

# Stacks & Queues

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## Stack → Linear data structure

- follows LIFO, last in first out.
- operations → push : insert into top of stack  
pop : delete from top of stack.

## Applications →

- by compilers to check for parenthesis
- to evaluate postfix expression
- to convert infix to postfix / prefix form.
- to store values during recursion & context during function call.
- to implement DFS of graph

## Queue → Linear data structure

- follows FIFO, first in first out.
- operations → enqueue : insert element at end of queue  
dequeue : delete element at start of queue

## Applications →

- schedule jobs by CPU.
- to carry out FIFO basis like printing jobs.
- to implement BFS of graph

## Types →

- Queue
- Circular Queue
- Doubly ended Queue
- Priority Queue.

# ① Implement a stack using Linkedlist →

code →

```
● ○ ●
1 #include <bits/stdc++.h>
2 using namespace std;
3
4 struct Node{
5     int data;
6     Node* next;
7 };
8
9 Node* top;
10
11 void push(int data){
12     Node* temp = new Node();
13     if (!temp){
14         cout << "\nStack Overflow";
15         exit(1);
16     }
17     // add at the top and change top as new node
18     temp->data = data;
19     temp->next = top;
20     top = temp;
21 }
22
23 int isEmpty(){
24     // if top is null then empty
25     return top == NULL;
26 }
27
28 int peek(){
29     // if stack is not empty then return top node's data
30     if (!isEmpty())
31         return top->data;
32     else
33         exit(1);
34 }
35
36 void pop(){
37     Node* temp;
38     if (top == NULL){
39         cout << "\nStack Underflow" << endl;
40         exit(1);
41     } else {
42         temp = top;
43         top = top->next;
44         free(temp);
45     }
46 }
47
```

## ② Implement a Queue using Linkedlist →

Code →

```
1  class Node {
2      int data;
3      Node* next;
4      Node(int d){
5          data = d;
6          next = NULL;
7      }
8  };
9
10 class Queue {
11     Node *front, *rear;
12
13     Queue(){
14         front = rear = NULL;
15     }
16
17     void enQueue(int x)
18     {
19         Node* temp = new Node(x);
20         // if empty then node is both front and rear
21         if (rear == NULL) {
22             front = rear = temp;
23             return;
24         }
25         // else add at end
26         rear->next = temp;
27         rear = temp;
28     }
29
30     void deQueue()
31     {
32         // if empty then return NULL
33         if (front == NULL)
34             return;
35         // store front node
36         Node* temp = front;
37         front = front->next;
38
39         // if front is NULL => no Nodes, change rear to NULL
40         if (front == NULL)
41             rear = NULL;
42         // free node
43         delete (temp);
44     }
45 }
```

### ③ Implement a Stack using Queue →

If push, push into queue from rear end & pop & push all elements  
If pop, pop from queue from front end.

Code →

```
● ● ●  
1 class Stack {  
2     queue <int> q;  
3  
4     public:  
5  
6         // push operation  
7         void Push(int x) {  
8             int n = q.size();  
9             q.push(x);  
10            for (int i = 0; i < n; i++)  
11            {  
12                int value = q.front();  
13                q.pop();  
14                q.push(value);  
15            }  
16        }  
17  
18        // pop operation  
19        int Pop() {  
20            int value = q.front();  
21            q.pop();  
22            return value;  
23        }  
24  
25        // accessing top value  
26        int Top() {  
27            return q.front();  
28        }  
29  
30        // finding size of stack  
31        int Size() {  
32            return q.size();  
33        }  
34    };  
35
```

#### ④ Implement a Queue using stack →

→ use 2 stacks.

→ while pop(), shift all elements in 1 stack to another.  
→ return top value.

