| Seat No.: | Enrolment No. |
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BE- SEMESTER-V (NEW) EXAMINATION – WINTER 2020

Subject Code:3150912 Date:01/02/2021

Subject Name:Signals and Systems

Time:10:30 AM TO 12:30 PM Total Marks: 56

Instructions:

- 1. Attempt any FOUR questions out of EIGHT questions.
- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.

| Q.1 | (a) | Compare Analog Signal and Digital Signal Differentiate between continuous and discrete time signal. | Marks 03 04 |
|------------|------------|--|-------------|
| | (b) (c) | Explain with Example following properties of system. (1) Linearity (2) Homogeneity (3) Additivity (4) Casuality (5) Shift invariance (6) Stability (7) Realizability | 07 |
| Q.2 | (a) (b) | Determine the energy and power of a unit step signal. State and prove the frequency differentiation property of | 03 04 |
| | (c) | Fourier transform. Define Laplace transform. Prove linearity property for Laplace transform. State how ROC of Laplace transform is useful in defining stability of systems. | 07 |
| Q.3 | (a) | Obtain the DFT of unit impulse $\delta(n)$ | 03 |
| | (b) (c) | Prove the duality or symmetry property of fourier transform. Find the fourier transform of the periodic signal | 04 07 |
| | (0) | $x(t)=\cos(2\pi f_0 t) u(t)$ | U7 |
| Q.4 | (a) | State and prove a condition for a discrete time LTI system to be invertible. | 03 |
| | (b) | State and prove the time scaling property of Laplace transform. | 04 |
| | (c) | Find the convolution of two signals $X_1(t)$ and $X_2(t)$ $X^*(t) = e^{-4t}u(t)$ $X_2(t) = u(t-4)$ | 07 |
| Q.5 | (a) | State the condition for existence of Fourier integral. | 03 |
| | (b) | Prove that when a periodic signal is time shifted, then the magnitude of its fourier series coefficient remains unchanged. (an = bn) | 04 |
| | (c) | Determine the homogeneous solution of the system described by: $y(n) - 3y(n-1) - 4y(n-2) = x(n)$ | 07 |
| Q.6 | (a) | State and prove the initial value theorem. | 03 |
| | (b) (c) | State and prove the Final value theorem. Explain the trigonometric fourier series with suitable example. | 04 07 |
| Q.7 | (a) | Explain discrete Fourier transform and enlist its features. | 03 |
| | (b) (c) | Define the region of convergence with respect to z-transform. Define: The Z transform. State and prove Time shifting and Time reversal properties of Z transform | 04 07 |
| 0.8 | (a) | Determine the z-transform of following finite duration | 03 |

sequence $X(n) = \{1, 2, 4, 5, 0, 7\}$

- (b) Calculate the DFT of the sequence, $x(n) = \{1,1,0,0\}$. Verify your answer with IDFT.
- (c) Determine if the following systems described by

07

i. $y(t) = \sin[x(t+2)];$

ii. y(n)=x[2-n]

are memoryless, causal, linear, time invariant, stable

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BE - SEMESTER-V (NEW) EXAMINATION - WINTER 2021

Subject Code:3150912 Date:27/12/2021

Subject Name:Signals and Systems

Time:02:30 PM TO 05:00 PM Total Marks: 70

Instructions:

- 1. Attempt all questions.
- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.
- 4. Simple and non-programmable scientific calculators are allowed.

| | | | MARKS |
|--------------|------------|--|-------|
| Q.1 | (a) | Give expression of trigonometric Fourier Series. Define coefficients of DC, fundamental and harmonics. | 03 |
| | (b) | Check whether the signal $x(t)=2\cos(100\pi t)+5\sin(50t)$ is periodic or not. | 04 |
| | | | |
| | (c) | Obtain complex exponential Fourier series for sin ωt and $\cos \omega t$. Assume ω to be constant. | 07 |
| Q.2 | (a) | Find even part of signal $x(n)=u(n)-u(n-4)$. | 03 |
| | (b) | Define energy signal. Find the energy of the signal $x(t)=5e^{-4t}u(t)$ | 04 |
| | (c) | Check whether the system described by the equation $y(t)=10x(t)+5$ is linear, static, time invariant, causal and stable. | 07 |
| | | OR | |
| | (c) | Check whether the system described by the equation $y(n)=x(n)u(n)$ is | 07 |
| | | linear, static, time invariant, causal and stable. | |
| Q.3 | (a) | Give the convolution sum and integral formulas. | 03 |
| | (b) | List and prove any two properties of convolution sum. | 04 |
| | (c) | Convolve $x(t)=e^{-3t} [u(t)-u(t-2)]$ and $h(t)=e^{-t} u(t)$. | 07 |
| Q.3 | (a) | State the linearity and time shifting property of Fourier transform. | 03 |
| Q.S | (b) | Prove convolution property of Fourier transform. | 03 |
| | (c) | Find inverse Fourier transform of | 07 |
| | (-) | $2j\omega$ | |
| | | $X(\omega) = \frac{2j\omega}{(2+j\omega)^2}$ | |
| | | $(2+j\omega)^2$ | |
| Q.4 | (a) | Define Z-transform. What is ROC? | 03 |
| | (b) | Find the Z-transform of 4 ⁿ u(n). | 04 |
| | (c) | Find inverse Z-transform of | 07 |
| | | V(z) = | |
| | | X(z) = | |
| | | Assume right-sided sequence. | |
| | | OR | |
| Q.4 | (a) | State any three properties of ROC of Z-transform. | 03 |
| - | (b) | State and prove the time shifting property of the | 04 |
| | | Z-transform. | |
| | (c) | Solve the difference equation $y(n)-0.5y(n-1) = \delta(n)$ using Z-transform. | 07 |
| Q.5 | (a) | What is zero-order hold in sampling? | 03 |

