

Post Covid Forecast

In this dataset, to consider covid as a new normal, we have taken forecasted values of 2020 to smoothen out the outliers due to covid, and have taken the same values of 2021 to consider covid as a new reality.

Reading the data

```
library(readxl)
```

```
## Warning: package 'readxl' was built under R version 4.0.5
```

```
Tng_Ctr_Hours <- read_excel("C:/Users/prach/Desktop/Rutgers/BF/Project/Tng_Hr.xlsx")
```

Summary of the data

```
class(Tng_Ctr_Hours)
```

```
## [1] "tbl_df"      "tbl"        "data.frame"
```

```
summary(Tng_Ctr_Hours)
```

```
##      Year      Quarter      Month      Device_Hrs
## Length:81    Length:81    Length:81    Min.   : 605.0
## Class :character Class :character Class :character 1st Qu.: 937.6
## Mode  :character Mode  :character Mode  :character Median :1027.2
##                                     Mean  :1031.0
##                                     3rd Qu.:1121.8
##                                     Max.   :1519.9
```

Libraries

```
library(fpp3)
```

```
## Warning: package 'fpp3' was built under R version 4.0.5
```

```
## -- Attaching packages ----- fpp3 0.4.0 --
```

```

## v tibble      3.1.4      v tsibble      1.0.1
## v dplyr       1.0.7      v tsibbledata 0.3.0
## v tidyr       1.1.4      v feasts      0.2.2
## v lubridate   1.7.10     v fable       0.3.1
## v ggplot2     3.3.5

## Warning: package 'tibble' was built under R version 4.0.5

## Warning: package 'dplyr' was built under R version 4.0.5

## Warning: package 'tidyr' was built under R version 4.0.5

## Warning: package 'lubridate' was built under R version 4.0.5

## Warning: package 'ggplot2' was built under R version 4.0.5

## Warning: package 'tsibble' was built under R version 4.0.5

## Warning: package 'tsibbledata' was built under R version 4.0.5

## Warning: package 'feasts' was built under R version 4.0.5

## Warning: package 'fabletools' was built under R version 4.0.5

## Warning: package 'fable' was built under R version 4.0.5

## -- Conflicts ----- fpp3_conflicts --
## x lubridate::date()      masks base::date()
## x dplyr::filter()        masks stats::filter()
## x tsibble::intersect()   masks base::intersect()
## x tsibble::interval()    masks lubridate::interval()
## x dplyr::lag()           masks stats::lag()
## x tsibble::setdiff()     masks base::setdiff()
## x tsibble::union()       masks base::union()

library(TTR)

## Warning: package 'TTR' was built under R version 4.0.5

library(ggplot2)
library(tsibble)
library(tsibbledata)
library(dplyr)
library(forecast)

## Warning: package 'forecast' was built under R version 4.0.5

## Registered S3 method overwritten by 'quantmod':
##   method      from
##   as.zoo.data.frame zoo

```

```
library(fpp)
```

```
## Warning: package 'fpp' was built under R version 4.0.5

## Loading required package: fma

## Warning: package 'fma' was built under R version 4.0.5

## Loading required package: expsmooth

## Warning: package 'expsmooth' was built under R version 4.0.5

## Loading required package: lmtest

## Warning: package 'lmtest' was built under R version 4.0.5

## Loading required package: zoo

## Warning: package 'zoo' was built under R version 4.0.5

##
## Attaching package: 'zoo'

## The following object is masked from 'package:tsibble':
##
##   index

## The following objects are masked from 'package:base':
##
##   as.Date, as.Date.numeric

## Loading required package: tseries

## Warning: package 'tseries' was built under R version 4.0.5

##
## Attaching package: 'fpp'

## The following object is masked from 'package:fpp3':
##
##   insurance
```

```
library(fpp2)
```

```
## Warning: package 'fpp2' was built under R version 4.0.5

##
## Attaching package: 'fpp2'
```

```
## The following objects are masked from 'package:fpp':
##
##   ausair, ausbeer, austa, austourists, debitcards, departures,
##   elecequip, euretail, guinearice, oil, sunspotarea, usmelec

## The following object is masked from 'package:fpp3':
##
##   insurance
```

```
library(bsts)
```

```
## Warning: package 'bsts' was built under R version 4.0.5

## Loading required package: BoomSpikeSlab

## Warning: package 'BoomSpikeSlab' was built under R version 4.0.5

## Loading required package: Boom

## Warning: package 'Boom' was built under R version 4.0.5

## Loading required package: MASS

##
## Attaching package: 'MASS'

## The following objects are masked from 'package:fma':
##
##   cement, housing, petrol

## The following object is masked from 'package:dplyr':
##
##   select

##
## Attaching package: 'Boom'

## The following object is masked from 'package:stats':
##
##   rWishart

##
## Attaching package: 'BoomSpikeSlab'

## The following object is masked from 'package:stats':
##
##   knots

## Loading required package: xts
```

```
## Warning: package 'xts' was built under R version 4.0.5

##
## Attaching package: 'xts'

## The following objects are masked from 'package:dplyr':
##
##   first, last

##
## Attaching package: 'bsts'

## The following object is masked from 'package:BoomSpikeSlab':
##
##   SuggestBurn
```

```
library(prophet)
```

```
## Warning: package 'prophet' was built under R version 4.0.5

## Loading required package: Rcpp

## Warning: package 'Rcpp' was built under R version 4.0.5

## Loading required package: rlang

## Warning: package 'rlang' was built under R version 4.0.5
```

```
library(repr)
```

```
## Warning: package 'repr' was built under R version 4.0.5
```

Converting Data Frame to Time Series

```
df_Tng = Tng_Ctr_Hours[,c(4)]
df_Tng
```

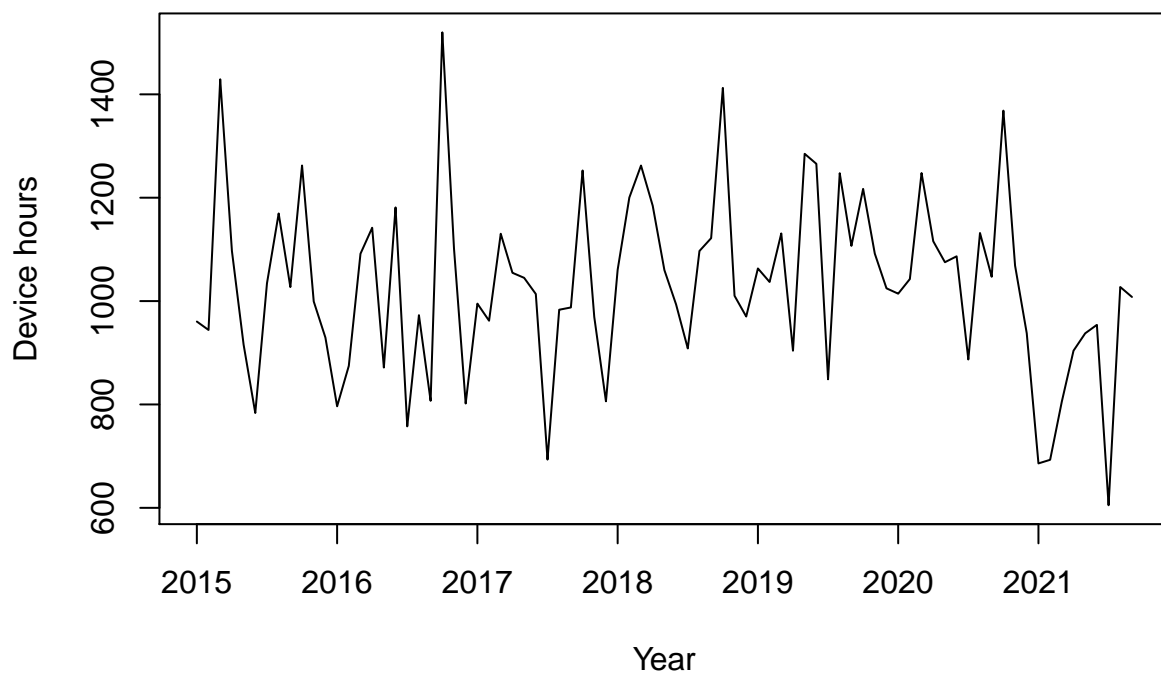
```
## # A tibble: 81 x 1
##   Device_Hrs
##   <dbl>
## 1     960.
## 2     944.
## 3    1429.
## 4    1097
## 5     916.
## 6     783.
## 7    1035.
## 8    1170.
## 9    1027.
## 10   1262.
## # ... with 71 more rows
```

```
ts_tng = ts(data = df_Tng,frequency = 12,start = c(2015, 1))
ts_tng
```

```
##          Jan      Feb      Mar      Apr      May      Jun      Jul      Aug      Sep
## 2015  960.42  944.08 1429.12 1097.00  915.85  783.45 1034.52 1169.50 1027.08
## 2016  796.42  874.55 1091.55 1141.84  871.36 1181.21  757.59  972.73  807.02
## 2017  995.09  962.00 1130.24 1054.71 1044.95 1013.73  693.33  983.25  987.64
## 2018 1060.57 1200.25 1262.25 1184.45 1059.92  993.55  908.37 1096.93 1121.75
## 2019 1063.13 1036.95 1130.87  903.97 1284.95 1265.56  848.64 1247.40 1106.84
## 2020 1014.32 1042.63 1247.73 1115.74 1075.18 1086.63  886.98 1131.69 1047.04
## 2021  685.91  692.88  805.42  904.00  937.62  954.00  605.00 1027.23 1008.00
##          Oct      Nov      Dec
## 2015 1262.32  999.25  929.42
## 2016 1519.92 1101.67  801.83
## 2017 1252.69  969.31  806.10
## 2018 1412.47 1010.25  970.12
## 2019 1217.08 1091.84 1024.67
## 2020 1368.48 1068.67  937.76
## 2021
```

Plotting the time series

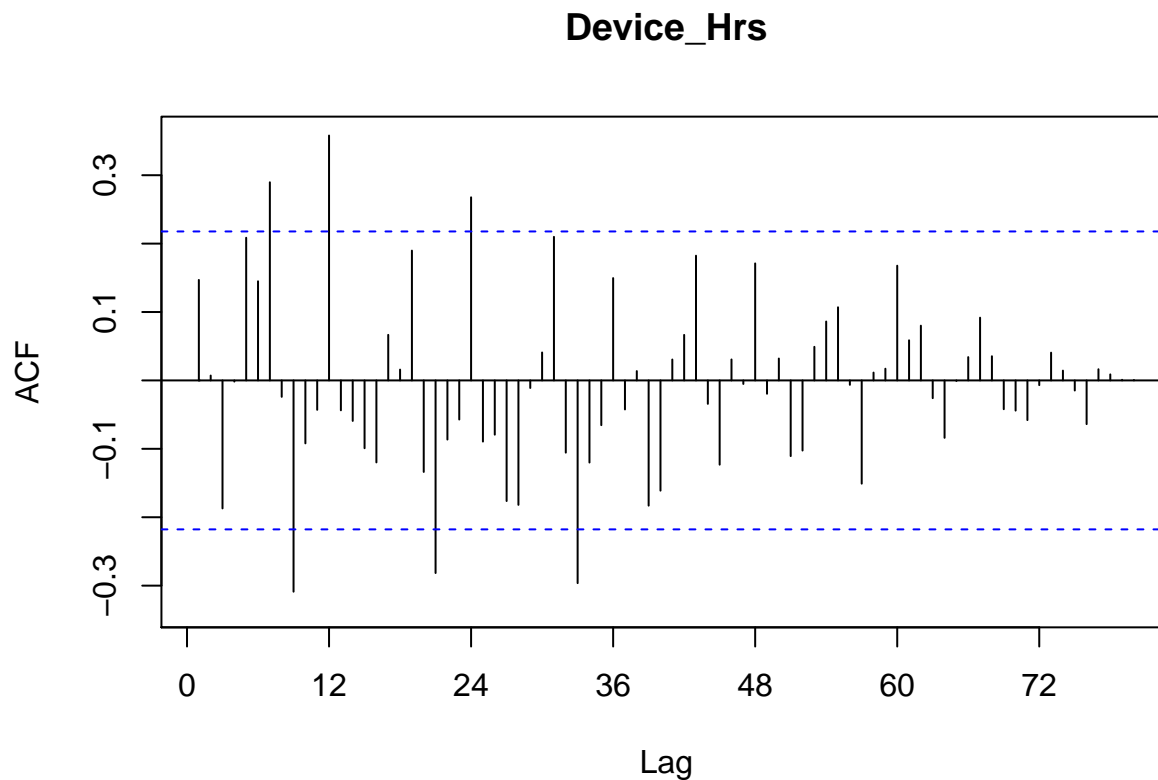
```
plot(ts_tng,xlab = "Year", ylab = "Device hours")
```



##We can notice in the plot that there is seasonilty and device hours are its peak mostly in the third quarter of every year before 2020.