Code →

```
● ● ●  
1 class Queue {  
2     public:  
3         stack <int> in;  
4         stack <int> out;  
5  
6         // push operation  
7         void Push(int x) {  
8             in.push(x);  
9         }  
10  
11         // pop operation  
12         int Pop() {  
13             // shift in to out  
14             if (out.empty()){  
15                 while (in.size()){  
16                     out.push(in.top());  
17                     in.pop();  
18                 }  
19             }  
20             int x = out.top();  
21             out.pop();  
22             return x;  
23         }  
24  
25         // peek operation  
26         int Top() {  
27             if (out.empty()){  
28                 while (in.size()){  
29                     out.push(in.top());  
30                     in.pop();  
31                 }  
32             }  
33             return out.top();  
34         }  
35  
36         int Size() {  
37             return in.size()+out.size();  
38         }  
39     };
```

## ⑤ Valid parenthesis

$s = \{\}$  → T

$s = \{[ ]\}$  → T

$s = "()"$  → T

$s = ")"$  → F

Ex  $s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$  → True.

→ if match found then pop, else push.

stack : [

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : {

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : { [

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : { [ }

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : { [ (

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : { [ ( }

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

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$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : ( ) }

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : ( ) }

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

stack : ( ) }

$s = \{ [ ]( ) \} ( ) [ ] ( [ ] )$

∴ As the stack is empty & string is completely traversed  
the string is valid ∴ return True.

## Code →

```
● ● ●  
1 class Solution {  
2 public:  
3     bool isValid(string s) {  
4         stack<char> st;  
5         for(auto i : s)  
6         {  
7             if (st.empty() || i == '(' || i == '{' || i == '[')  
8             {  
9                 st.push(i);  
10            }  
11            else  
12            {  
13                if ((i == ')' && st.top() != '(') ||  
14                    (i == ']' && st.top() != '[') ||  
15                    (i == '}' && st.top() != '{')){  
16                    return false;  
17                }  
18                st.pop();  
19            }  
20        }  
21        return st.empty();  
22    }  
23};
```

$Tc \rightarrow O(n)$

$Sc \rightarrow O(n)$

## ⑥ Asteroid Collision →

only consider magnitude

+ve sign ⇒ right direction  
-ve sign ⇒ left direction

If  $x \neq y$  collide then  $\min(x, y)$  will be removed  
If  $x = y$  then both will be removed.

Eg  $[5, 10, -5]$     5, 10 will not collide  
10, -5 will collide & -5 will be removed  
  
Result =  $[5, 10]$

Eg  $[10, 6, -8, -8, 8, 9]$

stack		$[10, 6, -8, -8, 8, 9]$
stack		$[10, 6, -8, -8, 8, 9]$
stack		$[10, 6, -8, -8, 8, 9]$ as 6 is +ve push
stack		$[10, 6, -8, -8, 8, 9]$ as 6 & 8 will collide (opp directions), 6 will be removed
stack		$[10, 6, -8, -8, 8, 9]$ as 10 & 8 will collide (opp directions), 8 will be removed
stack		$[10, 6, -8, -8, 8, 9]$ as 10 & 8 will collide (opp directions), 8 will be removed

stack		$[10, 6, -8, -8, 8, 9]$ as 8 is +ve push
stack		$[10, 6, -8, -8, 8, 9]$ as 9 is +ve push

result =  $[10, 8, 9]$

TC  $\rightarrow O(2n) \simeq O(n)$     SC  $\rightarrow O(n)$

worst case

code →



```
1 class Solution {
2 public:
3     vector<int> asteroidCollision(vector<int>& asteroids) {
4
5         vector<int> res;
6
7         for(int i=0; i< asteroids.size(); i++){
8
9             if(res.empty() || asteroids[i]>0)
10                 res.push_back(asteroids[i]);
11             else {
12
13                 while(!res.empty() && res.back()>0 && res.back()<abs(asteroids[i])) {
14                     res.pop_back();
15                 }
16
17                 if(!res.empty() && res.back() + asteroids[i] == 0)
18                     res.pop_back();
19                 else if(res.empty() || res.back()<0)
20                     res.push_back(asteroids[i]);
21                 }
22             }
23         }
24     }
25 }
```

⑦ Next greater element → [2, 4, 1, 3, 1, 6]

Eg [4, 5, 2, 25]

4 → 5    2 → 25  
5 → 25    25 → -1

2 → 4    3 → 6  
4 → 6    1 → 6  
1 → 3    6 → -1

- traverse from last & compare its value with top of stack
- if stack is greater then its the next greater element
- else keep popping till the next greater element is found.

