

Ambisonic Coding with Spatial Image Correction

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Context and Motivations

- Telephony codecs are mostly limited to mono
- Emergence of devices supporting spatial audio
- New needs for immersive audio compression
- Extend existing codecs



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- Call with 3D ambiance sharing



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- Immersive content broadcasting (360 Video, VR...)
- Spatial audio conferencing



3D Audio and Ambisonics

Ambisonics is a sound field decomposition into a spherical harmonics basis.

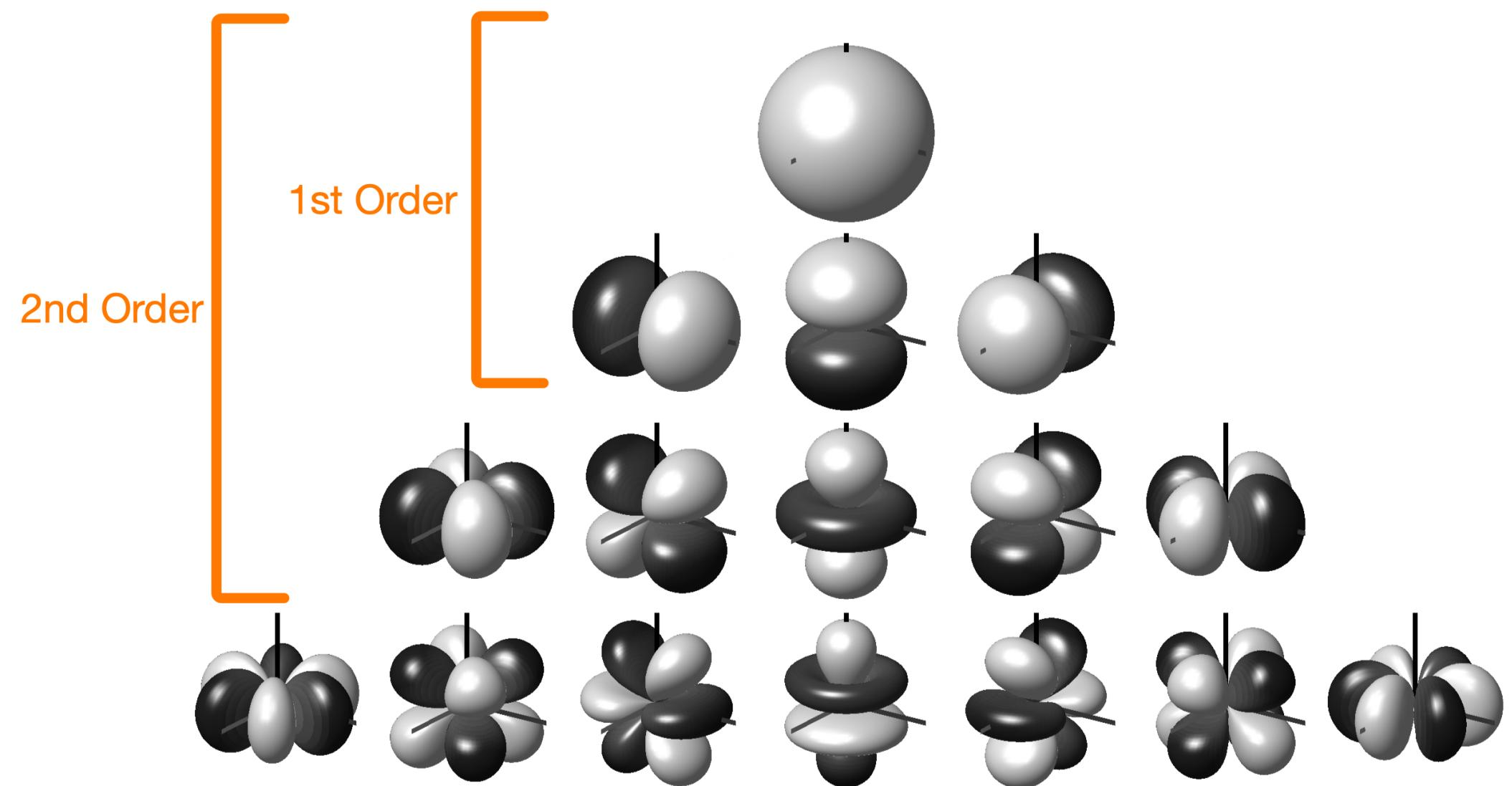
[1] M. A. Gerzon, "Periphony: With-height sound reproduction," *AES Journal, Volume 21 Issue 1 pp.2–10, 1973.*

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- First-order ambisonics (FOA) was invented in 1970s by Gerzon et al. [1]
- Later extended to higher orders by Daniel et al. [2]
- For an order N , the number of components is $n = (N + 1)^2$



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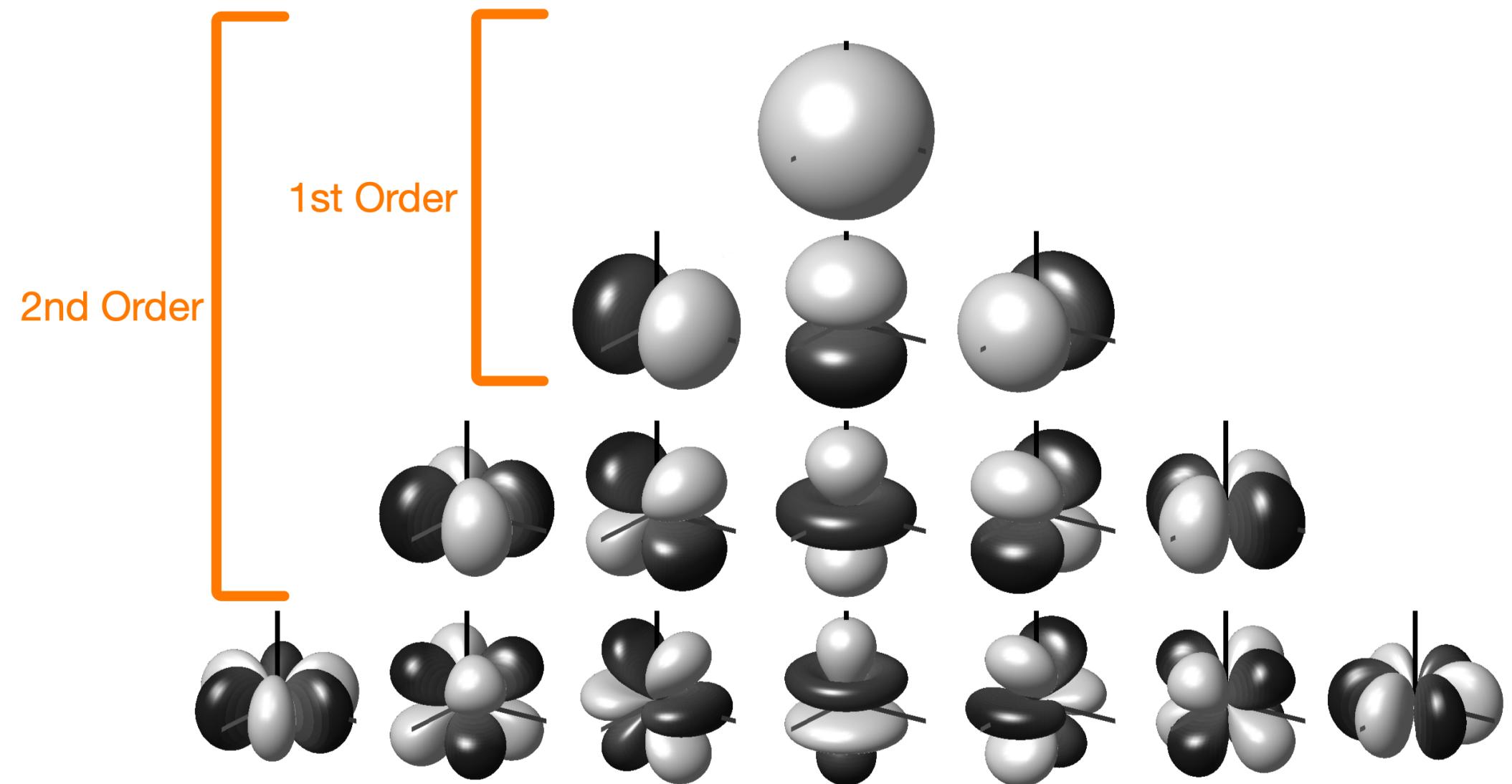
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Source encoding for First-Order Ambisonic (FOA)

