

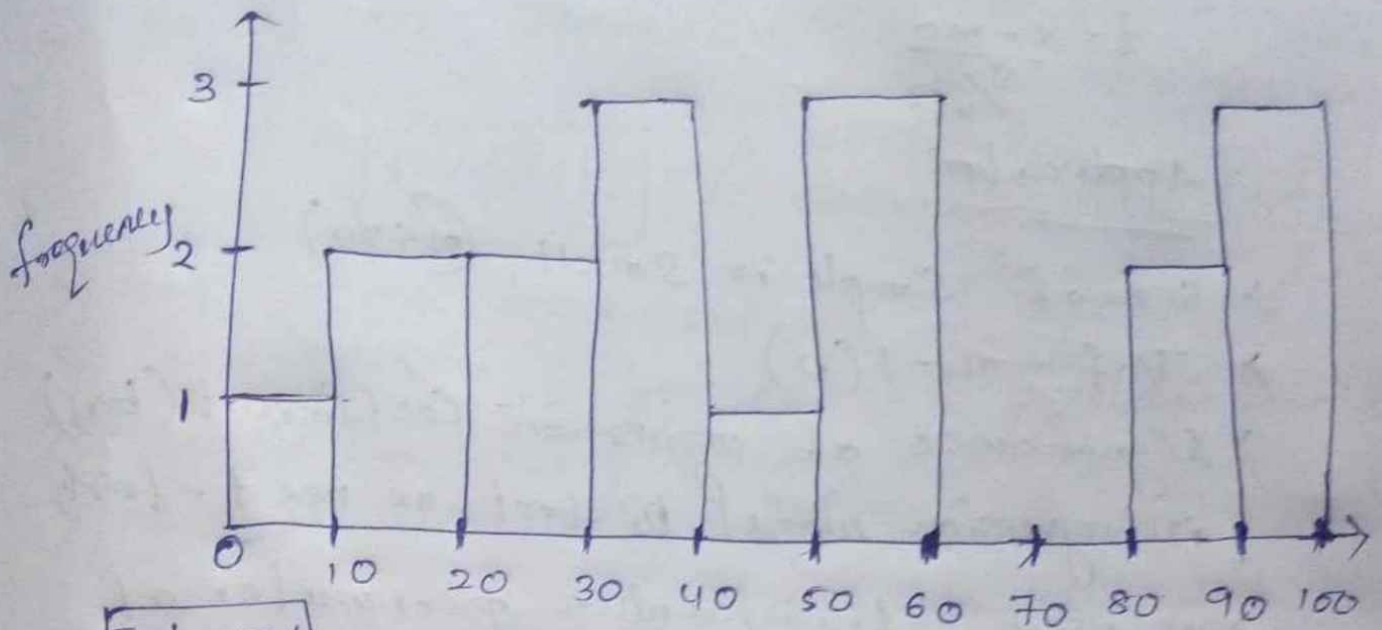
Q1(A) Plot a histogram

10, 13, 18, 22, 27, 32, 38, 40, 45, 51, 56, 57,  
88, 90, 92, 94, 99

0-100

Bins = 10

Bin Size =  $\frac{100}{10} = 10$



Interval

0-10	→	⑤
10-20	→	2
20-30	→	2
30-40	→	3
40-50	→	1
50-60	→	3
60-70	→	0
70-80	→	0
80-90	→	2
90-100	→	3

Q2 A

Given

$$\sigma^2 = 100$$

$$n = 25$$

$$\bar{X} = 520$$

To Construct

C.I at 80% Confidence level

Thus Level of Significance

$$\Rightarrow \alpha = 20\%$$

$$\Rightarrow \alpha = \cancel{0.20} \cdot 0.2 \quad \text{then } \frac{\alpha}{2} = 0.1$$

