### Natural Computing



LMU Munich summer term 2025

**Thomas Gabor** 

Who strongly prefers German?				
Who strongly prefers English?				

### Preface

- lecture
- exercises
- exam

current schedule and all further information
to be found on moodle
https://moodle.lmu.de/course/view.php?id=38504

#### Material

- what happens in this room
- slides
- video recordings (as much as possible)
- the definition sheet
- exercise sheets (with solutions)
- literature

### Slides

- found on moodle
- versions: preview raw scribbled

### Video Recordings

- we try to capture as much as possible
- not everything is guaranteed to be found online

### Video Recordings

We need some help with that!!

#### The Definition Sheet

#### Natural Computing Definition Sheet

Thomas Gabor LMU Munich

Maximilian Zorn LMU Munich

Claudia Linnhoff-Popien LMU Munich

summer term 2022

Notation.  $\wp(X)$  denotes the power set of X. # denotes vector or sequence concatenation, i.e., given two vectors  $\mathbf{x} = (x_1, \dots, x_{|\mathcal{X}|})$  and  $\mathbf{y} = (y_1, \dots, y_{|\mathcal{X}|})$  and  $\mathbf{y} = (y_1, \dots, y_{|\mathcal{X}|})$  and  $\mathbf{y} = (y_1, \dots, y_{|\mathcal{X}|})$ . A vector  $(x_0, \dots, x_{n-1})$  with length  $n \in \mathbb{N}$  nunspecified function arguments  $(f(\cdot) = 0)$  is the constant function that always where they can be used trivially.

Definition 1 (Conway's game of life). Let G = (V, E) be a graph with vertices V and (undirected) edges  $E \subseteq V \times V$ . We define  $neighborhoodi: V \rightarrow p(V)$  via  $N \in V$  and  $N \in V$  are trivers to the labels  $\{dead, dive\}$ , i.e., the state  $n \in V$  is a define  $|n|_{N} = N$  and  $N \in V$  are the  $N \in V$  and  $N \in V$  are the  $N \in V$  and  $N \in V$  are the  $N \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolution of a state  $n \in V$  and  $N \in V$  are the evolu

$$x_{t+1}(v) = \begin{cases} dead & \text{if } |v|_{x_t} \leq 1, \\ x_t(v) & \text{if } |v|_{x_t} = 2, \\ dive & \text{if } |v|_{x_t} = 3, \\ dead & \text{if } 4 \leq |v|_{x_t}, \end{cases}$$

$$e (G, x_S) \text{ is called } x_t = 1, \dots, x_t = 1.$$

for all  $v \in V$ . A tuple  $(G, x_S)$  is called an instance of the game of life for initial state  $x_S \in \mathcal{X}$ .

#### **Exercise Sheets**

- published online, solutions discussed in this room, then solution suggestion published online
- include programming exercises

### Look forward to...

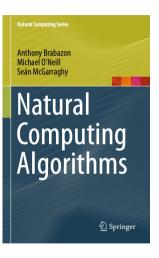


Max Zorn

#### Literature

Brabazon, O'Neill, McGarraghy. Natural Computing Algorithms. Springer, 2015.

link-springer-com.emedien.ub.uni-muenchen.de/book/10.1007/978-3-662-43631-8



...more later!

#### Questions?

## Who is doing a Master's degree?

### Who took Computational Intelligence?

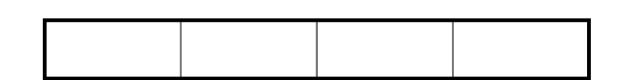
## Who has experience in any natural science?

## Who can program a deep neural network?

### Who can program a quantum computer?

Who has mastered at least one				
programming language?				

## Who is fluent in Python?

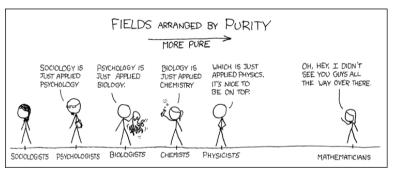


## Introduction

Natural Computing
is
algorithms
found in or inspired by
nature.

### A different perspective on computer science

### Does computer science belong among the sciences?



xkcd.com/435/

"Computer science is no more about computers than astronomy is about telescopes, biology is about microscopes or chemistry is about beakers and test tubes."

Michael R. Fellows and Ian Parberry (1993)

en.wikiquote.org/wiki/Computer\_science#Disputed
 archive.cra.org/CRN/issues/9301.pdf





"The history of the universe can be thought of as a sequence of information processing revolutions, each of which builds on the technology of the previous ones."

Seth Lloyd. Programming the Universe. Vintage Books, 2006.

