

EE236 : Electronic Devices Lab

Lab 1 [Tuesday Batch]

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1 Readings

1. 1N914 :-

V_D (Volts)	I_D (mA)
0.4	0.00
0.5	0.10
0.55	0.31
0.6	0.78
0.65	2.20
0.7	5.70
0.75	15.14
0.44	0.01
0.77	19.01
0.72	7.5
0.725	10
0.741	12.5
0.76	17.5

2. Blue LED :-

V_D (Volts)	I_D (mA)
2.59	0.00
2.62	0.01
2.65	0.02
2.70	0.07
2.75	0.16
2.8	0.36
2.85	0.91
2.9	1.66
3	4.94
3.05	7.40

3. White LED :-

V_D (Volts)	I_D (mA)
2.35	0.00
2.36	0.01
2.4	0.03
2.45	0.12
2.5	0.22
2.55	0.51
2.60	1.01
2.65	2.06
2.70	3.45
2.75	4.85
2.80	6.69
2.84	8.55

4. Green LED :-

V_D (Volts)	I_D (mA)
2.11	0.00
2.12	0.01
2.15	0.03
2.20	0.11
2.25	0.30
2.30	0.54
2.35	0.80
2.40	1.18
2.45	1.72
2.50	2.24
2.55	2.86
2.60	3.50
2.65	4.46
2.70	5.37
2.75	6.41
2.80	7.06
2.85	8.46

5. Red LED :-

V_D (Volts)	I_D (mA)
1.63	0.00
1.64	0.01
1.65	0.02
1.7	0.08
1.75	0.30
1.8	1.15
1.85	2.71
1.9	4.82
1.95	8.13
2.00	12.79
1.91	6.00
1.927	7.50
1.962	10.04

2 Circuit

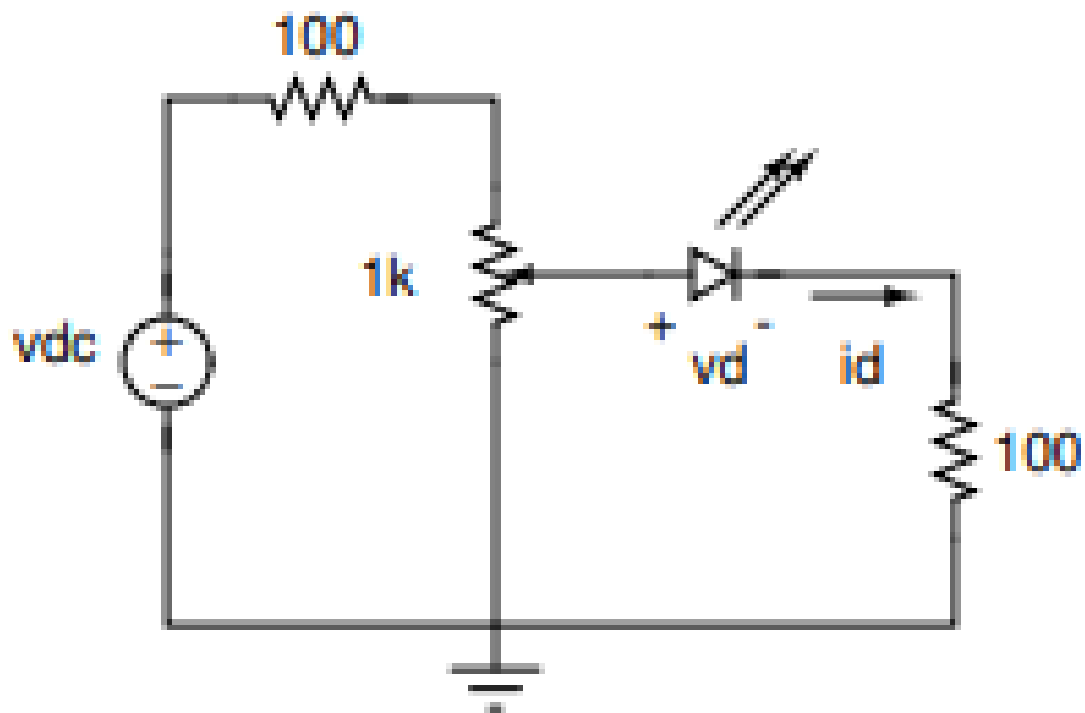
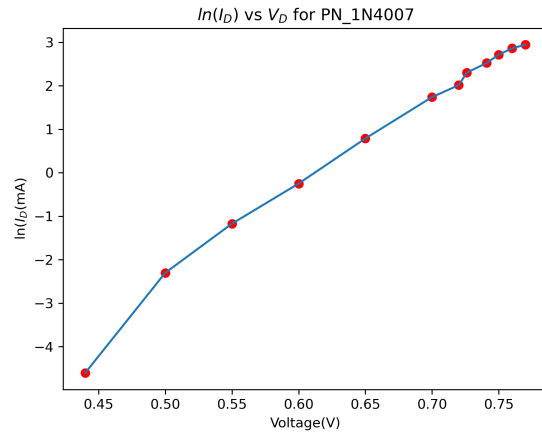
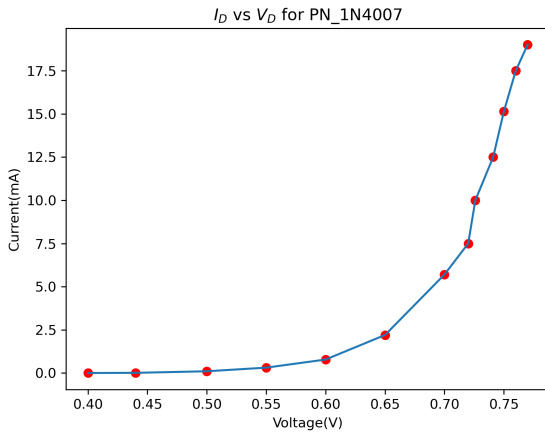


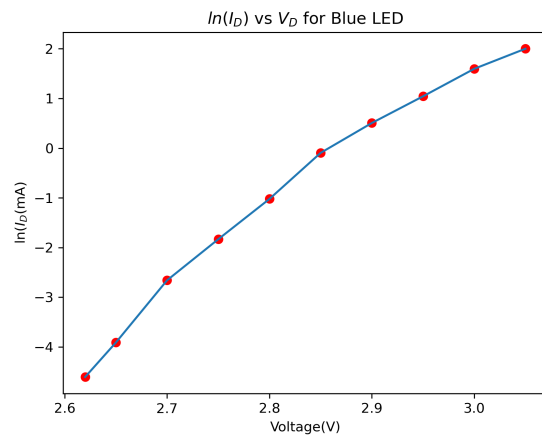
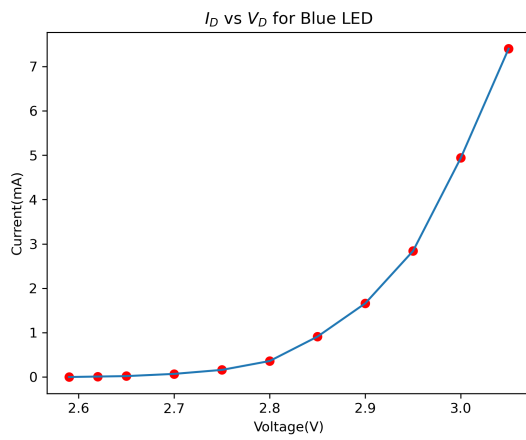
Figure 1: Circuit

3 Plots

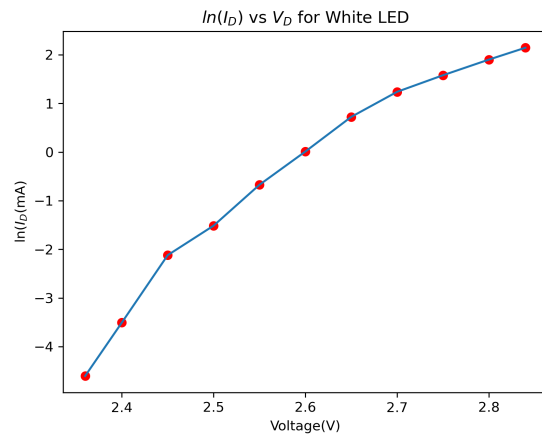
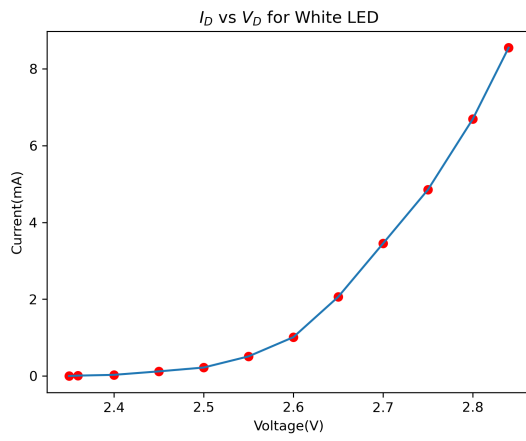
1. 1N914:



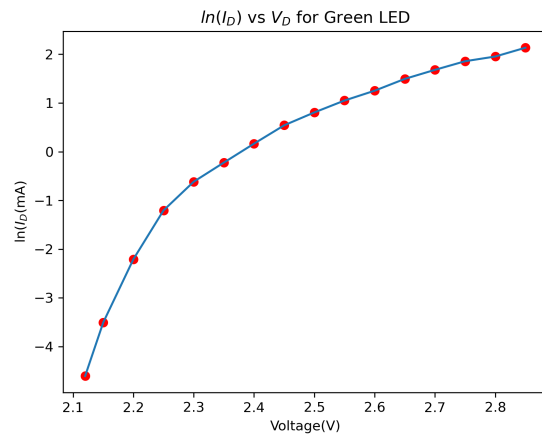
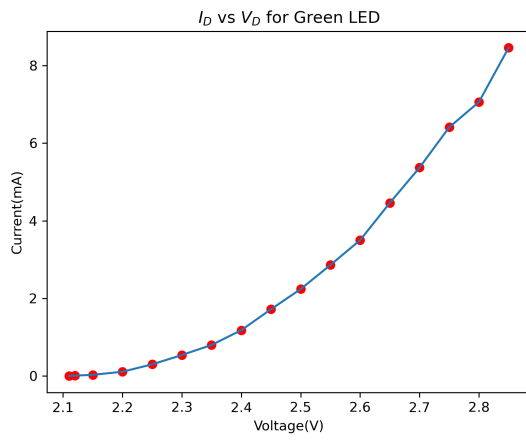
2. Blue LED:



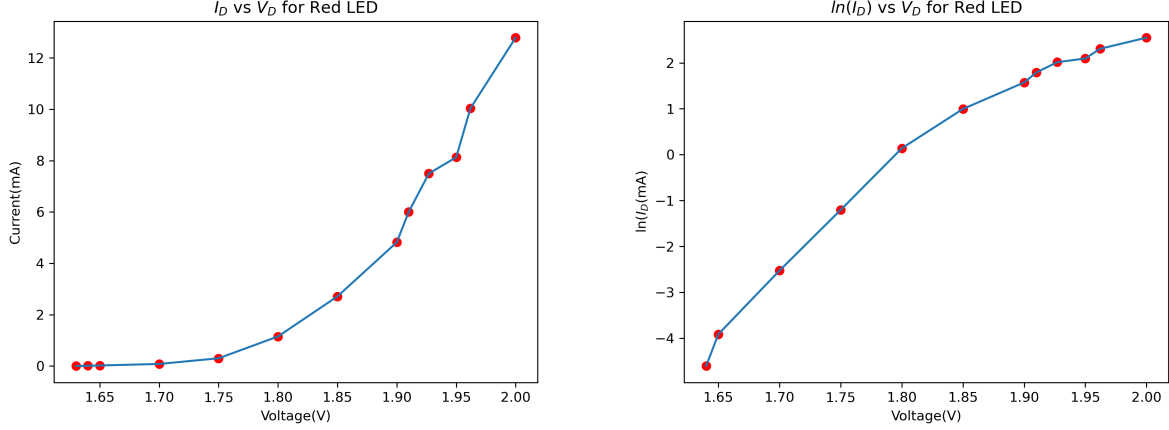
3. White LED:



4. Green LED:



5. Red LED:



4 Ideality Factor and Saturation Current

The following are the steps to get ideality factor(η) and saturation current(I_S) from slope and intercept (which we obtain by linear regression) respectively:

1. Linear regression of the points $\ln(I_D)$ vs V_D gives us a line of the form:

$$\ln(I_D) = cV_D + d \quad (1)$$

2. The I/V characteristic of a forward biased diode is given by:

$$I_D = I_{00}e^{-\frac{E_g}{kT}}(e^{\frac{qV_D}{\eta kT}} - 1) \quad (2)$$

This equation holds for all positive values of V_D

3. The saturation current is given by:

$$I_S = I_{00}e^{-\frac{E_g}{kT}} \quad (3)$$

4. Using equations (2) and (3):

$$I_D = I_S(e^{\frac{qV_D}{\eta kT}} - 1) \quad (4)$$

5. Assuming $qV_D \gg \eta kT$ and applying logarithm to the base e on both sides of equation (4), we get:

$$\ln(I_D) = \frac{qV_D}{\eta kT} + \ln(I_S) \quad (5)$$

Since this equation is an approximation, it holds for only high positive values of V_D

