

# 特征和图像识别工程案例实践



# 主要内容

- 数据预处理与特征工程
- 训练模型与调优
- 模型导出与使用
- 案例-猫狗大战

### 数据预处理与特征工程

- 数据增强与标注
- 数据处理
- 特征工程

#### 图像数据增强与标注

- 图像翻转
- 图像平移
- 图像crop
- 透视变换
- Gabor变换
- 图像数据标注

# 图像翻转

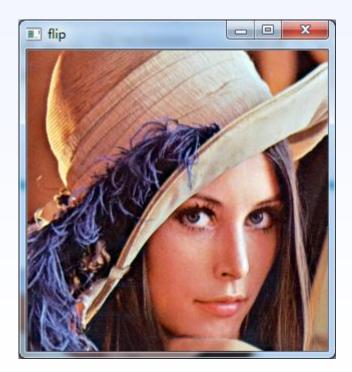


# 图像平移

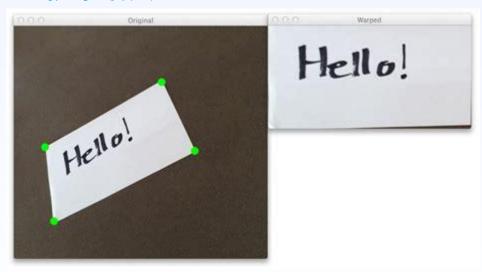


# 图像crop

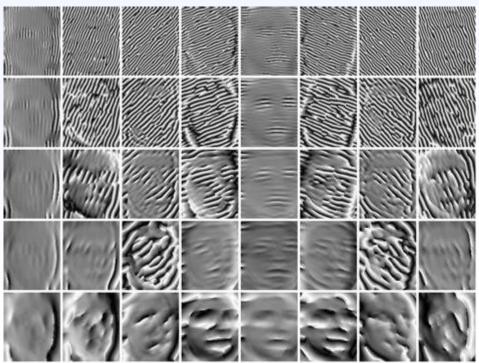




## 透视变换



# Gabor变换

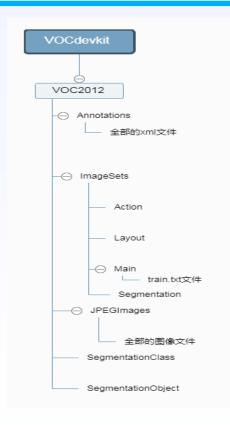


## 更多图像数据增强方法

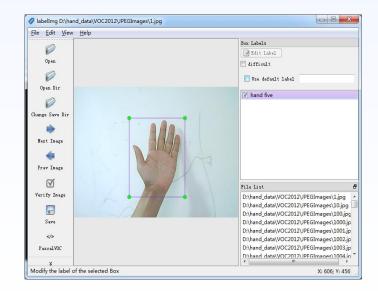
- 亮度调整
- 对比度调整
- 饱和度调整
- 图像采样插值放缩
- 色彩空间转换
- Gamma校正

#### 数据标注

- 人工打码平台
- 自动标注技术
- 手工标注工具
- <a href="https://github.com/tzutalin/labellmg">https://github.com/tzutalin/labellmg</a>
- PSCAL VOC2012格式



#### PASCAL VOC2012数据格式



## 数据预处理与初始化

- 归一化
- 标准化
- 正则化

#### 数据归一化

```
NORM L1 - L1归一化,依据和为1
   // Norm to probability (total count)
  // sum(numbers) = 20.0
  // 2.0 0.1 (2.0/20.0)
6 // 8.0 0.4 (8.0/20.0)
  // 10.0 0.5 (10.0/20.0)
8
    NORM_L2 , 单位向量为1
   // Norm to unit vector: ||positiveData|| = 1.0
11 // 2.0
          0.15
12 // 8.0 0.62
  // 10.0 0.77
    NORM_INF, 根据最大值
    // Norm to max element
   // 2.0 0.2 (2.0/10.0)
17
18
   // 8.0 0.8 (8.0/10.0)
   // 10.0 1.0 (10.0/10.0)
19
20
    NORM MINMAX, 根据delta = max-min
   // Norm to range [0.0;1.0]
23
   // 2.0
          0.0 (shift to left border)
24 // 8.0 0.75 (6.0/8.0)
    // 10.0 1.0 (shift to right border)
```

```
norm = \frac{x_i - \min(x)}{\max(x) - \min(x)}其中 x_i 表示图像像素点值,\min(x),\max(x)分别表示图像像素的最大与最小值
```

