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2. Two observers A and B travel at speed 4c/5 and 3c/5, respectively, with respect to the ground, as shown in the Figure. How fast should the observer C travel with respect to the ground so that she sees A and B are approaching towards her at the same speed u? Compute the value of u.

$$\begin{array}{ccc}
4c/5 & ? & 3c/5 \\
 & & & C & B
\end{array}$$

Let the velocity of C wist ground be V Let 5' be the frame attached to C. W. ro.t. C the figure will look like

·A → u c

·B

For obs. A:

Vel. of S' = vel of C = V;  $\Rightarrow$   $\beta = V/c$   $U_A' \rightarrow vel of A was in S' frame i.e. write.$ 

$$U_{A}' = \frac{U_{A} - V}{1 - \frac{VU_{A}}{C^{2}}}$$

$$\therefore U_{A}' = \frac{4C}{5} - V$$

$$\frac{1}{1 - \frac{4c}{5} - v} = \frac{4c - v}{5} = \frac{4c - 5v}{5c - 4v} c$$

$$\frac{1 - \frac{4v}{5c^2}}{5c^2} = \frac{4c - 5v}{5c - 4v} c$$

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$$U_A' = \left(\frac{4-5\beta}{5-4\beta}\right) c = u \cdots (from 0)$$

$$\left(\frac{4-5\beta}{5-4\beta}\right)c=U-2$$

For obs B: let the notations be similar to as defined for A.  $|V_{B}| = \frac{3c}{5} - V$   $|V_{B}| = \frac{3c}{5}$  $\therefore u_{\beta}' = \left(\frac{3-5\beta}{5-3\beta}\right) C = -u \cdots \left(\frac{2}{5}\cos \Omega\right)$  $\left(\frac{3-5\beta}{5-2\beta}\right)C=-U$ .. Adding @ and 3, we get  $\frac{4-5\beta}{5-4\beta} + \frac{3-5\beta}{5-3\beta} = 0$ (5-38)(4-58)+(5-48)(3-58)=0(78-5)(58-7) = 0B=5/7 08 B=7/s (as V has to be XX less, than c)  $|A| = 5/7 \Rightarrow V = 50$ From (2),  $u = \left(\frac{4-5\beta}{5-4\beta}\right)c = \left(\frac{4-\frac{25}{7}}{5-\frac{20}{5}}\right)c = \left[\frac{c}{5}\right]$ Ans: Velocity of obs  $C \omega \approx 1$  ground =  $\frac{5c}{7}$  in forward disertion.