

Won't sum? Must now

Problem

In 2016, it was shown that every positive integer can be written as the sum of three or fewer palindromic terms. For the purposes of this problem, a palindromic term is a string of digits (with no leading zeroes) that represents a positive integer and reads the same forward and backward.

Given a positive integer **S**, find **K** palindromic terms that sum to **S**, such that **K** is minimized.

Input

The first line of input gives the number of test cases, **T**. **T** lines follow, each containing a positive integer **S**.

Output

For each test case, output one line of the form `Case #x: A1` (if only one term is needed), `Case #x: A1 A2` (if only two terms are needed), or `Case #x: A1 A2 A3` (if three terms are needed), where **x** is the case number (counting starting from 1), each **A_i** is a palindromic term (as described above), and the sum of the **A_i**s equals **S**.

Limits

Time limit: 20 seconds per test set.

Memory limit: 1GB.

$1 \leq T \leq 100$.

Test set 1 (Visible)

$1 \leq S \leq 10^{10}$.

Test set 2 (Hidden)

$1 \leq S \leq 10^{40}$.

Sample

Sample Input

```
3
1
198
1234567890
```

Sample Output

```
Case #1: 1
Case #2: 191 7
Case #3: 672787276 94449
561686165
```

In Sample Case #1, the input is already a palindrome.

In Sample Case #2, note that $99 \cdot 99$, for example, would also be an acceptable answer. Even though there are multiple instances of 99 , they count as separate terms, so this solution uses the same number of terms as $191 \cdot 7$.

Also note that $191 \cdot 07$, $181 \cdot 8 \cdot 9$, $0110 \cdot 88$, $101 \cdot 97$, $7.0 \cdot 191.0$, and $-202 \cdot 4$, for example, would not be acceptable answers.