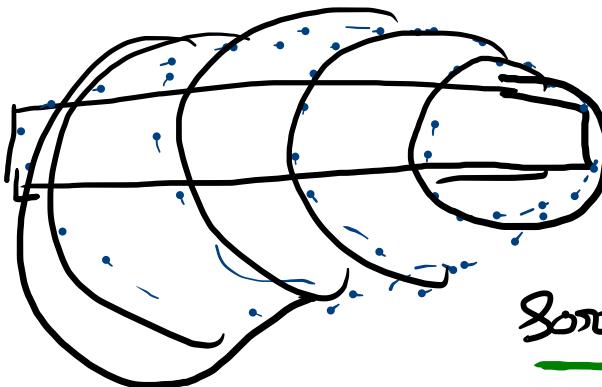
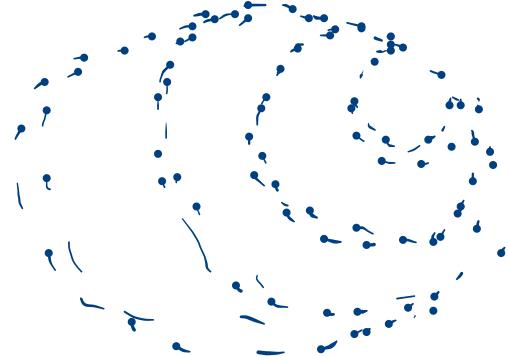
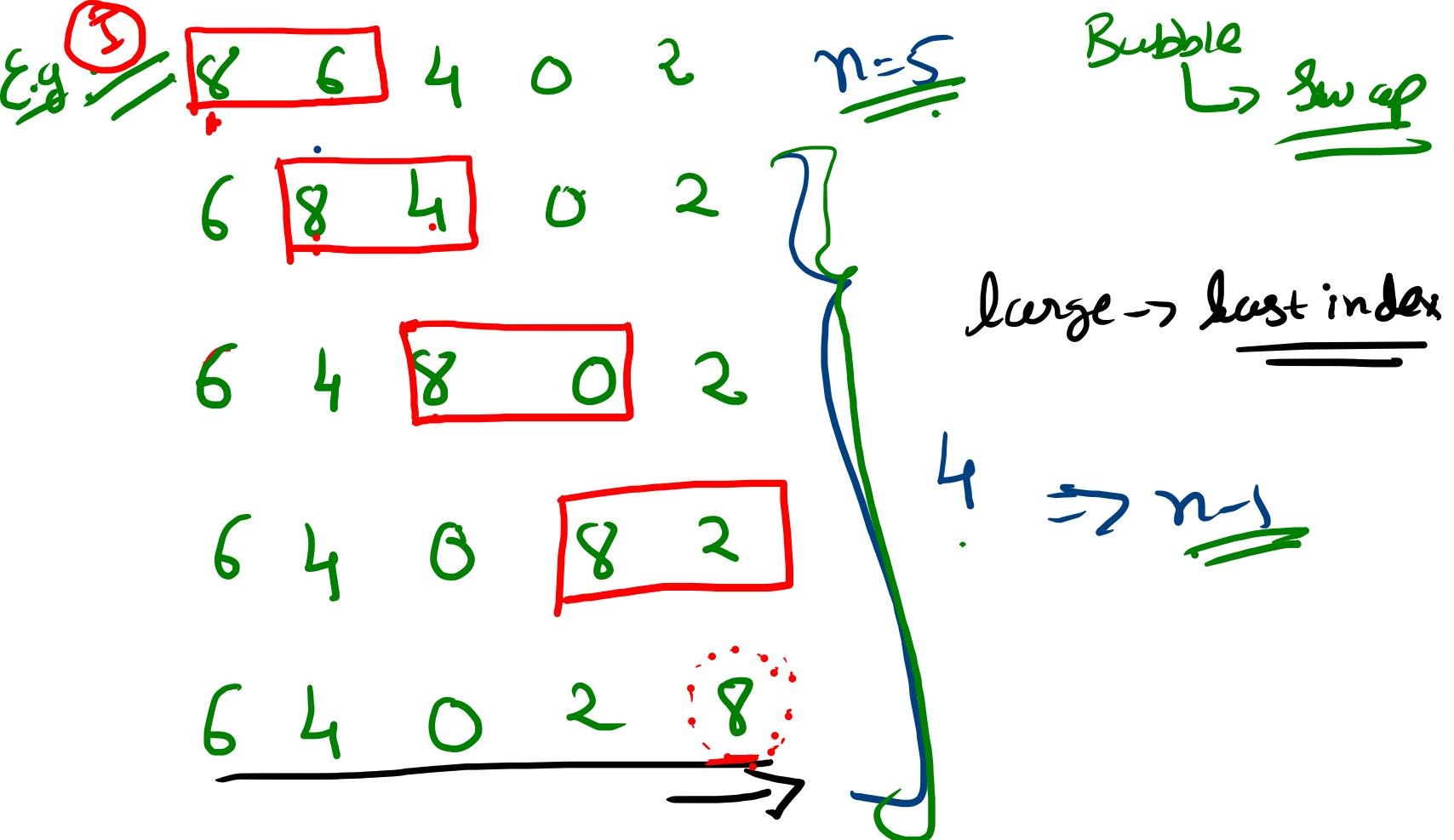


