Import data¶

In [1]:

import pandas as pd

path="C:\\Users\\TANUJA HARISH\\Desktop\\ML and DL Summer
Internship\\50_Startups.csv"
dataset=pd.read_csv(path)
dataset.head()

Out[1]:

	R&D Spend	Administration	Marketing Spend	State	Profit
0	165349.20	136897.80	471784.10	New York	192261.83
1	162597.70	151377.59	443898.53	California	191792.06
2	153441.51	101145.55	407934.54	Florida	191050.39
3	144372.41	118671.85	383199.62	New York	182901.99
4	142107.34	91391.77	366168.42	Florida	166187.94

In [2]:

```
Out[2]:
(50, 5)
Visualize the data¶
                                                                                   In [3]:
 import seaborn as sns
 sns.pairplot(dataset)
                                                                                  Out[3]:
<seaborn.axisgrid.PairGrid at 0x25cb1bcaf70>
Split into x and y\P
                                                                                   In [4]:
 import numpy as np
 x=np.array(dataset.iloc[:,0:3])
```

```
y=np.array(dataset[["Profit"]])
print(x.shape)
print(y.shape)
(50, 3)
(50, 1)
```

Standardize the dataset¶

In [5]:

```
# without using in-built lib
x_norm=(x-x.mean())/x.std()
y_norm=(y-y.mean())/y.std()
print(x_norm.shape)
print(y_norm.shape)
(50, 3)
(50, 1)
```

Split into train and test¶

```
from sklearn.model_selection import train_test_split
x_train,x_test,y_train,y_test=
train_test_split(x_norm,y_norm,test_size=0.2)
print(x_train.shape)
print(x_test.shape)
print(y_train.shape)
print(y_test.shape)
```

In [10]:

```
def initialize_parameters(x):
    w1=np.random.randn(5,x.shape[1])
    w2=np.random.randn(5,5)
    w3=np.random.randn(1,5)
    b1=np.random.randn(5,1)
    b2=np.random.randn(5,1)
    b3=np.random.randn(1,1)
    return w1,w2,w3,b1,b2,b3

def sigmoid_act(x):
    s= 1/(1+np.exp(-x))
    return s
```

```
def forward path(x train,w1,b1,w2,b2,w3,b3):
    #Hidden1 layer
    z1=np.matmul(w1,x_train.T)+b1
    A1=sigmoid act(z1)
    #Hidden2 layer
    z2=np.matmul(w2,A1)+b2
    A2=sigmoid act(z2)
    #output layer
    z3=np.matmul(w3,A2)+b3
    #Linear activation function at output layer
   A3=z3
    return A3, A2, A1
def compute_cost(y_pred,y_train):
    cost=np.mean((y_pred-y_train)**2)
    return cost
def backward path(A3,A2,A1,w3,y train,x train):
    #output layer
    dA3=(2*(A3-y_train.T))/len(y_train) #gradient of loss wrt A2
    dz3=dA3 #gradient of loss wrt z2
    dw3=np.matmul(dz3,A2.T)
    db3=dz3.sum(axis=1)
    #Hidden layer 2
    dA2=np.matmul(w3.T,dz3)
    dz2=np.multiply(dA2,A2*(1-A2))
    dw2=np.matmul(dz2,A1.T)
    db2=dz2.sum(axis=1)
    #Hidden layer 1
    dA1=np.matmul(w2.T,dz2)
    dz1=np.multiply(dA1,A1*(1-A1))
    dw1=np.matmul(dz1,x train)
    db1=dz1.sum(axis=1)
   return dw3,dw2,dw1,db3,db2,db1
def update parameters(w,b,dw,db,learning rate):
   w=w-learning rate*dw
    db=np.reshape(db,b.shape)
    b=b-learning rate*db
    return w,b
```

Training using Gradient Descent¶

In [11]:

```
num_iter=500
learning_rate=0.001
his1=[]
w1,w2,w3,b1,b2,b3=initialize_parameters(x_train)
for i in range(num_iter):
    A3,A2,A1=forward_path(x_train,w1,b1,w2,b2,w3,b3)
    y_pred=A3
    cost=compute_cost(y_pred,y_train)
    dw3,dw2,dw1,db3,db2,db1=backward_path(A3,A2,A1,w3,y_train,x_train)
    w3,b3=update_parameters(w3,b3,dw3,db3,learning_rate)
    w2,b2=update_parameters(w2,b2,dw2,db2,learning_rate)
    w1,b1=update_parameters(w1,b1,dw1,db1,learning_rate)
    his1.append(cost)
```

In [12]:

```
import matplotlib.pyplot as plt
plt.plot(his1)
```

Out[12]:

