

BANK MARKETING DATA: CASE STUDY

ANÀLISI DE DADES I EXPLOTACIÓ DE LA INFORMACIÓ

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**Data Processing, Description,
Validation and Profiling**

DATA DESCRIPTION

- Registre de trucades telefòniques d'un banc a diferents possibles clients
- Files de la mostra aleatòria: 5000 trucades
- Columnes de la mostra aleatòria: 21 variables
- 11 variables qualitatives
- 10 variables quantitatives
- Target numèric = variable “duration”
- Target categòric = variable “y”

DATA DESCRIPTION

> summary(df)

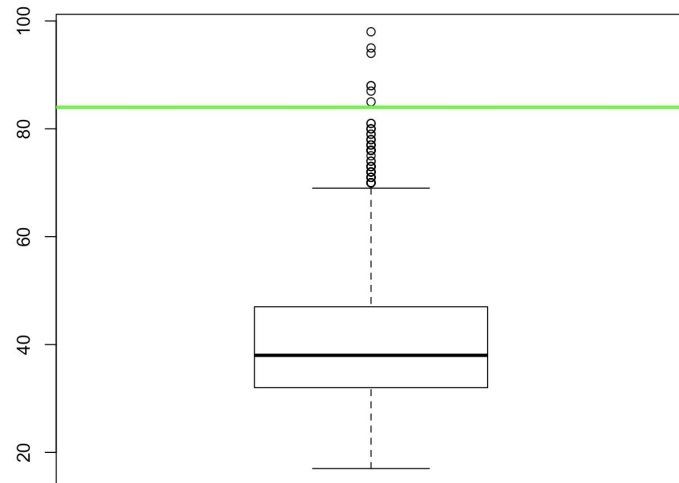
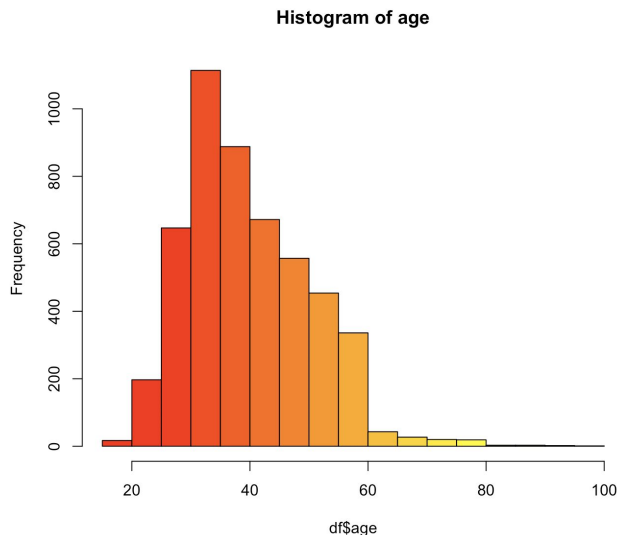
age	job	marital	education	default	housing	loan
Min. :17.00	admin. :1315	divorced: 574	university.degree :1503	no :3958	no :2206	no :4055
1st Qu.:32.00	blue-collar:1157	married :3029	high.school :1133	unknown:1042	unknown: 129	unknown: 129
Median :38.00	technician : 789	single :1390	basic.9y : 765	yes : 0	yes :2665	yes : 816
Mean :40.16	services : 477	unknown : 7	professional.course: 600			
3rd Qu.:47.00	management : 348		basic.4y : 514			
Max. :98.00	retired : 212		basic.6y : 268			
	(Other) : 702		(Other) : 217			

contact	month	day_of_week	duration	campaign	pdays	previous
cellular :3148	may :1633	fri: 979	Min. : 1.0	Min. : 1.000	Min. : 0.000	Min. :0.000
telephone:1852	jul : 911	mon:1039	1st Qu.: 102.0	1st Qu.: 1.000	1st Qu.: 3.000	1st Qu.:0.000
	aug : 754	thu:1064	Median : 180.0	Median : 2.000	Median : 5.000	Median :0.000
	jun : 663	tue: 911	Mean : 264.7	Mean : 2.598	Mean : 5.821	Mean :0.169
	nov : 514	wed:1007	3rd Qu.: 329.0	3rd Qu.: 3.000	3rd Qu.: 6.000	3rd Qu.:0.000
	apr : 282		Max. :3253.0	Max. :40.000	Max. :20.000	Max. :5.000
	(Other): 243				NA's :4816	

poutcome	emp.var.rate	cons.price.idx	cons.conf.idx	euribor3m	nr.employed	y
failure : 502	Min. : -3.4000	Min. :92.20	Min. : -50.80	Min. :0.634	Min. :4964	no :4394
nonexistent:4330	1st Qu.: -1.8000	1st Qu.:93.08	1st Qu.: -42.70	1st Qu.:1.344	1st Qu.:5099	yes: 606
success : 168	Median : 1.1000	Median :93.92	Median : -41.80	Median :4.857	Median :5191	
	Mean : 0.1184	Mean :93.59	Mean : -40.45	Mean :3.661	Mean :5168	
	3rd Qu.: 1.4000	3rd Qu.:93.99	3rd Qu.: -36.40	3rd Qu.:4.961	3rd Qu.:5228	
	Max. : 1.4000	Max. :94.77	Max. : -26.90	Max. :5.045	Max. :5228	

QUANTITATIVE VARIABLES

- S'ha d'analitzar una a una totes les variables numèriques
- Detectem els missing i els errors
- Detectem els outliers



QUALITATIVE VARIABLES

- S'ha d'analitzar una a una totes les variables qualitatives
- Identificació dels missings (NA's)
- Identificació dels errors

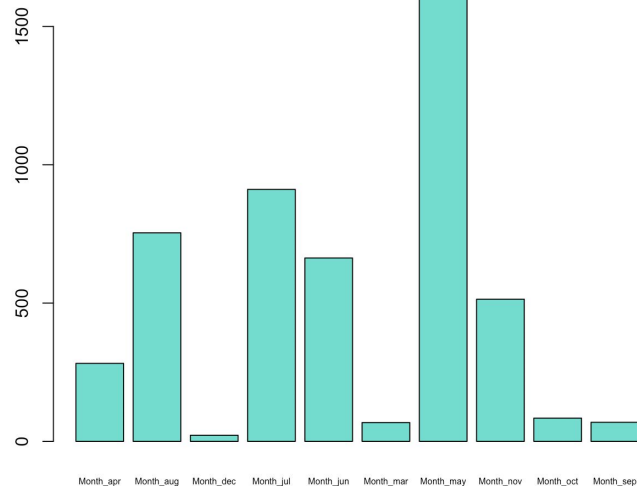
```
> summary(df$month)
```

Month_apr	Month_aug	Month_dec	Month_jul	Month_jun	Month_mar	Month_may	Month_nov	Month_oct	Month_sep
282	754	22	911	663	68	1633	514	84	69

```
> summary(df$job)
```

Job_admin.	Job_blue-collar	Job_entrepreneur	Job_housemaid	Job_management	Job_retired	Job_self-employed
1315	1157	161	128	348	212	155
Job_services	Job_student	Job_technician	Job_unemployed	Job_unknown		
477	105	789	108	45		

Month Barplot



IMPUTATION

Ara imputarem tots els NA's que tenim:

```
> summary(df$pdays)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.	NA's
0.000	3.000	5.000	5.821	6.000	20.000	4816

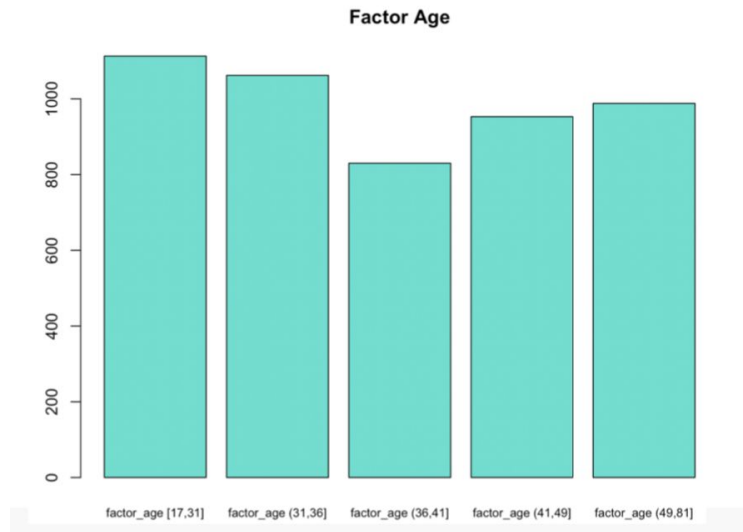
```
> summary(df$pdays)
```

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
1.00	16.00	16.00	15.63	16.00	16.00

