

Computer Vision

SOC
CNN

examples: Image Classification, Object detection
neural style transfer

Why CNN? or for large data in 3 dimensions it's better
than in computer vision

Edge detection

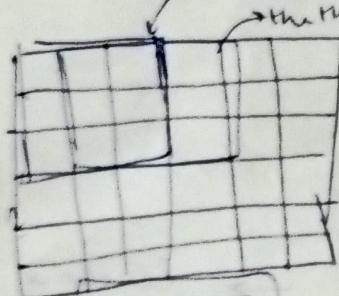
2 6x6 mm \star convolution 3×3 new = (new) 4x4

$$\begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix}$$

python - conv - from
example (1 mm conv)

kernel ~~then 2D~~
~~convolve this blur~~
~~first row~~

filter / kernel



[Python] \Rightarrow conv-forward

[TensorFlow] = tf.nn.conv2d

[Keras] = 2D

$$\text{eg } \begin{bmatrix} 10 & 10 & 10 \\ 1 & 1 & 1 \\ 0 & 0 & 0 \end{bmatrix} \star \begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix} = \begin{bmatrix} 0 & 30 & 30 \\ 30 & 30 & 30 \\ 0 & 30 & 30 \end{bmatrix} \underset{\text{edge}}{\downarrow}$$

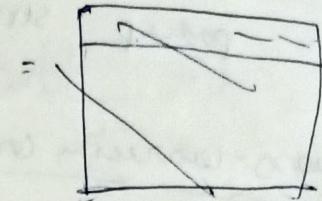
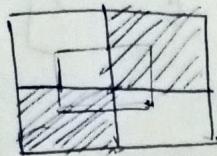
The diagram illustrates a convolution operation. It starts with a 3x3 input matrix containing values 10, 1, and 0. This is multiplied by a 3x3 kernel matrix with values 1, 0, -1. The result is a 3x3 output matrix where each element is the sum of the products of the corresponding input and kernel elements. The final output is labeled 'edge'.

Verteil

| | | |
|---|---|----|
| 1 | 0 | -1 |
| 1 | 0 | 1 |
| 1 | 0 | -1 |

Reinigt

| | | |
|----|----|----|
| 1 | 1 | 1 |
| 0 | 0 | 0 |
| -1 | -1 | -1 |



$$\begin{pmatrix} 0 & 0 & 0 & 0 \\ 30 & 10 & -10 & -30 \\ 30 & 10 & -10 & -30 \\ 0 & 0 & 0 & 0 \end{pmatrix}$$

Sobel filter \Rightarrow

| | | |
|---|---|----|
| 1 | 0 | -1 |
| 2 | 0 | -2 |
| 1 | 0 | -1 |

Schaar filter

| | | |
|----|---|-----|
| 3 | 0 | 3 |
| 10 | 0 | -10 |
| 3 | 0 | 3 |

$6 \times 6 \times$

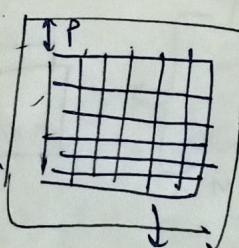
| | | |
|-------|-------|-------|
| w_1 | w_2 | w_3 |
| w_4 | w_5 | w_6 |
| w_7 | w_8 | w_9 |

Padding

$$(n \times A) * (f \times f) = (n-f+1) \times (n-f+1) \rightarrow \text{short output}$$

edges are detected ~~as well~~

$n \times n$ Padding



$$(n+2p-f+1) \times (n+2p-f+1)$$

$f \rightarrow$ usually odd

Valid (\Leftrightarrow no padding) $P=0$ more valid
Same (\Leftrightarrow output size is same as input size)

$$P = f - 1$$

Standard Convolution
matrix of one step block form $\xrightarrow{\text{if stride = 1}}$ stride

$$n \times n \times f \times f : \left[\left(\frac{n+2p-f}{s} + 1 \right) \right] \times \left[\left(\frac{n+2p-f}{s} + 1 \right) \right]$$

padding = stride = 2

Cross-correlation Correlation

~~Conv~~ $\rightarrow 6 \times 6 \rightarrow \boxed{\text{flipped } 3 \times 3}$
↓?