#### 数据归一化

```
# 转换为浮点数类型数组
      gray = cv.cvtColor(src, cv.COLOR_BGR2GRAY)
      gray = np.float32(gray)
10
11
      print(gray)
12
13
      # scale and shift by NORM MINMAX
14
      dst = np.zeros(gray.shape, dtype=np.float32)
15
      cv.normalize(gray, dst=dst, alpha=0, beta=1.0, norm_type=cv.NORM_MINMAX)
16
      print(dst)
      cv.imshow("NORM_MINMAX", np.uint8(dst*255))
17
18
      # scale and shift by NORM INF
19
      dst = np.zeros(gray.shape, dtype=np.float32)
20
21
      cv.normalize(gray, dst=dst, alpha=1.0, beta=0, norm_type=cv.NORM_INF)
22
      print(dst)
      cv.imshow("NORM_INF", np.uint8(dst*255))
23
```

#### 标准化

image\_standardization =  $\frac{\mathbf{X} - \mu}{\text{adjusted\_stddev}}$  其中 $\mu$ 是图像的均值,X表示图像矩阵其中 $\mu$ 

adjusted\_stddev =  $\max(\sigma, \frac{1.0}{\sqrt{N}})$ , $\sigma$ 表示标准方差、N表示图像X的像素数目





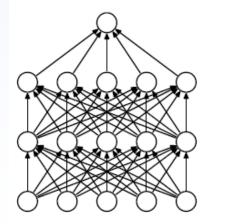
#### 正则化

$$\begin{split} & \min_{\mathbf{w}} \quad \frac{1}{n} \sum_{i=1}^n \ell(y, f_{\mathbf{w}}(x)) \ + \ \lambda \ \mathrm{count}\{w_j \neq 0\} \\ & \min_{\mathbf{w}} \quad \frac{1}{n} \sum_{i=1}^n \ell(y, f_{\mathbf{w}}(x)) \ + \ \lambda |\mathbf{w}|_1 \quad \text{L1正则化} \\ & \min_{\mathbf{w}} \quad \frac{1}{n} \sum_{i=1}^n \ell(y, f_{\mathbf{w}}(x)) \ + \ \lambda |\mathbf{w}|_2 \quad \text{L2正则化} \end{split}$$

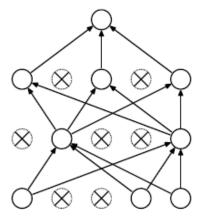
L0正则化

### dropout正则化

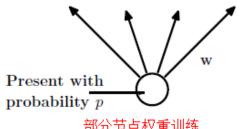
- 神经网络(多层感知器MLP)
- dropout



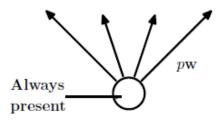
标准神经网络



带dropout的神经网络



部分节点权重训练



全部节点参与测试, 前向网络

作用:防止过拟合,增加了神经网络的训练层数

#### 特征工程

- 原始特征
  - 图像像素、轮廓、纹理等
- 信号采样、光谱
- 时间序列
- 生物数据-DNA、Marker、Gene
- 文本数据-词组、语法、关系
- 组合特征
- 线性特征组合

## 特征工程

- Hessian矩阵与角点检测
- SIFT/SURF图像特征检测不变性问题
- 自动特征提取

### Hessian矩阵求解

#### 高斯模糊与高斯梯度求解

$$G(x, y, \sigma) = \frac{1}{2\pi\sigma^2} e^{-\frac{\left(x^2 + y^2\right)}{2\sigma^2}}$$

X方向偏导数 Gx

$$\frac{\partial G(x,y,\sigma)}{\partial x} = -\frac{x}{2\pi\sigma^4}e^{-\frac{\left(x^2+y^2\right)}{2\sigma^2}}$$

