

Spectating Villages

Problem

The countryside of Kickstartia consists of V villages (labelled from 1 to V), connected by $V-1$ bidirectional roads (labelled from 1 to $V-1$). The i -th road connects village X_i to village Y_i . Each road connects exactly two villages, and no two roads connect the same two villages. Furthermore, there is exactly one sequence of roads that connects any two villages in Kickstartia.

Some villages are more beautiful than others. The i -th village has a beauty value of B_i . Note that it is possible for a village to have a negative beauty value!

You are going to build lighthouses in some of the villages. A village is *illuminated* if there is a lighthouse built in it, or there is a lighthouse built in a village that is directly connected to it by a road.

You may build as many or as few (even zero) lighthouses as you like. What is the maximum possible sum of beauty values of illuminated villages you can obtain?

Input

The first line of the input gives the number of test cases, T . T test cases follow. Each test case begins with a line containing the integer V , the number of villages. The second line contains V integers. The i -th of these is B_i , the beauty value of the i -th village.

Then, $V-1$ lines follow. The i -th line gives X_i and Y_i , indicating the i -th road connects village X_i to village Y_i .

Output

For each test case, output one line containing `Case #x: y`, where x is the test case number (starting from 1) and y is the maximum possible sum of beauty values of illuminated villages you can obtain.

Limits

Time limit: 20 seconds per test set.

Memory limit: 1GB.

$1 \leq T \leq 100$.

$2 \leq V \leq 10^5$.

$-10^5 \leq B_i \leq 10^5$ for all i .

$1 \leq X_i, Y_i \leq V$ for all i .

$X_i \neq Y_i$ for all i .

$(X_i, Y_i) \neq (X_j, Y_j)$ for all $i \neq j$.

There is exactly one sequence of roads connecting every pair of villages.

Test set 1 (Visible)

$$1 \leq V \leq 15.$$

Test set 2 (Hidden)

$$1 \leq V \leq 10^5.$$

Sample

Sample Input

```
3
9
-10 4 -10 8 20 30 -2 -3 7
1 4
2 4
4 3
9 4
9 8
7 5
6 7
7 9
4
-2 20 20 20
1 2
1 3
1 4
5
-5 -10 8 -7 -2
5 4
4 3
3 2
2 1
```

Sample Output

```
Case #1: 67
Case #2: 58
Case #3: 0
```

In Sample Case #1, you can place a lighthouse in villages 2 and 7. This illuminates villages 2, 4, 5, 6, 7 and 9, for a total beauty of $4 + 8 + 20 + 30 + (-2) + 7 = 67$. There are other possible ways to place lighthouses to achieve this total beauty.

In Sample Case #2, you can place a lighthouse in villages 1, 2 and 3. This illuminates villages 1, 2, 3 and 4, for a total beauty of $(-2) + 20 + 20 + 20 = 58$. There are other possible ways to place lighthouses to achieve this total beauty.

In Sample Case #3, the best you can do is to place no lighthouses at all! This illuminates no villages for a total beauty of 0.