$$\begin{bmatrix} 3 & 4 & 5 \\ 1 & 0 & 2 \\ -1 & 9 & 1 \end{bmatrix} \cdot \begin{bmatrix} 7 & 9 & -1 \\ 2 & 0 & 1 \\ 5 & 4 & 3 \end{bmatrix}$$

what we call. Correlation ~~is~~ is cross-correlation

Convolution Over Volume

RGB image

$6 \times 6 \times 3$
height width #channels
 $3 \times 3 \times 3$
height width #channels
Rows to Rows equal

benefit \rightarrow filter out only R, G, B channels $\rightarrow R \begin{bmatrix} 1 & 0 & -1 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} \begin{bmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} \dots$

multiple from

$$\begin{array}{c} \times \\ 6 \times 6 \times 3 \\ \times \\ 3 \times 3 \times 3 \\ = 4 \times 4 \end{array} \quad \Rightarrow \quad \begin{array}{c} \times \\ 3 \times 3 \times 3 \\ \times \\ 4 \times 4 \\ = 4 \times 4 \end{array} \quad \Rightarrow \quad \boxed{4 \times 4}$$

$$6 \times 6 \times 3 \rightarrow 3 \times 3 \rightarrow \text{ReLU}(\boxed{} + b_1) \rightarrow \boxed{}$$

$$\rightarrow 3 \times 3 \times 3 \rightarrow \text{ReLU}(\boxed{} + b_2) \rightarrow \boxed{}$$

$$Z^{[1]} = w^{[1]} a^{[0]} + b^{[1]}$$

$$a^{[1]} = g(z^{[1]})$$

$$\begin{matrix} \boxed{} \\ 6 \times 6 \times 3 \end{matrix} \rightarrow \begin{matrix} \boxed{} \\ 4 \times 4 \times 2 \end{matrix}$$

No of parameters in one layer.

$10 \rightarrow 3 \times 3 \times 3$ filter in each

$$\text{no. of pars.} = \frac{(27+1)}{10}$$

$$\approx 280$$

layer₁

$$f^{[l]} = \text{filter size}$$

$$p^{[l]} = \text{padding}$$

$$s^{[l]} = \text{stride}$$

$$\text{Input} \cdot n_h^{[l-1]} \times n_w^{[l-1]} \times n_c^{[l-1]}$$

$$A^{[l]} \rightarrow m \times n_h^{[l]} \times n_w^{[l]} \text{ output pw: } n_h^{[l]} \times n_w^{[l]} \times n_c^{[l]}$$

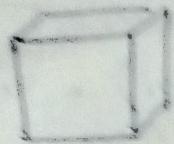
$$W^{[l]} \rightarrow f^{[l]} \times f^{[l]} \times (l-1) \times n_c^{[l]} \times n_h^{[l]} \times n_w^{[l]} = \left\lfloor \frac{n_h^{[l-1]} + 2p^{[l]} - f^{[l]}}{s^{[l]}} + 1 \right\rfloor$$

$$n_c^{[l]} = \text{number of filters}$$

$$\text{Each filter is } f^{[l]} \times f^{[l]} \times (l-1)$$

$$\text{Achnm} = a^{[l]} \rightarrow n_h^{[l]} \times n_w^{[l]} \times n_c^{[l]}$$

