Department of Computer Engineering 01CE0524 – Machine Learning – Lab

Practical-6: Develop a Gradient descent of linear regression using sample dataset.

Output:

```
→ Initial cost (theta = zeros): 792.2487672102134
```

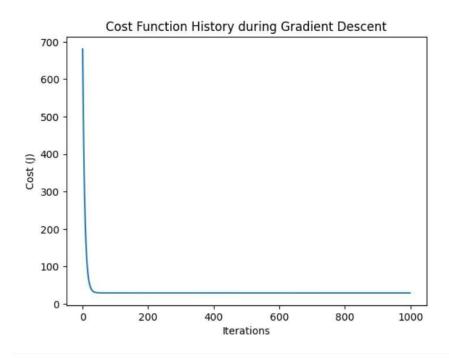
```
☐ Iteration 1: Cost = 680.5572602312128
☐ Iteration 2: Cost = 585.2192664846582
☐ Iteration 3: Cost = 503.84035572724207
☐ Iteration 4: Cost = 434.3766827006044
☐ Iteration 5: Cost = 375.08365557468636
☐ Iteration 6: Cost = 324.4721201970103
☐ Iteration 7: Cost = 281.2709597070975
☐ Iteration 8: Cost = 244.3951701983308
☐ Iteration 9: Cost = 212.91861064152818
☐ Iteration 10: Cost = 186.05074267945125
```

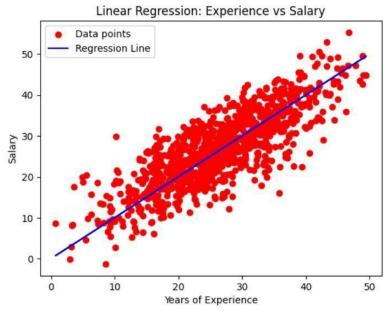
```
• Optimized parameters: theta_0 = 0.08569249990135377, theta_1 = 0.9988176396752504
```

```
Final cost after optimization: 29.364303963905186
```



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Code:

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
#1. Load dataset
df= pd.read_csv("Experience-Salary.csv")
# Step 2: Extract input (x) and output (y)
data x = data['exp(in months)'].values
y = data['salary(in thousands)'].values
m = len(x) # Number of data points
# Step 3: Prepare the data (add column of ones for intercept
term)
X = np.c_[np.ones(m), x] # Shape: (m, 2)
# Step 4: Initialize parameters (theta_0 and
theta_1) theta = np.zeros(2) # [theta_0, theta_1]
# Step 5: Learning rate and number of iterations for gradient descent
learning_rate = 0.0001
iterations = 1000
# Step 6: Define the cost function (Mean Squared Error)
def cost_function(X, y, theta):
  predictions = X.dot(theta)
 cost = (1/m) * np.sum((predictions - y) ** 2)
  return cost
```

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Step 7: Gradient descent function to optimize theta



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```
def gradient_descent(X, y, theta, learning_rate, iterations):
  cost_history = []
 for i in range(iterations):
    predictions = X.dot(theta)
    errors = predictions - y
    gradient = (1 / m) * X.T.dot(errors)
   theta -= learning_rate * gradient
   current_cost = cost_function(X, y, theta)
   cost_history.append(current_cost)
   # Optional: print cost at each iteration
    print(f"Iteration {i+1}: Cost = {current_cost}")
  return theta, cost_history
# Step 8: Print initial cost before training
initial_cost = cost_function(X, y, theta)
print(f"Initial cost (theta = zeros): {initial_cost}")
# Step 9: Run gradient descent
theta_optimized, cost_history = gradient_descent(X, y, theta, learning_rate, iterations)
# Step 10: Output optimized parameters
print(f'Optimized parameters: theta 0 = \{\text{theta optimized}[0]\}, \text{ theta } 1 = \{\text{theta optimized}[1]\}''\}
# Step 11: Print final cost
final_cost = cost_function(X, y, theta_optimized)
print(f"Final cost after optimization: {final_cost}")
```



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Step 12: Plot cost function history

```
plt.plot(range(iterations), cost_history)

plt.xlabel('Iterations')

plt.ylabel('Cost (J)')

plt.title('Cost Function History during Gradient Descent') plt.show()

# Step 13: Plot data points and regression line

plt.scatter(x, y, color='red', label='Data points')

plt.plot(x, X.dot(theta_optimized), label='Regression Line', color='blue')

plt.xlabel('Years of Experience')

plt.ylabel('Salary')

plt.title('Linear Regression: Experience vs Salary')

plt.legend()

plt.show()
```