

current P&P 52.44 → 58%.

Nov23_PSP_6May

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Nov23_PSP_6May

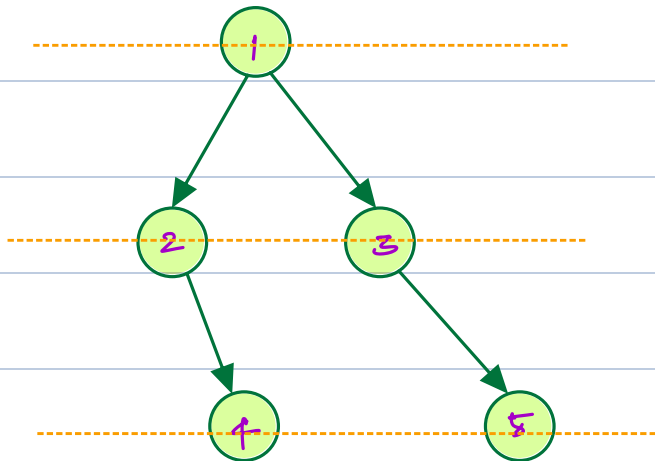
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Agenda:

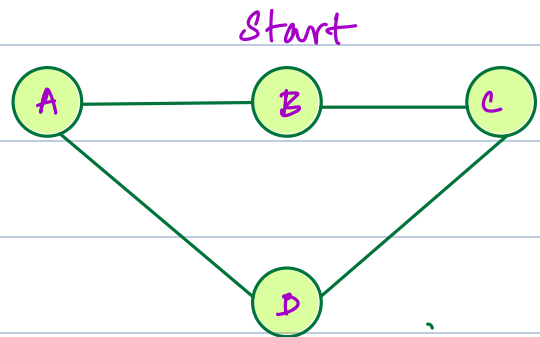
- ① BFS
- ② Multisource BFS
- ③ Rotten Oranges
- ④ Possibility of finishing courses
- ⑤ Topological sort

BFS

Still need visited array



{1, 2, 3, 4, 5}



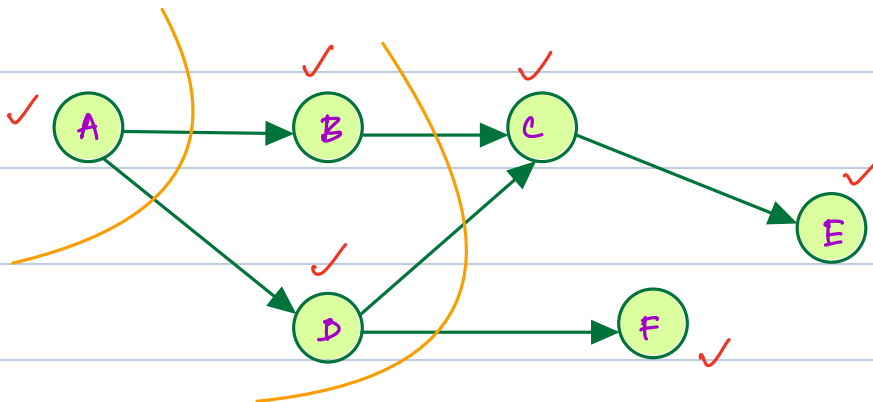
~~B~~ ~~A~~ ~~C~~ ~~D~~

Queue

{B, A, C, D}

Steps

- 1 Initialize an empty Queue & Insert the start node
- 2 While Q is not empty → Dequeue front
→ add neighbours of front if ! visited
→ mark nei as visited



~~A~~ ~~B~~ ~~D~~ ~~C~~ ~~F~~ ~~E~~

pseudo code

// initialize empty Q, get start node

Q.enqueue (node);

visited [node] = True

while (! Q.isEmpty()) {

 n = Q.dequeue();

 print (n);

 for (nei : graph [n]) {

 if (! visited [nei]) {

 Q.enqueue (nei);

 visited [nei] = True;

