

Analyzing LatentQGAN

A Hybrid Quantum-Classical GAN with Autoencoders

Vieloszynski, et al. *LatentQGAN: A Hybrid QGAN with Classical Convolutional Autoencoder*, 2024.

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Introduction

- generative models aim to learn the underlying data distribution and generate new, realistic samples
- applications include image synthesis, natural language processing, anomaly detection, and data augmentation
- GANs (Generative Adversarial Networks) use adversarial training between a generator and a discriminator to create high-quality synthetic data
- despite their success, GANs face challenges like unstable training, mode collapse, and high computational costs

Classical GANs

Background Concepts

- two adversarial models: a generator (G) synthesizes data, and a discriminator (D) distinguishes real from generated samples
- training as a **min-max optimization problem**, where both models iteratively improve by competing against each other

$$\min_{G} \max_{D} \mathcal{L}(D, G) = \mathbb{E}_{x \sim p_{data}(x)} [\log D(x)] + \mathbb{E}_{z \sim p_{z}(z)} [\log(1 - D(G(z))]$$

- training convergence to a theoretical equilibrium when the generator produces samples indistinguishable from real data, but in practice this is rarely achieved
- **training GANs is highly unstable** due to factors like discriminator dominance, mode collapse, and weak gradient signals for *G*
- **techniques to stabilize training** include label smoothing, avoiding zero-gradient operations, modifying loss functions, and using different optimizers for *D* and *G*

QuantumML based Approaches

Background Concepts

- approaches based on quantum mechanics, a theory that describes the behavior of particles
- quantum machine learning (QML) may offer significant advantages over classical approaches by leveraging the principles of quantum physics
- uses qubits, leveraging quantum mechanics' principles to perform computations beyond classical capabilities
- superposition: qubits can exist in multiple states simultaneously, enabling parallel processing and representiation of complex data distributions with few qubits
- entanglement: creates strong correlations between qubits, allowing non-classical interactions
- measurement causes quantum states collapse into classical values, making repeated sampling necessary for reliable results

QuantumML based Approaches

Background Concepts

- quantum computation enables encoding of high-dimensional data and fast sampling from probability distributions, crucial for QML
- quantum circuits are built with quantum gates to manipulate qubits
- challenges include qubit decoherence, gate errors, and connectivity constraints, limiting scalability and reliability of quantum hardware
- quantum error correction techniques use redundancy to mitigate errors
- the studied model, LatentQGAN, addresses these challenges by designing shallow quantum circuits to minimize the impact of hardware limitations

Similar Methods

Related Works

- GANs typically introduce autoencoders to compress data into a lowerdimensional latent space: an encoder extracts features, and a decoder reconstructs the original input
- classical LatentGAN integrates autoencoders into GANs, training the generator on latent representations instead of high-dimensional data, improving efficiency and reducing overfitting
- Q-PatchGAN is a hybrid quantum-classical model, using a quantum generator composed of multiple sub-circuits to generate image patches, but struggles with scalability and mode collapse
- MosaiQ incorporates PCA for dimensionality reduction, allowing a quantum generator to operate in a lower-dimensional space while a classical discriminator evaluates both real and generated data

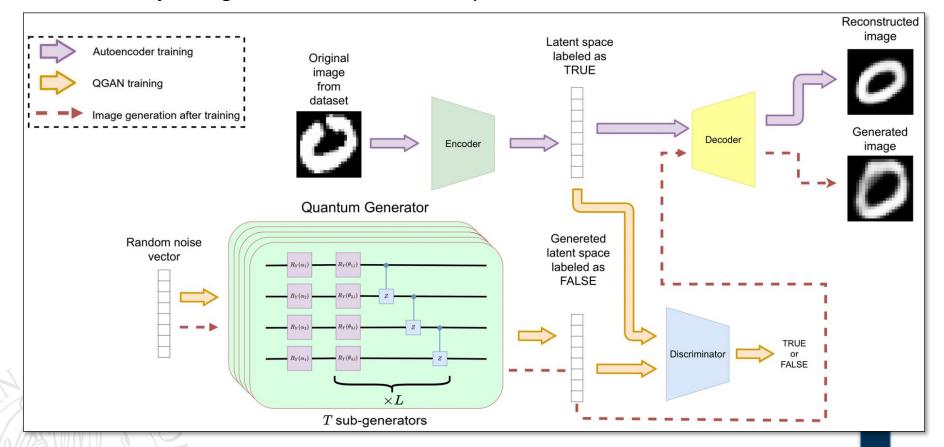


LatentQGAN

LatentQGAN Architecture

combines an autoencoder and hybrid q-GAN

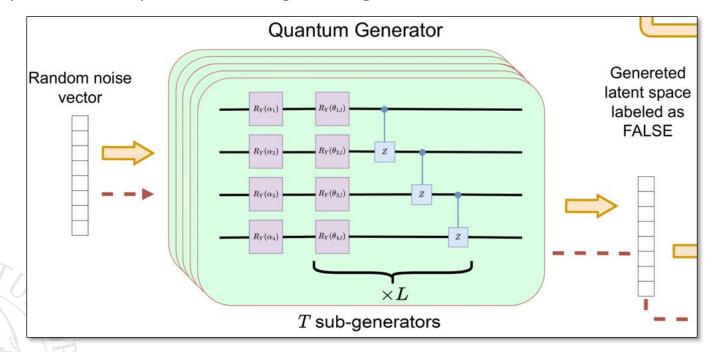
- autoencoder maps pixel-space with compressed latent-space
- q-GAN generates new latent samples



