

Query Optimization

- \checkmark What is Query Optimization?
- ✓ What is the utility of Query Optimization?
- ✓ Query Optimization is based on what ?⇒Relational Algebra

(Select (\dagger), Project (\ddot{i}), Cartesian Product (X), Join (\bowtie) etc)

QUERY OPTIMIZATION OVERVIEW • Query can be converted to relational algebra • Rel. Algebra converted to tree, joins as branches • Each operator has implementation choices • Operators can also be applied in different order! SELECT S.sname FROM Reserves R, Sailors S WHERE R.sid=S.sid AND R.bid=100 AND S.rating>5 π_(sname)σ_(bid=100 ∧ rating > 5) (Reserves ▷ ⊲ Sailors) Reserves Sailors

Query Optimization Technique

- ✓ Heuristics Technique in Query Optimization.
- Cost Estimates Technique in Query Optimization.

Heuristics Technique of Query Optimization

- > One of the main heuristic rules is to apply SELECT and PROJECT operations before applying the JOIN or other binary operations.
- > Generating equivalent Query Tree and Query Graph.

Example:

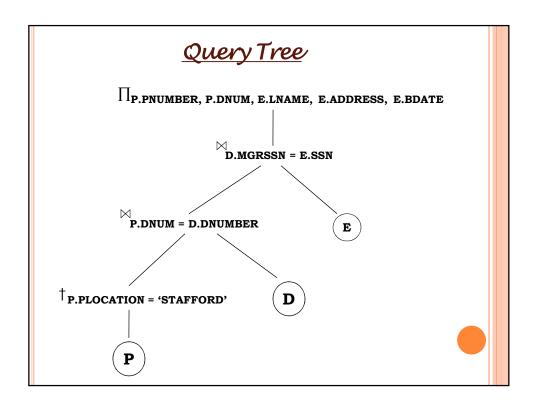
SQL Query: SELECT P.PNUMBER, D.DNUM, E.LNAME, E.ADDRESS, E.BDATE

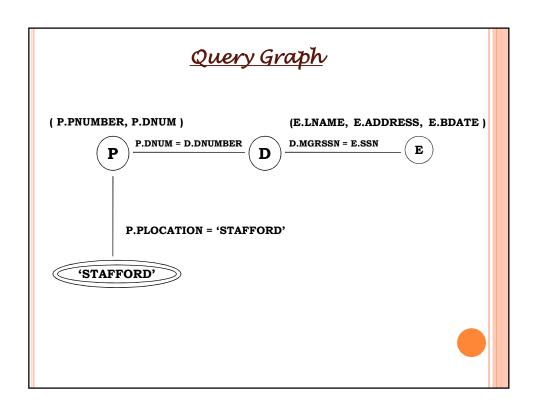
FROM PROJECT AS P, DEPARTMENT AS D, EMPLOYEE AS E WHERE D.MGRSSN = E.SSN AND P.DNUM = D.DUMBER

AND P.PLOCATION = 'STAFFORD'

Relational Algebra:







General Transformation Rules for Relational Algebra Operations

1. <u>Cascade of σ </u>: A conjunctive selection condition can be broken up into a cascade (that is a sequence) of individual σ operations:

$$\sigma_{c1 \text{ and } c2 \text{ and }cn}$$
 (R) $\equiv \sigma_{c1}(\sigma_{c2} \text{ (.....}(\sigma_{cn} \text{ (R)).....)})$

2. Commutative of σ : The σ operation is commutative.

$$\sigma_{c1} (\sigma_{c2} (R)) \equiv \sigma_{c2} (\sigma_{c1} (R))$$

3. <u>Cascade of Π </u>: In a cascade (sequence) of Π operations, all but the last one can be ignored:

$$\Pi_{\text{list1}}$$
 (Π_{list2} (.....(Π_{listn} (R)))) $\equiv \Pi_{\text{list1}}$ (R)

4. Commuting σ with Π : If the selection condition c involves only those attributes A1,, An in the projection list, the two operations can be commuted.

$$\Pi_{A1, A2, \dots, An} (\sigma_c (R)) \equiv \sigma_c (\Pi_{A1, A2, \dots, An} (R))$$

General Transformation Rules for Relational Algebra Operations (Cont.)

