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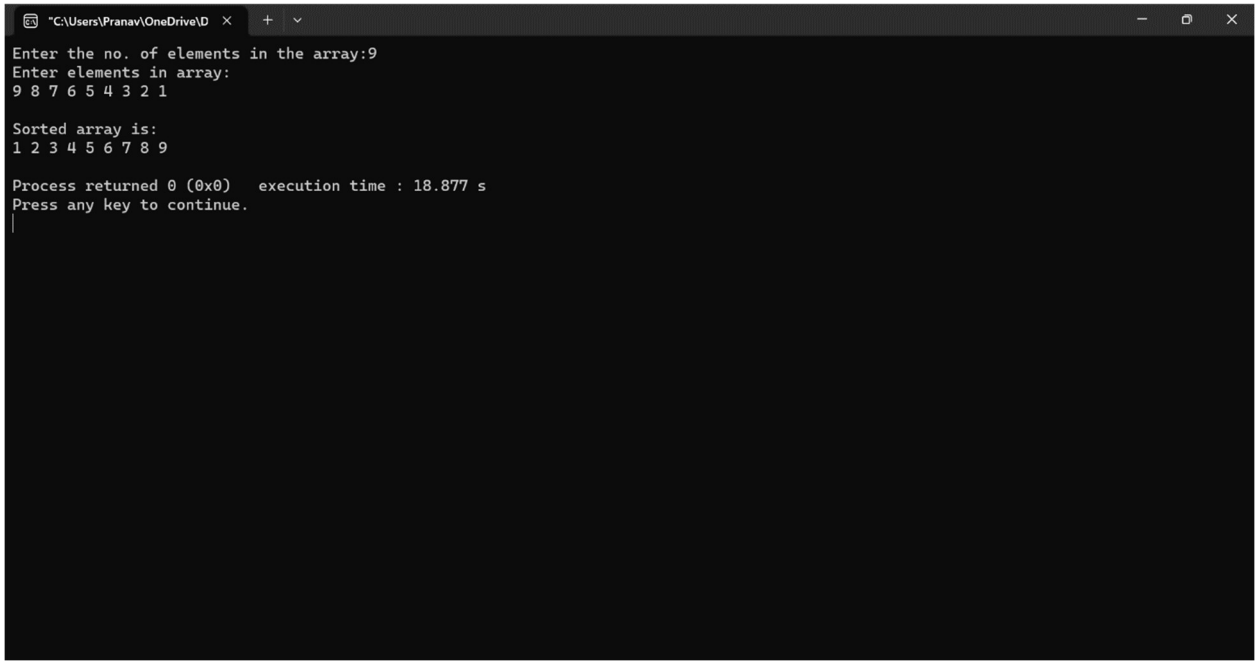
SUBJECT	Design and Analysis of Algorithm
EXP No.	2
AIM:	Sorting the Array using Merge Sort Algorithm
ALGORITHM:	• **MergeSort function** if left < right mid= (left+right)/2 MergeSort(array, left, mid) MergeSort (array, mid+1, right) Merge(array, left, mid, right) • **Merge function** n1= mid-left+1 n2= right-q create arrays L[n1+1] and R[n2+1] for i from 0 to n1-1 do L[i]=array[p+i] for i from 0 to n2-1 do R[i]=array[q+i+1] L[n1]= aprox. Infinity R[n2]= aprox. Infinity Declare k, i=1 and j=1 For k from left to right Do if L[i]<=R[j] Then array[k]=L[i] i++ else array[k]=R[j] j++