6. Comparing equation (1) with equation (5), we can relate the two:

$$c = \frac{q}{\eta kT} \Rightarrow \eta = \frac{q}{ckT} \quad (6)$$

$$d = \ln(I_S) \Rightarrow I_S = e^d \quad (7)$$

7. The following is the table of values of ideality factor and saturation current of the given diodes and LEDs:

Diode	Slope	η	Intercept	I_S
1N914	21.5246	1.787	-13.38	1.54×10^{-9}
Blue LED	15.37	2.502	-16.36	5.428×10^{-10}
White LED	13.58	2.8322	-35.75	2.97×10^{-16}
Green LED	7.905	4.865	-19.538	3.27×10^{-9}
Red LED	19.82	1.9405	-36.3	1.72×10^{-16}

5 Band Gap

The way to calculate band gap includes the following steps:

1. From the data obtained from experimentation, compare with the graphs given below and check at what wavelength the peak occurs. The graphs for the different LEDs are as follows:
2. We can get the wavelength from the graphs and then calculate the band gaps using the following equation:

$$E_g = \frac{hc}{\lambda} = \frac{1240}{\lambda} \quad (8)$$

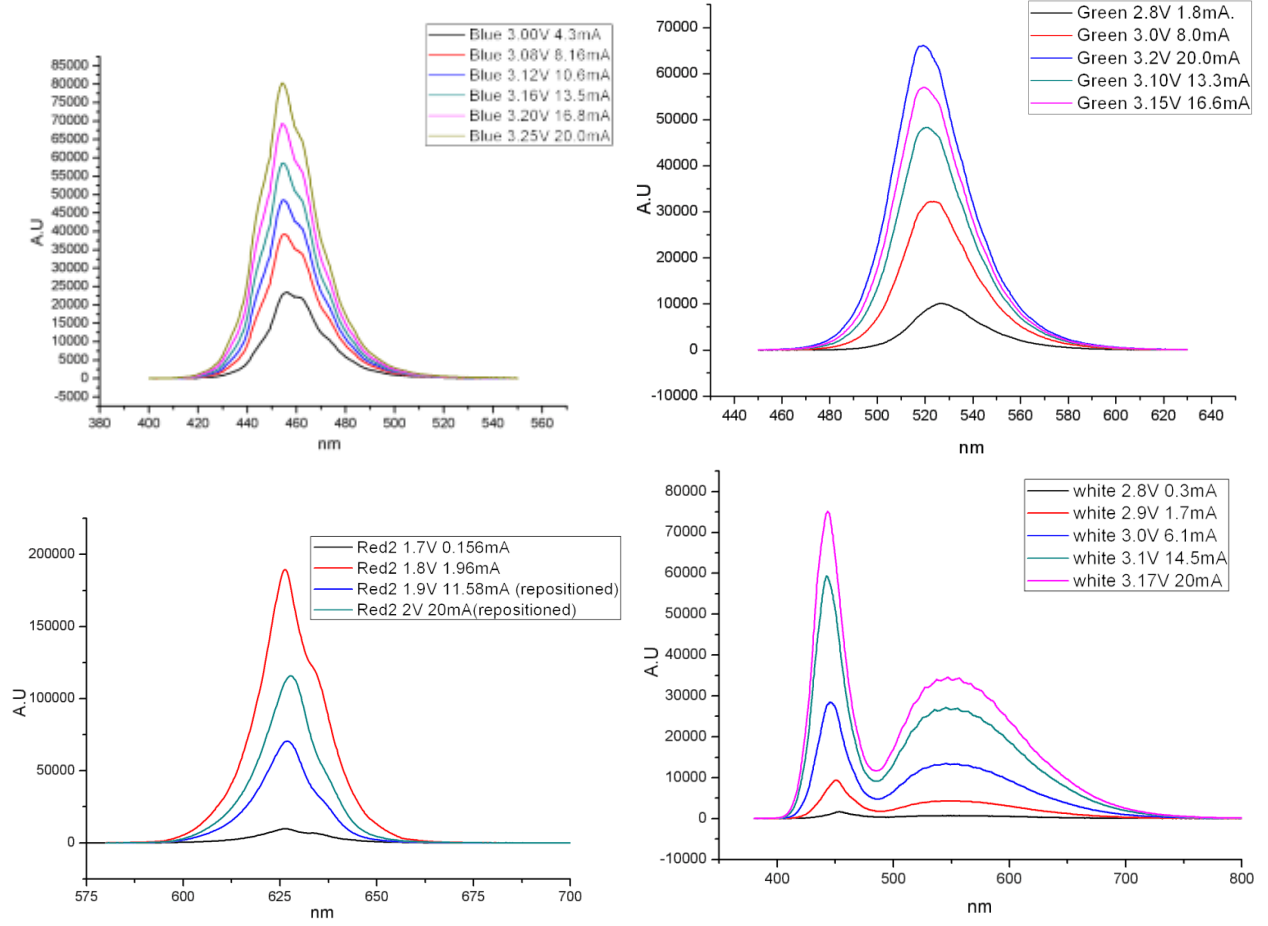
Here λ is in nanometers and E_g is in eV.