```
table(df$pdays)
summary(df$pdays)
sel <- which(is.na(df$pdays))
sel
length(sel)
df[sel, "pdays"] <- 16
table(df$pdays)
summary(df$pdays)
hist(df$pdays, 10, main = "Pdays Histogram", col = "turquoise")
```


DISCRETIZATION

- Discretització de les variables numèriques
- Convertir a factors els diferents rangs de variables
- Tenir les dades ordenades segons intervals



```
#Ara li posem el nom de "factor_age" a la nostra variable per poder tenir una millor interpretacio i tornem a fer el mateix
proces
df$factor_age<-factor(cut(df$age,include.lowest=T,breaks=c(17,31,36,41,49,81)))
levels(df$factor_age)<-paste("factor_age ",levels(df$factor_age),sep="")
table(df$factor_age)
barplot(summary(df$factor_age), main="Factor Age",col="turquoise",cex.names=0.75)
```

PROFILING

Target “duration”

```
condes(df, which(names(df) == "duration"))

## $quanti
##          correlation      p.value
## pdays      0.52693895 0.000000e+00
## previous     0.02859224 4.435374e-02
## errors_indiv -0.03476735 1.447588e-02
## nr.employed  -0.03619203 1.091224e-02
## campaign     -0.04179341 3.284450e-03
## missings_indiv -0.07328498 2.474678e-07
##
## $quali
##          R2      p.value
## factor_duration 0.8271873066 0.000000e+00
## factor_Pdays   0.4046346310 0.000000e+00
## y               0.1863696068 9.891372e-224
## poutcome        0.0041874670 3.132625e-05
## month           0.0073478185 3.327154e-05
## factor_cons.price.idx 0.0039803615 5.696640e-04
## factor_Previous 0.0019228074 2.038492e-03
## day_of_week     0.0029955473 5.075577e-03
## factor_cons.conf.idx 0.0026002247 1.194404e-02
## contact         0.0011105265 1.909343e-02
## default         0.0009897216 2.693284e-02
## factor_campaign 0.0013152237 3.866909e-02
```

Target “y”

```
> catdes(df_catdes,21)
```

Link between the cluster variab

```
=====
                p.value df
poutcome      2.884978e-155 2
month          2.020968e-82 9
contact        8.049707e-27 1
job            5.149262e-24 11
default        7.888260e-14 1
education      1.246599e-05 7
marital        4.868728e-03 3
day_of_week    3.137547e-02 4
```



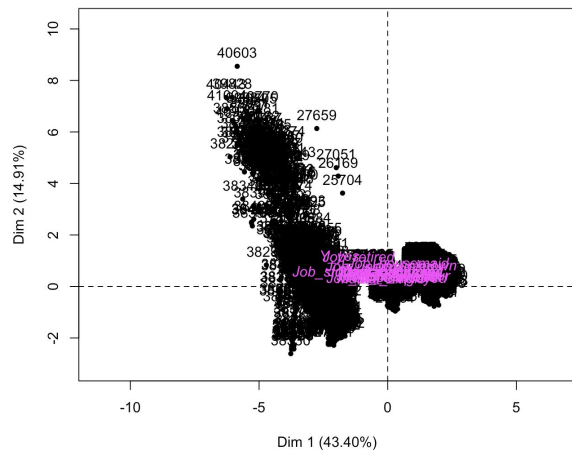
PCA & Clustering

PCA

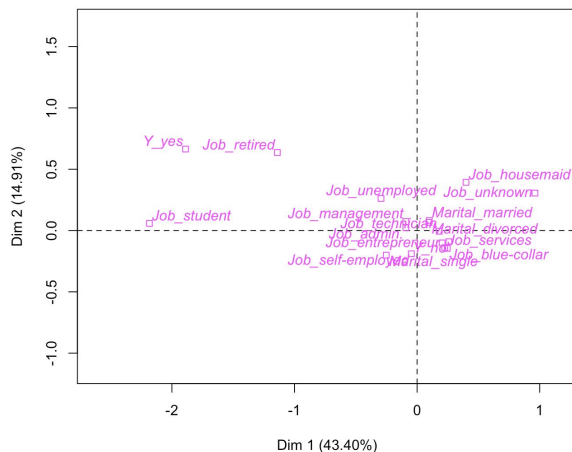
Creació PCA:

```
res.pca<-PCA(df[,c("duration","y","marital","job",vars_conaux)], quanti.sup = 1, quali.sup = 2:4)  
#LES VARIABLES ACTIVES NO PODEN SER FACTORS!
```

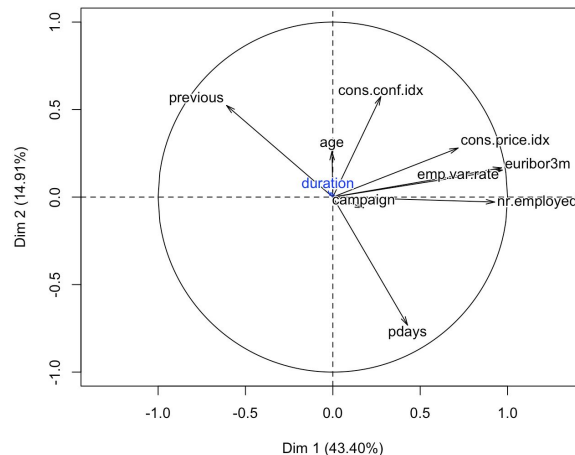
Individuals factor map (PCA)



Individuals factor map (PCA)



Variables factor map (PCA)



KAISER RULE

A partir de la taula de valors propis i seguint la regla de Kaiser hem decidit tenir en compte les 4 primeres components principals. Agafant les 4 components es representen més de tres quarts de les nostres dades (80.719).

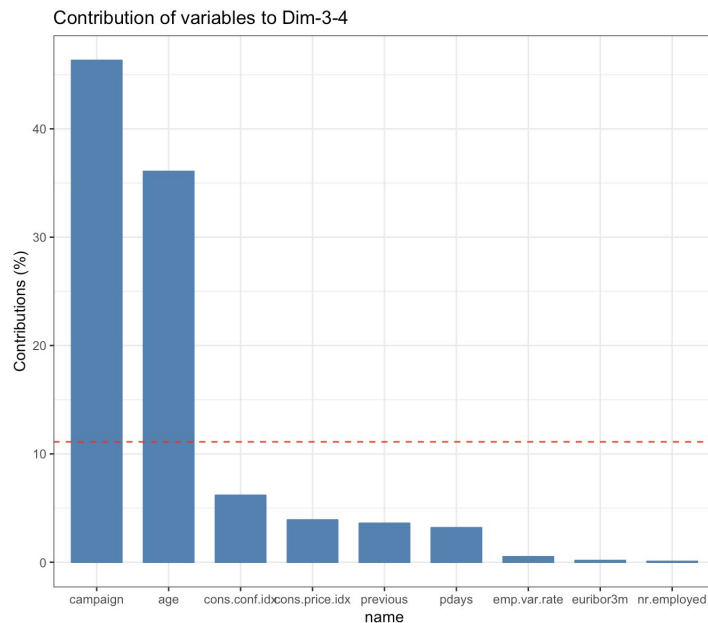
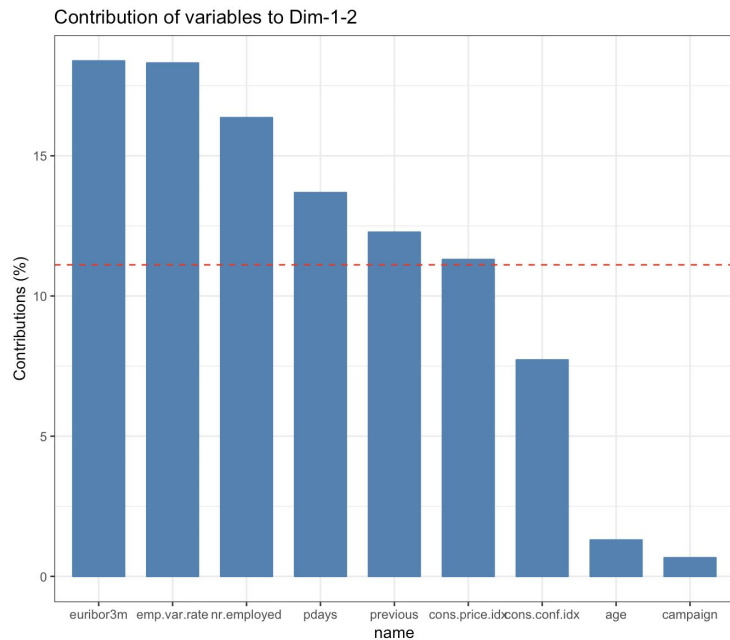
```
> res.pca$eig
```

	eigenvalue	percentage of variance	cumulative percentage of variance
comp 1	3.90643762	43.4048625	43.40486
comp 2	1.34224472	14.9138303	58.31869
comp 3	1.03534030	11.5037811	69.82247
comp 4	0.98070837	10.8967597	80.71923
comp 5	0.84014761	9.3349735	90.05421
comp 6	0.46176101	5.1306779	95.18488
comp 7	0.39576928	4.3974364	99.58232
comp 8	0.02438733	0.2709704	99.85329
comp 9	0.01320375	0.1467083	100.00000