① Bubble Sort



Sort → Asc



T
I
II

6 4 0 2 8

2nd largest

elems

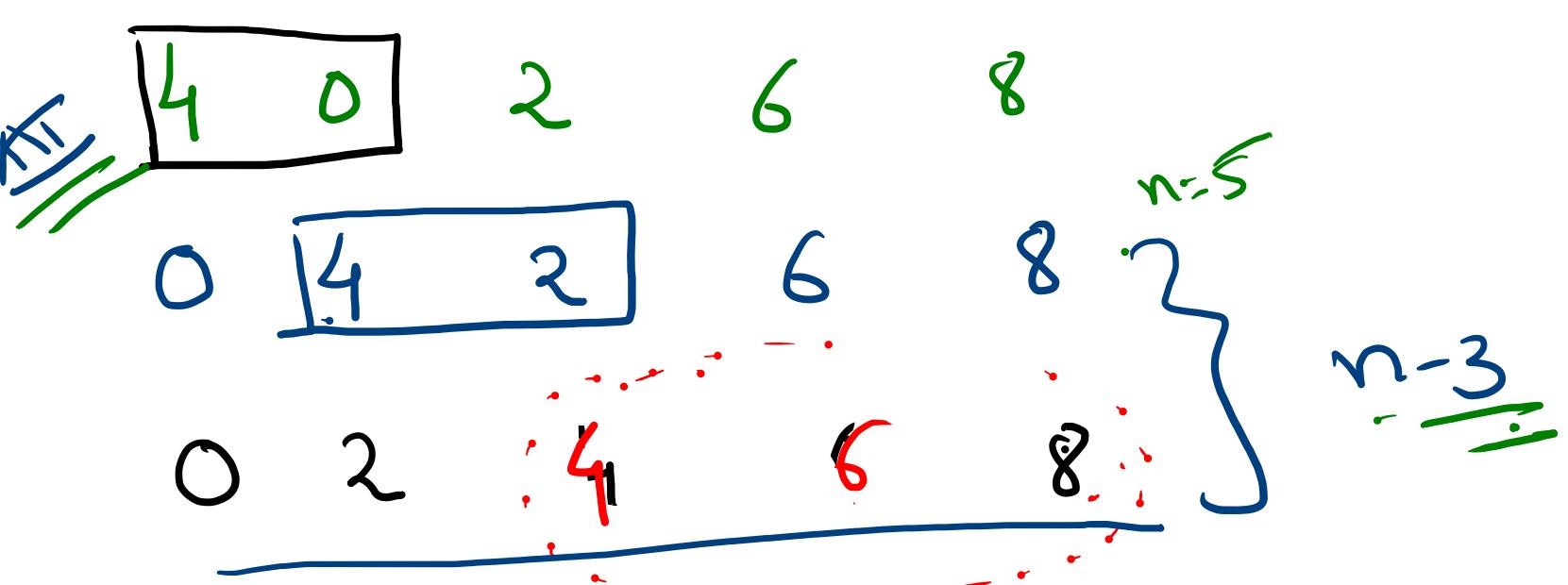
n=5
5-2

4 [6 0] 2 8 }

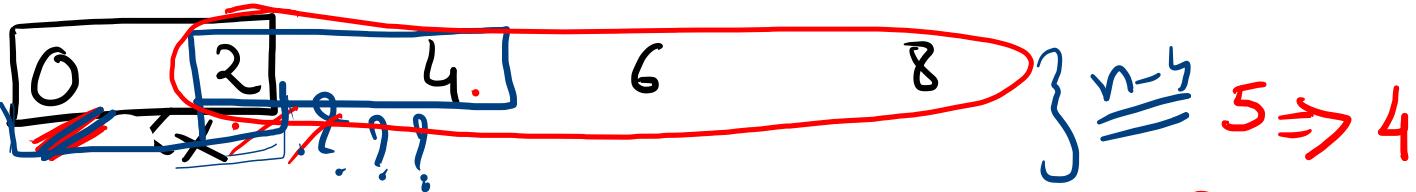
4 0 [6 2] 8 }

4 0 2 6 8 ?? }

3 => n-2

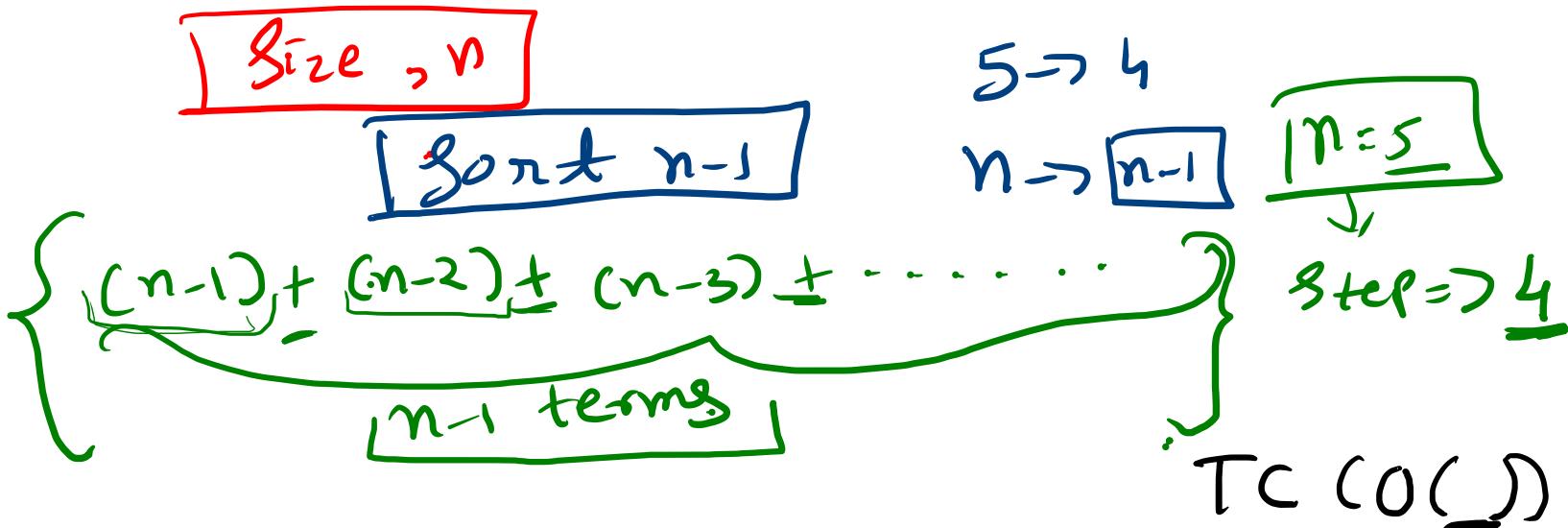


II



for array of size $n \Rightarrow$

$$5 \Rightarrow 4$$



$$\{ (n-1) + (n-2) + \dots \} = n \frac{(n+1)}{2} = n^2$$

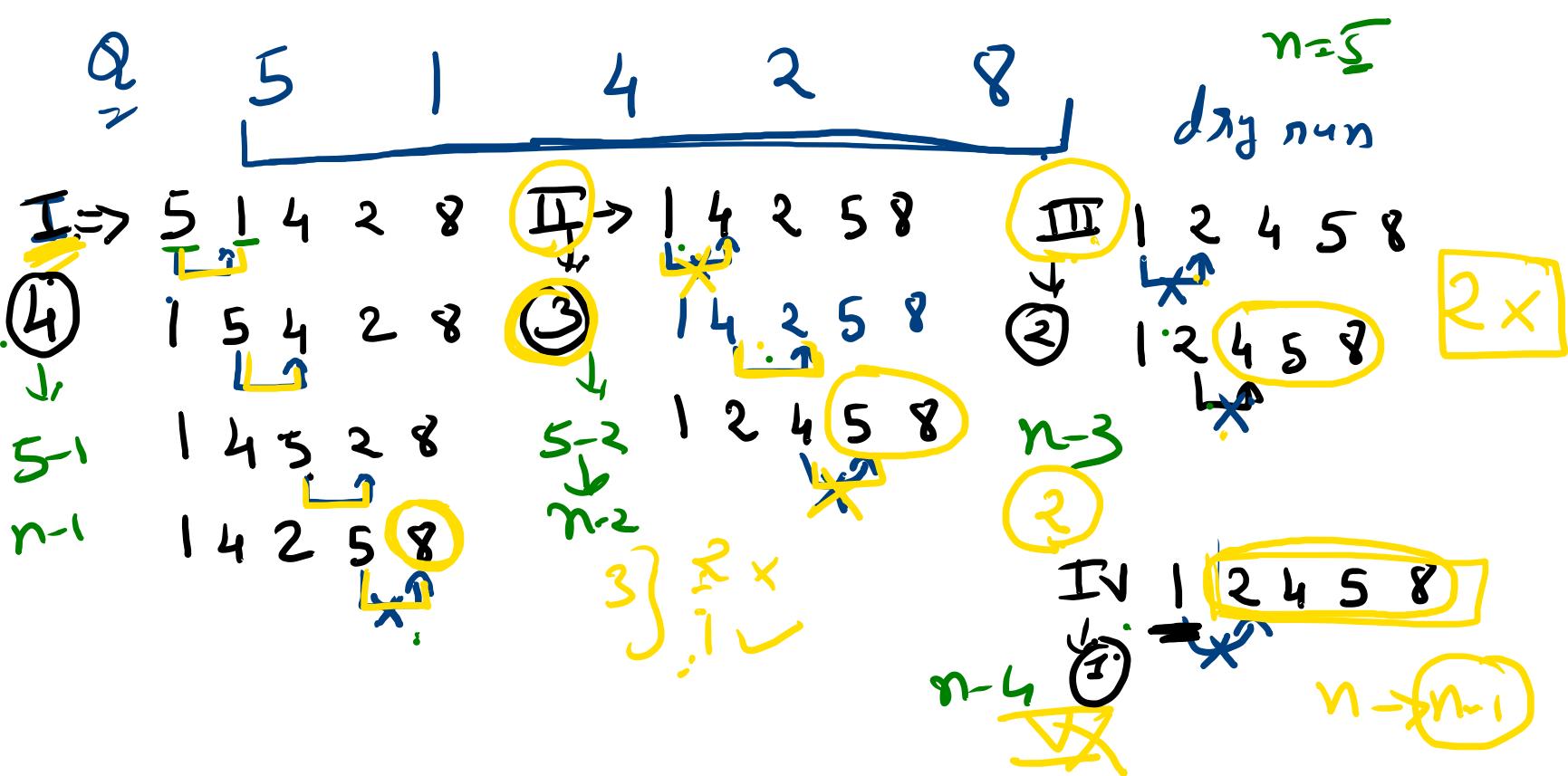
A hand-drawn diagram illustrating the sum of the first $n-1$ integers. A red curly brace on the left groups the terms $(n-1) + (n-2) + \dots$. Below it, a red bracket labeled $n-1$ indicates the number of terms. To the right, a blue curly brace groups the terms from the red brace, and a blue bracket labeled n indicates the number of terms. This is equated to the formula $\frac{n(n+1)}{2}$, which is then simplified to n^2 . A green checkmark is placed next to the n^2 result.

$$\cdot 1 + 2 + 3 + \dots + n \Rightarrow \frac{n(n+1)}{2}$$

A hand-drawn diagram illustrating the sum of the first n integers. A red curly brace on the left groups the terms $1 + 2 + 3 + \dots + n$. To the right, a red arrow points to the formula $\frac{n(n+1)}{2}$.