[<matplotlib.lines.Line2D at 0x25cb9a2f760>]

```
In [13]:
print(w1)
print(b1)
[[ 2.22982405 -0.84111873 -0.75268661]
[ 1.25059415  0.27643916 -0.90666439]
 [ 0.01762027  0.86689346  0.18241872]
 [ 3.38296661 -0.35027431 -0.4544435 ]
 [-0.51040494 -0.24583232 -2.80302061]]
[[-0.16422378]
[-1.57928538]
 [ 0.65783283]
 [-0.14624383]
 [-0.40244009]]
                                                                           In [14]:
print(w2)
print(b2)
[[-4.01516602e-01 6.93388382e-01 2.19444722e-03 -2.61795864e-01
 -2.44558983e+00]
```

 $[-4.47187119e-02 \ -6.72529284e-01 \ 1.22359596e+00 \ 6.36321648e-01$

-5.57945236e-01]

```
[\ 1.04665515e+00\ \ 1.44557943e+00\ \ -2.17045722e+00\ \ -5.78790461e-01
 -8.74205630e-01]
 [-6.93212288e-01 \ -8.34432972e-01 \ 6.60880016e-02 \ -9.43299501e-01
  2.30353917e-01]
 [-1.19847637e+00 1.40777058e+00 -9.69312338e-02 -4.02938434e-01
 -1.18038453e-01]]
[[-0.64870749]
 [ 1.62770386]
 [ 0.91377687]
 [ 0.77065244]
 [-0.43957049]]
                                                                  In [15]:
print(w3)
 print(b3)
[[0.01316571]]
Prediction¶
```

In [16]:

```
def pred(w1,w2,w3,b1,b2,b3,x_test):
     A3,A2,A1=forward path(x test,w1,b1,w2,b2,w3,b3)
     return A3
                                                                                 In [17]:
 y_pred=pred(w1,w2,w3,b1,b2,b3,x_test)
 print(y_pred)
 [ [ -0.2728263 \quad -0.09631945 \quad -0.03444146 \quad -0.09588367 \quad -0.13820144 \quad -0.15752294 ] 
  -0.13594885 -0.12136283 -0.12834389 -0.09080897]]
Rescalling dataset¶
                                                                                 In [18]:
 y_test_rescalled=(y_test*y.std())+y.mean()
 y_pred_rescalled=(y_pred*y.std())+y.mean()
 y_pred_rescalled=y_pred_rescalled.T
 print(y_pred_rescalled.shape)
 print(y_test_rescalled.shape)
```

```
(10, 1)
```

(10, 1)

Comaparing test and predicted values¶

In [19]:

```
comp=pd.DataFrame(np.c_[y_test_rescalled,y_pred_rescalled],columns=["Origin
al profit","Predicted profit"])
print(comp)
```

	Original profit	Predicted profit
0	81229.06	101126.574498
1	156122.51	108169.389034
2	155752.60	110638.387763
3	105008.31	108186.777079
4	124266.90	106498.252078
5	108733.99	105727.303309
6	141585.52	106588.132797
7	134307.35	107170.130856
8	69758.98	106891.578948
9	97483.56	108389.262917

```
In [20]:
```

```
from sklearn.metrics import mean_squared_error,mean_absolute_error
from math import sqrt
print("MAE:",mean_absolute_error(y_test_rescalled,y_pred_rescalled))
print("RMSE:",np.sqrt(mean_squared_error(y_test_rescalled,y_pred_rescalled)))
```

MAE: 24709.155760441685 RMSE: 29196.888089000906

Training using Stochastic Gradient descent¶

In [30]:

```
def initialize_parameters(x):
    w1=np.random.randn(5,x.shape[1])
    w2=np.random.randn(5,5)
    w3=np.random.randn(1,5)
    b1=np.random.randn(5,1)
    b2=np.random.randn(5,1)
    b3=np.random.randn(1,1)
    return w1,w2,w3,b1,b2,b3
```

```
def sigmoid act(x):
    s = 1/(1+np.exp(-x))
    return s
def forward path(x train,w1,b1,w2,b2,w3,b3):
    #Hidden layer 1
    z1=np.reshape(np.matmul(w1,x_train.T),(b1.shape))+b1
    A1=sigmoid act(z1)
    #Hidden layer 2
    z2=np.matmul(w2,A1)+b2
    A2=sigmoid act(z2)
    #Outer layer
    z3=np.matmul(w3,A2)+b3
    A3=z3
    return A3, A2, A1
def compute cost(y pred,y train):
    cost=np.mean((y_pred-y_train)**2)
    return cost
def backward path(A3,A2,A1,w3,y train,x train):
    #output layer
    dA3=2*(A3-y_train.T)
    dz3=dA3
    dw3=np.matmul(dz3,A2.T)
    db3=dz3.sum(axis=1)
    #Hidden layer 2
    dA2=np.matmul(w3.T,dz3)
    dz2=np.multiply(dA2,A2*(1-A2))
    dw2=np.matmul(dz2,A1.T)
    db2=dz2.sum(axis=1)
    #Hidden layer 1
    dA1=np.matmul(w2.T,dz2)
    dz1=np.multiply(dA1,A1*(1-A1))
    dw1=dz1*x train
    db1=dz1.sum(axis=1)
    return dw3,dw2,dw1,db3,db2,db1
def update parameters(w,b,dw,db,learning rate):
    w=w-learning rate*dw
    db=np.reshape(db,b.shape)
    b=b-learning rate*db
    return w,b
```

```
In [33]:
```

```
num iter=500
learning rate=0.001
his1=[]
w1,w2,w3,b1,b2,b3=initialize_parameters(x_train)
for i in range(num iter):
    cost=0
    for j in range(len(x_train)):
        A3,A2,A1 = forward_path(x_train[j],w1,b1,w2,b2,w3,b3)
        y pred=A3
        cost+=compute_cost(y_pred,y_train[j])
dw3,dw2,dw1,db3,db2,db1=backward_path(A3,A2,A1,w3,y_train[j],x_train[j])
        w3,b3=update parameters(w3,b3,dw3,db3,learning rate)
        w2,b2=update_parameters(w2,b2,dw2,db2,learning_rate)
        w1,b1=update_parameters(w1,b1,dw1,db1,learning_rate)
    his1.append(cost/len(x_train))
                                                                          In [34]:
plt.plot(his1)
                                                                         Out[34]:
```