```
fviz_contrib(res.pca, choice = "var", axes = 1:2)+theme_bw()  
fviz_contrib(res.pca, choice = "var", axes = 3:4)+theme_bw()
```

```
summary(res.pca, nb.dec = 2, ncp = 4)
```

```
dimdesc(res.pca, axes = 1:4)
```



CLUSTERING

```
#Set clusters m'expliquen una mica mes d'un 80% de l'informacio, es la qualitat de la representacio  
info<-kcla$betweenss/kcla$totss  
info  
  
## [1] 0.8059886
```

Per regla general s'han de tenir més de 6 clusters i després de l'estudi, comprovem que amb 7 clusters tenim més d'un 80% d'informació representada.



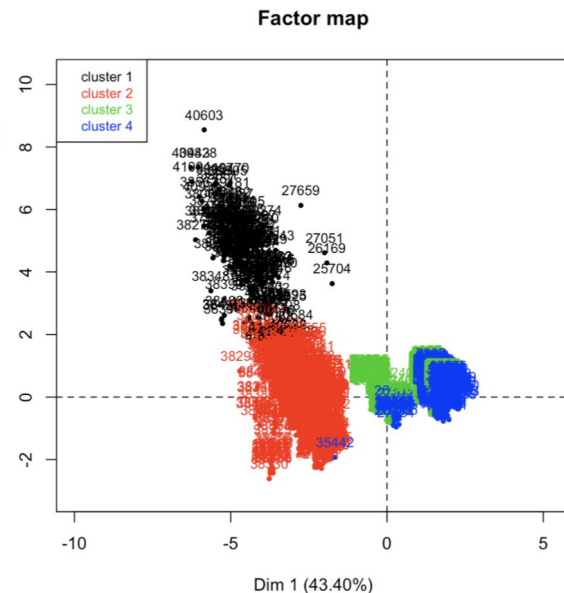
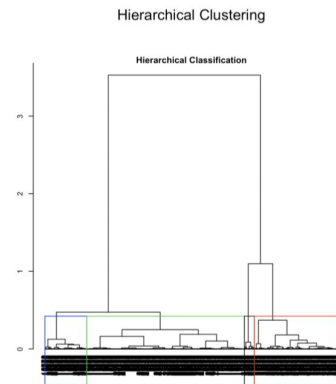
CA & Clustering

HIERARCHICAL CLUSTERING

```
# Factors globally related to clustering partition
res.hcpc$desc.var$test.chi2
```

```
##                p.value df
## y              5.654668e-177 3
## job            6.528644e-45 33
## marital        6.394260e-06 9
```

