## Lab3

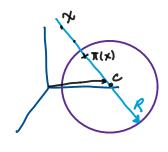
Saturday, March 12, 2022 8:15 PM

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Krelab

34 computing orthogonal projection of  $\underline{x}$  onto O (abstacle)

1. Spherical O:  $n \in \mathbb{R}^3$   $O = \{ x \in \mathbb{R}^9 : ||x - c|| \le R \}$   $o \in \mathbb{R}^3$ 



 $C + \lambda(x-c)$  Find  $\lambda$  s.t.  $C + \lambda(x-c) \in \partial D$ トッロ

Take 2 \$ 0

T(x) =

Impose that the point  $C + \lambda(x-c)$  is at a distance R from C, i.e.,

||c + x(x-c) - c|| = R

 $\lambda \parallel_{x} - c \parallel = R = D \qquad \lambda = R$ 

 $\pi(x) = \begin{cases} c + \frac{R}{\|x - c\|} (x - c) & ||x - c|| \geq R \\ v & ||x - c|| \leq R \end{cases}$ 

2. Cylindrical O: