

CMPUT 201: Practical Programming Methodology

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Lecture 3: Formatted Input/Output

Agenda:

- `printf()`
 - two most frequently used functions
 - need “`#include <stdio.h>`”
 - `printf(format string, expr1, expr2, ...);`
 - conversion specifications
- `scanf()`
 - most powerful in reading numbers
 - pattern-matching ability
 - inappropriate character push back to the input
 - has a return value
- How integers and floating-point numbers are stored

Reading:

- Textbook: Chapter 3

Formatted reading and writing:

- Warning: complete details later in the term
- Two most frequently used functions
 - `printf()` and `scanf()`
 - need “`#include <stdio.h>`”

`printf`:

- Display the contents of a string
 - a sequence of “characters/symbols” (mostly from your keyboard)

```
printf(string, expr1, expr2, ...);
```

- **format string**:
 - with values inserted at specified points
 - one value at a time
 - constants, variables, any complicated expressions or function return values
 - every value needs a **conversion specification**, beginning with “%”, which

internal form (binary) → printed form (characters)

printf:

- For example (Page 40),

```
/* Prints int and float values in various formats */

#include <stdio.h>

int main(void) {

    int i;
    float x;

    i = 40;
    x = 839.21f;

    printf("|%d|%5d|%-5d|%5.3d|\n", i, i, i, i);
    printf("|%f|%10.3f|%10.3e|%-10g|\n", x, x, x, x);

    return 0;
}
```

- Output:

```
ghlin@ug10:~/CMPUT201_19F>gcc -Wall tprintf.c -o test
ghlin@ug10:~/CMPUT201_19F>./test
|40|    40|40    |   040|
|839.210022|    839.210| 8.392e+02|839.21    |
```

Conversion specifications:

- `%m.pX` or `%-m.pX` (**be fearless to try out!**)
 - `m` is an integer constant (optional): minimum field width
 - `-` for left justification
 - `p` is an integer constant (optional, if omitted, so is the period): precision
 - `X` is a letter (required)
 - * `d`: based 10 integer (`p`: minimum number of digits)
 - * `e`: floating-point in exponential format (`p`: number of digits after decimal point)
 - * `f`: floating-point without an exponent (`p`: number of digits after decimal point)
 - * `g`: floating-point in either format (`p`: maximum number of significant digits)

```
printf("|%d|%5d|%-5d|%5.3d|\n", i, i, i, i);      /* i = 40;      */
printf("|%f|%10.3f|%10.3e|%-10g|\n", x, x, x, x); /* x = 839.21f; */
```

```
ghlin@ug10:~/CMPUT201_19F>./test
```

```
|40|    40|40    |   040|
|839.210022|    839.210| 8.392e+02|839.21    |
```

Escape sequences, beginning with “\”:

- Special characters
 - reserved symbols such as " (using \")
 - non-printing characters such as “horizontal tab” (using \t)
 - for now, we have

alert (bell):	\a
backspace:	\b
new line:	\n
horizontal tab:	\t
":	\"
\:	\\
%	%%

- For example,

```
printf("\nHello!\n");
```

- Produces:

```
"Hello!"
```

`scanf`:

- Reads input according to a particular format (into variables)

```
scanf(string, &var1, &var2, ...);
```

- **format string** — essentially the same as those used with `printf`
 - but often contains only conversion specifications, which printed form (characters) → internal form (binary)
- Usually, `&` precedes each variable
 - it means the “memory unit address” of the variable
missing it → program crash!
- That is, more precisely,

```
scanf(string, memory_address1, memory_address2, ...);
```


How scanf works:

- Sequentially, for each conversion specification
 - locate an item of the appropriate type
 - skip blank space if necessary
 - stop at an inappropriate character (can't belong to the item)
 - **put this last character back to the input!**
- if (successful)
 - continue processing the format string
- else
 - return immediately
 - the return value is “the number of values successfully read in”
- **Good practice: always check the return value!**

Return value of scanf:

- For example,

```
/* Converts a Fahrenheit temperature to Celsius */

#include <stdio.h>

#define FREEZING_PT 32.0f
#define SCALE_FACTOR (5.0f / 9.0f)

int main(void) {

    float fahrenheit, celsius;

    for (;;) {
        printf("Enter Fahrenheit temperature (non-number to quit): ");
        if (scanf("%f", &fahrenheit) == 1) {
            celsius = (fahrenheit - FREEZING_PT) * SCALE_FACTOR;

            printf("Celsius equivalent: %.1f\n", celsius);
        }
        else break;
    }

    return 0;
}
```

How `scanf` recognizes an integer or a floating-point number:

- For integer:
 - (ignoring white space characters) search for a plus sign, or a minus sign, or a digit
 - then continue reading digits until reaching a non-digit
- For floating point number:
 - (ignoring white space characters) search for a plus sign, or a minus sign
 - then a series of digits possibly containing a decimal point
 - lastly a possible exponent: `e/E` + an optional sign + digits
- For example,

```
scanf("%d%d%f%f", &i, &j, &x, &y);
```

- input: `"1 -20 .3 -4.0e3"`
- input: `"1\n -20 \t.3 -4.0e3"`
- input: `"1-20.3-4.0e3"`

How `scanf` works — cares:

- White-space characters
 - essentially, non-symmetric matching :-P

- Other characters, for example,

```
scanf("%d/%d", &i, &j);
```

- input: “5/_ 9” (correct: / matches with /)
- input: “5_ /9” (incorrect: _ mismatches with /)

- You try out

```
scanf("%d\n", &i);
```

- For example of `scanf`’s pattern-matching ability (Page 46–47)

– math: $\frac{a}{b} + \frac{c}{d} = \frac{a \times d + c \times b}{b \times d}$

– our C program: `a/b + c/d = (a * d + c * b)/(b * d)`

scanf's pattern-matching ability:

```
/* Adds two fractions */

#include <stdio.h>

int main(void) {

    int num1, denom1, num2, denom2, result_num, result_denom;

    printf("Enter first fraction: ");
    scanf("%d/%d", &num1, &denom1);

    printf("Enter second fraction: ");
    scanf("%d/%d", &num2, &denom2);

    result_num = num1 * denom2 + num2 * denom1;
    result_denom = denom1 * denom2;
    printf("The sum is %d/%d\n", result_num, result_denom);

    return 0;
}
```

- ghlin@ug10:~/CMPUT201_19F/Week02>gcc -Wall addfrac.c -o test
ghlin@ug10:~/CMPUT201_19F/Week02>./test
Enter first fraction: 5/6
Enter second fraction: 3/4
The sum is 38/24

The integer types (Pages 125–128):

- `int` is “signed” 32-bits long binary representation
- The leftmost is the sign bit: 0 for non-negative
 - given an integer say 1,000 in decimal
 - convert it into base-2 (binary): $100\ 00000000 - 11000 = 11\ 11101000$
 - left filled with 0's: $0\ 0000000\ 00000000\ 00000011\ 11101000$
- The largest is $2^{31} - 1 = 2,147,483,647$
- Overflow?

The floating types (Pages 132–133):

- You may online “the IEEE standard 754”: https://en.wikipedia.org/wiki/IEEE_754
- float is “signed” 32-bits long binary representation
- The leftmost is the sign bit: 0 for non-negative
- The next 8 bits are exponent e : 00000001 – 11111110
 - in decimal, e ranges from 1 to $2^8 - 2 = 254$, shifted to be from -126 to 127
 - the real exponent = the stored value -127
- The rest 23 bits for fraction (the binary after 1.)
 - given a floating point number say 5.25
 - convert it into base-2 (**binary exponential form**): $101.01 = 1.0101 \times 2^2$
 - exponent is 2 and fraction is 0101
 - stored exponent value is $127 + 2 = 129$, or $01111111 + 10 = 10000001$
 - stored fraction (right filled with 0's): 0101000 00000000 00000000
 - as a whole: 0 10000001 0101000 00000000 00000000
- The largest is 3.40282×10^{38} with 6-digit precision (why?)

Agenda:

- Arithmetic operators
 - +, -, *, /, %
 - implicit/explicit type conversion
 - precedence, associativity
- Assignment operators
 - =, +=
 - lvalue has a memory storage
 - side effect
- Increment/decrement operators
 - ++, --
- Evaluation
- Expression statements

Reading:

- Textbook: Chapter 4

Expressions:

- Formulas
 - how to compute a value
 - e.g., “celsius”, “(fahrenheit - FREEZING_PT) * SCALE_FACTOR”
 - *recursive definitions* (operands/expressions) using operators
 - : constants, variables
- Operators
 - arithmetic: +, -, *, /, %
 - relational: >, <, >=, <=, ==
 - logical: !, &&, ||
 - ...

