Abstractions from Tests

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Motivation

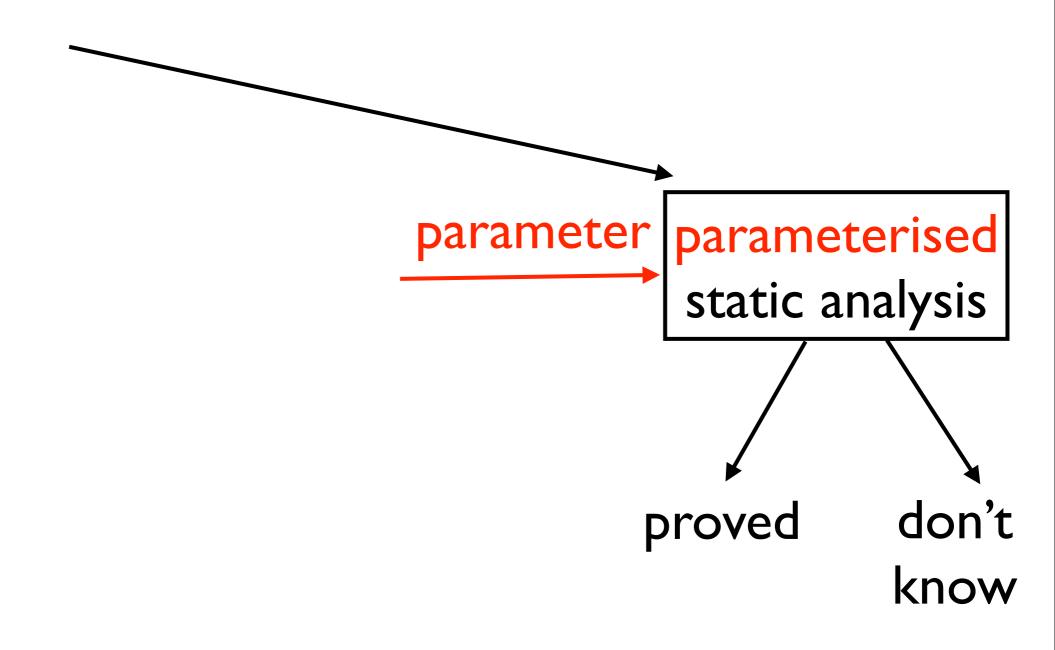
- Great success stories in automatic program verification based on static analysis techniques (SDV, Astree, etc).
- Yet balancing precision and performance of a static analysis is still an art.
- We want to do this balancing automatically.

Typical static analysis

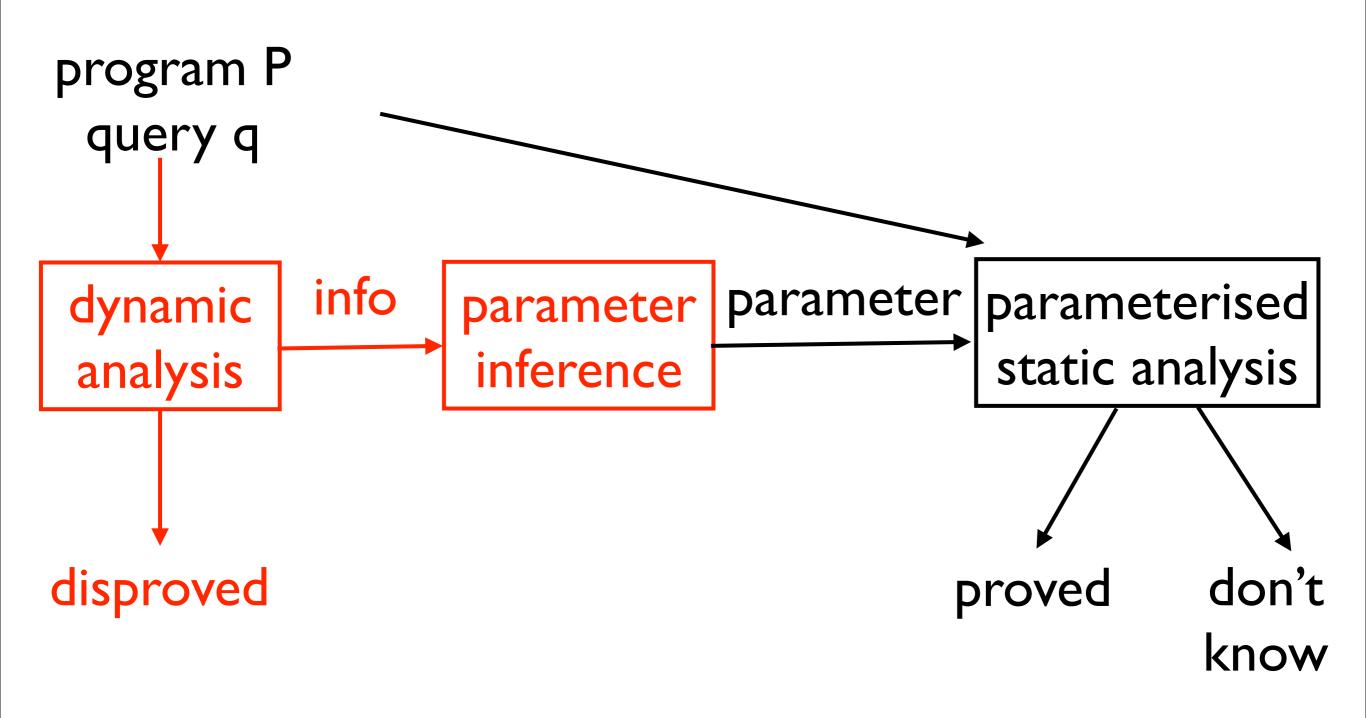
program P query q static analysis don't proved know

