```
format long
t = linspace(0, 1, 50);
% build the vandermonde A matrix with 10 columns
A = VanderMonde(cos(4*t), 10);
b = zeros(50, 1);
x = zeros(10, 1);
% build the vector b
for i = 1:50
    b(i) = cos(4 * t(i));
end
\mbox{\ensuremath{\$}} (a) Formation and solution of the normal equations, using MATLAB s \mbox{\ensuremath{\backslash}}
Ac = A' * A;
bc = A' * b;
L = chol(Ac, "lower");
y = L \setminus bc;
xa = L' \setminus y;
хa
% (b) QR factorization computed by mgs
[Q, R] = mgs(A);
xb = (lsp(b, Q, R))';
xb
% (c) QR factorization computed by house
[V, R] = house(A);
Q = formQ(V);
bh = Q' * b;
xc = R \setminus bh;
хc
% (d) x = A b in MATLAB
xd = R \setminus (Q' * b);
xd
```

```
-0.000000000000056
0.999999999998957
0.0000000000013290
-0.00000000000007876
-0.00000000000046570
0.0000000000012180
0.0000000000060982
-0.000000000005922
```

xa =

```
Columns 1 through 3
 -0.0000000000000001
               Columns 4 through 6
  Columns 7 through 9
  Column 10
 -0.00000000010922
xc =
 -0.000000000000000
  0.99999999999999
  0.000000000000001
  0.000000000000006
 -0.000000000000004
 -0.000000000000016
  0.000000000000003
  0.000000000000015
  0.000000000000000
 -0.000000000000004
xd =
 -0.000000000000000
  0.99999999999999
  0.000000000000001
  0.000000000000006
 -0.0000000000000004
 -0.000000000000016
 0.0000000000000003
```

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