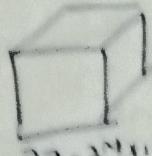
Day 1 CNN



$$\begin{aligned} & \text{Depth: } 3 \\ & \text{Width: } 32 \\ & \text{Height: } 32 \\ & \text{Channels: } 3 \end{aligned}$$

$$\begin{aligned} & \text{Depth: } 5 \\ & \text{Width: } 3 \\ & \text{Height: } 1 \\ & \text{Channels: } 0 \end{aligned}$$

whiten

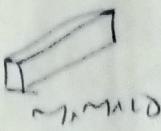
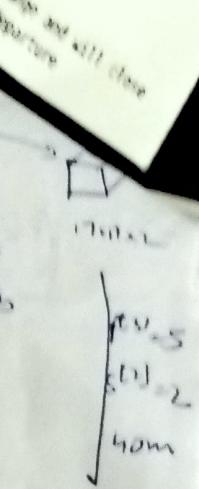


$$32 \times 8 \times 100$$

$$\begin{aligned} n_A^{(1)} = n_B^{(1)} &= 3^4 \\ n_C^{(1)} &= 10 \end{aligned}$$

$$\begin{aligned} & \text{Depth: } 5 \\ & \text{Width: } 2 \\ & \text{Height: } 0 \end{aligned}$$

softmax



196
196

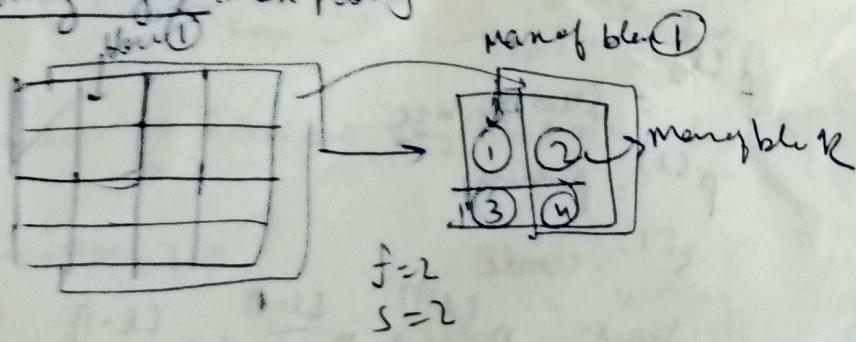
196

196, 196

Types of layers in CNN

- Convolution (CONV)
- Pooling (POOL)
- Fully Connected (FC)

