

1. Implement Tic-Tac-Toe Game

Code:

```
#Implementing tic-tac toe game
import math

# Board is represented as a list of 9 elements, initially empty
board = [' ' for _ in range(9)]

# Function to print the board
def print_board(board):
    for row in [board[i * 3:(i + 1) * 3] for i in range(3)]:
        print(' | ' + ' | '.join(row) + ' | ')

# Function to check if there is a winner
def winner(board, player):
    win_conditions = [(0, 1, 2), (3, 4, 5), (6, 7, 8), (0, 3, 6), (1, 4, 7), (2, 5, 8), (0, 4, 8), (2, 4, 6)]
    for condition in win_conditions:
        if all([board[i] == player for i in condition]):
            return True
    return False

# Function to check if the board is full
def is_board_full(board):
    return ' ' not in board

# Function to make a move
def make_move(board, move, player):
    board[move] = player

# Minimax function to find the best move
def minimax(board, depth, is_maximizing):
    if winner(board, 'O'): # AI wins
        return 1
    if winner(board, 'X'): # Player wins
        return -1
    if is_board_full(board): # Draw
        return 0
    if is_maximizing:
        best_score = -math.inf
        for i in range(9):
            if board[i] == ' ':
                board[i] = 'O'
                score = minimax(board, depth + 1, False)
                board[i] = ' '
                best_score = max(score, best_score)
        return best_score
    else:
        best_score = math.inf
        for i in range(9):
            if board[i] == ' ':
                board[i] = 'X'
                score = minimax(board, depth + 1, True)
                board[i] = ' '
                best_score = min(score, best_score)
        return best_score
```

```

# Function to find the best move for the AI
def find_best_move(board):
    best_move = None
    best_score = -math.inf
    for i in range(9):
        if board[i] == ' ':
            board[i] = 'O'
            score = minimax(board, 0, False)
            board[i] = ' '
            if score > best_score:
                best_score = score
                best_move = i
    return best_move

# Main game loop
def play_game():
    while True:
        print_board(board)
        # Player's move
        move = int(input("Enter your move (0-8): "))
        if board[move] != ' ':
            print("Invalid move. Try again.")
            continue
        make_move(board, move, 'X')

        if winner(board, 'X'):
            print_board(board)
            print("Player wins!")
            break
        if is_board_full(board):
            print_board(board)
            print("It's a draw!")
            break
        # AI's move
        print("AI is making a move...")
        ai_move = find_best_move(board)
        make_move(board, ai_move, 'O')

        if winner(board, 'O'):
            print_board(board)
            print("AI wins!")
            break
        if is_board_full(board):
            print_board(board)
            print("It's a draw!")
            break
    play_game()

```

Output:

```

| | | |
| | | |
| | | |

```

Enter your move (0-8): 1

AI is making a move...

```

| O | X | |
| | | |

```

| | |

Enter your move (0-8): 4

AI is making a move...

| O | X | |

| | X | |

| | O | |

Enter your move (0-8): 2

AI is making a move...

| O | X | X |

| | X | |

| O | O | |

Enter your move (0-8): 5

AI is making a move...