Our approach

program P query q

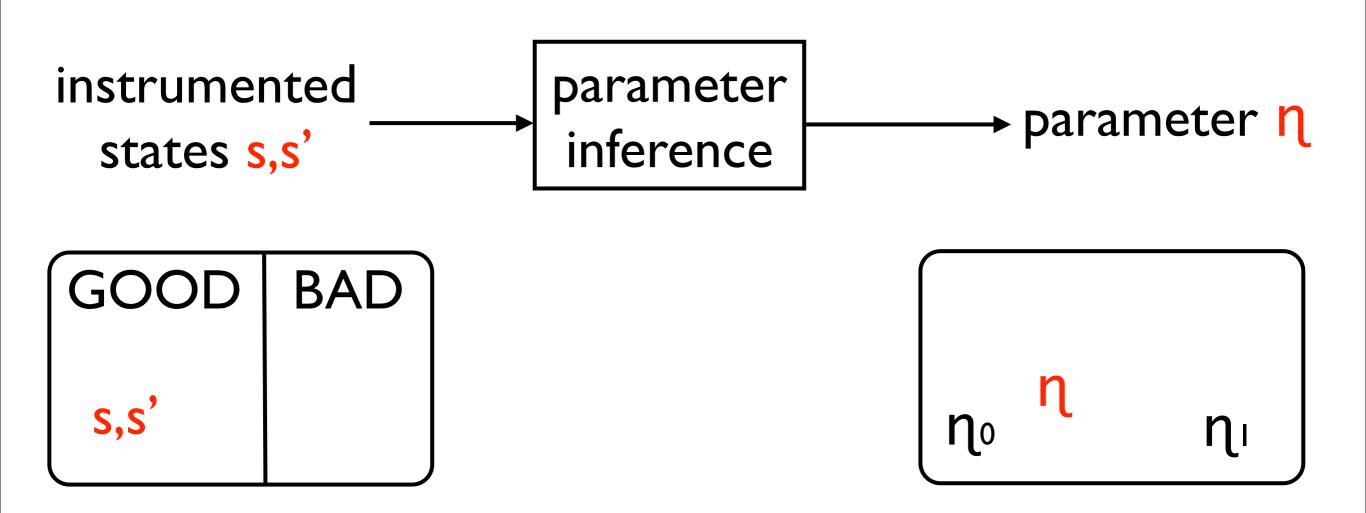


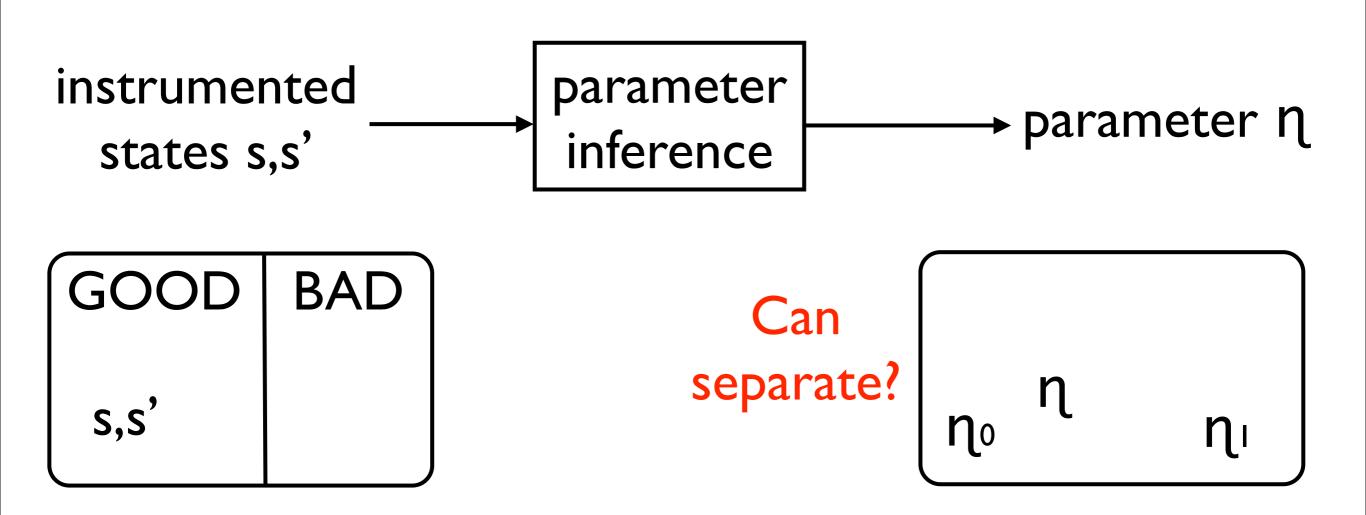
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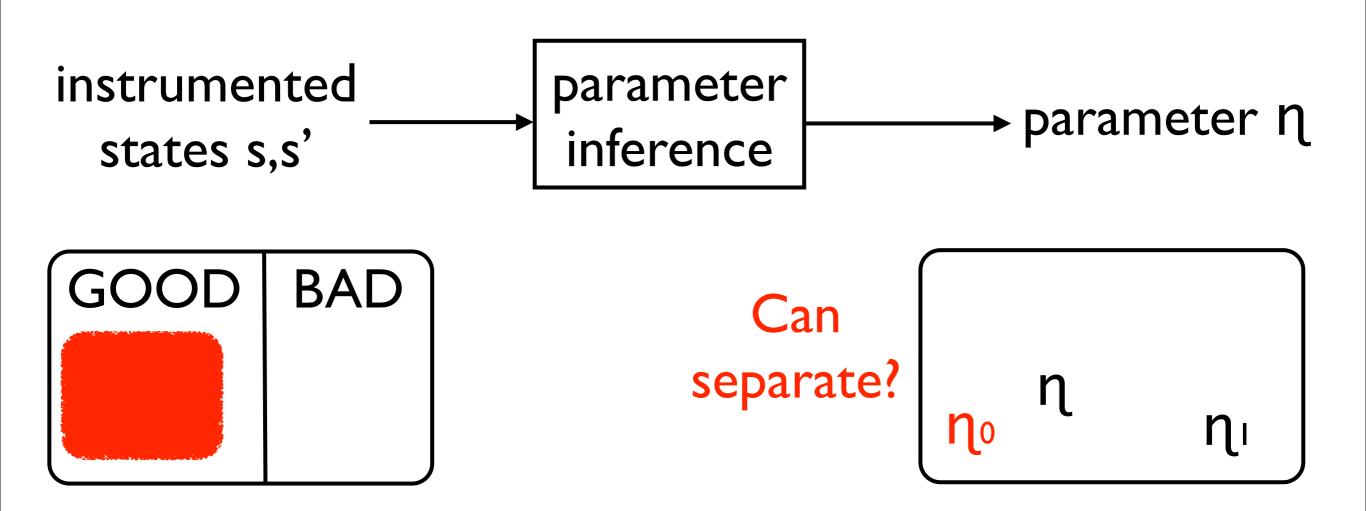


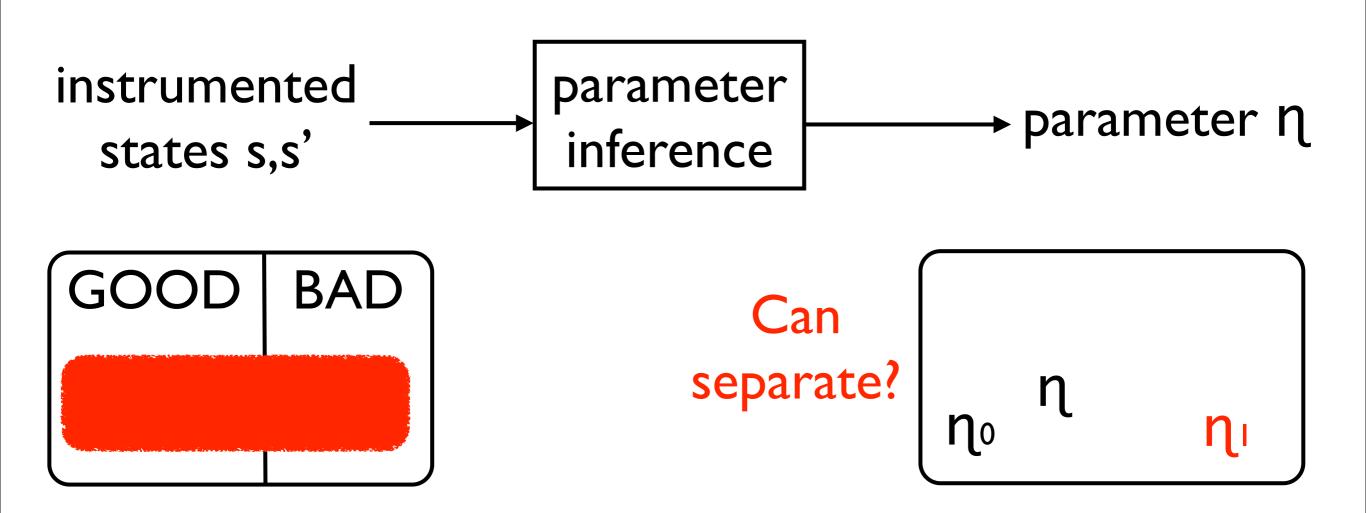
Hypothesis

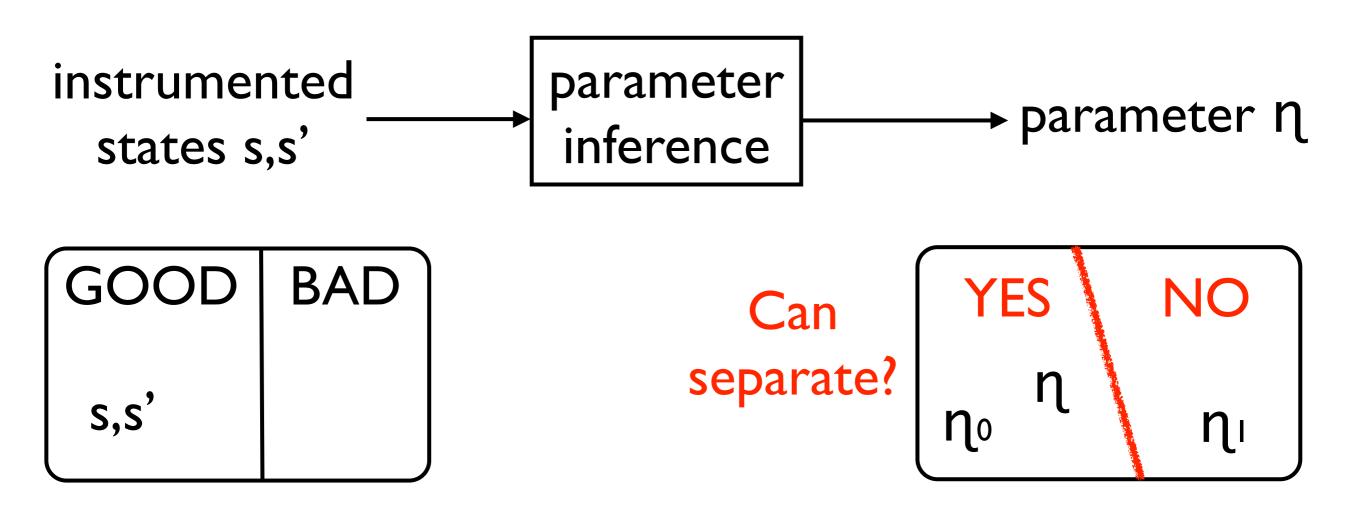
 If a query is simple, we can find why the query holds simply by looking at a few execution traces.



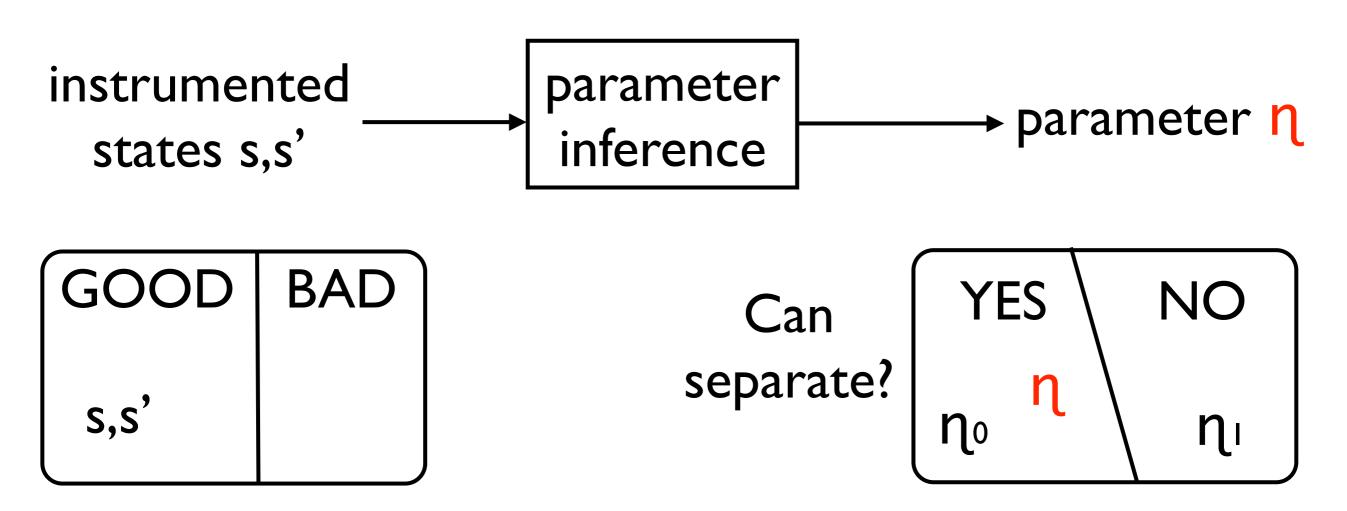








Computes a separability condition.



