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Assignment No-3.

Title - Tree BST [integer]

objectives -

- To understand the concept of tree data structure and its traversal.
- To implement program to construct BST and find the largest path, minimum node, search specific node and create mirror of constructed BST.

problem statement -

- Beginning with an empty binary search tree construct the binary search tree by inserting in the order given.
- After constructing a binary tree insert a new node.
- Find the number of nodes in longest path from the root.
- minimum data values found into the tree
- change a tree so that the roles of the left and right pointers are swapped at every node.
- search a value

outcomes -

student will be able to represent a binary search tree and perform preorder, inorder and postorder on it.



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Software and Hardware requirement.

Student will be able to represent a binary search tree and perform preorder, inorder and postorder on it.

- operating system - 64 bit open source linux
- programming tools - c++ programming tool recommended like G++ / GCC.

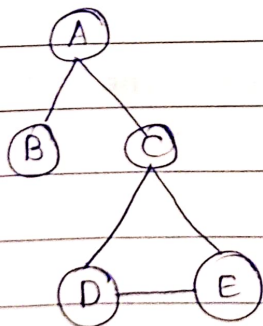
Theory -

Tree - Tree is a non-linear data structure in which the data is arranged in a hierarchical structure in a recursive way.

or

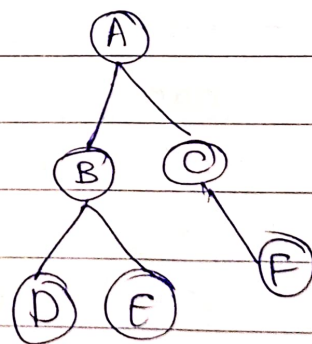
The tree is a non-linear graph which does not have any circuit.

Ex.



①

Not a Tree



②

Tree



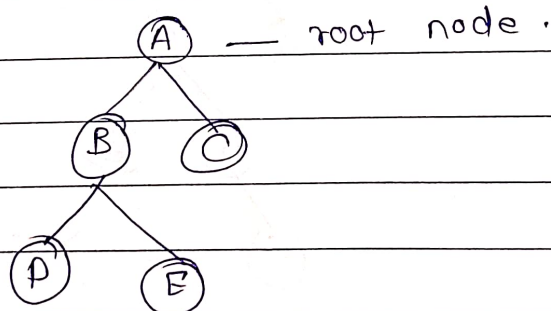
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Basic terminology

- 1> Root node
- 2> leaf node
- 3> Internal node
- 4> height
- 5> depth
- 6> degree
- 7> edge
- 8> level
- 9> Forest

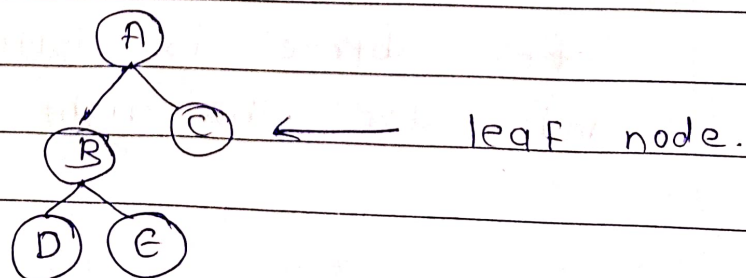
1> Root Node:- Root node is node with no incoming nodes it is tree parent node of other node.

Ex



2> Leaf node -

leaf node is a node with no outgoing degree it is the lowest node in the tree with no child.



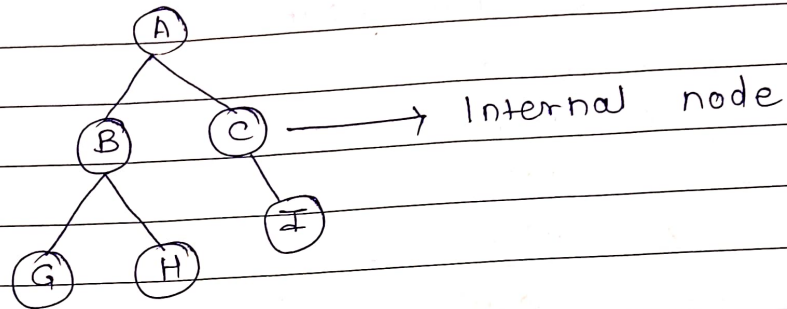


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3) Internal node -

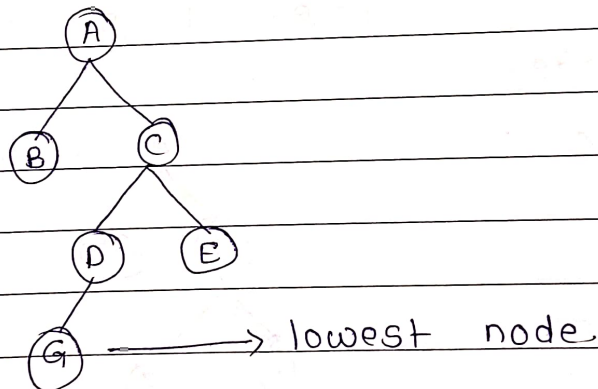
The node which has at least one child is called internal node.

Ex.



Height - The height of the tree is defined as the total number of edges from the root node to the lowest node of the tree.

Ex.



Height of the tree is - 3.

* Tree traversal

① Internal Inorder - In the inorder traversal the left subtree is visited first then the root and later the right subtree.



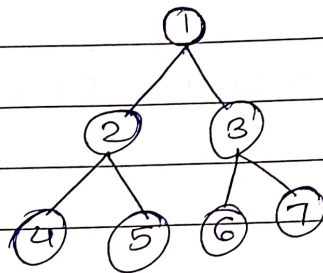
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2> Preorder - In the pre-order traversal the root is visited first then the left subtree & then right subtree.

3> Postorder -

In the post order traversal the left subtree and then right subtree and at last the root.

Ex.



1> Inorder traversal - 4, 2, 5, 1, 6, 7,

2> Preorder traversal - 1, 2, 4, 5, 3, 6, 7

3> Postorder traversal - 4, 5, 2, 6, 7, 3, 1.

Recursion - The process in which a function calls itself directly or indirectly is called as recursion and the corresponding function is called a recursive function.

Properties of recursion -

- performing the same operations multiple times with different inputs.
- In every step, we try smaller inputs to make the problem smaller.



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Algorithm of Height -

- Recursively do a depth first search.
- If the tree is empty then return 0.
- Otherwise do the following.
- Get the max depth of the left subtree
- Recursively i.e. call $\text{max_depth}(\text{tree} \rightarrow \text{left} \rightarrow \text{Subtree})$
- Get the max depth of the right subtree recursively.

$\text{max_depth} = \max(\text{max_depth of left subtree}, \text{max_depth of right subtree}) + 1$

Return max_depth .

Algorithm.

① Algorithm for preorder Traversal

Pre-order (root)

- 1> Follow step 2 to 4 until root $\neq \text{null}$
- 2> write and root \rightarrow data.
- 3> Preorder (root \rightarrow left)
- 4> Pre-order (root \rightarrow right)
- 5> End Loop.

Algorithm for searching an element.

1> Search (root, item)

step 1 - if (item = root \rightarrow data)

- return root

else if (item < root \rightarrow data)



return search (root \rightarrow left, item)

else

return search (root \rightarrow right, item)

End if

Conclusion - This lab assignment gave us brief knowledge Tree data structure.