| O | X | X |

| O | X | X |

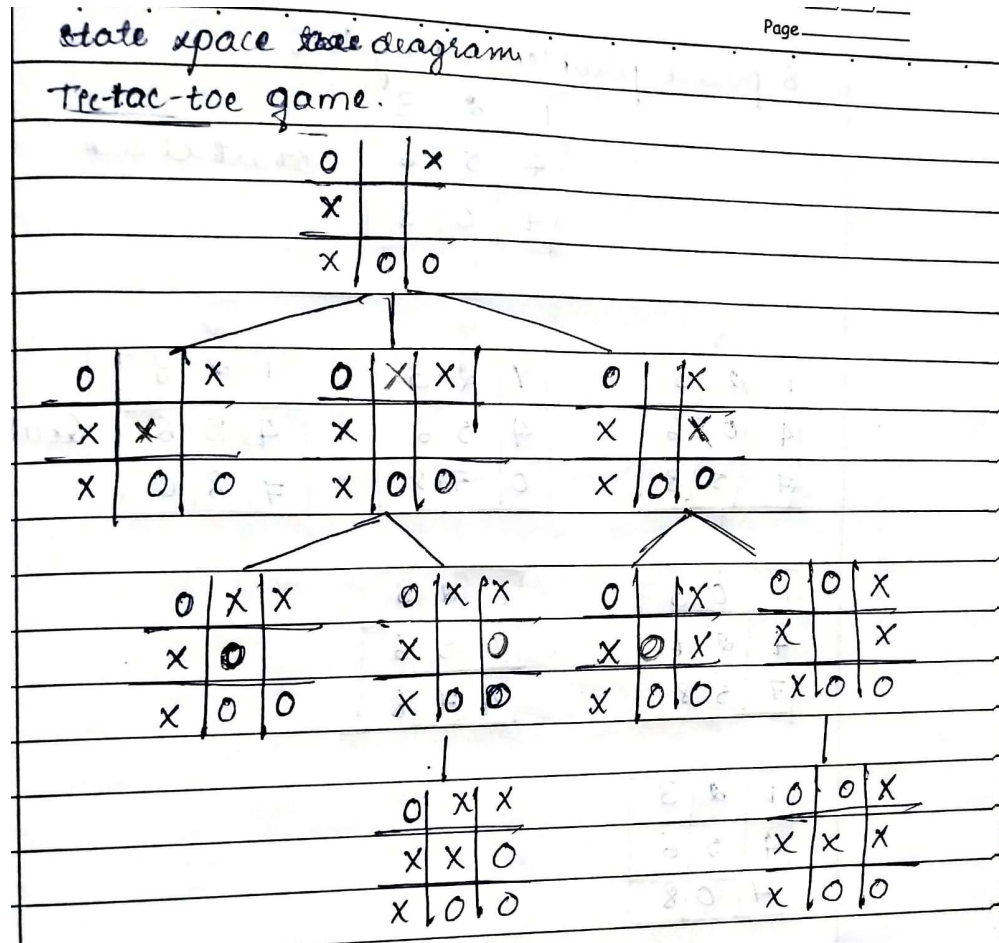
| O | O | |

AI wins!

Pseudo Code:

1. Implementing tic-tac-toe game.
Algorithm:
 1. Initialize the 3X3 board using list in which all cells are empty initially.
 2. Take the input from the user to choose the position.
 3. If the position is non-empty return invalid input.
 4. Else
 - 5) Write a function to display board to and current state of the board.
 - 4) Write a function to check for win, check all row, column and diagonal wins.
 - 5) Write a function to check for draw.
 - 6) Define a function to accept the ~~human~~ input for human player's move. If the cell is empty, then add 'X' to the cell.
 - 7) The main game function, display the current board get human player's move, check for win or draw, else get bot's move, check for win or draw.
 - 8) For AI move, define a function to find the best move so that AI wins, check finding a better move by keeping 'O' in every empty cells.

State Space Diagram:



2. Solve 8-Puzzle Problem (DFS)

Code:

```
from collections import deque
import time

goal_state = [[1, 2, 3],
               [4, 5, 6],
               [7, 8, 0]]

def find_zero(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return (i, j)

def move(state, direction):
    new_state = [row[:] for row in state]
    zero_pos = find_zero(state)
    i, j = zero_pos

    if direction == "up" and i > 0:
        new_state[i][j], new_state[i-1][j] = new_state[i-1][j], new_state[i][j]
    elif direction == "down" and i < 2:
        new_state[i][j], new_state[i+1][j] = new_state[i+1][j], new_state[i][j]
    elif direction == "left" and j > 0:
        new_state[i][j], new_state[i][j-1] = new_state[i][j-1], new_state[i][j]
    elif direction == "right" and j < 2:
        new_state[i][j], new_state[i][j+1] = new_state[i][j+1], new_state[i][j]
    else:
        return None

    return new_state

def is_goal(state):
    return state == goal_state

def print_state(state):
    for row in state:
        print(row)
    print("\n")

def dfs(initial_state):
    stack = [(initial_state, [])]
    visited = set()

    while stack:
        state, path = stack.pop()
        print("Exploring state in DFS:")
        print_state(state)

        if is_goal(state):
```

```

        return path

    visited.add(str(state))
    for direction in ["up", "down", "left", "right"]:
        new_state = move(state, direction)
        if new_state and str(new_state) not in visited:
            stack.append((new_state, path + [direction]))

    return None

# Example initial state (you can modify this)
initial_state = [[1, 2, 3],
                 [4, 5, 6],
                 [7, 0, 8]]

print("Initial State:")
print_state(initial_state)

start_time_dfs = time.time()
print("Solving using DFS:")
dfs_solution = dfs(initial_state)
end_time_dfs = time.time()
if dfs_solution:
    print("DFS Solution:", dfs_solution)
else:
    print("No solution found with DFS.")
print(f"Time taken by DFS: {end_time_dfs- start_time_dfs:.6f} seconds")

```

Output:

Initial State:

```

[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

```

Solving using DFS:

Exploring state in DFS:

```

[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

```

Exploring state in DFS:

```

[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

```

DFS Solution: ['right']