Acf

```
Acf(ts_tng,lag = 80)
```



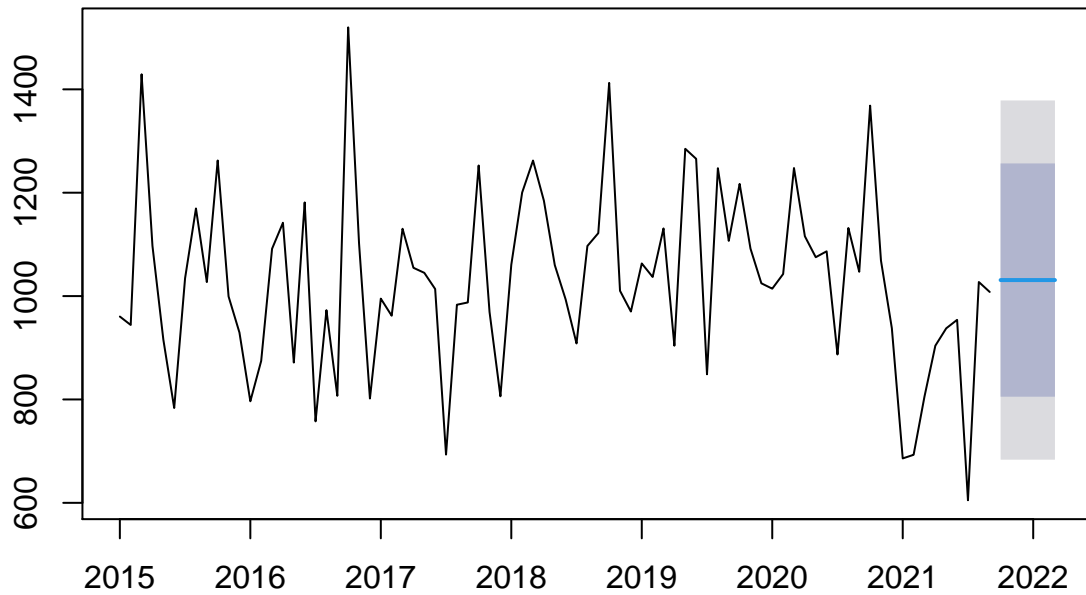
Forecasting Methods

Mean Forecast

Forecasting is for the following 6 period month.

```
mean_forecast = meanf(ts_tng, h=6)  
plot(mean_forecast)
```

Forecasts from Mean



```
summary(mean_forecast)
```

```
##
## Forecast method: Mean
##
## Model Information:
## $mu
## [1] 1030.968
##
## $mu.se
## [1] 19.28435
##
## $sd
## [1] 173.5591
##
## $bootstrap
## [1] FALSE
##
## $call
## meanf(y = ts_tng, h = 6)
##
## attr("class")
## [1] "meanf"
##
## Error measures:
```



```
##                      ME      RMSE      MAE      MPE      MAPE      MASE
## Training set -3.088305e-14 172.4845 130.8521 -2.998382 13.43832 0.9041035
##                      ACF1
## Training set 0.1469126
##
## Forecasts:
##      Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
## Oct 2021      1030.968 805.3109 1256.626 683.4491 1378.487
## Nov 2021      1030.968 805.3109 1256.626 683.4491 1378.487
## Dec 2021      1030.968 805.3109 1256.626 683.4491 1378.487
## Jan 2022      1030.968 805.3109 1256.626 683.4491 1378.487
## Feb 2022      1030.968 805.3109 1256.626 683.4491 1378.487
## Mar 2022      1030.968 805.3109 1256.626 683.4491 1378.487
```

```
accuracy(mean_forecast)
```

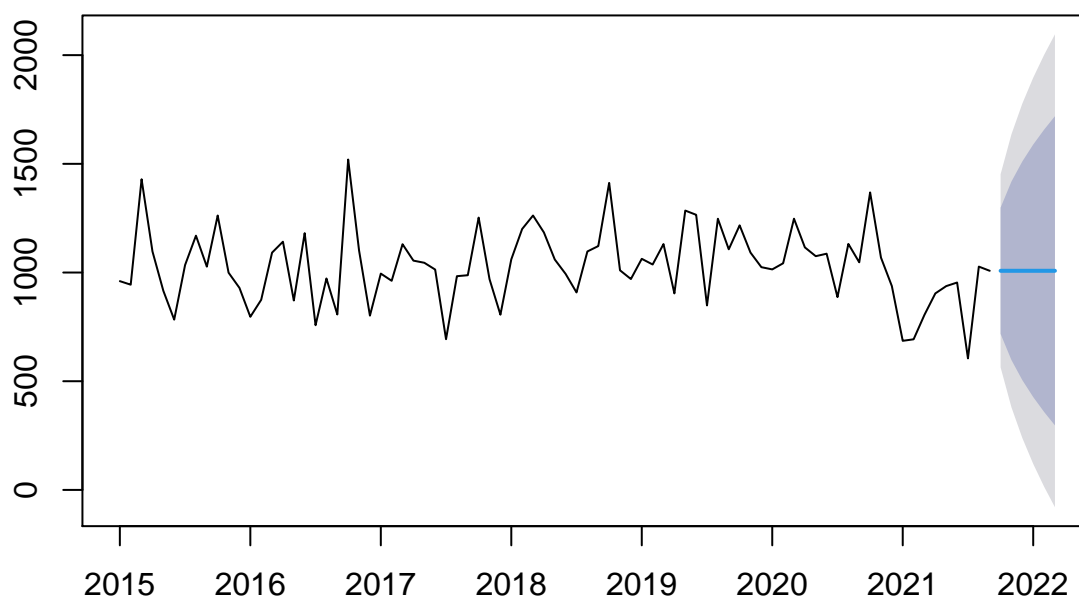
```
##                      ME      RMSE      MAE      MPE      MAPE      MASE
## Training set -3.088305e-14 172.4845 130.8521 -2.998382 13.43832 0.9041035
##                      ACF1
## Training set 0.1469126
```

Naive Forecast

Forecasting is for the following 6 period month.

```
naive_forecast <- naive(ts_tng,6)
plot(naive_forecast)
```

Forecasts from Naive method



```
summary(naive_forecast)
```

```
##
## Forecast method: Naive method
##
## Model Information:
## Call: naive(y = ts_tng, h = 6)
##
## Residual sd: 226.5522
##
## Error measures:
##           ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
## Training set 0.59475 226.5522 178.13 -2.387636 17.59058 1.230763 -0.4188375
##
## Forecasts:
##           Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
## Oct 2021           1008 717.6616 1298.338 563.96578 1452.034
## Nov 2021           1008 597.3995 1418.600 380.04079 1635.959
## Dec 2021           1008 505.1192 1510.881 238.91018 1777.090
## Jan 2022           1008 427.3233 1588.677 119.93157 1896.068
## Feb 2022           1008 358.7837 1657.216  15.10931 2000.891
## Mar 2022           1008 296.8191 1719.181 -79.65726 2095.657
```

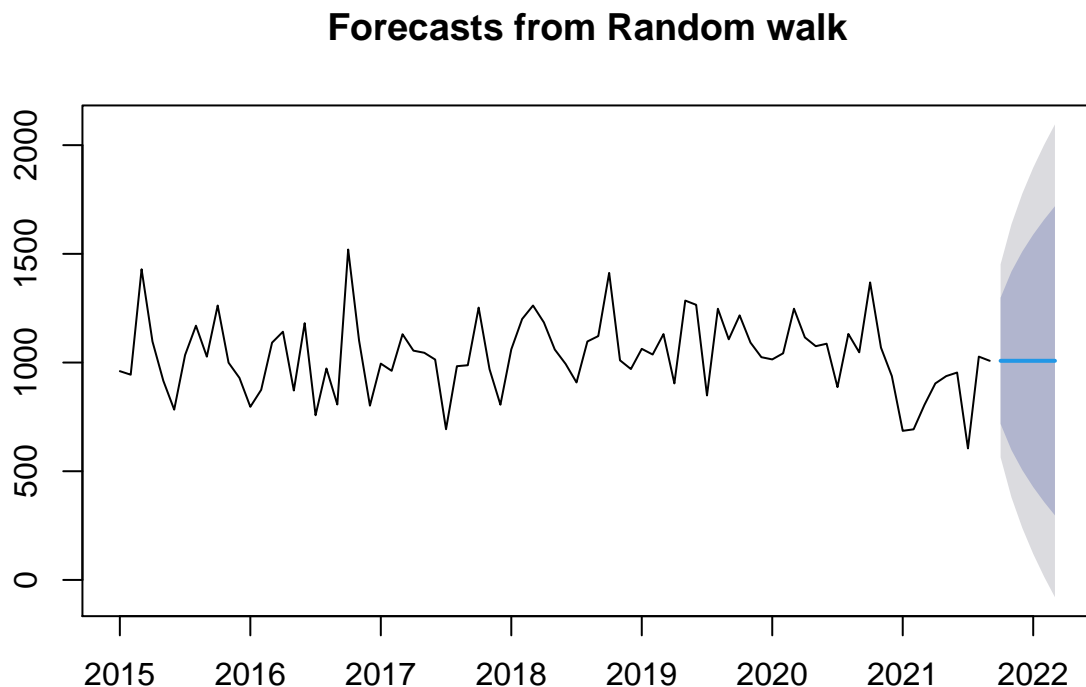
```
accuracy(naive_forecast)
```

```
##
## Training set 0.59475 226.5522 178.13 -2.387636 17.59058 1.230763 -0.4188375
```

Random Walk Forecast

This provides the same result as Naive Forecast

```
rwf_forecast = rwf(ts_tng,6)
plot(rwf_forecast)
```



```
summary(rwf_forecast)
```

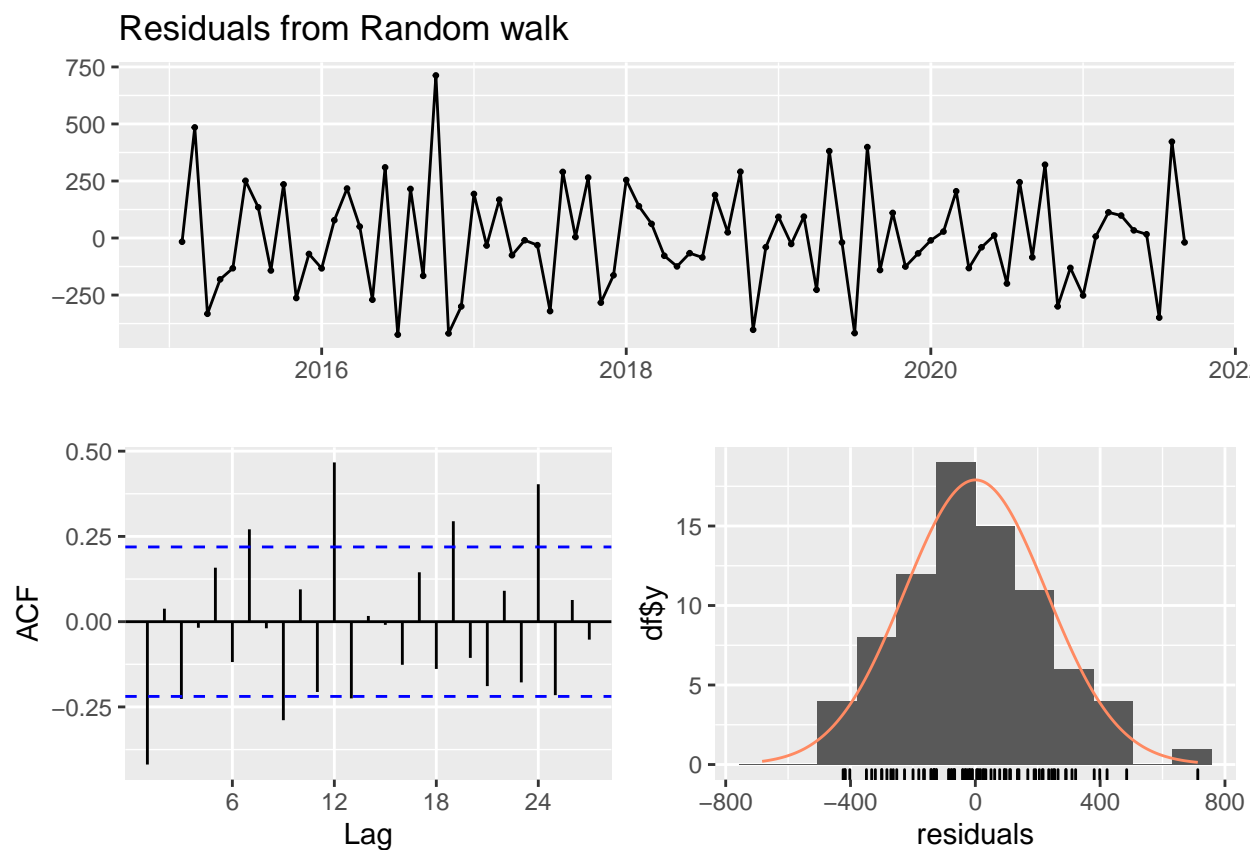
```
##
## Forecast method: Random walk
##
## Model Information:
## Call: rwf(y = ts_tng, h = 6)
##
## Residual sd: 226.5522
##
## Error measures:
##
## Training set 0.59475 226.5522 178.13 -2.387636 17.59058 1.230763 -0.4188375
```

```
##
## Forecasts:
##      Point Forecast    Lo 80    Hi 80    Lo 95    Hi 95
## Oct 2021           1008 717.6616 1298.338 563.96578 1452.034
## Nov 2021           1008 597.3995 1418.600 380.04079 1635.959
## Dec 2021           1008 505.1192 1510.881 238.91018 1777.090
## Jan 2022           1008 427.3233 1588.677 119.93157 1896.068
## Feb 2022           1008 358.7837 1657.216  15.10931 2000.891
## Mar 2022           1008 296.8191 1719.181 -79.65726 2095.657
```

```
accuracy(rwf_forecast)
```

```
##              ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
## Training set 0.59475 226.5522 178.13 -2.387636 17.59058 1.230763 -0.4188375
```

```
checkresiduals(rwf_forecast)
```



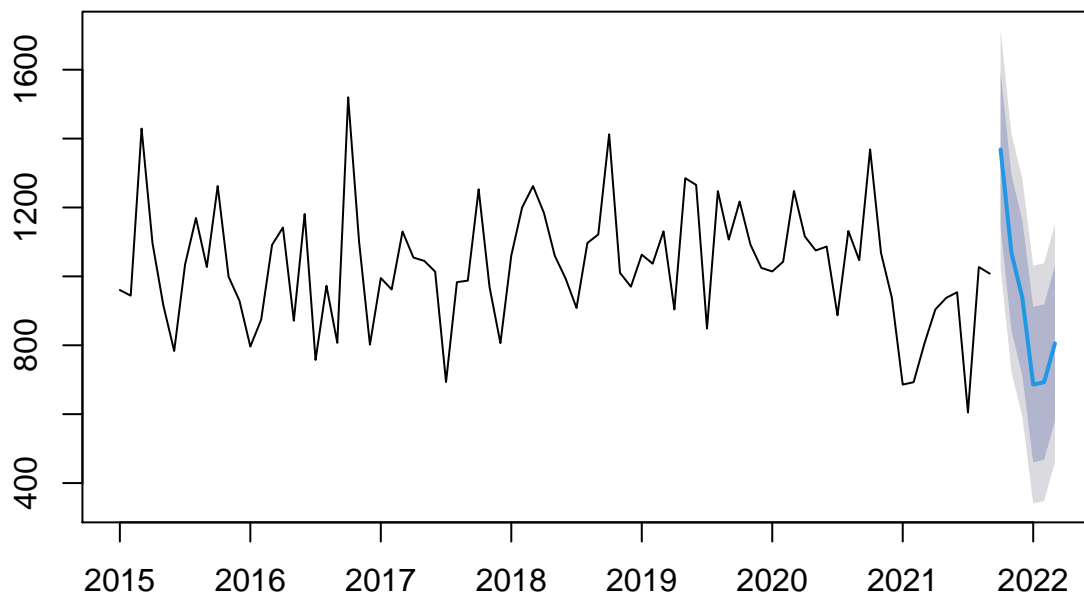
```
##
## Ljung-Box test
##
## data: Residuals from Random walk
## Q* = 69.401, df = 16, p-value = 1.27e-08
##
## Model df: 0. Total lags used: 16
```