```
## $`2`
##                Cla/Mod    Mod/Cla    Global    p.value
## y=Y_yes          49.74874 21.1991435 12.0703599 2.352298e-32
## job=Job_student   65.71429  4.9250535  2.1229276 1.147770e-15
## job=Job_retired   48.05825  7.0663812  4.1649818 9.670365e-10
## marital=Marital_single 33.69644 33.1192006 27.8406793 2.569686e-07
## job=Job_unknown   11.62791  0.3568879  0.8693894 1.005915e-02
## job=Job_housemaid 17.46032  1.5703069  2.5475131 4.501339e-03
## job=Job_technician 23.85204 13.3476089 15.8511929 2.166634e-03
## marital=Marital_married 26.13333 55.9600286 60.6550748 2.309388e-05
## y=Y_no           25.38515 78.8008565 87.9296401 2.352298e-32
```



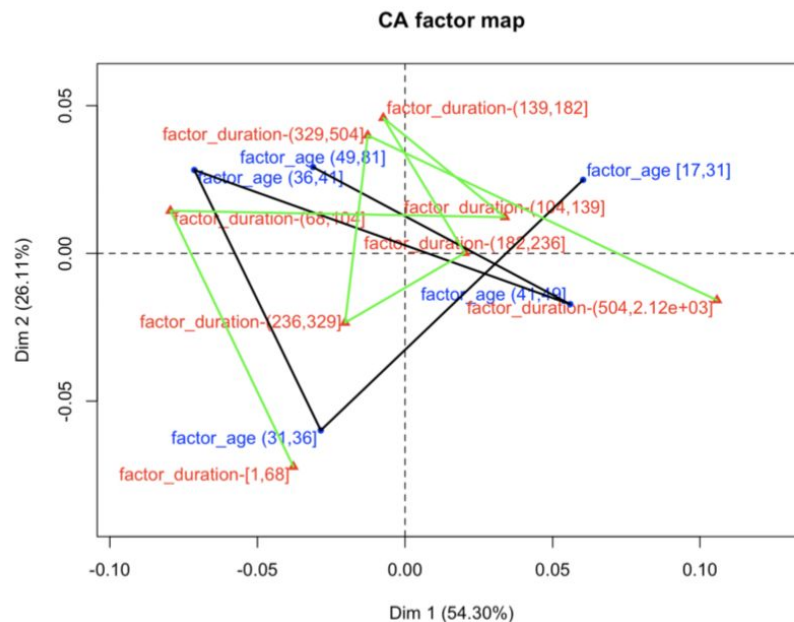
CORRESPONDENCE ANALYSIS (CA)

Analitza les relacions entre 2 factors de les dades de la nostra mostra.

- Factor_age & Factor_duration

```
chisq.test(table(df$factor_age, df$factor_duration))  
##  
## Pearson's Chi-squared test  
##  
## data:  table(df$factor_age, df$factor_duration)  
## X-squared = 24.084, df = 28, p-value = 0.6771
```

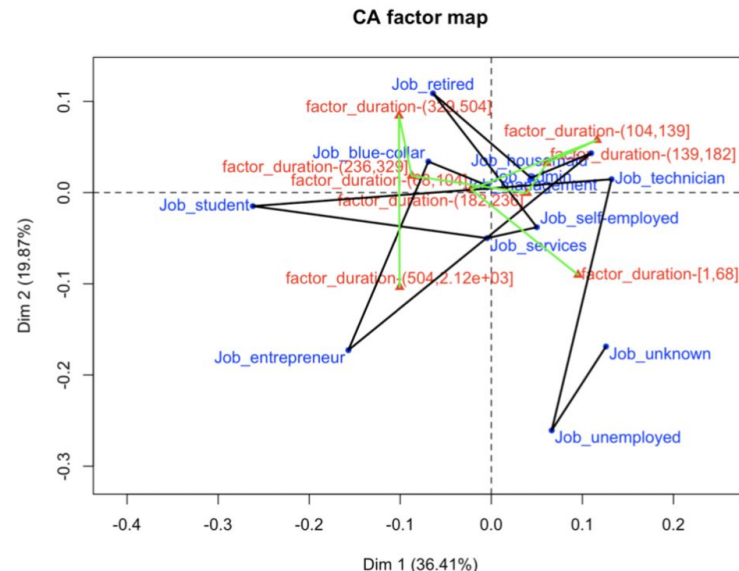
Podem veure que la durada de la trucada no depèn de l'edat del nostre individu.



CORRESPONDENCE ANALYSIS (CA)

- Job & Factor_duration

```
chisq.test(table(df$job, df$factor_duration))  
  
##  
## Pearson's Chi-squared test  
##  
## data:  table(df$job, df$factor_duration)  
## X-squared = 95.774, df = 77, p-value = 0.07247
```



p-value molt proper al 5%, llavors es pot rebutjar la HO, llavors la durada de la trucada si que pot dependre del treball o a que es dediqui el nostre individu.



**Forecasting modeling of
numeric target**

MODEL CONSTRUCTION ONLY WITH NUMERIC AS EXPLANATORY VARIABLES

```
> vars_model<-names(df)[c(1,11:14,16:20)]; vars_model
[1] "age"      "duration"  "campaign"  "pdays"    "previous"  "emp.var.rate" "cons.price.idx"
[8] "cons.conf.idx" "euribor3m" "nr.employed"
> condes(df[,vars_model],which(vars_model == "duration"))
$quantile
      correlation      p.value
previous    0.02859224 4.435374e-02
nr.employed -0.03619203 1.091224e-02
campaign    -0.04179341 3.284450e-03
pdays      -0.06147234 1.516945e-05
```