$$\mathbf{b}(t) = \begin{bmatrix} w(t) \\ x(t) \\ y(t) \\ z(t) \end{bmatrix}^T = \begin{bmatrix} 1 \\ \cos \theta \cos \phi \\ \sin \theta \cos \phi \\ \sin \phi \end{bmatrix}^T s(t)$$



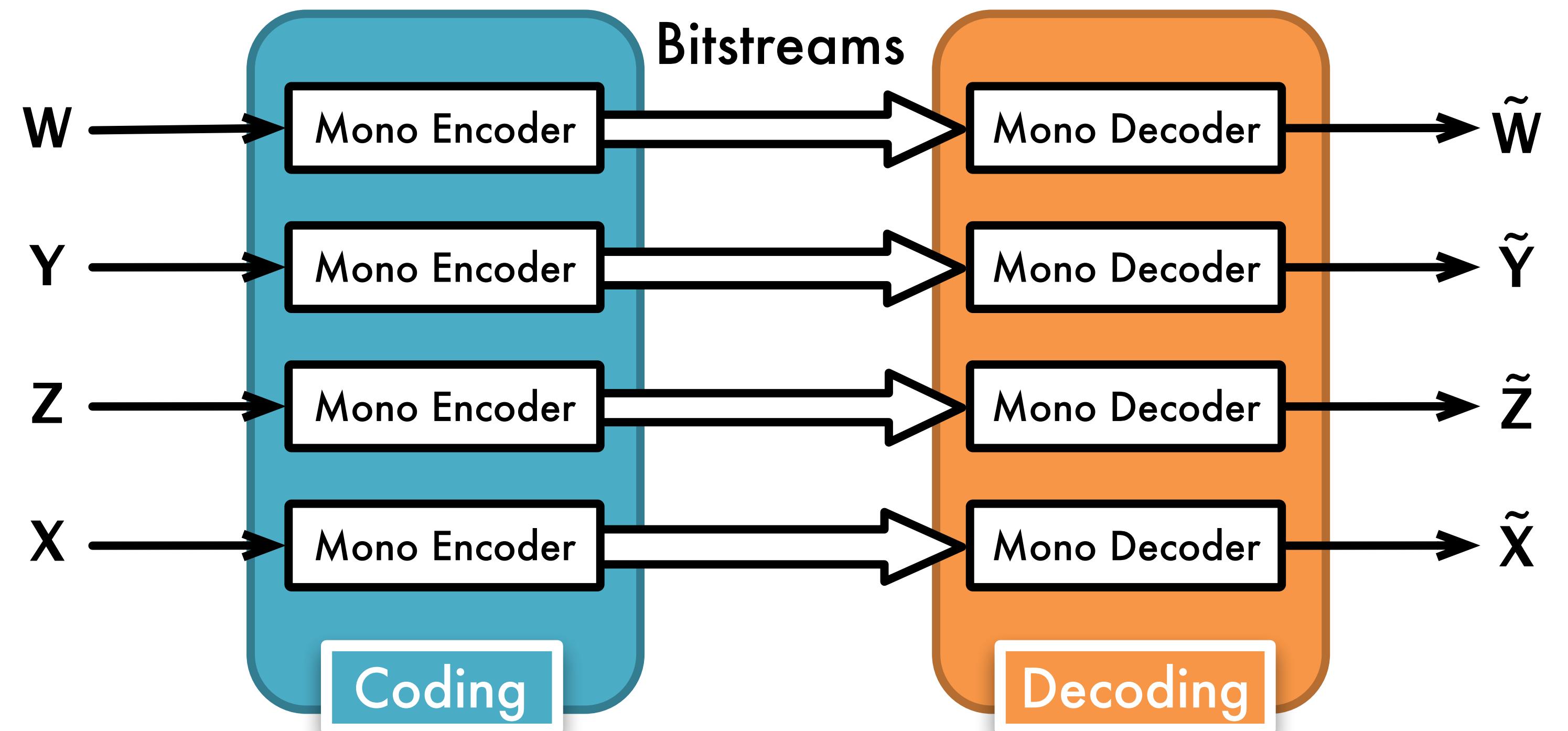
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Baseline

Multi-mono approach

- Each ambisonic components is coded independently by a mono codec
- Bitrate is uniformly distributed between components



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Issues

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- Several artefacts and spatial distortions
 - Diffuse noise
 - Phantom sources

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- Several artefacts and spatial distortions
 - Diffuse noise
 - Phantom sources
- Highly visible on spatial power map

