

Alphabetomials

Problem

As we all know, there is a big difference between polynomials of degree 4 and those of degree 5. The question of the non-existence of a closed formula for the roots of general degree 5 polynomials produced the famous Galois theory, which, as far as the author sees, bears no relation to our problem here.

We consider only the multi-variable polynomials of degree up to 4, over 26 variables, represented by the set of 26 lowercase English letters. Here is one such polynomial:

`aber+aab+c`

Given a string s , we evaluate the polynomial on it. The evaluation gives $p(S)$ as follows: Each variable is substituted with the number of appearances of that letter in S . For example, take the polynomial above, and let $S = \text{"abracadabra edgar"}$. There are six a's, two b's, one c, one e, and three r's. So

$$p(S) = 6 * 2 * 1 * 3 + 6 * 6 * 2 + 1 = 109.$$

Given a dictionary of distinct words that consist of only lower case letters, we call a string S a d -phrase if

$$S = "S_1 S_2 S_3 \dots S_d",$$

where S_i is any word in the dictionary, for $1 \leq i \leq d$. i.e., S is in the form of d dictionary words separated with spaces. Given a number $K \leq 10$, your task is, for each $1 \leq d \leq K$, to compute the sum of $p(S)$ over all the d -phrases. Since the answers might be big, you are asked to compute the remainder when the answer is divided by 10009.

Input

The first line contains the number of cases T . T test cases follow. The format of each test case is:

A line containing an expression p for the multi-variable polynomial, as described below in this section, then a space, then follows an integer K .

A line with an integer n , the number of words in the dictionary.

Then n lines, each with a word, consists of only lower case letters. No word will be repeated in the same test case.

We always write a polynomial in the form of a sum of terms; each term is a product of variables. We write a^t simply as t a's concatenated together. For example, a^2b is written as aab . Variables in each term are always lexicographically non-decreasing.

Output

For each test case, output a single line in the form

Case #X: $\text{sum}_1 \text{sum}_2 \dots \text{sum}_K$

where X is the case number starting from 1, and sum_i is the sum of $p(S)$, where S ranges over all i -phrases, modulo 10009.

Limits

Memory limit: 1 GB.

$1 \leq T \leq 100$.

The string p consists of one or more terms joined by '+'. It will not start nor end with a '+'. There will be at most 5 terms for each p . Each term consists at least 1 and at most 4 lower case letters, sorted in non-decreasing order. No two terms in the same polynomial will be the same. Each word is non-empty, consists only of lower case English letters, and will not be longer than 50 characters. No word will be repeated in the same dictionary.

Small dataset

Time limit: 30 seconds.

$1 \leq n \leq 20$

$1 \leq K \leq 5$

Large dataset

Time limit: 60 seconds.

$1 \leq n \leq 100$

$1 \leq K \leq 10$

Sample

Sample Input

```
2
ehw+hwww 5
6
where
when
what
whether
who
whose
a+e+i+o+u 3
4
apple
orange
watermelon
banana
```

Sample Output

```
Case #1: 15 1032 7522 6864 253
Case #2: 12 96 576
```