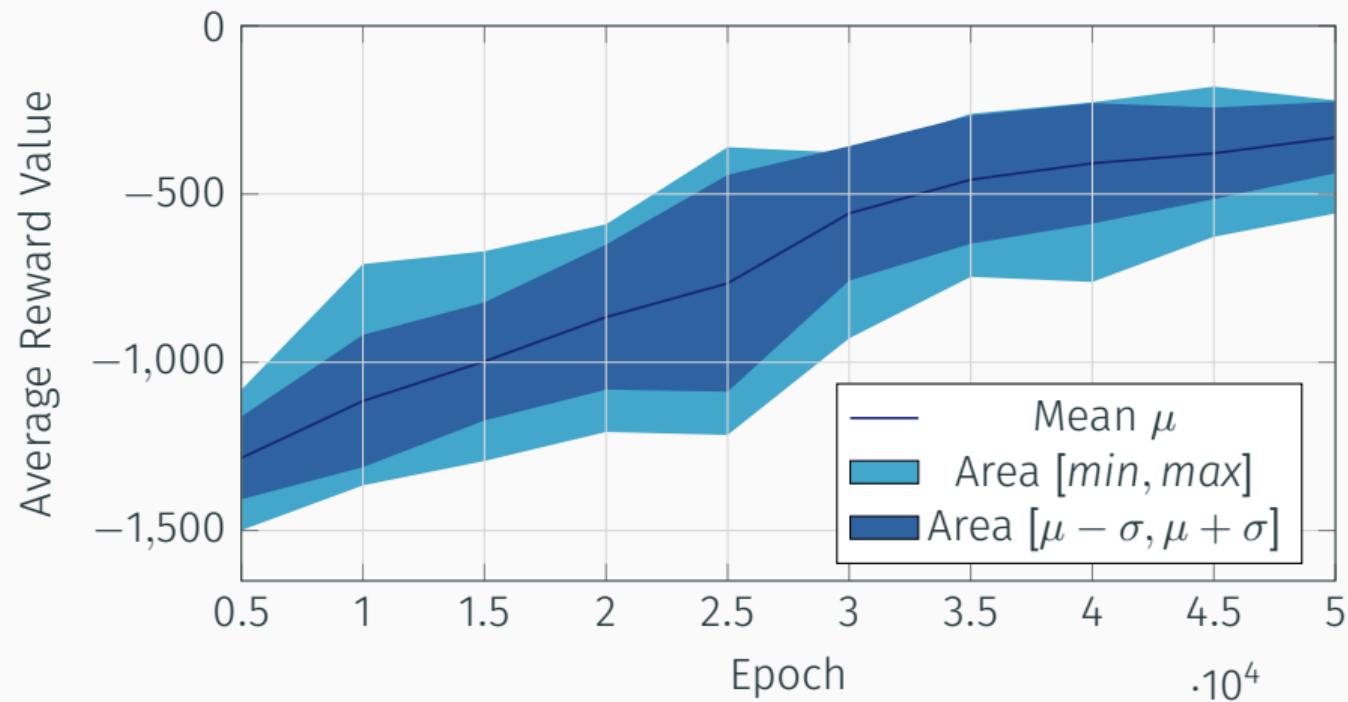


Figure 1: DDPG Pendulum-v0 Test Average Reward Plot.

