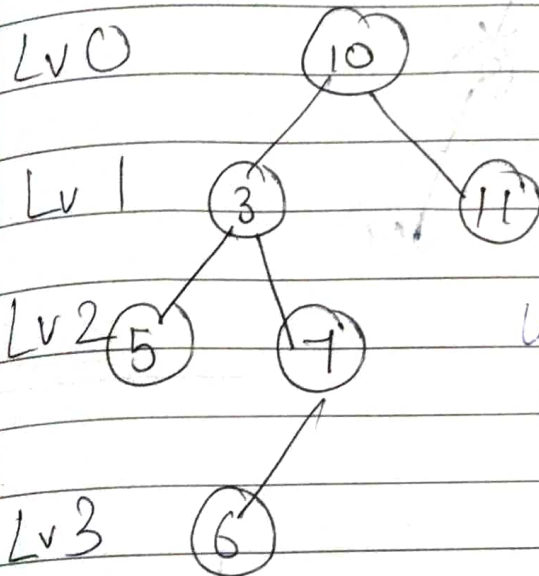


Trees .

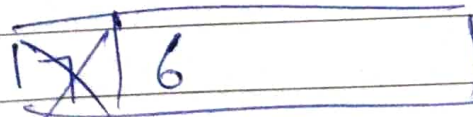
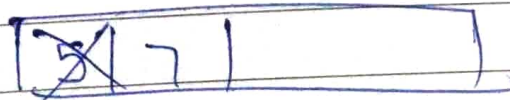
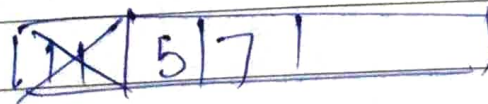
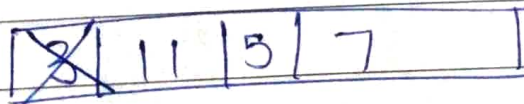
Level Order Traversal .

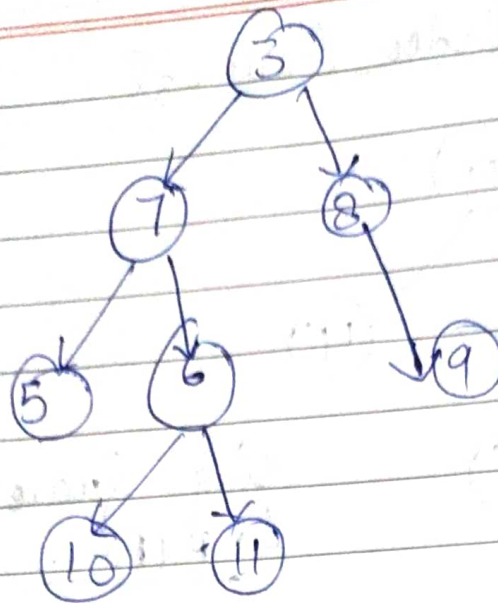


Using queue → why?
↳ FIFO



put 10
& then remove
← ~~10~~ 3 11 1
jab nikaloge then put its left & right child there.
— tum niklo, bacche chor jayigo :D





3

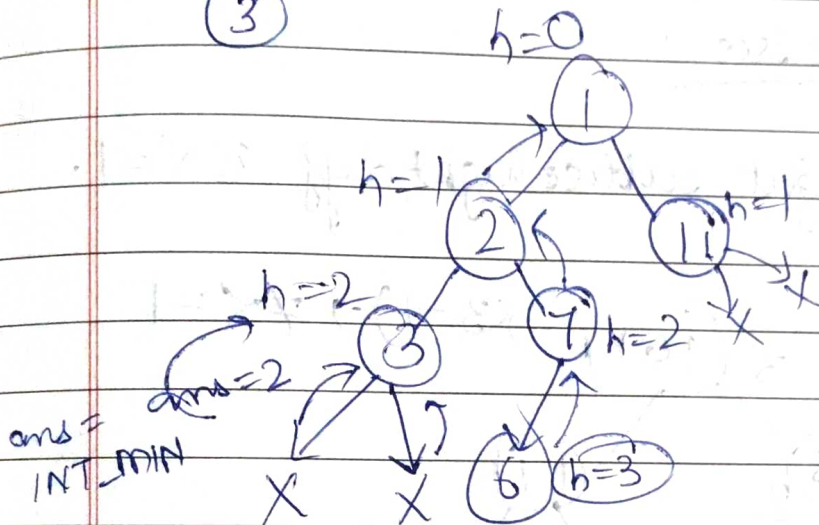
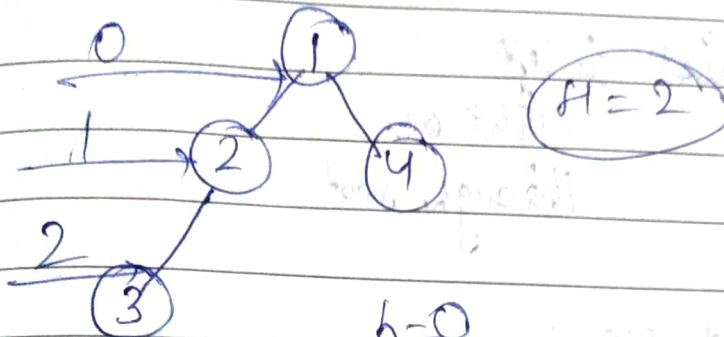
starting