Time taken by DFS: 0.000517 seconds

Pseudo Code:

```
Solving 8 puzzle problems:
Pseudocode:
Class node:
    Function init (state, parent=None, action=None,
    path-cost=0):
        SET self.state = state
        SET self.parent = parent
        SET self.action = action
        SET self.path-cost = path-cost
    Function expand():
        CREATE children
        SET row, col = find-blank()
        CREATE possible-actions
        IF row > 0 THEN ADD 'Up' to possible-actions
        IF row < 2 THEN ADD 'Down' to possible-actions
        IF col > 0 THEN ADD 'Left' to possible-actions
        FOR action IN possible-actions:
            CREATE new-state as a copy of self.state
```

```

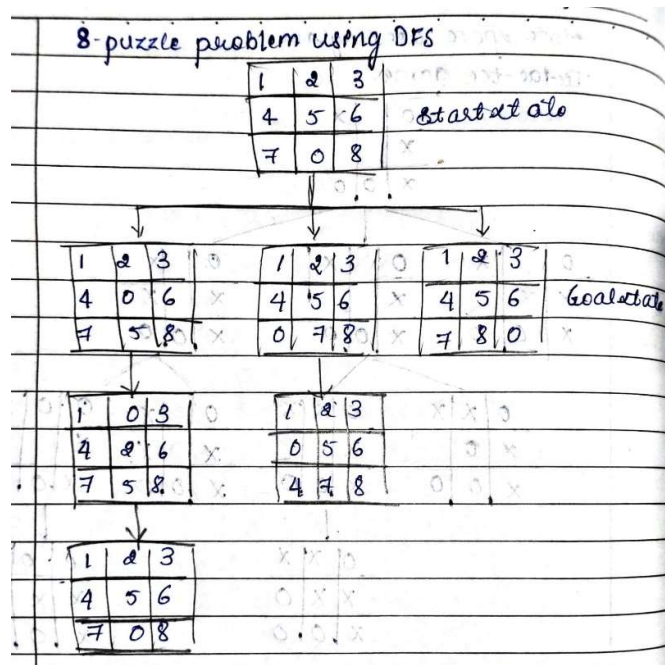
        IF action == 'Up' THEN SWAP new-state[row]
        [col] with new-state[row-1][col]
        ELSE IF action == 'Down' THEN SWAP
        new-state[row][col] with new-state[row+1]
        [col]
        ELSE IF action == 'Left' THEN SWAP new-state
        [row][col] with new-state[row][col-1]
        ELSE IF action == 'Right' THEN SWAP new-
        state[row][col] with new-state[row][col+1]
        APPEND newnode(new-state, self.action,
        self.path-cost+1) to children.
        RETURN children
    FUNCTION find-blank():
        FOR row FROM 0 to 2:
            FOR col FROM 0 to 2:
                IF self.state[row][col] == 0 THEN
                    RETURN row, col
    FUNCTION depth-first-search(initial-state,
    goal-state):
        SET frontier = [node(initial-state)]
        SET explored = empty-set
        WHILE frontier is not empty:
            SET node = frontier.pop()
            IF node.state == goal-state
                THEN RETURN node
            ADD tuple of node, state to explored
            FOR child IN node.expand():
                IF tuple of child.state NOT IN explored
                THEN APPEND child to frontier
            RETURN none
    FUNCTION print-solution(node):
        CREATE path
        WHILE node is not None:
```

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```

APPEND (node.action, node.state) to path
SET node = node.parent
REVERSE path
FOR (action, state) IN path:
    IF action is not none THEN
        PRINT "Action:", action
        PRINT state
        PRINT ""
SET initial_state = [[1, 2, 3], [0, 4, 6], [7, 5, 8]]
SET goal_state = [[1, 2, 3], [4, 5, 6], [7, 8, 0]]
SET solution = depth_first_search(initial_state,
    goal_state)
IF solution is not none THEN PRINT "Solution
found:"
CALL print_solution(solution)
ELSE
    PRINT "Solution not found"
  
```

State Space Diagram:



3. Implementing Iterative Deepening Search Algorithm.

Code:

```
from collections import deque
import time

goal_state = [[1, 2, 3],
               [4, 5, 6],
               [7, 8, 0]]

def find_zero(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return (i, j)

def move(state, direction):
    new_state = [row[:] for row in state]
    zero_pos = find_zero(state)
    i, j = zero_pos

    if direction == "up" and i > 0:
        new_state[i][j], new_state[i-1][j] = new_state[i-1][j], new_state[i][j]
    elif direction == "down" and i < 2:
        new_state[i][j], new_state[i+1][j] = new_state[i+1][j], new_state[i][j]
    elif direction == "left" and j > 0:
        new_state[i][j], new_state[i][j-1] = new_state[i][j-1], new_state[i][j]
    elif direction == "right" and j < 2:
        new_state[i][j], new_state[i][j+1] = new_state[i][j+1], new_state[i][j]
    else:
        return None

    return new_state

def is_goal(state):
    return state == goal_state

def print_state(state):
    for row in state:
        print(row)
    print("\n")

def iterative_deepening_dfs(initial_state):
    def depth_limited_dfs(state, path, depth_limit):
        print("Exploring state in DLS:")
        print_state(state)

        if is_goal(state):
            return path

        if depth_limit == 0:
            return None
```

```

    for direction in ["up", "down", "left", "right"]:
        new_state = move(state, direction)
        if new_state and str(new_state) not in visited:
            visited.add(str(new_state))
            result = depth_limited_dfs(new_state, path + [direction], depth_limit- 1)
            if result is not None:
                return result
    return None

depth_limit = 0
while True:
    visited = set()
    result = depth_limited_dfs(initial_state, [], depth_limit)
    if result is not None:
        return result
    depth_limit += 1
    if depth_limit > 20: # Adjust the limit based on your puzzle complexity
        return None

