Zen Languages

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In this paper I introduce a simplified domain specific language that resembles the philosophy of Zen.

Zen^[1] is a school of thought within Buddhism that has a large impact on Eastern philosophy and which ideas were popularized in Western philosophy in previous century.

As a researcher of mathematical languages, I try to both grasp the ideas in philosophy but also capture some of their structure as mathematical objects. I have previously related Zen philosophy to rationality in the form of higher order utility^[2]. Here I will try to construct a simple category^[3]-like domain specific language that uses the power set operation as semantical building block.

mem	membership morphism	
pow	power set morphism identity morphism	
id		
•	composition operator	

Zen languages are of the following form:

```
mem^N. pow^N
```

Where 'N' is a natural number.

For example:

id	N = 0	identity
mem . pow	N = 1	subset
mem ² . pow ²	N = 2	construction
mem ³ . pow ³	N = 3	design

A power set contains every possible set of some original set.

A subset `A` of some set `B` is necessarily a member of the power set of `B`.

Therefore, in Zen language N = 1 one talks about how objects are part of other objects.

A power set of a power set of some original set contains every subset of the original's power set.

A constraint `A` of some set `B` is necessarily a member of the power set of the power set of `B`.

When `B` is a subset of the constraint `A`, this is a proof that `B` is a solution.

Hence, 'B' is a constructive proof of the constraint 'A', which can be thought of as a type.

Therefore, in Zen language N = 2 one talks about how objects are proofs of other objects.

When talking about design, one is taking one step further, where N = 3.

This is because real world feedback is used to improve the language of constraints.

The design of language determines which constraints that are possible to express.

Therefore, in Zen language N = 3 one talks about how objects are expressed in terms of other objects.

References:

- [1] "Zen"
 Wikipedia
 https://en.wikipedia.org/wiki/Zen
- [2] "Zen Rationality"
 Sven Nilsen, 2018
 https://github.com/advancedresearch/path_semantics/blob/master/papers-wip/zen-rationality.pdf
- [3] "Category theory"
 Wikipedia
 https://en.wikipedia.org/wiki/Category_theory
- [4] "Power set"
 Wikipedia
 https://en.wikipedia.org/wiki/Power_set