Eg [11, 13, 3, 10, 7, 21, 26]



Stack = [ ]	[11, 13, 3, 10, 7, 21, 26]
Stack = [26 ]	[11, 13, 3, 10, 7, 21, 26]    26 → -1
Stack = [26, 21 ]	[11, 13, 3, 10, 7, 21, 26]    21 → 26
Stack = [26, 21, 7 ]	[11, 13, 3, 10, 7, 21, 26]    7 → 21
Stack = [26, 21, 7, 10 ]	[11, 13, 3, 10, 7, 21, 26]    pop 7, push 10 10 → 21
Stack = [26, 21, 10 ]	[11, 13, 3, 10, 7, 21, 26]    3 → 10
Stack = [26, 21, 10, 3, 13 ]	[11, 13, 3, 10, 7, 21, 26]    pop 3, 10 push 13 13 → 21
Stack = [26, 21, 13 ]	[11, 13, 3, 10, 7, 21, 26]    11 → 13

$$\text{res} = [13, 21, 10, 21, 21, 26, -1]$$

Code →

```
1  class Solution
2  {
3      public:
4          //Function to find the next greater element for each element of the array.
5          vector<long long> nextLargerElement(vector<long long> arr, int n){
6
7              stack<long long> st;
8              vector<long long> res(n);
9
10             for(int i=n-1; i>=0 ; i--){
11                 long long currVal = arr[i];
12
13                 while(!st.empty() && st.top()<=currVal)
14                     st.pop();
15
16                 res[i] = st.empty()?-1:st.top();
17                 st.push(currVal);
18             }
19             return res;
20         }
21     };
22 }
```

$$Tc \rightarrow O(n)$$

$$Sc \rightarrow O(n)$$

8

## Next Smaller element →

→ entire approach is similar to next greater element except for comparison.

Code →

$T_C \rightarrow O(n)$

$S_C \rightarrow O(n)$



```
1  vector<int> nextSmallerElement(vector<int> &arr, int n)
2  {
3      stack<int> st;
4      vector<int> res(n);
5      for(int i=n-1; i>=0 ; i--){
6
7          long long currVal = arr[i];
8
9          while(!st.empty() && st.top()>=currVal)
10             st.pop();
11
12          res[i] = st.empty()?-1:st.top();
13          st.push(currVal);
14      }
15      return res;
16 }
```

⑨ Stock Span Problem → given price quotes of stock for  $n$  days.  
we need to find span of stock on any particular day.

max no. of consecutive days for which price  $\leq$  curr day's price

Eg  $[100, 80, 60, 70, 60, 75, 85]$

Stack = [stores indexes]

Span = 

0	0	0	0	0	0	0
0	1	2	3	4	5	6

$0 \ 1 \ 2 \ 3 \ 4 \ 5 \ 6$  → push index into stack after processing →

$[100, 80, 60, 70, 60, 75, 85]$  span of 1<sup>st</sup> element = 1

$[100, 80, 60, 70, 60, 75, 85]$   $80 > 100 \Rightarrow \text{false}$   
 $\therefore \text{span} = 1 - 0 = 1$

$[100, 80, 60, 70, 60, 75, 85]$   $60 > 100 \Rightarrow \text{false}$   
 $\therefore \text{span} = 2 - 1 = 1$

$[100, 80, 60, 70, 60, 75, 85]$   $70 > 60 \Rightarrow \text{true} \therefore \text{pop}$   
 $70 > 80 \Rightarrow \text{false}$   
 $\therefore \text{span} = 3 - 1 = 2$

$[100, 80, 60, 70, 60, 75, 85]$   $60 > 70 \Rightarrow \text{false}$   
 $\therefore \text{span} = 4 - 3 = 1$