[3 | NULL]

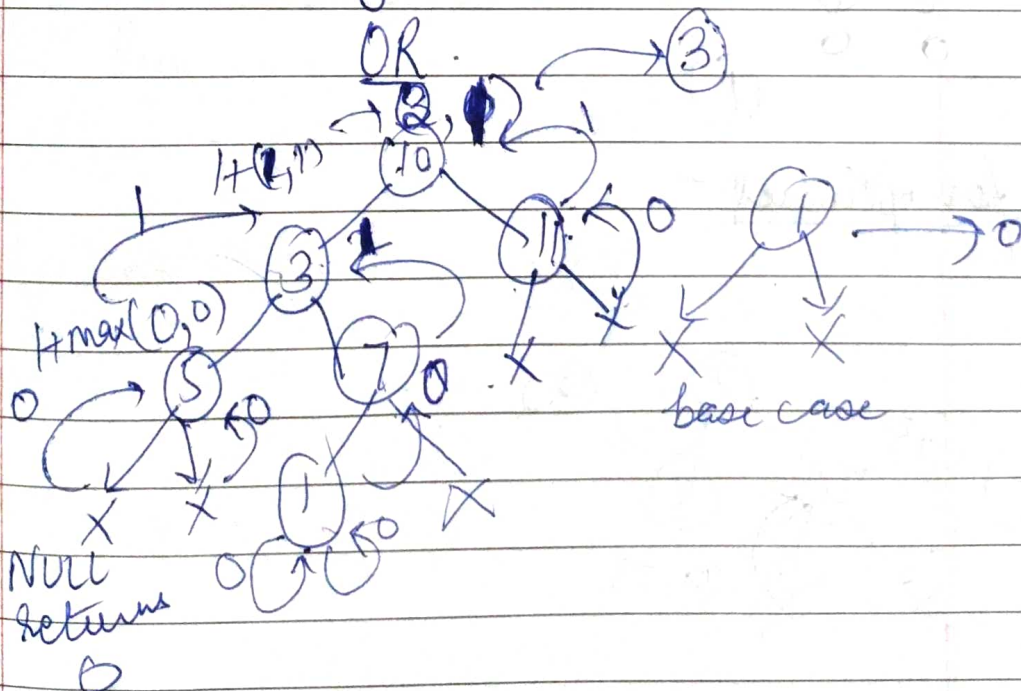
while (!q.empty())
~~[3 | NULL | 7 | 8 | NULL]~~

3 ko pakda
 not NULL → print
 → pop
 → add children
 NULL → new line

Height of tree
(max depth)



On reaching NULL \rightarrow traversal completed



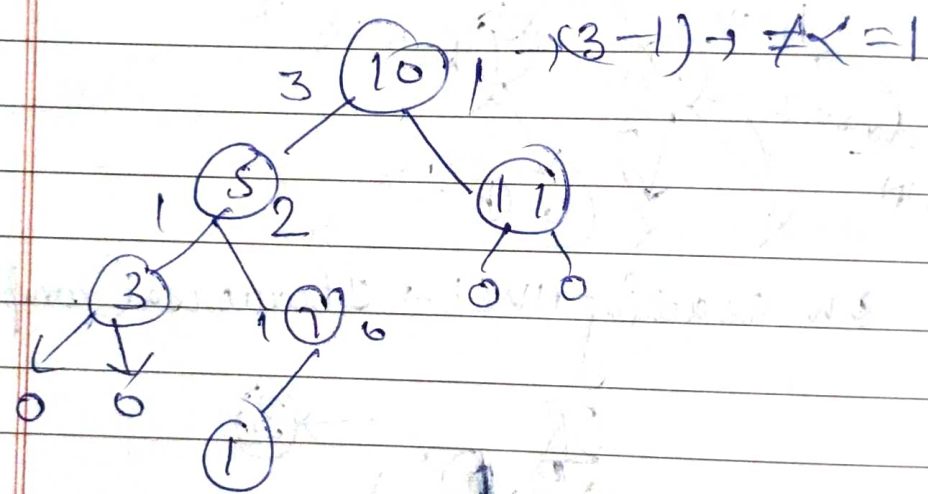
Diameter of tree

length of longest path b/w any 2 nodes.