Seasonal Naive Forecast

It takes into account the previous year's seasonality over the same period as the forecast period:

```
snaive_forecast = snaive(ts_tng,6)
plot(snaive_forecast)
```

Forecasts from Seasonal naive method



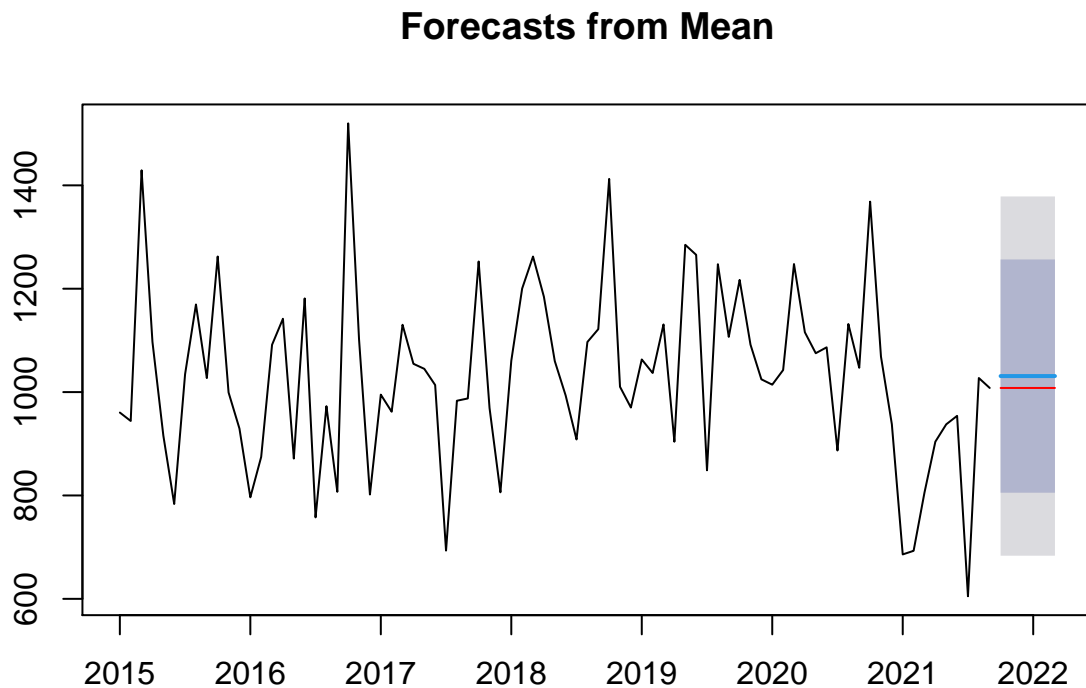
```
summary(snaive_forecast)
```

```
##
## Forecast method: Seasonal naive method
##
## Model Information:
## Call: snaive(y = ts_tng, h = 6)
##
## Residual sd: 176.0772
##
## Error measures:
##           ME      RMSE      MAE      MPE      MAPE  MASE      ACF1
## Training set -22.5658 176.0772 144.7313 -4.118856 14.79478    1 0.2503767
##
## Forecasts:
```

```
##           Point Forecast    Lo 80    Hi 80    Lo 95    Hi 95
## Oct 2021         1368.48 1142.828 1594.132 1023.375 1713.585
## Nov 2021         1068.67  843.018 1294.322  723.565 1413.775
## Dec 2021          937.76  712.108 1163.412  592.655 1282.865
## Jan 2022          685.91  460.258  911.562  340.805 1031.015
## Feb 2022          692.88  467.228  918.532  347.775 1037.985
## Mar 2022          805.42  579.768 1031.072  460.315 1150.525
```

Plotting mean and naive forecasting together

```
plot(mean_forecast)
lines(naive_forecast$mean,col="red")
```



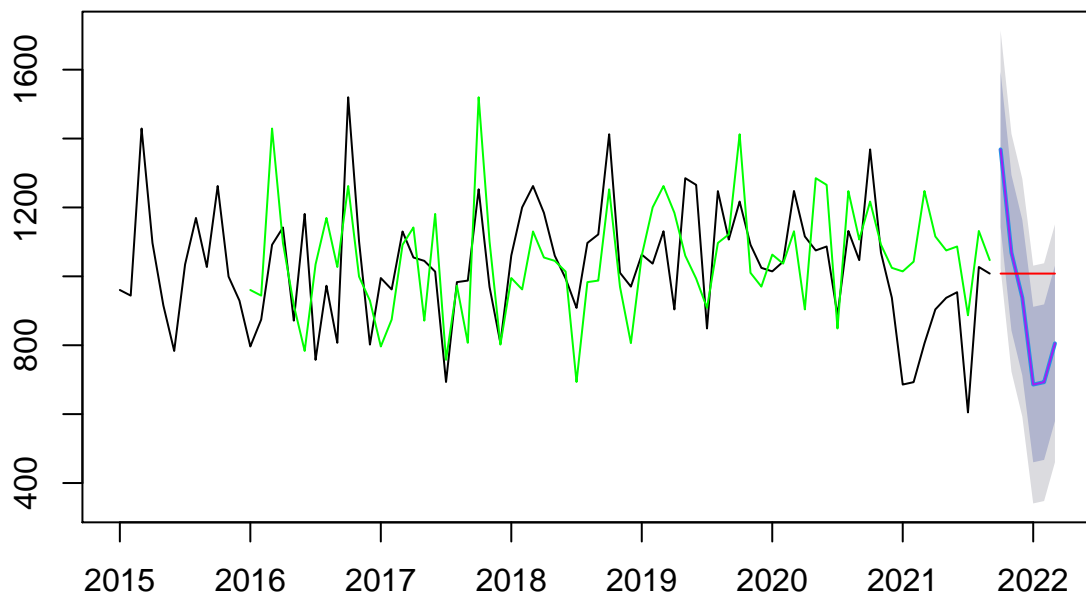
```
attributes(naive_forecast)
```

```
## $names
## [1] "method"    "model"     "lambda"    "x"          "fitted"     "residuals"
## [7] "series"    "mean"      "level"     "lower"      "upper"
##
## $class
## [1] "forecast"
```

Plotting other attributes

```
plot(snaive_forecast)
lines(snaive_forecast$mean,col="purple")
lines(snaive_forecast$fitted, col = "green")
lines(naive_forecast$mean,col="red")
```

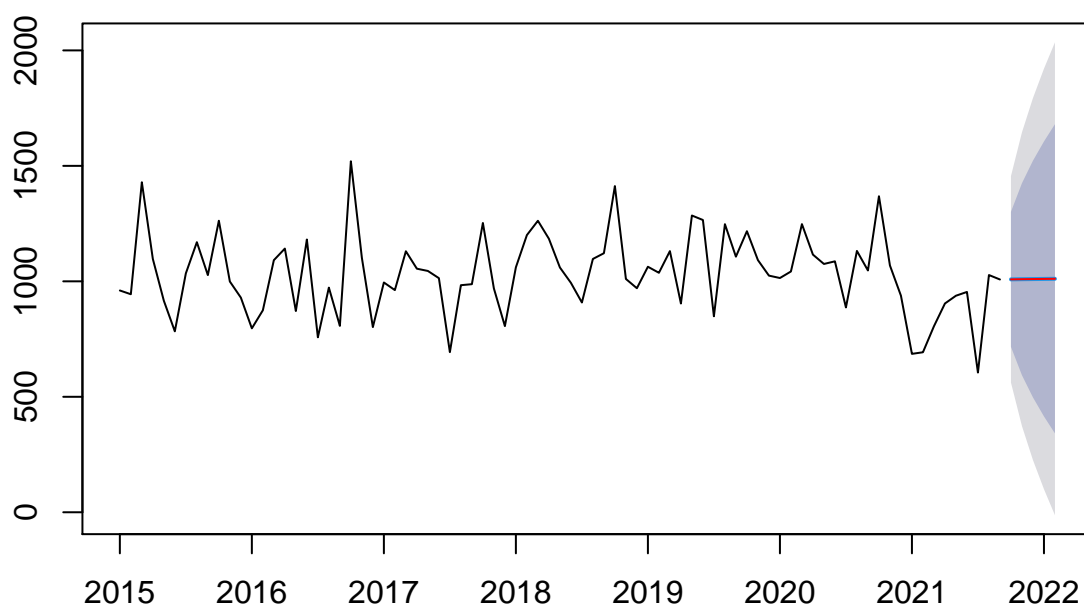
Forecasts from Seasonal naive method



Drift with RWF

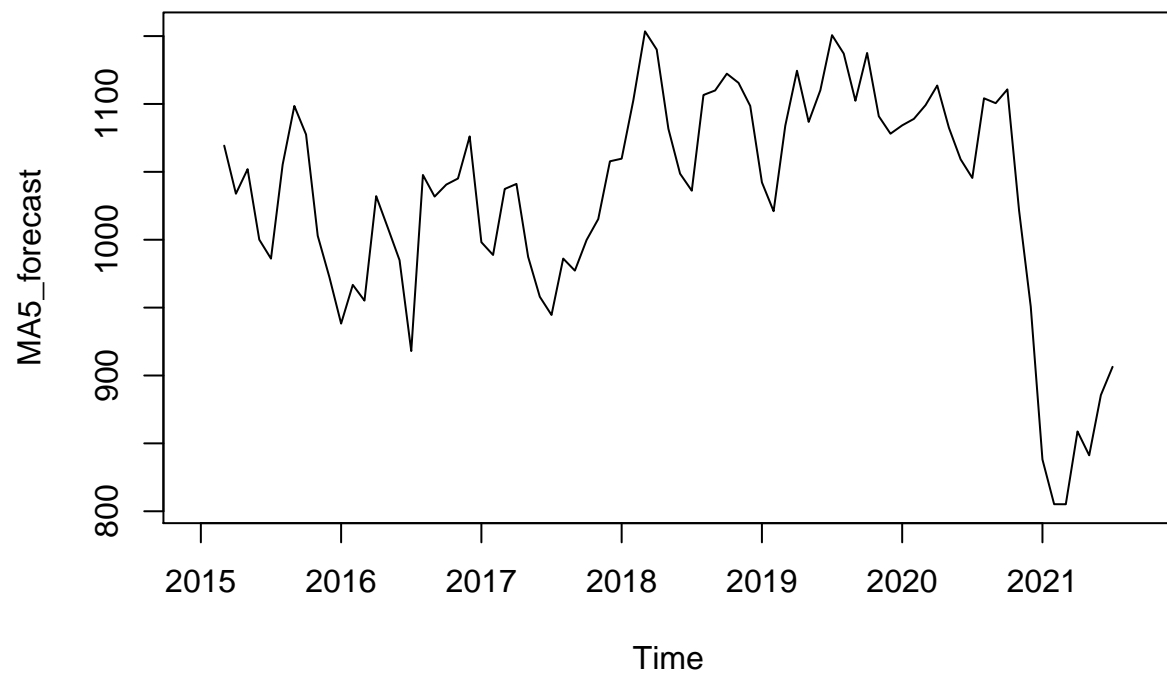
```
rwf_drift = rwf(ts_tng,5,drift = TRUE)
plot(rwf_drift)
lines(rwf_drift$mean, col = "red")
```