# Example initial state (you can modify this)
initial_state = [[1, 2, 3],
                 [4, 5, 6],
                 [7, 0, 8]]

print("Initial State:")
print_state(initial_state)

start_time_iddfs = time.time()
print("Solving using Iterative Deepening DFS:")
iddfs_solution = iterative_deepening_dfs(initial_state)
end_time_iddfs = time.time()

if iddfs_solution:
    print("IDDFS Solution:", iddfs_solution)
else:
    print("No solution found with IDDFS.")
print(f"Time taken by IDDFS: {end_time_iddfs- start_time_iddfs:.6f} seconds")

```

Output:

```

Initial State:
[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

```

```

Solving using Iterative Deepening DFS:
Exploring state in DLS:
[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

```

Exploring state in DLS:

[1, 2, 3]

[4, 5, 6]

[7, 0, 8]

Exploring state in DLS:

[1, 2, 3]

[4, 0, 6]

[7, 5, 8]

Pseudo Code:

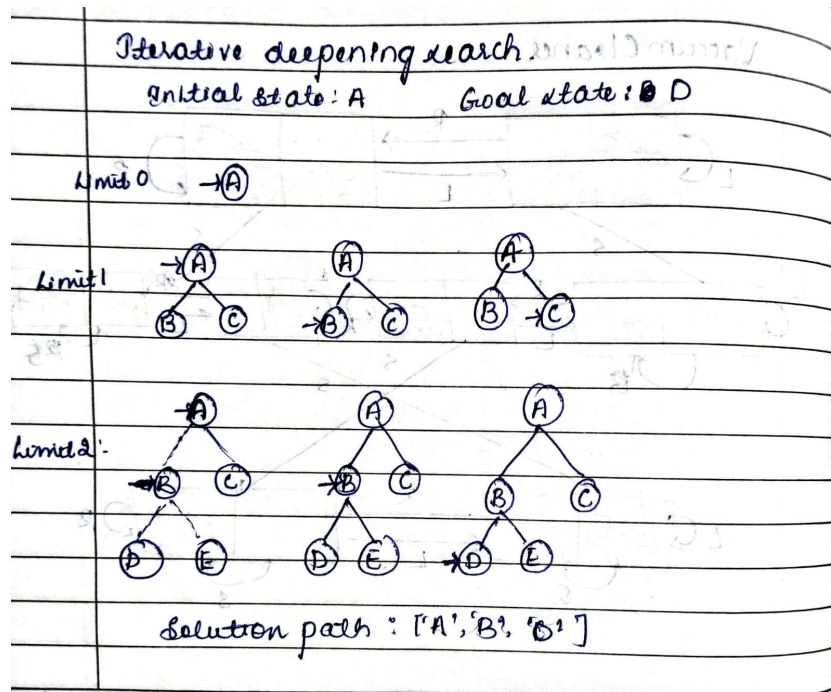
```
a) Implementing Iterative Deepening Search.
Pseudocode:
FUNCTION iterative-deepening-search(initial-state,
goal-state, depth):
    FOR depth FROM 0 TO max-depth:
        SET result = depth-limited-search(initial-state,
goal-state, depth)
        IF result is not none THEN
            RETURN result
    RETURN none

FUNCTION depth-limited-search(node, goal-state,
limit):
    IF node.state == goal-state THEN RETURN node
    IF node.depth >= limit THEN RETURN none
    FOR each child IN expand(node):
```

```
        SET result = depth-limited-search(child, goal-state,
limit)
        IF result is not None THEN RETURN result
    RETURN none

SET initial-state
SET goal-state
SET max-depth
SET solution = iterative-deepening-search(initial-state,
goal-state, max-depth)
IF solution is not none THEN PRINT solution
ELSE PRINT "no solution found"
```

State Space Diagram:



4. Implement Vacuum Cleaner Agent.

Code:

```
def vacuum_cleaner_agent(location, status):
    x, y = location
    if status[x][y] == 'Dirty':
        return f"The vacuum cleaner is at ({x}, {y}) and it is dirty. Cleaning."
    else:
        return f"The vacuum cleaner is at ({x}, {y}) and it is clean. Moving."

status = [['Dirty', 'Clean'], ['Dirty', 'Dirty']]
location = (0, 0)

while True:
    action = vacuum_cleaner_agent(location, status)
    print(action)

    x, y = location
    if status[x][y] == 'Dirty':
        status[x][y] = 'Clean'