Q-GAN

LatentQGAN Architecture

- generator based on **Q-PatchGAN**: multiple identical quantum sub-circuits, each generating a portion of the latent representation
- generator applies rotation gates R_Y to encode input noise and parameterized layers with $R_Y(\theta)$ rotations and controlled-Z gates
- θ parameters optimized during training



Q-GAN

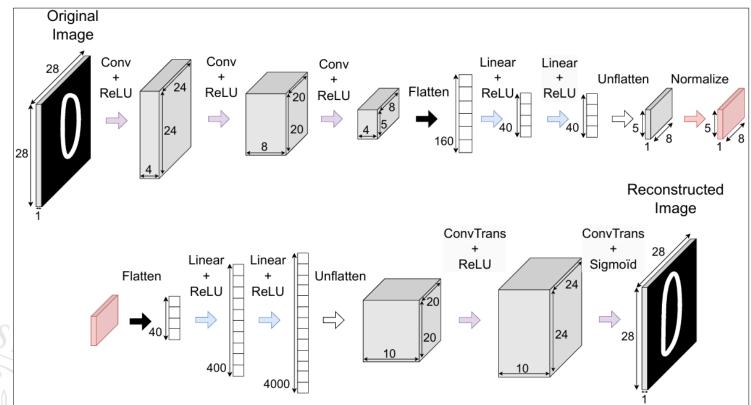
LatentQGAN Architecture

- **post-selection** in generator introduces non-linearity by keeping only results of measurement where *ancilla* qubit is $|0\rangle$
- final normalization step to ensures output represents a valid probability distribution
- classical discriminator as a set of fully-connected linear layers, evaluates latent representation of real and fake data
- new images generated with q-generator forward pass, and latent result mapped to pixel-space with decoder
- generator gradients computed with analytical method of parameter-shift rule, leveraging macroscopic parameter shifts (numerical differentiation and automatic differentiation are impractical for quantum circuits)

Autoencoder

LatentQGAN Architecture

- CNN-based encoder and decoder, extracts latent representation and reconstructs input images
- encoder applies per-line normalization, to be compatible with generator output



Experiment Settings

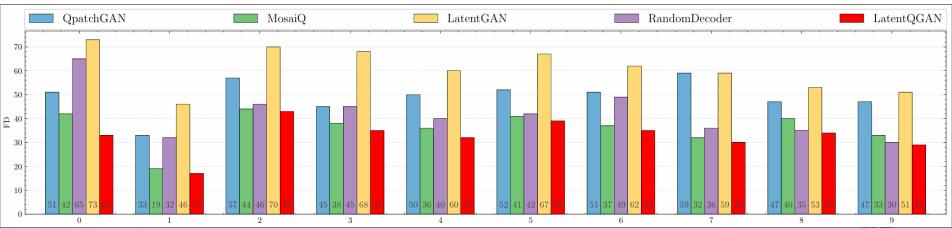
Tests

- tests on **simulators and real quantum computers**, 2048-shot experiments
- MNIST dataset: 28×28 grey-scale handwritten digits
- autoencoder compresses images into a (5×8) latent space
- q-generator with 5 sub-circuits, 4 qubits each, and 140 trainable parameters
- autoencoder trained first, minimizing MSE as reconstruction loss
- q-GAN trained using the SGD optimizer and BCE loss
- evaluation with **Fréchet Inception Distance** (FID): high-level full-reference metric, compares distributions of generated and real images
- LatentQGAN compared to both quantum (QPatchGAN and MosaiQ) and classical methods (LatentGAN and RandomDecoder)

Results

Tests

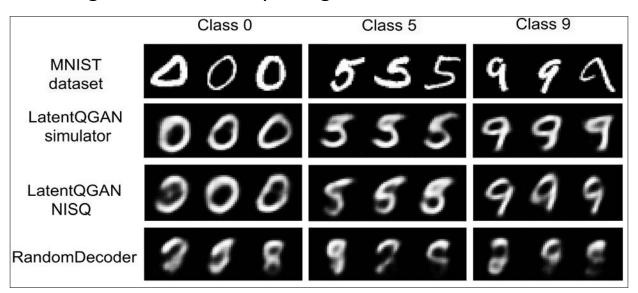
- LatentQGAN achieves best FID between 350 and 700 iterations
- it outperforms quantum methods like QPatchGAN and MosaiQ
- other QGAN models perform well in simulations but are impractical on current NISQ devices as they require significantly more parameters and iterations
- LatentQGAN outperforms classical LatentGAN with same number of parameters, emphasizing the advantages of the quantum generator



Results

Tests

- autoencoder is crucial but the generator ensures meaningful latent space representations: RandomDecoder fails without it
- results on real quantum hardware show **slightly lower FID due to noise**, but generated images remain visually recognizable



	Class 0	Class 5	Class 9
Quantum simulator	33	39	29
Quantum computer	38	43	34

Conclusions

LatentQGAN

- hybrid quantum-classical GAN: classical discriminator, quantum generator
- autoencoder to project to and from lower-dimensional space
- uses shallow quantum-circuits to allow efficient use of NISQ devices

Limitations

- quantum noise and hardware limitations could limit deployment beyond smallscale tests
- scalability to larger datasets (more complex, high-resolution) uncertain, especially given quantum hardware limitations

Future work

- explore extending LatentQGAN to a full quantum implementation
- application to other tasks, like time-series data processing and anomaly detection



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