

证

$$PDA M = (Q, \Sigma, \Gamma, q_0, \Phi, \delta, \gamma)$$

$$\delta(q, \varepsilon, S) = \{(q, 00), (q, 11), (q, 0S0), (q, 0S1), (q, 1S0), (q, 1S1)\}$$

$$(q, 0, 0) = \{(q, \varepsilon)\}$$

$$(q, 1, 1) = \{(q, \varepsilon)\}$$

已知  $L = L(M)$  故得证

3.

(0) 起始配置:  $s \rightarrow [q z_0 p]$

$$s \rightarrow [q z_0 q]$$

(1)

$$[q z_0 q] \rightarrow 1 [q x p] [q z_0 q]$$

$$[q z_0 q] \rightarrow 1 [q x p] [p z_0 q]$$

$$[q z_0 p] \rightarrow 1 [q x q] [q z_0 p]$$

$$[q z_0 p] \rightarrow 1 [q x p] [p z_0 p]$$

(2)

$$[q x q] \rightarrow 1 [q x q] [q x q]$$

$$[q x q] \rightarrow 1 [q x p] [p x q]$$

$$[q x p] \rightarrow 1 [q x q] [q x p]$$

$$[q x p] \rightarrow 1 [q x p] [p x p]$$

(3)

$$[q x q] \rightarrow 0 [p x q]$$

$$[q x p] \rightarrow 0 [p x p]$$

不压栈

又定一个  
压栈符

$$(4) [q z_0 q] \rightarrow \varepsilon$$

弹栈

$$(5) [p x p] \rightarrow 1$$

$$(6) [p z_0 q] \rightarrow 0 [q z_0 q]$$

不压栈

$$[p z_0 p] \rightarrow 0 [q z_0 p]$$