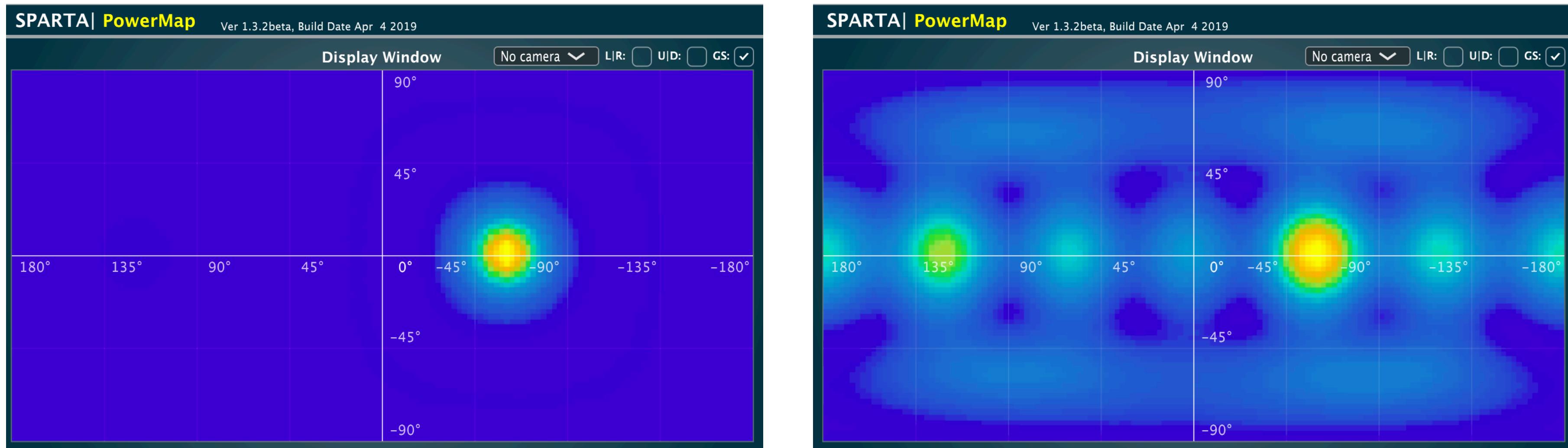


Fig. 1: Power map of original (left) and coded (right) ambisonic signals

Our approach

Observations

- Spatial artefacts are visible on power map
- If the decoder knew the original power map, it could correct the spatial distortions

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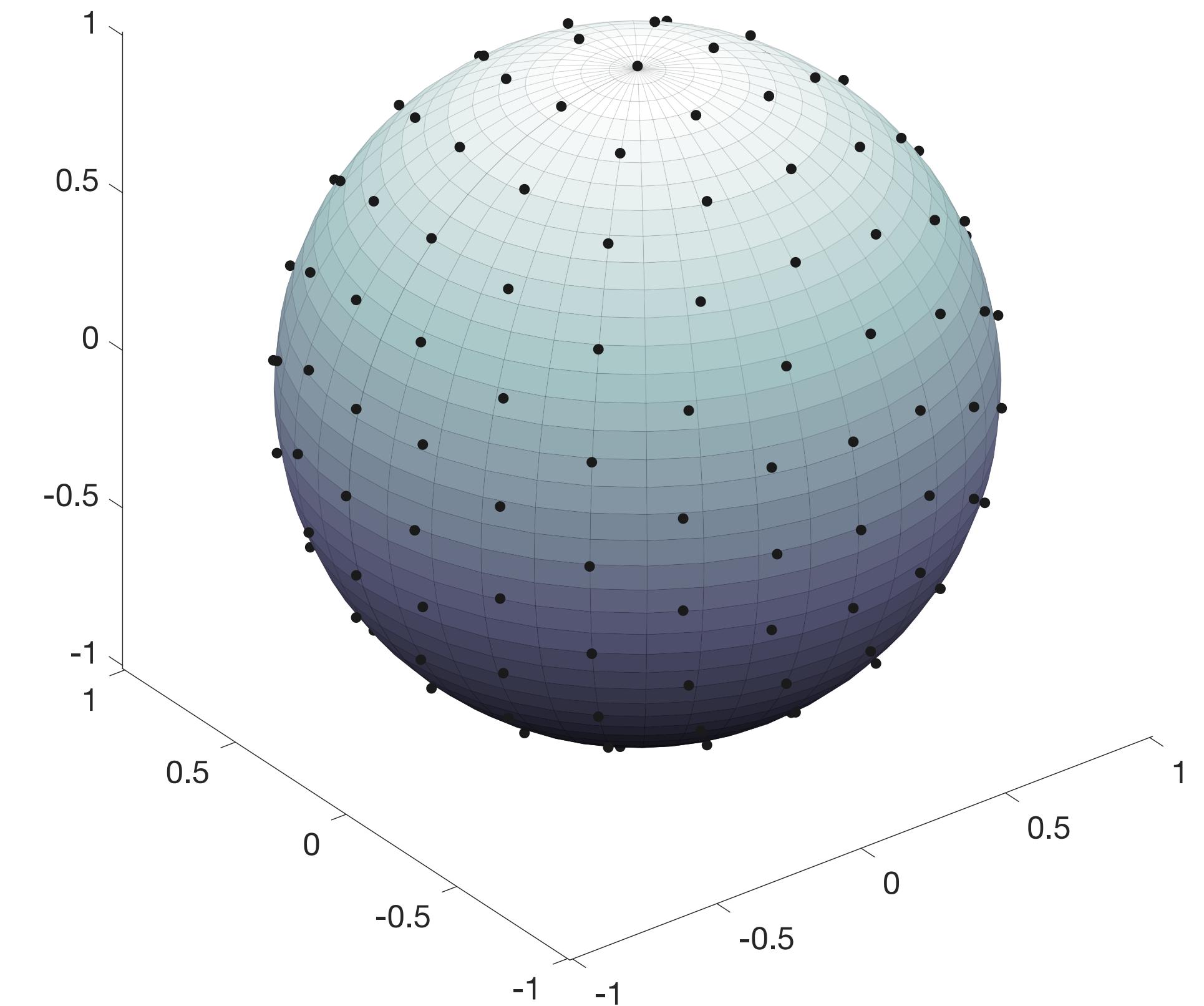
Our proposal

- Create a post-processing to correct multi-mono
- Based on the power map
- Re-using core codecs

Our approach — Power map

How does power map work ?

