

# Analysis: Transform the String

Let us first define the two operations that we can perform.

- **Clockwise:** Changing a letter to the one following it. For example, changing from c to d.
- **Counter-clockwise:** Changing a letter to the one preceding it. For example, changing from a to z.

Let us denote the [ASCII](#) value of a character  $c_x$  by  $ASCII(c_x)$ . If we move the padlock from a character  $c_a$  to another character  $c_b$  such that  $ASCII(c_a) < ASCII(c_b)$ , the number of operations required in clockwise direction =  $ASCII(c_b) - ASCII(c_a)$  and the number of operations required in counter-clockwise direction =  $26 - (ASCII(c_b) - ASCII(c_a))$ .

For example, if we move the padlock from c to e:

- Number of operations required in clockwise direction =  $ASCII(e) - ASCII(c) = 2$ .
- Number of operations required in counter-clockwise direction =  $26 - (ASCII(e) - ASCII(c)) = 24$ .

Similarly, if we move the padlock from a character  $c_a$  to another character  $c_b$  such that  $ASCII(c_a) > ASCII(c_b)$ , the number of operations required in clockwise direction =  $26 - (ASCII(c_a) - ASCII(c_b))$  and the number of operations required in counter-clockwise direction =  $ASCII(c_a) - ASCII(c_b)$ .

For example, if we move the padlock from g to b:

- Number of operations required in clockwise direction =  $26 - (ASCII(g) - ASCII(b)) = 21$ .
- Number of operations required in counter-clockwise direction =  $ASCII(g) - ASCII(b) = 5$ .

Thus minimum number of operations required to change a character in the padlock from  $c_a$  to  $c_b$  =  $\min(\text{abs}(ASCII(c_a) - ASCII(c_b)), 26 - \text{abs}(ASCII(c_a) - ASCII(c_b)))$ .

Let us call the above expression  $f(c_a, c_b)$ .

## Approach 1

### Test Set 1

When length of  $\mathbf{F} = 1$  we need to change every character in  $\mathbf{S}$  to that in  $\mathbf{F}$ . Therefore, the answer is the sum of  $f(c_s, c_f)$  for every character  $c_s$  in  $\mathbf{S}$  and  $c_f$  in  $\mathbf{F}$ .

### Test Set 2

For this case,  $\mathbf{F}$  can have multiple characters.

For each character in  $\mathbf{S}$  we need to find a character in  $\mathbf{F}$  such that  $f(c_s, c_f)$  is minimized. Therefore, for every character  $c_s$  in  $\mathbf{S}$ , we iterate over all possible characters  $c_f$  in  $\mathbf{F}$  and find minimum of  $f(c_s, c_f)$  and add the minimum value to the final answer.

## Approach 2

For each character in  $S$ , move the padlock in the clockwise direction and count the number of operations until we reach a character that belongs to  $F$ . Similarly, for the same character in  $S$ , move the padlock in the counter-clockwise direction and count the number of operations until we reach a character that belongs to  $F$ . Compare the number of operations in both directions and add minimum of the two to the final answer.