$[100, 80, 60, 70, 60, 75, 85]$   $75 > 60 \Rightarrow \text{true} \therefore \text{pop}$   
 $75 > 70 \Rightarrow \text{true} \therefore \text{pop}$   
 $75 > 80 \Rightarrow \text{false}$   
 $\therefore \text{span} = 5 - 1 = 4$

$[100, 80, 60, 70, 60, 75, 85]$   $85 > 75 \Rightarrow \text{true} \therefore \text{pop}$   
 $85 > 80 \Rightarrow \text{true} \therefore \text{pop}$   
 $85 > 100 \Rightarrow \text{false}$   
 $\therefore \text{span} = 6 - 0 = 6$

if currentElement > stack.top  
pop stack

else:  
 $\text{span} = \text{currentIndex} - \text{stack.top}$

stack span  

0
---

0   0   0   0   0   0   0
---------------------------

0, 1
------

1   0   0   0   0   0   0
---------------------------

0, 1, 2
---------

1   1   0   0   0   0   0
---------------------------

0, 1, 3
---------

1   1   1   0   0   0   0
---------------------------

0, 1, 3, 4
------------

1   1   1   2   0   0   0
---------------------------

0, 1, 5
---------

1   1   1   2   1   0   0
---------------------------

span = 

1   1   1   2   1   4   6
0   1   2   3   4   5   6

Code →

$Tc \rightarrow O(n)$   
 $Sc \rightarrow O(n)$

```
1 class Solution
2 {
3     public:
4         //Function to calculate the span of stocks price for all n days.
5         vector <int> calculateSpan(int price[], int n)
6     {
7         vector<int> span(n);
8         stack<int> st;
9
10        st.push(0);
11        span[0] = 1;
12
13        for(int i=1; i<n; i++){
14
15            int currPrice = price[i];
16
17            while(!st.empty() && currPrice >= price[st.top()])
18                st.pop();
19
20            if(st.empty()){
21                span[i] = i+1;
22            } else {
23                span[i] = i-st.top();
24            }
25
26            st.push(i);
27        }
28        return span;
29    }
30 };
31
```

## (10) Celebrity Problem →

A Celebrity is a person, who is known to everyone & knows none.

Given a square matrix  $M$  & if  $i^{th}$  person knows  $j^{th}$  person  
then  $M[i][j] = 1$ , else  $0$ .

Eg →

$$M = \begin{bmatrix} 0 & 1 & 2 \\ 0 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix}, \quad n = 3.$$

- ① create stack & push values from 0 to  $n-1$ .
- ② do the following till stack more than has 1 value.
  - pop 1st element & set it to A
  - pop again & set it to B
  - if A knows B then push B else A.

stack                            stack  
 $\rightarrow [ ] \Rightarrow [0, 1, 2]$

stack                            true                            stack  
 $\Rightarrow [0, \cancel{1}, \cancel{2}] \quad A = 2 \quad \& \quad M[2][\cancel{1}] = 1 \quad \therefore \text{push } 1 \Rightarrow [0, 1]$

stack                            false                            stack  
 $[0, \cancel{1}] \quad A = 1 \quad \& \quad M[1][0] = 1 \quad \therefore \text{push } 1 \Rightarrow [1]$

$\because$  as stack has only 1 element, STOP.

- Now pop the stack & consider it as celebrity & check for
  - anyone doesn't know celeb ( $\neg M[i][\text{celeb}]$ ) } return -1.
  - if celeb knows anyone ( $M[\text{celeb}][i]$ ) }

$\therefore$  from  $i=0$  to  $2$  & celeb = 1

$$\left. \begin{array}{l} i=0 \quad (\neg M[0][1] \text{ or } M[1][0]) = 0 \\ i=1 \quad \text{skip as celeb is } i \\ i=2 \quad (\neg M[2][1] \text{ or } M[1][2]) = 0 \end{array} \right\}$$