- A set of points discretizing the sphere is taken

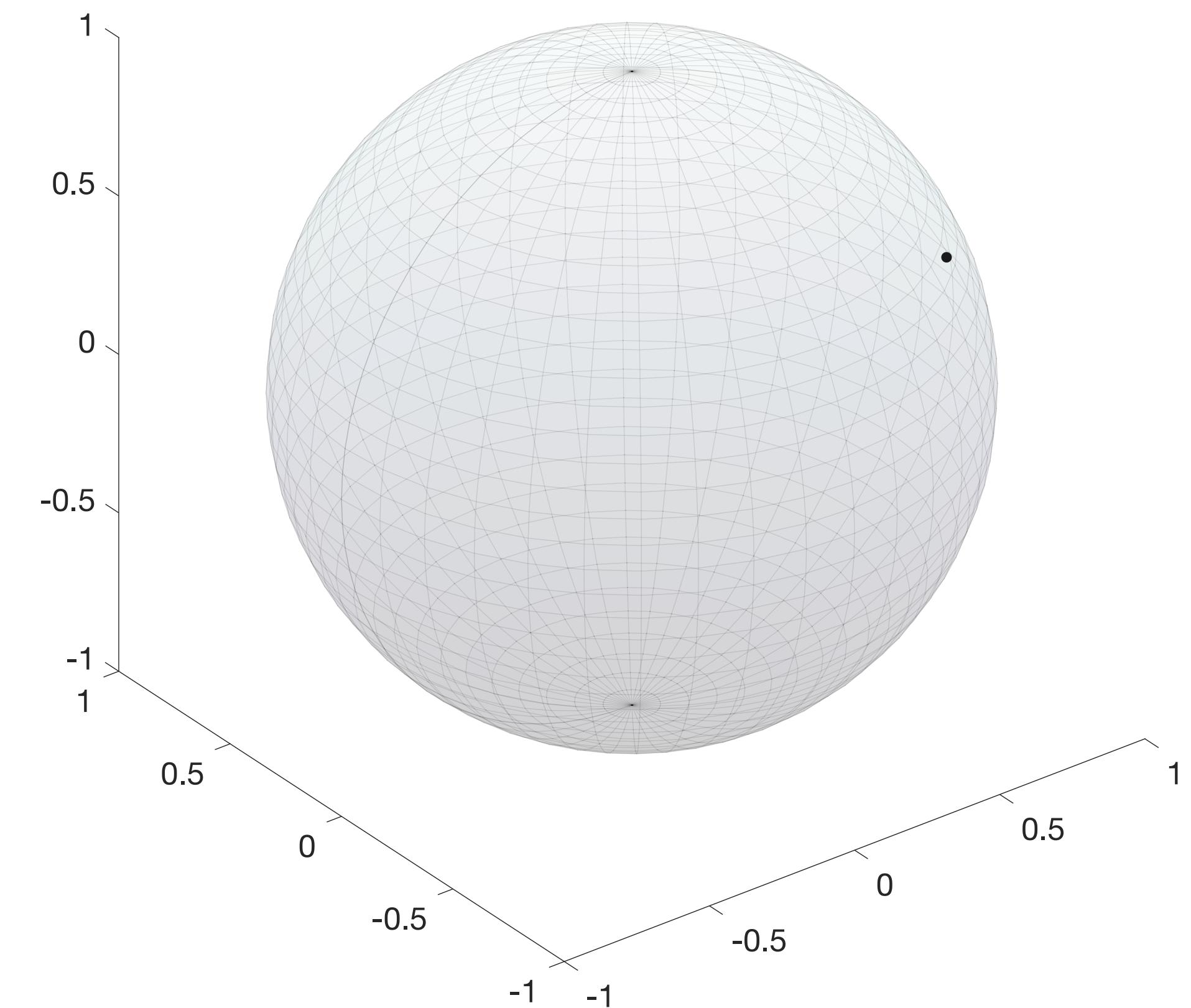


Our approach — Power map

How does power map work ?

- A set of points discretizing the sphere is taken
- For each, a weight vector \mathbf{d}_i is used to create a bream forming in the direction i

$$s_i(t) = \sum_{k=1}^n \mathbf{d}_i(k) \cdot b_k(t)$$



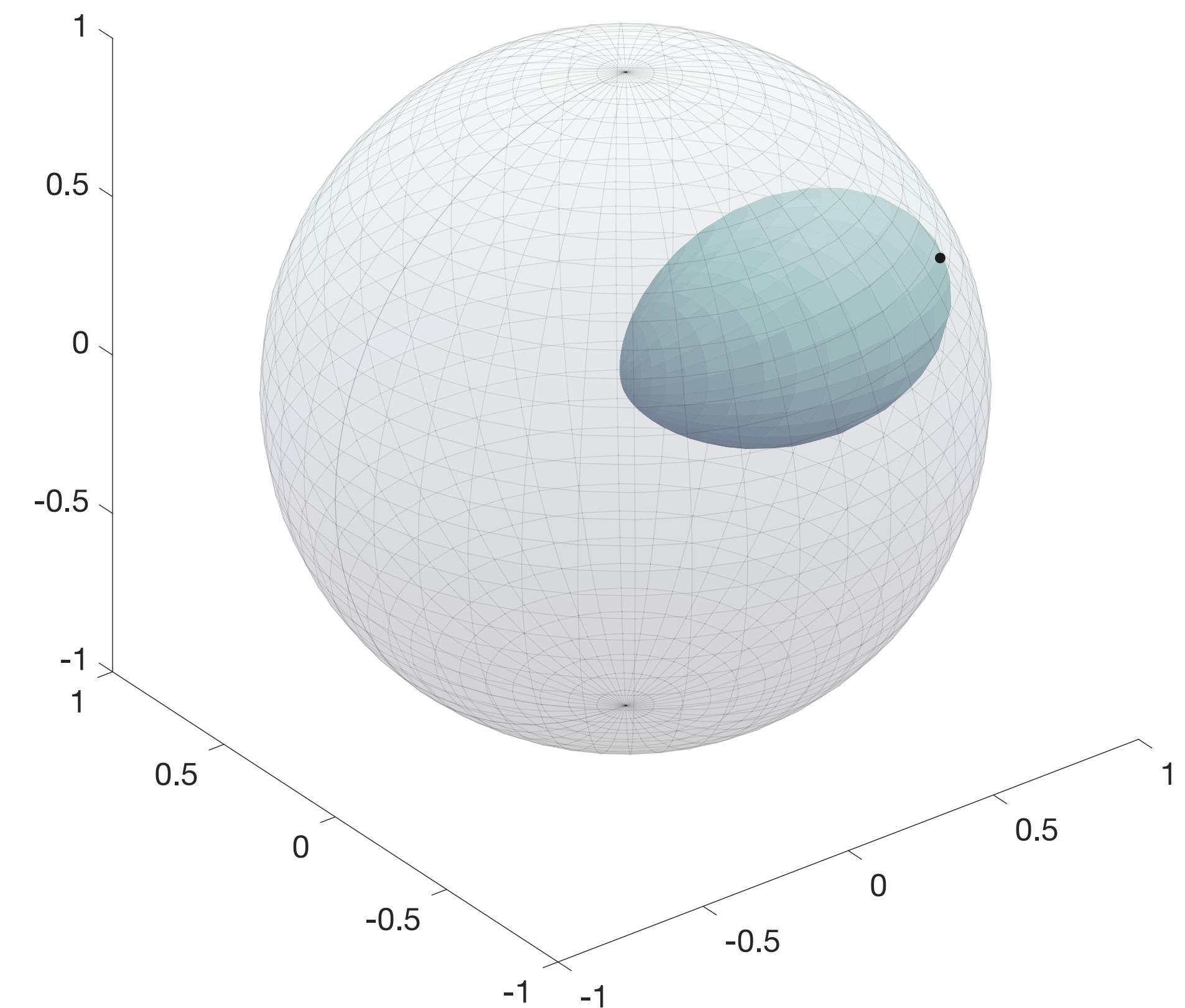
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$$\mathbf{P}_i = \sum_{t=1}^L s_i(t)^2$$



