

for a new student, Charlie, wants to enroll in a course, but the course has not been taught by any instructor yet. In this case we cannot add Charlie's enrollment record without also specifying an instructor, even though it is not relevant to the enrollment itself.

2. Deletion anomalies

It occurs when deleting data from the DB results in the unintentional loss of other, unrelated data. This typically happens when deleting a record also removes data that is still relevant to other records.

Example Using the same denormalized table as before

Suppose Charlie decides to drop the Math course ($courseID = C101$). If we delete Charlie's enrollment record from the table, the information about which the last Math course ($courseID = C101$) and its instructor (Smith) will also be lost, even though other students might still be enrolled in the course.

and resulted in loss of information.

This behavior is called **deletion anomalies**.

3. Modification Anomalies
→ It occurs when updating data in the DB leads to inconsistencies b/w related records.

This typically happens when the same data is stored redundantly in multiple places and updates are not applied consistently across all instances.

Example → Continuing with the same denormalized table, suppose a Smith changes his name to Dr. Smith in one record (e.g.: for their Math professor) but forgets to update it in all other records where Prof. Smith is listed as the instructor, consistency arises.

Now, the DB contains conflicting information about the instructors name, leading to a modification

to be anomaly. [update kno hei Name Jose de Smith
and our Jara tabe has old value same table
has been Smith professor at kno tabe hei. In db now we
have professor tabe has [he] under conflict.

Q. When a transaction is rolled back under timestamp ordering, it is assigned a new time stamp? Why can it not simply keep its old time stamp?

Ans: In timestamp ordering concurrency control, transactions are assigned unique time stamps that represent their start time.

These timestamps are used to determine the order in which transactions are executed and to resolve conflicts b/w transactions.

When a transaction is rolled back and needs to be restarted, assigning it a new timestamp rather than keeping its old timestamp is essential for maintaining the integrity and correctness of concurrency control mechanism.

Reasons Why:

1. Preserving Transaction ordering: Relies on the temporal order of transaction timestamps to ensure serializability. Each transaction's timestamp indicates its position in the global order of transactions. If a rolled-back transaction were allowed to keep its old timestamp, it would violate the temporal order, potentially leading to incorrect execution sequence and violating the serializability property.

2. Preventing Aborted Transactions from Retaining Priority: Allowing a rolled-back transaction to keep its old timestamp could give it priority over never transactions, which is unfair to other transactions.

Transactions that have been rolled back due to conflicts or errors should not be given preferential treatment over transactions that have not yet been executed or committed.

3. Avoiding Redistributing Conflict.

↳ Keeping a rolled-back transaction's old timestamp could lead to conflicts with other transactions that you have been assigned time stamps all after the rolled back. occurred.

This would result in scheduling conflicts, where transactions are re-executed in an order that does not reflect their actual temporal order, with a potentially leading to incorrect outcomes or violating isolation levels. This is also undesirable for distributed systems, as a roll-back is often a mechanism for testing and ensuring correctness and consistency in transaction execution by enforcing a strict order based on the transaction start time.

Allowing rolled-back transactions to retain their old timestamps would compromise these objectives by introducing inconsistencies or violating the principle of serializability.

With this being said, we can test whether the timestamp of two blocks were to be forced to be the same, it would result in a conflict between them.

For example, if we had two blocks with the same timestamp, then they would be considered invalid.

Concurrency control

This technique is used for performing multiple transactions on the database at the same time.

It can generate an intermediate value of a single data item that is stored in the permanent memory in different areas called as version of the data item.

In this technique - a lot of union of data items are stored so that each union of data items are used for different Categories of the transaction.

According to this the various version of control are used for different categories of the transaction.

It is divided into types, Quarks and leptons.

(1) Multi revision Concurrency control using time stamp order.

File Organisation

- ↳ It is a collection of records.
- ↳ Using PK we can access the records.
- ↳ File organisation is a logical relationship among various records.
- ↳ This method defines how file records are mapped onto disk blocks.
- ↳ It is used to describe ^{the way} in which the records are stored in terms of blocks and the blocks are placed on the storage medium.
- ↳ Files of fixed length records are easier to implement than the files of variable length records.

Objectives of file organisation

- ↳ It contains an optimal selection of records, i.e. records can be selected as fast as possible.
- ↳ To perform insert, delete, or update transaction on the record should be fast and easy.
- ↳ The duplicate records cannot be inserted as a result of insert, update and delete.
- ↳ For the minimal cost of storage, records should be stored efficiently.