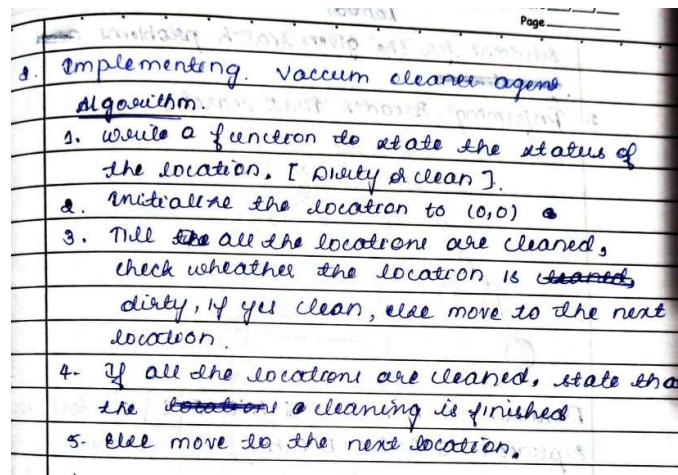
    if status[0][0] == 'Clean' and status[0][1] == 'Clean' and status[1][0] == 'Clean' and status[1][1] == 'Clean':
        print("All locations are clean. The vacuum cleaner is finished.")
        break

    if y < 1:
        location = (x, y + 1)
    elif x < 1:
        location = (x + 1, 0)
```

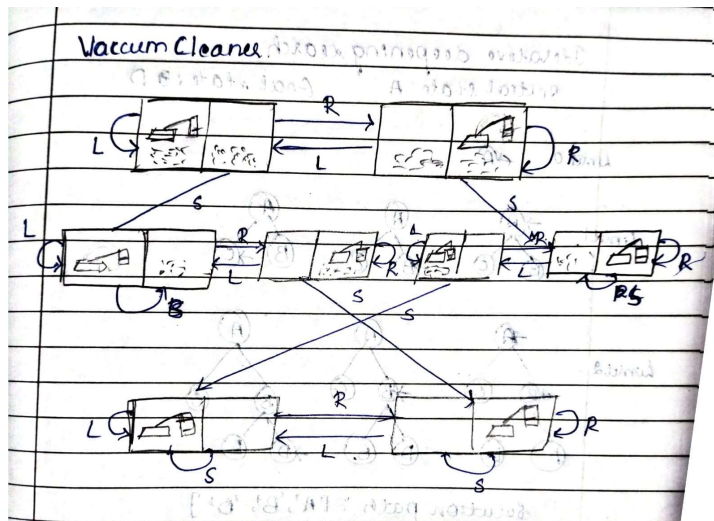
Output:

The vacuum cleaner is at (0, 0) and it is dirty. Cleaning.
The vacuum cleaner is at (0, 1) and it is clean. Moving.
The vacuum cleaner is at (1, 0) and it is dirty. Cleaning.
The vacuum cleaner is at (1, 1) and it is dirty. Cleaning.
All locations are clean. The vacuum cleaner is finished.

Pseudo Code:



State Space Diagram:



5. Implementing A* Algorithm(Misplaced Tiles)

Code:

#Heuristic approach to 8-puzzle problem

import heapq

```
def solve_8puzzle(initial_state):
    goal_state = [[1, 2, 3], [8, 0, 4], [7, 6, 5]]
    priority_queue = [(heuristic(initial_state, goal_state), 0, initial_state, [])]
    visited = set()

    while priority_queue:
        f_cost, g_cost, current_state, current_path = heapq.heappop(priority_queue)

        if current_state == goal_state:
            return current_path + [current_state]

        if tuple(map(tuple, current_state)) in visited:
            continue
        visited.add(tuple(map(tuple, current_state)))

        for next_state, action in get_possible_moves(current_state):
            new_g_cost = g_cost + 1
            new_f_cost = new_g_cost + heuristic(next_state, goal_state)
            heapq.heappush(priority_queue, (new_f_cost, new_g_cost, next_state, current_path +
                                           [(current_state, action)]))

    return None

def heuristic(state, goal_state):
    misplaced_tiles = 0
    for i in range(3):
        for j in range(3):
            if state[i][j] != goal_state[i][j] and state[i][j] != 0:
                misplaced_tiles += 1
    return misplaced_tiles

def find_position(state, tile):
    for i in range(3):
        for j in range(3):
            if state[i][j] == tile:
                return i, j

def get_possible_moves(state):
    row, col = find_position(state, 0)
    possible_moves = []

    if row > 0:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row-1][col] = new_state[row-1][col], new_state[row][col]
        possible_moves.append((new_state, 'Up'))
    if row < 2:
        new_state = [list(row) for row in state]
```