### Why nature?

Physics

quantum computing simulated annealing

particle swarms

Chemistry

artificial chemistry systems

cellular automata

game of life

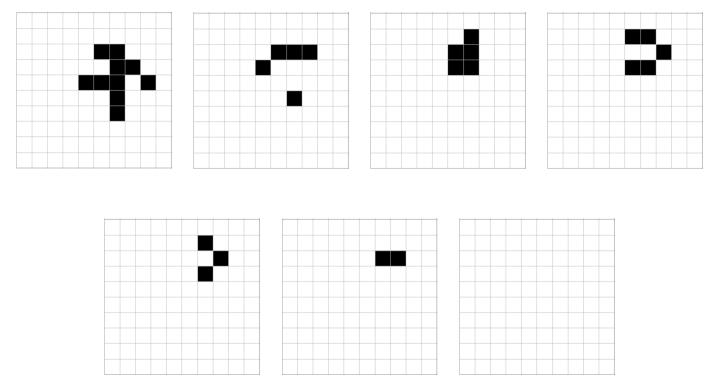
evolutionary algorithms

Biology

neural networks social computing

# The Game of Life

## Who knows Conway's Game of Life?



Natural Computing, summer term 2025, LMU Munich

**Definition 3** (Conway's game of life (standard)). Let G = (V, E) be a graph with vertices V and (undirected) edges  $E \subseteq V \times V$  with a fixed degree of 8 for all nodes. We define  $surroundings: V \to \wp(V)$  via

$$\mathit{surroundings}(v) = \{w \mid (v, w) \in E\}$$

so that |surroundings(v)| = 8 and  $v \notin surroundings(v)$  for all  $v \in V$ . A state  $x \in \mathcal{X}$  is a mapping of vertices to the labels  $\{dead, alive\}$ , i.e., the state space  $\mathcal{X}$  is given via  $\mathcal{X} = (V \to \{dead, alive\})$ . Let  $x_t$  be a state that exists at time step  $t \in \mathbb{N}$ . We define

$$|v|_{x_t} = |\{w \mid w \in \mathit{surroundings}(v) \land x_t(w) = \mathit{alive}\}|.$$

In the game of life, the evolution of a state  $x_t$  to its subsequent state  $x_{t+1}$  is given deterministically via

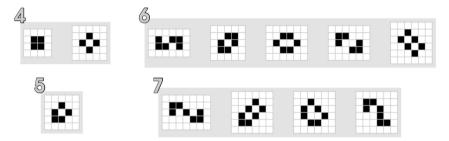
$$x_{t+1}(v) = egin{cases} dead & ext{if } |v|_{x_t} \leq 1, \ x_t(v) & ext{if } |v|_{x_t} = 2, \ alive & ext{if } |v|_{x_t} = 3, \ dead & ext{if } |v|_{x_t} \geq 4, \end{cases}$$

for all  $v \in V$ . A tuple  $(G, x_0)$  is called an instance of the game of life for initial state  $x_0 \in \mathcal{X}$ .

Let's try

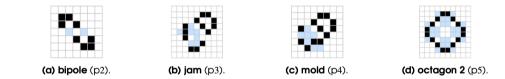
conwaylife.com

#### Still Lifes



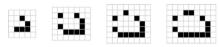
**Figure 2.1:** All still lifes with 7 or fewer live cells, arranged by their cell count. From left to right: (4 cells) block, tub, (5 cells) boat, (6 cells), snake, ship, beehive, aircraft carrier, barge, (7 cells) long snake, long boat, loaf, and eater 1 (which is sometimes called **fishhook**).

#### **Oscillators**



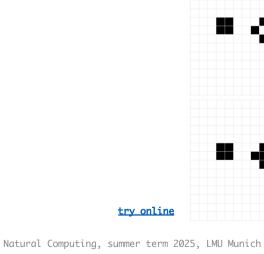
**Figure 3.1:** Some more small naturally occurring (but rare) oscillators that can be found via computer-assisted soup searches. These oscillators were found by (a) early Lifenthusiasts at M.I.T. in 1970, (b,c) Achim Flammenkamp in 1988,<sup>2</sup> and (d) Sol Goodman and Arthur Taber in 1971.

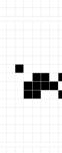
### Space Ships



**Figure 4.1:** The four basic spaceships in Conway's Game of Life. From left to right, these are the glider (which moves diagonally at a speed of c/4) and the light/middle/heavyweight spaceships (which each move orthogonally  $^1$  at a speed of c/2).

### Guns

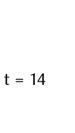












t = 15

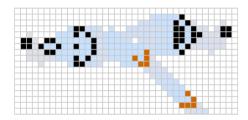
t = 1







### Space Ship Maneuvering

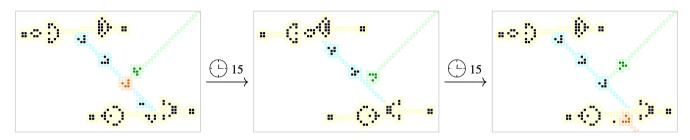


**Figure 6.2:** A Gosper glider gun producing gliders at a spacing of 30 generations.



**Figure 6.3:** A buckaroo can reflect a glider by 90 degrees, from the position marked in green to the one in orange 30 generations later.

### More Space Ship Maneuvering



**Figure 6.7:** Two Gosper glider guns can be placed near each other so as to create a finite stream of gliders (highlighted here in aqua) between them. Here, we bounce a single glider (in green) off of one of those gliders (in orange) so that it is destroyed and thus released by the inline inverter to the southeast.

source: conwaylife.com/book/

conwaylife.com/book/periodic\_circuitry