PROFIT & LOSS

FACTS TO REMEMBER: PROFIT & LOSS

- 1. COST PRICE (C.P.): The price at which the article is purchased
- 2. SELLING PRICE (S.P.): The price at which article is sold
- 3. PROFIT / GAIN : When (S.P. > C.P.), we get profit . [Profit = S.P. C.P.]
- 4. LOSS: When (S.P. < C.P), we get loss. [Loss = C.P. S.P.]
- 5. Profit or Loss is always reckoned on C.P.

6. Profit % =
$$\frac{(Profit \times 100)}{C.P.}$$
 Loss % =
$$\frac{(Loss \times 100)}{C.P.}$$

$$\frac{S.P.}{C.P.} = \frac{(100 + Profit Percent)}{100}$$

$$\frac{S.P.}{C.P.} = \frac{(100 - Loss Percent)}{100}$$

- 8. If cost price of 'x' articles is equal to selling price of 'y' articles, then profit percentage is $\frac{(x-y)}{v} \times 100$
- 9. When two similar articles are sold, one at x% profit & other at x% loss, then the seller always incurs LOSS given by : Loss % = $\frac{x^2}{100}$
- 10. If a dealer / trader professes to sell his goods at cost price, but uses false weights,

then Gain % =
$$\frac{Error}{(True \, value - error)} \times 100$$
OR
$$(True \, weight - False \, weight)$$

Gain % =
$$\frac{(True\ weight - False\ weight)}{(False\ weight)} \times 100$$

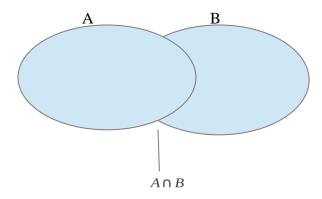
11. If a tradesman marks his goods at x% above his cost price and allows purchasers a discount

of y% for cash, then there is $(x-y-\frac{xy}{100})$ % profit or loss according to +ve or -ve sign respectively.

VENN DIAGRAM

FACTS TO REMEMBER: SET THEORY – VENN DIAGRAM

The pictorial representation of Sets are called the Venn Diagrams



- 1. A B : Set having those elements of A which are not in B, i.e. The Set A exclusively
- 2. B A : Set having those elements of B which are not in A, i.e. The Set B exclusively
- **3.** $A \cap B$: Set having the common elements of A & B
- **4.** $A \cup B$: Set having all the elements of set A & B
- 5. n (A): Represents the no. Of elements in set A
- $6. \quad n(A \cup B) = n(B \cup A)$
- 7. $n(A \cap B) = n(B \cap A)$
- 8. $n(A-B)\neq n(B-A)$
- 9. $n(A)=n(A-B)+n(A\cap B)$
- 10. $n(B)=n(B-A)+n(A\cap B)$
- 11. $n(A \cup B) = n(A) + n(B) n(A \cap B)$ it is derived using the basic that $n(A \cup B) = n(A B) + n(B A) + n(A \cap B)$