```

        new_state[row][col], new_state[row + 1][col] = new_state[row + 1][col], new_state[row][col]
        possible_moves.append((new_state, 'Down'))
    if col > 0:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row][col - 1] = new_state[row][col - 1], new_state[row][col]
        possible_moves.append((new_state, 'Left'))
    if col < 2:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row][col + 1] = new_state[row][col + 1], new_state[row][col]
        possible_moves.append((new_state, 'Right'))

    return possible_moves

initial_state = [[2, 8, 3], [1, 6, 4], [0, 7, 5]]
solution = solve_8puzzle(initial_state)

if solution:
    print("Solution found:")
    for state, action in solution[:-1]:
        print("-----")
        for row in state:
            print(row)
        print("Move:", action)
    print("-----")
    for row in solution[-1]:
        print(row)
else:
    print("No solution found.")

```

Output:

Solution found:

[2, 8, 3]

[1, 6, 4]

[0, 7, 5]

Move: Right

[2, 8, 3]

[1, 6, 4]

[7, 0, 5]

Move: Up

[2, 8, 3]

[1, 0, 4]

[7, 6, 5]

Move: Up

[2, 0, 3]

[1, 8, 4]

[7, 6, 5]

Move: Left

[0, 2, 3]

[1, 8, 4]

[7, 6, 5]

Move: Down

[1, 2, 3]

[0, 8, 4]

[7, 6, 5]

Move: Right

[1, 2, 3]

[8, 0, 4]

[7, 6, 5]

Pseudo Code:

Pseudocode for heuristic of misplaced tiles.