3. The following table shows the values of λ and E_g accordingly.

Diode	$\lambda(\text{nm})$	$E_g(\text{eV})$
1N914		1.1
Blue LED	450	2.755
White LED	550	2.254
Green LED	520	2.385
Red LED	620	2

6 Cut-in voltage and its relation with band gap

The following is the table showing cutting voltage with cut-in voltage:



Diode	V_γ (Volts)	E_g (eV)
1N914	0.61	1.1
Blue LED	2.86	2.755
White LED	2.6	2.254
Green LED	2.36	2.385
Red LED	1.79	2

The following is the plot when linear regression is performed on points of V_γ v/s E_g . The R^2 value turns out to be 0.95398 which implies linear model fits the data pretty well.

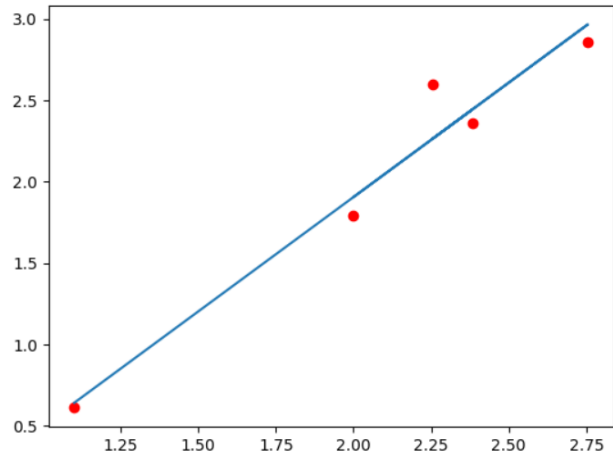


Figure 2: V_γ v/s E_g

Let us check if this is in accordance with our mathematical expectation :

$$I_D = I_S e^{\frac{V_D}{\eta V_T}} \quad (9)$$

Since I_D is much larger than I_S for practical purposes, we can simplify. The following is the equation of saturation current:

$$I_s = I_{00} e^{-\frac{E_g}{kT}} \quad (10)$$

For a diode to start conducting appreciably, we need to find the voltage at which the diode current I_D reaches a specific value, typically chosen as 1 mA for the cut-in voltage V_γ . So, let's set I_D to 1 mA and solve for V_D :

$$1mA = I_S e^{-\frac{V_\gamma}{\eta V_T}} \Rightarrow V_\gamma = \eta V_T \ln\left(\frac{1mA}{I_S}\right) \quad (11)$$

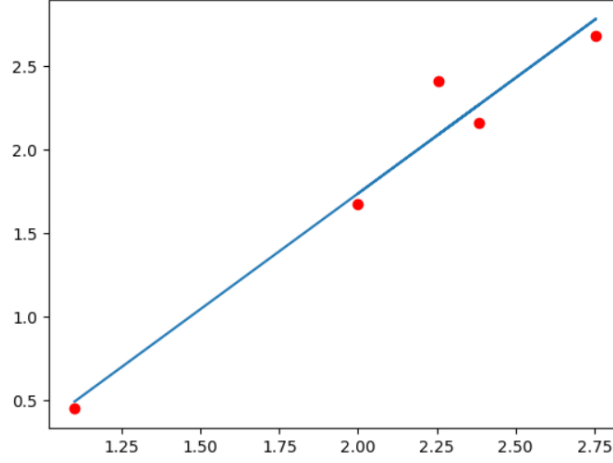
Substituting I_S into the expression for V_γ