Gxx --

$$\frac{\partial^2 G(x,y,\sigma)}{\partial^2 x} = \left(-1 + \frac{x^2}{\sigma^2}\right) \frac{e^{-\frac{\left(x^2 + y^2\right)}{2\sigma^2}}}{2\pi\sigma^4}$$

Gvv --

$$\frac{\partial^2 G(x,y,\sigma)}{\partial^2 y} = \left(-1 + \frac{y^2}{\sigma^2}\right) \frac{e^{-\frac{\left(x^2 + y^2\right)}{2\sigma^2}}}{2\pi\sigma^4}$$

$$\frac{\partial^2 G(x,y,\sigma)}{\partial xy} = \frac{xy}{2\pi\sigma^6} e^{-\frac{\left(x^2+y^2\right)}{2\sigma^2}}$$

## Hessian矩阵求解

 $egin{aligned} & Hessian求解需要计算图像的二阶偏导数 <math>oldsymbol{D}_{xx} & oldsymbol{D}_{xy} & oldsymbol{D}_{yy} \ & oldsymbol{\exists} & o$ 

$$H = \begin{bmatrix} D_{xx} & D_{xy} \\ D_{xy} & D_{yy} \end{bmatrix}$$

$$f(x,y) = x^3 - 2xy - y^6$$
 at the point  $(1,2)$ :

$$f_x(x,y)=rac{\partial}{\partial x}(x^3-2xy-y^6)=3x^2-2y$$

$$f_y(x,y)=rac{\partial}{\partial y}(x^3-2xy-y^6)=-2x-6y^5$$

$$f_{xy}(x,y) = \frac{\partial}{\partial y}(3x^2 - 2y) = -2$$

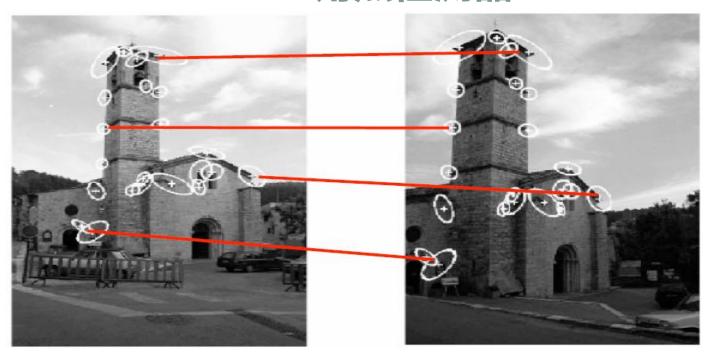
$$f_{yx}(x,y) = \frac{\partial}{\partial x}(-2x - 6y^5) = -2$$

$$f_{yy}(x,y) = \frac{\partial}{\partial y}(-2x - 6y^5) = -30y^4$$

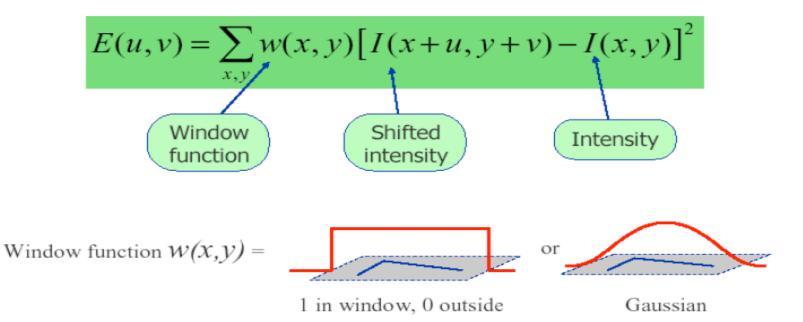
$$\mathbf{H}f(x,y) = \begin{bmatrix} f_{xx}(x,y) & f_{xy}(x,y) \\ f_{yx}(x,y) & f_{yy}(x,y) \end{bmatrix} = \begin{bmatrix} 6x & -2 \\ -2 & -30y^4 \end{bmatrix}$$

$$\mathbf{H}f(1,2) = \begin{bmatrix} 6(1) & -2 \\ -2 & -30(2)^4 \end{bmatrix} = \begin{bmatrix} 6 & -2 \\ -2 & -480 \end{bmatrix}$$