Pendulum-v0 SAC Results

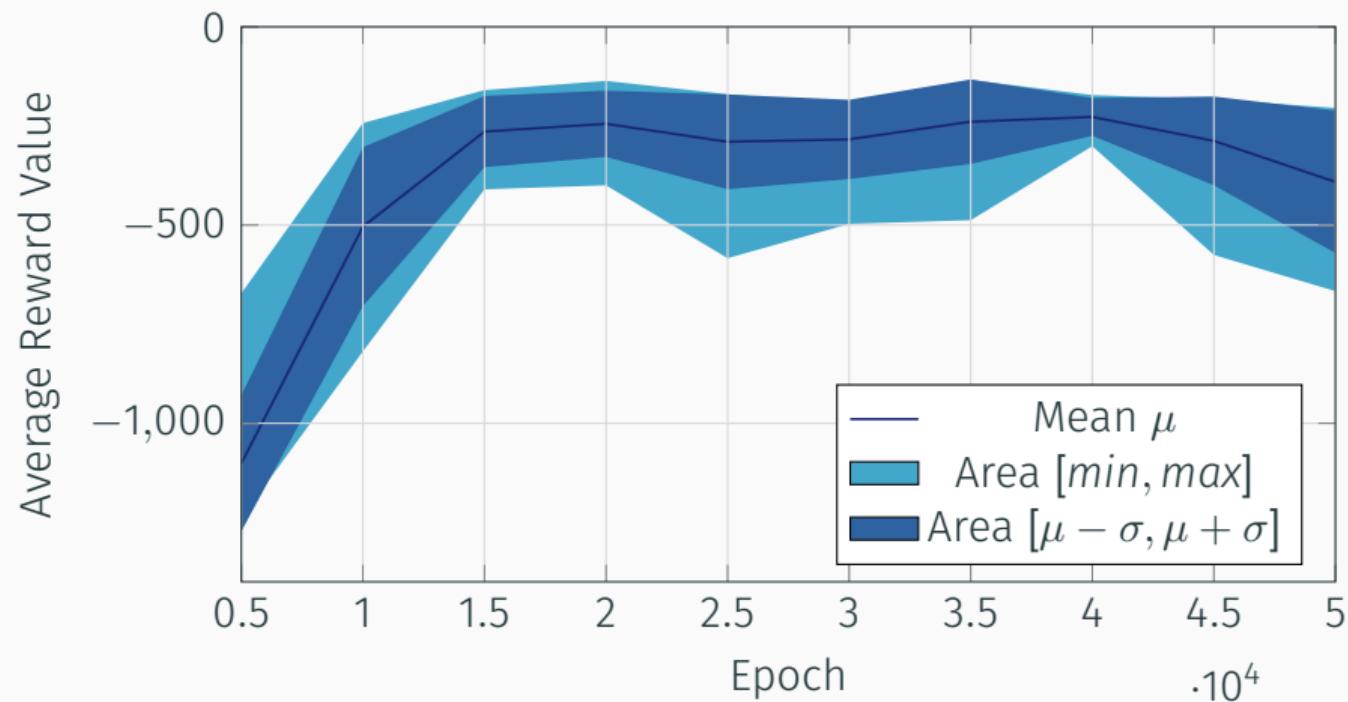


Figure 2: SAC Pendulum-v0 Test Average Reward Plot.

CozmoDriver-v0 SAC Training

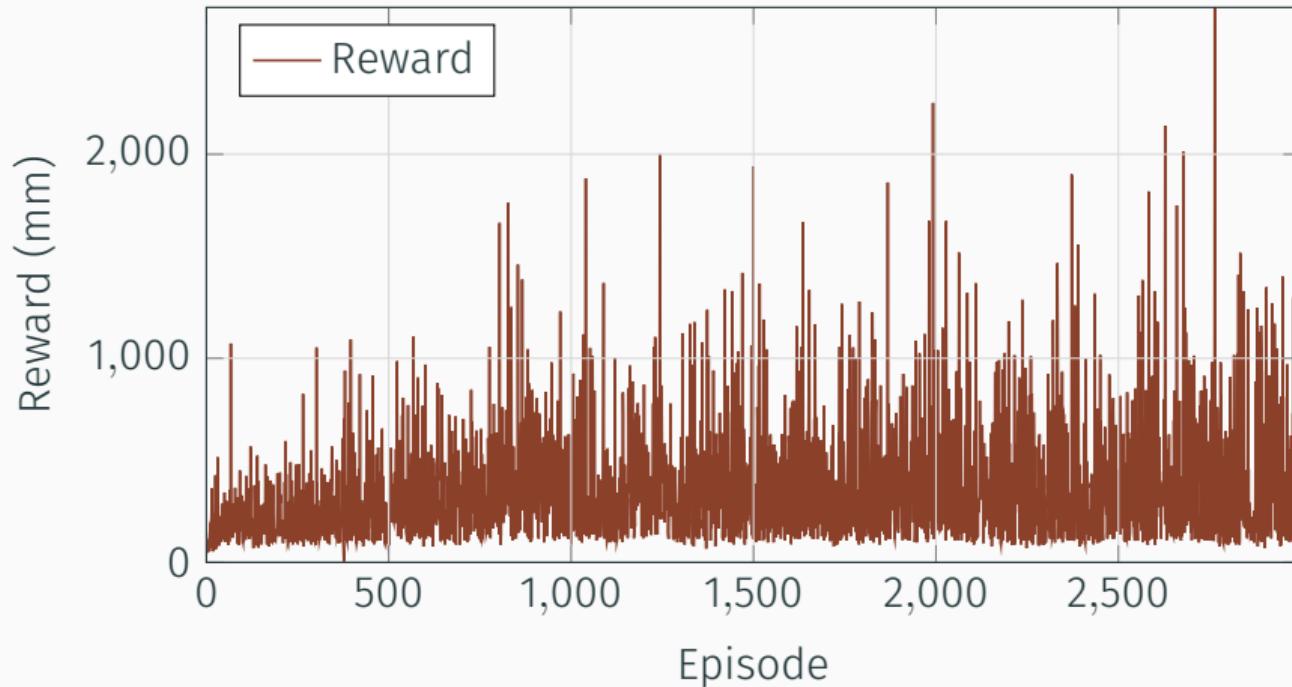


Figure 3: SAC CozmoDriver-v0 Reward Plot.

CozmoDriver-v0 SAC Training 100 average

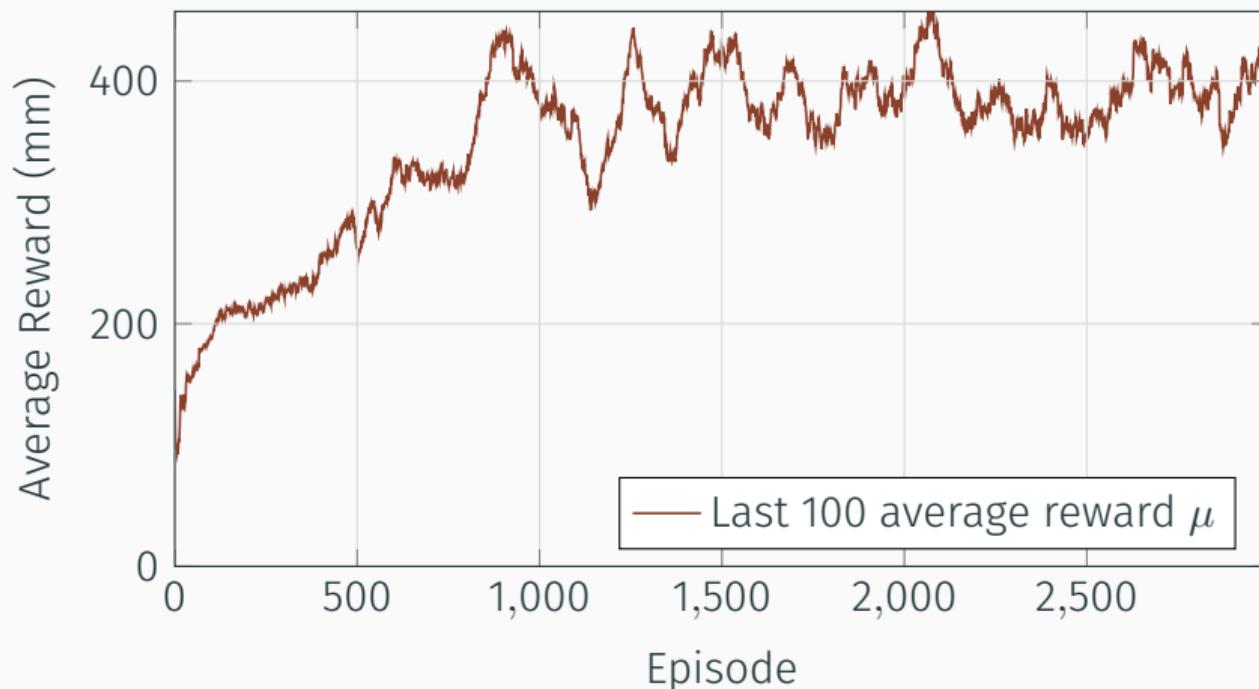


Figure 4: SAC CozmoDriver-v0 Last 100 Episode Average Reward Plot.