Type of file organisation

- (i) Sequential file organisation
- (ii) Heap
- (iii) Hash
- (iv) BT
- (v) Indexed sequential access method (ISAM)
- (vi) Cluster file organisation

① File File Method (Raw form)

② Sorted file Method (sorted manner).

CAUSES OF FILE ORGANISATION IN COMPUTER

→ To have to search for data to be used later on.

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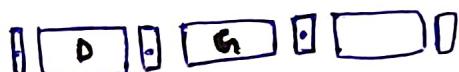
B⁺ Tree:

- ↳ The B⁺ tree is a balanced binary search tree.
- ↳ It follows a multi level index format.
- ↳ In B⁺ tree, leaf nodes denote actual data pointers.
- ↳ Now, ensure that all leaf nodes remain at the same height.
- ↳ The leaf nodes are linked using a linked list. Therefore, it can support random access as well as sequential access.

↗

Structure of B⁺ Tree:

- ↳ Every leaf node is at equal distance from the root node.
- ↳ B⁺ tree is of the order n where n is fixed for every B⁺ tree.
- ↳ It contains an internal node and leaf node.



Internal Node:

- An internal node of B⁺ tree can contain at least $n/2$ record pointers except the root node.
- At most, an internal node of the tree contains n pointers.

Leaf Node.

- ↳ The leaf of BT Tree can contain at least $n/2$ record pointers and $n/2$ key values.
- ↳ At most, a leaf node contains n record pointer and n key values.
- ↳ Every leaf node of the BT Tree contains one block pointer P to point to next leaf node.

Searching a records in BT Tree.



→ First we will fetch for the intermediary node which contains a record for 55.

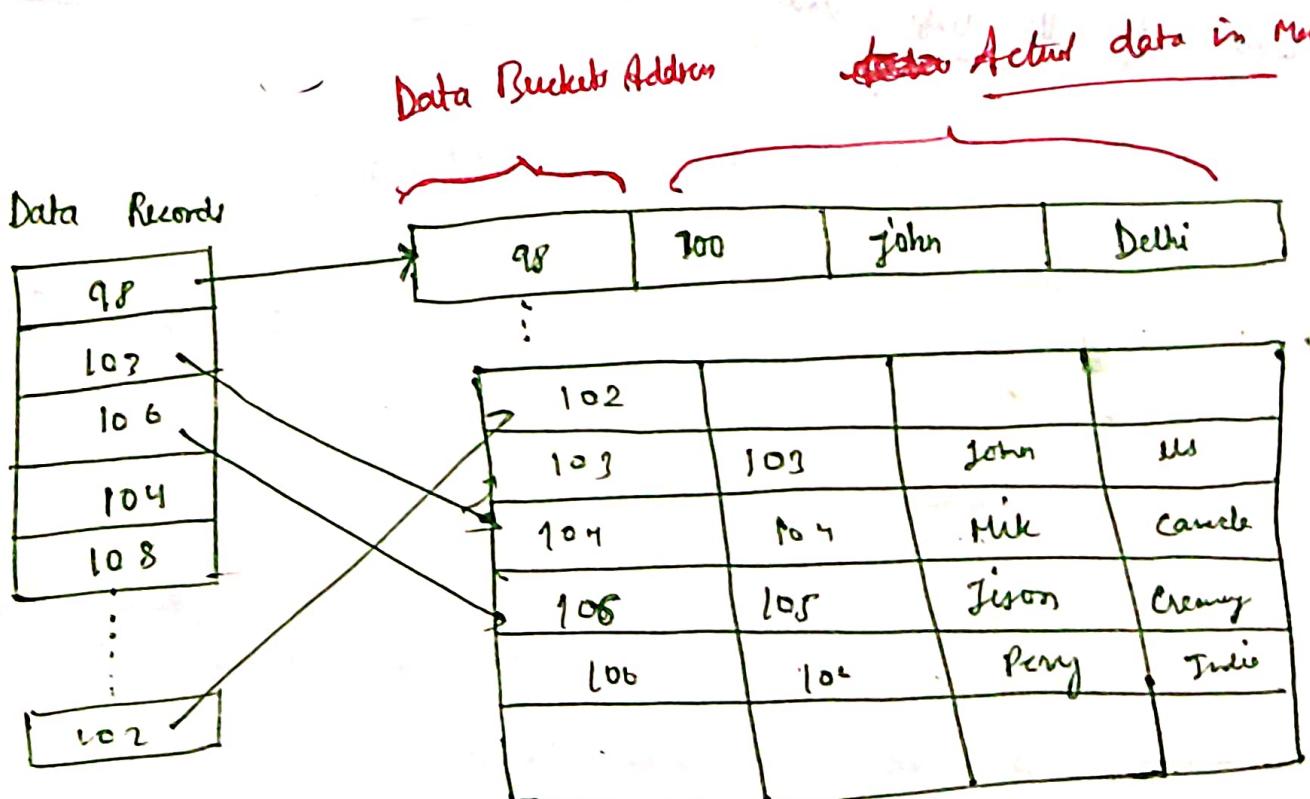
* Hashing

In a huge database structure, it is very inefficient to search all the index values and read the desired data.