Forecasts from Random walk with drift

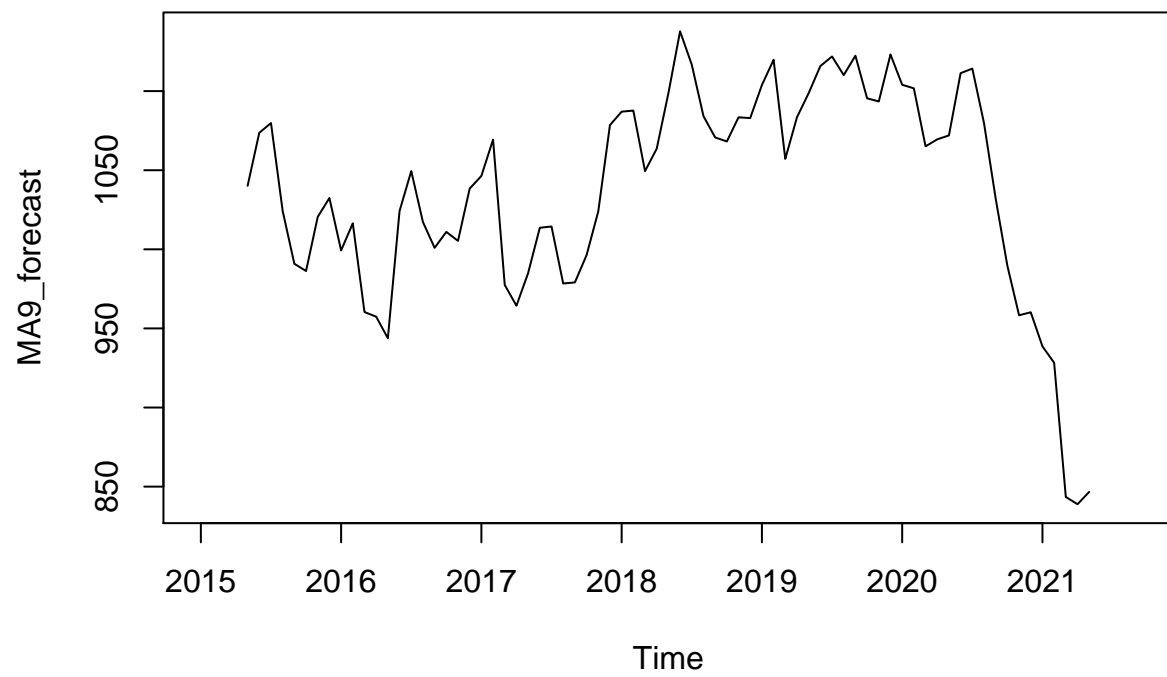


Moving Average Forecast

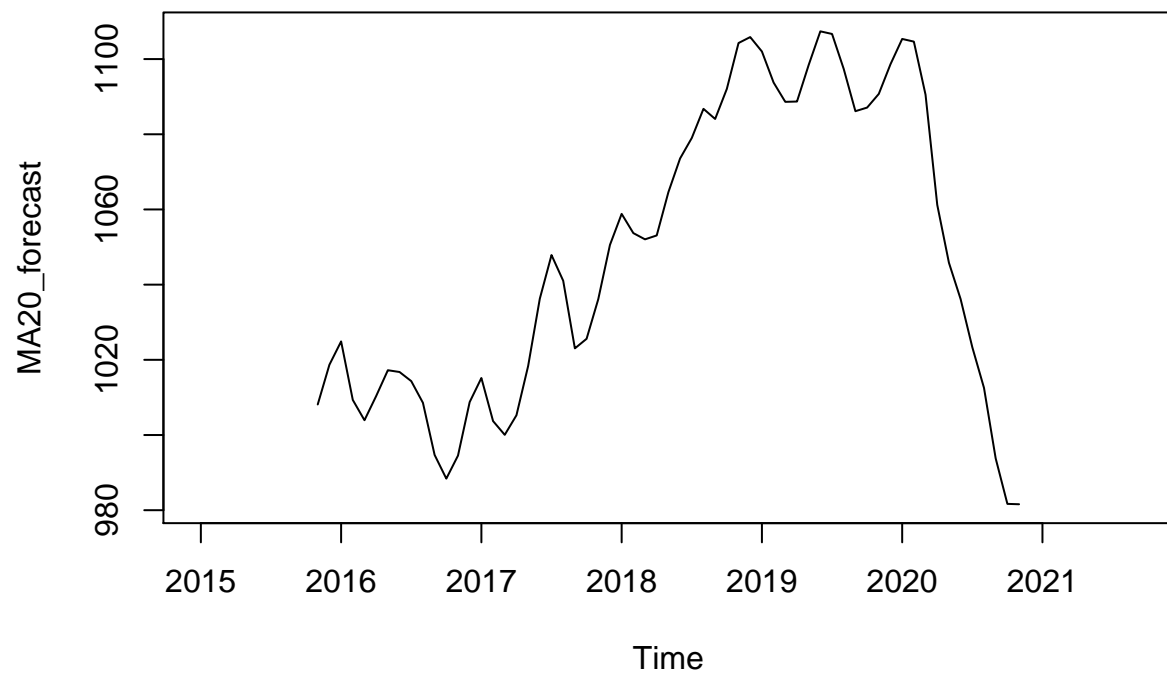
```
MA5_forecast <- ma(ts_tng,order=5)
MA9_forecast <- ma(ts_tng,order=9)
MA20_forecast <- ma(ts_tng,order=20)
plot(MA5_forecast)
```

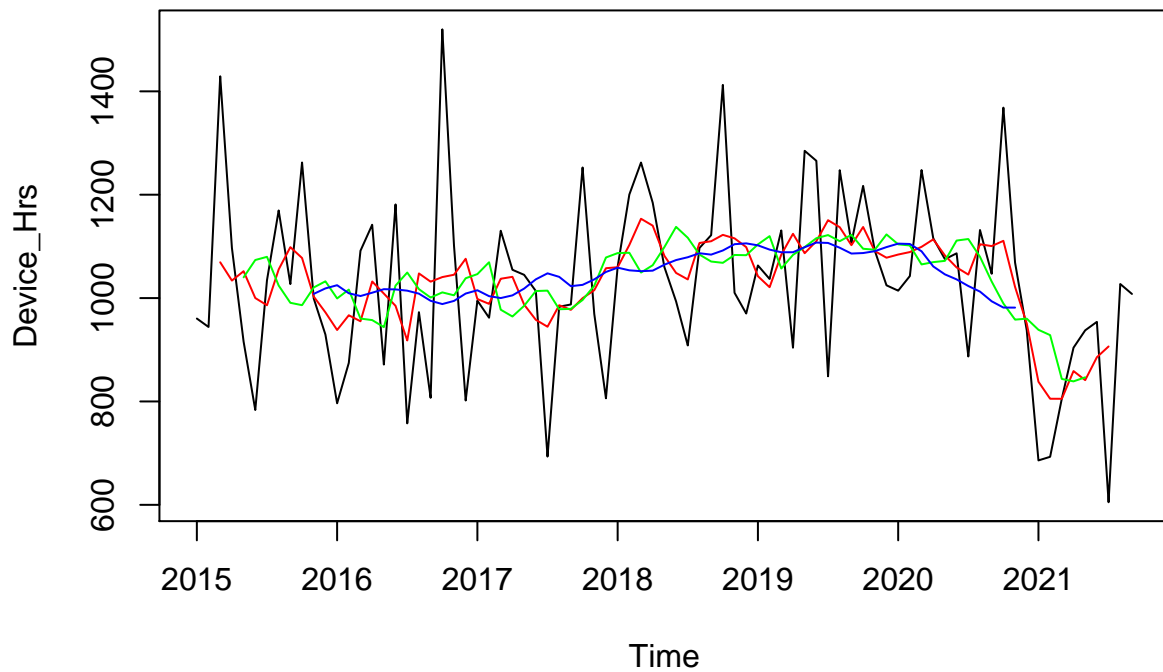
```
plot(MA9_forecast)
```



```
plot(MA20_forecast)
```



```
plot(ts_tng)
lines(MA5_forecast, col = "Red")
lines(MA9_forecast, col = "Green")
lines(MA20_forecast, col = "Blue")
```



```
summary(MA5_forecast)
```

```
##          V1
## Min.      : 805.2
## 1st Qu.: 987.4
## Median :1045.5
## Mean      :1032.8
## 3rd Qu.:1098.5
## Max.      :1153.5
## NA's      :4
```

As we increase the order, the graph becomes smoother and randomness in the data is decreased.

ETS

```
ets(ts_tng)
```

```
## ETS(A,N,A)
##
## Call:
## ets(y = ts_tng)
```

```
##
## Smoothing parameters:
##   alpha = 0.1873
##   gamma = 5e-04
##
## Initial states:
##   l = 1046.8166
##   s = -133.0087 2.6368 310.9812 -27.0855 58.3452 -200.0136
##       32.4392 17.5141 23.4495 111.8025 -76.5201 -120.5406
##
##   sigma: 130.761
##
##      AIC      AICc      BIC
## 1160.066 1167.451 1195.983
```

Holt Winters

```
HoltWinters(ts_tng)
```

```
## Holt-Winters exponential smoothing with trend and additive seasonal component.
##
## Call:
## HoltWinters(x = ts_tng)
##
## Smoothing parameters:
##   alpha: 0.2042742
##   beta : 0
##   gamma: 0.4025477
##
## Coefficients:
##           [,1]
## a      888.323744
## b      -3.477558
## s1     292.500947
## s2      18.646735
## s3     -92.804522
## s4    -143.172183
## s5    -102.347393
## s6      55.259057
## s7      32.761000
## s8      46.913686
## s9      75.266159
## s10   -203.941782
## s11    121.059342
## s12     54.788798
```

SSE without trend and without seasonality

```
HoltWinters(ts_tng,beta=FALSE,gamma=FALSE)
```

```
## Holt-Winters exponential smoothing without trend and without seasonal component.
##
## Call:
## HoltWinters(x = ts_tng, beta = FALSE, gamma = FALSE)
##
## Smoothing parameters:
##  alpha: 0.09370996
##  beta : FALSE
##  gamma: FALSE
##
## Coefficients:
##      [,1]
## a 957.7362
```

```
hw_forecast_level = HoltWinters(ts_tng,beta=FALSE,gamma=FALSE)
hw_forecast_level
```

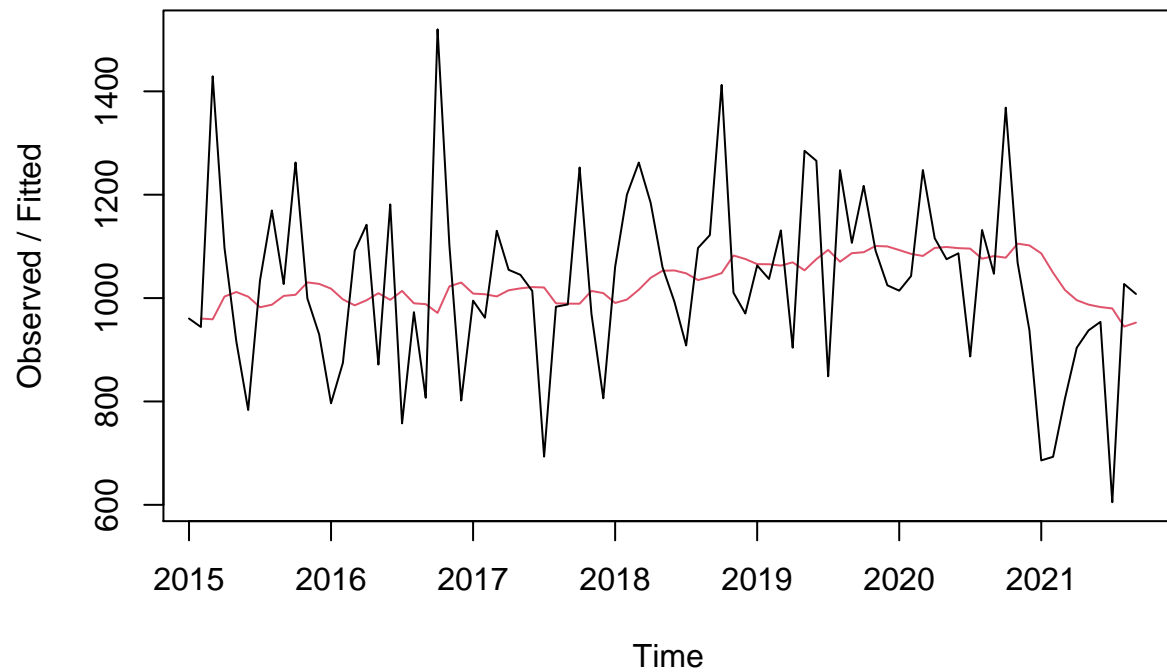
```
## Holt-Winters exponential smoothing without trend and without seasonal component.
##
## Call:
## HoltWinters(x = ts_tng, beta = FALSE, gamma = FALSE)
##
## Smoothing parameters:
##  alpha: 0.09370996
##  beta : FALSE
##  gamma: FALSE
##
## Coefficients:
##      [,1]
## a 957.7362
```

```
attributes(hw_forecast_level)
```

```
## $names
## [1] "fitted"      "x"           "alpha"       "beta"        "gamma"
## [6] "coefficients" "seasonal"    "SSE"         "call"
##
## $class
## [1] "HoltWinters"
```

```
plot(hw_forecast_level)
```

Holt-Winters filtering



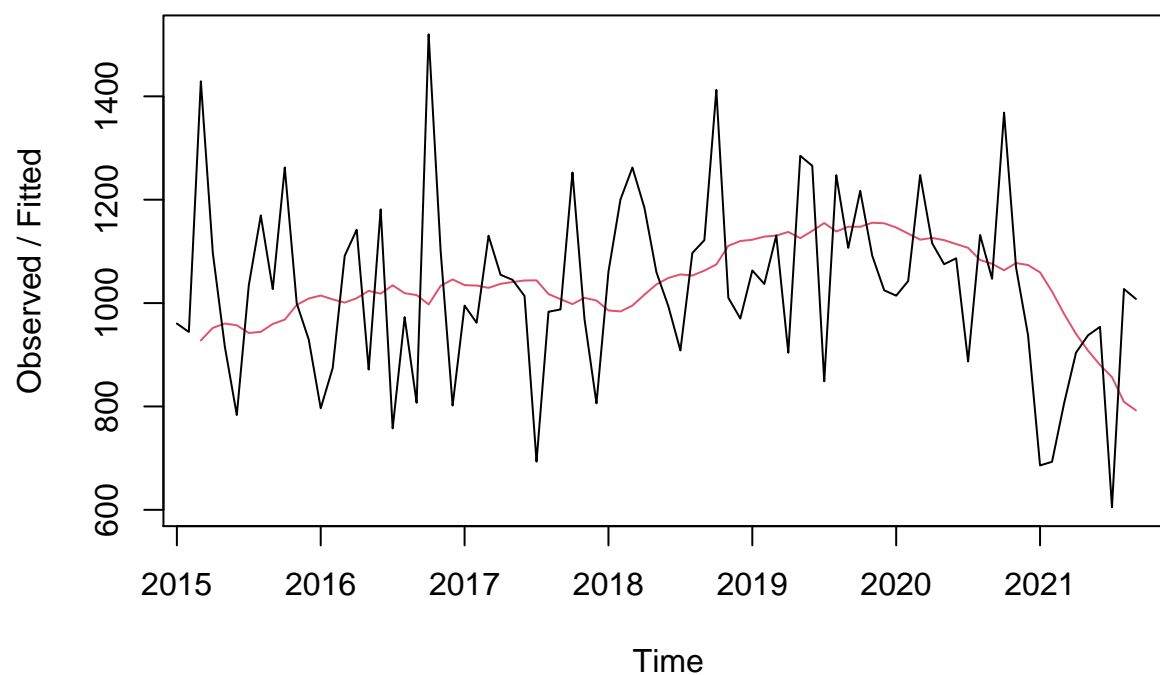
```
hw_forecast_level$SSE
```

```
## [1] 2486244
```

SSE with Trend but no Seasonlaity

```
hw_forecast_trend = HoltWinters(ts_tng,gamma=FALSE)  
plot(hw_forecast_trend)
```

Holt-Winters filtering



```
hw_forecast_trend
```

```
## Holt-Winters exponential smoothing with trend and without seasonal component.  
##  
## Call:  
## HoltWinters(x = ts_tng, gamma = FALSE)  
##  
## Smoothing parameters:  
##   alpha: 0.05537183  
##   beta : 0.4649229  
##   gamma: FALSE  
##  
## Coefficients:  
##           [,1]  
## a 804.35794  
## b -22.89301
```

```
hw_forecast_trend$SSE #Check the residual error magnitude
```

```
## [1] 2531400
```