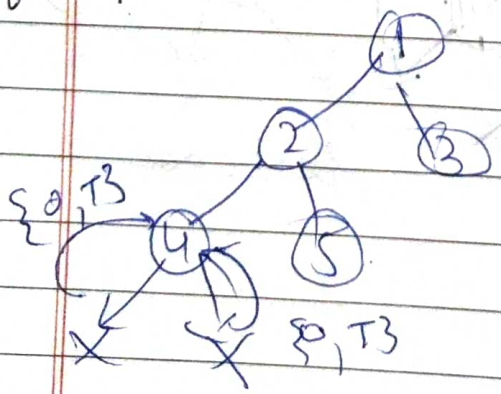
can exist in left
right or
through root

Balanced Tree

left & right subtree height diff is ≤ 1 .

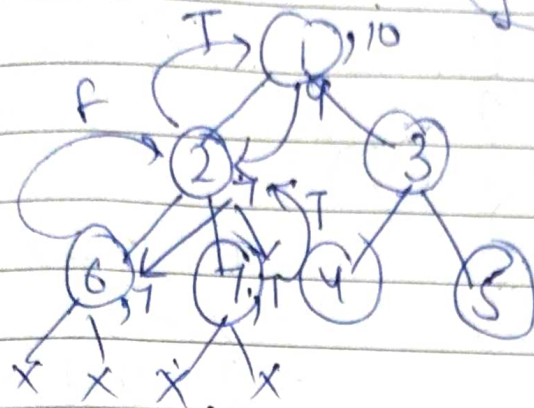


for optimised -



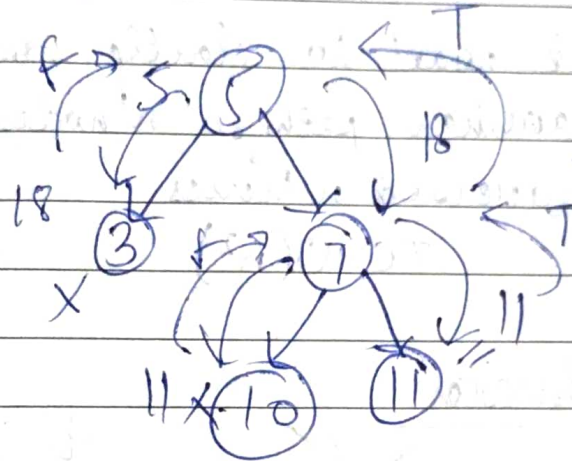
Path Sum

$$f = 10$$



Condⁿ.

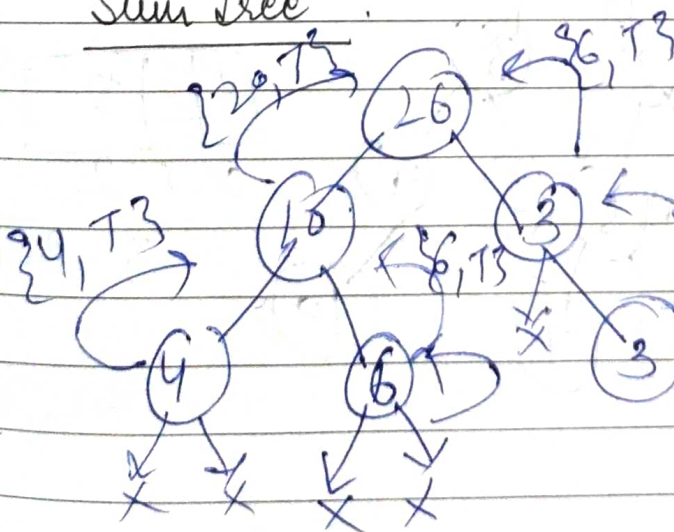
- ① leaf node bl^o ho.
- ② $val == target$



