

20/08/2021

Q1. vigenere cipher

Plaintext = Practice Problem

Key = CNS

cipher text = ?

1. Encryption: Plain text = practiceproblem.

p r a c t i c e p r o b l e m

15 17 0 2 19 8 2 4 15 17 14 1 11 4 12

2. Key = CNS

2 13 18

3. Divide the plain text in no. of char in key.

p r a c t i c e p r o b l e m

p r a c t i c e p r o b l e m

PT - 15 17 0 2 19 8 2 4 15 17 14 1 11 4 12

K - 2 13 18 2 13 18 2 13 18 2 13 18 2 13 18

4. cipher Text =  $(P + K) \bmod 26$ 

$$C_1 = (15 + 2) \bmod 26 = 17 \bmod 26 = 17 = r$$

$$C_2 = (17 + 13) \bmod 26 = 30 \bmod 26 = 4 = e$$

$$C_3 = (0 + 18) \bmod 26 = 18 \bmod 26 = 18 = s$$

$$C_4 = (2 + 2) \bmod 26 = 4 \bmod 26 = 4 = e$$

$$C_5 = (19 + 13) \bmod 26 = 32 \bmod 26 = 6 = g$$

$$C_6 = (8 + 18) \bmod 26 = 26 \bmod 26 = 0 = a$$

$$C_7 = (2 + 2) \bmod 26 = 4 \bmod 26 = 4 = e$$

$$C_8 = (4 + 13) \bmod 26 = 17 \bmod 26 = 17 = r$$

$$C_9 = (15 + 18) \bmod 26 = 33 \bmod 26 = 7 = h$$

$$C_{10} = (17 + 2) \bmod 26 = 19 \bmod 26 = 19 = t$$

$$C_{11} = (14 + 13) \bmod 26 = 27 \bmod 26 = 1 = b$$

$$C_{12} = (1 + 18) \bmod 26 = 19 \bmod 26 = 19 = t$$

$$C_{13} = (11 + 2) \bmod 26 = 13 \bmod 26 = 13 = n$$

$$C_{14} = (4 + 13) \bmod 26 = 17 \bmod 26 = 17 = r$$

$$C_{15} = (12 + 18) \bmod 26 = 30 \bmod 26 = 4 = e$$

$\therefore$  cipher Text = r e s e g a e r h t b t n r e

Q2. Hill Cipher

Plain text = ACT

Key = YashShah

Cipher text = ?

$$1. \text{ Key matrix} = 3 \times 3 = \begin{bmatrix} y & a & s \\ h & s & h \\ a & h & x \end{bmatrix} = \begin{bmatrix} 24 & 0 & 18 \\ 7 & 18 & 7 \\ 0 & 7 & 23 \end{bmatrix}$$

$$\text{Plain text matrix} = 3 \times 1 = \begin{bmatrix} a \\ c \\ t \end{bmatrix} = \begin{bmatrix} 0 \\ 2 \\ 19 \end{bmatrix}$$

$$C_1 = P_1 \times K \text{ mod } 26 = \begin{bmatrix} a \\ c \\ t \end{bmatrix} \times \begin{bmatrix} y & a & s \\ h & s & h \\ a & h & x \end{bmatrix} \text{ mod } 26$$

$$= \begin{bmatrix} 0 \\ 2 \\ 19 \end{bmatrix} \times \begin{bmatrix} 24 & 0 & 18 \\ 7 & 18 & 7 \\ 0 & 7 & 23 \end{bmatrix} \text{ mod } 26$$

$$= \begin{bmatrix} 0 \times 24 + 2 \times 0 + 18 \times 19 \\ 0 \times 7 + 2 \times 18 + 19 \times 7 \\ 0 \times 0 + 2 \times 7 + 19 \times 23 \end{bmatrix} \text{ mod } 26$$

$$= \begin{bmatrix} 342 \\ 166 \\ 451 \end{bmatrix} \text{ mod } 26$$

$$= \begin{bmatrix} 4 \\ 13 \\ 9 \end{bmatrix} = \begin{bmatrix} e \\ n \\ j \end{bmatrix}$$

 $\therefore$  Cipher text = enj

Q3. Keyless Transposition (Row) Cipher.

Plain text = Practiceproblem

Key = CNS

Cipher text = ?

1. Total number of character in Plain text = 15

1. Enter all char in Plain-text into square matrix.

p	r	a	c
t	i	e	e
p	r	o	b
l	e	m	x

p	t	p	l
r	i	r	e
a	c	o	m
c	e	b	x

We will write text from rows.

$\therefore$  Cipher text = ptpt rirre of acom cebx

- Q4. Keyed (column) cipher.

Plain text = Practice Problem

Key = Fire

Cipher text = ?

