

# Project 1

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Here is the pseudo code and step counting for the two algorithms:

## Left-To-Right:

```
def left_to_right(disks):
    n = disks.length // 2
    loop n times:
        for i in indices of disks - 1:
            if curr is 'X' and next is '0':
                swap them
    return disks
```

## Left-To-Right:

```
def left_to_right(disks):
    n = disks.length // 2
    loop n times:
        for i in indices of disks - 1:
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    return disks
```

$1 + n(2n(2))$   
 $= 4n^2 + 1 \approx n^2$

$+1$   
 $\cdot n$   
 $\cdot 2n$   
 $+1$   
 $+1$

## Lawnmower

```
def lawnmower(disks):
    n = disks.length // 2
    loop n times:
        if even pass, meaning going left to right:
            for i in indices of disks - 1:
                if curr is 'X' and next is '0':
                    swap them
```

```

else, meaning going right to left:
    for i in indices of disks, going backwards:
        if curr is '0' and behind is 'X':
            swap them
return disks

```

## Lawnmower

```

def lawnmower(disks):
    n = disks.length // 2 + 1
    loop n times:
        if even pass, meaning going left to right:
            for i in indices of disks - 1:
                if curr is 'X' and next is '0':
                    swap them
            else, meaning going right to left:
                for i in indices of disks, going backwards:
                    if curr is '0' and behind is 'X':
                        swap them
    return disks

```

$$1 + n(2n(2)) = 4n^2 + 1 = 4n^2 = n^2$$



same time

The final step count for both of the algorithms is  $4n^2$ , so the time complexity for both is  $O(n^2)$ .