$$T = 23$$

Lowest Common Ancestor

Sum Tree

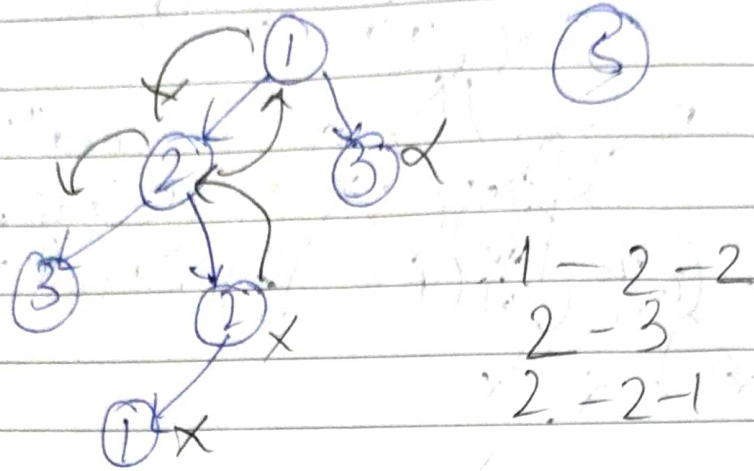


① $N \rightarrow value + True$

② $val ==$
left + right
sum

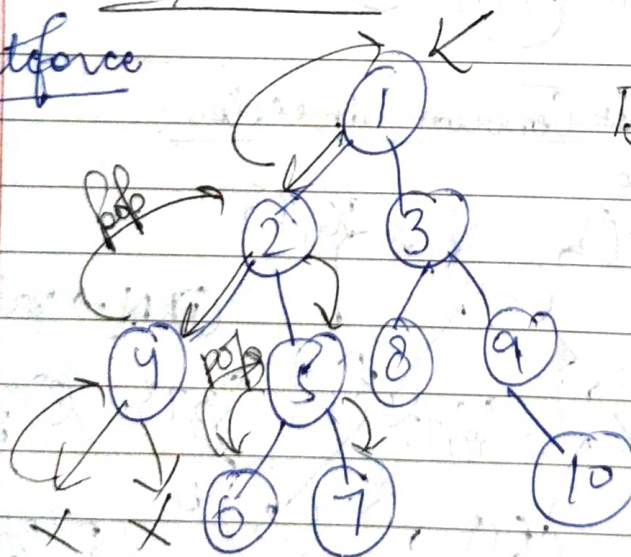
③ left SumTree
right Sum
Tree

Path Sum III



har ek node ko starting node
maankar path se n nodes
traversed a times
 $TC \rightarrow O(n^2)$