Arithmetic operators:

- Unary (requires one operand): $+$, $-$
 - does nothing :-)
 - e.g., `i = +1; /* i has value positive 1 */`
- Binary (requires two operands): $+$, $-$, $*$, $/$, $\%$ (remainder)
 - $/$: result type-dependent
 - e.g., `1 / 2; /* 1 / 2 has value 0 */`
 - e.g., `1.0 / 2; /* 1.0 / 2 has value 0.5 */`
 - negative operands in $/$, $\%$ — tricky results (fearless testing)
 - (always) check for zero-divisor
- Precedence
 - $\{\text{unary } +, -\} \prec \{*, /, \%\} \prec \{\text{binary } +, -\}$
 - use of parentheses
- Associativity
 - left: $*$, $/$, $\%$, binary $+$, binary $-$
 - right: unary $+$, unary $-$

Assignment operators:

- Simple operator =:
 - left operand has value of the right operand
 - e.g., `v = e; /* variable v has value e */`
 - type conversion applies when `v` and `e` have different types
- Assignment is an operator
 - e.g., `int variable i = 72.99f; /* variable i has value 72 */`
 - the value “`i = 72.99f`” (called **side effect**) is 72 (not 72.99)
- Assignment is right associative
 - “`i = j = k = 72;`” is the same as “`i = (j = (k = 72));`”
 - by **side effect**,
`/* assign 72 to k, then to j, then to i */`
- An lvalue (L-value) is an object stored in memory
 - left operand must be an lvalue (“`72.99 = i;`”? **wrong!**)
(this logically makes sense, agree?)

Compound assignment:

- Use the old value of a variable to compute its new value:
 - e.g., `i = i + 2; /* increase the value of i by 2 */`
 - simplified as `i += 2;`
 - reads “adds 2 to i, storing the result in i”
- Operators: `+=`, `-=`, `*=`, `/=`, `%=`
 - precedence lower than {binary `+`, `-`}
 - what does it mean by “`i *= j + k;`”
 - they are (as assignments) right associative
 - e.g., “`i += j += k;`” is the same as “`i += (j += k);`”

In-/de-crement operators:

- Very often, a variable is “incrementing”
 - i.e., adding 1; e.g.,
 - `i = i + 1;`
 - `i += 1;`
 - `i++;`
- Operators: `++` and `--`
 - postfix: `i++;` — (use `i` value then) increment `i`
 - prefix: `++i;` — increment `i` (then use `i` value)
 - at the end, both versions increment `i`
 - side effects

```
i = 1;
j = 2;
printf("i is %d\n", i);
printf("j is %d\n\n", j);
k = ++i + j++;
printf("i is %d\n", i);
printf("j is %d\n", j);
printf("k = ++i + j++ is %d\n\n", k);
```

Expression evaluation:

- Precedence:

$\{\text{postfix } ++, --\} \prec \{\text{prefix } ++, --, \text{unary } +, -\} \prec \{*, /, \%\} \prec \{\text{binary } +, -\} \prec \{\text{assignments}\}$

- Side effects
- Break down multiple in-/de-crements
- Break down chain assignments
- Use parentheses
- Undefined behaviors, e.g.

```
i = 5;  
k = (j = i++) + (i = 1);
```

Expression statements:

- Any expression can be a statement
 - does not need to have an lvalue
 - e.g., `i++`;
 - e.g., `(j = i++) + (k = 5)`;
(the ending sum is calculated, then discarded)
- Useful only if side effects
 - e.g., `j * i + k + 1`;
have no point doing so :-)

Lecture 5: Assignment #1

Agenda:

- Explanation on Assignment #1
 - concepts: sequence, subsequence, common subsequence
 - goal is to compute an LCS
 - technique: dynamic programming
- Assignment #1 specifications
 - read in an instance and validate
 - print to `stdout`
 - compute an LCS
- Programming with me (no sample code will be posted)

Reading:

- Textbook: Chapters 1–4

Basic concepts

- Alphabet Σ — a set of distinct symbols (called *bases, letters, characters*)
 - English alphabet
 - DNA alphabet $\{A, C, G, T\}$
 - digit alphabet $\Sigma = \{0, 1, 2, \dots, 9\}$
- *Strings* over Σ (recursive definition)
 - every $x \in \Sigma$ is a string
 - for x, y being strings, xy is a string
 - ϵ is the empty string
 - Σ^* — the set of all strings over Σ
- A string is also called a *sequence*
- *Length* of a string/sequence S is the number of symbols in the string/sequence
- Subsequence (concatenate selected members in the original order)
- Common subsequences of two given sequences
 - the *Longest Common Subsequence* (LCS) problem

Longest common subsequence (LCS) problem:

- Problem description:
 - Input: two sequences X and Y over an alphabet Σ
 - Goal: an LCS T of X and Y
 - e.g., $X = 123456$ and $Y = 2143563$ are two sequences, and an LCS is $T = 2356$
- Questions:
 - Is T a subsequence of both X and Y ?
 $2356 = \cancel{1}23\cancel{4}56$
 $2356 = 2\cancel{1}\cancel{4}356\cancel{3}$
 - Is T the longest?
 - How is T obtained?
 - How long does it take to obtain T ?

