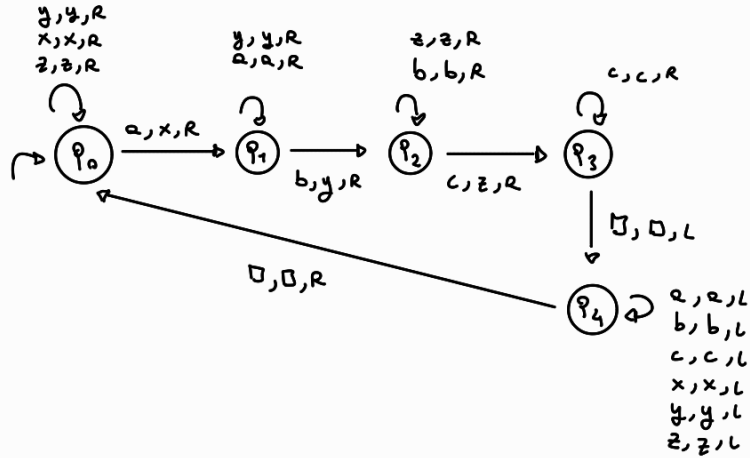


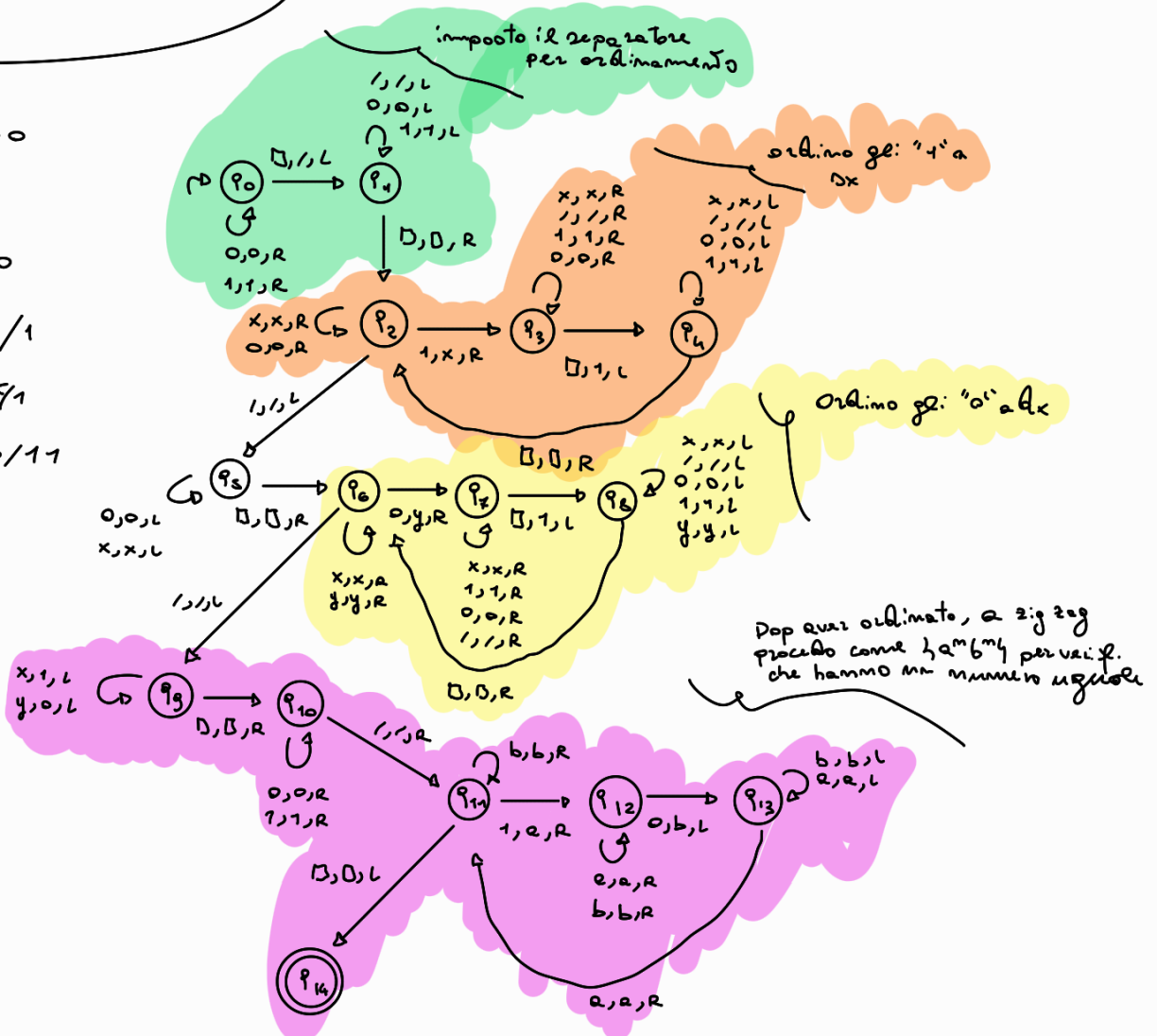
$2^m b^m c^m$

$q_0 a a a b b b c c c$   
 $x q_1 a a b b b c c c$   
 $x a q_1 a b b b c c c$   
 $x a a q_2 b b b c c c$   
 $x a a q_2 b b c c c$   
 $x a a y b q_2 b c c c$   
 $x a a y b b q_3 c c c$   
 $x a a y b b b q_3 c c$   
 $x a a y b b b z c q_3 c$   
 $x a a y b b b z c c q_3$   
 $\dots$   
 $q_0 x a a y b b b z c c$   