bruteforce
 K^{th} Ancestor

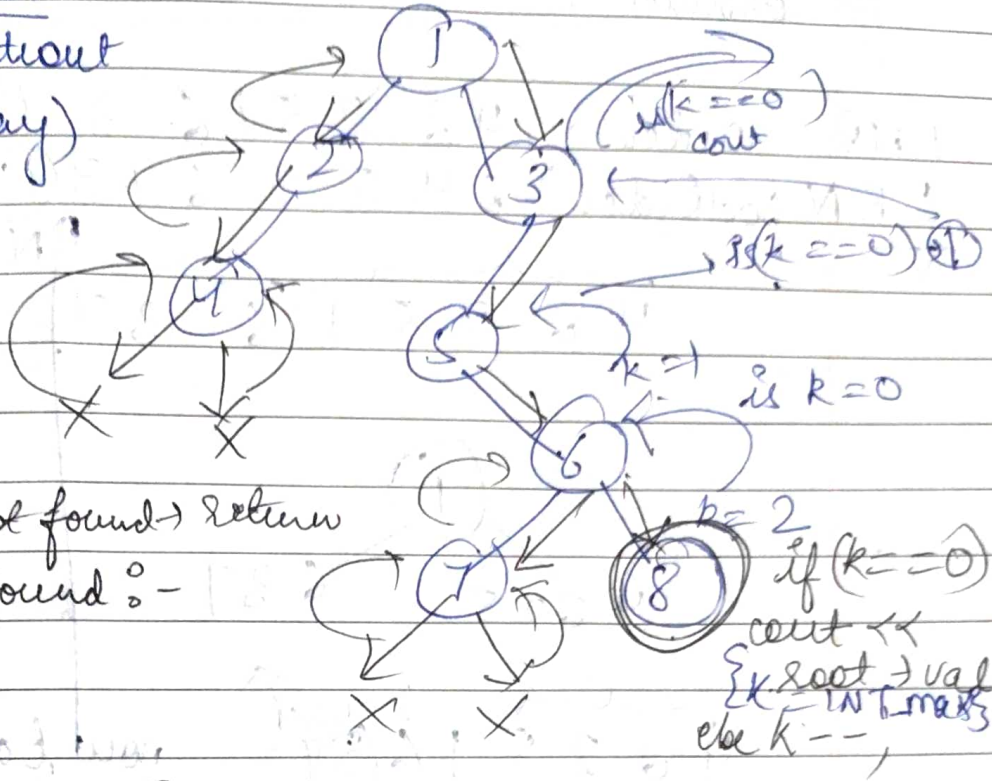


q
1 2 3 5 8 9

1 2 5
0 1 2

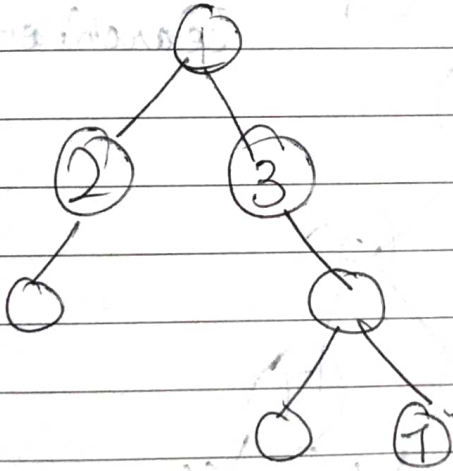
$$3 - 2 = 1$$

optimised -
(without
away)



bool
found =
false

not found \rightarrow return
if found :-



element = 7.
R = 2

→ found = true.

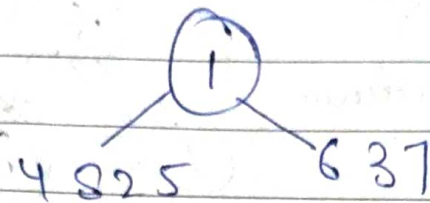
Imp → Adobe

Construct BT from inorder & postorder

LNR inorder → 4 8 2 5 1 6 3 7

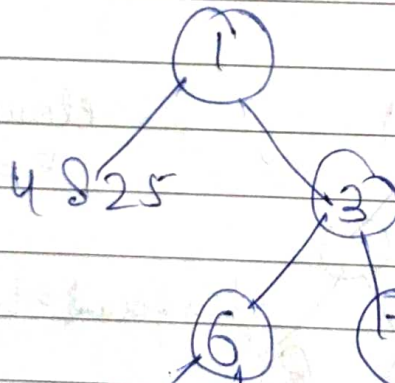
LRN postOrder → 2 4 5 2 6 7 3 1

4 8 2 5 1 6 3 7



4 8 2 5 1 6 3 7

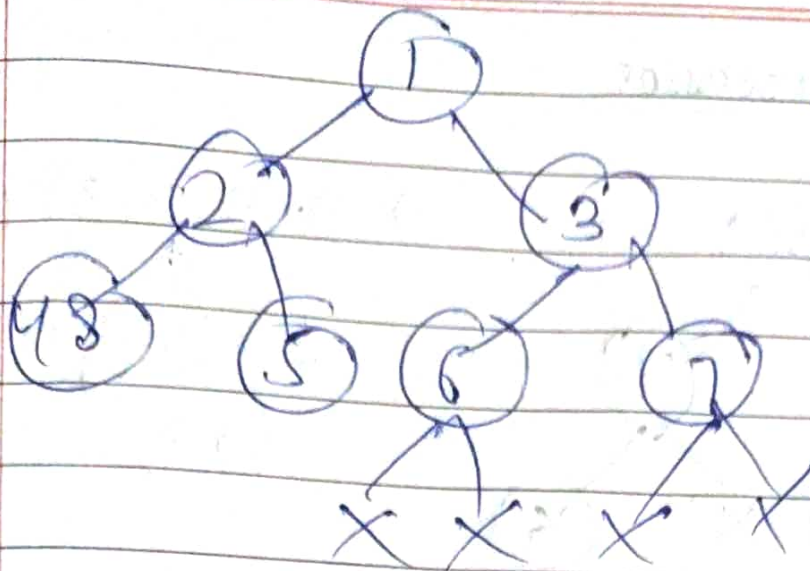
now take 3 & search here in right



4 8 2 5 1 6 3 7

now 6

now 2



① post order index starts from n.

② first RC then LC.