A simpler problem:

- A sequence of coins (1, 5, 10, 25 cents)
- For any (position-wise) consecutive/adjacent two coins, you cannot pick both
- Under this only constraint, try to pick coins to maximize your total gain
- For example, 10, 5, 5, 1, 1, 5, 1, 1, 5, 10, 25, 25, **10**, 10
 - ask: what is the previous best choice with the blue **10** being picked?
say choice₁
 - also ask: what is the previous best choice with the blue **10** not picked?
say choice₂
 - choice₂ + 10 is the best total with the bold **10** being picked
 - max{choice₁, choice₂} is the best total with the bold **10** not picked

	10	5	5	1	1	5	1	1	5	10	25	25	10	10
✓ total	10	5	15	11	16									
× total	0	10	10	15	15									

Optimal substructure:

- Let $X = x_1x_2 \dots x_n$, $Y = y_1y_2 \dots y_m$
 - If x_n is NOT in the LCS T (to be computed), then
 T is an LCS of $x_1x_2 \dots x_{n-1}$ and $y_1y_2 \dots y_m \dots$
 - Similarly, if y_m is NOT in the LCS T (to be computed), then
 T is an LCS of $x_1x_2 \dots x_n$ and $y_1y_2 \dots y_{m-1} \dots$
 - If x_n and y_m are both in the LCS T (to be computed), then
 $x_n = y_m$ and it MUST be the last letter in T !

So, we need to compute an LCS of $x_1x_2 \dots x_{n-1}$ and $y_1y_2 \dots y_{m-1}$;
and then adding x_n to the end to form the LCS T for the original problem
- Three possibilities, we should go with the **longest** one
- Instead of recording the three LCSes, we switch to record their **lengths**

An algorithm:

- Let $DP[n, m]$ to denote the length of an LCS of $x_1x_2 \dots x_n$ and $y_1y_2 \dots y_m$
- We have a recurrence:

$$DP[n, m] = \max \begin{cases} DP[n-1, m], \\ DP[n, m-1], \\ DP[n-1, m-1] + 1, \end{cases} \quad \text{if } x_n = y_m$$

where $DP[i, j]$ denotes the length of an LCS of $x_1x_2 \dots x_i$ and $y_1y_2 \dots y_j$

- Or the general recurrence is:

$$DP[i, j] = \max \begin{cases} DP[i-1, j], \\ DP[i, j-1], \\ DP[i-1, j-1] + 1, \end{cases} \quad \text{if } x_i = y_j$$

for $0 < i \leq n$ and $0 < j \leq m$

- Correctness

Proof.

Do we really have an algorithm yet?

- How do we compute $DP[n, m]$?
- Solving the recurrence:
 - Simple recursion running time: $\Omega(3^{\min\{n, m\}})$
 - Memoization: $\Theta(n \times m)$
 - Dynamic programming:

Key idea: when computing $DP[i, j]$, the three DP entries must have been computed!

Equivalently speaking, a careful planned tabular computation!

• e.g.,

		2	1	4	3	5	6	3
	0	0	0	0	0	0	0	0
1	0							
2	0							
3	0							
4	0							
5	0						↘	↓
6	0						→	?

The LCS problem — summary:

- Correctness
- Can return an associated LCS ... trace back (how?)

e.g.,

		2	1	4	3	5	6	3
	0	0	0	0	0	0	0	0
1	0							
2	0							
3	0							
4	0							
5	0							
6	0							

- Running time: $\Theta(n \times m)$
There are $n \times m$ entries each takes constant time to compute.
- Space requirement ... $\Theta(n \times m)$

Can be reduced to $\Theta(\min\{n, m\})!$

- Applications:
 - Bioinformatics
 - Cheating detection

Redirection:

- Input redirection:

```
>myprogram < sequences.txt
```

- Output redirection:

```
>myprogram < sequences.txt > output.txt
```


Lecture 6: Selection Statements

Agenda:

- Logical expressions
 - logical/boolean type: `true` or `false` (`<stdbool.h>`)
 - operators: relational, equality, logical
- The `if` statement
 - cascaded form:

```
if ( expression ) {
    statements
}
else if ( expression ) {
    statements
}
else {
    statements
}
```
 - conditional expression:
`expr1 ? expr2 : expr3`
 - `switch` statement

Reading:

- Textbook: Chapter 5