#### **Normalization**

**Definition:** Normalization is a process by which we can divide a large relation of table into smaller one in a non-loss way, i.e., we can get some or more information from the smaller relation than a one large relation.

The decomposition of relation depends on certain rule.

**1NF:** A relation R is said to be in the first normal form (1NF) if and only if all the attributes of the relation R are atomic in nature i.e., there does not exist any repeating group.

- ♣ Remove repeating groups.
- **♣** Disallow multivalued attributes.

Go through PPT of NF.

*Ex1.1:* We have consider another example:

Consider **DEPT** table as:

**DEPT** (Dno, Dname, Dmarg, Dlocation)

Dno	Dname	Dmarg	Dlocation
D04	Admin	334	Bangalore, New Delhi,
			Hydrabad
D05	Research	335	Kolkata, Chennai

The above table is not in 1NF. So we can represent the table in the following way

#### **DEPT**

Dno	Dname	Dmarg	Dlocation
D04	Admin	334	Bangalore
D04	Admin	334	New Delhi
D04	Admin	334	Hydrabad
D05	Research	335	Kolkata
D05	Research	335	Chennai

We may break the DEPT table into two tables in the following way:

# **DEPT**

Dno	Dname	Dmarg
D04	Admin	334
D05	Research	335

Hence this relation is in 1 NF.

# LOC

Dno	Dlocation
D04	Bangalore
D04	New Delhi
D04	Hydrabad
D05	Kolkata
D05	Chennai

**@SKG** 

**2NF:** It is in 1NF and all non-key attributes are fully functionally dependent on prime attribute.

♣ Remove all partial dependencies

Go through PPT of NF

**Ex2.1-** Consider the relation is defined as:

EMP (Eno, Pno, Hours, Ename, Pname, Plocation) and the dependencies are defined as

Eno → Ename

Pno → Pname, Plocation

Eno, Pno → Hours

Therefore, **EMP** is not in 2NF and hence break the table in the following way:

EMP1 (Eno, Ename)

EMP2 (Pno, Pname, Plocation)

EMP3 (Eno, Pno, Hours)

Now the above relation is in 2NF.

**Ex2.2-** Consider the relation is defined as:

Student (Reg\_no, Name, Course\_name, Course\_Id, Fees, Duration, Voter\_Id) such that

Reg no → Name, Course name, Course Id, Fees, Duration

Voter\_Id → Name, Course\_name, Course\_Id, Fees, Duration

Course\_Id → Course\_name

Course\_name → Fees, Duration

Here, Reg\_no and Voter\_Id are primary key and composite key. Therefore, we can write Reg\_no, Voter\_Id → Name, Course\_name, Course\_Id, Fees, Duration

If we remove Reg\_no or Voter\_Id then dependency exist, so it is partial dependency. Hence it is not in 2NF.

Therefore, we break the relation into two relations as:

S1 (Reg no, Name, Course name, Course Id, Fees, Duration) and S2 (Reg no, Voter Id)

No partial dependency exist and hence relation is in 2NF.

*Note:* In **S1**, Reg\_no is primary key since Reg\_no is more closed than Voter\_Id with respect to other keys in relation Student. This property is called *closeness* property.

Reg\_no, Voter\_Id → Voter\_Id

Reg\_no, Voter\_Id → Reg\_No

**3NF:** It is in 2NF and all non-key attributes are non-transitively dependent on key attribute.

**♣** Remove all transitive dependencies

Go through PPT of NF

**Ex3.1-** Consider the relation is defined as:

**EMP** (Eno, Ename, DOB, Address, <u>Dno</u>, Dname, Dmargno) and the dependencies are defined as

Eno → Ename, DOB, Address

Dno → Dname, Dmargno

Eno → Dno

Therefore, **EMP** is not in 3NF and hence break the table in the following way:

EMP (Eno, Ename, DOB, Address)

**DEPT** (<u>Dno</u>, Dname, Dmargno)

EMP1(Eno, Dno)

**Ex3.2-** Consider the relation **Student** is defined in Ex2.2.

After removing partial dependency we have **S1** (<u>Reg\_no</u>, Name, Course\_name, Course\_Id, Fees, Duration) and **S2** (Reg\_no, Voter\_Id)

Now from **S1** the dependencies are as follows:

Course\_Id → Course\_name

Course name → Fees, Duration

Transitive exists on above relation. So it is not in 3NF and hence we break the table S1 as:

S11 (Reg no, Name, Course Id)

**S12** (Course\_name, <u>Course\_Id</u>)

S13 (Course\_name, Fees, Duration)

S2 (Reg\_no, Voter\_Id)

Hence the above relation is in 3NF.

**BCNF** (**Boyce-Codd Normal Form**): A relation R is in BCNF iff every determinate is a candidate key.

*Determinate:* An attribute (simple or composite) is called a determinate on which some other attribute is fully functional dependent.

**↓** It must be in 3NF

**♣** All determinates are super key

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Go through PPT of NF

*Ex4.1*- Go through PPT

*Ex4.2*- Consider the following relation:

T (A, B, C) such that A, B  $\rightarrow$  C and C  $\rightarrow$  B

The above relation is in 3NF but it is not in BCNF (C is not super key)

*Ex4.3*- The relation **S11**, **S12** and **S13** (from Ex3.2) are not in BCNF because Course\_name consists of multiple courses such as M.Tech degree in CSE, IT, ECE and similarly B.Tech degree in CSE, CSBS, ECE, EE.

If course name is unique (university conducted only B.Tech in CSBS) then it will in BCNF.

Ex4.4- Consider a relation **R** (A, B, C, D) such that

 $A \rightarrow B,C,D$ 

 $B,C \rightarrow A,D$ 

 $D \rightarrow A \setminus D + = \{A\}$ 

Now discuss as:

A→B,C,D	BCNF	A is super key
$B,C \rightarrow A,D$	BCNF	B,C are super key
D→A	Not BCNF	D is not super key

#### 3NF vs BCNF

3NF	BCNF
1. It concentrate on primary key	1. It concentrate on candidate key
2. Redundancy is higher as compared to BCNF	2. 0% redundancy
3. It may preserve all the dependencies.	4. It may not preserve the dependencies.
5. X→Y allowed if X is a super key or y is a part of some key.	3. $X \rightarrow Y$ is allowed if X is a super key.

*Exercise:* Consider a relation **Report** is defined as follows:

Report (<u>RID</u>, Editor, Deptno, D\_name, D\_address, <u>AID</u>, A\_name, A\_address) and the dependencies is described as:

RID → Editor

Editor → Deptno

Deptno → D\_name, D\_address

 $AID \rightarrow A_name, A_address$ 

Determine wheather the relation is normalize form or not. If the relation is not in normal form then transform it to normal form upto 3NF.

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