Pooling layer : Max pooling

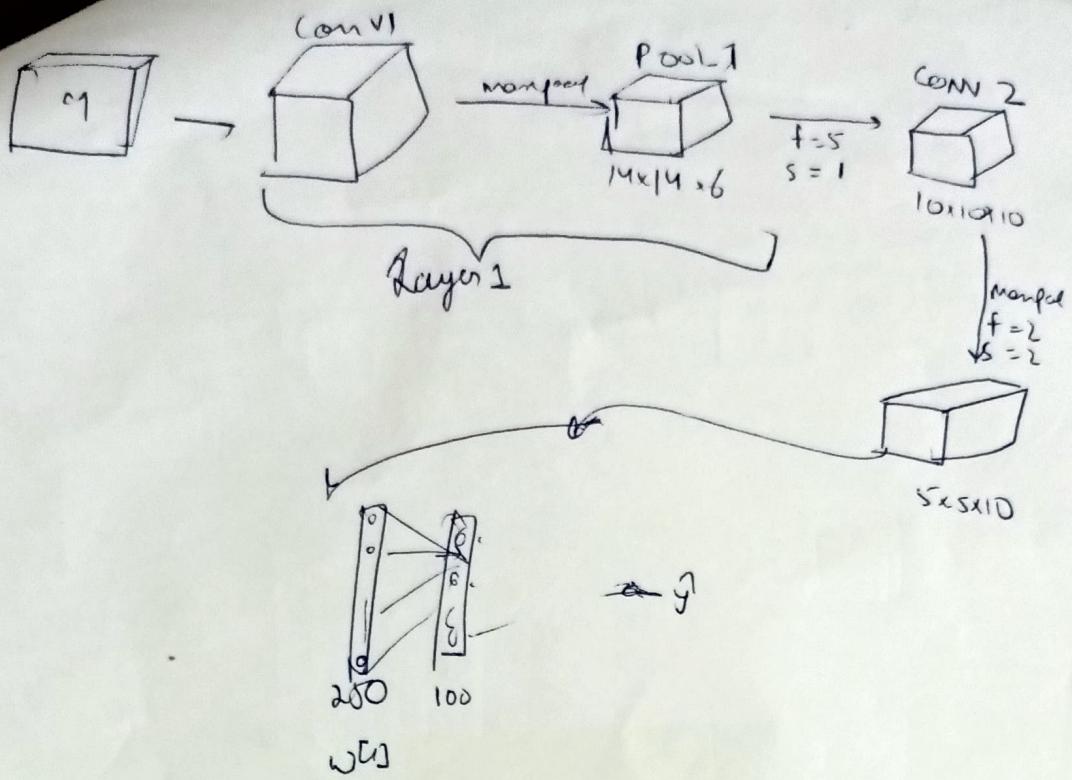


max pooling done on separate each channel

Average pooling : avg. input of max

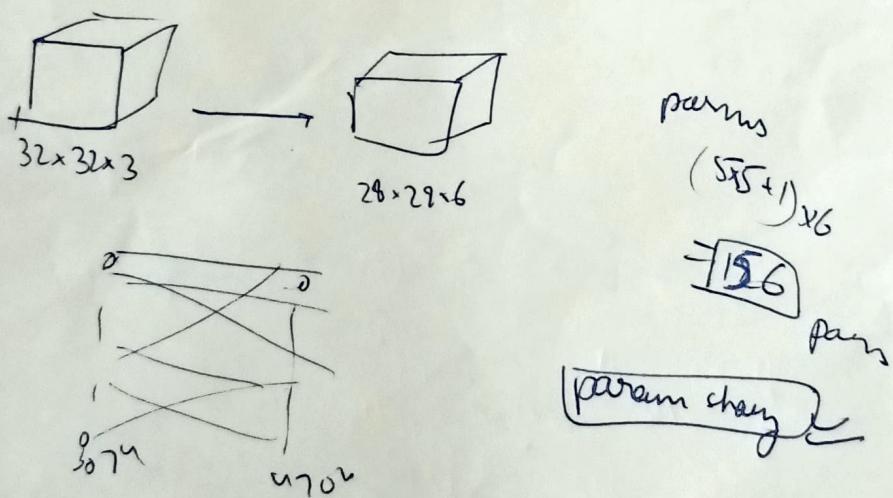
max pooling more useful

→ No params to learn in pooling.