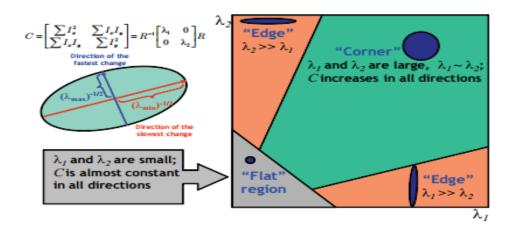
# Harris角点检测器



#### Harris角点检测器



## 图像Hessian特征



$$R = \det M - k \left( \operatorname{trace} M \right)^2$$

$$\det M = \lambda_1 \lambda_2$$
$$\operatorname{trace} M = \lambda_1 + \lambda_2$$

k=0.04~0.06

#### Harris角点检测器

矩阵的特征值与特征向量

$$A = \begin{bmatrix} 3 & 6 & -8 \\ 0 & 0 & 6 \\ 0 & 0 & 2 \end{bmatrix}$$
 
$$\det(A - \lambda I)$$

$$A - \lambda I = \begin{bmatrix} 3 & 6 & -8 \\ 0 & 0 & 6 \\ 0 & 0 & 2 \end{bmatrix} - \begin{bmatrix} \lambda & 0 & 0 \\ 0 & \lambda & 0 \\ 0 & 0 & \lambda \end{bmatrix} = \begin{bmatrix} 3 - \lambda & 6 & -8 \\ 0 & -\lambda & 6 \\ 0 & 0 & 2 - \lambda \end{bmatrix}$$

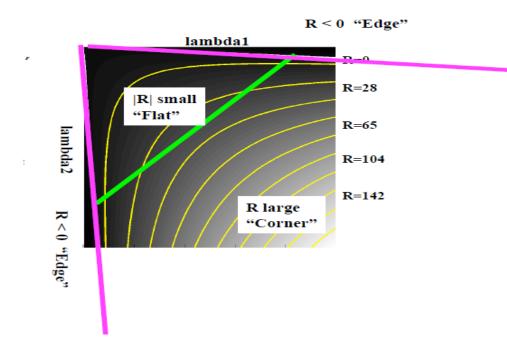
$$\det(A - \lambda I) = (3 - \lambda)(-\lambda)(2 - \lambda) + (6)(6)(0) + (-8)(0)(0)$$
$$- (0)(-\lambda)(-8) - (0)(6)(3 - \lambda) - (-\lambda)(0)(6)$$
$$= -\lambda(3 - \lambda)(2 - \lambda)$$

特征值有三个  $\lambda = 0, 2, \text{ or } 3$ 

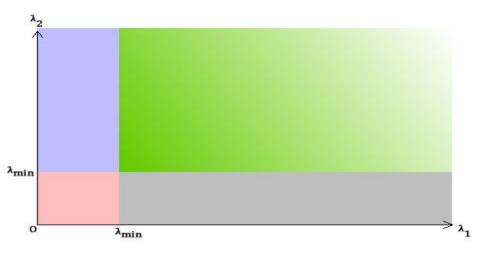
Eigenvalues of the Hessian matrix and image structure orientation (L low, H+ high positive, H- high negative)

$\lambda_1$	$\lambda_2$	$\lambda_3$	structure orientation		
L	L	L	noise (no preferred structure)		
L	L	H–	bright sheet-like structure		
L	L	H+	dark sheet-like structure		
L	H–	H–	bright tubular structure		
L	H+	H+	dark tubular structure		
H–	H–	H–	bright blob-like structure		
H+	H+	H+	dark blob-like structure		