 $q_0 x a a y b b b z c c$   
 $x x q_1 a y b b b z c c$



$\{w \in \{0,1\}^* : \#_w(1) = \#_w(0)\}$

$q_0 101100$   
 $101100$   
 $x01100/1$   
 $x01100q_1$   
 $Dx0x100/11$



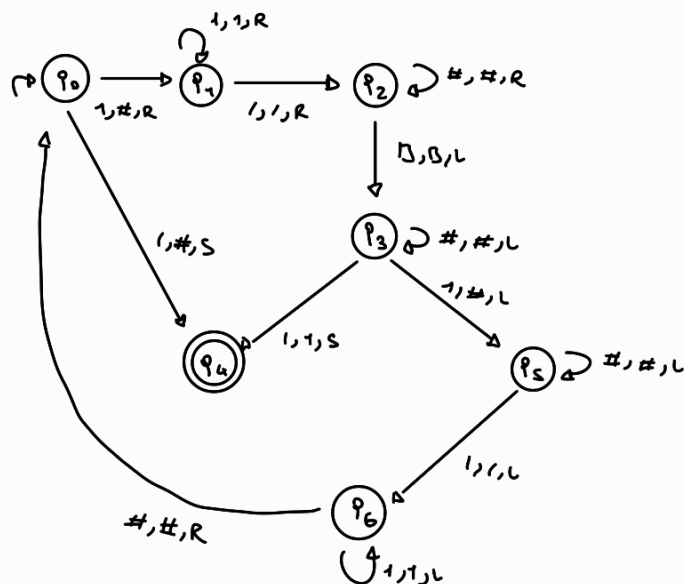
$$\varphi(x,y) = |x-y|$$

associou copiativa !! prima di  $q_0$

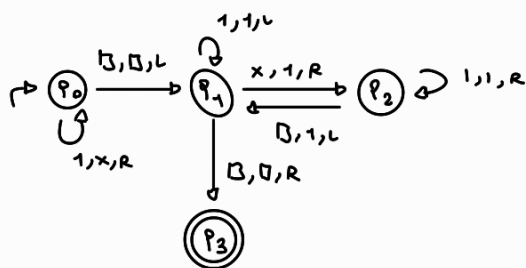
di grammare

associou  
copiativa

prima di  $q_0$   
va sotto !!!