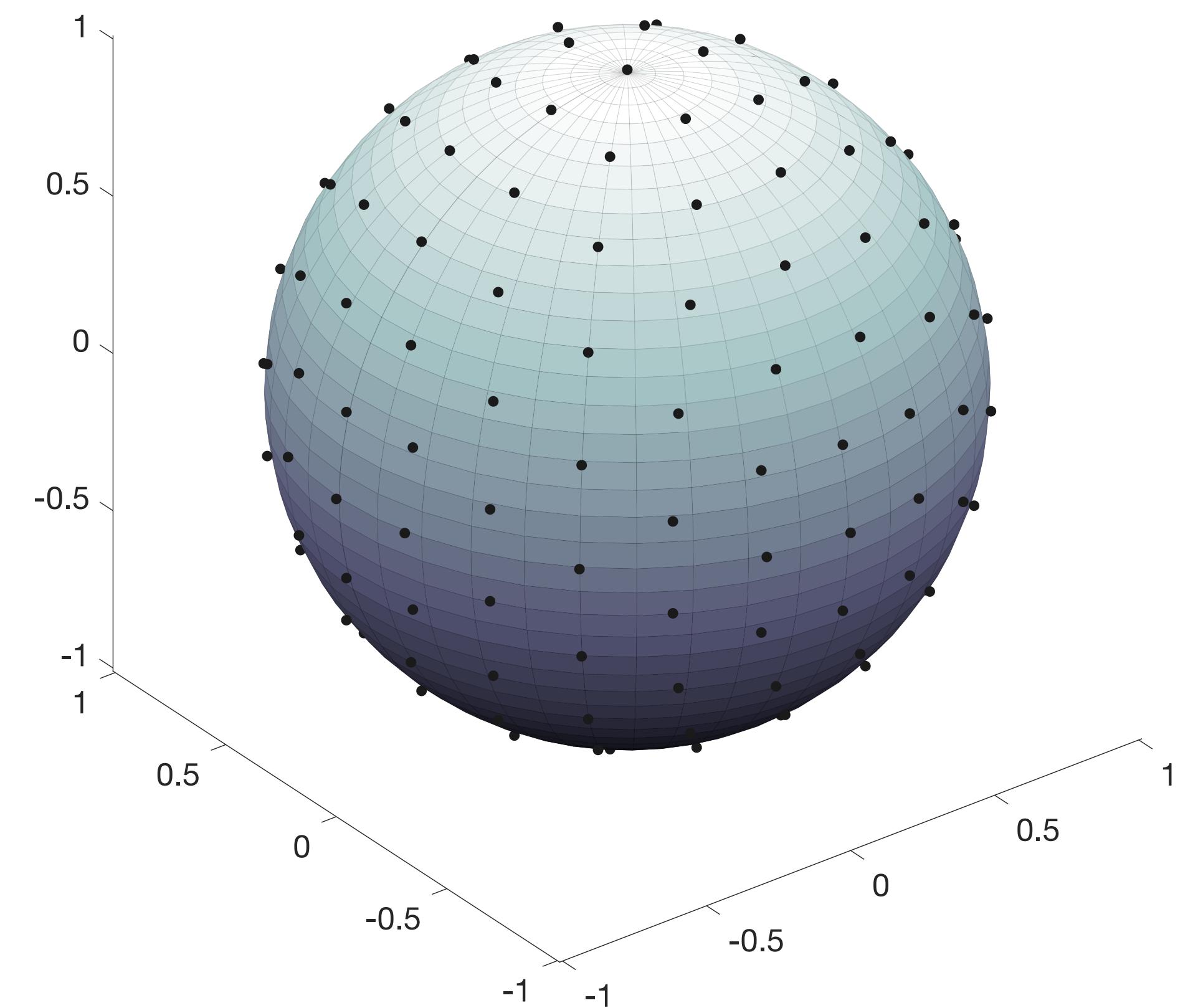
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How does power map work ?

- By re-writing equations, the power of each direction can be compute directly

$$\mathbf{P}_i = \mathbf{d}_i \mathbf{C} \mathbf{d}_i$$

Where $\mathbf{C} = \mathbf{B} \cdot \mathbf{B}^T$



Our approach – Spatial correction

- Problem formulation:

$$\forall i, d_i \mathbf{C}_{cor} d_i = d_i \mathbf{C} d_i$$

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- Cholesky Factorisation:

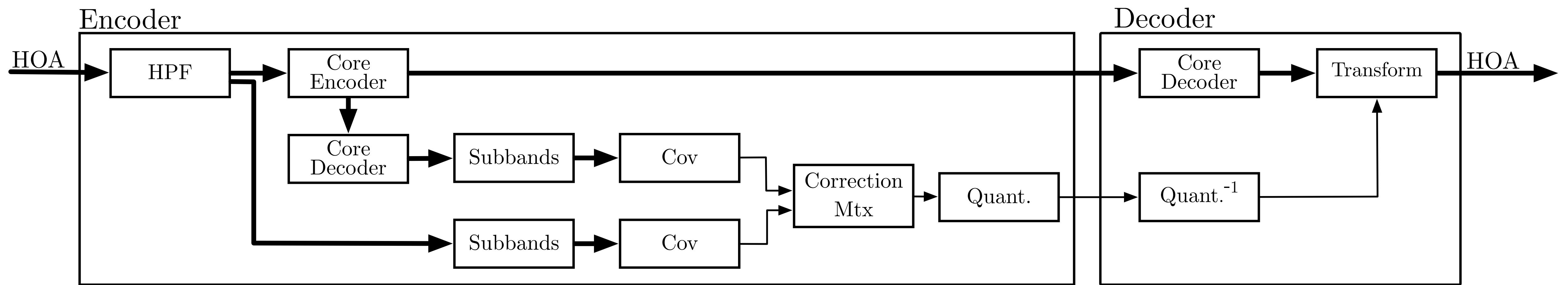
$$\mathbf{C} = \mathbf{L} \mathbf{L}^t$$

$$(\mathbf{T} \tilde{\mathbf{L}})(\mathbf{T} \tilde{\mathbf{L}})^t = \mathbf{L} \mathbf{L}^{-1}$$

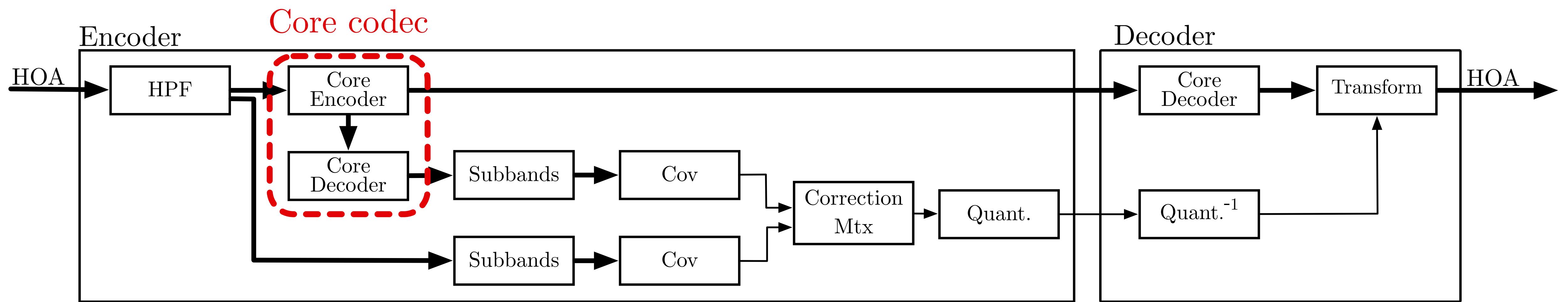
- Then:

$$\mathbf{T} = \mathbf{L} \tilde{\mathbf{L}}^{-1}$$

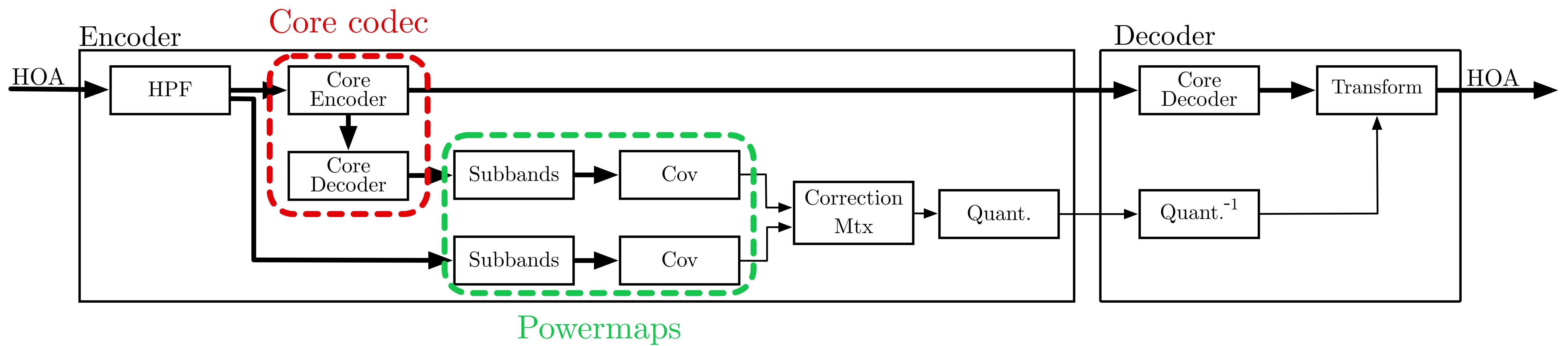
Our approach – Codec overview



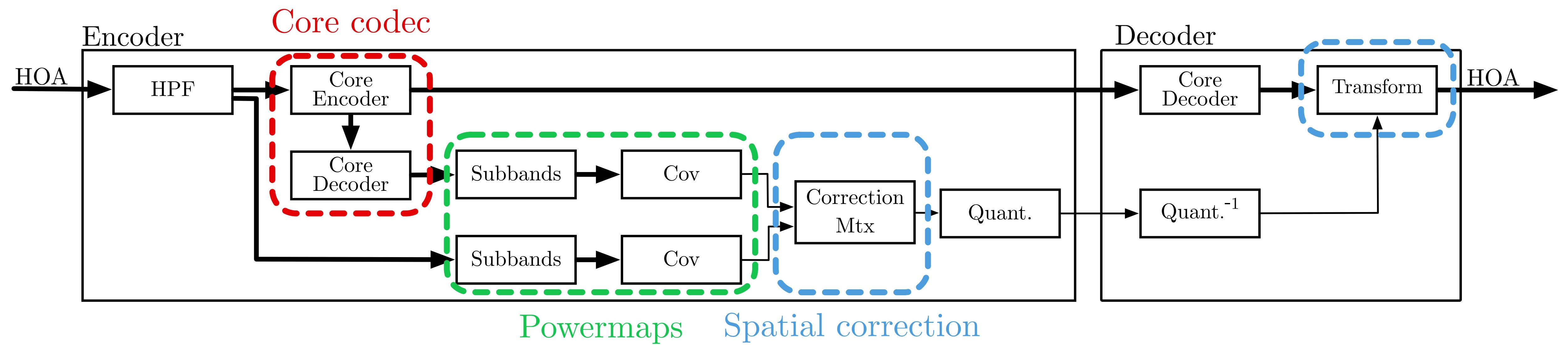
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Our approach — Power map after post-processing

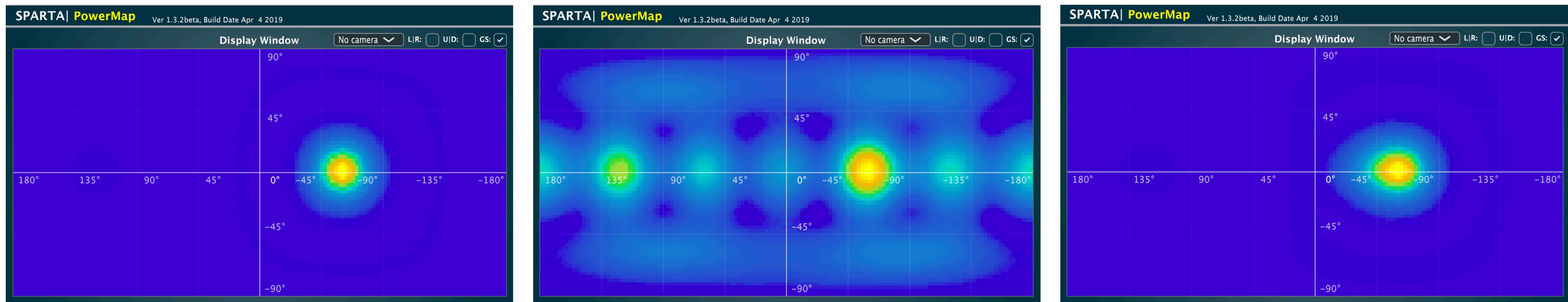
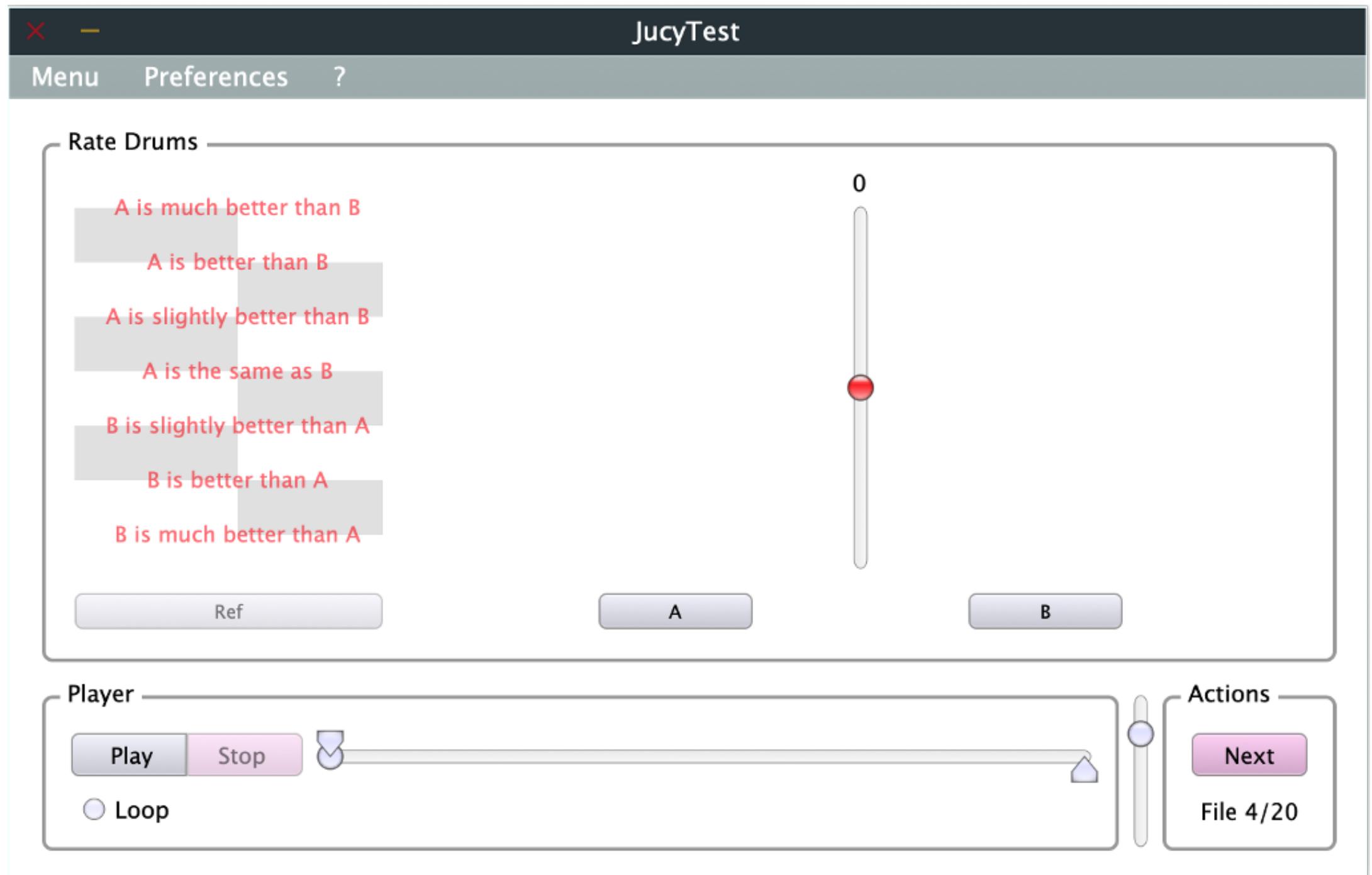