```
m1<-lm(duration~previous+campaign+pdays+nr.employed,data=df)
```

- Anova (model) : Agafar variables significatives (*)
- Previous poc significativa
- nr.employed = vif > 3

```
m6<-lm(duration~campaign+pdays,data=df)
```

```
> summary(m6)
```

Call:

```
lm(formula = duration ~ campaign + pdays, data = df)
```

Residuals:

Min	1Q	Median	3Q	Max
-319.93	-158.86	-82.90	67.12	1855.14

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	391.279	28.307	13.82	< 2e-16 ***
campaign	-4.953	1.835	-2.70	0.00697 **
pdays	-7.467	1.791	-4.17	3.1e-05 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 255.5 on 4943 degrees of freedom
Multiple R-squared: 0.005245, Adjusted R-squared: 0.004843
F-statistic: 13.03 on 2 and 4943 DF, p-value: 2.264e-06

TRANSFORMING VARIABLES

```
m8<-lm (log(duration)~campaign+pdays,data=df)
```

CONCLUSIÓ: El Multiple R-squared (variabilitat de les

dades) és molt petit i això vol dir que el nostre target

és complicat d'interpretar, és a dir, no podem explicar

el nostre target (duration, en aquest cas) amb les

variables que tenim.

```
> summary(m8)
```

Call:

```
lm(formula = log(duration) ~ campaign + pdays, data = df)
```

Residuals:

Min	1Q	Median	3Q	Max
-5.2586	-0.5401	-0.0011	0.6236	2.7295

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	5.88173	0.10307	57.066	< 2e-16 ***
campaign	-0.06979	0.00668	-10.447	< 2e-16 ***
pdays	-0.03458	0.00652	-5.303	1.19e-07 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.9303 on 4943 degrees of freedom

Multiple R-squared: 0.02834, Adjusted R-squared: 0.02795

F-statistic: 72.09 on 2 and 4943 DF, p-value: < 2.2e-16

MODEL CONSTRUCTION ONLY WITH FACTORS AS EXPLANATORY VARIABLES

```
> vars_dis2<-names(df)[c(2:10,15,25,26:35)];vars_dis2
```

[1] "job"	"marital"	"education"	"default"	"housing"
[6] "loan"	"contact"	"month"	"day_of_week"	"poutcome"
[11] "season"	"factor_age"	"factor_duration"	"factor_campaign"	"factor_Pdays"
[16] "factor_Previous"	"factor_emp.var.rate"	"factor_cons.price.idx"	"factor_cons.conf.idx"	"factor_euribor3m"
[21] "factor_nr.employed"				

Anova -> Neteja efectes nets i variables significatives

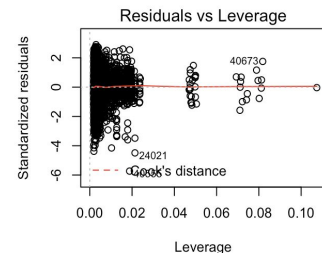
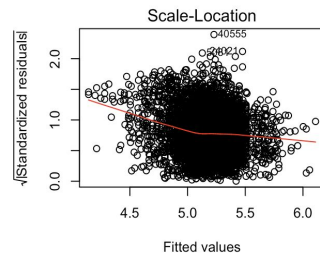
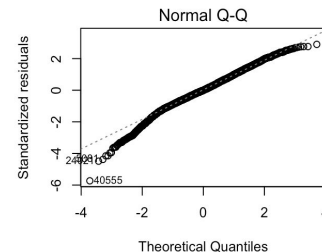
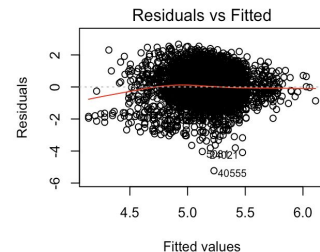
```
#Our model
```

```
m12<-lm(log(duration)~campaign+pdays+poutcome+month+factor_cons.price.idx+day_of_week,data = df)
```

Estudi variables numèriques inicials si són millor com a factor o no : BIC (<) entre models

```
#Best solution:
```

```
m13<-lm(log(duration)~campaign+factor_Pdays+poutcome+month+factor_cons.price.idx+day_of_week,data = df)
```





**Forecasting modeling of the
categorical target**

WORK AND TEST SAMPLES