CONV - POOL - CONV - POOL - FC - FC - ... - ~~softmax~~

Why convolution



Sparsity: less output depth can be small y_m

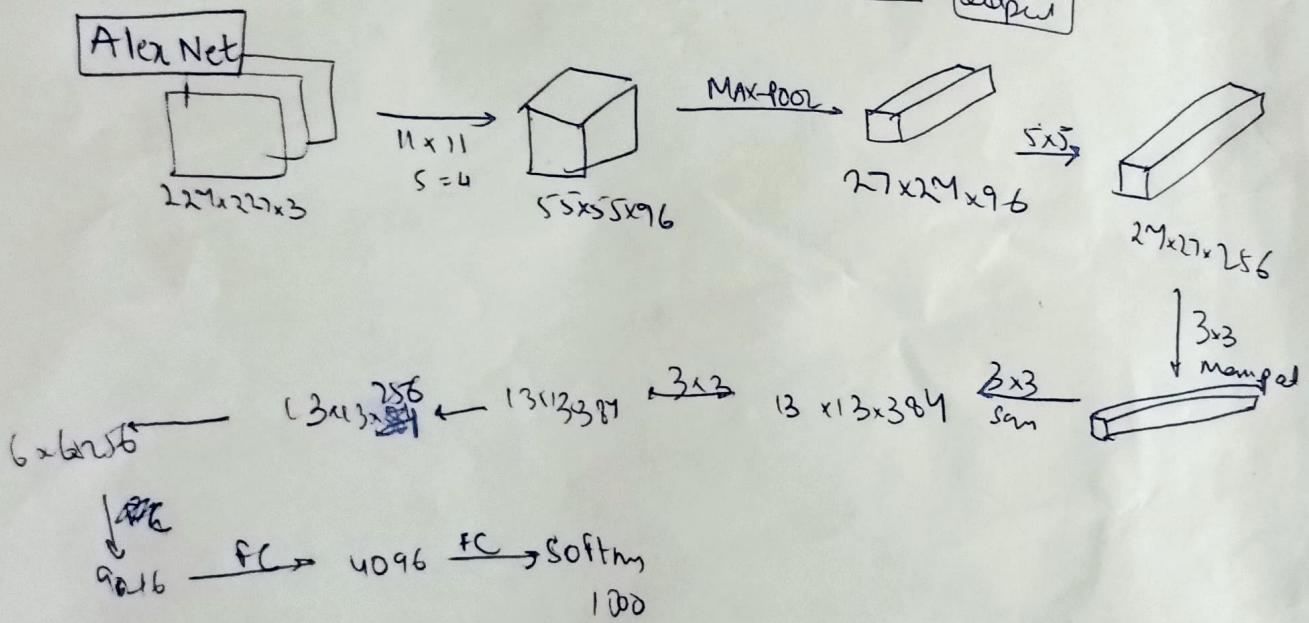
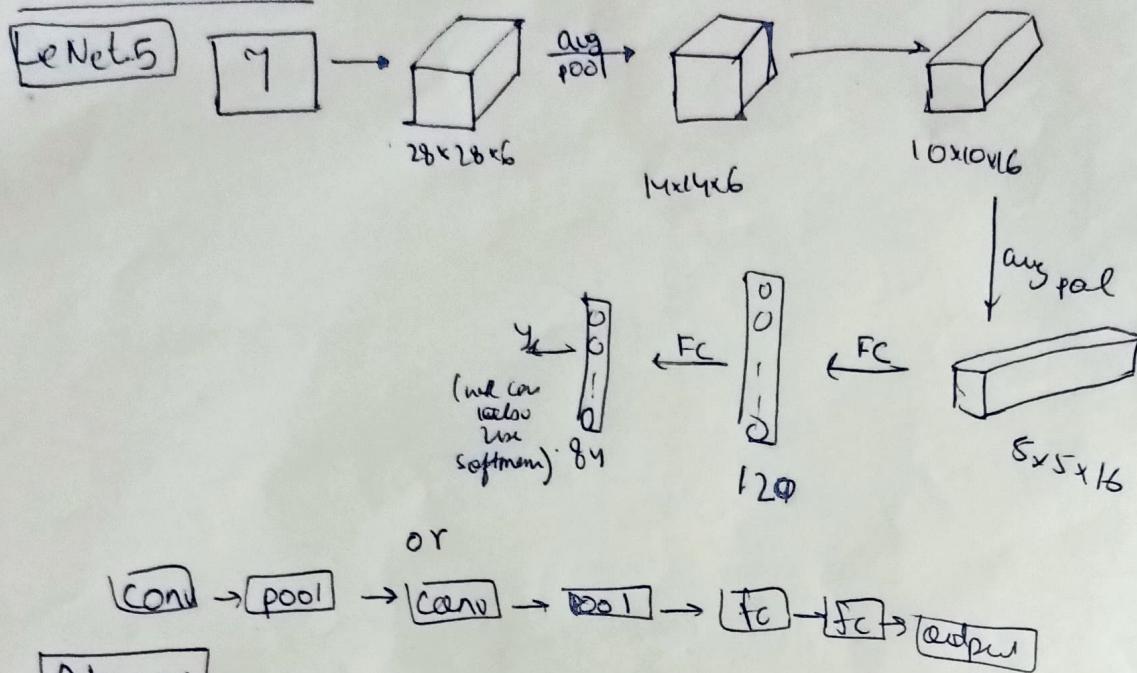
$$\text{Loss} = \frac{1}{m} \sum_{i=1}^m L(y_i, \hat{y}_i)$$

