

CNS - OPEN BOOK TEST

1. Vigenere Cipher

P : Practice Problem

K : CNS

C : ?

Encryption :

a) P = P r a c t i c e P r o b l e m
 15 17 0 2 19 8 2 4 15 17 14 1 11 4 12

b) K = c n s
 2 13 18

c) Divide the PT into no. of char of Key

P	r	a	c	t	i	c	e	p	r	o	b	l	e	m
P = 15	17	0	2	19	8	2	4	15	17	14	1	11	4	12
K = 2	13	18	2	13	18	2	13	18	2	13	18	2	13	18

Now,

$$C = (P + K) \bmod 26$$

$$C_1 = (15 + 2) \bmod 26 = 17$$

$$C_2 = (17 + 13) \bmod 26 = 4$$

$$C_3 = (0 + 18) \bmod 26 = 18$$

$$C_4 = (2 + 2) \bmod 26 = 4$$

$$C_5 = (19 + 13) \bmod 26 = 6$$

$$C_6 = (8 + 18) \bmod 26 = 0$$

$$C_7 = (2 + 2) \bmod 26 = 4$$

$$C_8 = (4 + 13) \bmod 26 = 17$$

$$C_9 = (15 + 18) \bmod 26 = 7$$

$$C_{10} = (17 + 2) \bmod 26 = 19$$

$$C_{11} = (14 + 13) \bmod 26 = 1$$

$$C_{12} = (1 + 18) \bmod 26 = 19$$

$$C_{13} = (11 + 2) \bmod 26 = 13$$

$$C_{14} = (4 + 13) \bmod 26 = 17$$

$$C_{15} = (12 + 18) \bmod 26 = 4$$

C : 17 4 18 4 6 0 4 17 7 19 1 19 13 17 4
r e s e g a e r h t b t n r e

C : resegaerhtbbtnre

2. Hill cipher

P : ACT

K : YashShah

C : ?

$$K = \begin{bmatrix} y & a & s \\ h & s & h \\ a & h & x \end{bmatrix}$$

Encryption: $C = P \times K \bmod 26$ [matrix]

1) PT matrix = 2×1

$$P : ACT = \begin{bmatrix} A \\ C \\ T \end{bmatrix}_{3 \times 1} \quad \begin{bmatrix} T \\ X \\ T \end{bmatrix}_{3 \times 1}$$

2) Key matrix = 3×3

$$\begin{aligned} C_1 &= P_1 \times K \bmod 26 = \begin{bmatrix} A \\ C \\ T \end{bmatrix} \times \begin{bmatrix} 24 & 0 & 18 \\ 7 & 18 & 7 \\ 0 & 7 & 23 \end{bmatrix} \bmod 26 \\ &= \begin{bmatrix} 0 \\ 2 \\ 19 \end{bmatrix} \times \begin{bmatrix} 23 & 0 & 18 \\ 7 & 18 & 7 \\ 0 & 7 & 23 \end{bmatrix} \bmod 26 \\ &= \begin{bmatrix} 34 & 2 \\ 16 & 9 \\ 45 & 1 \end{bmatrix} \bmod 26 = \begin{bmatrix} 4 \\ 13 \\ 9 \end{bmatrix} = \begin{bmatrix} e \\ n \\ j \end{bmatrix} \end{aligned}$$

$$e_2 = P_2 \times K \bmod 26 = \begin{bmatrix} T \\ X \end{bmatrix} \times \begin{bmatrix} 23 & 0 & 18 \\ 7 & 18 & 7 \\ 0 & 7 & 23 \end{bmatrix} \bmod 26$$

C : enj

$$= \begin{bmatrix} 19 \\ 23 \end{bmatrix} \times \text{mod } 26$$

mod 26

≠

3. Keyless Transposition (Row) Cipher

P : Practice Problem

K : CNS

C = ?

4 x 4 matrix

P	t	P	l
r	i	r	e
a	c	o	m
c	e	b	x



ptpl rire a com cebx

C : ptpl rire a com cebx

4. Keyed (column) Cipher

P : Practice Problem

K : FIRE = ~~3124~~ 2341 ~~3124~~

C : ?