```
set.seed(123)
sam<-sample(1:nrow(df),0.75*nrow(df)) #Random sample without replacement

dfw<-df[sam,]
dft<-df[-sam,]

# Numeric variables
vars_con
catdes(dfw[,c("y",vars_con)],1) #Numericas relacionadas
```

work sample -> treball amb les dades + creació de models

test sample -> predicció

MODEL CONSTRUCTION ONLY WITH NUMERIC EXPLANATORY VARIABLES

```
> vars_con
[1] "age"      "duration"  "campaign"  "pdays"    "previous"  "emp.var.rate" "cons.price.idx"
[8] "cons.conf.idx" "euribor3m" "nr.employed"
> catdes(dfw[,c("y",vars_con)],1) #Numericas relacionadas
```

Link between the cluster variable and the quantitative variables

```
=====
              Eta2      P-value
duration      0.17671414 9.254637e-159
nr.employed   0.14477732 4.417482e-128
pdays        0.13675760 1.481722e-120
euribor3m     0.10793163 4.600661e-94
emp.var.rate  0.09974083 1.089368e-86
previous      0.07808778 1.666707e-67
cons.price.idx 0.01621864 6.967791e-15
campaign      0.00438049 5.487012e-05
```

```
gm1<-glm(y~nr.employed+pdays+euribor3m+emp.var.rate+previous+cons.price.idx+campaign,family=binomial,data = dfw)
```

MODEL MÉS CORRECTE

```
> gm6<-glm(y~pdays+poly(previous,2)+cons.price.idx+campaign,family=binomial,data = dfw)
> vif(gm6)
```

	GVIF	Df	GVIF^(1/(2*Df))
pdays	1.411412	1	1.188028
poly(previous, 2)	1.616349	2	1.127545
cons.price.idx	1.151112	1	1.072899
campaign	1.016208	1	1.008072

MODEL CONSTRUCTION WITH FACTORS AS EXPLANATORY VARIABLES

```
gm10<-glm(y~pdays+poly(previous,2)+cons.price.idx+campaign,family=binomial,data = dfw)
```

Fem les comprovacions pertinents amb el BIC, per comprovar si explica més com a factor o com a numèrica, llavors obtenim:

```
## MILLOR MODEL FINS ARA:  
gm11<-glm(y~factor_Pdays+factor_Previous+factor_cons.price.idx+factor_campaign,family=binomial,data = dfw)
```

S'afegeixen les noves variables factors que siguin més explicatives -> CATDES i aconseguim:

```
gm12<-glm(y~factor_Pdays+factor_Previous+factor_cons.price.idx+factor_campaign+poutcome+month+job+season+default+education,family=binomial,data = dfw)
```

VALIDACIÓ:

```
> gm14<-glm(y~factor_Previous+factor_cons.price.idx+poutcome+season+default,family=binomial,data = dfw)  
> Anova(gm14)  
Analysis of Deviance Table (Type II tests)  
  
Response: y  


|                       | LR      | Chisq | Df        | Pr(>Chisq) |
|-----------------------|---------|-------|-----------|------------|
| factor_Previous       | 8.978   | 1     | 0.0027321 | **         |
| factor_cons.price.idx | 68.010  | 4     | 5.969e-14 | ***        |
| poutcome              | 160.529 | 2     | < 2.2e-16 | ***        |
| season                | 9.555   | 2     | 0.0084162 | **         |
| default               | 13.495  | 1     | 0.0002392 | ***        |

  
---  
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1  
> vif(gm14)  


|                       | GVIF     | Df | GVIF^(1/(2*Df)) |
|-----------------------|----------|----|-----------------|
| factor_Previous       | 1.302512 | 1  | 1.141277        |
| factor_cons.price.idx | 2.507984 | 4  | 1.121800        |
| poutcome              | 1.457428 | 2  | 1.098745        |
| season                | 2.328777 | 2  | 1.235327        |
| default               | 1.022145 | 1  | 1.011012        |


```

PREDICTIONS

```
tt<-table(pre.y,dft$y);tt

##
## pre.y          Y_no Y_yes
## pre.Success?-no 1086  116
## pre.Success?-yes  10   25

100*sum(diag(tt))/sum(tt)

## [1] 89.81407
```

In this section we have made the predictions to see the success rates of our model and we can see that we have a hit rate around 90%

TOTAL SUCCESS = 89.814%