## Easy: Compute where Heidi lands

$$x = v \cdot t$$

$$y = \frac{1}{2}t^2$$

Heidi's flight 
$$x=v\cdot t$$
  $\Rightarrow$   $x(y,v)=v\sqrt(2y)$   $y=\frac{1}{2}t^2$   $\Rightarrow$   $y(x,v)=\frac{1}{2}(\frac{x}{v})^2$ 

Reverse equations to compute x given y and v

$$y(x_c, v) \in [y_c, y_c + 1]$$

$$x(y_c, v) \in ]x_c, x_c + 1]$$

⇒ Heidi will land on cube c

## Medium: Can Heidi reach the wormhole?

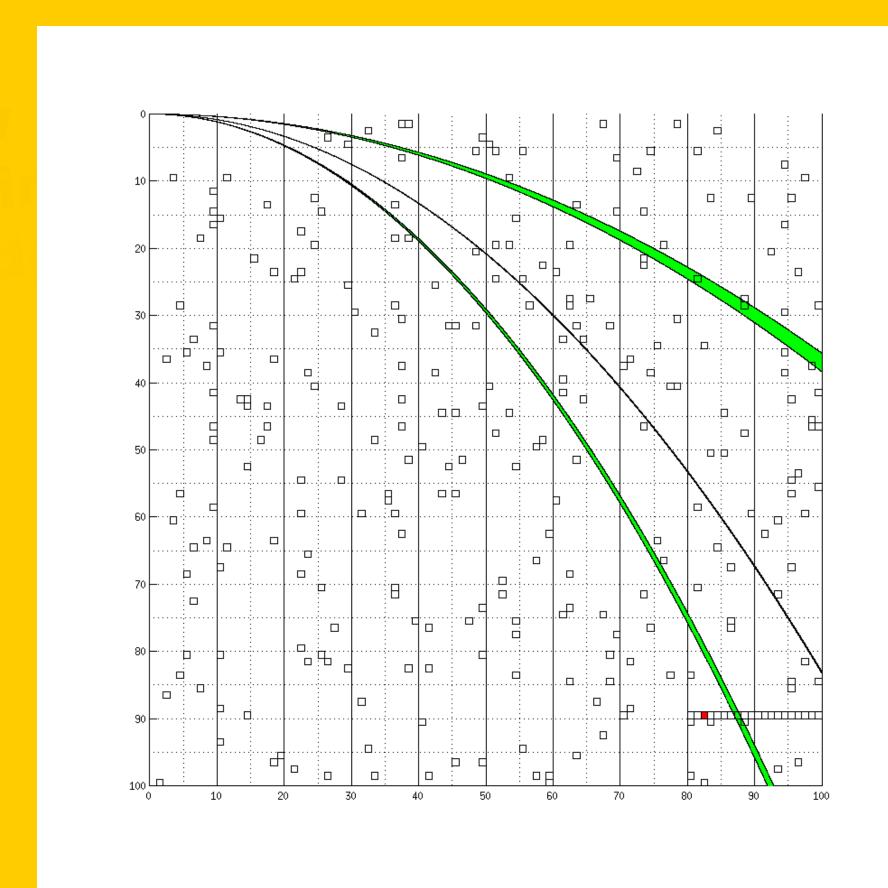
First: Find all cubes from which Heidi can reach the wormhole.

Call these hittable and landable cubes.

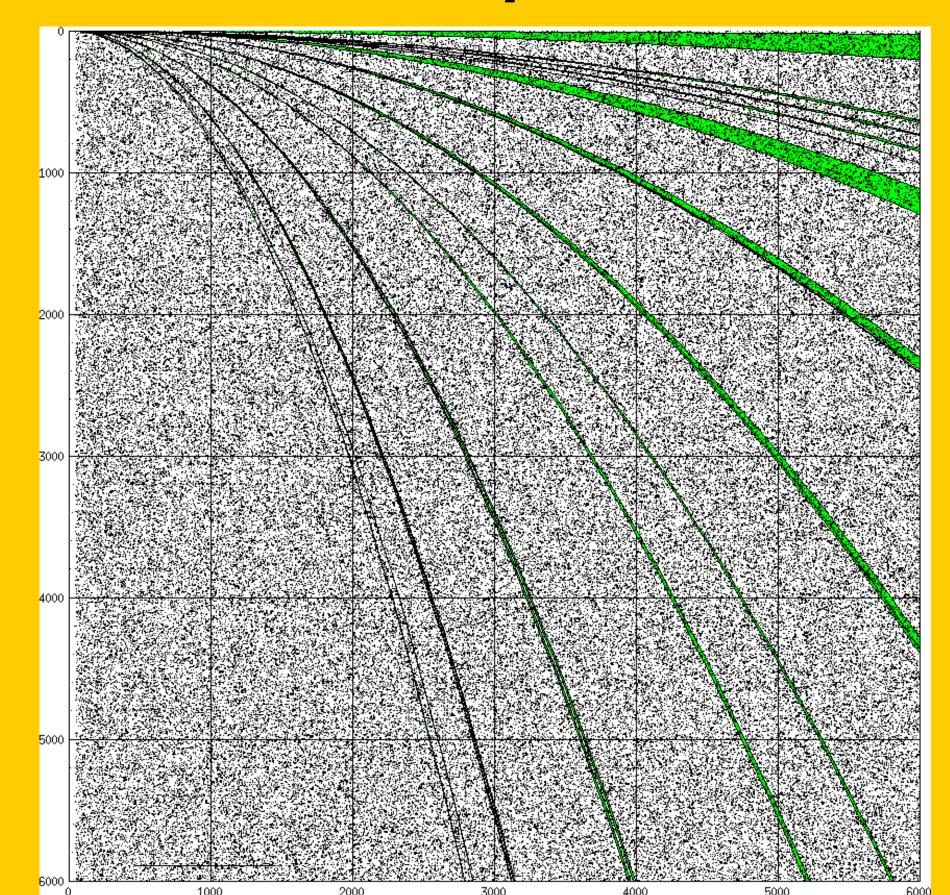
- Use a BFS or DFS, starting from the wormhole
- All cubes from which one can fall on a landable cube are landable
- All cubes just to the right and above a landable cube are hittable

This can be made much faster if cubes are sorted by x and y coordinates.

Given a speed, iterate through all cubes to find the one that Heidi hits first.



## Hard: So many obstacles...



Processing all cubes for every speed is too slow:( ⇒ Build a whitelist/blacklist for speeds

Cubes can only be obstructed by cubes with smaller coordinates. Process cubes starting from the top left:

- If cube is landable/hittable
  - extract speed interval
  - subtract existing blacklisted speeds
  - insert speed interval into whitelist
- insert speed interval for non-hittable/ non-landable sides into blacklist

Need a smart data structure, s.a. an interval tree.





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