- Computes a separability condition.
- Among separable η_i 's, choose a minimal η according to an order (which approximately reflects precision).

```
for (i = 0; i < n; i++) {
   x0 = new h0;
   x1 = new h1; x1.f1 = x0;
   x2 = new h2; x2.f2 = x1;
   x3 = new h3; x3.f3 = x2;
   x0.start();
pc: x2.id = i; //local(x2)?
   x3.start();
}</pre>
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```
h0 ← x0
```

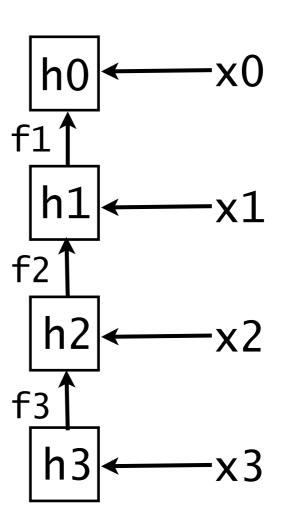
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```
\begin{array}{c|c} h0 & \longleftarrow x0 \\ \hline f1 & \longleftarrow x1 \\ \hline h1 & \longleftarrow x1 \\ \end{array}
```

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```
\begin{array}{c}
h0 \leftarrow x0 \\
f1 \uparrow \\
h1 \leftarrow x1 \\
f2 \uparrow \\
h2 \leftarrow x2
\end{array}
```

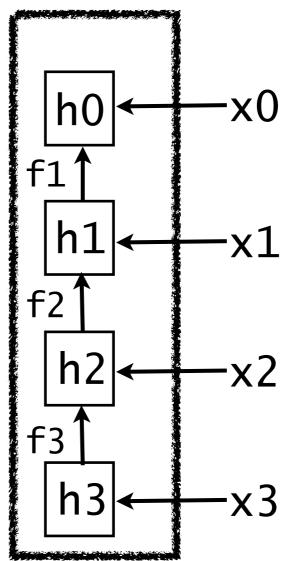
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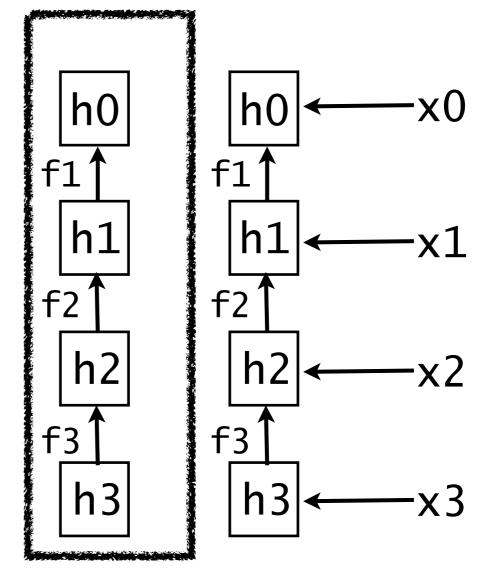
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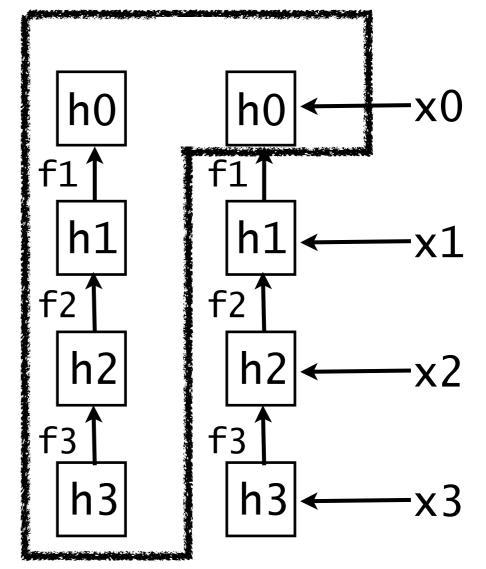
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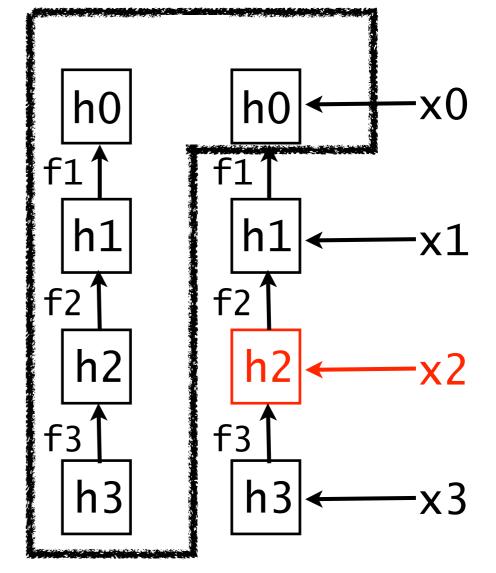
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```



- Summarise all heap objects with only two abstract nodes E and L.
- Y(E) consists of all the thread-escaping objects and possibly more.
- $\Upsilon(L)$ contains only thread-local objects.

Parameterisation

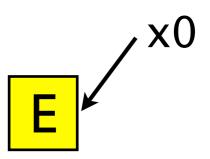
$$\mathsf{Param} = \mathsf{AllocSite} \to \{\mathtt{L}, \mathtt{E}\}$$

- For each allocation site, it decides whether L
 or E is used to summarise allocated objects.
- Changes the transfer function of "x=new hi".
- Objects summarised by L can move to E, but not vice versa.

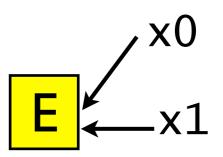
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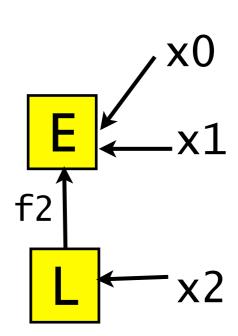
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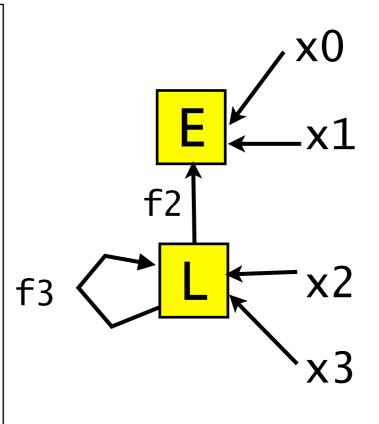
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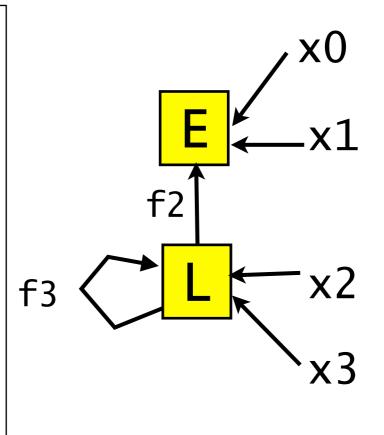
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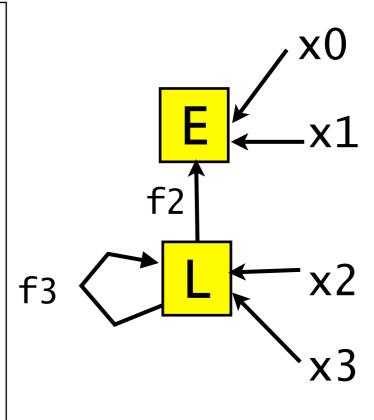
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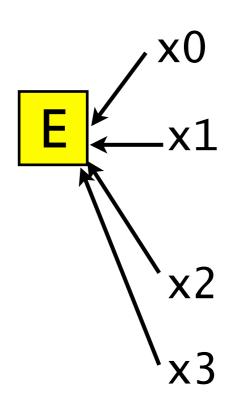
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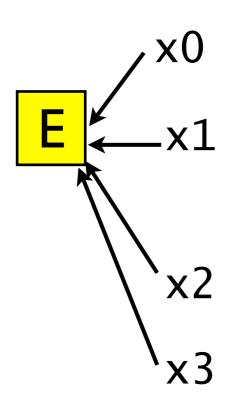
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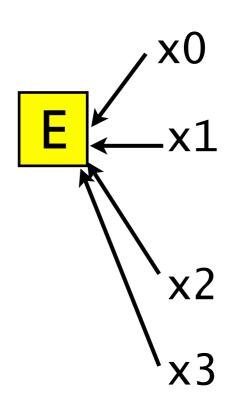
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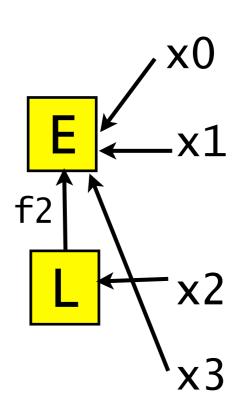
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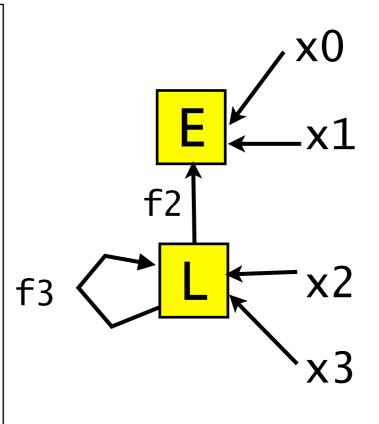
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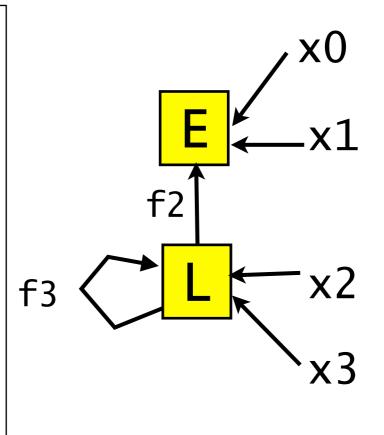
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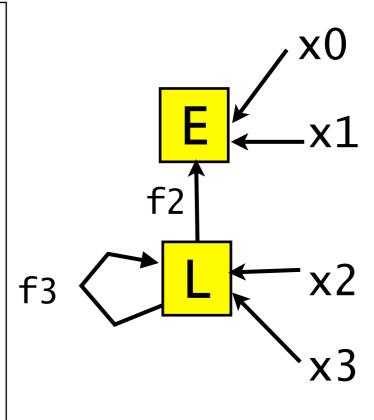
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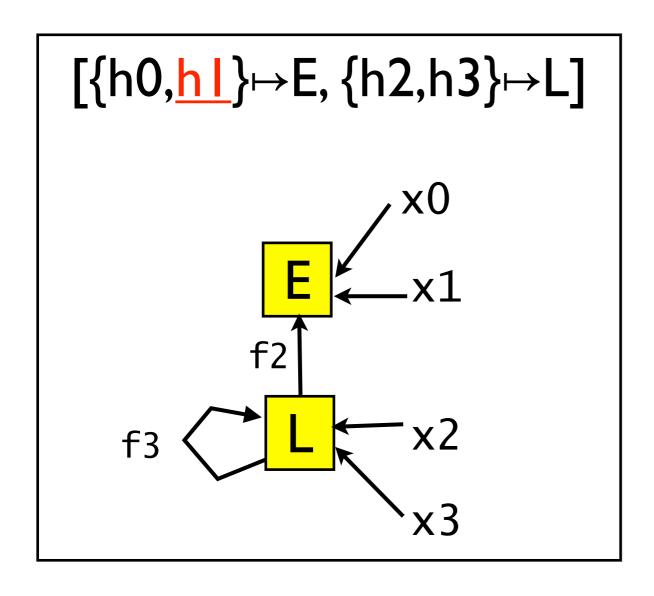


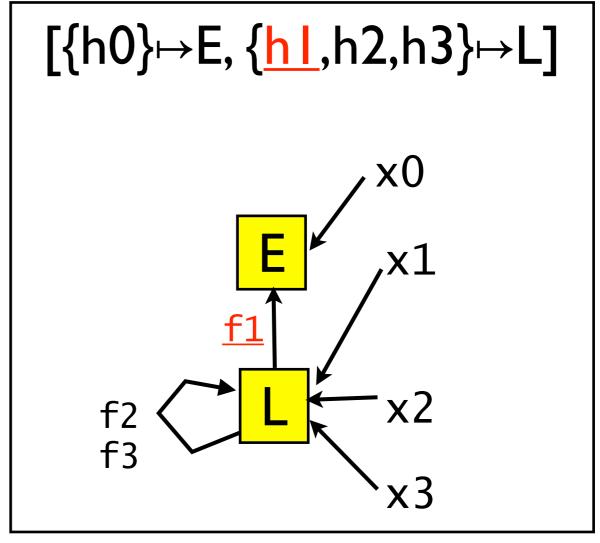
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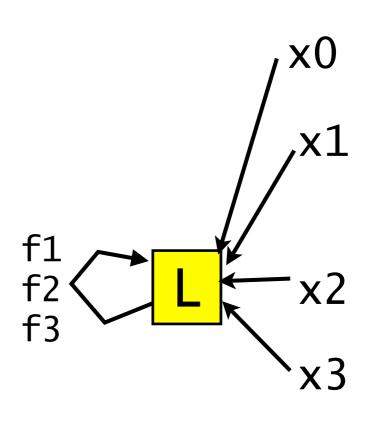
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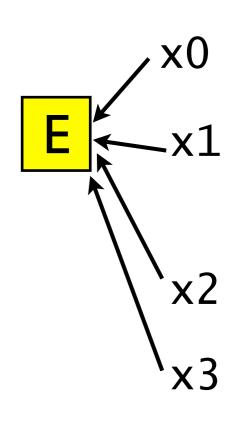
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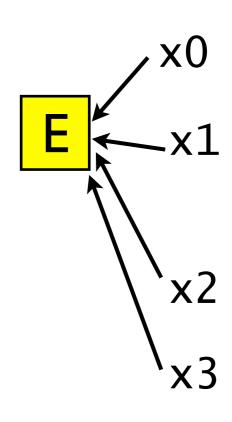
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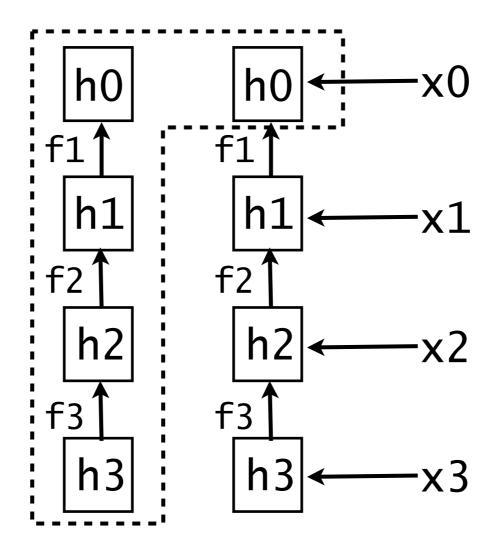


Separability question

```
d \begin{bmatrix} local(x2) & \neg local(x2) \\ s, s' \end{bmatrix}
```

- Does analysis(η) have an abstract element d separating {s, s'} from $\neg local(x2)$?
- We use a generic answer to this question during our parameter inference.

Separability from ¬local(x2)

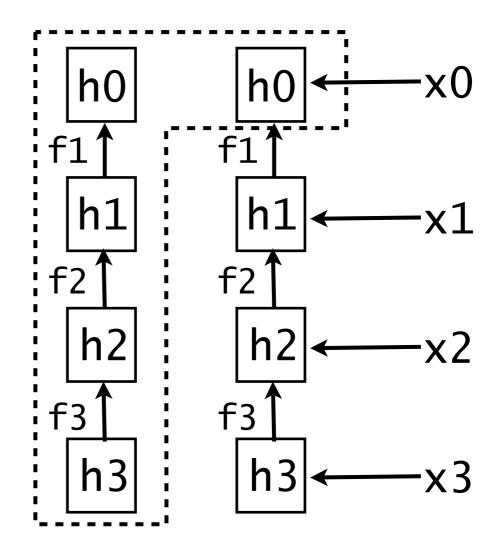


This state satisfies local(x2).