Hashing technique is used to calculate the direct location of a data record on the disk without using index structure.

- ↳ In this technique, data is stored at the data blocks whose address is generated by the hashing function.

- ↳ The memory location where these records are stored is known as data bucket and data block.
 - ↳ Most of the time hash function uses primary key to generate the address of the data block.



Two types of hashing ...

- (i) Static Hashing.
- (ii) Dynamic Hashing.

Static Hashing

→ The resultant data ~~form~~ ~~is~~ ~~not~~ always be the same.

→ the no. of data buckets in memory remains constant throughout.

- Searching a record
- Insert a record.
- Delete a record
- Update a record.

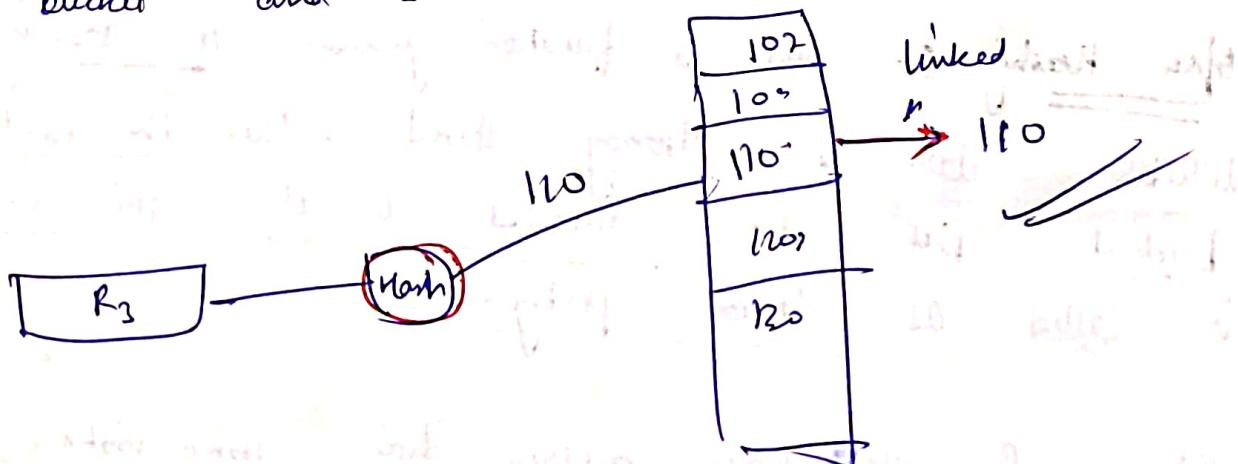
I. Open Hashing :- When a function generates an address at which data is already stored, then the next bucket will be allocated to it. This mechanism is called as Linear probing.

eg:- R₂ ek naya address hai who sister kerna
hai → Hash function generate kiya address 112.
for R₂ → Agar 112 is already taken hai
to wo next khali space mein assign
kr dega.

(iii) Close Hashing

When buckets are full, then a new data bucket is allocated for the same hash result and is linked after the previous one. This mechanism is known as overflow chaining.

Eg:- If ek naye address jisko insert karna hai agar Data Buckets bhar hua and no address bhi bhar hua hai jo P₃ ke liye bana tha to of a new bucket is inserted at the end of 110 bucket and is linked to "n".



Dynamic Hashing

It is used to overcome the problem of static hashing like bucket overflow.

- Data buckets grow or shrink as the record increases or decreases.
- This is known as Extendable hashing Method.
- It allows insertion and deletion without resulting in poor performance...

How to search a key

- First calculate the hash address of the key.
- Check how many bits are used in the dictionary and these bits are called as i.
- Take the most significant i bits of the hash address. This gives an index of the directory.
- Now using the index, go to the directory and where the record might be found.

X.

File system

v.

Stores and organizes data in files on storage.

High redundancy due to separate files

Hard to maintain consistency across files

Limited or no current access

Basic file permissions for security.

No ACID property

No way to represent relationships between data

Mores for complex queries

Limited scalability for larger data

Difficult to share and update data simultaneously

DBMS

Manages data in database using structured formats.

Low redundancy using normalization

Low redundancy using normalization

Allows multiple users with proper controls.

Advanced security like authentication and roles.

Full transaction support including ACID property

Support relationship using keys.

Optimized query execution.

High scalability for growing data needs.

Enables efficient sharing across users.

Attribute closure / Closure set

Jenny's lecture

R (A, B, C, D, E)

FD : { $A \rightarrow B$, $B \rightarrow C$, $C \rightarrow D$, $D \rightarrow E$ }

~~ABCDEF~~ $A \rightarrow C$ by
 $A \rightarrow A$ → Reflexive
 $A \rightarrow D$ by Transitive
 $A \rightarrow E$ by Transitive

$A \rightarrow ADCDE$

$B \rightarrow D$
 $B \rightarrow E$
 $B \rightarrow B$

$C \rightarrow D$
 $C \rightarrow E$
 $C \rightarrow C$

$D \rightarrow E$
 $B \rightarrow E$

$B \rightarrow BCDE$

$C \rightarrow CDE$

X^+
 set of attribute

$A^+ = \{A, B, C, D, E\}$

SK $AD^+ = \{A, D, B, C, E\}$

$B^+ = \{B, C, D, E\}$
 $C^+ = \{C, D, E\}$.

All the attributes that is connected to A^+ that is a super key is also a super key in this.

super key for this is set of attributes whose closure contains all attributes of given relation.

Q: Find all the candidate key of a relation

R (A, B, C, D, E)

FD : { $A \rightarrow B$, $D \rightarrow E$ }

$ABCDE^+ = \{A, B, C, D, E\} \rightarrow$ must be a super key.

$ACDE \rightarrow$ super key. (A, B, C, D, E) \checkmark SK

$ACD^+ = \{A, B, C, D, E\} \checkmark$ SK \rightarrow candidate key.

or $\frac{A}{X} \frac{C}{X} \frac{D}{X} \frac{AC}{X} \frac{CD}{X} \frac{AD}{X}$

Prime attributes :- prime attributes are part of candidate key.

(A, C, D) are prime key attributes.

If no prime attribute is present in the right side of FD then there is only one candidate key.

Q. $R(A, B, C, D)$

FD = $\{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$.

$A B C D^+ = \{A, B, C, D\} \rightarrow SK \underline{\text{(must)}}$

$A C D^+ = \{A, B, C, D\}$

$C D^+ = \{C, D, B\} \rightarrow \underline{\text{Candidate key. }} \textcircled{1}$

C, D \rightarrow prime attribute

$A C D^+ = \{A, B, C, D\}$

$A D^+ = \{A, D, B, C\} \rightarrow \underline{\text{Candidate key }} \textcircled{2}$

A, D - prime attribute

$B D^+ = \{A, D, B, C\} \rightarrow \underline{\text{Candidate key }} \textcircled{3}$.

$R \circ (A, B, C, D)$

FD = $\{AB \rightarrow CD, D \rightarrow B, C \rightarrow A\}$

$A B C D^+ \rightarrow \{A, B, C, D\} \rightarrow \underline{\text{SK (must)}}$.

$A B^+ \rightarrow \{A, B, C, D\} \rightarrow \underline{\text{Candidate key }} \textcircled{1}$

$A B C D^+ \rightarrow \{A, B, C, D\}$

~~ACD~~ $A C D \Rightarrow C \rightarrow A$

$C D^+ \rightarrow \{A, B, C, D\} \rightarrow \underline{\text{Candidate key }} \textcircled{2}$.

~~ABCD~~ if $AB \rightarrow CD$ then $A \rightarrow C$ and $B \rightarrow D$.

~~ACD~~ $\therefore ABCD$
 \underline{AD}^+ → candidate key,
and $ABCD \rightarrow ABC \rightarrow BC$ → candidate key.

Q: $R(A, B, C, D, E, F)$

Ps of $\underline{AB} \rightarrow C$, $C \rightarrow DE$, $E \rightarrow F$; $D \rightarrow A$, $C \rightarrow B$.

$\underline{ABCDEF}^+ = \{A, B, C, D, E, F\} \rightarrow SK$ (Ans)

$\underline{ABDEF}^+ = \{ \text{u} \}$

$\underline{ABF}^+ = \{ \text{u} \} \xrightarrow{\text{AB} \rightarrow C \text{ and } C \rightarrow DE} \therefore \underline{AB} \rightarrow \underline{DE}$

$\underline{AB}^+ = \{ \text{u} \} \rightarrow AB \rightarrow C \text{ and } C \rightarrow DE$
mean $C \rightarrow E$ and $E \rightarrow F$.
remove F .

$\underline{AB}^+ \checkmark$
candidate key ~~not a candidate key~~

~~AB~~ Prime Attribute

$\rightarrow \{A, B\}$

$\{D, B\}$

$D = \{DA\}^*$ Not
 $B = \{B\}^*$ super
key.

$\{C\} \rightarrow \cancel{\{D, C\}}$ \times

$C = \{DE, C, BA\}$
, $F\}$ All
Attributes are
there super key

$\{CB\} \times$

Candidate key $\underline{\{A, B\}} \underline{\{D, B\}} \underline{\{C\}}$.

* ① Insertion Anomaly,

① update Anomaly

④ delete Anomaly.

2NF

→ candidate key

→ proper subset of

candidate

key

~~→ non-prime attribute~~

$R(A, B, CD)$

$FD: \downarrow AB \rightarrow CD, C \rightarrow A, D \rightarrow B$

$A \rightarrow C$ and, $C \rightarrow A, D \rightarrow B$
 $B \rightarrow D$

$\{AB$
 BC
 CD
 $AD\}$

candidate key

proper subset of candidate key \rightarrow NPA

$A \neq$ Non-prime attribute

$B \neq$ "

$C \neq$ "

$D \neq$ "

Therefore it is
on 2NF

3NF

It should be in 2NF.

No-transitiv dependency for non prime attributes

$A \rightarrow B$ and $B \rightarrow C$

\Downarrow

$A \rightarrow C$ — Non prime
 Non Prime Attribute —

NPP \rightarrow NPA

Non prime attribute

Q. $R(ABCD)$

FD: - $\{A \rightarrow B, B \rightarrow C, C \rightarrow D\}$

$$\underline{AB'CD} = \{A, B, CD\}$$

$A \not\rightarrow D$

AD

A^+ \rightarrow sh.

and \downarrow candidate key

α NF

$$\begin{array}{l} A \rightarrow C \\ C \rightarrow D \end{array}$$

Now

$$NPA \rightarrow NPA$$

$$\begin{array}{c} A \rightarrow B \\ \hline PA \end{array}$$

$$\begin{array}{c} NPA \quad NPA \\ B \rightarrow C \\ \hline \end{array}$$

These force it is non
plus Attribut

α NF and but Not β NF.

β CNF

It is in β NF.

for each non-trivial FD

$$x \rightarrow y$$

x must be a
superkey.

Q. $R(A, B, C)$

FD: - $\{A \rightarrow B, B \rightarrow C, C \rightarrow A\}$

$$AB'C + \{A, B, C\}$$

A^+ \rightarrow superkey.

\rightarrow candidate key

$PA \rightarrow A$:

$A \rightarrow C$ No proper subst.

$\therefore C \rightarrow$ candidate key.

$B \rightarrow$ candidate key.

Questin main
check per cui wala sub
ut sick hai
say

$A, B, C \rightarrow$ candidate key.

each functional dependency
satisfy that all these
are super key.

Proper subset of $ABC \rightarrow d(AB, BC, AC, A, B, C, Y)$

2NF:

$R_d(A B C D E F)$

$F = d(A \rightarrow D, B \rightarrow C, C \rightarrow D, D \rightarrow E)$

$A \rightarrow E \quad A \rightarrow C \quad A \rightarrow D \quad C \rightarrow E$

$ABCDEF = d(ABCDEF)$

$A \not\in EF$

$A \not\in F = d(ABCDEF) \rightarrow \underline{\text{Candidate key}}$

\boxed{AF} only candidate key.

ACD as prime attr base.

$\downarrow A \not\in F$ Prime Attribute

Non prim attr = B C D E

\cancel{ABC}

\cancel{ACD}

\cancel{ADF}

\cancel{ACD}

$A \rightarrow B \rightarrow$ that is non prim Attribute

\therefore Not in 2NF

$A \rightarrow B \rightarrow$ partial dependency.

$\star R(A B C D)$

$F = d(AD \rightarrow CD, AC \rightarrow A, D \rightarrow B)$

$AB \rightarrow C, CD \rightarrow D$

$\cancel{A} \cancel{B} \cancel{C} \cancel{D}$ Yes 2nd Normal form

$AD \not\in F$

$AB = d(A B C D) \rightarrow \underline{\text{Candidate key}}$

$AC = d(A, C \rightarrow A)$

$BD = d(B D \rightarrow D)$

$d(AD, AC, CB, CD)$ Candidate key.

$d(A B C D)$ prime attribute

No Non prim attribute

$\cancel{AB} \rightarrow \cancel{AD}$
 $\cancel{AC} \cancel{CD}$
 $\cancel{CB} \cancel{D}$
 ED