CozmoDriver-v0 SAC Temperature

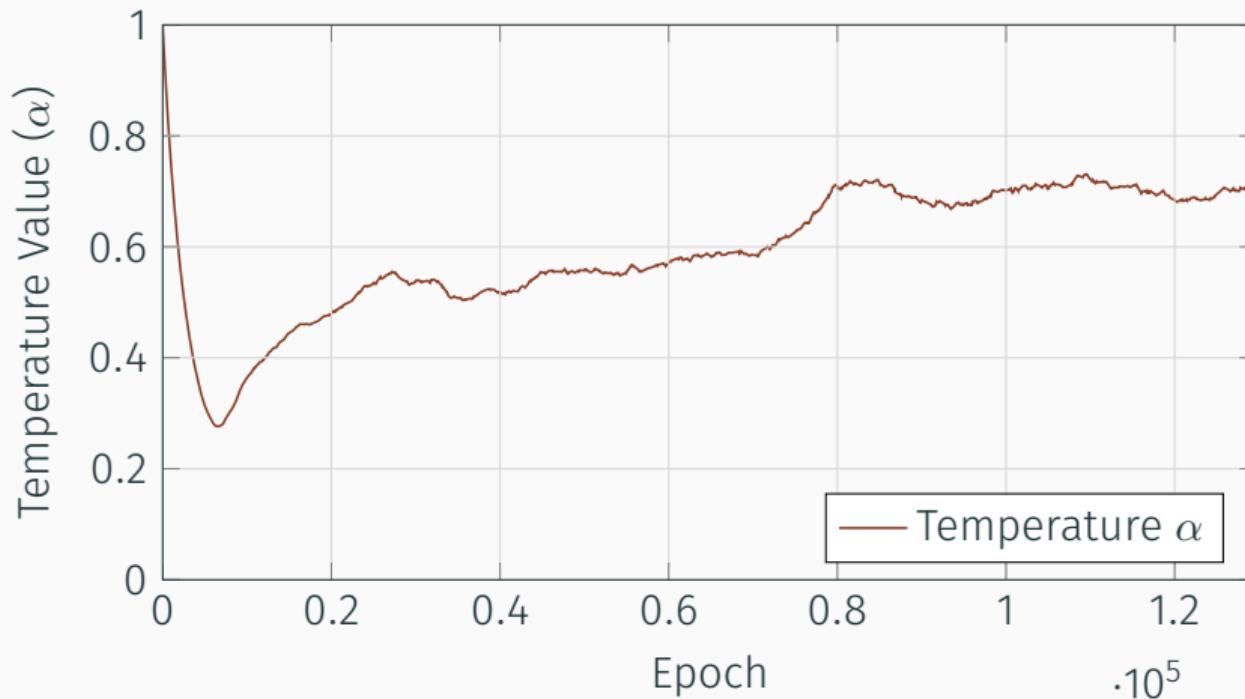


Figure 5: SAC Pendulum-v0 auto-tuned temperature.