$$\varphi(x) = 2x$$



$$L = \{a^m b^m : m > 0\}$$

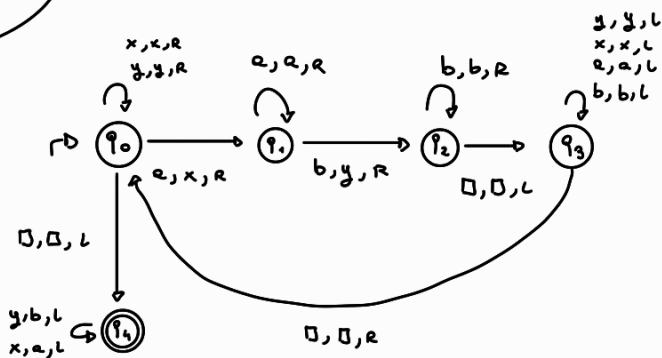
$\square q_0 a a a b b b \square$

$\square x q_1 a a b b b \square$

$\square x a q_1 a b b b \square$

$\square x a a q_1 b b b \square$

$\square x a a y b b \square$



$$f(x,y) = x - y$$

1 1 1 -  
1 1

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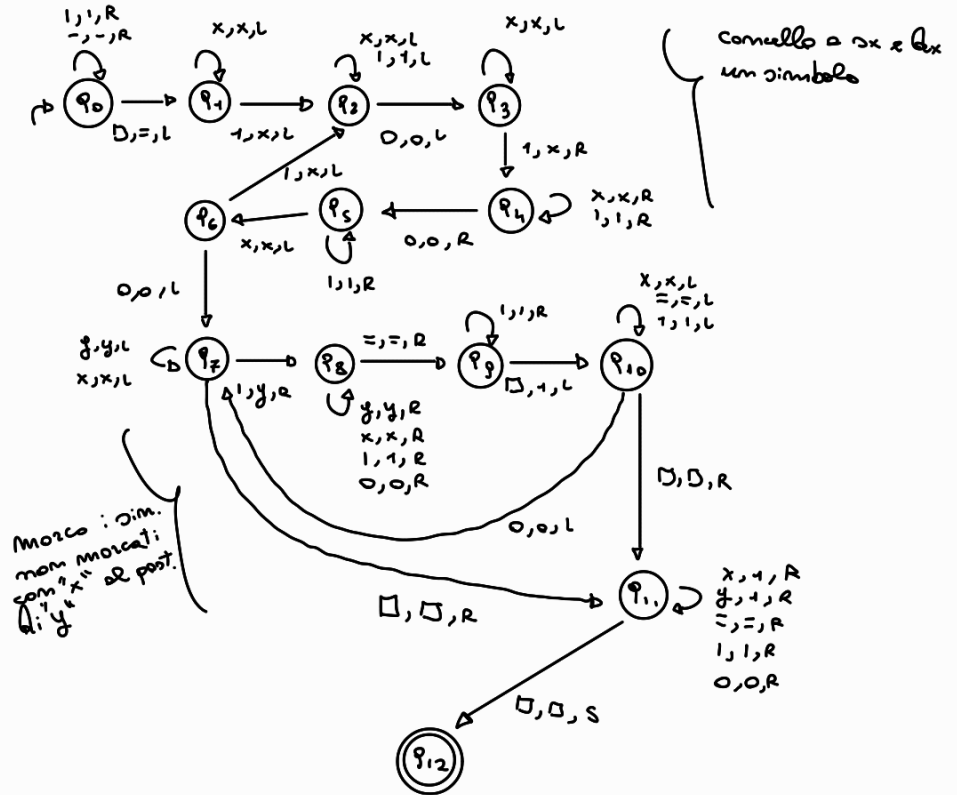
1 1 1 - 1 1  
↑

1 1 1 - 1 1  
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1 1 1 - 1 1  
↑