$$\begin{aligned} V_\gamma &= \eta \frac{kT}{q} \ln\left(\frac{1mA}{I_{00} e^{-\frac{E_g}{kT}}}\right) \\ &= \eta \frac{kT}{q} \left(\ln\left(\frac{1mA}{I_{00}}\right) + \frac{E_g}{kT}\right) \\ &= \eta \frac{kT}{q} \ln\left(\frac{1mA}{I_{00}}\right) + \eta \frac{kT}{q} \frac{E_g}{kT} \\ &= \frac{\eta E_g}{q} + constant \end{aligned} \quad (12)$$

So we the mathematics we got with lives upto our experimental data. Now let us check the values for V_γ v/s E_g for $I_D = 50\mu A$ and 5 mA

For $I_D = 50\mu\text{A}$

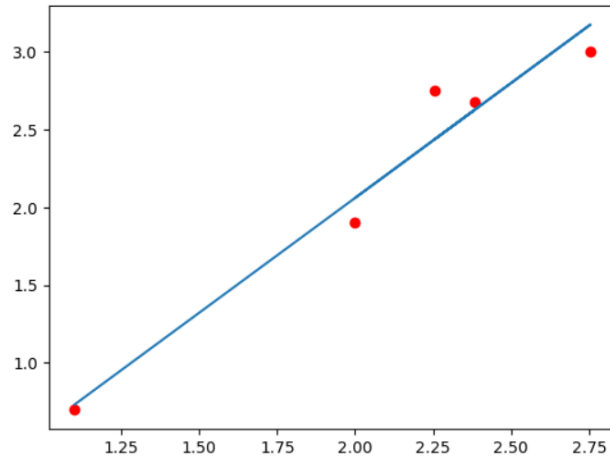
Diode	V_γ (Volts)	E_g (eV)
1N914	0.45	1.1
Blue LED	2.68	2.755
White LED	2.411	2.254
Green LED	2.1625	2.385
Red LED	1.675	2



The R^2 value turns out to be 0.957446 which implies linear model fits the data pretty well.

For $I_D = 5\text{mA}$

Diode	V_γ (Volts)	E_g (eV)
1N914	0.697	1.1
Blue LED	3.001	2.755
White LED	2.754	2.254
Green LED	2.679	2.385
Red LED	1.9001	2



The R^2 value turns out to be 0.95428 which implies linear model fits the data pretty well.

7 Finding other semiconductor parameters

Calculate the intrinsic doping densities of all the LEDs. Assuming density of states are approximately same for all the semiconductor materials, we have:

$$n_i \propto e^{-\left(\frac{E_g}{2kT}\right)} \quad (13)$$

where E_g is the bandgap energy, k is the Boltzmann constant, and T is the temperature (typically 300 K). I calculate n_i relative to a known reference value using this formula. Next, I compute the doping density N_A using the built-in potential (V_{bi}) with the formula

$$V_{bi} = kT \ln\left(\frac{N_A^2}{n_i^2}\right) \Rightarrow N_A = n_i \times e^{V_{bi} \frac{q}{2kT}} \quad (14)$$

where q is the elementary charge. Since N_A is approximately equal to N_D , this approach allows me to determine the doping concentration by solving the equation derived from the built-in potential and intrinsic carrier concentration. This process helps me understand the electronic properties and optimize the performance of the semiconductor devices.

8 Final Table

Table 1: Parameters of Diodes

Diode	E_g (eV)	I_s (A)	V_{TH} (V)	n_i (cm ⁻³)	N_A (cm ⁻³)
1N914	1.1	1.54×10^{-9}	0.4	1.5×10^{10}	1.06×10^{17}
Blue LED	2.755	5.428×10^{-10}	2.59	1.6×10^{23}	1.77×10^{43}
White LED	2.254	2.97×10^{-16}	2.35	1.6×10^{23}	1.0111×10^{-5}
Green LED	2.385	3.27×10^{-9}	2.11	2.8×10^{20}	6.62×10^{38}
Red LED	2	1.72×10^{-16}	1.63	3.3×10^{17}	5.2×10^{31}

9 Experiment completion status

The experiment with all the measurements was performed in the lab.