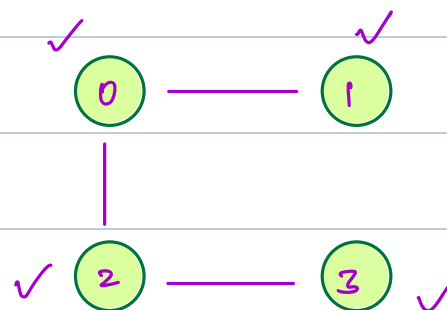
}

T.C = $O(n + e)$

S.C = $O(n)$

Ans 1

	0	1	2	3
0	0	1	1	0
1	1	0	0	0
2	1	0	0	1
3	0	0	1	0

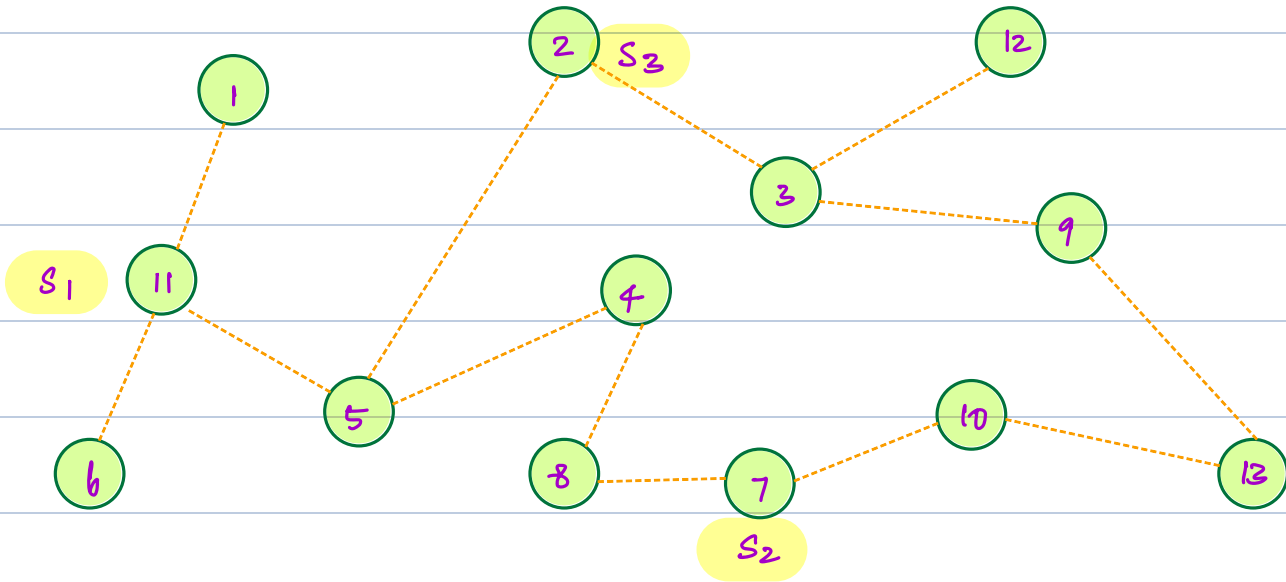


{0, 1, 2, 3}

{0, 2, 1, 3}

Multisource BFS *****

There are N no. of nodes and multisource $\{s_1, s_2, s_3\}$
Find the length of shortest path for given destination
to any one of the sources



Dest	Min L
9	2
13	2
5	1

Observation

Add the sources to the queue with distance = 0

~~(0,11)~~ ~~(0,7)~~ ~~(0,2)~~ ~~(1,1)~~ ~~(1,5)~~ ~~(1,6)~~ ~~(1,8)~~ ~~(1,10)~~ (1,3) (2,4) (2,13)
(2,9) (2,12)

BFS will give the shortest path with a

Big condition

end of notes

Rotten Oranges





















(Amazon)

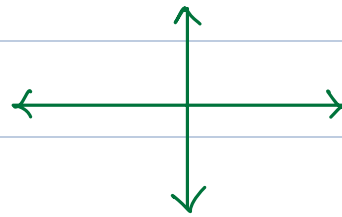
Given a matrix $[R][C]$ with 3 values 0, 1, 2

{ 0 - Empty, 1 - Fresh, 2 - Rotten } Find the earliest

time when all become rotten

Note: Return -1 if not possible

	0	1	2	3	4
0					
1					
2					
3					
4					



valid directions



Fresh























Rotten























Empty

$t=0$

	0	1	2	3	4
0					
1					
2					
3					
4					























	0	1	2	3	4
0					
1					
2					
3					
4					





















$t=1$



$t=3$





















	0	1	2	3	4
0					
1					
2					
3					
4					



	0	1	2	3	4
0					
1					
2					
3					
4					

$t=2$

Visualize

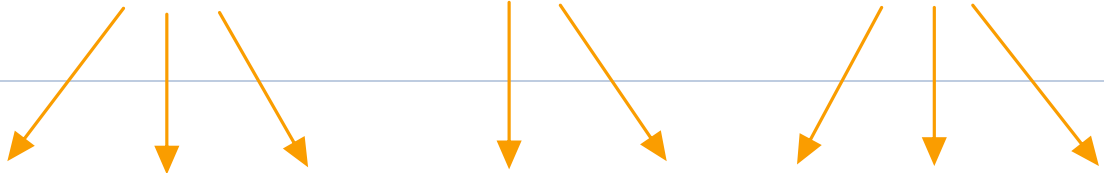
	0	1	2	3	4
0					
1					
2					
3					
4					

time = 0

(0, 0, 3)

(0, 2, 1)

(0, 4, 3)



time = 1 (1, 0, 2) (1, 0, 4) (1, 1, 3) (1, 1, 1) (1, 3, 1) (1, 4, 2) (1, 4, 4) (1, 3, 3)

⋮

pseudo code

// initialize queue

min time = 0;

for (r=0; r < R; r++)

for (c=0; c < C; c++)

if (A[r][c] == ROTTEN)

queue.append (0, r, c)

// initialize directions

Dx = [0, -1, 0, 1]

$Dy = [1, 0, -1, 0]$

```
while (! queue.isEmpty()) {
    time, r, c = queue.dequeue()
    min time = time;
    for (i=0; i < 4; i++) {
        nr = r + dx[i];
        nc = c + Dy[i]
        // check if nr, nc is in range
        //  $0 < nr < R$   $0 < nc < C$ 
        if (A[nr][nc] == FRESH) {
            A[nr][nc] = ROTTEN;
            queue.enqueue(Ctime+1, nr, nc);
        }
    }
}
```

// check for fresh oranges

```
for (r=0; r < R; r++)
```

```
for (c=0; c < C; c++)
```

```
if (A[r][c] == FRESH)
```

```
return -1;
```

```
return min_time
```

Break : 10:30 pm

T.C = $R \times C$

S.C = $R \times C$



Flipkart Grocery has several warehouses spread across the country and in order to minimize the delivery cost, whenever an order is placed we try to deliver the order from the nearest warehouse.

Therefore, each Warehouse is responsible for a certain number of localities which are closest to it for deliveries, this **minimizes the overall cost for deliveries**, effectively managing the distribution workload and minimizing the overall delivery expenses.

Problem statement:-

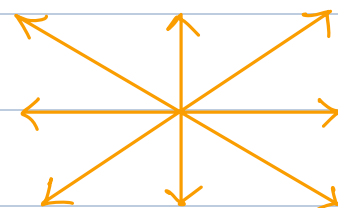
You are given a 2D matrix **A** of size **NxM** representing the map, where each cell is marked with either a **0** or a **1**. Here, a **0** denotes a locality, and a **1** signifies a warehouse. The objective is to calculate a new **2D matrix** of the same dimensions as **A**.

In this new matrix, the value of each cell will represent the minimum distance to the nearest warehouse. For the purpose of distance calculation, you are allowed to move to any of the **eight adjacent cells** directly surrounding a given cell.

Input :

1	0	0
0	0	0
0	0	0

0	1	2
1	1	2
2	2	2



8 Directions

Input :

1	0	0
0	0	0
0	0	1

0	1	2
1	1	1
	1	0

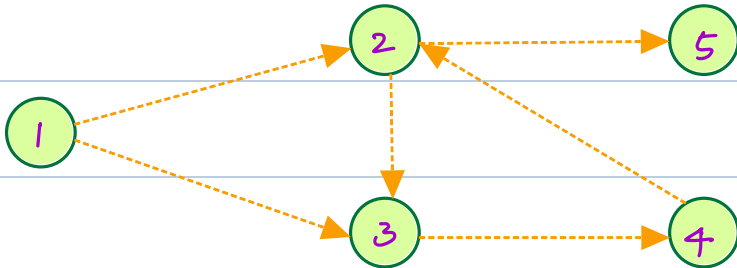
Possibility of finishing courses

Given N courses with pre-requisites

Check if it is possible to finish all the courses

Course	P.R for
1	{2, 3}
2	{3, 5}
3	{4}
4	{2}

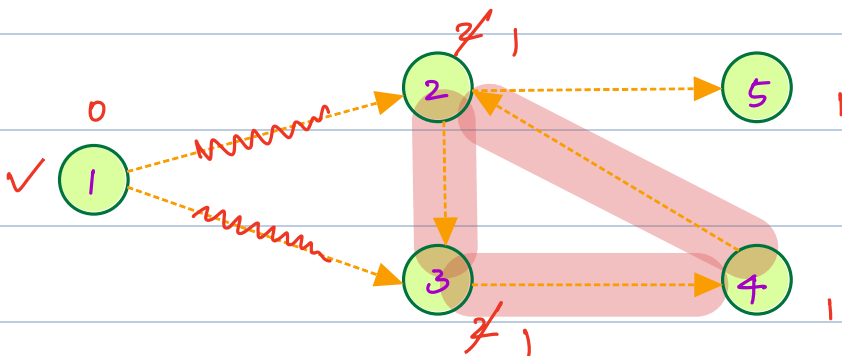
→ 1 is pre-req for 2 & 3



Where will you begin from?