Classical networks

→ LeNet-5
→ AlexNet
→ VGG

ResNet
Inception

Classical network

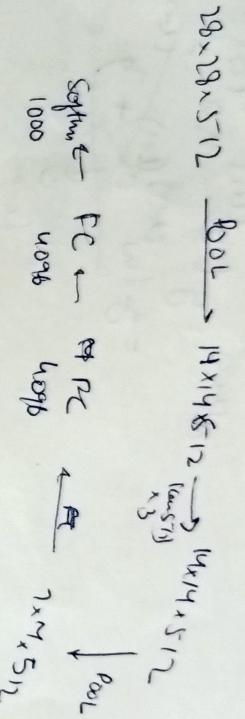
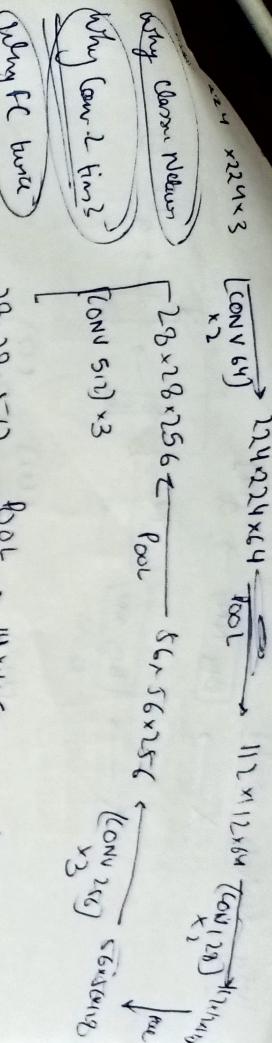


→ Similar to LeNet, but much big

→ ReLU

Why?
→ uses at the \rightarrow Multiple GPU

→ Local Response Normalization (LRN)



ResNet (Residual Network)

$$a^{[L]} \rightarrow \begin{bmatrix} 0 \\ 0 \end{bmatrix} \xrightarrow{a^{[L+1]}} \begin{bmatrix} 0 \\ 0 \end{bmatrix} \rightarrow a^{[L+2]}$$

$$\begin{aligned}
 a^{[L]} &\rightarrow \text{linear} \rightarrow \text{ReLU} \xrightarrow{a^{[L+1]}} \text{linear} \rightarrow \text{ReLU} \\
 z^{[L+1]} &= w^{[L+1]} a^{[L]} + b^{[L+1]}, \quad a^{[L+1]} = g(z^{[L+1]}) \\
 z^{[L+2]} &= w^{[L+2]} a^{[L+1]} + b^{[L+2]}, \quad a^{[L+2]} = g(z^{[L+2]})
 \end{aligned}$$

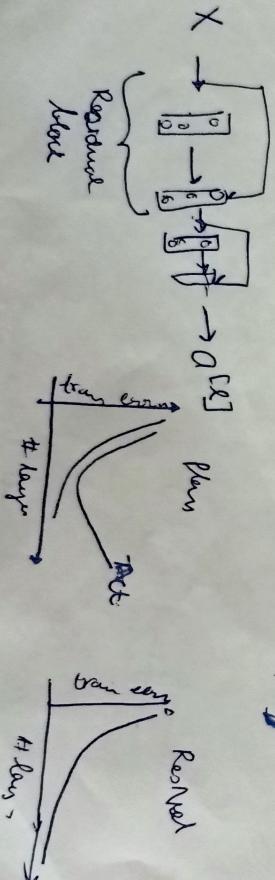
etc

$$a^{[L]} \xrightarrow{\text{ResNet}} a^{[L+1]} \quad (\text{disjoint residual network})$$

