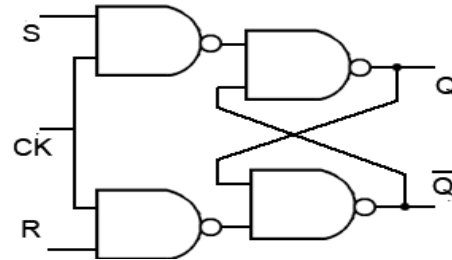


# Sequential logic circuits

- The output at any time depends on the present inputs as well as past outputs
- Flip-flop (FF) is the basic building block of sequential circuits

## S-R flip-flop:-

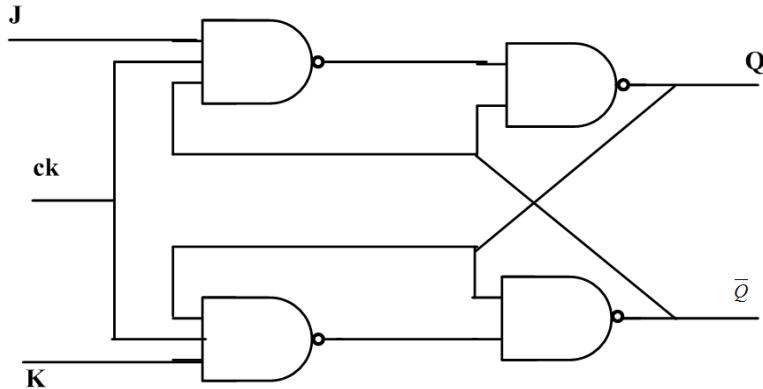


- When  $ck=0 \rightarrow$  the ff remains in the previous state .
- When  $ck=1$ , the following truth table is obtained

$Q_n$  = previous state ;  $Q_{n+1}$  = present state

S	R	$Q_n$	$Q_{n+1}$
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	0
1	0	0	1
1	0	1	1
1	1	0	x
1	1	1	x

## J-K flip flop:-



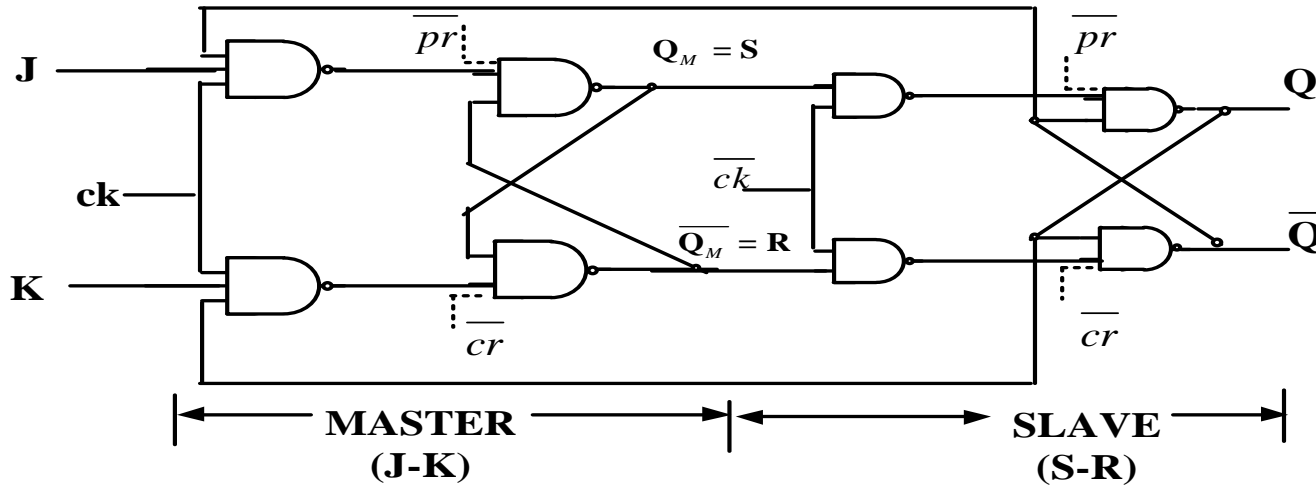
J	K	$Q_n$	$Q_{n+1}$	
0	0	0	0	} $Q_n$
0	0	1	1	
0	1	0	0	} 0
0	1	1	0	
1	0	0	1	} 1
1	0	1	1	
1	1	0	1	} $\overline{Q_n}$
1	1	1	0	

### Race-around condition:-

If  $J=1$ ;  $K=1$  and  $ck=1$  the output changes for every  $\Delta T$  sec:

Where  $\Delta T$  is the propagation delay of JK FF. To avoid the race-around condition, master- slave FF is used .

## Master- slave FF:-

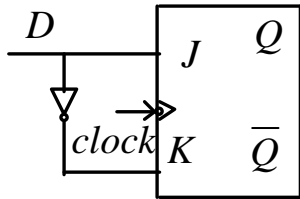


- Master-slave FF is an edge triggered FF.

### Preset and clear operations:-

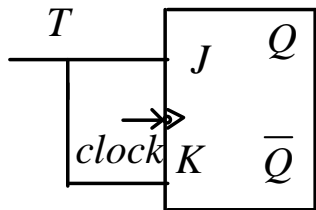
- Used to establish initial states of the FF.
- If  $\bar{cr} = 0$  ;  $\bar{pr} = 1 \rightarrow Q=0$  (clear operation)
- If  $\bar{cr} = 1$  ;  $\bar{pr} = 0 \rightarrow Q=1$  (Preset , , )
- If  $\bar{cr} = \bar{pr} = 1 \rightarrow$  Normal operation

## D-flip flop



D	$Q_n$	$Q_{n+1}$
0	0	0
0	1	0
1	0	1
1	1	1

## T-flip flop



T	$Q_n$	$Q_{n+1}$
0	0	0
0	1	1
1	0	1
1	1	0

$Q_n$  is indicated for the first two rows (0,0) and (0,1).  
 $\bar{Q}_n$  is indicated for the last two rows (1,0) and (1,1).