CozmoDriver-v0 SAC Test

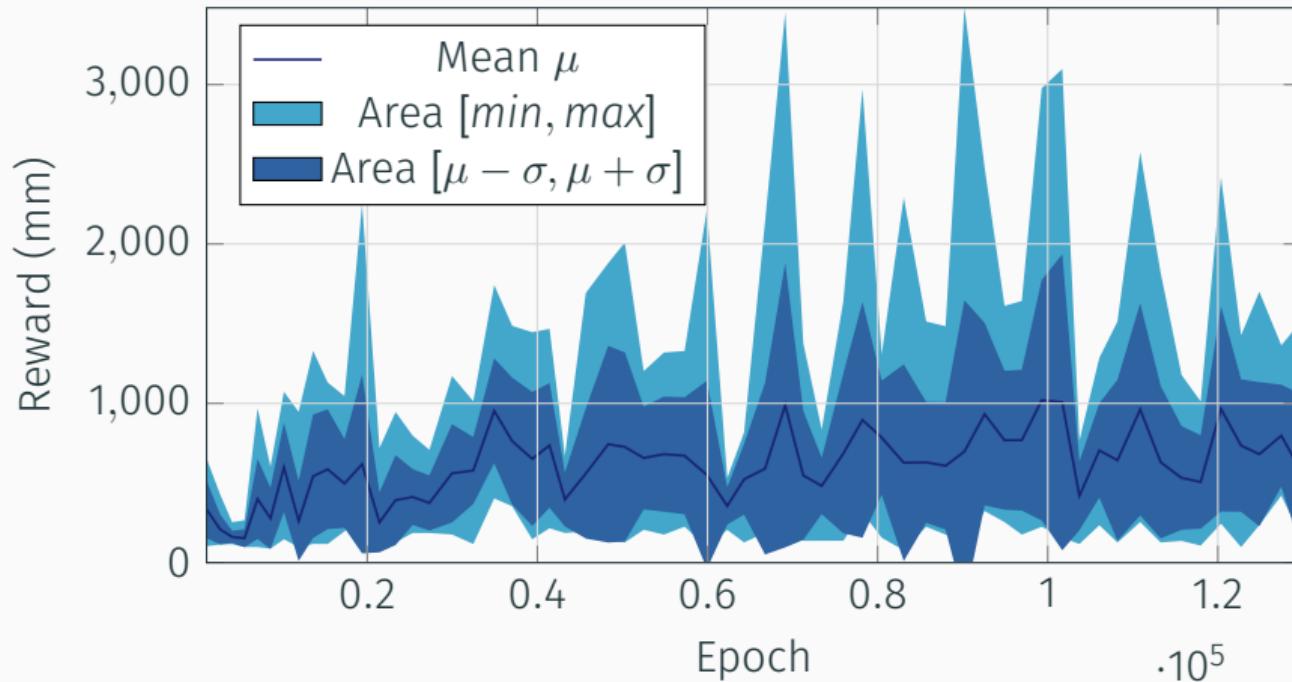


Figure 6: SAC CozmoDriver-v0 Test Reward Plot.

CozmoDriver-v0 SAC Test Mean

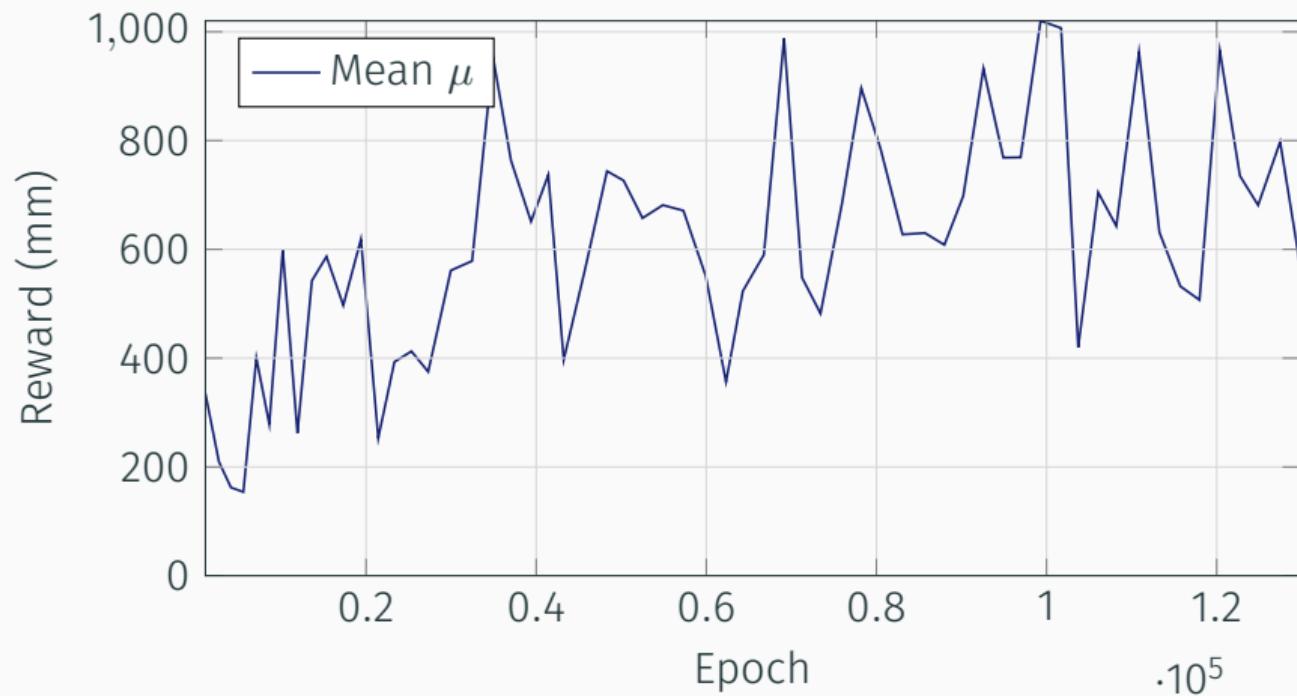


Figure 7: SAC CozmoDriver-v0 Test Average Reward Plot.