~~$\frac{n^2+n}{2}$~~

$\cdot \frac{n^2+n}{2}$



Pseudo :-

①

Iterate $n-1$ times

②

for loop

1 → $n-1$ times

2 → $n-2$ times

3 → $n-3$

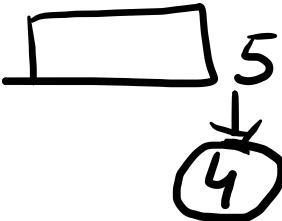
$i=0 \Rightarrow n-1$

$i=1 \rightarrow n-2$

$i=2 \rightarrow n-3$

if (compare adjacent)
 $arr[i] > arr[i+1]$

{
 Swap



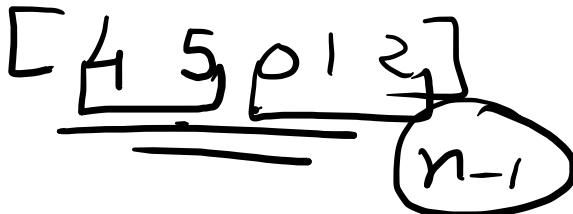
$i=0 \Rightarrow n-1$ swaps \Rightarrow 4 $n=5$
 $i=1 \Rightarrow n-2$ swaps \Rightarrow 3 $5-1-1$
 $i=2 \Rightarrow n-3$ swaps \Rightarrow 2 $5-1-2$

for ($i=0$; $i < n-1$; $i++$)

{
 for ($j=0$; $\cancel{n-1-i}$; $j=j+1$)
 }

[3]

$$n \rightarrow \underline{\underline{n-1}} \quad \left\{ \begin{array}{c} - \\ - \end{array} \right\}$$



Sorted } $\rightarrow \underline{\underline{n-1}}$
 not sorted } $\rightarrow \underline{\underline{n-1}}$
 half sorted } $\rightarrow \underline{\underline{n-1}}$

O(1) Best
O(n^2) Worst
O(n) Avg

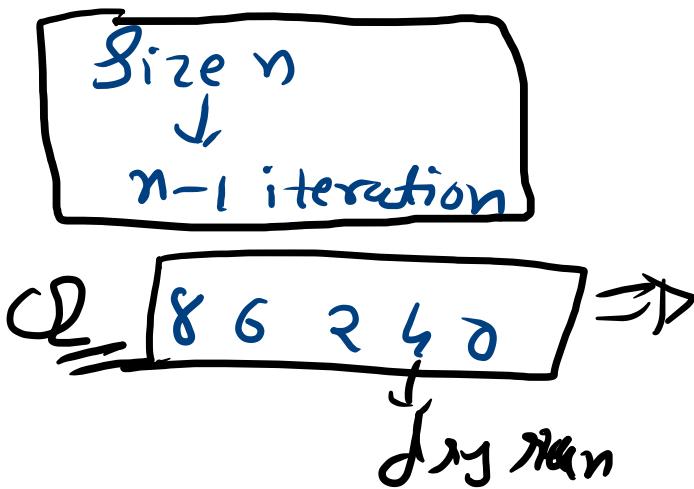
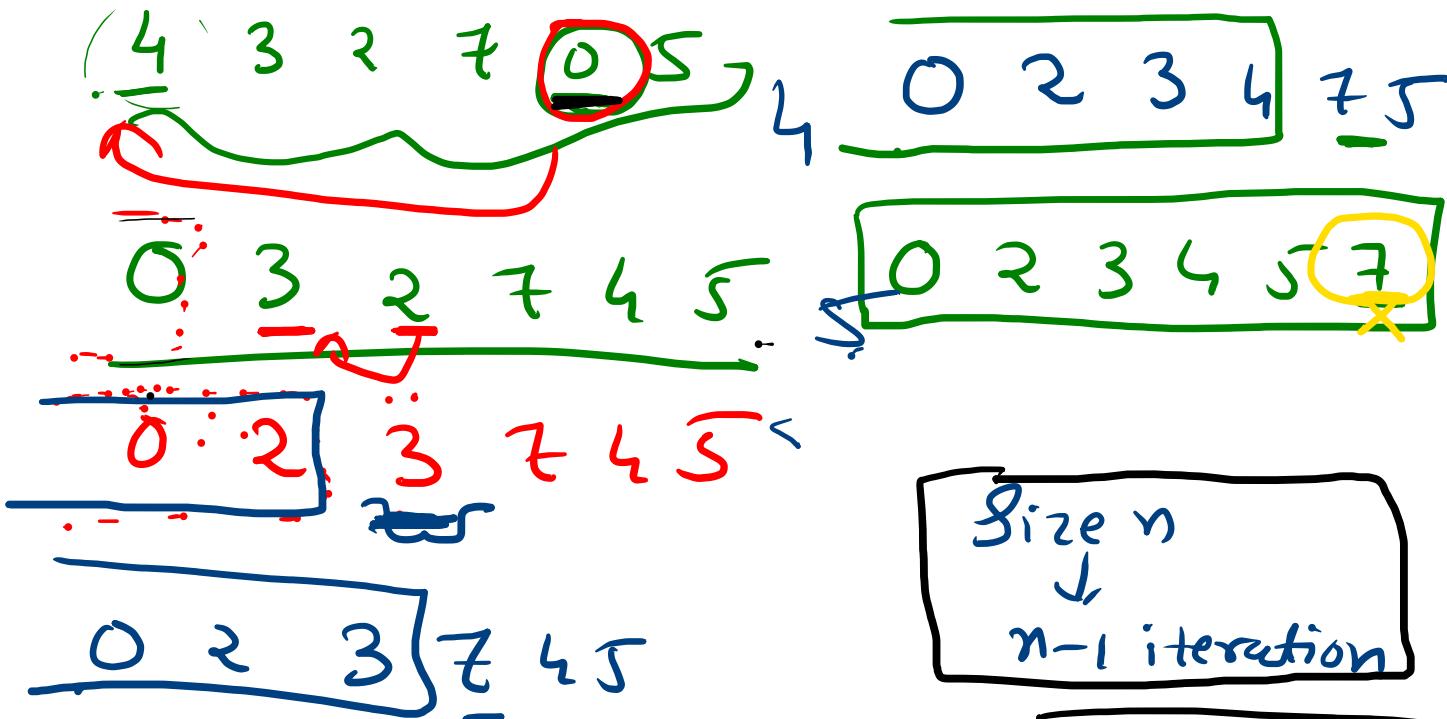
O(n^2)

