Ugly Numbers

Problem

Once upon a time in a strange situation, people called a number *ugly* if it was divisible by any of the one-digit primes (2, 3, 5 or 7). Thus, 14 is ugly, but 13 is fine. 39 is ugly, but 121 is not. Note that 0 is ugly. Also note that negative numbers can also be ugly; -14 and -39 are examples of such numbers.

One day on your free time, you are gazing at a string of digits, something like:

123456

You are amused by how many possibilities there are if you are allowed to insert *plus* or *minus* signs between the digits. For example you can make

```
1 + 234 - 5 + 6 = 236
```

which is ugly. Or

$$123 + 4 - 56 = 71$$

which is not ugly.

It is easy to count the number of different ways you can play with the digits: Between each two adjacent digits you may choose put a plus sign, a minus sign, or nothing. Therefore, if you start with D digits there are 3^{D-1} expressions you can make.

Note that it is fine to have leading zeros for a number. If the string is "01023", then "01023", "0+1-02+3" and "01-023" are legal expressions.

Your task is simple: Among the 3^{D-1} expressions, count how many of them evaluate to an ugly number.

Input

The first line of the input file contains the number of cases, **N**. Each test case will be a single line containing a non-empty string of decimal digits.

Output

For each test case, you should output a line

```
Case #X: Y
```

where \mathbf{X} is the case number, starting from 1, and \mathbf{Y} is the number of expressions that evaluate to an ugly number.

Limits

Time limit: 30 seconds per test set.

Memory limit: 1GB.

$0 \le N \le 100$.

The string in each test case will be non-empty and will contain only characters '0' through '9'.

Small dataset (Test set 1 - Visible)

Each string is no more than 13 characters long.

Large dataset (Test set 2 - Hidden)

Each string is no more than 40 characters long.

Sample

Sample Input 4 1 9 011 12345

Sample Output

Case #1: 0
Case #2: 1
Case #3: 6
Case #4: 64