| | (b) | What are the effects of under sampling of a signal? | 04 |
|-----|------------|--|----|
| | (c) | Describe various types of sensors used for IoT applications. | 07 |
| | | OR | |
| Q.5 | (a) | Explain the reconstruction of a signal from its samples. | 03 |
| | (b) | Explain any one practical application of Signals and Systems theory. | 04 |
| | (c) | Explain working of any system based on Arduino. | 07 |
| | | | |

BE - SEMESTER-V (NEW) EXAMINATION - SUMMER 2021

Subject Code:3150912 Date: 15/09/2021

Subject Name: Signals and Systems

Time:10:30 AM TO 01:00 PM **Total Marks: 70**

Instructions:

- 1. Attempt all questions.
- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.
- 4. Simple and non-programmable scientific calculators are allowed.
- Determine the energy and power of a unit step signal. **Q.1** (a)

03

Determine whether or not the following signals is periodic. If a signal is periodic, determine its **(b)** fundamental period.

04

- $x(t) = \cos t + \sin \sqrt{2}t$ (i)
- $x[n] = e^{j\left(\frac{\pi}{4}\right)n}$ (ii)
- Write the properties of convolution and explain them with suitable example. (c)

07

Q.2 Consider an analog pulse (a)

03

$$x(t) = \begin{cases} 1 & 0 \le t \le 1 \\ 0 & Otherwise \end{cases}$$

Find mathematical expression for (t) delayed by 2, advanced by 2, and the reflected signal x(-t).

(b) Consider the following signal 04

$$X(t) = Ae^{\alpha t}u(t)$$
, $\alpha > 0$

Is X(t) an energy signal or power signal as $\alpha \rightarrow 0$ what is the nature of signal?

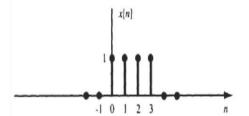
Determine natural response of the first order system governed by the equation, (c)

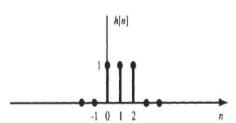
07

$$\frac{dy(t)}{dt} + 3y(t) = x(t); y(0) = 2$$

OR

Evaluate [n] = x[n] * h[n], by graphical method, where x[n] and h[n] are shown figure below. 07





Q.3(a) Prove that a DT LTI system is causal if and only if h(n)=0 for n<0. 03

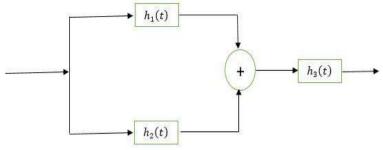
Explain time shifting and periodicity property of laplace transform. **(b)**

04

Find the overall impulse response of the system shown in figure below. (c)

07

Take, $h_1(t) = tu(t)$; $h_2(t) = 3u(t)$; $h_3(t) = 2u(t)$;