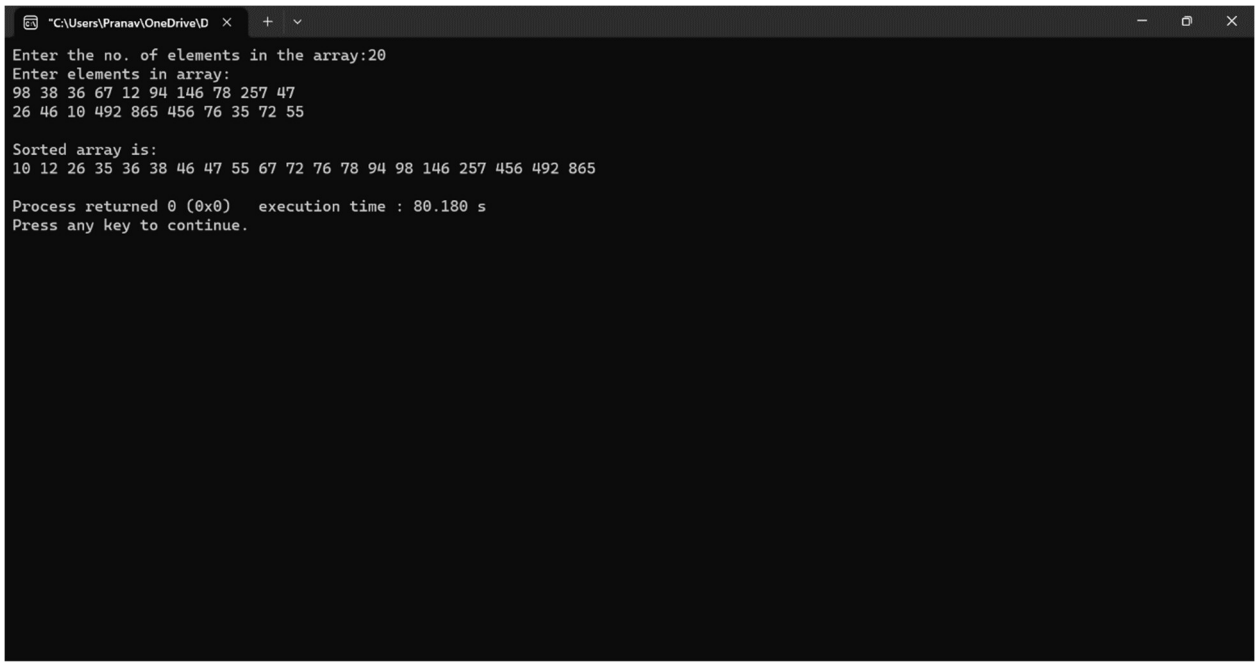
PROGRAM:

```
#include<stdio.h>
#include<stdlib.h>
#include<math.h>


void Printarr(int arr[],int n)
{
    for(int i=0; i<n; i++)
    {
        printf("%d ",arr[i]);
    }
    printf("\n");
}


void Merge(int arr[],int p,int q,int r)
{
    int n1,n2;
    n1=q-p+1;
    n2=r-q;
    int L[n1+1], R[n2+1];
    for(int i=0; i<n1; i++)
    {
        L[i]=arr[p+i];
    }
    for(int i=0; i<n2; i++)
    {
        R[i]=arr[q+i+1];
    }
    L[n1]=9999999;
    R[n2]=9999999;

    int i=0,j=0;
    for(int k = p ; k <= r ; k++)
    {
        if(L[i] <= R[j])
        {
            arr[k] = L[i];
            i++;
        }
        else
        {
            arr[k] = R[j];
            j++;
```

```
        }
    }
    return;
}


void MergeSort(int arr[],int p,int r)
{
    int q;
    if(r>p)
    {
        int q = (p+r)/2;
        MergeSort(arr,p,q);
        MergeSort(arr,q+1,r);
        Merge(arr,p,q,r);
    }
    return;
}


int main()
{
    int n;
    printf("Enter the no. of elements in the array:");
    scanf("%d",&n);
    int arr[n];

    printf("Enter elements in array:\n");
    for(int i=0; i<n; i++)
    {
        scanf("%d",&arr[i]);
    }

    MergeSort(arr,0,n-1);

    printf("\nSorted array is:\n");
    Printarr(arr,n);

    return 0;
}
```

RESULT (SNAPSHOT)





CONCLUSION:	The experiment demonstrated the efficiency and scalability of the merge sort algorithm. The results showed that the algorithm had a linear time complexity of O(n log n), making it an ideal choice for sorting large data sets. The results were consistent with the expected results, and the algorithm was able to sort the data sets efficiently and accurately.