Episode Showcase - 1

Episode Showcase - 2

Conclusions and future work

Conclusions



- Promising approach:

Conclusions



- Promising approach:
 - Maximum reward reached: ~ 3.5 meters

Conclusions



- Promising approach:
 - Maximum reward reached: ~ 3.5 meters
 - Visible improvements during experiments

Conclusions



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- Unstable for concrete application:

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- Promising approach:
 - **Maximum reward reached:** ~ 3.5 meters
 - Visible improvements during experiments
- Unstable for concrete application:
 - **Average reward reached:** ~ 1 meter

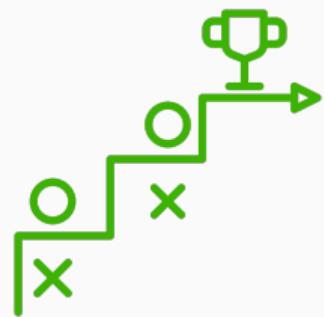
Conclusions



- Promising approach:
 - **Maximum reward reached:** ~ 3.5 meters
 - Visible improvements during experiments
- Unstable for concrete application:
 - **Average reward reached:** ~ 1 meter
 - It needs time to improve

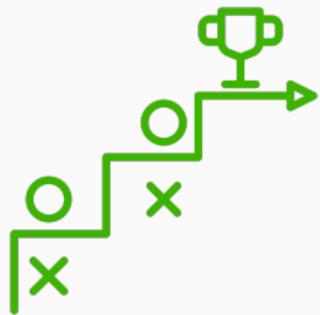
Future Work

- Alternative Reward function analysis



Future Work

- Alternative Reward function analysis
 - Penalise terminal high speed

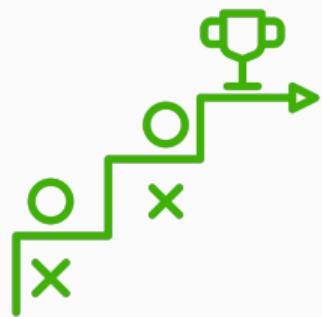


Future Work

- Alternative Reward function analysis
 - Penalise terminal high speed
- Improving Sensors

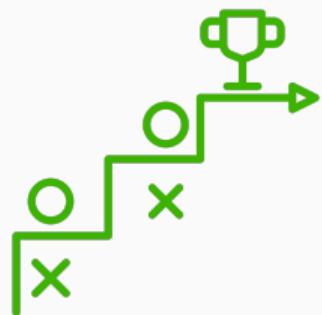


Future Work



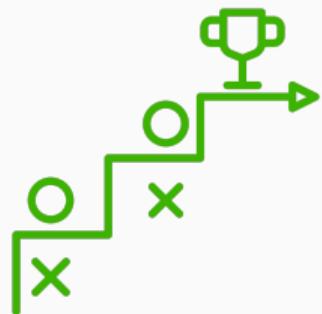
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 - Custom RC car (e.g. Donkey Car)

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- Alternative Reward function analysis
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 - Anki Vector

Future Work



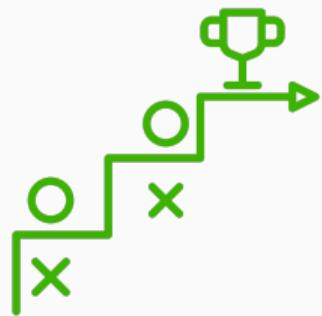
- Alternative Reward function analysis
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- Feature Extraction

Future Work



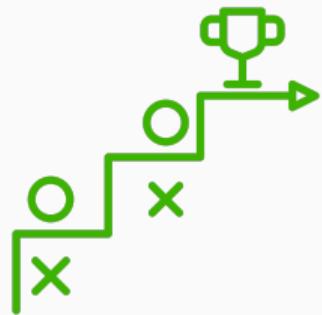
- Alternative Reward function analysis
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- Data fusion

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- Alternative Reward function analysis
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- Feature Extraction
 - Variational Auto-Encoder (VAE)
- Data fusion
- Model-based approach

Thank you!