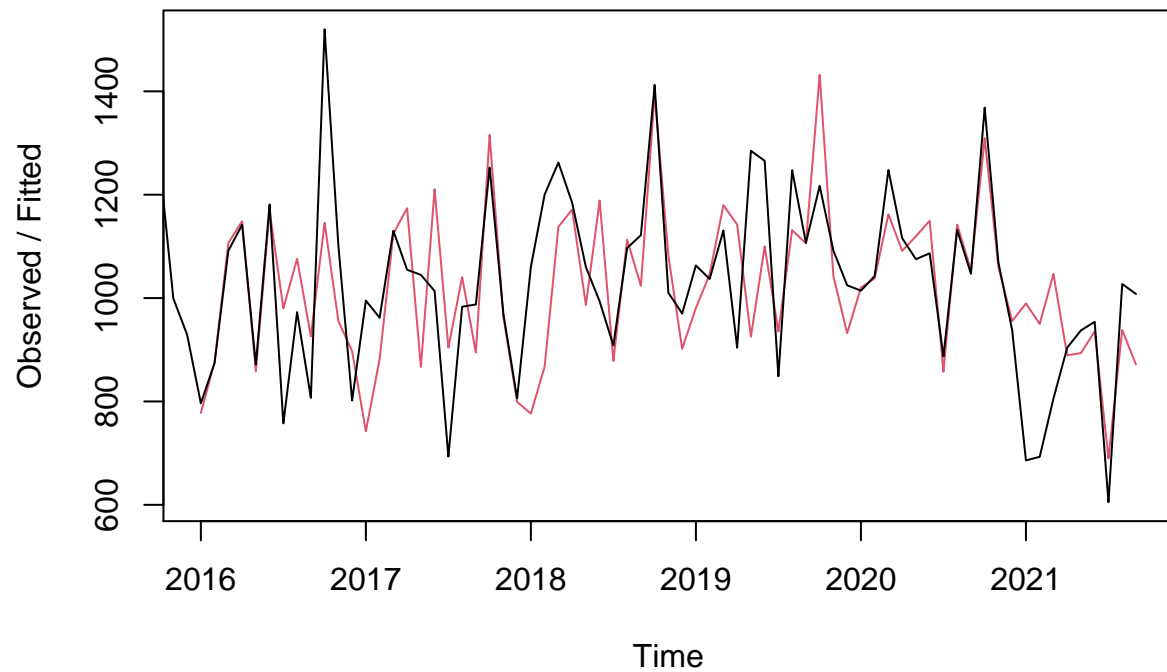
SSE with trend and seasonality


```
hw_forecast_season = HoltWinters(ts_tng)
hw_forecast_season
```

```
## Holt-Winters exponential smoothing with trend and additive seasonal component.
##
## Call:
## HoltWinters(x = ts_tng)
##
## Smoothing parameters:
##   alpha: 0.2042742
##   beta : 0
##   gamma: 0.4025477
##
## Coefficients:
##              [,1]
## a      888.323744
## b      -3.477558
## s1     292.500947
## s2      18.646735
## s3     -92.804522
## s4    -143.172183
## s5    -102.347393
## s6      55.259057
## s7      32.761000
## s8      46.913686
## s9      75.266159
## s10   -203.941782
## s11    121.059342
## s12     54.788798
```

```
plot(hw_forecast_season)
```

Holt-Winters filtering



```
hw_forecast_season$SSE
```

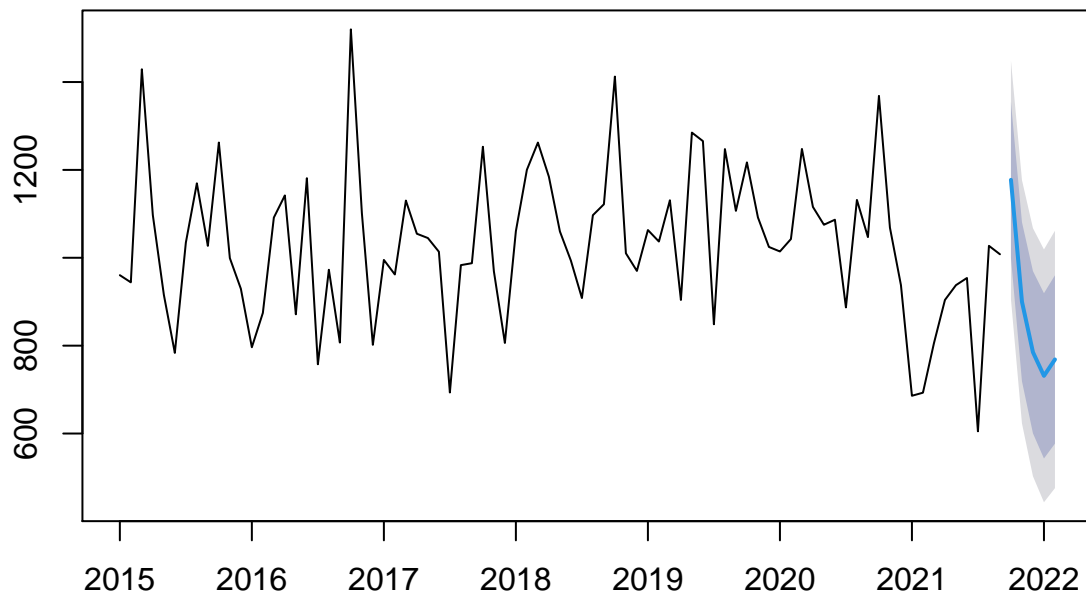
```
## [1] 1305128
```

```
hw_forecast_all = forecast(hw_forecast_season,h =5)  
hw_forecast_all
```

```
##           Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95  
## Oct 2021      1177.3471 1000.0330 1354.6613  906.1686 1448.526  
## Nov 2021       900.0154  719.0396 1080.9912  623.2368 1176.794  
## Dec 2021       785.0865  600.5217  969.6514  502.8190 1067.354  
## Jan 2022       731.2413  543.1559  919.3267  443.5895 1018.893  
## Feb 2022       768.5886  577.0473  960.1298  475.6515 1061.526
```

```
plot(hw_forecast_all)
```

Forecasts from HoltWinters



```
accuracy(hw_forecast_all)
```

```
##               ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
## Training set 7.009793 137.5315 97.60734 -0.7217056 9.933645 0.6744038 0.1768506
```

SSE of HoltWinters with Trend and Seasonality is smaller than the SSE of Holtwinter without trend, without seasonality and SSE of Holtwinters with Trend and without seasonality.

Ets

It is an exponential smoothing state model which can be used on univariate time series.

```
ets(ts_tng)
```

```
## ETS(A,N,A)
##
## Call:
## ets(y = ts_tng)
##
## Smoothing parameters:
```

```
##      alpha = 0.1873
##      gamma = 5e-04
##
##      Initial states:
##      l = 1046.8166
##      s = -133.0087 2.6368 310.9812 -27.0855 58.3452 -200.0136
##           32.4392 17.5141 23.4495 111.8025 -76.5201 -120.5406
##
##      sigma: 130.761
##
##      AIC      AICc      BIC
## 1160.066 1167.451 1195.983
```

```
ets_forecast = ets(ts_tng)
attributes(ets)
```

```
## NULL
```

```
attributes(ets_forecast)
```

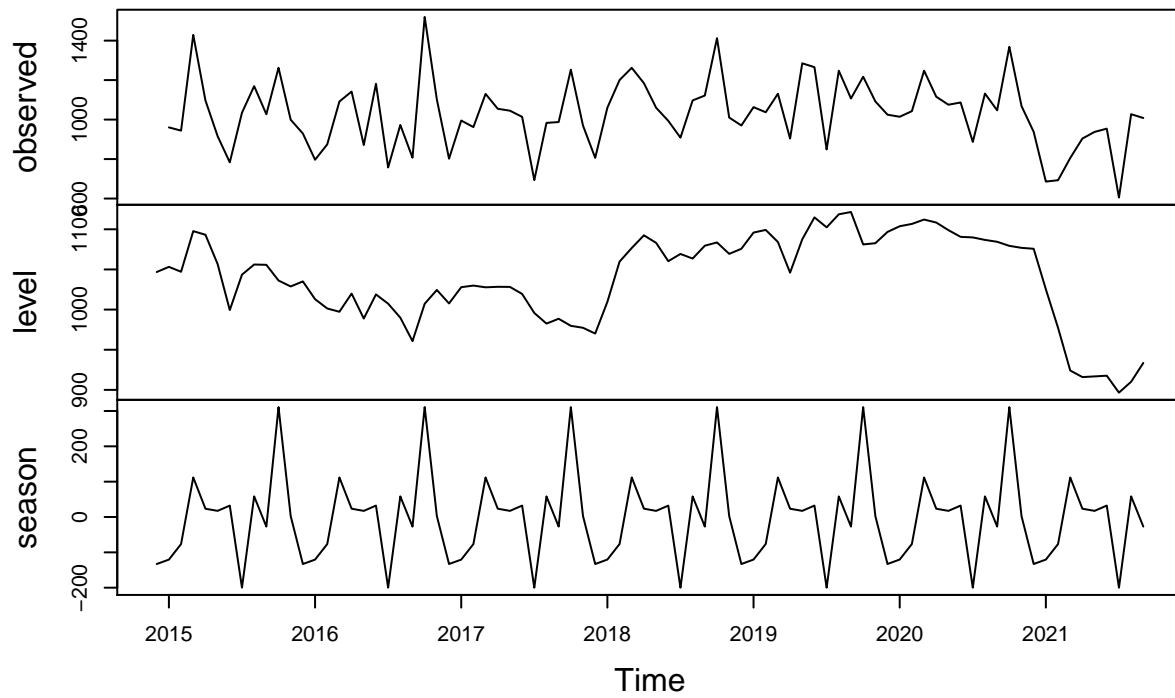
```
## $names
## [1] "loglik"      "aic"         "bic"         "aicc"        "mse"
## [6] "amse"        "fit"         "residuals"   "fitted"      "states"
## [11] "par"         "m"           "method"      "series"      "components"
## [16] "call"        "initstate"   "sigma2"      "x"
##
## $class
## [1] "ets"
```

```
ets_forecast$mse
```

```
## [1] 14143.16
```

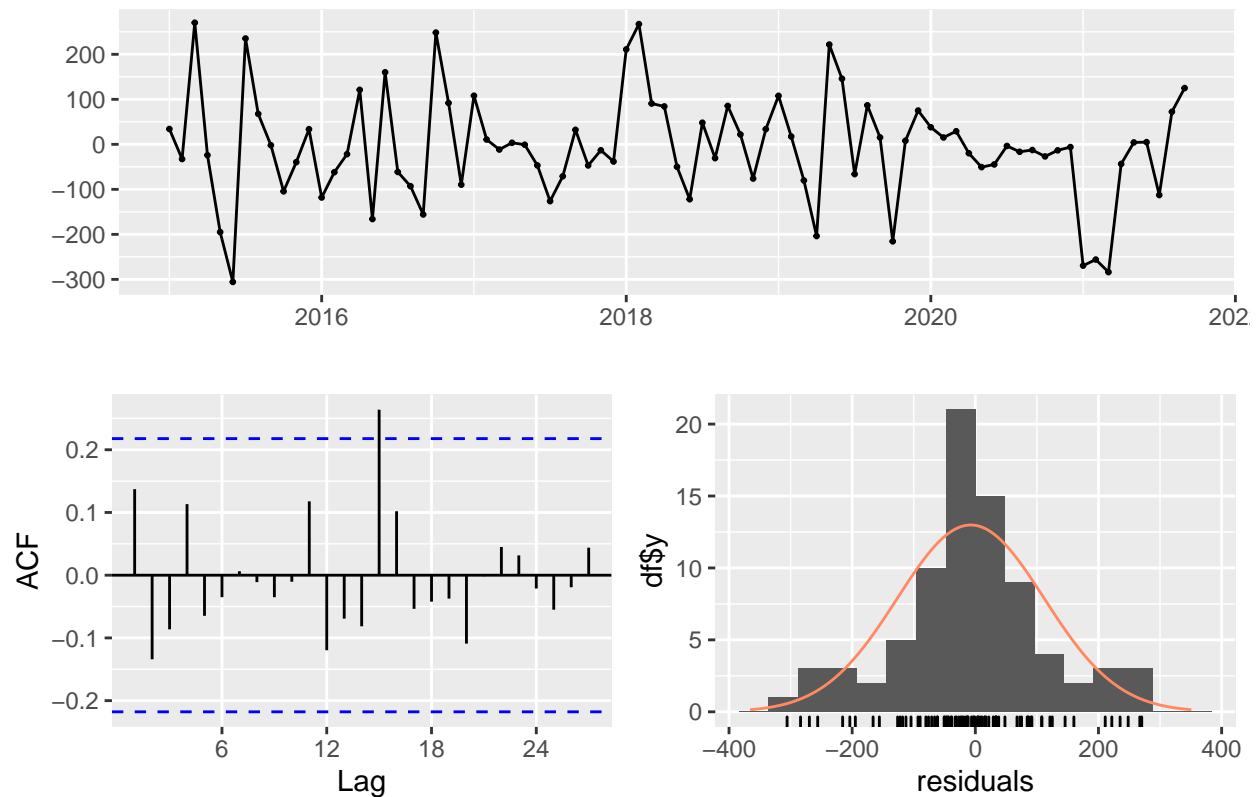
```
plot(ets_forecast)
```

Decomposition by ETS(A,N,A) method



```
checkresiduals(ets_forecast)
```

Residuals from ETS(A,N,A)



```
##
##  Ljung-Box test
##
## data:  Residuals from ETS(A,N,A)
## Q* = 17.831, df = 3, p-value = 0.0004765
##
## Model df: 14.   Total lags used: 17
```

