



Data Science Lab

Scikit-learn preprocessing

Andrea Pasini Flavio Giobergia Elena Baralis

DataBase and Data Mining Group



Data preprocessing





Data preprocessing with scikit-learn

- Summary
 - Normalization
 - Feature extraction (examples)
 - Handling nominal data
 - Computing TF-IDF
 - Dimensionality reduction
 - PCA



Normalization





Examples:

- min-max normalization: MinMaxScaler
- z-score normalization: StandardScaler

```
In [1]: from sklearn.preprocessing import MinMaxScaler
    from sklearn.preprocessing import StandardScaler

minmax_s = MinMaxScaler()
    zscore_s = StandardScaler()
```



Normalization





Applying normalization to training and test set

```
In [1]: X_train = [[0, 10], [0, 20], [2, 10], [2, 20]]
X_test = [[1, 15]]

minmax_s.fit(X_train) # NOTE: "learning" on training data only!
X_train_norm = minmax_s.transform(X_train)
X_test_norm = minmax_s.transform(X_test) # correct
X_test_wrong = minmax_s.fit_transform(X_test) # do not fit on test
print(X_test_norm)
print(X_test_wrong)
```

```
Out[1]: [[0.5 0.5]]
[[0, 0]]
```







- Necessary when a datasets presents samples that:
 - Are not numerical vectors
 - Example: nominal data, text, images
 - The model has a low capacity/can't extract enough knowledge from the row features
 - Example: extraction of polynomial features







Nominal data

- Two nominal values can only be compared with the equality operator (cannot be ordered)
- For this reason it is **incorrect** to map them to integer features:
 - E.g. 'red', 'green', 'blue' → [0, 1, 2]
 - Colors have no ordering
 - The model could infer ordering properties that do not describe correctly our data







- Nominal data
 - One of the simplest solutions is to use one-hot encoding:
 - Red \rightarrow 0, 0, 1
 - Green \rightarrow 0, 1, 0
 - Blue \rightarrow 1, 0, 0
 - Pay attention: the size of the output vector is linear with the number of distinct values for the attribute
 - Some models (e.g. KNN, clustering) may have problems while working with high dimensional data







Nominal data: 1-Hot vectors from dictionaries

```
In [1]:
         from sklearn.feature_extraction import DictVectorizer
         vect = DictVectorizer(sparse=False, dtype=int)
         data = [{'model' : 'a', 'price' : 20000},
Out[1]:
                 {'model' : 'b', 'price' : 10000},
                 {'model' : 'c', 'price' : 8000},
                {'model' : 'a', 'price' : 40000},
                 {'model' : 'c', 'price' : 8500}]
         print(vect.fit transform(data))
```







Nominal data: 1-Hot vectors from dictionaries

```
In [1]:
                                                data = [{'model' : 'a', 'price' : 20000},
          print(vect.fit transform(data))
                                                    {'model' : 'b', 'price' : 10000},
                                                    {'model' : 'c', 'price' : 8000},
Out[1]:
          ]]
                               0 20000]
                                                    {'model' : 'a', 'price' : 40000},
                               0 10000]
                                                    {'model' : 'c', 'price' : 8500}]
                                 8000]
                               0 40000]
                                  8500]]
                       b
                 a
```







- Nominal data: 1-Hot vectors from dictionaries
 - If you have training and test data use fit and transform separately:

```
In [1]: train = data[:3]
    test = data[3:]

vect = DictVectorizer(sparse=False, dtype=int)
    vect.fit(train) # Learn vocabulary from training set
    test_transformed = vect.transform(test)
```







- 1-Hot encoding with OneHotEncoder
 - Allows passing data in tabular form ("feature matrix")
 - Numerical values are also encoded beware!
 - Some matrix manipulation is required to only encode categorical features

```
In [1]:
```







Textual data

- Convert textual documents to count vectors
 - 1 feature for each word of the vocabulary that count the number of occurrences in the document
 - Scikit-learn transformer: CountVectorizer
 - Example:
 - "My cat. My dog. My cat."
 - "My dog. My house."

cat	dog	house	my
2	1	0	3
0	1	1	2







Textual data

- Convert textual documents to count vectors
 - Drawback: frequent words have high scores for almost all documents
- Solution: TF-IDF (Term Freq. Inverse Document Freq.)
 - Penalizes words that are common in all documents
 - Boosts words that are frequent in a document, but not in the others