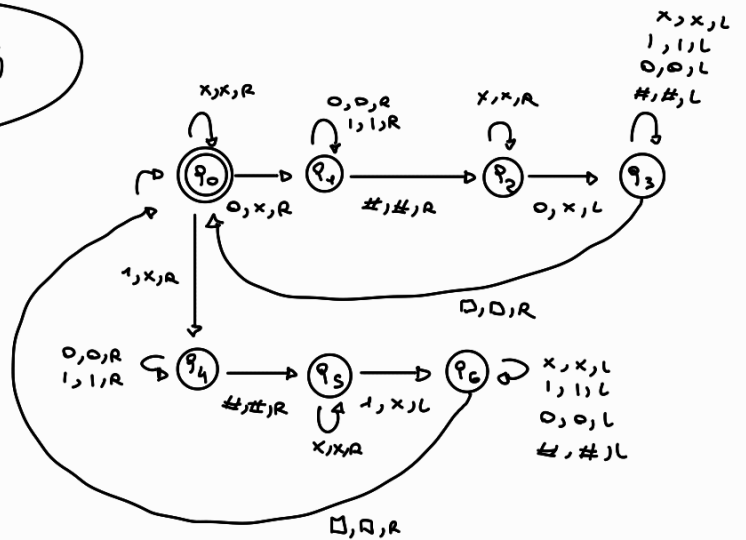
1 1 1 - 1 1  
↑

x 1 1 - x 1 =  
↑  
x 1 1 - x 1 =  
↑  
x 1 1 - x 1 =  
↑  
x 1 1 - x x =  
↑  
x 1 1 - x x =  
↑

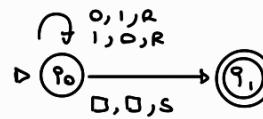


$$L = \{ w \# w : w \in \{0,1\}^* \}$$

q0 0 1 0 ≠ 0 1 0  
x q1 1 0 ≠ 0 1 0  
x 1 q1 0 ≠ 0 1 0  
x 1 0 q2 ≠ 0 1 0  
x 1 0 q3 ≠ x 1 0  
x 1 q2 0 ≠ x 1 0  
x q3 1 0 ≠ x 1 0  
q3 x 1 0 ≠ x 1 0

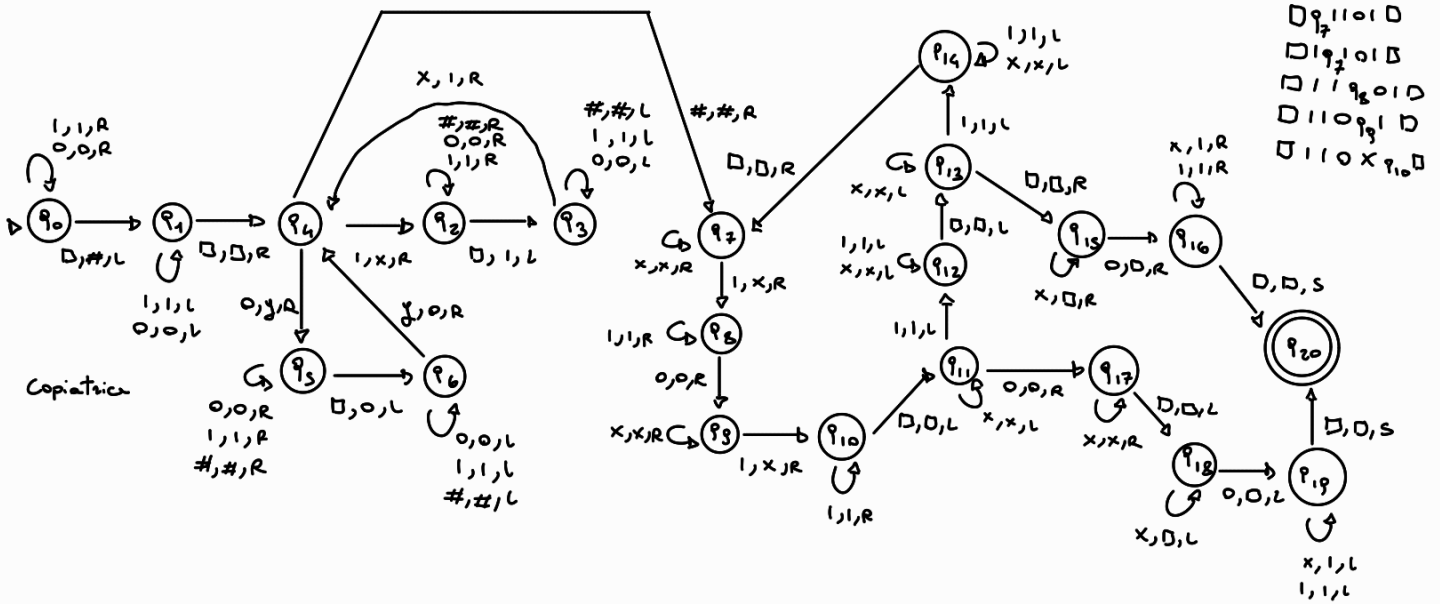


$L = \{ w \in \{0,1\}^* : \text{investire gr: 0 con gr: 1 e viceversa} \}$

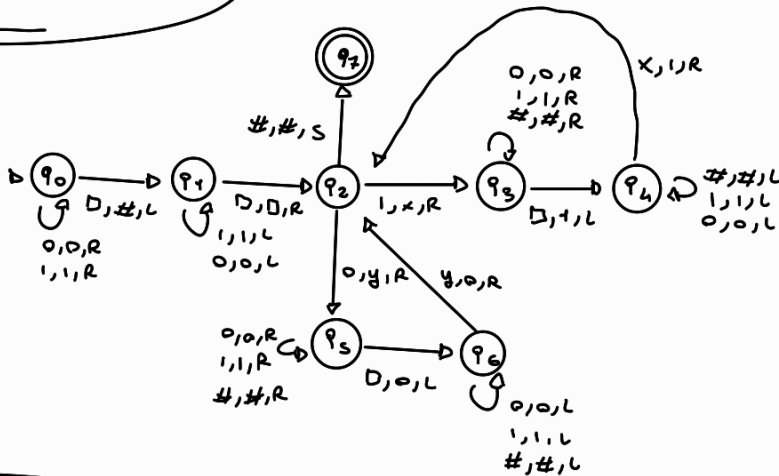


$$f(x,y) = \max\{x,y\}$$

Idea: Toglio un simbolo al primo x e uno al secondo y finché non termina uno dei due termini.

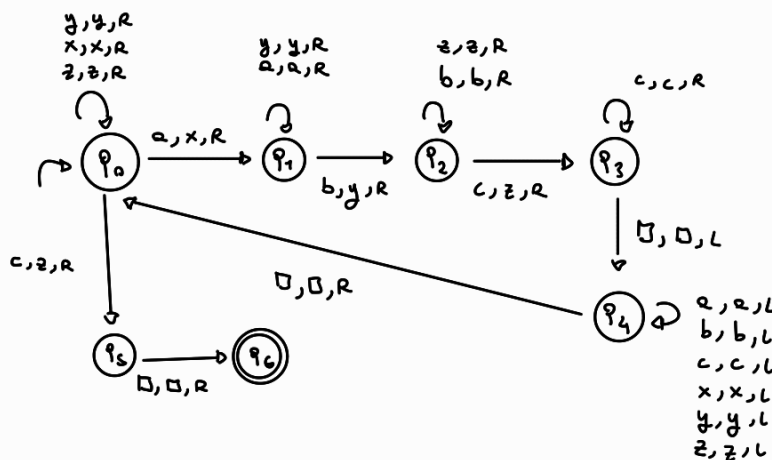


Copia: 1/2 / Bimoria



$L = \{ a^m b^m c^{m+1} : m > 0 \}$

Q = b b c c c



$$f(x,y) = \min\{x,y\}$$

for!

$$f(x,y) = x \cdot y$$