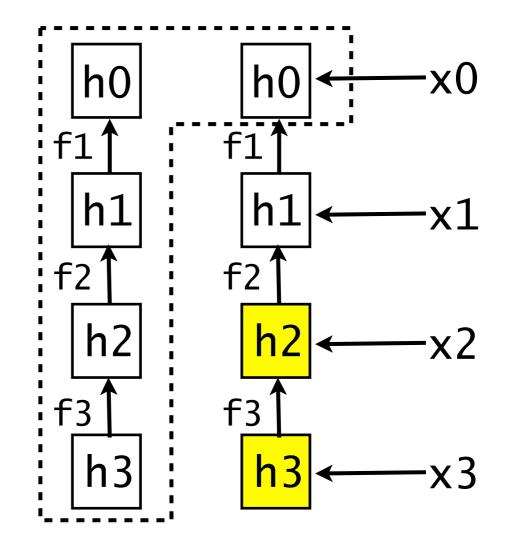
Separability from ¬local(x2)

- This state satisfies local(x2).
- Separated from $\neg local(x2)$ by analysis(η) iff $(\eta \circ allocSite \circ backReach)(x2) = {L}.$

 Testing gives states where local(x2) holds.

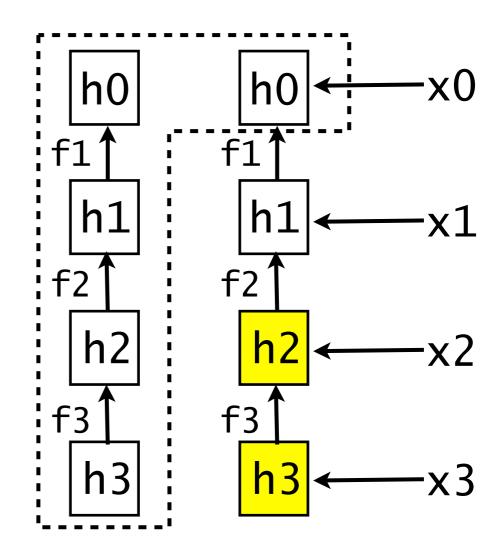


- Testing gives states where local(x2) holds.
- 2. Compute the alloc. sites H of objects that can reach x2.



$$H = \{h2, h3\}$$

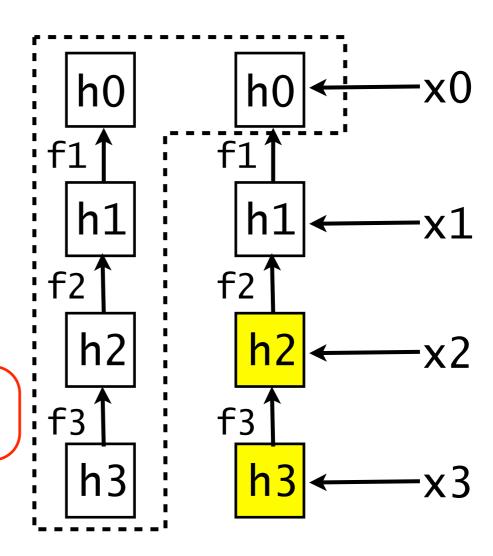
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- 3. $\eta(h) = L$, if h is in H; $\eta(h) = E$, otherwise.



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 $\eta = [\{h0, h1\} \mapsto E, \{h2, h3\} \mapsto L]$

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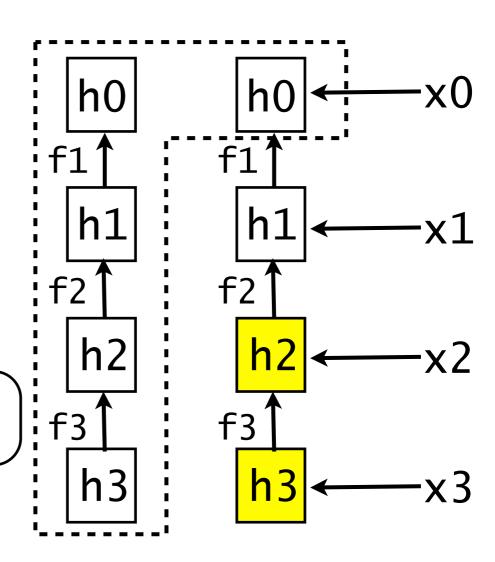
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minimality



$$H = \{h2, h3\}$$

 $\eta = [\{h0, h1\} \mapsto E, \{h2, h3\} \mapsto L]$

Does it work?

Setting of experiments

- 6 concurrent Java programs from Dacapo:
 - 161K 491K bytecode (including analysed JDK).
 - Up to 5K allocation sites per program.
- 47K queries, but only 17K(37%) reached during testing.
- Considered only these reachable queries.

6 Java prog. (161K-491K) up to 5K sites 17K queries info parameter | parameter ised dynamic parameter static analysis analysis inference don't disproved proved know