Textual data: TF-IDF

```
In [1]: from sklearn.feature_extraction.text import TfidfVectorizer
    vect = TfidfVectorizer(stop_words="english")

data = ["dog bites cat", "cat bites dog", "cat and dog house"]
    print(vect.fit_transform(data).toarray())
```

convert to Numpy array

```
Out[1]: [[0.67325467 0.52284231 0.52284231 0. ]
        [0.67325467 0.52284231 0.52284231 0. ]
        [0. 0.45329466 0.45329466 0.76749457]]
```







Textual data: TF-IDF

```
In [1]:
         data = ["dog bites cat", "cat bites dog", "cat and dog house"]
         print(vect.fit transform(data).toarray())
         # Print the learned vocabulary
         print(vect.vocabulary )
                                                                 stopword "and"
            bites
                                     dog
                                               house
                         cat
                                                                 has been
Out[1]:
         [[0.67325467 0.52284231 0.52284231 0.
                                                         Doc 1
                                                                 removed
          [0.67325467 0.52284231 0.52284231 0.
                                                         Doc 2
          [0.
                      0.45329466 0.45329466 0.76749457]] Doc 3
                                                             specific of this
         {'dog': 2, 'bites': 0, 'cat': 1, 'house': 3}
                                                             document
```







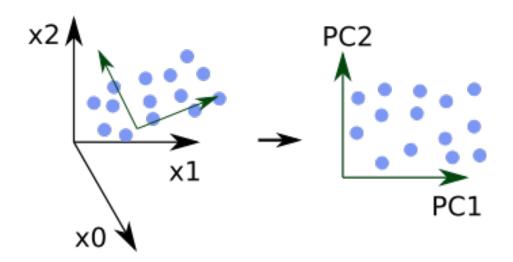
- Useful when you want to reduce the number of features for high-dimensional data
 - For graphical representations
 - Before applying classification and clustering to give the features matrix a more compact representation







- Example: PCA
 - Reduces the dimensionality by finding the directions in the space where data has more variance









PCA with Scikit-learn

```
from sklearn.decomposition import PCA

pca = PCA(n_components=5)

X_projection = pca.fit_transform(X)
```

- n_components specify the number of components that you want to keep after applying PCA
 - Should be <= the number of initial features</p>
- The result is a features matrix with the specified number of features





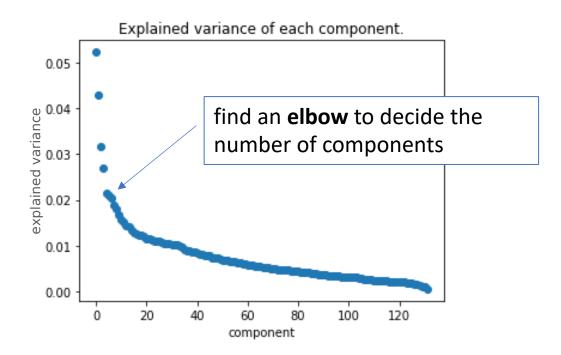


Choosing the correct number of components

```
pca = PCA(n_components=130)

X_projection = pca.fit_transform(X)

plt.plot(pca.explained_variance_ratio_, marker='o', linestyle='')
```









Applying the transformation and a classifier

```
pca = PCA(n_components=6)
X_projection = pca.fit_transform(X_train)
my_classifier.train(X_projection, y_train)

# PCA is already fit on training data: do not fit it on test set!
X_test_proj = pca.transform(X_test)
y_test_pred = my_classifier.predict(X_test_proj)
```



Missing values imputation





- We can fill missing values based on:
 - Univariate approaches
 - Using naive strategies (e.g. "O", mean value)
 - Multivariate approaches
 - Infer values from known data

Both approaches are provided in scikit-learn



Univariate imputation





sklearn.impute.SimpleImputer

- Imputation based on:
 - Constant values
 - strategy="constant", fill_value=value
 - Statistics
 - Mean, median, most frequent
 - strategy="mean"|"median"|"most frequent"



Multivariate imputation





e.g., sklearn.impute.SimpleImputer

- Indentify k nearest neighbors
 - Distance defined as distance over non-missing features
 - By default, NaN-aware Euclidean distance used, defined as:

•
$$d^2(a,b) = w(a,b) \sum_{i=1}^{n} \mathbf{1}(a_i \neq \perp \land b_i \neq \perp) (a_i - b_i)^2$$

$$w(a,b) = \frac{n}{\sum \mathbf{1}(a_i \neq \perp \land b_i \neq \perp)}$$

- i.e., distance over non-missing dimensions
- weighted by w
 - (larger w = more missing dimensions, the ones available are weighted more)
- Impute value based on mean over neighbors



Scikit-learn documentation





Other preprocessing methods

https://scikit-learn.org/stable/modules/classes.html#modulesklearn.preprocessing