[<matplotlib.lines.Line2D at 0x25cba207340>]

In [35]:

In [36]:

```
print(w1)
print(b1)
[[-0.01200262 1.42795631 -0.91774738]
[-1.55594329 -0.93373708 -0.97464145]
[-0.77781382 -1.43913585 -0.12934494]
[-0.82890471 -0.67729867 -0.30060691]
[ 0.78203697 -0.06624352  0.45125684]]
[[ 1.56778746]
[ 0.26605122]
[-0.43268025]
[ 0.07065172]
[ 0.92805018]]
print(w2)
print(b2)
```

0.38980482 0.47698183 0.79457453 1.44370987]

[-0.23835624 0.77508018 0.45490067 2.00058434 -1.6936975] [1.62029082 1.68874557 0.40411368 0.80110928 -0.20670633]

[0.3724921

```
[-0.18681959 -0.08920247 1.26645946 0.31853325 -0.07715246]]
[[ 0.3330803 ]
 [ 0.35824501]
 [-0.50495584]
 [-1.62762572]
 [ 0.34957563]]
                                                                             In [37]:
 print(w3)
 print(b3)
[[ 5.86932272e-01 1.82962880e+00 -2.59546298e+00 -1.97715883e+00
  -1.36353499e-03]]
[[0.7142939]]
Prediction¶
                                                                             In [38]:
 def pred2(w1,w2,w3,b1,b2,b3,x_test):
     y_pred=np.zeros(y_test.shape)
     for i in range(len(x_test)):
         A3, A2, A1=forward_path(x_test[i], w1, b1, w2, b2, w3, b3)
```

```
y_pred[i] =A3
return y_pred
```

In [39]:

```
y_pred2=pred2(w1,w2,w3,b1,b2,b3,x_test)
print(y_pred2)
print(y_pred2.shape)

[[-0.80817589]
  [ 0.10065632]
  [ 1.13349487]
  [ 0.76817616]
  [ 0.53120029]
  [ 0.30134011]
  [ 0.31414422]
  [ 0.35181499]
  [-1.08949205]
  [-0.66949912]]
```

Rescalling data¶

(10, 1)

In [40]:

```
y_test_rescalled=(y_test*y.std())+y.mean()
y_pred2_rescalled=(y_pred2*y.std())+y.mean()
print(y_pred2_rescalled.shape)
print(y_test_rescalled.shape)
(10, 1)
(10, 1)
```

Comparing test and predicted value¶

```
In [41]:
```

```
comp=pd.DataFrame(np.c_[y_test_rescalled,y_pred2_rescalled],columns=["Origi
nal profit","Predicted profit"])
print(comp)
```

```
Original profit Predicted profit
0
         81229.06
                      79765.546095
        156122.51
1
                      116028.935272
        155752.60
                      157240.312007
2
3
        105008.31
                      142663.699683
                      133208.105896
4
        124266.90
        108733.99
                      124036.435834
6
        141585.52
                      124547.333545
```

```
7 134307.35 126050.438317
8 69758.98 68540.726813
9 97483.56 85298.899210
```

Error Calculations¶

In [42]:

```
from sklearn.metrics import mean_squared_error,mean_absolute_error
from math import sqrt
print("MAE:",mean_absolute_error(y_test_rescalled,y_pred2_rescalled))
print("RMSE:",np.sqrt(mean_squared_error(y_test_rescalled,y_pred2_rescalled))))
```

MAE: 14364.185416827726 RMSE: 19627.314553007396

In []: