



Gentle RED, Nonlinear RED and Self Configuring RED Queue Disciplines

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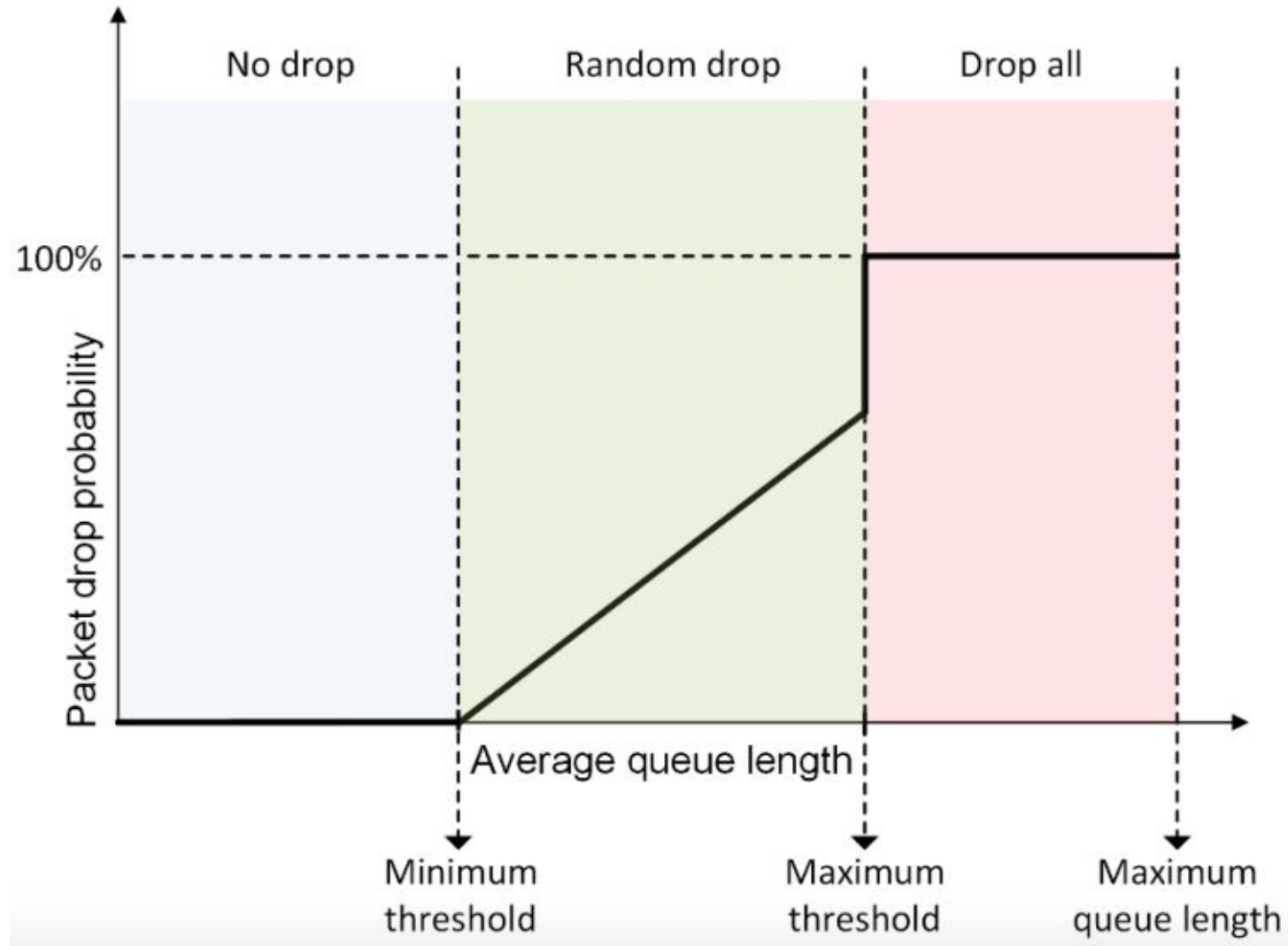
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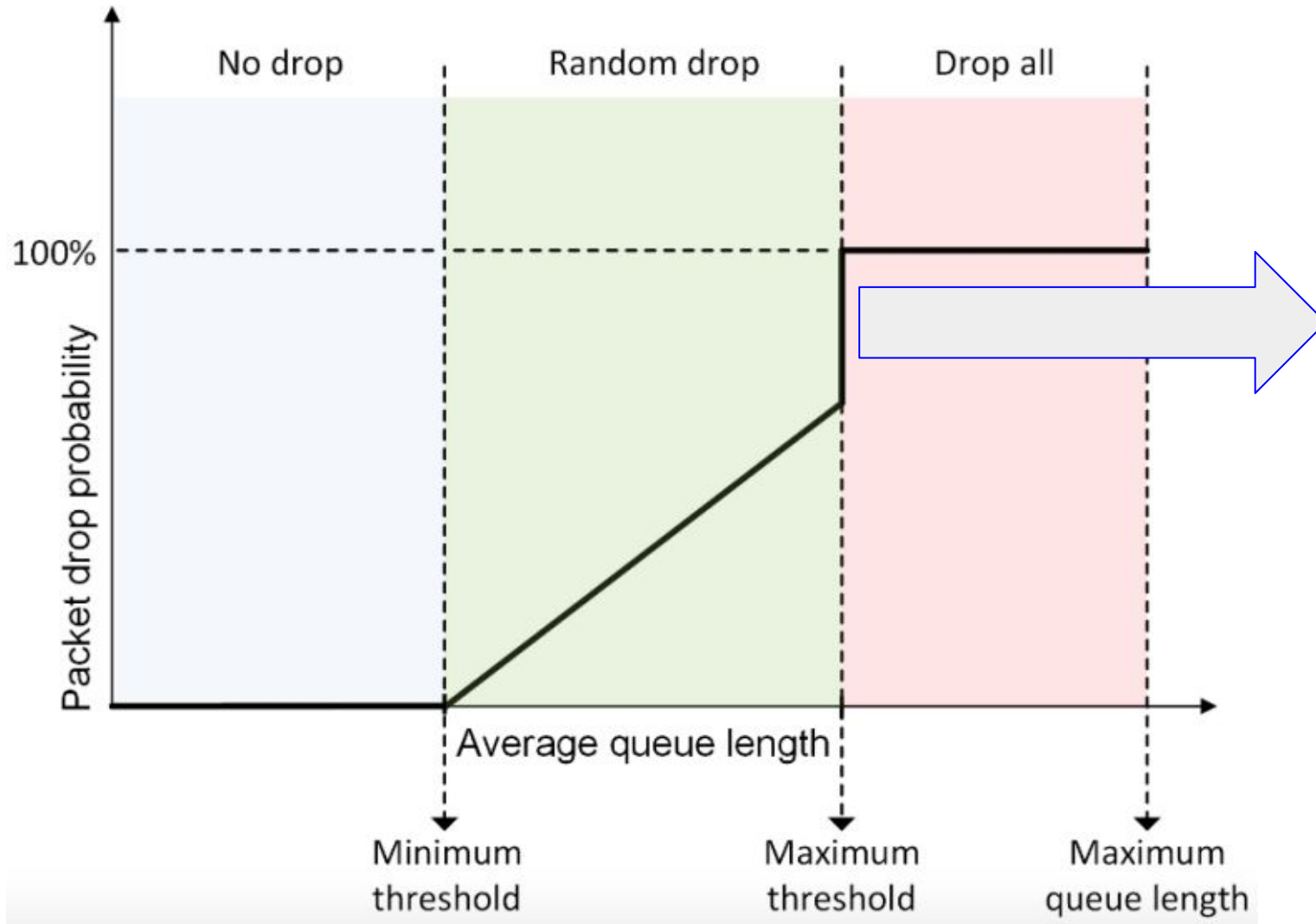
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Recap of RED algorithm

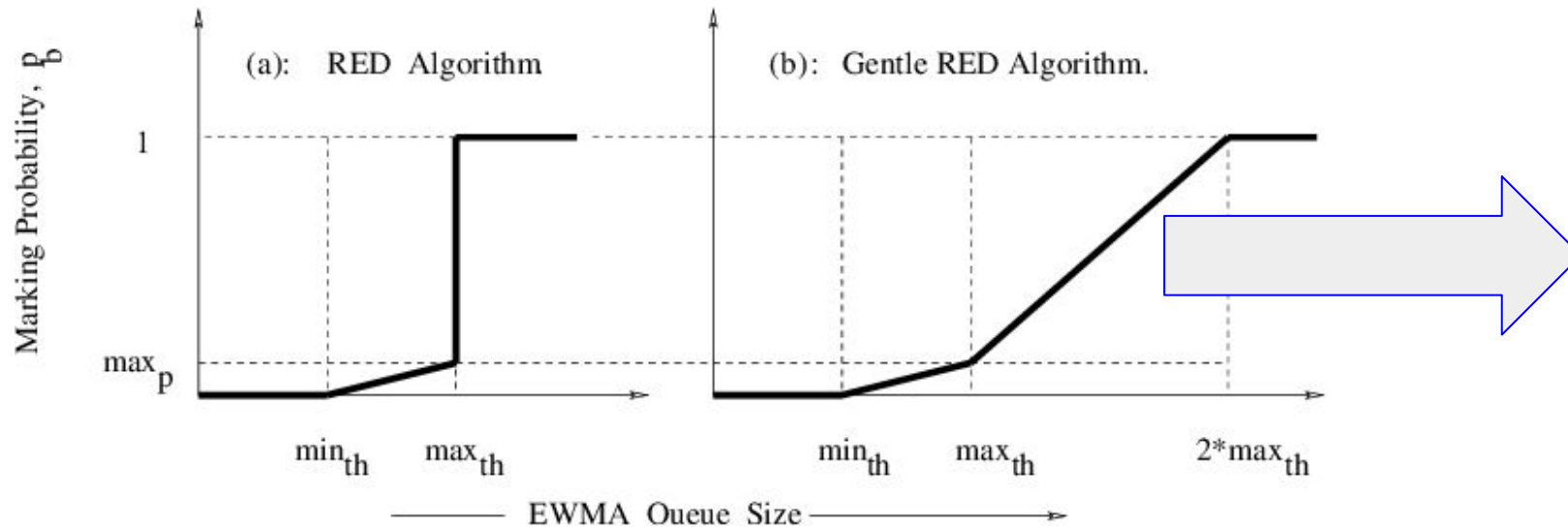


Motivation for Gentle RED



This behavior leads to aggressive packet drops i.e., when average queue length increases beyond the max_{th} , the drop probability sharply rises to 1.

Working of Gentle RED

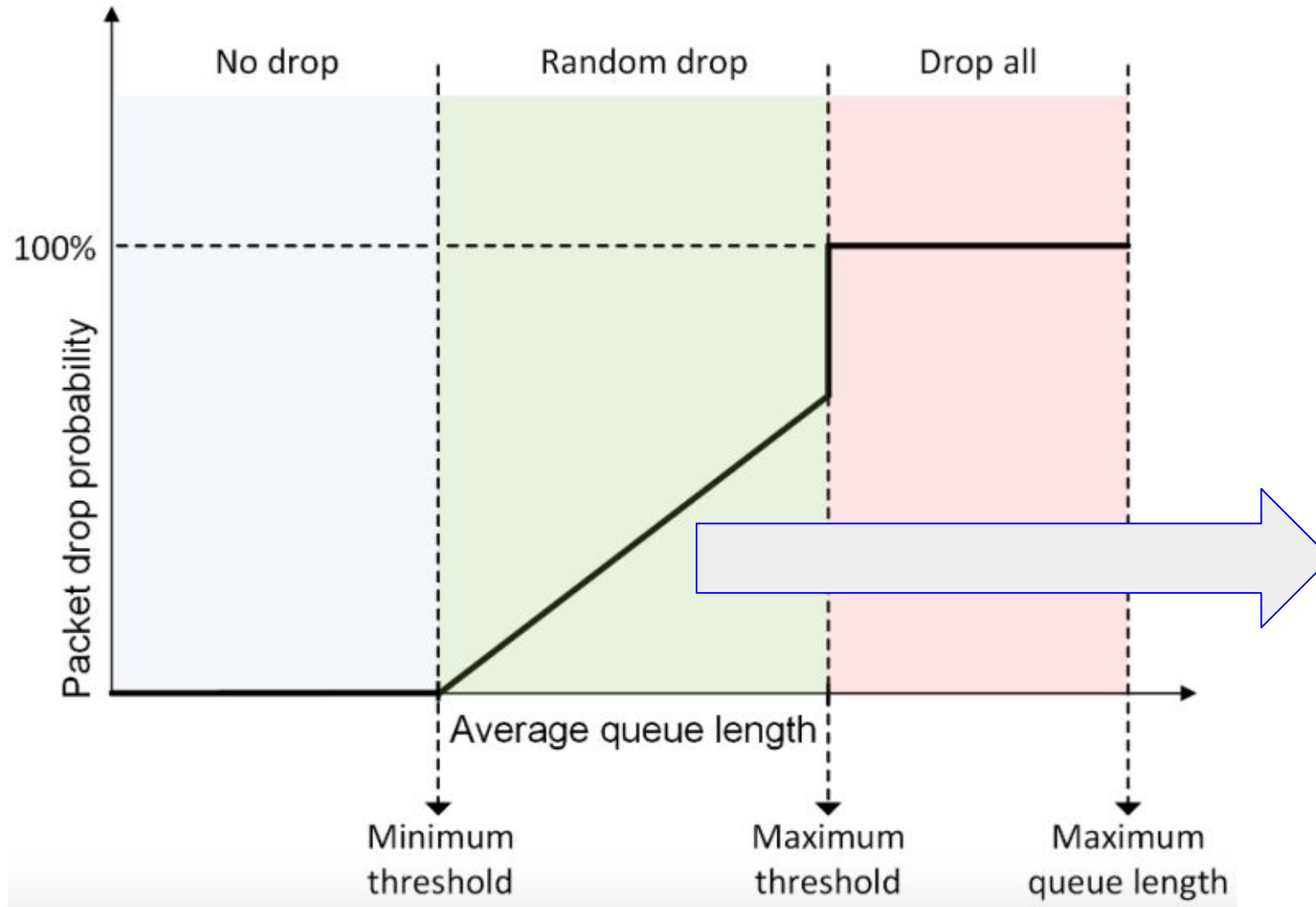


Gentle RED tries to flatten this curve with a slope similar to the original RED when average queue length is between \max_{th} and twice of \max_{th} .

Question: How is P_d and P_a calculated when $\max_{th} < \text{newavg} < 2 \times \max_{th}$

Hint: See the paper mentioned below in 'Image Credits'

Motivation: Nonlinear RED and Self Configuring RED



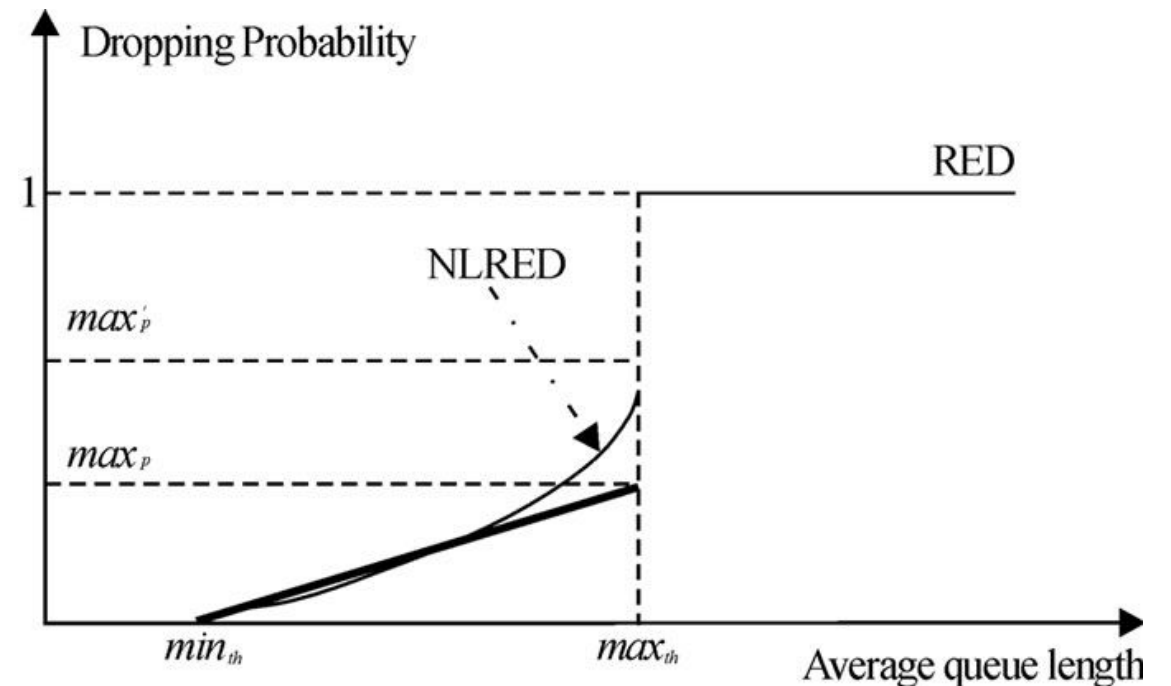
Instead of increasing the P_d linearly, it might be better if P_d is increased slowly when it is near to \min_{th} and increased sharply when it is near to \max_{th} .

Working of Nonlinear RED

$$p'_d = \begin{cases} 0 & \text{avg} \leq \min_{th}, \\ \left(\frac{\text{avg} - \min_{th}}{\max_{th} - \min_{th}} \right)^2 \max'_p & \min_{th} < \text{avg} \leq \max_{th}, \\ 1 & \max_{th} < \text{avg}. \end{cases}$$

where,

$$\max'_p = 1.5 \times \max_p$$



Equation Credits: Kaiyu Zhou, Kwan L. Yeung, and Victor OK Li. "Nonlinear RED: A simple yet efficient active queue management scheme." *Computer Networks* 50, no. 18 (2006): 3784–3794.

Image Credits: Hui Wang, Xiao-Hui Lin, Kai-Yu Zhou, Nin XIE, and Hui LI. "On the scalable fairness and efficient active queue management of RED." *Int'l J. of Communications, Network and System Sciences* 2009 (2009).

Working of Self Configuring RED

It adapts \max_p as shown in the pseudocode below:

On every update of 'newavg':

if ($\min_{th} < \text{newavg} < \max_{th}$)

 status = between;

else if ($\text{newavg} < \min_{th} \ \&\& \ \text{status} \neq \text{below}$)

 status = below;

$\max_p = \max_p \div \alpha$ // default value is 3

else if ($\text{newavg} > \max_{th} \ \&\& \ \text{status} \neq \text{above}$)

 status = above;

$\max_p = \max_p \times \beta$ // default value is 2

Question: Is there an upper and lower limit for \max_p in this algorithm?

Important Note!

- This algorithm is named as 'Adaptive RED' in the original paper published by Feng in 1999.
- Sally Floyd proposed another algorithm in 2001 which is also named as 'Adaptive RED'.
- Eventually, the research community went on to use the term 'Adaptive RED' for Floyd's algorithm.
- Feng's algorithm is popularly known as 'Self Configuring RED' or 'Feng Adaptive RED'. The latter is used in ns-3.

Recommended Reading

Gentle RED:

Link: https://ir.canterbury.ac.nz/bitstream/handle/10092/14719/tr_0502.pdf?sequence=1&isAllowed=y

Nonlinear RED

Link: <https://www.sciencedirect.com/science/article/abs/pii/S1389128606000879?via%3Dihub>

Self Configuring RED:

Link: <https://ieeexplore.ieee.org/abstract/document/752150/>