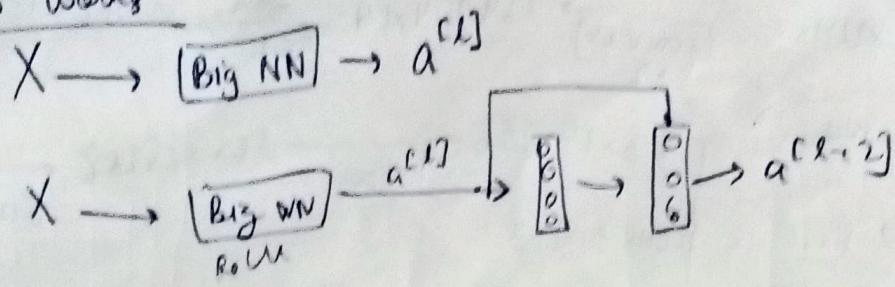
More

$$a^{[L]} \xrightarrow[\xrightarrow{a^{[L]}}]{\text{shortcut}} \text{ReLU} \rightarrow a^{[L+1]}$$

$$a^{[L+1]} = g(z^{[L+1]} + a^{[L]})$$



Why ResNets works?

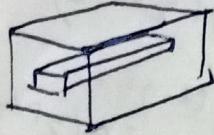


$$\begin{aligned}
 a^{[l+1]} &= g(z^{[l+1]} - a^{[l]}) \\
 &= g(w^{l+1} a^{[l]} + b^{[l+1]} - a^{[l]}) \\
 &\quad \downarrow \text{(residual)} \\
 &= g(a^{[l]}) \\
 &= a^{[l]}
 \end{aligned}$$

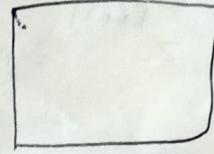
\Rightarrow so identity is easy to learn.

$$\begin{aligned}
 &f(\text{dink}^{[l+1]}) = f(\text{dink}^{[l]}) \\
 &a^{[l+1]} \xrightarrow{\text{dink}} w_s a^{[l]}
 \end{aligned}$$

1×1 Conv.

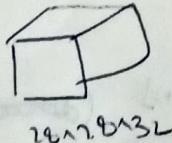


$\xrightarrow{\text{1x1 conv}}$ after mat \rightarrow ReLU \rightarrow output



$6 \times b \times \# \text{fmap}$

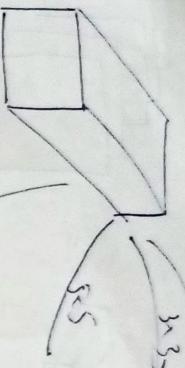
$\xrightarrow{\text{ReLU}}$
Conv 1×1
 3_2



$28 \times 28 \times 32$

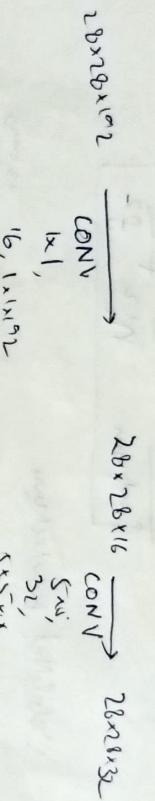
Inception Network

$1 \times 1 \rightarrow$

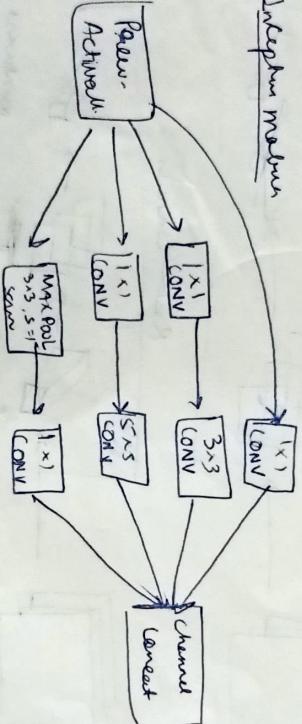


Concatenation of
several filters

Use 1×1 conv



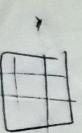
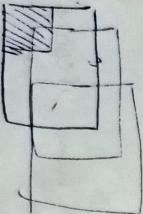
Inception module



Mobile Net
 \rightarrow less complex cost w deployment

Alphas: separation of convolution

$$f \otimes n \times n \times n_c = f \times f +$$



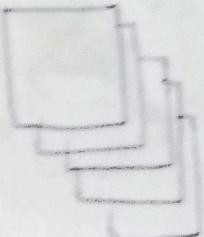
instead black my black do it longer by long

$$n \times n \times n_c \times n_k$$

Vertical Conduction



Vertical



Vertical

Conduction by convection

- Wind + air + density = loss of heat

$$\text{heat loss} = \frac{1}{R_e^2} + \frac{1}{f^2}$$

Vertical advection

(1)