Selection Sort

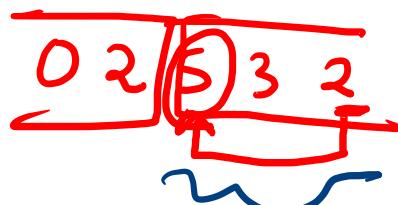
Unsorted array:- 8 6 2 4 0

→ Selection Sort \Rightarrow Selecting right elem & putting it in
Correct position.

18



- 1. Find min elem of unsorted region.
- 2. Swap the min & leftmost element in unsorted array.



$n-1$ times

Q1

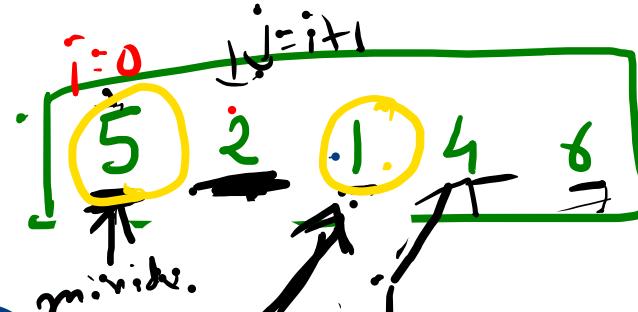
8 6 2 4 0

. dry run

```
for(i=0; i<n-1; i++)  
{
```

let minIdx = i

```
for(j: i+1; j<n; j+1)
```



```
if (arr[j] < arr[minIdx])  
    minIdx = j
```

1 < 2
4 < 1

[arr[minIdx], arr[i]] = [arr[i], arr[minIdx]]

1 2 3 4 5 6

1 2

i
↓
 $i_{\min} = 1$
j
→ j

1 4 < 2 X
5 < 2 X
6 < 2 X

$n + (n+1) + (n-2) + (n-3) + \dots$

```
function selectionSort(arr){  
    let n = arr.length;  
    for(i=0;i<n-1;i++){  
        let minidx=i;  
        for(j=i+1;j<n;j++){  
            if(arr[j]<arr[minidx]){  
                minidx=j;  
            }  
        }  
        [arr[minidx],arr[i]]= [arr[i],arr[minidx]];  
        console.log(arr)  
    }  
    return arr;  
}  
  
selectionSort([4,5,3,2,9])
```

$O(n^2)$

Bubb
Sort

```
function bubbleSort(arr){  
    let n = arr.length; // 5  
    for(let i=0;i<n-1;i++){  
        var isswapped = false;  
        for(let j = 0;j < n-1-i;j++){  
            if(arr[j] > arr[j+1]){  
                //swap  
                [arr[i],arr[j+1]] = [arr[j+1],arr[i]];  
                isswapped=true;  
            }  
        }  
        if(!isswapped){  
            break;  
        }  
        console.log(arr)  
    }  
    return arr;  
}  
  
bubbleSort([5,1,4,2,8])
```

arr

arr → sorting

OC

Such alg. which have a Space Comp. $O(1)$
are known as in-place Sorting alg.