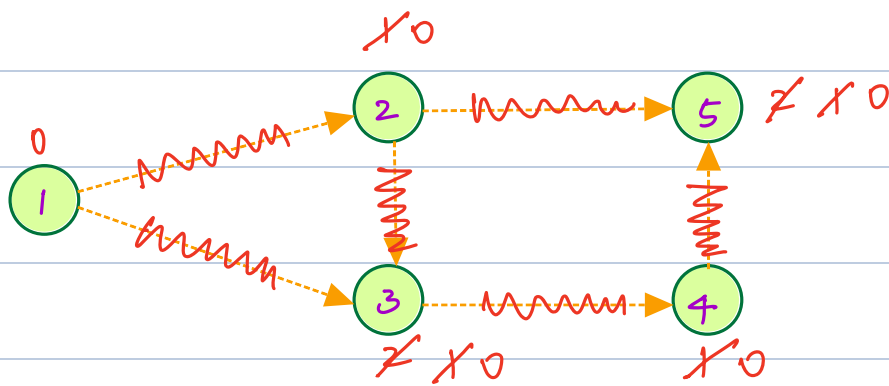
Course without pre-requisite

In degree = 0



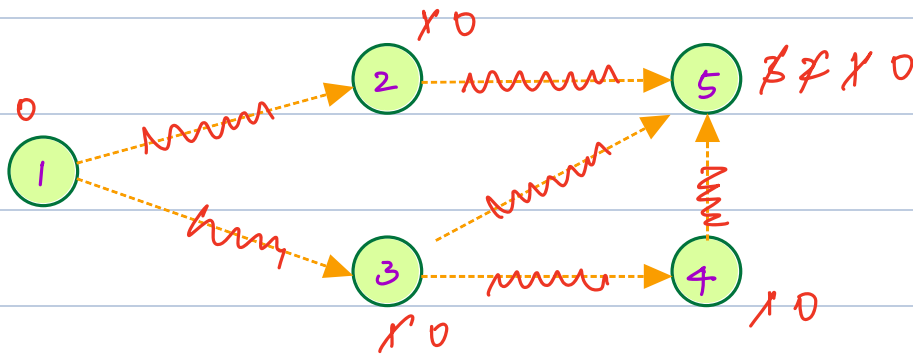
Deadlock because we have a cycle

No



1 2 3 4 5

Topological order



1 2 3 4 5

Is the order of 1, 2, 3, 4, 5 valid? Yes

Is 1, 3, 2, 4, 5 valid? Yes.

Is 1, 3, 4, 2, 5 valid? Yes

Note: there can be multiple ways to complete the course

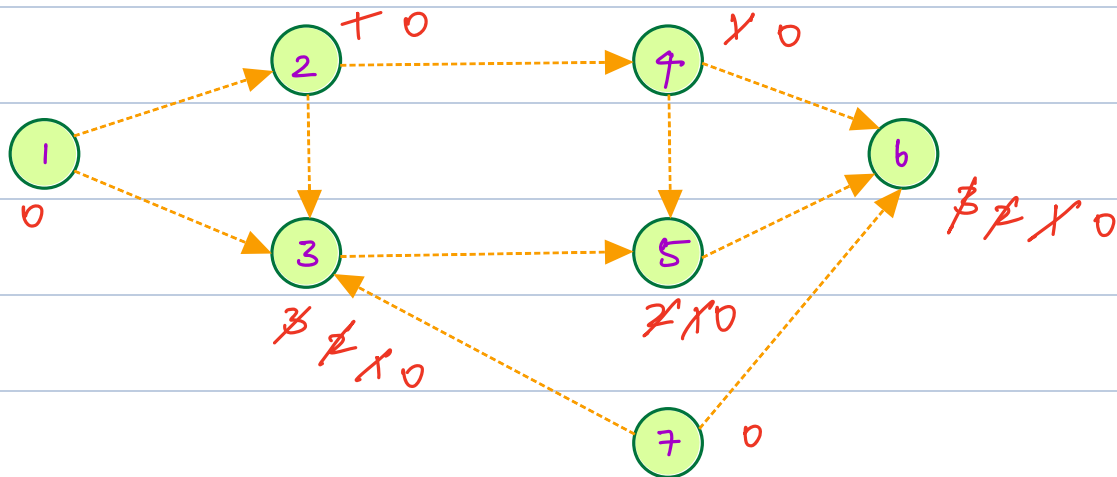
Topological sort

Works on directed acyclic graphs (DAG) only

If we have an edge $u \rightarrow v$

u will come before v in topological order

Topological sort for below graph



~~(0, 1)~~ ~~(0, 7)~~ ~~(0, 2)~~ ~~(0, 3)~~ ~~(0, 4)~~ ~~(0, 5)~~ ~~(0, 6)~~

Step 1: Calculate Indegree for all nodes graph: ac

$In[N] = \{0, 0, 0, \dots\}$

for ($i=0$; $i < n$; $i++$)