```
function solve-puzzle(initial-state, goal-state):  
    priority-queue = [(heuristic(initial-state,  
        goal-state), 0, initial-state, [])]  
    visited = empty set  
    while priority-queue is not empty:  
        (f-cost, g-cost, current-state, current-path)  
        = remove element with lowest f-cost  
        from priority-queue  
        if current-state is equal to goal-state:  
            return current-path + [current-state]  
        if current-state is in visited:  
            continue  
        add current-state to visited.  
        for next-state, action in get-possible-  
            moves(current-state):  
            new-g-cost = g-cost + 1  
            new-f-cost = new-g-cost + heuristic  
                (next-state, goal-state)  
            add (new-f-cost, new-g-cost, next-state,  
                current-path + [(current-state, action)]  
                to priority-queue.  
    return None.
```

function heuristic(state, goal-state):
 misplaced-tiles = 0
 for each tile in state:
 if tile is not in its correct position
 in goal-state and tile is not 0:
 misplaced-tiles = misplaced-tiles + 1
 return misplaced-tiles

function get-possible-moves(state):
 find position of the blank tile ()

possible-moves = empty list

if blank tile can move up:
 swap blank tile with tile above
 add (new-state, "Up") to possible-moves

if blank tile can move down:
 swap blank tile with tile below
 add (new-state, "Down") to possible-moves

if blank tile can move left:
 swap blank tile with tile to the left
 add (new-state, "Left") to possible-moves

if blank tile can move right:
 swap blank tile with tile to the right
 add (new-state, "Right") to possible-moves

return possible-moves

Lab 03

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1. Implementing A* search algorithm
→ Number of misplaced tiles
State space tree

Diagram illustrating the A* search algorithm for the 3-disk Tower of Hanoi problem, showing the state space tree with nodes labeled by their goal test value $g(n)$ and heuristic value $h(n)$.

The root node is $g(0)=0, h(0)=5$.

Level 1 nodes:

- $g(1)=1, h(1)=5$
- $g(2)=2, h(2)=3$
- $g(3)=3, h(3)=3$
- $g(4)=4, h(4)=2$

Level 2 nodes (from $g(1)=1, h(1)=5$):

- $g(5)=1, h(5)=4$
- $g(6)=1, h(6)=4$
- $g(7)=1, h(7)=4$
- $g(8)=1, h(8)=4$

Level 3 nodes (from $g(2)=2, h(2)=3$):

- $g(9)=2, h(9)=3$
- $g(10)=2, h(10)=3$
- $g(11)=2, h(11)=3$
- $g(12)=2, h(12)=3$

Level 4 nodes (from $g(3)=3, h(3)=3$):

- $g(13)=3, h(13)=3$
- $g(14)=3, h(14)=3$
- $g(15)=3, h(15)=3$
- $g(16)=3, h(16)=3$

Level 5 nodes (from $g(4)=4, h(4)=2$):

- $g(17)=4, h(17)=4$
- $g(18)=4, h(18)=4$
- $g(19)=4, h(19)=4$
- $g(20)=4, h(20)=4$

Level 6 nodes (from $g(5)=1, h(5)=4$):

- $g(21)=5, h(21)=3$
- $g(22)=5, h(22)=3$
- $g(23)=5, h(23)=3$
- $g(24)=5, h(24)=3$

Level 7 nodes (from $g(6)=1, h(6)=4$):

- $g(25)=6, h(25)=3$
- $g(26)=6, h(26)=3$
- $g(27)=6, h(27)=3$
- $g(28)=6, h(28)=3$

Level 8 nodes (from $g(7)=1, h(7)=4$):

- $g(29)=7, h(29)=3$
- $g(30)=7, h(30)=3$
- $g(31)=7, h(31)=3$
- $g(32)=7, h(32)=3$

Level 9 nodes (from $g(8)=1, h(8)=4$):

- $g(33)=8, h(33)=3$
- $g(34)=8, h(33)=3$
- $g(35)=8, h(33)=3$
- $g(36)=8, h(33)=3$

Level 10 nodes (from $g(9)=2, h(9)=3$):

- $g(37)=9, h(37)=3$
- $g(38)=9, h(37)=3$
- $g(39)=9, h(37)=3$
- $g(40)=9, h(37)=3$

Level 11 nodes (from $g(10)=2, h(10)=3$):

- $g(41)=10, h(37)=3$
- $g(42)=10, h(37)=3$
- $g(43)=10, h(37)=3$
- $g(44)=10, h(37)=3$

Level 12 nodes (from $g(11)=2, h(11)=3$):

- $g(45)=11, h(37)=3$
- $g(46)=11, h(37)=3$
- $g(47)=11, h(37)=3$
- $g(48)=11, h(37)=3$

Level 13 nodes (from $g(12)=2, h(12)=3$):

- $g(49)=12, h(37)=3$
- $g(50)=12, h(37)=3$
- $g(51)=12, h(37)=3$
- $g(52)=12, h(37)=3$

Level 14 nodes (from $g(13)=3, h(13)=3$):

- $g(53)=13, h(37)=3$
- $g(54)=13, h(37)=3$
- $g(55)=13, h(37)=3$
- $g(56)=13, h(37)=3$

Level 15 nodes (from $g(14)=3, h(14)=3$):

- $g(57)=14, h(37)=3$
- $g(58)=14, h(37)=3$
- $g(59)=14, h(37)=3$
- $g(60)=14, h(37)=3$

Level 16 nodes (from $g(15)=3, h(15)=3$):

- $g(61)=15, h(37)=3$
- $g(62)=15, h(37)=3$
- $g(63)=15, h(37)=3$
- $g(64)=15, h(37)=3$

Level 17 nodes (from $g(16)=3, h(16)=3$):

- $g(65)=16, h(37)=3$
- $g(66)=16, h(37)=3$
- $g(67)=16, h(37)=3$
- $g(68)=16, h(37)=3$

Level 18 nodes (from $g(17)=4, h(17)=4$):

- $g(69)=17, h(37)=4$
- $g(70)=17, h(37)=4$
- $g(71)=17, h(37)=4$
- $g(72)=17, h(37)=4$

Level 19 nodes (from $g(18)=4, h(18)=4$):

- $g(73)=18, h(37)=4$
- $g(74)=18, h(37)=4$
- $g(75)=18, h(37)=4$
- $g(76)=18, h(37)=4$

Level 20 nodes (from $g(19)=4, h(19)=4$):

- $g(77)=19, h(37)=4$
- $g(78)=19, h(37)=4$
- $g(79)=19, h(37)=4$
- $g(80)=19, h(37)=4$

Level 21 nodes (from $g(20)=4, h(20)=4$):

- $g(81)=20, h(37)=4$
- $g(82)=20, h(37)=4$
- $g(83)=20, h(37)=4$
- $g(84)=20, h(37)=4$

Level 22 nodes (from $g(21)=5, h(21)=3$):

- $g(85)=21, h(37)=3$
- $g(86)=21, h(37)=3$
- $g(87)=21, h(37)=3$
- $g(88)=21, h(37)=3$

Level 23 nodes (from $g(22)=5, h(22)=3$):

- $g(89)=22, h(37)=3$
- $g(90)=22, h(37)=3$
- $g(91)=22, h(37)=3$
- $g(92)=22, h(37)=3$

Level 24 nodes (from $g(23)=5, h(23)=3$):

- $g(93)=23, h(37)=3$
- $g(94)=23, h(37)=3$
- $g(95)=23, h(37)=3$
- $g(96)=23, h(37)=3$

Level 25 nodes (from $g(24)=5, h(24)=3$):

- $g(97)=24, h(37)=3$
- $g(98)=24, h(37)=3$
- $g(99)=24, h(37)=3$
- $g(100)=24, h(37)=3$

Level 26 nodes (from $g(25)=6, h(25)=3$):

- $g(101)=25, h(37)=3$
- $g(102)=25, h(37)=3$
- $g(103)=25, h(37)=3$
- $g(104)=25, h(37)=3$

Level 27 nodes (from $g(26)=6, h(26)=3$):

- $g(105)=26, h(37)=3$
- $g(106)=26, h(37)=3$
- $g(107)=26, h(37)=3$
- $g(108)=26, h(37)=3$

Level 28 nodes (from $g(27)=6, h(27)=3$):

- $g(109)=27, h(37)=3$
- $g(110)=27, h(37)=3$
- $g(111)=27, h(37)=3$
- $g(112)=27, h(37)=3$

Level 29 nodes (from $g(28)=6, h(28)=3$):

- $g(113)=28, h(37)=3$
- $g(114)=28, h(37)=3$
- $g(115)=28, h(37)=3$
- $g(116)=28, h(37)=3$

Level 30 nodes (from $g(29)=7, h(29)=3$):

- $g(117)=29, h(37)=3$
- $g(118)=29, h(37)=3$
- $g(119)=29, h(37)=3$
- $g(120)=29, h(37)=3$

Level 31 nodes (from $g(30)=7, h(30)=3$):

- $g(121)=30, h(37)=3$
- $g(122)=30, h(37)=3$
- $g(123)=30, h(37)=3$
- $g(124)=30, h(37)=3$

Level 32 nodes (from $g(31)=7, h(31)=3$):

- $g(125)=31, h(37)=3$
- $g(126)=31, h(37)=3$
- $g(127)=31, h(37)=3$
- $g(128)=31, h($

6. Implementing A* Algorithm(Manhattan Approach)

Code:

```
#Manhattan approach
import heapq
def solve_8puzzle(initial_state):
    goal_state = [[1, 2, 3], [8, 0, 4], [7, 6, 5]]
    priority_queue = [(heuristic(initial_state, goal_state), 0, initial_state, [])]
    visited = set()
    while priority_queue:
        f_cost, g_cost, current_state, current_path = heapq.heappop(priority_queue)
        if current_state == goal_state:
            return current_path + [current_state]
        if tuple(map(tuple, current_state)) in visited:
            continue
        visited.add(tuple(map(tuple, current_state)))
        for next_state, action in get_possible_moves(current_state):
            new_g_cost = g_cost + 1
            new_f_cost = new_g_cost + heuristic(next_state, goal_state)
            heapq.heappush(priority_queue, (new_f_cost, new_g_cost, next_state, current_path + [(current_state, action)]))
    return None
def heuristic(state, goal_state):
    distance = 0
    for i in range(3):
        for j in range(3):
            if state[i][j] != 0:
                goal_row, goal_col = find_position(goal_state, state[i][j])
                distance += abs(i - goal_row) + abs(j - goal_col)
    return distance
def find_position(state, tile):
    for i in range(3):
        for j in range(3):
            if state[i][j] == tile:
                return i, j
def get_possible_moves(state):
    row, col = find_position(state, 0)
    possible_moves = []
    if row > 0:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row - 1][col] = new_state[row - 1][col], new_state[row][col]
        possible_moves.append((new_state, 'Up'))
    if row < 2:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row + 1][col] = new_state[row + 1][col], new_state[row][col]
        possible_moves.append((new_state, 'Down'))
    if col > 0:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row][col - 1] = new_state[row][col - 1], new_state[row][col]
        possible_moves.append((new_state, 'Left'))
    if col < 2:
        new_state = [list(row) for row in state]
        new_state[row][col], new_state[row][col + 1] = new_state[row][col + 1], new_state[row][col]
```

```

        possible_moves.append((new_state, 'Right'))
    return possible_moves
initial_state = [[2, 8, 3], [1, 6, 4], [0, 7, 5]]
solution = solve_8puzzle(initial_state)
if solution:
    print("Solution found:")
    for state, action in solution[:-1]:
        print("-----")
        for row in state:
            print(row)
        print("Move:", action)
        print("-----")
    for row in solution[-1]:
        print(row)
else:
    print("No solution found.")

```

Output:

Solution found:

[2, 8, 3]

[1, 6, 4]

[0, 7, 5]

Move: Right

[2, 8, 3]

[1, 6, 4]

[7, 0, 5]

Move: Up

[2, 8, 3]

[1, 0, 4]

[7, 6, 5]

Move: Up

[2, 0, 3]

[1, 8, 4]

[7, 6, 5]

Move: Left

[0, 2, 3]

[1, 8, 4]

[7, 6, 5]

Move: Down

[1, 2, 3]

[0, 8, 4]

[7, 6, 5]

Move: Right

[1, 2, 3]

[8, 0, 4]

[7, 6, 5]

Pseudo Code:

Pseudocode for Manhattan Distance

function solveSudoku(initialState, goalState):

priority_queue = [(manhattan_distance(initialState, goalState), 0, initialState, [])]

visited = empty set

while priority_queue is not empty:

(f_cost, g_cost, currentState, current_path)

= pop smallest f_cost from queue

if currentState == goalState: return current_path + [currentState]

if currentState in visited: continue
visited.add(currentState)

for nextState, action in get_moves(currentState):

new_g_cost = g_cost + 1

new_f_cost = new_g_cost + manhattan_distance(nextState, goalState)

add(new_f_cost, new_g_cost, nextState, current_path + [(currentState, action)])
to queue

return None # NO solution

function manhattan_distance(state, goalState):

distance = 0

for each tile in state:

if tile != 0:

distance += |goal_row - current_row| + |goal_col - current_col|

return distance

function get_moves(state):

find blank tile position.

generate possible moves (Up, Down, Left, Right)
by swapping blank tile with adjacent tiles.

return list of (nextState, action) pairs

State Space Diagram :