Fig. 2: Power map of original (left), coded (middle) and post-processed (right) signals

Subjective test and results

Test conditions

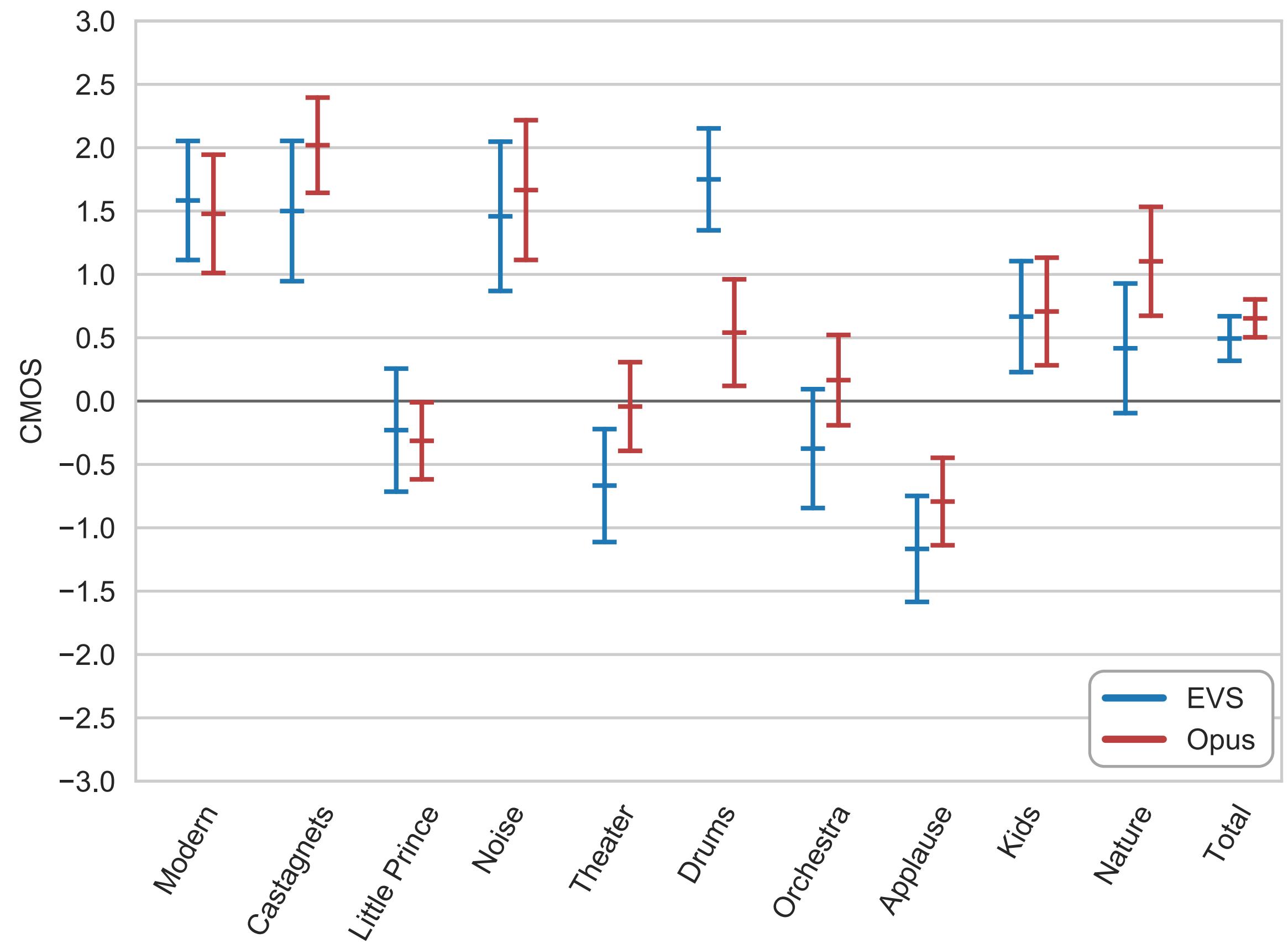
- Ref AB test
- Comparison with and without the post-processing
- 2 tested core codecs: EVS and OPUS
- 2 subject panels: naive and expert
- 2 tested bitrates: 97.6 kbit/s and 128.0 kbit/s