# Harris角点检测器

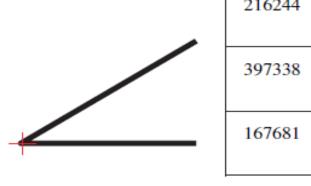


#### Shi-Tomas 角点检测

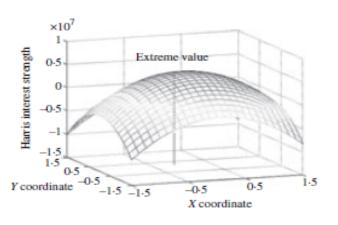


$$R = \min(\lambda_1, \lambda_2)$$

# 亚像素级别角点检测



216244	696907	1495135
397338	4043951	1095007
167681	1211299	1246681



(a)

(b)

(c)

# 亚像素级别角点检测

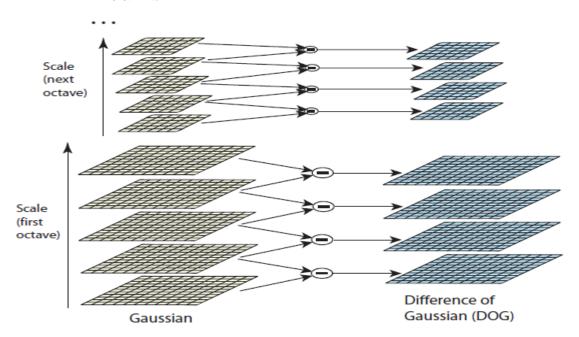
- 插值方法
- 基于图像矩计算
- 曲线拟合方法 (高斯曲面、多项式、椭圆曲面)

### SIFT特征提取

SIFT(Scale-Invariant Feature Transform)特征检测关键特性:

- 建立尺度空间,寻找极值
- 关键点定位(寻找关键点准确位置与删除弱边缘)
- 关键点方向指定
- 关键点描述子

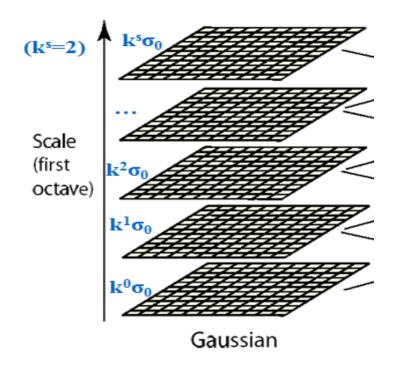
#### SIFT-金字塔尺度空间

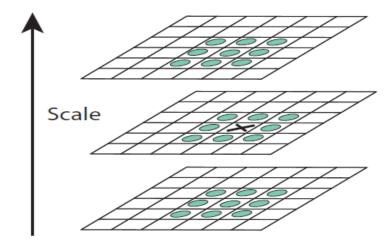


#### $\begin{array}{lcl} D(x,y,\sigma) & = & \left(G(x,y,k\sigma) - G(x,y,\sigma)\right) * I(x,y) \\ & = & L(x,y,k\sigma) - L(x,y,\sigma). \end{array}$

#### 工作原理

- 1. 构建图像高斯金字塔 , 求 取DOG , 发现最大与最小 值在每一级
- 2. 构建的高斯金字塔,每一层根据sigma的值不同,可以分为几个等级,最少有4个。

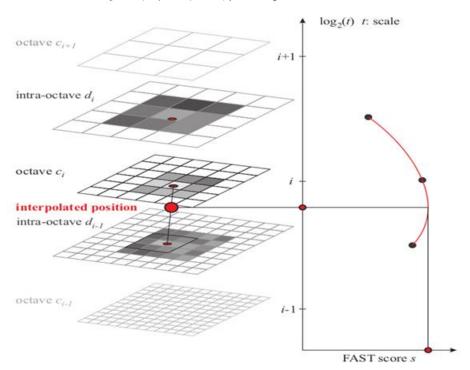




#### 关键点定位

- 我们在像素级别获得了极值点的位置,但是更准确的值应该在亚像素位置,如何得到 这个过程称为关键点(准确/精准)定位。
- 删除弱边缘- 通过Hessian 矩阵特征值实现, 小于阈值自动舍弃