So

$$\text{Lower fence} = \bar{X} - z_{\alpha/2} \frac{\sigma}{\sqrt{n}}$$

$$= 520 - 1.282 \times \frac{100}{\sqrt{25}}$$

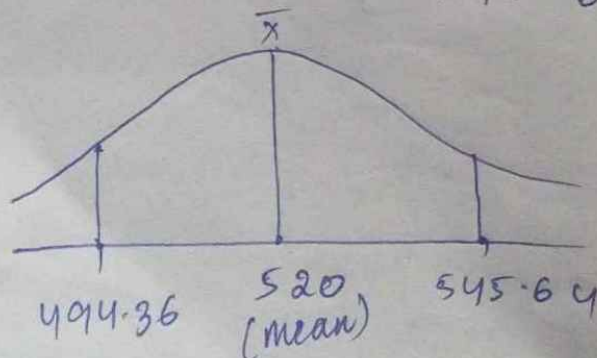
$$= 520 - 1.282 \times \frac{100}{5}$$

$$= 494.36$$

$$\text{Higher fence} = \bar{X} + z_{\alpha/2} \frac{\sigma}{\sqrt{n}}$$

$$= 520 + 1.282 \times 20$$

$$= 545.64$$





Q3) A)

a) A

$H_0$  (null hypothesis):  $P_0 \geq 60\%$

$H_1$  (Alternative hypothesis):  $P_0 < 60\%$

b) A

$$n = 250$$

out of which 170 responded yes

$$P' = \frac{170}{250} = 0.68$$

$$\text{Now } q_0 = 1 - P_0 = 1 - 0.6$$

(Test statistic)  $\boxed{q_0 = 0.4}$   $\boxed{P_0 = 0.6}$

$$z\text{-test} = \frac{P' - P_0}{\sqrt{\frac{P_0 q_0}{n}}}$$

$$\sqrt{\frac{P_0 q_0}{n}}$$

$$= \frac{0.68 - 0.6}{\sqrt{\frac{0.6 \times 0.4}{250}}} = \frac{0.08}{\sqrt{0.00096}}$$

$$\sqrt{\frac{0.6 \times 0.4}{250}}$$

$$\sqrt{0.00096}$$

$$= \boxed{2.58}$$

Given At 10% significance level

i.e.  $\boxed{0.1}$   $\boxed{\text{one-tailed}}$  (left-tailed)



Since test-statistic is greater than -1.28 i.e. critical value. We  $\boxed{\text{accept Null hypothesis}}$ .

Q4) A) value of the 99 percentile

2, 2, 3, 4, 5, 5, 5, 6, 7, 8, 8, 8, 8, 8, 9, 9, 10, 11, 11, 12

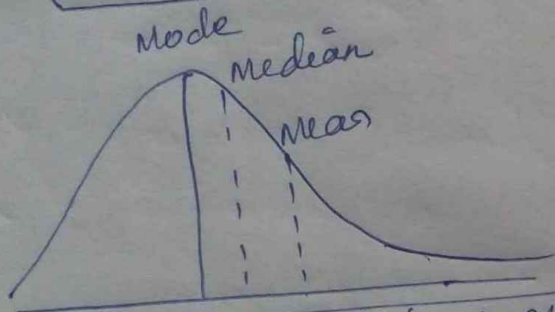
$$\text{Rank} = \frac{\text{Percentile}}{100} \times N \quad (N = \text{no. of values in the dataset})$$

$$= \frac{99}{100} \times 20 = 19.8 \approx 20$$

So, the value will be 12 Ans

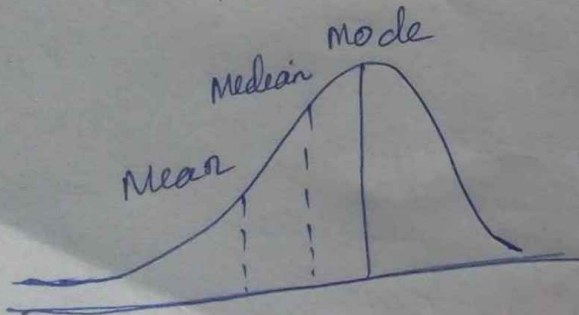
Q5 (4)

Right - Skewed



$\text{Mean} > \text{Median} > \text{mode}$

Left - Skewed



$\text{Mode} > \text{Median} > \text{mean}$