References

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Appendix - Background

Components of the Agent

- **Policy:** agent's behaviour function

Deterministic: $\pi(s) = a$

Stochastic: $\pi(a|s) = \mathbb{P}[A_t = a | S_t = s]$

- **Value Function:** policy evaluation function

State Value: $V^\pi(s) = \mathbb{E} \left[\sum_{t \geq 0} \gamma^k r_t | s_0 = s, \pi \right]$

Action Value: $Q^\pi(s, a) = \mathbb{E} \left[\sum_{t \geq 0} \gamma^k r_t | s_0 = s, a_0 = a, \pi \right]$

- **Model:** agent's representation of the environment

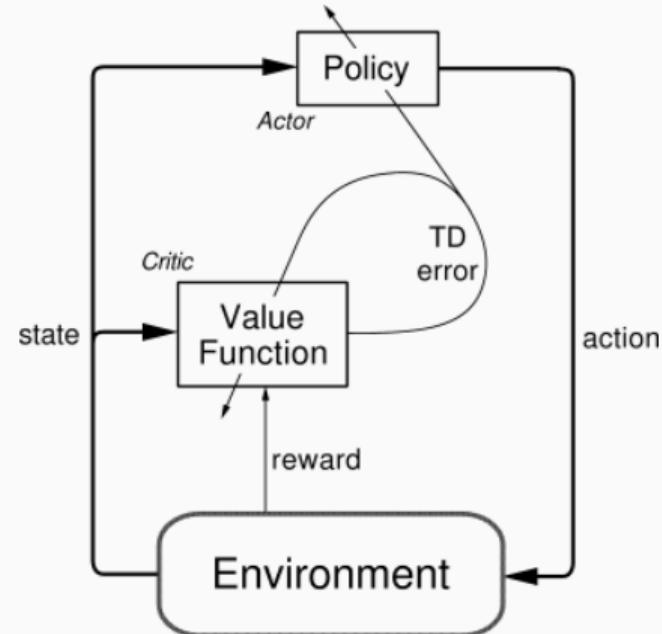
Model-Free Actor Critic methods

Critic Network

Estimates the value function. This could be the action value Q or state value V .

Actor Network

Updates the policy distribution in the direction suggested by the Critic (such as with policy gradients).



Model-Free Actor Critic methods

$$V(s_t) \leftarrow V(s_t) + \alpha \left(\underbrace{r_{t+1} + \gamma V(s_{t+1}) - V(s_t)}_{\text{TD error } (\delta_t)} \right) \quad (1)$$

Categorizing Reinforcement Learning agents

- Value Based
 - No Policy (implicit)
 - Value Function
- Policy Based
 - Policy
 - No value function
- Actor Critic
 - Policy
 - Value function
- Model Free
 - Policy and/or value function
 - No Model
- Model Based
 - Policy and/or value function
 - Model

Deep Deterministic Policy Gradient (DDPG) - Neural Networks

It uses **Target Networks** to minimise the instability MSBE loss

2 Local Neural Networks:

- Actor $\pi(s | \theta)$
- Critic $Q(s, a | \phi)$

2 Target Neural Networks:

- Actor $\pi'(s | \bar{\theta})$
- Critic $Q'(s, a | \bar{\phi})$

Deep Deterministic Policy Gradient (DDPG) - Learning Equations

$$\begin{aligned} L(\phi) &= \mathbb{E}_{s_t \sim \rho^\beta, a_t \sim \beta, r_t \sim E} [(Q(s_t, a_t | \phi) - y_t)^2] \\ y_t &= r(s_t, a_t) + \gamma(1 - d_t) Q'(s_{t+1}, \pi'(s_t + 1 | \bar{\theta}) | \bar{\phi}) \end{aligned} \tag{2}$$

Lillicrap et al., “Continuous control with deep reinforcement learning”.