

# Common Anagrams

## Problem

Ayla has two strings **A** and **B**, each of length **L**, and each of which is made of uppercase English alphabet letters. She would like to know how many different substrings of **A** appear as anagrammatic substrings of **B**. More formally, she wants the number of different ordered tuples  $(i, j)$ , with  $0 \leq i \leq j < L$ , such that the  $i$ -th through  $j$ -th characters of **A** (inclusive) are the same multiset of characters as at least one contiguous substring of length  $(j - i + 1)$  in **B**.

## Input

The first line of the input gives the number of test cases, **T**. **T** test cases follow. Each test case starts with one line, containing **L**: the length of the string. The next two lines contain one string of **L** characters each: these are strings **A** and **B**, in that order.

## Output

For each test case, output one line containing `Case #x: y`, where  $x$  is the test case number (starting from 1) and  $y$  is the answer Ayla wants, as described above.

## Limits

$1 \leq T \leq 100$ .

Time limit: 20 seconds per test set.

Memory limit: 1 GB.

$1 \leq L \leq 50$ .

### Small dataset (Test set 1 - Visible)

The two strings **A** and **B** will consist only of the characters **A** and **B**.

### Large dataset (Test set 2 - Hidden)

No additional constraints.

## Sample

### Sample Input

```
6
3
ABB
BAB
3
BAB
ABB
6
CATYYY
```

### Sample Output

```
Case #1: 5
Case #2: 6
Case #3: 6
Case #4: 6
Case #5: 10
Case #6: 9
```

```
XXXTAC
9
SUBXXXXXX
SUBBUSUSB
4
AAAA
AAAA
19
PLEASEHELPIMTRAPPED
INAKICKSTARTFACTORY
```

In Sample Case #1,  $L = 3$ ,  $\mathbf{A} = \text{ABB}$ , and  $\mathbf{B} = \text{BAB}$  There are 6 substrings of  $\mathbf{A}$ :

- A. The substring  $\mathbf{A}$  in  $\mathbf{B}$  is (trivially) an anagram.
- B. The substring  $\mathbf{B}$  in  $\mathbf{B}$  is (trivially) an anagram.
- B. The substring  $\mathbf{B}$  in  $\mathbf{B}$  is (trivially) an anagram.
- AB. The substring  $\mathbf{AB}$  in  $\mathbf{B}$  is (trivially) an anagram.
- BB. There is no corresponding anagrammatic substring in  $\mathbf{B}$ .
- ABB. The substring  $\mathbf{BAB}$  in  $\mathbf{B}$  is an anagram.

In total, there are 5 substrings with a corresponding anagrammatic substring in  $\mathbf{B}$ , so the answer is 5.

In Sample Case #2, note that it is the same as Sample Case #1, except that  $\mathbf{A}$  and  $\mathbf{B}$  are swapped. This changes the answer to 6!

In Sample Case #3, note that the substring  $\text{CAT}$  in  $\mathbf{A}$  has the corresponding substring  $\text{TAC}$  in  $\mathbf{B}$  which is an anagram. This still counts, even though the strings are at different indices in their respective strings.

In Sample Case #4, note that although the substring  $\text{SUB}$  in  $\mathbf{A}$  has several corresponding substrings in  $\mathbf{B}$  which are anagrams, it only counts once.

In Sample Case #5, note that every substring of  $\mathbf{A}$  has a corresponding anagrammatic substring in  $\mathbf{B}$ , so the answer is 10.