OR

| Q.3 | (a) | State and prove the initial value theorem. | 03 |
|------------|------------|---|----|
| | (b) | Consider a discrete-time LTI system with impulse response $h[n]$ given by $h[n] = \alpha^n u[n]$ | 04 |
| | ` , | i. Is this system causal? | |
| | | ii. Is this system BIBO stable? | |
| | (c) | Obtain the convolution integral of | 07 |
| | (0) | $X(t)=1 \text{ for } -1 \le t \le 1$ | |
| | | $H(t)=1$ for $0 \le t \le 2$ | |
| Q.4 | (a) | Consider the system described by | 03 |
| | ` / | Y'(t) + 2 y(t) = x(t) + x'(t) | |
| | | Find the impulse response h(t) of the system. | |
| | (b) | Explain sampling and quantization. | 04 |
| | (c) | Define Z-transform. Explain region of convergence and their properties. | 07 |
| | | OR | |
| Q.4 | (a) | Determine the z-transform of $x(n) = (n-3)u(n)$ | 03 |
| | (b) | Determine the inverse z-transform of | 04 |
| | | $(z) = \log(1 + az^{-1})$; $ z > a $. | |
| | (c) | Derive the Convolution integral for CTS. Find out the even and odd part. | 07 |
| Q.5 | (a) | Test the following systems for linearity. $y(t) = 4x(t) + 2\frac{dx(t)}{dt}$. | 03 |
| | (b) | State and prove the time scaling property of Laplace transform. | 04 |
| | (c) | A system has impulse response h(n) given by, $h(n) = -0.25\delta(n+1) + 0.5\delta(n) - 0.25\delta(n-1)$. | 07 |
| | | i. Is the system BIBO stable? | |
| | | ii. Is the system causal? Justify your answer. | |
| | | OR | |
| Q.5 | (a) | State and prove the initial value theorem. | 03 |
| - | (b) | Prove the duality or symmetry property of fourier transform. | 04 |
| | (c) | Explain the property of continuous time and discrete time Systems. | 07 |
| | | | |

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BE - SEMESTER-V(NEW) EXAMINATION - SUMMER 2022

Subject Code:3150912 Date:07/06/2022

Subject Name:Signals and Systems

Time:02:30 PM TO 05:00 PM Total Marks: 70

Instructions:

- 1. Attempt all questions.
- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.
- 4. Simple and non-programmable scientific calculators are allowed.

| | | | MARKS |
|------------|------------|--|-------|
| Q.1 | (a) | Explain odd and even signals with diagram. | 03 |
| | (b) | Define the following: Energy signal, Causal System, Analog signal, Periodic signal. | 04 |
| | (c) | Explain the Standard / Elementary signals in signal processing in continuous and discrete time. | 07 |
| Q.2 | (a) | A 100 Hz sinusoid x(t) is sampled at 240 Hz. Has aliasing occurred? Also state the minimum sampling frequency. | 03 |
| | (b) | What is a system? Explain different types of system in brief. | 04 |
| | (c) | Determine whether the following system given as $y(t) = 10x(t) + 5$ is static, causal, linear, time invariant and stable. | 07 |
| | | OR 2t of the state | 0= |
| | (c) | For LTI system with unit impulse response $h(t)=e^{-2t}u(t)$, determine output to the input $x(t)=e^{-t}u(t)$. | 07 |
| Q.3 | (a) | Find Z transform for sequence $x(n) = \{1,2,4,5,0,7\}$ and specify ROC. | 03 |
| • | (b) | Explain trigonometric fourier series with all equations. | 04 |
| | (c) | Sketch the following signals if $x(n) = \{1,1,1,1,1,1/2\}$ | 07 |
| | | 1. $x(n-4)$ 2. $x(n).u(2-n)$ 3. $x(n-1) + \delta(n-3)$ OR | |
| Q.3 | (a) | State and prove the time shifting property of Fourier transform. | 03 |
| | (b) | Find Fourier transform of unit step function. | 04 |
| | (c) | Find inverse Z transform of $X(z)=1$ / $(1-1.5z^{-1}+0.5z^{-2})$ for 1. ROC: $ z > 1$, 2. ROC: $ z < 0.5$. | 07 |
| Q.4 | (a) | Find the energy or power of the signal $x(n)=u(n)$. | 03 |
| | (b) | Explain any two properties of convolution sum. | 04 |
| | (c) | Find the linear convolution of : $x(n) = \{1,1,1,1\}$ and $h(n) = \{2,2\}$ | 07 |
| | | using basic convolution equation or graphical method. | |
| | | OR | 0.7 |
| Q.4 | (a) | Define Laplace transform and prove its linearity property. | 03 |
| | (b) | Obtain Fourier transform of a rectangular pulse given as : $x(t)=A \text{ rect } (t/T).$ | 04 |
| | (c) | The difference equation of system is given as below: | 07 |
| | | y(n)=0.5y(n-1)+x(n). Determine the system function and the impulse response h (n) of the system. | |

| Q.5 | (a) | Find Z transform of $x(n)=(1/3)^n u(n)$ and also sketch its ROC. | 03 |
|-----|------------|---|----|
| | (b) | State and prove any two properties of Z transform. | 04 |
| | (c) | Give equation for Z transform. What is ROC for Z transform? State | 07 |
| | | the properties of ROC. | |
| | | OR | |
| Q.5 | (a) | State and explain sampling theorem with necessary equations. | 03 |
| • | (b) | Explain any three sensors used in Internet of Things. | 04 |
| | (c) | Find Z transform of $x(n) = cos(\omega n) u(n)$ | 07 |
| | | | |