5. <u>Commutative of \bowtie (and X)</u>: The \bowtie operation is commutative , as is the X operations:

$$\mathbf{R} \bowtie_{\mathbf{c}} \mathbf{S} \equiv \mathbf{S} \bowtie_{\mathbf{c}} \mathbf{R}$$

$$RXS \equiv SXR$$

6. <u>Commutative σ with \bowtie (or X):</u> If all the attributes in the selection condition c involve only the attributes of one of the relations being joined – say, R – the two operations can be commuted as follows:

$$\sigma_{c} (R \bowtie S) \equiv (\sigma_{c} (R)) \bowtie S$$

Alternatively, if the selection condition c can be written as (c1 AND c2), where condition c1 involves only the attributes of R and condition c2 involves only the attributes of S, the operations commute as follows:

$$\sigma_{c} (R \bowtie S) \equiv (\sigma_{c1} (R)) \bowtie (\sigma_{c2} (S))$$

The same rules apply if the is replaced by a X operation

General Transformation Rules for Relational Algebra Operations (Cont.)

7. Commuting Π with \boxtimes (or X): Suppose that the projection list is $L = \{A_1, \ldots, A_n, B_1, \ldots, B_m\}$, where A_1, \ldots, A_n are attributes of R and B_1, \ldots, B_m are attributes of S. If the join condition C involves only attributes in C, the two operations can be commuted as follows:

$$\Pi_{L}(R \bowtie_{c} S) \equiv (\Pi_{A1, \dots, An}(R)) \bowtie_{c} (\Pi_{B1, \dots, Bm}(S))$$

If the join condition c contains additional attributes not in L, these must be added to the projection list, and a final Π operation is needed. For example, if attributes A_{n+1}, \ldots, A_{n+k} of R and B_{m+1}, \ldots, B_{m+p} of S are involved in the join condition c but are not in the projection list L, the operations commute as follows:

$$\Pi_L(R \bowtie_c S) \equiv \Pi_L(\Pi_{A1,...An,\ An+1,...,An+k}(R))^{\bowtie} c(\Pi_{B1,...,Bm,\ Bm+1,....,Bm+p}(S)).$$

For X, there is no condition c, so the first transformation rule always applies by replacing c with X.

8. <u>Commutativity of set operations</u>: The set operations \cap and U are commutative but - is not.

General Transformation Rules for Relational Algebra Operations (Cont.)

9. <u>Associativity of \bowtie </u>, <u>X</u>, <u>U</u>, <u>and \cap </u>: These four operations are individually associative; that is, if θ stands for any one of these four operations (throughout the expression), we have:

$$(R \theta S) \theta T \equiv R \theta (S \theta T)$$

10. Commuting σ with set operations: The σ operation commutes with U, \cap , and σ . If θ stands for any one of these three operations (throughout the expression), we have:

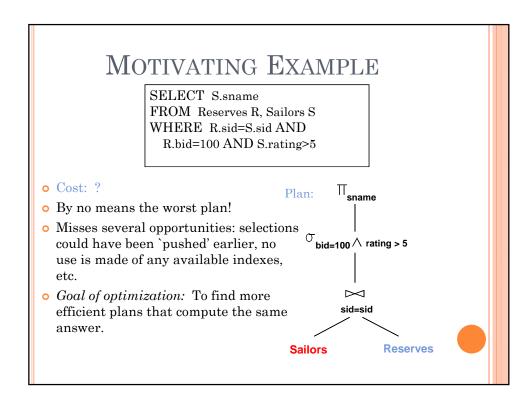
$$\sigma_c(R \theta S) \equiv (\sigma_c(R)) \theta (\sigma_c(S))$$

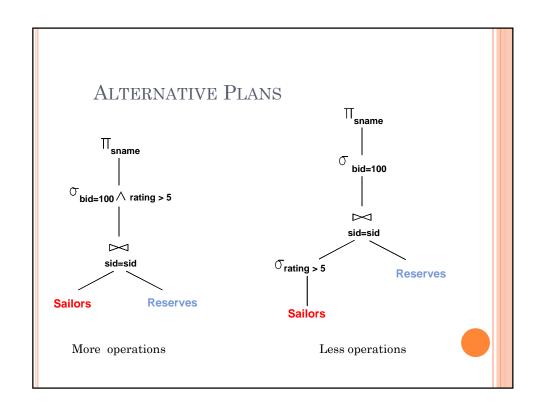
11. The Π operation commutes with U:

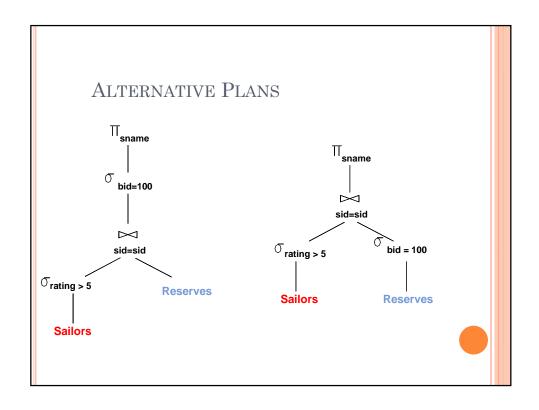
$$\Pi_{L}(R \cup S) \equiv (\Pi_{L}(R)) \cup (\Pi_{L}(S))$$

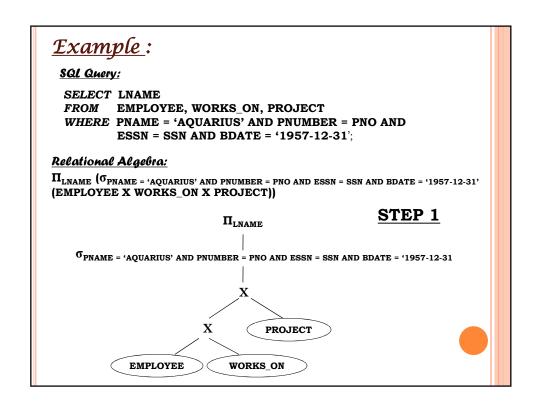
12. Converting a (σ , X) sequence into \bowtie : If the condition c of a σ that follows a X corresponds to a join condition, convert the (σ , X) sequence into a as follows:

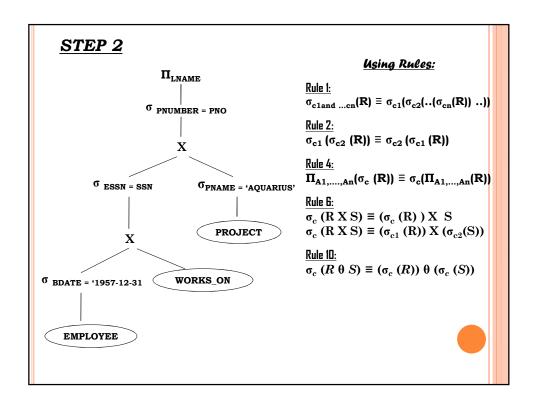
$$(\sigma_c (R \times S)) \equiv (R \bowtie_c S)$$

