

Over the alphabet $\Sigma = \{a, b\}$ design DFA for the following.

- 1) Set of all strings with exactly one a.
- 2) Set of all strings with atleast one a.
- 3) Set of all strings with atmost one a.
- 4) $L = \{w_1abw_2 \mid w_1, w_2 \in (a, b)^*\}$

OR

containing substring ab

- 5) Set of all strings starting with ab.
- 6) Set of all strings ending with ab.
- 7) Set of all strings containing exactly 2 a's.
- 8) Set of all strings with exactly 2 a's and exactly 2 b's.
- 9) Set of all strings with exactly 1 a and atleast 2 b's.
- 10) Set of all strings with atleast 1 a and atleast 2 b's.
- 11) Set of all strings with exactly 2 a's and atmost 2 b's.
- 12) $L = \{w \mid |w| \bmod 3 = 0\}$

$$13) L = \{w \mid |w| \bmod 3 > 0\}$$

$$14) L = \{w \mid |w| \bmod 3 \neq 0\}$$

$$15) L = \{w \mid |w| \bmod 5 \neq 0\}$$

$$16) L = \{w \mid n_a(w) \bmod 3 > 1\}$$

$$17) L = \{w \mid |w| \geq 4\}$$

18) Set of all strings w such that $n_a(w)$ is divisible by 3.

19) Set of all strings w such that $n_a(w) = 3$.

$$20) L = \{(ab)^i (b)^{2j} \mid i \geq 1, j \geq 1\}$$

21) Odd no. of a's.

22) Even no. of a's.

23) Starting with a and ending with b.

24) Even no. of a's and Even no. of b's.

25) Even no. of a's and odd no. of b's.

- 26] Even no. of 'a's and no. of 'b's is divisible by 3.
 27] Not containing aa as substring.
 28] $L = \{w \mid \text{and last symbol must be 'a'}\}$
 29] $L = \{w \mid \text{3rd last symbol must be 'b'}\}$
 30] Set of all strings that begin and end with the same letter.
 31] $L = \{w \mid \text{second last symbol should be different from first symbol}\} \quad |w| \geq 3$
- For $\Sigma = \{0,1\}$ design dfa for the following**
- 32] Set of all binary number whose decimal Equivalent is divisible by 3.
 33] Set of all binary number whose decimal Equivalent is divisible by 4.
 34] For $\Sigma = \{0,1,2\}$ design a dfa that will accept all ternary numbers divisible by 2.
 35] For $\Sigma = \{0,1,2\}$ design a dfa that will accept all ternary no. divisible by 4.
 36] $\Sigma = \{0,1\}$ design dfa for accepting all those strings in which number of 0's is divisible by 2 and number of 1's is divisible by 3.
 37] $\Sigma = \{0,1\}$, dfa for all strings not containing 00.
 38] $\Sigma = \{0,1\}$ design a dfa that will accept all those binary numbers whose decimal equivalent is divisible by 2 but not divisible by 3.
 39] $\Sigma = \{0,1\}$. Design a dfa to accept all those strings not containing 101 as substring.
 40] $\Sigma = \{0,1\}$. Design a dfa to accept all those binary numbers whose decimal Equivalent is divisible by 2 or divisible by 3.