4 x 4 matrix

2	3	4	1
P	r	a	c
t	i	c	e
p	r	o	b
l	e	m	x

C = cebx ptpl rire
acom~~C : rire a com ptpl cebx~~

5. Affine

P : Good Morning

K : $(\overset{m}{7}, \overset{a}{9})$, $K_1 = 7$, $K_2 = 9$

Encryption :

P : G o o d m o r n i n g
6 14 14 3 12 14 17 13 8 13 6

$$C_1 = (6 \times 7 + 9) \bmod 26 = 18 \rightarrow s = 25 \rightarrow z$$

$$C_2 = (14 \times 7 + 9) \bmod 26 = 16 \rightarrow q = 3 \rightarrow d$$

$$C_3 = (14 \times 7 + 9) \bmod 26 = 16 \rightarrow q = 3 \rightarrow d$$

$$C_4 = (3 \times 7 + 9) \bmod 26 = 22 \rightarrow w = 4 \rightarrow e$$

$$C_5 = (12 \times 7 + 9) \bmod 26 = 10 \rightarrow k = 15 \rightarrow p$$

$$C_6 = (14 \times 7 + 9) \bmod 26 = 16 \rightarrow q = 3 \rightarrow d$$

$$C_7 = (17 \times 7 + 9) \bmod 26 = 12 \rightarrow m = 24 \rightarrow y$$

$$C_8 = (13 \times 7 + 9) \bmod 26 = 0 \rightarrow a = 22 \rightarrow w$$

$$C_9 = (8 \times 7 + 9) \bmod 26 = 24 \rightarrow y = 13 \rightarrow n$$

$$C_{10} = (13 \times 7 + 9) \bmod 26 = 0 \rightarrow a = 22 \rightarrow w$$

$$C_{11} = (6 \times 7 + 9) \bmod 26 = 18 \rightarrow s = 25 \rightarrow z$$

~~e : sqqwkqmayas~~

C = zddepdywnwz

6 Decrypt Affine Cipher

P: aevjvztsdwcn = 0 4 21 9 21 9 25 19 18 3 22
2 13

$$K = (17, 15)$$

$$K_1 = 17 \quad \therefore K_1^{-1} = 23$$

$$K_2 = 15 \quad \therefore K_2^{-1} = -15$$

$$P_1 = \cancel{[(0 - 15) \times (-15)] \bmod 26}$$

$$0 \quad P_1 = [0 - (-15) \times 23] \bmod 26 = 19 = t$$

$$4 \quad P_2 = [4 - (-15) \times 23] \bmod 26 = h$$

$$21 \quad P_3 = [(21 - 15) \times 23] \bmod 26 = i$$

$$9 \quad P_4 = [(9 - 15) \times 23] \bmod 26 = s$$

$$21 \quad P_5 = [(21 - 15) \times 23] \bmod 26 = i$$

$$9 \quad P_6 = [(9 - 15) \times 23] \bmod 26 = s$$

$$25 \quad P_7 = [(25 - 15) \times 23] \bmod 26 = w$$

$$19 \quad P_8 = [(19 - 15) \times 23] \bmod 26 = o$$

$$18 \quad P_9 = [(18 - 15) \times 23] \bmod 26 = r$$

$$3 \quad P_{10} = [(3 - 15) \times 23] \bmod 26 = k$$

$$22 \quad P_{11} = [(22 - 15) \times 23] \bmod 26 = i$$

$$2 \quad P_{12} = [(2 - 15) \times 23] \bmod 26 = n$$

$$13 \quad P_{13} = [(13 - 15) \times 23] \bmod 26 = g$$

1. Play Fair

P : Good Morning

K : stayhappy

s	t	a	y	h
p	y	b	c	d
e	f	g	i/j	k
l	m	n	o	q
r	u	v		

5x5

s	t	a	y	h
p	b	c	d	e
f	g	i/j	k	l
m	n	o	q	r
u	v	w	x	z

5x5

good morning

go od mo rn in gx

go = in

od = qc

mo = nq

rn = mo

in = go

gx = kv

C = inqcnqmogokv

8. Playfair

C: gomqyeKcxL
K: hello

h	e	l	o	a
b	c	d	f	g
i/j	k	m	n	p
q	r	s	t	u
v	w	x	y	z

5x5

go mq ye Kc xL

go = th
mq = is
ye = wo
Kc = rk
xL = ld

14. C = eeyxlovxhorelenx
K: HACK = 3124

3	1	2	4
e	l	h	l
e	v	o	e
y	o	r	n
x	x	e	x

nore eeyx lvox lenx

h	e	l	l
o	e	v	e
r	y	o	n
e	x	x	x

P = Hello everyone

9. ~~Affine Cipher~~

~~P: Hello everyone~~

~~K = (7, 5)~~

13. Keyless (column)

C: horeeeyxlovxlenx

4x4 matrix

h	o	r	e
e	e	y	x
l	o	v	x
l	e	n	x

hell oeo~~e~~ ryvn exxx

Decryptⁿ

h	e	l	l
o	e	b	e
r	y	o	n
e	x	x	x

hello e~~x~~everyone xxx