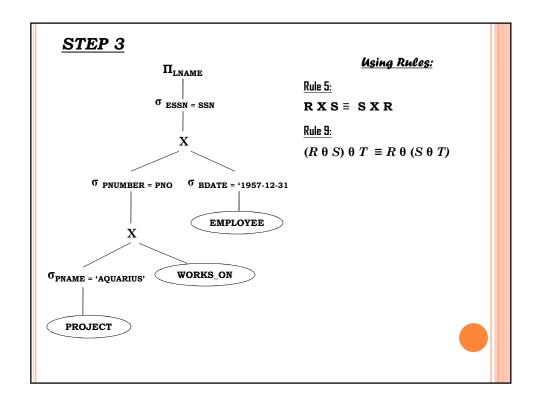


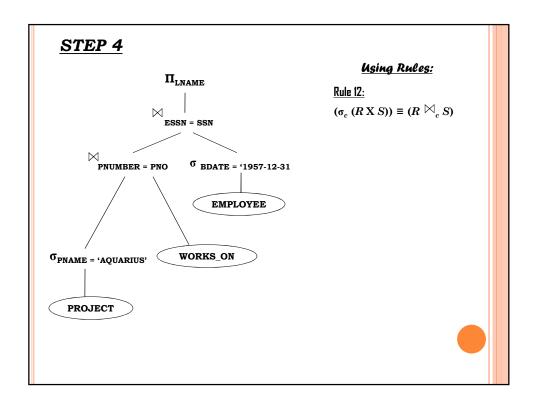


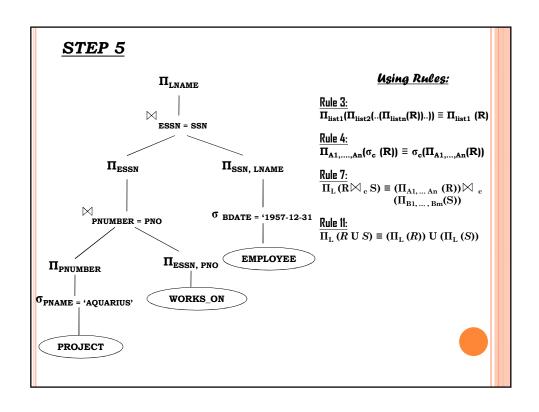












Selectivity and Cost Estimates in Query Optimization

Cost Component for Query Execution

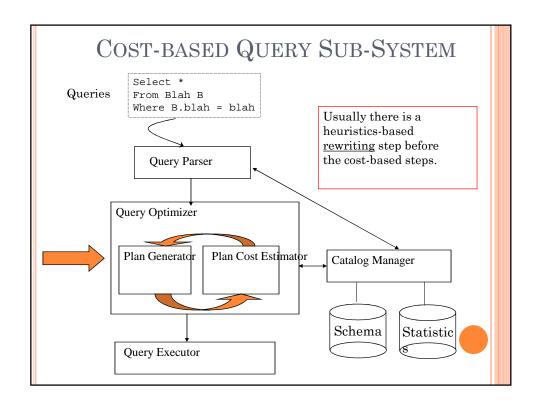
- √ Access cost to secondary storage
- √ Storage Cost
- √ Computation Cost
- √ Memory usage Cost
- √ Communication Cost

NB: Generally we use Access Cost to Secondary Storage mainly and use Communication Cost for Distributed Database only.

<u>Catalog Information Used in</u> <u>Cost Function</u>

- > Number of Records (tuples) (r).
- > Record Size (R)
- > Number of Blocks (b)
- > Blocking factor (bfr)
- > Number of Levels (x)
- \triangleright Number of first-level index blocks (b_{II})
- > Number of Distinct values (d)
- > Selectivity (sl)
- Selection Cardinality (s = sl * r)

NB: For a key attribute, d = r, sl = 1/r and s = 1. For a nonkey attribute, by making an assumption that the d distinct values are uniformly distributed among the records, we estimate sl = (1/d) and so s = (r/d)



SCHEMA FOR EXAMPLES

Sailors (<u>sid: integer</u>, <u>sname</u>: string, <u>rating</u>: integer, <u>age</u>: real) Reserves (<u>sid: integer</u>, <u>bid: integer</u>, <u>day: dates</u>, <u>rname</u>: string)

• Reserves:

- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- Assume there are 100 boats

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings

Cost Functions for SELECT

> Linear Search (Brute force) Approach.

$$C_{s1a} = b$$

 $C_{s1b} = (b/2)$

Binary Search.

$$C_{s2} = log_2b + (s/bfr) - 1$$

Using a primary index or hash key to retrieve a single record.

$$C_{s3a} = x + 1$$
 (for Primary index)
 $C_{s3b} = 1$ (for hash key)

> Using an ordering index to retrieve multiple records.

$$C_{s4} = x + (b/2)$$

> Using a clustering index to retrieve multiple records.

$$C_{s5} = x + (s/bfr)$$

Example to Illustrate Cost Based Query Optimization

SQL Query: SELECT P.PNUMBER, D.DNUM, E.LNAME, E.ADDRESS, E.BDATE FROM PROJECT AS P, DEPARTMENT AS D, EMPLOYEE AS E UMGRSSN = E.SSN AND P.DNUM = D.DUMBER AND P.PLOCATION = 'STAFFORD'

TABLE_NAME	COLUMN_NAME	NUM_DISTINCT	LOW_VALUE	HIGH_VALUE
PROJECT	PLOCATION	200	1	200
PROJECT	PNUMBER	2000	1	2000
PROJECT	DNUM	50	1	50
DEPARTMENT	DNUMBER	50	1	50
DEPARTMENT	MGRSSN	50	1	50
EMPLOYEE	SSN	10000	1	10000
EMPLOYEE	DNO	50	1	50
EMPLOYEE	SALARY	500	1	500

Example to Illustrate Cost Based Query Optimization (Cont.)

TABLE_NAME	NUM_ROWS	BLOCKS
PROJECT	2000	100
DEPARTMENT	50	5
EMPLOYEE	10000	2000

INDEX_NAME	UNIQUENES	BLEVEL	LEAF_BLOCKS	DISTINCT_KEYS
PROJ_PLOC	NONUNIQUE	1	4	200
EMP_SSN	UNIQUE	1	50	10000
EMP_SAL	NONUNIQUE	1	50	500

PROJECTDEPARTMENTEMPLOYEEDEPARTMENTPROJECTEMPLOYEEDEPARTMENTEMPLOYEEPROJECTEMPLOYEEDEPARTMENTPROJECT

