10. Consider the two cascaded 2×1 multiplexers as shown below in Fig. Q10. Determine the minimal sum of products expression for the output f(P,Q,R) if I_0 of MUX, and MUX, are \overline{R} and 0 respectively. [2]

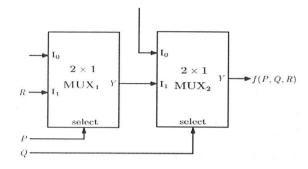


Fig. Q10

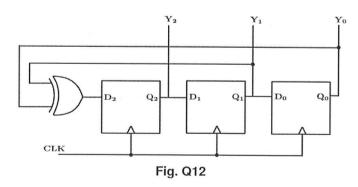
Solution: f(P,9,R) = Em (2,7) = P9R+ P9R

11. A synchronous counter has three J K flip-flops with the input functions $J_2 = \overline{Q_1}$; $K_2 = Q_0$; $J_1 = Q_2 + Q_0$; $K_1 = \overline{Q_2}$; $J_0 = Q_1$ and $K_0 = 0$. (a) Assuming that $Q_2Q_1Q_0=000$, determine the number of clock pulses are required before the counter begins as a modulo-N counter? (b) What is N?

[1+2]

Solution: (a)

12. A three bit pseudo random number generator is shown in Fig. Q12. Initially the value of output $Y_2Y_1Y_0$ is set to 111. What is the value of the outputs $Y_2Y_1Y_0$ after 600 clock cycles? [2]



Solution:



EE-101: Basic Electronics End semester Examination

Set Code: EE-101/2019/ES-SD

Max. Time: 180 min

Max. Marks: 30

Tutorial Group: T- 18

Roll no.: 190123046 Name: Radnesh P. Kalkar

Invigilator's Signature:



Instructions

- Write answers neatly with appropriate SI units in the spaces provided
- All answers should be rounded up to the third decimal point
- Exchange of Calculators or any other material is not allowed.
- Mobile phones are not allowed inside the examination hall.
- Write answers neatly in the space below the question marked as Solution



1. A balanced three-phase system has star connected loads, star connected sources and nonzero line impedances. At the source end, the nomenclature of the three lines are with small letters a, b, c and at the load end, the nomenclatures are with capital letters A, B, C. The line voltage V_{AB} has a value of $500 \angle 0^o$ V (rms). Voltage coil of one wattmeter (W) is connected between the lines A & B and the current coil is in series with the line aA. If the line and the load impedances per phase are $Z_L = 1 +$ j0 and $Z_P = 12 + j5$. Find, (a) V_{bn} (rms) (answer in phasor form) and (b) the reading of the wattmeter in kW. [1+2]

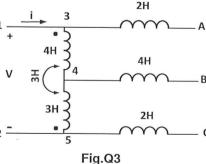


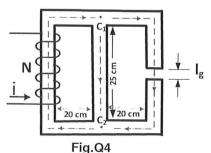
Solution: (a) $V_{bn} = 309 \cdot 285 \angle -151 \cdot 582$ V

2. A 400 V rms (line voltage) balanced three-phase system supplies 1500 W to a balanced Y-connected load at a lagging PF of 0.9. What are the values of (a) the per phase load resistance (R_P) and (b) the per phase load reactance (X_P) ? [1+1]

Solution: (a) $R_P =$ 86.4001

- 3. Find the equivalent inductances seen at terminals 1 and 2 in the network of Fig. Q3 if the following terminals are connected together: (a) none and (b) A to B.





Solution: (a)

Page 1 of 4



4. Fig. Q4 shows a parallel magnetic circuit. The core material has a relative permeability of 4000. The number of turns is given as N = 800 and the cross-sectional area of the core is $A_c = 3 \times 3 \ cm^2$. The length of the air gap is $l_a = 0.02 cm$ and the flux in the central limb is 0.01 Wb. Find (a) the flux [1+2]in the right limb and (b) the required exciting current.



Solution: (a) 0.002Wb (b) 3-186 A

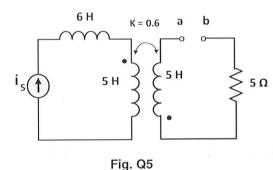


5. Let $i_s = 3 \cos(10t)$ A in the circuit shown in Fig. Q5. Find the total energy stored when the current is is maximum if (a) a-b is open-circuited, (b) a-b is short-circuited. [1+1]





6. Determine (a) the value of the resonant frequency (f_0) in Hz and (b) the magnitude of the impedance seen from the source at half power frequencies for the network shown in Fig. Q6.



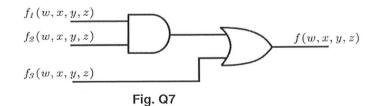
100 Ω 0.02 μ F M = 20 H (\bigcirc) 10 cos ω t V 40 H ≺ Fig. Q6

Solution: (a) 217-392 Hz

[1+1]



7. Given the network of figure shown in Fig. Q7, express the functions $f_2(w,x,y,z)$ and $f_3(w,x,y,z)$ using minimum possible number of minterms if $f_1 = w y + w y$ and the overall transmission function is to be $f(w, x, y, z) = \sum m(0, 4, 9, 10, 11)$. Given that $f_2(w, x, y, z) \neq 0$.



olution:
$$f(w \times y z) = \sum m(G)$$
 : $f(w)$

Solution:
$$f_2(w, x, y, z) = \sum_{m \in \mathcal{G}} m(\mathcal{G}_1, w, x, y, z) = \sum_{m \in \mathcal{G}_1} m(\mathcal{G}_1, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_1, w, x, y, z) = \sum_{m \in \mathcal{G}_1} m(\mathcal{G}_1, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x, y, z) = \sum_{m \in \mathcal{G}_2} m(\mathcal{G}_2, w, x$$

Page 2 of 4



8. The literal count of a Boolean expression is the sum of the number of times each literal appears in the expression. For example, the literal count of (xy + xz) is 4. What are the minimum possible literal counts of the (a) product-of-sum and (b) sum-of-product representations respectively of the function given by the following K-map (Fig. Q8)? Here, X denotes "don't-care". [1.5+1.5]

ZW	00	01	11	10
00	X	1	0	1
01	0	1	×	0
11	1	1	×	0
10	X	0	0	X

Fig. Q8

Solution: (a)

Page 3 of 4

10

9. The borrow obtained from the operation x-y-z of a full subtractor can be realized using two 2×4 decoders as shown in Fig. Q9. For feasible realization, the input and enable signals of the decoders can be connected to one of the six signals $\{x, x, y, y, z, z\}$. The appropriate choice for [3] A_0, A_1, E_0, B_0, B_1 and E_1 are respectively.

Solution: $A_0 = \mathbf{Z}$; $A_1 = \mathbf{Y}$; $E_0 = \mathbf{X}$; $B_0 = \mathbf{Z}$; $B_1 = \mathbf{Y}$; $E_1 = \mathbf{Z}$

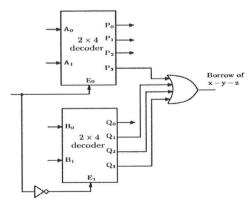


Fig. Q9