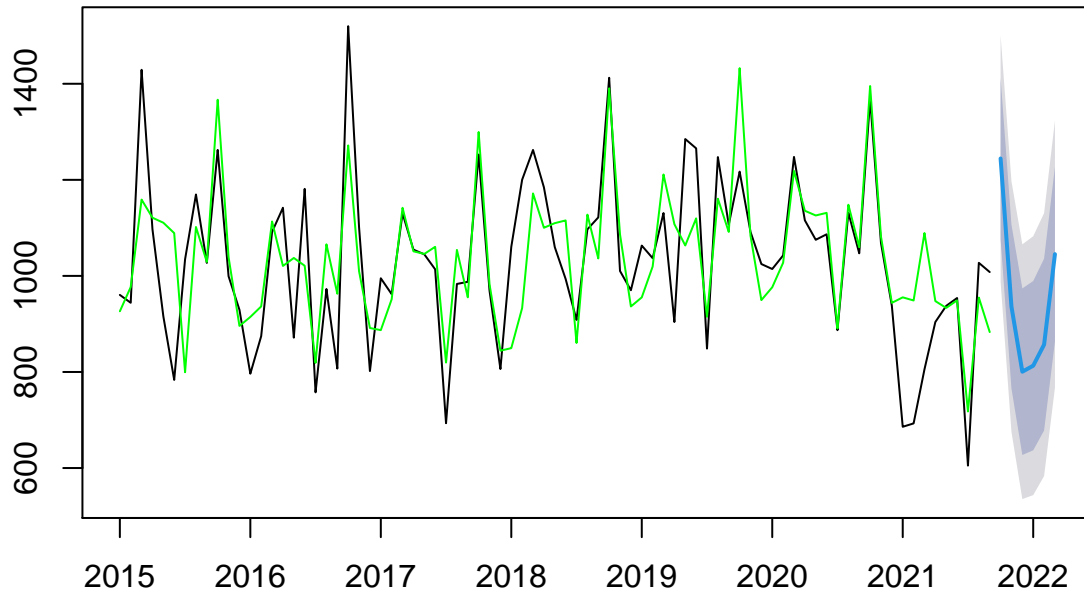
Forecast with Ets

```
forecast_ets = forecast.ets(ets_forecast, h=6)
forecast_ets
```

```
##           Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
## Oct 2021      1244.4582  1076.8813  1412.0352  988.1714  1500.745
## Nov 2021       936.1555   765.6630  1106.6480  675.4097  1196.901
## Dec 2021       800.5360   627.1770   973.8951  535.4063  1065.666
## Jan 2022       813.0567   636.8778   989.2356  543.6143  1082.499
## Feb 2022       856.9998   678.0454  1035.9541  583.3127  1130.687
## Mar 2022      1045.3390   863.6516  1227.0264  767.4721  1323.206
```

```
plot(forecast_ets)
lines(forecast_ets$fitted, col="green")
```

Forecasts from ETS(A,N,A)



```
accuracy(forecast_ets)
```

```
##               ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
## Training set -7.464588 118.925  87.09479 -2.062782  8.933903  0.6017689  0.1371752
```

Decomposition

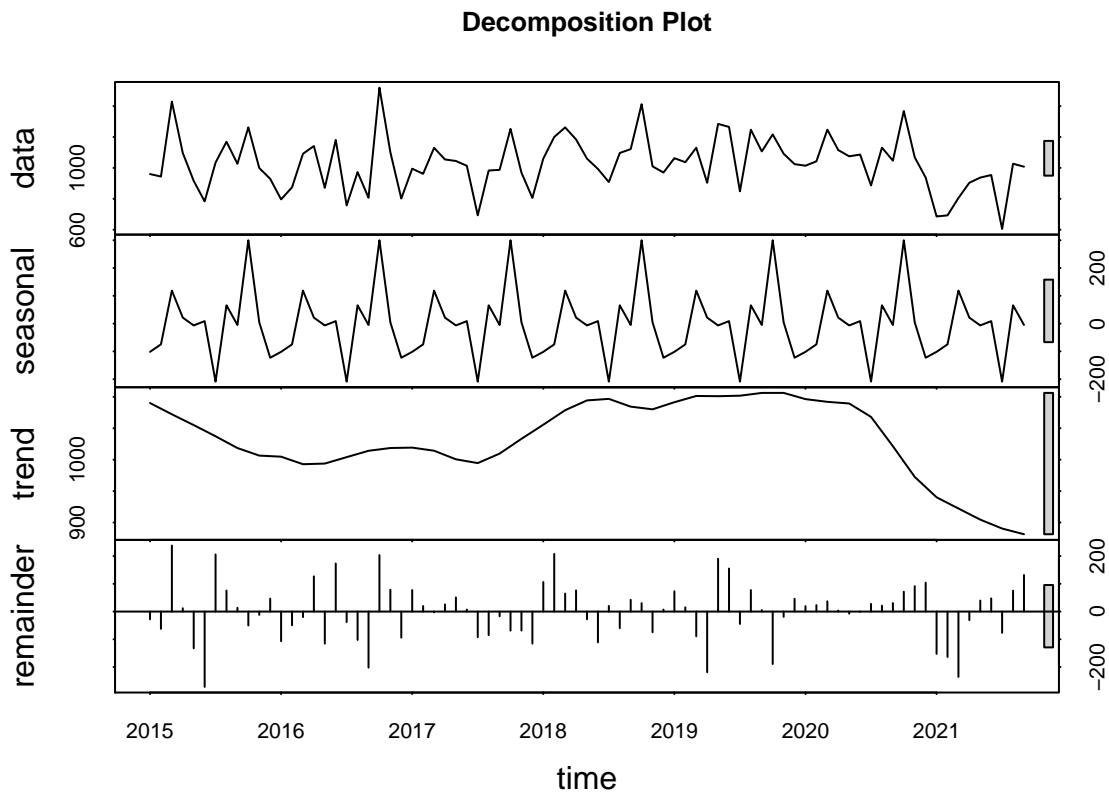
```
stl_decomp = stl(ts_tng[,1], s.window = "periodic")
stl_decomp
```

```
## Call:
## stl(x = ts_tng[, 1], s.window = "periodic")
##
## Components
##      seasonal      trend      remainder
## Jan 2015 -101.616096 1090.1314 -28.095305
## Feb 2015 -74.748406 1081.1729 -62.344524
## Mar 2015  118.742007 1072.2145  238.163536
## Apr 2015   21.505862 1063.6194   11.874736
```

##	May	2015	-6.645917	1055.0243	-132.528430
##	Jun	2015	8.905372	1046.1375	-271.592890
##	Jul	2015	-208.686323	1037.2507	205.955634
##	Aug	2015	65.864995	1027.8787	75.756294
##	Sep	2015	-4.963660	1018.5067	13.536926
##	Oct	2015	299.912735	1012.5014	-50.094131
##	Nov	2015	4.594318	1006.4961	-11.840377
##	Dec	2015	-122.864825	1005.6190	46.665855
##	Jan	2016	-101.616096	1004.7419	-106.705786
##	Feb	2016	-74.748406	998.7557	-49.457309
##	Mar	2016	118.742007	992.7695	-19.961553
##	Apr	2016	21.505862	993.2847	127.049485
##	May	2016	-6.645917	993.7998	-115.793841
##	Jun	2016	8.905372	998.9182	173.386473
##	Jul	2016	-208.686323	1004.0366	-37.760230
##	Aug	2016	65.864995	1009.0751	-102.210120
##	Sep	2016	-4.963660	1014.1137	-202.130036
##	Oct	2016	299.912735	1016.3348	203.672482
##	Nov	2016	4.594318	1018.5559	78.519812
##	Dec	2016	-122.864825	1018.8641	-94.169316
##	Jan	2017	-101.616096	1019.1724	77.533684
##	Feb	2017	-74.748406	1016.7108	20.037648
##	Mar	2017	118.742007	1014.2491	-2.751110
##	Apr	2017	21.505862	1007.4084	25.795762
##	May	2017	-6.645917	1000.5676	51.028270
##	Jun	2017	8.905372	997.5684	7.256236
##	Jul	2017	-208.686323	994.5691	-92.552814
##	Aug	2017	65.864995	1002.1230	-84.737999
##	Sep	2017	-4.963660	1009.6769	-17.073211
##	Oct	2017	299.912735	1021.4338	-68.656536
##	Nov	2017	4.594318	1033.1907	-68.475049
##	Dec	2017	-122.864825	1044.4026	-115.437751
##	Jan	2018	-101.616096	1055.6144	106.571676
##	Feb	2018	-74.748406	1067.1877	207.810723
##	Mar	2018	118.742007	1078.7609	64.747048
##	Apr	2018	21.505862	1086.5468	76.397293
##	May	2018	-6.645917	1094.3327	-27.766827
##	Jun	2018	8.905372	1095.5383	-110.893666
##	Jul	2018	-208.686323	1096.7438	20.312479
##	Aug	2018	65.864995	1090.5785	-59.513504
##	Sep	2018	-4.963660	1084.4132	42.300487
##	Oct	2018	299.912735	1082.2782	30.279093
##	Nov	2018	4.594318	1080.1432	-74.487490
##	Dec	2018	-122.864825	1085.8073	7.177523
##	Jan	2019	-101.616096	1091.4714	73.274662
##	Feb	2019	-74.748406	1096.4281	15.270266
##	Mar	2019	118.742007	1101.3848	-89.256853
##	Apr	2019	21.505862	1101.2098	-218.745656
##	May	2019	-6.645917	1101.0347	190.561175
##	Jun	2019	8.905372	1101.4315	155.223163
##	Jul	2019	-208.686323	1101.8282	-44.501866
##	Aug	2019	65.864995	1104.0303	77.504656
##	Sep	2019	-4.963660	1106.2325	5.571153
##	Oct	2019	299.912735	1106.2607	-189.093420


```
## Nov 2019    4.594318 1106.2889 -19.043182
## Dec 2019 -122.864825 1101.3362  46.198606
## Jan 2020 -101.616096 1096.3836  19.552520
## Feb 2020 -74.748406 1094.2215  23.156938
## Mar 2020  118.742007 1092.0594  36.928634
## Apr 2020   21.505862 1090.7341   3.500038
## May 2020  -6.645917 1089.4088  -7.582922
## Jun 2020   8.905372 1078.7455  -1.020907
## Jul 2020 -208.686323 1068.0822  27.584093
## Aug 2020  65.864995 1044.7719  21.053066
## Sep 2020  -4.963660 1021.4616  30.542014
## Oct 2020 299.912735  997.0172  71.550064
## Nov 2020   4.594318  972.5728  91.502926
## Dec 2020 -122.864825  956.3659 104.258956
## Jan 2021 -101.616096  940.1590 -152.632887
## Feb 2021 -74.748406  931.2048 -163.576415
## Mar 2021  118.742007  922.2507 -235.572665
## Apr 2021   21.505862  913.4050 -30.910847
## May 2021  -6.645917  904.5593  39.706606
## Jun 2021   8.905372  897.4771  47.617563
## Jul 2021 -208.686323  890.3948 -76.708496
## Aug 2021  65.864995  885.8609  75.504111
## Sep 2021  -4.963660  881.3270 131.636692
```

```
plot(stl_decomp, main="Decomposition Plot")
```



```
attributes(stl_decomp)
```

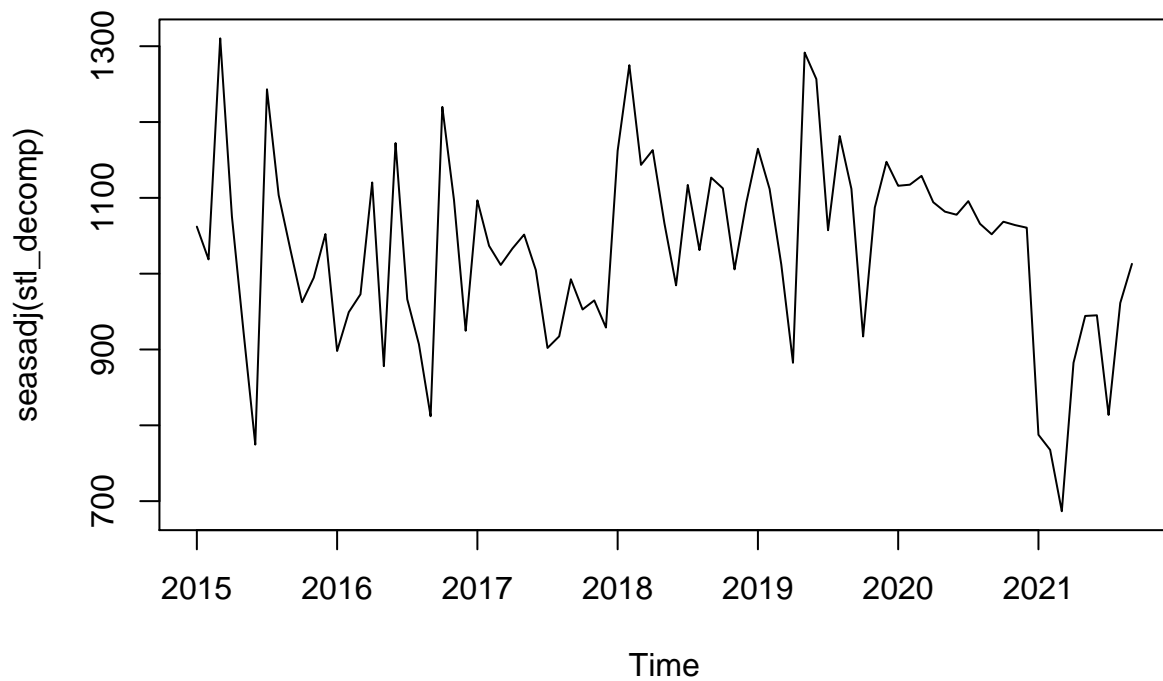
```
## $names
## [1] "time.series" "weights"      "call"          "win"          "deg"
## [6] "jump"        "inner"         "outer"
##
## $class
## [1] "stl"
```

Seasonal Adjustment

```
seasadj(stl_decomp)
```

```
##           Jan      Feb      Mar      Apr      May      Jun      Jul
## 2015 1062.0361 1018.8284 1310.3780 1075.4941  922.4959  774.5446 1243.2063
## 2016  898.0361  949.2984  972.8080 1120.3341  878.0059 1172.3046  966.2763
## 2017 1096.7061 1036.7484 1011.4980 1033.2041 1051.5959 1004.8246  902.0163
## 2018 1162.1861 1274.9984 1143.5080 1162.9441 1066.5659  984.6446 1117.0563
## 2019 1164.7461 1111.6984 1012.1280  882.4641 1291.5959 1256.6546 1057.3263
## 2020 1115.9361 1117.3784 1128.9880 1094.2341 1081.8259 1077.7246 1095.6663
## 2021  787.5261  767.6284  686.6780  882.4941  944.2659  945.0946  813.6863
##           Aug      Sep      Oct      Nov      Dec
## 2015 1103.6350 1032.0437  962.4073  994.6557 1052.2848
## 2016  906.8650  811.9837 1220.0073 1097.0757  924.6948
## 2017  917.3850  992.6037  952.7773  964.7157  928.9648
## 2018 1031.0650 1126.7137 1112.5573 1005.6557 1092.9848
## 2019 1181.5350 1111.8037  917.1673 1087.2457 1147.5348
## 2020 1065.8250 1052.0037 1068.5673 1064.0757 1060.6248
## 2021  961.3650 1012.9637
```

```
plot(seasadj(stl_decomp))
```