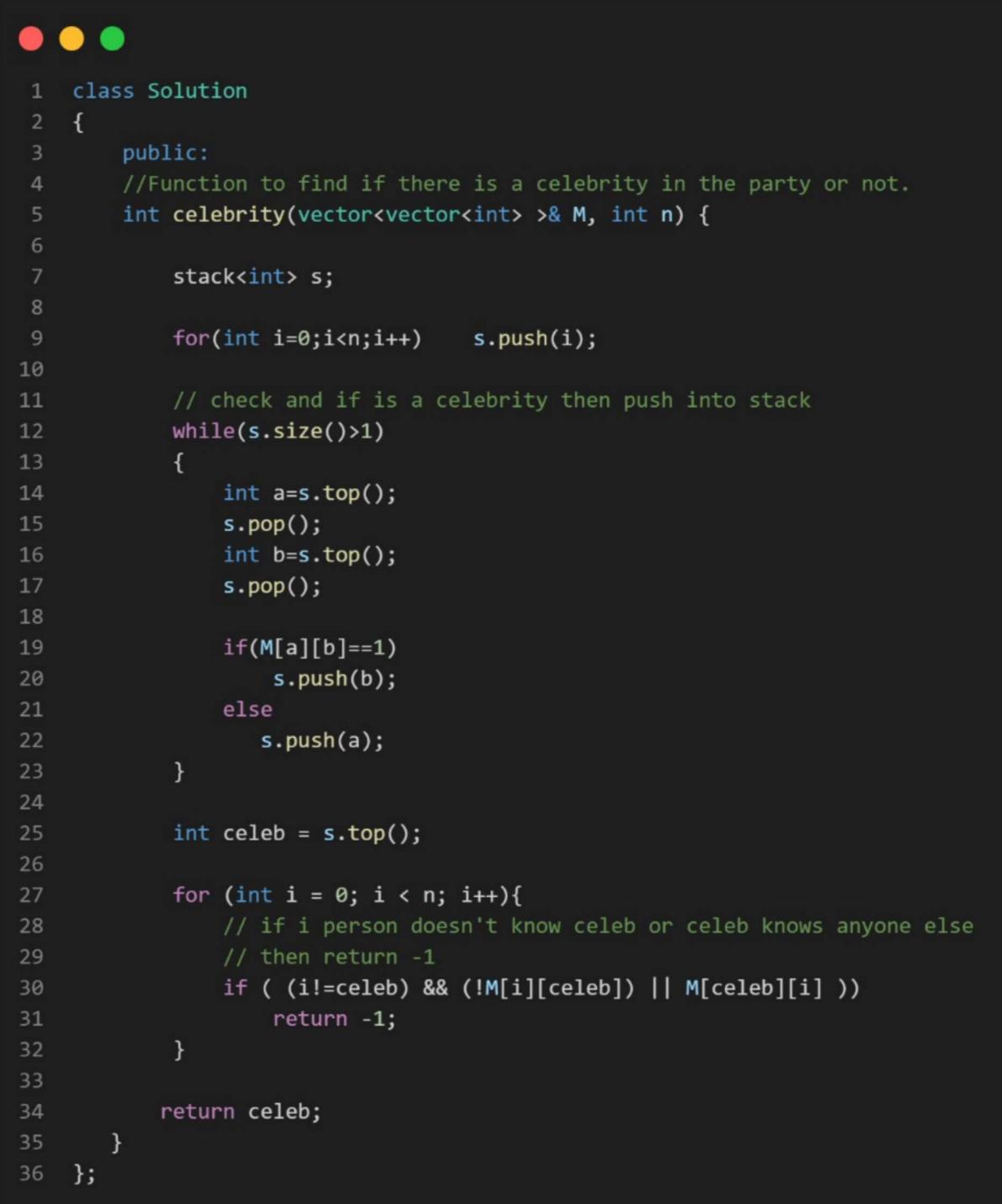
all are failed i.e no violation of conditions.

