# **Bullseye**

#### **Problem**

Maria has been hired by the Ghastly Chemicals Junkies (GCJ) company to help them manufacture **bullseyes**. A **bullseye** consists of a number of concentric rings (rings that are centered at the same point), and it usually represents an archery target. GCJ is interested in manufacturing black-and-white bullseyes.



Maria starts with **t** millilitres of black paint, which she will use to draw rings of thickness 1cm (one centimetre). A ring of thickness 1cm is the space between two concentric circles whose radii differ by 1cm.

Maria draws the first black ring around a white circle of radius  $\mathbf{r}$  cm. Then she repeats the following process for as long as she has enough paint to do so:

- 1. Maria imagines a white ring of thickness 1cm around the last black ring.
- 2. Then she draws a new black ring of thickness 1cm around that white ring.

Note that each "white ring" is simply the space between two black rings.

The area of a disk with radius 1cm is  $\pi$  cm<sup>2</sup>. One millilitre of paint is required to cover area  $\pi$  cm<sup>2</sup>. What is the maximum number of black rings that Maria can draw? Please note that:

- Maria only draws complete rings. If the remaining paint is not enough to draw a complete black ring, she stops painting immediately.
- There will always be enough paint to draw at least one black ring.

#### Input

The first line of the input gives the number of test cases, **T**. **T** test cases follow. Each test case consists of a line containing two space separated integers: **r** and **t**.

#### Output

For each test case, output one line containing "Case #x: y", where x is the case number (starting from 1) and y is the maximum number of black rings that Maria can draw.

#### Limits

Time limit: 30 seconds per test set.

Memory limit: 1GB.

#### Small dataset (Test set 1 - Visible)

 $1 \le T \le 1000.$  $1 \le r, t \le 1000.$ 

#### Large dataset (Test set 2 - Hidden)

 $1 \le \mathbf{T} \le 6000.$   $1 \le \mathbf{r} \le 10^{18}.$  $1 \le \mathbf{t} \le 2 \times 10^{18}.$ 

### **Sample**

5

# Sample Input

## Sample Output

Case #1: 1 Case #2: 2 Case #3: 3

Case #4: 707106780

Case #5: 49