Default Period Forecast

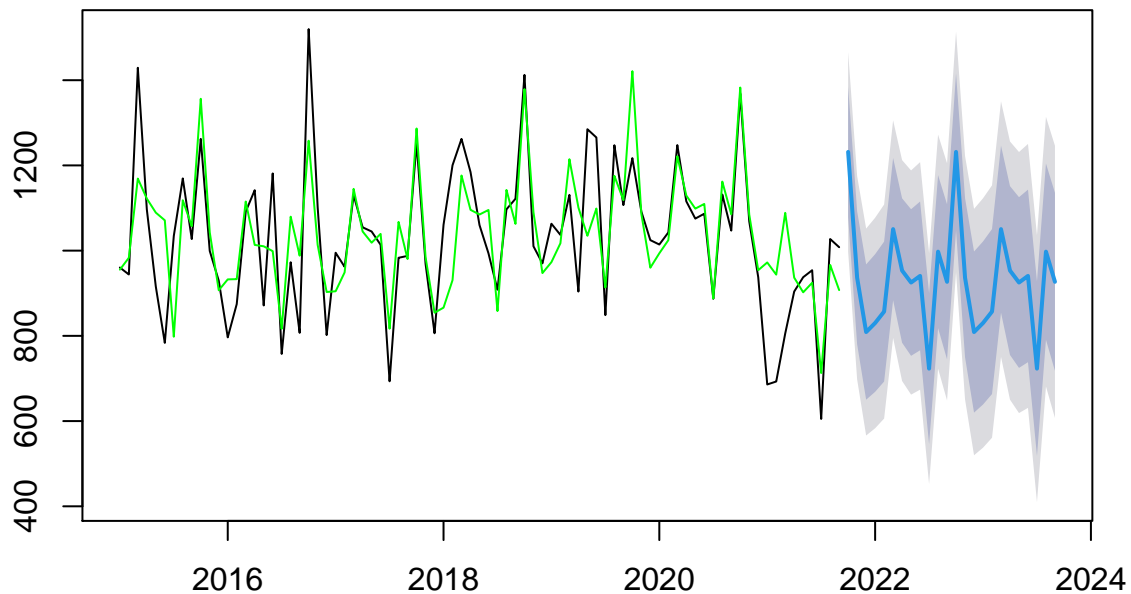
```
f_stl = forecast(stl_decomp,h = 24)
f_stl
```

##	Point Forecast	Lo 80	Hi 80	Lo 95	Hi 95
## Oct 2021	1231.6897	1078.5639	1384.8156	997.5039	1465.8755
## Nov 2021	936.3713	780.4066	1092.3360	697.8439	1174.8987
## Dec 2021	808.9122	650.1594	967.6649	566.1208	1051.7036
## Jan 2022	830.1609	668.6682	991.6536	583.1791	1077.1427
## Feb 2022	857.0286	692.8417	1021.2155	605.9263	1108.1309
## Mar 2022	1050.5190	883.6813	1217.3567	795.3628	1305.6752
## Apr 2022	953.2829	783.8359	1122.7298	694.1361	1212.4296
## May 2022	925.1311	753.1145	1097.1477	662.0544	1188.2078
## Jun 2022	940.6824	766.1339	1115.2309	673.7335	1207.6312
## Jul 2022	723.0907	546.0465	900.1348	452.3250	993.8563
## Aug 2022	997.6420	818.1369	1177.1471	723.1126	1272.1714
## Sep 2022	926.8133	744.8806	1108.7461	648.5712	1205.0555
## Oct 2022	1231.6897	1047.3612	1416.0182	949.7836	1513.5958
## Nov 2022	936.3713	749.6779	1123.0648	650.8483	1221.8943
## Dec 2022	808.9122	619.8833	997.9410	519.8175	1098.0068
## Jan 2023	830.1609	638.8252	1021.4966	537.5382	1122.7836
## Feb 2023	857.0286	663.4135	1050.6437	560.9198	1153.1374
## Mar 2023	1050.5190	854.6510	1246.3870	750.9648	1350.0732
## Apr 2023	953.2829	755.1876	1151.3781	650.3223	1256.2434
## May 2023	925.1311	724.8334	1125.4288	618.8022	1231.4600

```
## Jun 2023      940.6824  738.2061 1143.1586 631.0217 1250.3431
## Jul 2023      723.0907  518.4591  927.7223 410.1337 1036.0477
## Aug 2023      997.6420  790.8775 1204.4065 681.4230 1313.8610
## Sep 2023      926.8133  717.9378 1135.6889 607.3657 1246.2609
```

```
plot(f_stl)
lines(f_stl$fitted,col = "green")
```

Forecasts from STL + ETS(A,N,N)



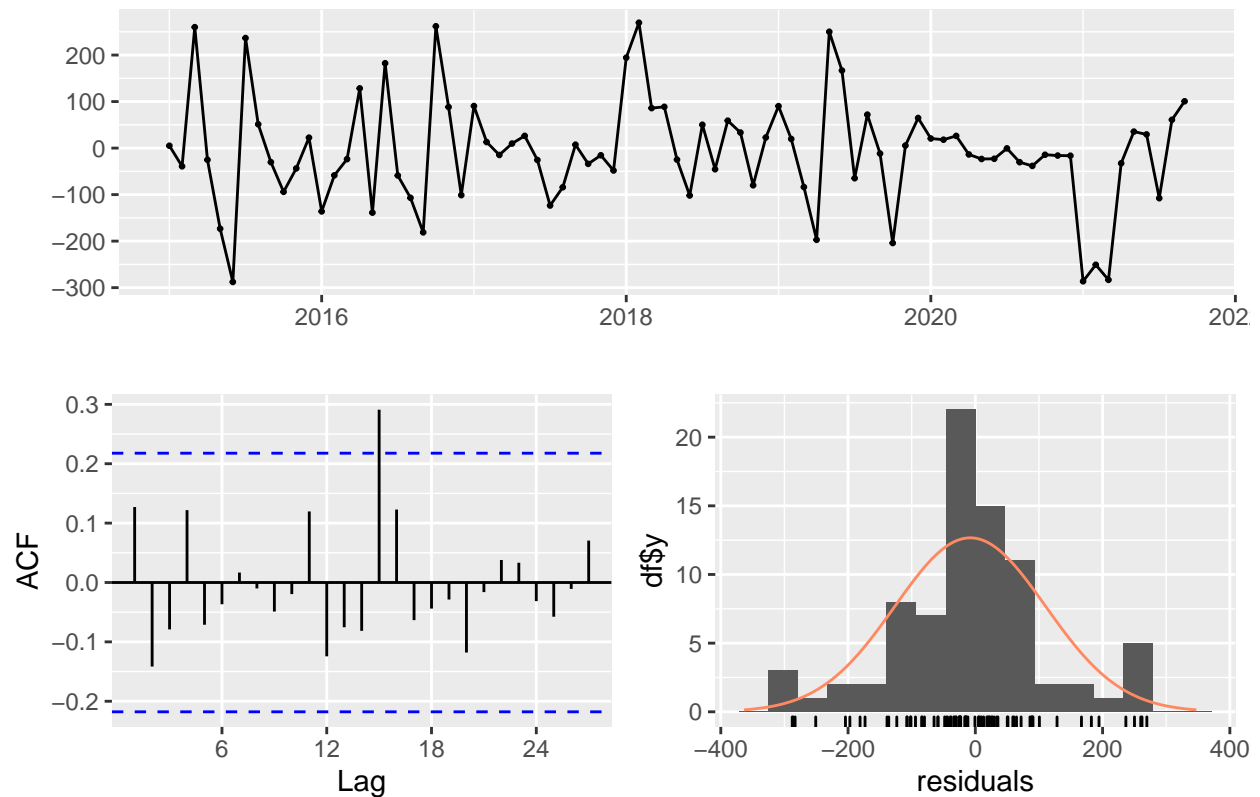
```
accuracy(f_stl)
```

```
##           ME      RMSE      MAE      MPE      MAPE      MASE      ACF1
## Training set -7.989924 118.0004 85.69862 -2.139973 8.800883 0.5921222 0.1270786
```

```
checkresiduals((f_stl))
```

```
## Warning in checkresiduals((f_stl)): The fitted degrees of freedom is based on
## the model used for the seasonally adjusted data.
```

Residuals from STL + ETS(A,N,N)



```
##
##  Ljung-Box test
##
## data:  Residuals from STL +  ETS(A,N,N)
## Q* = 20.057, df = 14, p-value = 0.1284
##
## Model df: 2.   Total lags used: 16
```

Accuracy is improved for stl decomp as MAPE is slightly lower compared to other forecasts.

```
ndiffs(ts_tng)
```

```
## [1] 0
```

```
tng_arima = auto.arima(ts_tng,trace=TRUE,stepwise = FALSE)
```

```
##
## ARIMA(0,0,0)           with zero mean      : 1358.152
## ARIMA(0,0,0)           with non-zero mean  : 1068.372
## ARIMA(0,0,0)(0,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,0)(0,0,1)[12] with non-zero mean  : 1060.312
```

```

## ARIMA(0,0,0)(0,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,0)(0,0,2)[12] with non-zero mean   : 1055.327
## ARIMA(0,0,0)(1,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,0)(1,0,0)[12] with non-zero mean   : 1054.996
## ARIMA(0,0,0)(1,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,0)(1,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,0)(1,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,0)(1,0,2)[12] with non-zero mean   : 1057.553
## ARIMA(0,0,0)(2,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,0)(2,0,0)[12] with non-zero mean   : 1054.334
## ARIMA(0,0,0)(2,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,0)(2,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,0)(2,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,0)(2,0,2)[12] with non-zero mean   : Inf
## ARIMA(0,0,1) with zero mean                  : 1280.149
## ARIMA(0,0,1) with non-zero mean              : 1068.855
## ARIMA(0,0,1)(0,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,1)(0,0,1)[12] with non-zero mean   : 1059.914
## ARIMA(0,0,1)(0,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,1)(0,0,2)[12] with non-zero mean   : 1053.235
## ARIMA(0,0,1)(1,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,1)(1,0,0)[12] with non-zero mean   : 1053.263
## ARIMA(0,0,1)(1,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,1)(1,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,1)(1,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,1)(1,0,2)[12] with non-zero mean   : Inf
## ARIMA(0,0,1)(2,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,1)(2,0,0)[12] with non-zero mean   : 1050.763
## ARIMA(0,0,1)(2,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,1)(2,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,1)(2,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,1)(2,0,2)[12] with non-zero mean   : Inf
## ARIMA(0,0,2) with zero mean                  : 1218.392
## ARIMA(0,0,2) with non-zero mean              : 1070.658
## ARIMA(0,0,2)(0,0,1)[12] with zero mean      : 1179.066
## ARIMA(0,0,2)(0,0,1)[12] with non-zero mean   : 1061.338
## ARIMA(0,0,2)(0,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,2)(0,0,2)[12] with non-zero mean   : 1053.62
## ARIMA(0,0,2)(1,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,2)(1,0,0)[12] with non-zero mean   : 1054.113
## ARIMA(0,0,2)(1,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,2)(1,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,2)(1,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,2)(1,0,2)[12] with non-zero mean   : Inf
## ARIMA(0,0,2)(2,0,0)[12] with zero mean      : Inf
## ARIMA(0,0,2)(2,0,0)[12] with non-zero mean   : 1051.029
## ARIMA(0,0,2)(2,0,1)[12] with zero mean      : Inf
## ARIMA(0,0,2)(2,0,1)[12] with non-zero mean   : Inf
## ARIMA(0,0,3) with zero mean                  : 1197.963
## ARIMA(0,0,3) with non-zero mean              : 1067.564
## ARIMA(0,0,3)(0,0,1)[12] with zero mean      : 1171.957
## ARIMA(0,0,3)(0,0,1)[12] with non-zero mean   : 1060.795
## ARIMA(0,0,3)(0,0,2)[12] with zero mean      : Inf
## ARIMA(0,0,3)(0,0,2)[12] with non-zero mean   : 1053.415