Horizontal Conduction

(2)



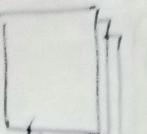
Horizontal Convection

(3)



Horizontal Convection

(4)



Horizontal Convection

- Wind + increase the strength of turbulent flow
- Wind + better convection

Efficiency Net

- Show to check what to know
Year
wind & low
depth values

YOLO algorithm

we do non obj. i.e. if $p_c = 1$, if $p_c = 0$ then other values are ignored values.

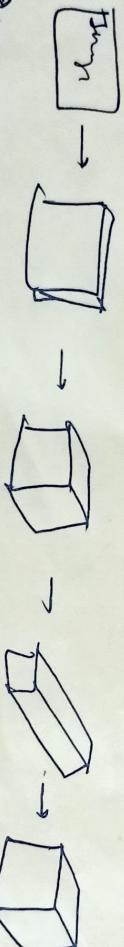
- for each pixel, get 2 prediction boxes.
- get rid of low probability prediction
- for each class, use non-mu to generate final predictions.

R-CNN

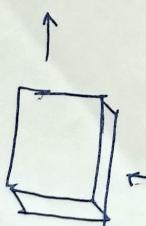
→ we run CNN on ~~the~~ select settings
was segmentation algorithm. (find useful boxes & implement our own boxes was segment algorithm & the therefore try)

Fast R-CNN ⇒ combine implementation of sliding windows

Semantic Segmentation ⇒ fires out bounding boxes in every single pixel.



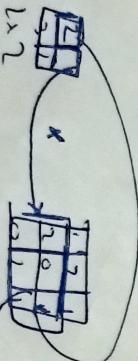
→ we label every single pixel
with each class label



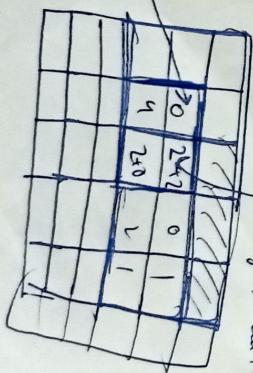
→ we use transpose convolution.

Transpose convolution

for overlapping reuse
from old map values

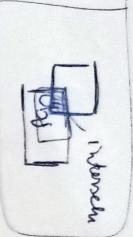


$$\begin{aligned} \text{filter} &= f \times f \\ \text{padding } p &= 1 \\ s &= 2 \end{aligned}$$



Intersection vs union

wj.



\Rightarrow size of intersection
size of union

"correct" if $16U \geq 0.5$ blue two bonds
bonds.

Non-monotonic suppression

↑ one detector per object known 100%.

Each output for :
$$\begin{cases} p_c \\ b_n \\ b_u \\ b_h \\ b_w \end{cases}$$

discard all but with $p_c \leq 0.6$

\Rightarrow pick out true bon with largest p_c for prun

\rightarrow discard any random bon with $16U > 0.5$

Andersen bonus

\Rightarrow If there are more than one object in a group

we use Andersen bonus
$$\left[\begin{array}{c} p_c \\ b_n \\ b_h \\ b_w \end{array} \right]$$

we change y to \hat{y} =
$$\left[\begin{array}{c} p_c \\ b_n \\ b_h \\ b_w \end{array} \right]$$

Andersen bonus
$$\left[\begin{array}{c} p_c \\ b_n \\ b_h \\ b_w \end{array} \right]$$

Each object in group may be considered
grid cell that covers object
represent an anchor bon to
grid cell with highest ratio
of total objects stage.

16 thus shape of Andersen
bon is similar to the
shape of object we give

$$16 \boxed{p_c = 1}$$

$$\left[\begin{array}{c} p_c \\ b_n \\ b_h \\ b_w \end{array} \right]$$

anderson bon