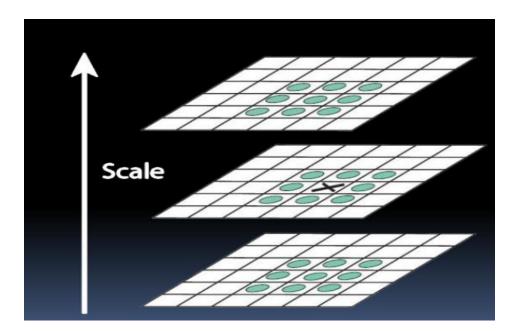
## SIFT-关键点定位



$$H(\mathbf{x}) = H + \frac{\partial H}{\partial \mathbf{x}}^T \mathbf{x} + \frac{1}{2} \mathbf{x}^T \frac{\partial^2 H}{\partial \mathbf{x}^2} \mathbf{x}$$

$$\hat{x} = -\frac{\partial^2 H}{\partial \mathbf{x}^2}^{-1} \frac{\partial H}{\partial \mathbf{x}}$$

## SIFT-关键点定位



$$\frac{\partial^2 H}{\partial \mathbf{x}^2} = \begin{bmatrix} d_{xx} & d_{yx} & d_{sx} \\ d_{xy} & d_{yy} & d_{sy} \\ d_{xs} & d_{ys} & d_{ss} \end{bmatrix}$$

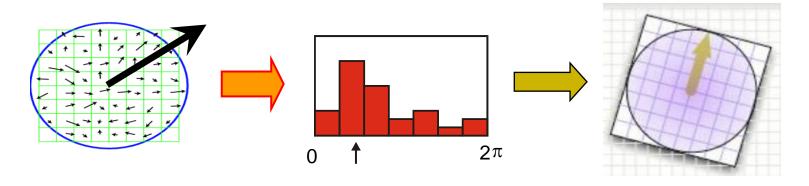
$$\frac{\partial H}{\partial \mathbf{x}} = \left[ \begin{array}{c} d_x \\ d_y \\ d_s \end{array} \right].$$

## SIFT-角度方向指定

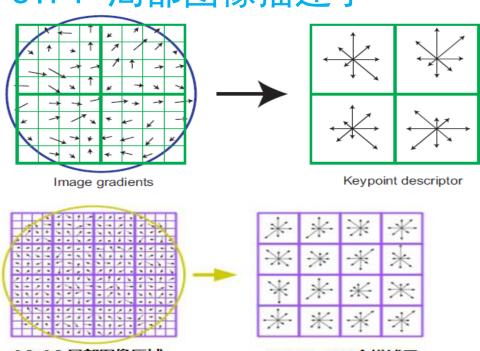
- 求得每一层对应图像的梯度, 根据给定的窗口大小
- 计算每个高斯权重, sigma=scalex1.5, 0~360之间建立36个直方图Bins
- 找最高峰对应的Bin, 大于max\*80%的都保留
- 这样就实现了旋转不变性,提高了匹配时候的稳定性。
- 大约有15%的关键点会有多个方向。

## SIFT-角度方向指定

$$m(x,y) = \sqrt{(L(x+1,y) - L(x-1,y))^2 + (L(x,y+1) - L(x,y-1))^2}$$
  
$$\theta(x,y) = \tan^{-1}((L(x,y+1) - L(x,y-1))/(L(x+1,y) - L(x-1,y)))$$



## SIFT-局部图像描述子

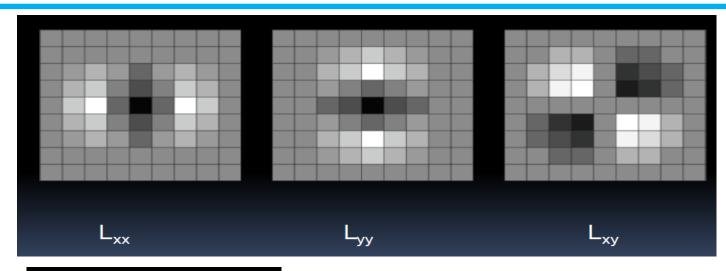


16x16 局部图像区域

4x4x8=128个描述子

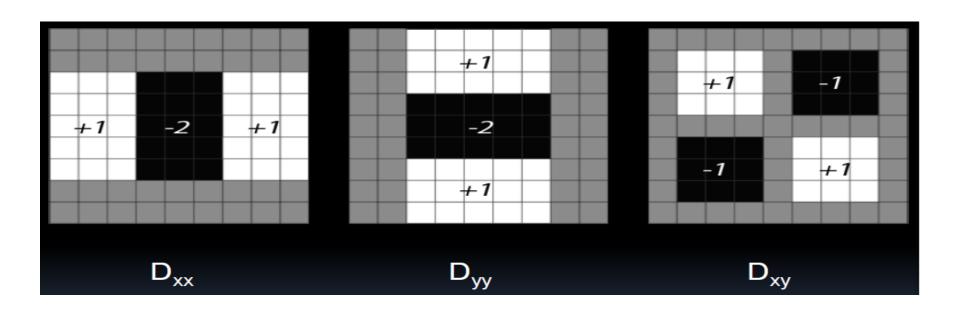
## SIFT-角度方向指定

- 选择图像中POI(Points of Interest) Hessian Matrix
- 在不同的尺度空间发现关键点, 非最大信号压制
- 发现特征点方法、旋转不变性要求
- 生成特征向量

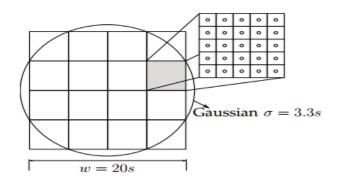


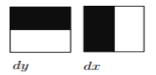
$$\begin{bmatrix} \frac{\partial I^2}{\partial x^2} & \frac{\partial I^2}{\partial x \partial y} \\ \frac{\partial I^2}{\partial y \partial x} & \frac{\partial I^2}{\partial y^2} \end{bmatrix}$$

## SURF-HAAR特征-积分图计算



## SURF-描述子





$$v = \{\sum dx, \sum |dx|, \sum dy, \sum |dy|\}$$

2x2 Haar,对于5x5的区域得到一个向量V,总计16个向量

## 更多图像特征

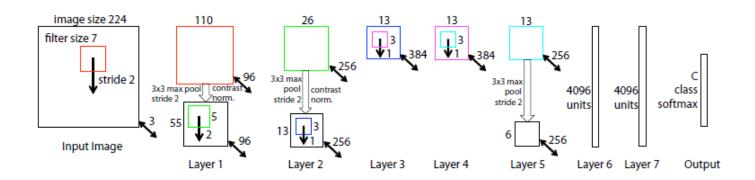
- HOG特征描述
- LBP、HAAR特征描述
- ORB/BRISK/KAZE

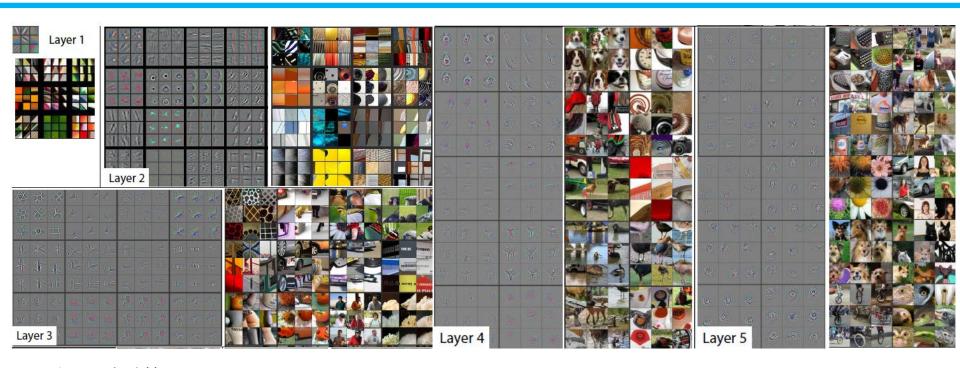
## 人工提取特征的局限性

- 基于先验模型与数学推导
- 无法描述一些数学模型无法建模的特征
- 人的计算能力远不如计算机

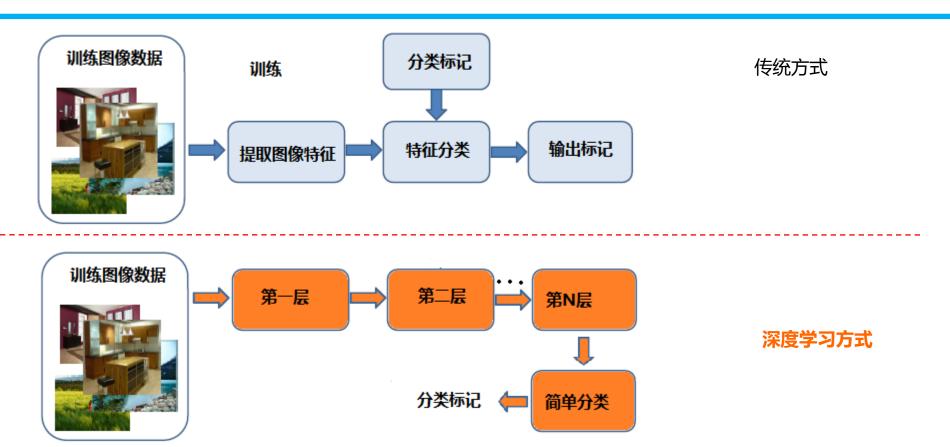
## 自动特征提取

- 卷积神经网络CNN 监督学习
- 自编码学习 无监督学习





卷积层自动特征提取

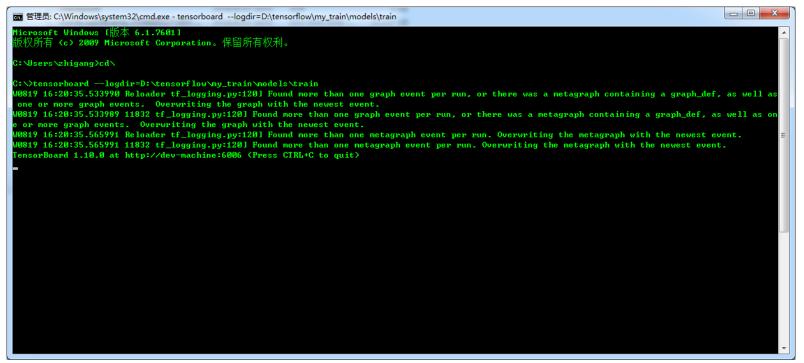


## 实验 - 基于卷积神经网络的图像识别

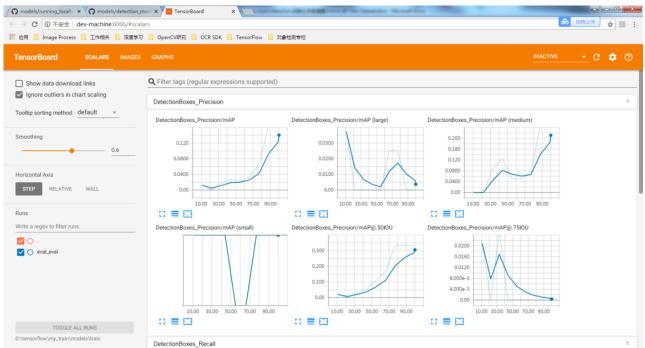
- 下载安装 <a href="https://github.com/tensorflow/models/tree/master/research/object\_detection">https://github.com/tensorflow/models/tree/master/research/object\_detection</a>
- pip install git+https://github.com/philferriere/cocoapi.git#subdirectory=PythonAPI
- 下载数据-http://www.robots.ox.ac.uk/~vgg/data/pets/data/images.tar.gz
- 下载数据-http://www.robots.ox.ac.uk/~vgg/data/pets/data/annotations.tar.gz
- http://download.tensorflow.org/models/object\_detection/ssd\_mobilenet\_v1\_coco\_2018\_01\_28.tar.gz

```
pip install --user Cython
pip install --user contextlib2
pip install --user pillow
pip install --user lxml
pip install --user jupyter
pip install --user matplotlib
```

## 实验 - 基于卷积神经网络的图像识别



#### 实验 - 基于卷积神经网络的图像识别





#### 课程问题咨询微信





# Thank You!