

Student Name:	
	Teacher Initials:

ARM ECB RDG AHP AYH/LMD JGD RAS* SJB DOB JZT Friday, 19th August 2022 Period 2 or 4 55 minutes 260 copies

Year 10 5.3 MATHEMATICS Assessment Task 3

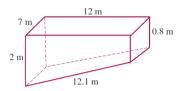
General Instructions

- Write your name in the spaces provided.
- Write using blue or black pen.
- · Answer in the spaces provided.
- NESA approved calculators may be used.
- · Show ALL necessary working.
- Marks may not be awarded for careless or poorly arranged working.
- Diagrams are NOT to scale.

Section	Marks
Surface Area and Volume	/ 15
2. Trigonometry	/ 16
3. Co-ordinate Geometry	/ 15
4. Mixed Problems	/ 8
Total Marks:	/ 54

Section 1: Surface Area and Volume (15 marks)

1. Kieran has the following trapezoidal swimming pool in his backyard.



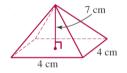
i. Calculate the *volume* of the swimming pool. Round your answer to 1 decimal place.

2

i. The pool is filled to the brim. Over a long weekend it loses one third of its capacity due to evaporation. How many litres of water remain after the long weekend?

2

Find the *surface area* of the following square pyramid. Round your answer to 1 decimal place. 3

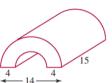


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3. A sphere has a *surface area* of 200 cm². What is the size of its radius? Round your answer to 2 decimal places.

2

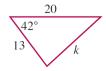
4. Find the *volume* of the following composite shape, leaving your answer in *exact form*. All measurements are in centimetres.



A brand of chocolate milk comes in cartons which are similar shapes. If the smaller carton has a height
 15 cm and holds 324 mL, what is the capacity of the larger carton if its height is 20 cm?

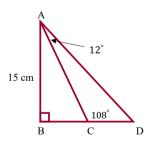
Section 2: Trigonometry (16 marks)

6. In the triangle below, find the value of k, rounded to 1 decimal place. All units are in centimetres. 2



7. In $\triangle ABC$, $\angle A = 32^{\circ}$, a = 11cm and b = 15cm. Find the two possible sizes of $\angle B$. Round your answers to the nearest minute.

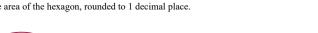
- 8. Consider the triangles in the diagram to the right.
 - Find the length of AC, to 2 decimal places.



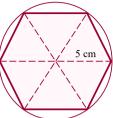
- ii. Find the length of CD, to 2 decimal places.

3

A regular hexagon is inscribed within a circle with radius 5 cm.
 Find the area of the hexagon, rounded to 1 decimal place.



3



- 10. A hiker left base camp and walked 15 km on a bearing of 70° to a hill. She then travelled for 21 km in an approximately south easterly direction. She found herself 30 km from base camp.
 - i. Draw a diagram of this scenario. Include all the information provided.

ii. What is the hiker's bearing from base camp? Round to the nearest minute.

Section 3: Co-ordinate Geometry (15 marks)

11. Find the length of the interval joining the points P(10, 8) and Q(2, -7).

2

12. Find the gradient of the line that passes through R(8, 4) and S(-6, 5).

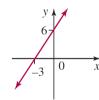
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13. The midpoint of the interval joining E (5, 12) and F (a, b) is (6, 2). Determine the values of a and b.

2

14. Find the equation of the following line.

2



15. Find the equation of the line that:

a. is parallel to y = 3x - 5 and passes through the point (4, -2).

2

b. is perpendicular to 4x - 3y - 6 = 0 and passes through the point (1, 5).

3

2

c. makes an angle of 135° with the positive direction of the x-axis and passes through the point (0, 8). Section 4: Mixed Problems (8 marks)

16. A sphere lies within a cylinder such that it touches the ends and sides of the cylinder.

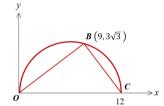


What fraction of the volume of the cylinder is taken up by the sphere?

2

17. *OBC* is a semicircle with diameter *OC*. Show that $OB \perp BC$.

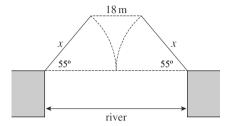
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18. A bridge spans a river. When tall boats need to pass, two identical sections of the bridge, each of *x* metres in length, are raised.

When the two sections are fully raised, they create an angle of inclination of 55° to the horizontal and there is an 18 metre gap between them, as shown in the diagram.



Find the width of the river, to 1 decimal place.

3

END OF ASSESSMENT

ASS TASK 3 URIO 5.3 Soldent Solvhing Gry Questin: 1: me vount Querdin 17; Quantum: 4: V= 17/18-11(3)215 -2 A= = (12)(2+02) A=6x28 8-11-A V = Ah V = 16.8 x7 V = 117.6 m3 V = 300 TT cm3 (exect) SING = 0.7 226 171715 (11). Capicity = (17.6 x6000) B - 46° 16' Questin: 5: a poxity (180-46°16') = 78400 L coma: Rotion = 15:20 Sides O = 1330441 Rohad = 33:43 Questioni 2: Quarkin: 8: Sland height (h) $k^2 = 2^2 + 7^2$ = 27:64 (i) / AeB =720 (Suppl. L's) h2 = 53 -: 15 = Sm 720 h = 153 27x = 20736 2c = 511720 SA = (4x4)-44(1x 13x4) r= 768 ml - 74.2 cm2 (1dp) 20 = 15.77em TRIGONOMETRY. (ii) Let CD = x Overtion: 3: Question: 6: and LADC = 60° K2 = (13)2+(20)2-2(13)(21)(6542° LATT = 200 1. Sin 120 = (5.77 TTr2 = 50 K2= 182,56469Ut K= 13.5cm (Ida) L2 (20) x = 3.79cm (2dp) r= 3.99cm (2dP).

		7-3
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SLECTION; 4; MIXED		
Quehon: (6 i	M, x M = -1 (Rupud.)	
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h= 2r	- Cd	
Cylinde	= 1	
V=1722r	OB <u>I</u> Bc.	
V = 2a +3	Querhon; 18;	
50 \$ 1753	GLEN NON , IO !	-
$\frac{52413}{7} = \frac{3}{7}$		
2 13	/x	
	1 (4.9	
Question: 17;	~-4.	
-	-'. >c-9 = 66560	
B(9,315)	x-9= 2 61850	
	: = 6055TO-x = -9	
0(0,0)		
Grad OB = 3/3-0	x (60,17-1) = -9.	
	2=-9	
= 3/3	x=-9 (45(7"-1	
= 3		
3	x=21.1 m.	
grood BC = 3.13-0	Width = 2x	
= 3/3	÷ 42.2m.	
		е
= - (3	15.2	
	END.	

YRIO ASSISSMENT TASK 3 (5.3)				
Question : 91	Co-ordinate garmaty			
		Quenton is;		
Angles in Contre	Overhin: 11:	(a) M,=M2		
300 = 600		=: M2=8		
A = 6 x (=absine)	d= 1 (2-108+(-7-8)2	4-4 = m(x-x1)		
	d= 164 +225	4-(-2)=3(>6-4)		
A=6x(3x(x(x Sinbo))	d= 1269	4+2 = 32 -12		
	d - 17	: y = 3x-14		
A = 65.0 cm2 (10/2)	9 = 17	9		
1	Quahin; 12;	$M^{7/8}$ $M^{9} = -3/7$ $M^{1} = -3/7$ $M^{1} = -3/7$		
Overtin: 10;		(M2 =-1		
	m= 5-4	$\frac{1}{1000}$ $\frac{1}{1000}$ $\frac{1}{1000}$ $\frac{1}{1000}$ $\frac{1}{1000}$ $\frac{1}{1000}$ $\frac{1}{1000}$		
GIA	3	NAID .		
-16.01	W= -14	47c-3y-6=0		
70° 15	Querton; 13:	34 = 476-6		
	3000/1000/1001	34 = 476-6 4 = \$2-2		
30km 211cm	W= (6,2)	-:- M1 = 4(3		
(rule: travels an approximable	a . (a.m h+1)	-: 4-5 =-3/4 (x-1)		
	•	4y-20 = -3(x-1)		
South easily director.	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	44-20 = -3x +3		
	atr = 12 ht12 = 4	· 30c +44y -23 =0		
(11) GSO = 152+302-212	a=7 h=-8			
2×1(×30		(C) M=Tano		
G Sca	a=7 h=-8	~ M = Jan 1300		
$\cos \theta = \frac{689}{900}$		w = -1		
	Question: 14:	y-8=-1(x-@)		
8 = (2-1 (684)	1/	48=-2		
Q = 40. 3	6 G=mxth			
	4= 6 4= 6x +6	:. x+y-8=0		
Barring = 70°+40°321 = 110°321		er y=-x+8		
= 110321	y=22+6			
	ar 2x-4+6=0			
	1			