$\therefore$  return celeb i.e 1

Code →

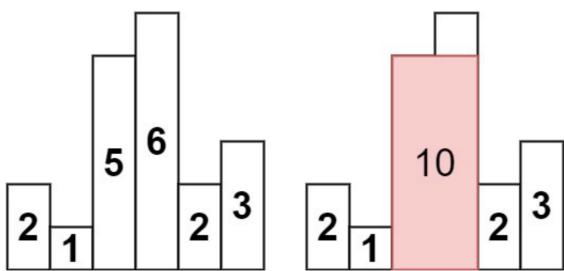
$TC = O(n)$

$SC = O(n)$



```
1 class Solution
2 {
3     public:
4         //Function to find if there is a celebrity in the party or not.
5         int celebrity(vector<vector<int> & M, int n) {
6
7             stack<int> s;
8
9             for(int i=0;i<n;i++)    s.push(i);
10
11            // check and if is a celebrity then push into stack
12            while(s.size()>1)
13            {
14                int a=s.top();
15                s.pop();
16                int b=s.top();
17                s.pop();
18
19                if(M[a][b]==1)
20                    s.push(b);
21                else
22                    s.push(a);
23            }
24
25            int celeb = s.top();
26
27            for (int i = 0; i < n; i++){
28                // if i person doesn't know celeb or celeb knows anyone else
29                // then return -1
30                if ( (i!=celeb) && (!M[i][celeb]) || M[celeb][i] )
31                    return -1;
32            }
33
34            return celeb;
35        }
36    };
```

## 11) Largest Rectangle in Histogram →



→ given an array of heights, return area of largest rectangle  
Ans = 10.

0 1 2 3 4 5      Stack.

$\text{arr} = [2, 1, 5, 6, 2, 3]$     [ ]     $\text{area} = 0$      $\text{maxArea} = 0$

$i=0$      $[2, 1, 5, 6, 2, 3]$     [0]     $\text{area} = 0$      $\text{maxArea} = 0$

$\rightarrow$   $i=1$      $[2, 1, 5, 6, 2, 3]$     [0]     $\text{area} = 0$      $\text{maxArea} = 0$

now  $\text{arr}[\text{st.top}()] > \text{currentElement}$  ⇒  $ht = \text{arr}[\text{st.top}()]$  &  $\text{st.pop}()$  ↑  
as stack is empty now, width =  $i - \text{st.top}() - 1$

$\therefore ht = 2$  & width = 1 ∴ area = 2 & maxArea = φ 2.

$\rightarrow$   $i=2$      $[2, 1, 5, 6, 2, 3]$     [1]     $\text{area} = 0$      $\text{maxArea} = 2$

now  $\text{arr}[\text{st.top}()] > \text{currentElement}$  ⇒ false ∴ push(i) 2

$\rightarrow$   $i=3$      $[2, 1, 5, 6, 2, 3]$     [1, 2]     $\text{area} = 0$      $\text{maxArea} = 2$

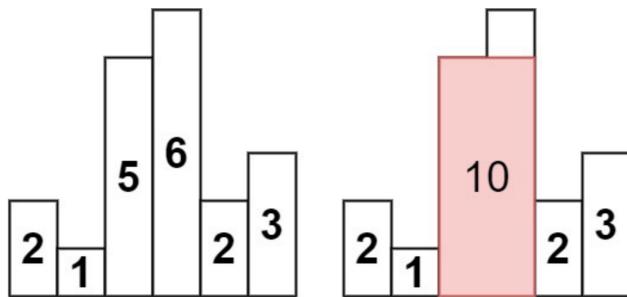
now  $\text{arr}[\text{st.top}()] > \text{currentElement}$  ⇒ false ∴ push(i) 3

$\rightarrow$   $i=4$      $[2, 1, 5, 6, 2, 3]$     [1, 2, 3]     $\text{area} = 0$      $\text{maxArea} = 2$

now  $\text{arr}[\text{st.top}()] > \text{currentElement}$  ⇒  $ht = \text{arr}[\text{st.top}()]$  &  $\text{st.pop}()$  ↑

width =  $i - \text{st.top}() - 1 = 1$  ∴ area =  $6 * 1 = 6$     maxArea = 6.

& push(i) 4



$\rightarrow \begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 \\ [2, 1, 5, 6, 2, 3] & [1, 2] & \end{matrix} \quad \text{area} = 10 \quad \text{maxArea} = 10$

$i=4$  now  $\text{arr}[\text{st.top}()] > \text{currElement} \Rightarrow \text{ht} = \text{arr}[\text{st.top}()] \& \text{st.pop}()$

$\text{width} = i - \text{st.top}() - 1 = 2 \quad \therefore \text{area} = 5 * 2 = 10 \quad \text{maxArea} = \cancel{10}$

$\& \text{push}(i)$

$\rightarrow \begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 \\ [2, 1, 5, 6, 2, 3] & [1, 4] & \end{matrix} \quad \text{area} = 0 \quad \text{maxArea} = 10$

$i=5$  now  $\text{arr}[\text{st.top}()] > \text{currElement} \Rightarrow \text{false} \therefore \text{push}(i)$

$\Rightarrow$  Last iteration to pop stack.  $\Rightarrow i=6$

$\rightarrow \begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 \\ [2, 1, 5, 6, 2, 3] & [1, 4, 5] & \end{matrix} \quad \text{area} = 3 \quad \text{maxArea} = 10$

$\text{ht} = \text{arr}[\text{st.top}()] \& \text{pop}() \& \text{as stack is not empty}$

$\text{width} = i - \text{st.top}() - 1 = 1 \quad \therefore \text{area} = 3 * 1 = 3 \quad \text{maxArea} = 10$

$\rightarrow \begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 \\ [2, 1, 5, 6, 2, 3] & [1, 4] & \end{matrix} \quad \text{area} = 3 \quad \text{maxArea} = 10$

$\text{ht} = \text{arr}[\text{st.top}()] \& \text{pop}() \& \text{as stack is not empty}$

$\text{width} = i - \text{st.top}() - 1 = 4 \quad \therefore \text{area} = 2 * 4 = 8 \quad \text{maxArea} = 10$

$0 \ 1 \ 2 \ 3 \ 4 \ 5$   
 $\rightarrow [2, 1, 5, 6, 2, 3] \quad [1, \quad ] \quad \text{area} = 6 \quad \text{maxArea} = 10$   
 $ht = \text{arr}[st.top()]$  &  $pop()$  & as stack is empty  
 $width = i = 6 \Rightarrow \therefore \text{area} = 1 * 6 = 6 \quad \text{maxArea} = 10$   
 $\therefore$  as stack is empty return  $\text{maxArea} = \underline{\underline{10}}$ .

Code →

$Tc \rightarrow O(n)$

$Sc \rightarrow O(n)$

```

1 class Solution {
2 public:
3     int largestRectangleArea(vector<int>& heights) {
4         stack < int > st;
5         int maxArea = 0;
6         int n = heights.size();
7
8         for (int i = 0; i <= n; i++) {
9
10            while (!st.empty() && (i == n || heights[st.top()] >= heights[i])) {
11
12                int height = heights[st.top()];
13                st.pop();
14                int width;
15                if (st.empty()){
16                    width = i;
17                } else {
18                    width = i - st.top() - 1;
19                }
20
21                int area = width*height;
22                maxArea = max(maxArea, area);
23            }
24            st.push(i);
25        }
26        return maxArea;
27    }
28 };
29
30

```

## 12 Sliding Window Maximum →

- process first ' $k$ ' elements before pushing into result arr.
- if  $dq.front() == i - k$  then pop-front (out of boundary case)
- if  $nums[dq.back()] < nums[i]$  then pop-back  
(meaningless to store smaller elements in window)
- if  $i \geq k - 1$  then push  $nums[dq.front()]$

Eg  $nums = [1, 3, -1, -3, 5, 3, 6, 7]$   $k=3$   $res = [3, 3, 5, 5, 6, 7]$

$\Rightarrow$	nums	deque	res
	$[1, 3, -1, -3, 5, 3, 6, 7]$ 0 1 2 3 4 5 6 7	_____	[ ]
$i=0$	$[1, 3, -1, -3, 5, 3, 6, 7]$ 0 1 2 3 4 5 6 7	0	[ ]
$i=1$	$[1, 3, -1, -3, 5, 3, 6, 7]$ 0 1 2 3 4 5 6 7	0	[ ]
	$\rightarrow dq.front == i - k \rightarrow \text{false}$ $nums[0] < nums[1]$ $\therefore \text{pop back \& push } i$	0 1	
$i=2$	$[1, 3, -1, -3, 5, 3, 6, 7]$ 0 1 2 3 4 5 6 7	1, 2	[3 ]
	$\rightarrow dq.front == i - k \rightarrow \text{false}$ $nums[1] < nums[2]$ $\therefore \text{false \& push } i$	1, 2	[3 ]

$i=3$  [1, 3, -1, -3, 5, 3, 6, 7]

$\rightarrow dq.front == i-k \rightarrow \text{false}$

$\text{numu}[2] < \text{numu}[i]$

$\therefore \text{false} \ \& \ \text{push } i$

1, 2, 3

[3, 3]

↑  
↓  
3

$\rightarrow \omega \ i >= k-1$

push  $\text{numu}[dq.front()]$  ie 3  
into res

$i=4$  [1, 3, -1, -3, 5, 3, 6, 7]

$\rightarrow dq.front == i-k \quad \text{true} \quad \therefore \text{pop front}$

$\text{numu}[3] < \text{numu}[i] \quad \therefore \text{pop back}$

$\text{numu}[2] < \text{numu}[i] \quad \therefore \text{pop back}$

$\& \ \text{push}(i)$

order & pop  
1, 2, 3, 4

[3, 3, 5]

↑  
↓  
3

$\rightarrow \omega \ i >= k-1$

push  $\text{numu}[dq.front()]$  ie 5  
into res

$i=5$  [1, 3, -1, -3, 5, 3, 6, 7]

$\rightarrow dq.front == i-k \rightarrow \text{false}$

$\text{numu}[4] < \text{numu}[i]$

$\therefore \text{false} \ \& \ \text{push}(i)$

order & pop  
4, 5

[3, 3, 5, 5]

↑  
↓  
5

$\rightarrow \omega \ i >= k-1$

push  $\text{numu}[dq.front()]$  ie 5  
into res

$i=6$  [1, 3, -1, -3, 5, 3, 6, 7]

$\rightarrow dq.front == i-k \rightarrow \text{false}$

$\text{numu}[5] < \text{numu}[i] \quad \therefore \text{pop back}$

$\text{numu}[4] < \text{numu}[i] \quad \therefore \text{pop back}$

$\& \ \text{push}$

order & pop  
4, 5, 6

[3, 3, 5, 5, 6]

↑  
↓  
6

$\rightarrow \omega \ i >= k-1$

push  $\text{numu}[dq.front()]$  ie 6  
into res

$i=7$  [1, 3, -1, -3, 5, 3, 6, 7]

order & pop  
① 6, 7

[3, 3, 5, 5, 6, 7]

$\rightarrow dq.front == i-k \rightarrow \text{false}$

$\rightarrow \omega i >= k-1$

6 7  
num[6] < num[i]  $\therefore$  pop-back

push num[dq.front()] in 7  
into res

q.push(i)

code →

$Tc \rightarrow O(N)$

$Sc \rightarrow O(K)$

```
1 class Solution {
2 public:
3     vector<int> maxSlidingWindow(vector<int>& nums, int k) {
4         deque <int> dq;
5         vector <int> ans;
6         for (int i = 0; i < nums.size(); i++) {
7
8             if (!dq.empty() && dq.front() == i - k)
9                 dq.pop_front();
10
11            while (!dq.empty() && nums[dq.back()] < nums[i])
12                dq.pop_back();
13
14            dq.push_back(i);
15
16            if (i >= k - 1)
17                ans.push_back(nums[dq.front()]);
18        }
19        return ans;
20    }
21};
```

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