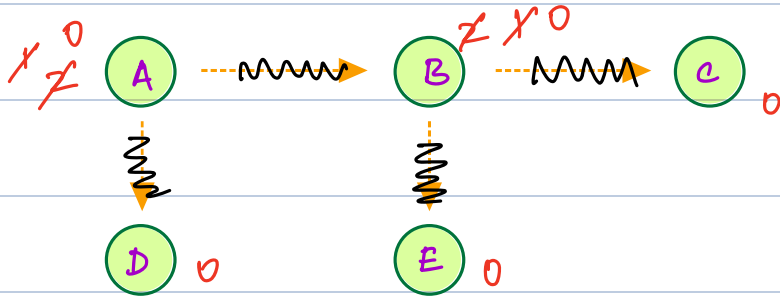
 for (nei : $graph[i]$)
 $In[nei] += 1$

Step 2: Put all nodes with Indegree == 0 into queue

Step 3: Remove front of queue

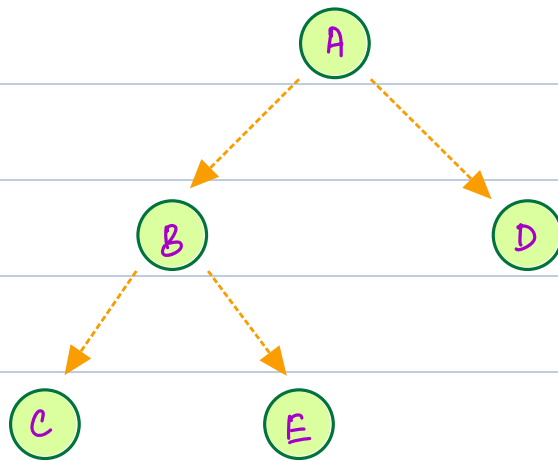
Go to all neighbours of node & mark
 $In[nei] -= 1$; If $In[nei] == 0 \rightarrow$ add to
queue

Reverse topological sort { Right to Left }



outdegree = 0

C E D B A



output

C E B D A

post order

To get the reverse of topological sort
implement post order traversal

↓
DFS

pseudo code

```
for (i = 0; i < n; i++)  
    visited[i] = False;
```

```
for (j = 0; j < n; j++)  
    if (!visited[j]) dfs(j)
```

```
void dfs (node) {
```

```
    // mark node as visited
```

```
    visited[node] = True
```

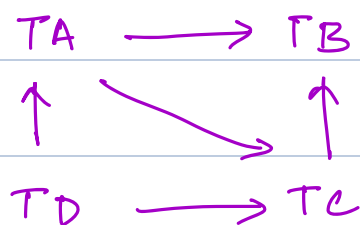
```
    // traverse all unvisited neighbours of node
```

```
    for (nei : graph.get(node)) {
```

```
        if (!visited[nei])
```

```
            dfs(nei);
```

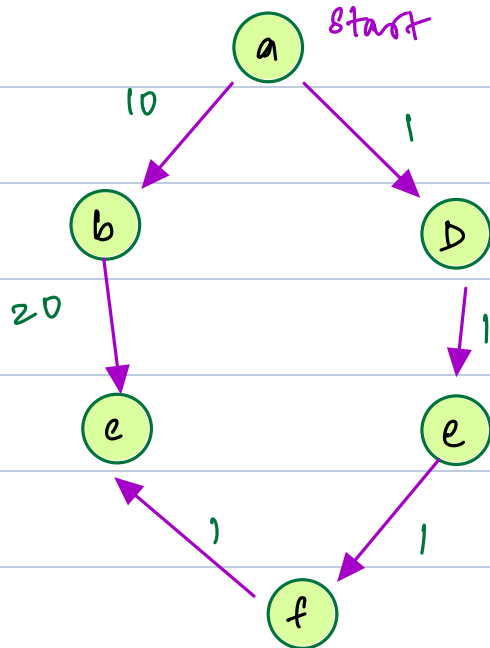
```
    }  
    print (node) → reverse topological sort
```



TD, TA, TC, TB

BFS

[Additional Information]



Shortest path
to reach c

If we do not have any weights then
BFS gives shortest path