```

```

## ARIMA(0,0,3)(1,0,0)[12] with zero mean : Inf
## ARIMA(0,0,3)(1,0,0)[12] with non-zero mean : 1055.043
## ARIMA(0,0,3)(1,0,1)[12] with zero mean : Inf
## ARIMA(0,0,3)(1,0,1)[12] with non-zero mean : Inf
## ARIMA(0,0,3)(2,0,0)[12] with zero mean : Inf
## ARIMA(0,0,3)(2,0,0)[12] with non-zero mean : 1052.405
## ARIMA(0,0,4) with zero mean : 1175.072
## ARIMA(0,0,4) with non-zero mean : 1068.493
## ARIMA(0,0,4)(0,0,1)[12] with zero mean : 1151.146
## ARIMA(0,0,4)(0,0,1)[12] with non-zero mean : 1062.416
## ARIMA(0,0,4)(1,0,0)[12] with zero mean : Inf
## ARIMA(0,0,4)(1,0,0)[12] with non-zero mean : 1056.86
## ARIMA(0,0,5) with zero mean : Inf
## ARIMA(0,0,5) with non-zero mean : 1067.695
## ARIMA(1,0,0) with zero mean : 1114.543
## ARIMA(1,0,0) with non-zero mean : 1068.78
## ARIMA(1,0,0)(0,0,1)[12] with zero mean : 1102.209
## ARIMA(1,0,0)(0,0,1)[12] with non-zero mean : 1059.639
## ARIMA(1,0,0)(0,0,2)[12] with zero mean : 1089.956
## ARIMA(1,0,0)(0,0,2)[12] with non-zero mean : 1052.478
## ARIMA(1,0,0)(1,0,0)[12] with zero mean : 1089.573
## ARIMA(1,0,0)(1,0,0)[12] with non-zero mean : 1052.587
## ARIMA(1,0,0)(1,0,1)[12] with zero mean : Inf
## ARIMA(1,0,0)(1,0,1)[12] with non-zero mean : Inf
## ARIMA(1,0,0)(1,0,2)[12] with zero mean : Inf
## ARIMA(1,0,0)(1,0,2)[12] with non-zero mean : Inf
## ARIMA(1,0,0)(2,0,0)[12] with zero mean : Inf
## ARIMA(1,0,0)(2,0,0)[12] with non-zero mean : 1049.418
## ARIMA(1,0,0)(2,0,1)[12] with zero mean : Inf
## ARIMA(1,0,0)(2,0,1)[12] with non-zero mean : Inf
## ARIMA(1,0,0)(2,0,2)[12] with zero mean : Inf
## ARIMA(1,0,0)(2,0,2)[12] with non-zero mean : Inf
## ARIMA(1,0,1) with zero mean : Inf
## ARIMA(1,0,1) with non-zero mean : 1070.99
## ARIMA(1,0,1)(0,0,1)[12] with zero mean : Inf
## ARIMA(1,0,1)(0,0,1)[12] with non-zero mean : 1061.908
## ARIMA(1,0,1)(0,0,2)[12] with zero mean : Inf
## ARIMA(1,0,1)(0,0,2)[12] with non-zero mean : 1054.782
## ARIMA(1,0,1)(1,0,0)[12] with zero mean : Inf
## ARIMA(1,0,1)(1,0,0)[12] with non-zero mean : 1054.796
## ARIMA(1,0,1)(1,0,1)[12] with zero mean : Inf
## ARIMA(1,0,1)(1,0,1)[12] with non-zero mean : Inf
## ARIMA(1,0,1)(1,0,2)[12] with zero mean : Inf
## ARIMA(1,0,1)(1,0,2)[12] with non-zero mean : Inf
## ARIMA(1,0,1)(2,0,0)[12] with zero mean : Inf
## ARIMA(1,0,1)(2,0,0)[12] with non-zero mean : 1051.563
## ARIMA(1,0,1)(2,0,1)[12] with zero mean : Inf
## ARIMA(1,0,1)(2,0,1)[12] with non-zero mean : Inf
## ARIMA(1,0,2) with zero mean : Inf
## ARIMA(1,0,2) with non-zero mean : 1071.446
## ARIMA(1,0,2)(0,0,1)[12] with zero mean : Inf
## ARIMA(1,0,2)(0,0,1)[12] with non-zero mean : 1062.6
## ARIMA(1,0,2)(0,0,2)[12] with zero mean : Inf
## ARIMA(1,0,2)(0,0,2)[12] with non-zero mean : 1054.58

```

```

## ARIMA(1,0,2)(1,0,0)[12] with zero mean      : Inf
## ARIMA(1,0,2)(1,0,0)[12] with non-zero mean  : 1056.916
## ARIMA(1,0,2)(1,0,1)[12] with zero mean      : Inf
## ARIMA(1,0,2)(1,0,1)[12] with non-zero mean  : Inf
## ARIMA(1,0,2)(2,0,0)[12] with zero mean      : Inf
## ARIMA(1,0,2)(2,0,0)[12] with non-zero mean  : 1052.723
## ARIMA(1,0,3) with zero mean                  : Inf
## ARIMA(1,0,3) with non-zero mean              : 1069.33
## ARIMA(1,0,3)(0,0,1)[12] with zero mean      : Inf
## ARIMA(1,0,3)(0,0,1)[12] with non-zero mean  : 1062.861
## ARIMA(1,0,3)(1,0,0)[12] with zero mean      : Inf
## ARIMA(1,0,3)(1,0,0)[12] with non-zero mean  : 1057.189
## ARIMA(1,0,4) with zero mean                  : Inf
## ARIMA(1,0,4) with non-zero mean              : 1067.336
## ARIMA(2,0,0) with zero mean                  : 1102.013
## ARIMA(2,0,0) with non-zero mean              : 1070.978
## ARIMA(2,0,0)(0,0,1)[12] with zero mean      : 1090.513
## ARIMA(2,0,0)(0,0,1)[12] with non-zero mean  : 1061.901
## ARIMA(2,0,0)(0,0,2)[12] with zero mean      : 1080.453
## ARIMA(2,0,0)(0,0,2)[12] with non-zero mean  : 1054.751
## ARIMA(2,0,0)(1,0,0)[12] with zero mean      : 1079.69
## ARIMA(2,0,0)(1,0,0)[12] with non-zero mean  : 1054.748
## ARIMA(2,0,0)(1,0,1)[12] with zero mean      : Inf
## ARIMA(2,0,0)(1,0,1)[12] with non-zero mean  : Inf
## ARIMA(2,0,0)(1,0,2)[12] with zero mean      : Inf
## ARIMA(2,0,0)(1,0,2)[12] with non-zero mean  : Inf
## ARIMA(2,0,0)(2,0,0)[12] with zero mean      : 1072.3
## ARIMA(2,0,0)(2,0,0)[12] with non-zero mean  : Inf
## ARIMA(2,0,0)(2,0,1)[12] with zero mean      : Inf
## ARIMA(2,0,0)(2,0,1)[12] with non-zero mean  : Inf
## ARIMA(2,0,1) with zero mean                  : Inf
## ARIMA(2,0,1) with non-zero mean              : 1072.995
## ARIMA(2,0,1)(0,0,1)[12] with zero mean      : Inf
## ARIMA(2,0,1)(0,0,1)[12] with non-zero mean  : 1063.782
## ARIMA(2,0,1)(0,0,2)[12] with zero mean      : Inf
## ARIMA(2,0,1)(0,0,2)[12] with non-zero mean  : 1056.45
## ARIMA(2,0,1)(1,0,0)[12] with zero mean      : Inf
## ARIMA(2,0,1)(1,0,0)[12] with non-zero mean  : 1056.42
## ARIMA(2,0,1)(1,0,1)[12] with zero mean      : Inf
## ARIMA(2,0,1)(1,0,1)[12] with non-zero mean  : Inf
## ARIMA(2,0,1)(2,0,0)[12] with zero mean      : Inf
## ARIMA(2,0,1)(2,0,0)[12] with non-zero mean  : 1053.263
## ARIMA(2,0,2) with zero mean                  : Inf
## ARIMA(2,0,2) with non-zero mean              : 1066.816
## ARIMA(2,0,2)(0,0,1)[12] with zero mean      : Inf
## ARIMA(2,0,2)(0,0,1)[12] with non-zero mean  : 1059.287
## ARIMA(2,0,2)(1,0,0)[12] with zero mean      : Inf
## ARIMA(2,0,2)(1,0,0)[12] with non-zero mean  : Inf
## ARIMA(2,0,3) with zero mean                  : Inf
## ARIMA(2,0,3) with non-zero mean              : 1068.695
## ARIMA(3,0,0) with zero mean                  : Inf
## ARIMA(3,0,0) with non-zero mean              : 1069.827
## ARIMA(3,0,0)(0,0,1)[12] with zero mean      : 1090.119
## ARIMA(3,0,0)(0,0,1)[12] with non-zero mean  : 1062.208

```



```

## ARIMA(3,0,0)(0,0,2)[12] with zero mean : 1080.572
## ARIMA(3,0,0)(0,0,2)[12] with non-zero mean : 1055.635
## ARIMA(3,0,0)(1,0,0)[12] with zero mean : 1079.016
## ARIMA(3,0,0)(1,0,0)[12] with non-zero mean : 1056.174
## ARIMA(3,0,0)(1,0,1)[12] with zero mean : Inf
## ARIMA(3,0,0)(1,0,1)[12] with non-zero mean : Inf
## ARIMA(3,0,0)(2,0,0)[12] with zero mean : 1070.881
## ARIMA(3,0,0)(2,0,0)[12] with non-zero mean : 1053.823
## ARIMA(3,0,1) with zero mean : Inf
## ARIMA(3,0,1) with non-zero mean : 1072.066
## ARIMA(3,0,1)(0,0,1)[12] with zero mean : Inf
## ARIMA(3,0,1)(0,0,1)[12] with non-zero mean : 1064.446
## ARIMA(3,0,1)(1,0,0)[12] with zero mean : 1084.11
## ARIMA(3,0,1)(1,0,0)[12] with non-zero mean : 1058.126
## ARIMA(3,0,2) with zero mean : Inf
## ARIMA(3,0,2) with non-zero mean : 1069.003
## ARIMA(4,0,0) with zero mean : Inf
## ARIMA(4,0,0) with non-zero mean : 1071.845
## ARIMA(4,0,0)(0,0,1)[12] with zero mean : Inf
## ARIMA(4,0,0)(0,0,1)[12] with non-zero mean : 1064.157
## ARIMA(4,0,0)(1,0,0)[12] with zero mean : 1072.435
## ARIMA(4,0,0)(1,0,0)[12] with non-zero mean : 1057.371
## ARIMA(4,0,1) with zero mean : Inf
## ARIMA(4,0,1) with non-zero mean : 1070.895
## ARIMA(5,0,0) with zero mean : Inf
## ARIMA(5,0,0) with non-zero mean : 1069.578
##
##
##
## Best model: ARIMA(1,0,0)(2,0,0)[12] with non-zero mean

```

```

forecast_arima = forecast(tng_arima)
summary(forecast_arima)

```

```

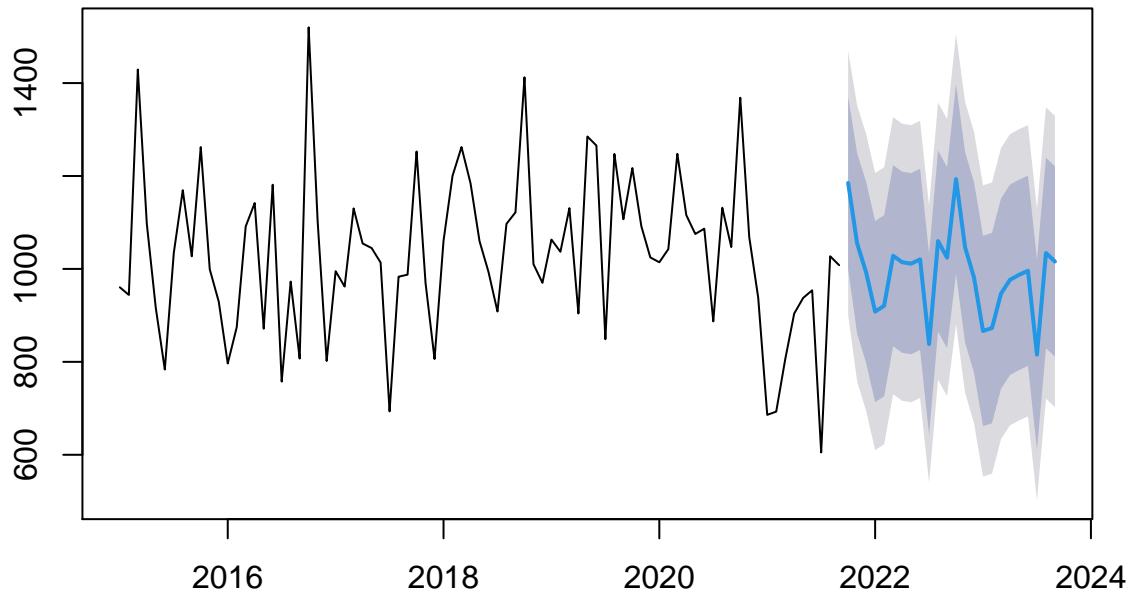
##
## Forecast method: ARIMA(1,0,0)(2,0,0)[12] with non-zero mean
##
## Model Information:
## Series: ts_tng
## ARIMA(1,0,0)(2,0,0)[12] with non-zero mean
##
## Coefficients:
##          ar1      sar1      sar2      mean
##          0.3015  0.3236  0.3478  1016.0933
## s.e.    0.1091  0.1164  0.1388   49.4108
##
## sigma^2 estimated as 21035:  log likelihood=-519.31
## AIC=1048.62  AICc=1049.42  BIC=1060.59
##
## Error measures:
##              ME      RMSE      MAE      MPE      MAPE      MASE
## Training set -2.224397 141.4076 106.8018 -2.294505 10.96822 0.7379314
##              ACF1
## Training set -0.01030866

```

```
##
## Forecasts:
##      Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
## Oct 2021      1185.0722  999.2036 1370.941  900.8106 1469.334
## Nov 2021      1054.9412  860.8083 1249.074  758.0406 1351.842
## Dec 2021       992.3639  797.4971 1187.231  694.3409 1290.387
## Jan 2022       908.2076  713.2743 1103.141  610.0828 1206.332
## Feb 2022       920.5975  725.6581 1115.537  622.4634 1218.732
## Mar 2022      1028.4481  833.5081 1223.388  730.3131 1326.583
## Apr 2022      1014.4662  819.5262 1209.406  716.3312 1312.601
## May 2022      1011.2462  816.3061 1206.186  713.1111 1309.381
## Jun 2022      1020.5324  825.5924 1215.472  722.3974 1318.667
## Jul 2022       838.1384  643.1984 1033.078  540.0034 1136.273
## Aug 2022      1059.9068  864.9668 1254.847  761.7718 1358.042
## Sep 2022      1024.2386  829.2986 1219.179  726.1035 1322.374
## Oct 2022      1193.3554  989.3455 1397.365  881.3492 1505.362
## Nov 2022      1046.9542  842.1397 1251.769  733.7175 1360.191
## Dec 2022       981.1660  776.2786 1186.053  667.8177 1294.514
## Jan 2023       866.3262  661.4322 1071.220  552.9678 1179.685
## Feb 2023       872.7605  667.8658 1077.655  559.4011 1186.120
## Mar 2023       946.8107  741.9159 1151.705  633.4512 1260.170
## Apr 2023       976.5759  771.6812 1181.471  663.2165 1289.935
## May 2023       987.2283  782.3335 1192.123  673.8688 1300.588
## Jun 2023       995.9313  791.0365 1200.826  682.5718 1309.291
## Jul 2023       815.5056  610.6109 1020.400  502.1461 1128.865
## Aug 2023      1034.1466  829.2519 1239.041  720.7871 1347.506
## Sep 2023      1015.9142  811.0194 1220.809  702.5547 1329.274
```

```
plot(forecast_arima)
```

Forecasts from ARIMA(1,0,0)(2,0,0)[12] with non-zero mean



Here, we can see that the MAPE of stl_decomposition is the lowest i.e. 8%, so we consider the stl_decomp forecast as our best forecasting model.