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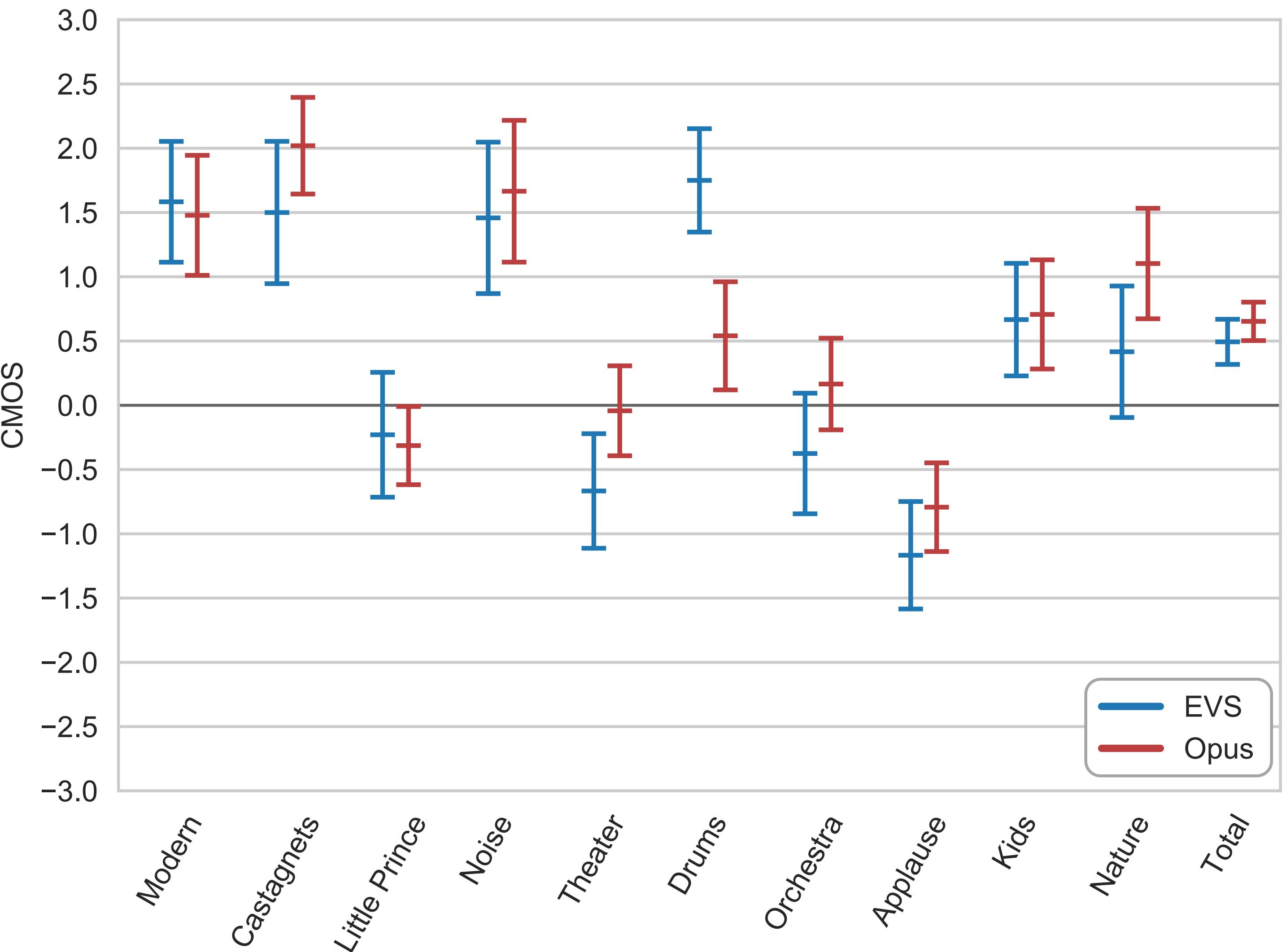
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Results

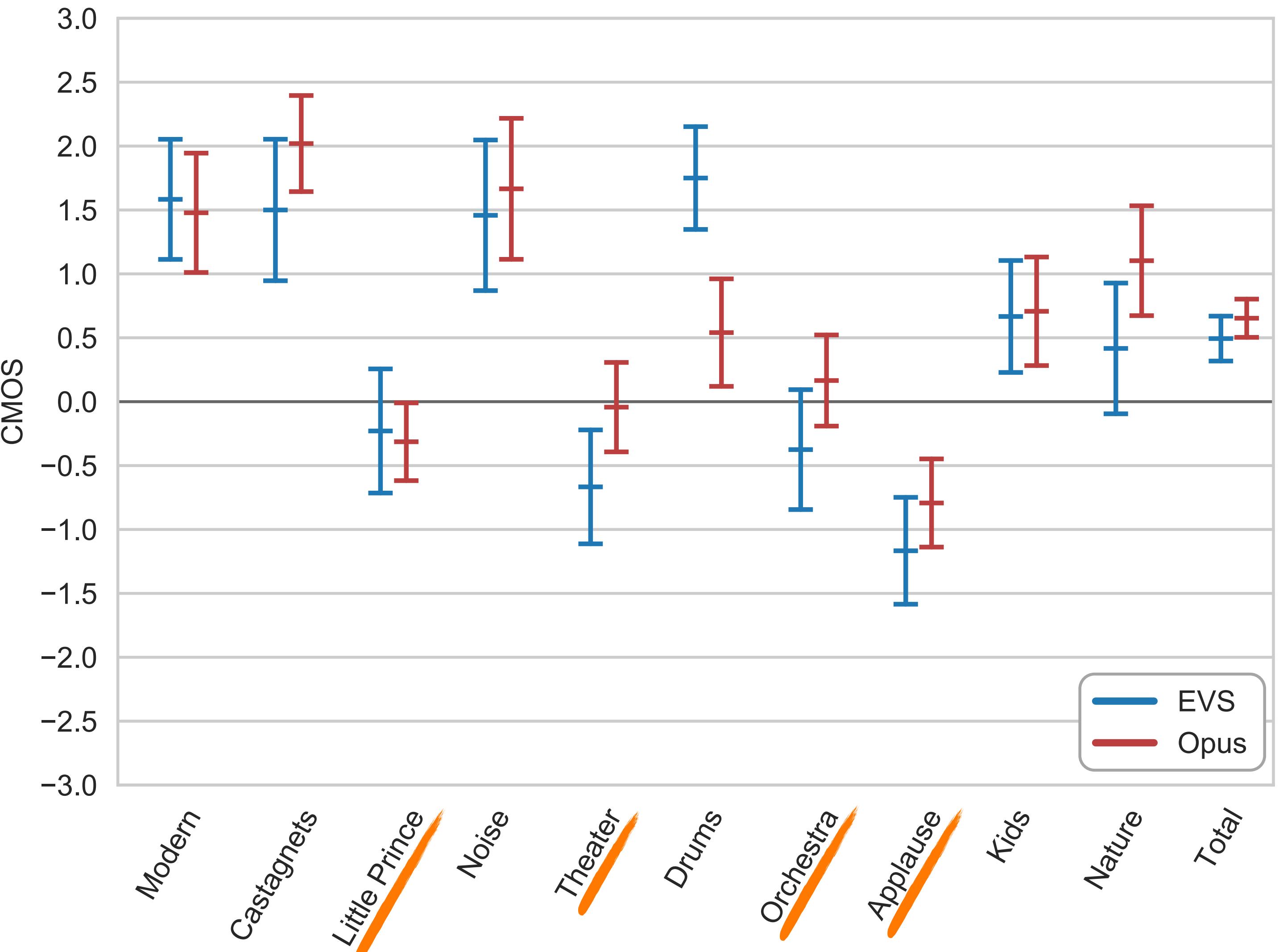
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Conclusion

- We proposed a post-processing for multi-mono coding
- The purpose is to correct spatial artifacts and distortions
- The post-processing is independent from the core codec
- Subjective test showed improvement for different core codecs and different bitrates

Thanks for your attention

Any questions ?

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