1. No. of columns = 4

f	i	r	e
5	8	17	4
p	r	a	c
t	i	e	e
p	r	o	b
l	e	m	x

Cipher text = cebx ptpt rirre acom

- Q5. Encrypt using Affine cipher

Plain text = Good Morning

Key = (7, 9)

$E = (p \times K_1 + K_2) \bmod 26$

$K_1$  = multiplicative key = 9

$K_2$  = Additive key = 7



g o o d m o r n i n g  
6 14 14 3 12 14 17 13 8 13 6

$$E = (P \times K_1 + K_2) \bmod 26$$

- $C_1 = (6 \times 9 + 7) \bmod 26 = 61 \bmod 26 = 9 = j$   
 $C_2 = (14 \times 9 + 7) \bmod 26 = 133 \bmod 26 = 3 = d$   
 $C_3 = (14 \times 9 + 7) \bmod 26 = 133 \bmod 26 = 3 = d$   
 $C_4 = (3 \times 9 + 7) \bmod 26 = 34 \bmod 26 = 8 = i$   
 $C_5 = (12 \times 9 + 7) \bmod 26 = 115 \bmod 26 = 11 = l$   
 $C_6 = (14 \times 9 + 7) \bmod 26 = 133 \bmod 26 = 3 = d$   
 $C_7 = (17 \times 9 + 7) \bmod 26 = 160 \bmod 26 = 4 = e$   
 $C_8 = (13 \times 9 + 7) \bmod 26 = 124 \bmod 26 = 20 = u$   
 $C_9 = (8 \times 9 + 7) \bmod 26 = 79 \bmod 26 = 1 = b$   
 $C_{10} = (13 \times 9 + 7) \bmod 26 = 124 \bmod 26 = 20 = u$   
 $C_{11} = (6 \times 9 + 7) \bmod 26 = 61 \bmod 26 = 9 = j$

cipher text = jddildeubuj

Q6. Decrypt using affine cipher.

Plain text = ?

Cipher text = aevjvjztsdvch

Key = (17, 15)

$K_1$  = multiplicative key = 15

$K_2$  = additive key = 17

$$D = K_1^{-1} (P - K_2) \bmod 26$$

1. To find key inverse.

$$26 = 15 \times 1 + 11$$

$$15 = 11 \times 1 + 4$$

$$11 = 4 \times 2 + 3$$

$$4 = 3 \times 1 + 1$$

$$3 = 1 \times 3 + 0$$

$$1 = 4 + 3(-1)$$

$$1 = 4 + (11 + 4(-2))(-1)$$

$$1 = 4(3) + 11$$

$$1 = (15 + 11(-1))(3) + 11$$

$$1 = 15(3) + 11(-2)$$

$$1 = 15(3) + (26 + 15(-1))(-2)$$

$$1 = 15(3) + 26(-2) + 15(2)$$

$$1 = 15(5) + 26(-2)$$

Q7. Encrypt using playfair cipher.  
 Plain-text = good morning  
 key = stayhappy.

s	t	a	y	h
p	b	c	d	e
f	g	i/j	k	l
m	n	o	q	r
u	v	w	x	z

5x5

go od mo rn in gx

in qc nq mo go kv

∴ cipher text = inqc nqmogokv

Q8. Playfair Cipher

Cipher text = qomgyekcxl

key = hello

Plain-text = ?

h	e	l	o	a
b	c	d	f	g
i/j	k	m	n	p
q	r	s	t	u
v	w	x	y	z

5x5

qo = th

mq = is

ye = wo

kc = ce

xl = sx

Plain cipher text = this wocesx

Q9. Affine cipher.

Plain text = Hello Everyone.

key = (7, 5)

Cipher text = ?

h	e	l	l	o	e	v	e	r	y	o	n	e
7	4	11	11	14	4	21	4	17	24	14	13	4



$$C = (P \times K_1 + K_2) \bmod 26$$

2 21 20 20 1 21 0 21 8 7 1 16 21

∴ Cipher text = cvuubvavibbqv

Q10. Affine cipher.

cipher text = cvuubvavibbqv

key = (11, 3)

Plain text = hello everyone.

Q11. Additive cipher.

cipher text = axeehxoxkrhgx

Key = T = 19

Plain text = ?

a x e e h x o x k r h g x  
0 23 4 4 7 23 14 23 10 17 7 6 23

$$P = (C - K) \bmod 26$$

7 4 11 11 14 4 21 4 17 24 14 13 4  
h e l l o e v e r y o n e

Plain text = hello everyone.

Q13. C = horeeeyxlovxlenx keyless transposition.

↓  
[ h o r e ]  
[ e e y x ]  
[ l v o x ]  
↓  
[ l e n x ]

Plain text = hello everyone

Q14. Keyed transposition.

cipher text = eeyxlovxhorelenx

Key = Hack.

[ e e y x ]  
[ l v o x ]  
[ h o r e ]  
[ l e n x ]  
3 1 2 4

3 1 2 4  
[ e l h l ]  
[ e v o e ]  
[ y o r n ]  
[ x x e x ]

⇒ [ h e l l ]  
[ o e v e ]  
[ r y o n ]  
[ e x x x ]

Plain text = hello everyone.