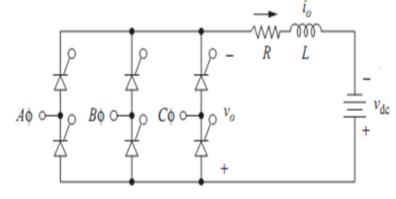
- Numerical problem => Inverter operation
- 6 pulse converter supplied from 400 V 3φ 50 Hz
- RLE load => R=10 Ω and
- L is very large & E= 450 V
- $\alpha = 120^{\circ}$ determine
- i) converter O/P voltage
- & DC current supplied by the battery
- ii) Power dissipated in R load
- iii) Source current and supply pf
- iv) active power provided by the battery
- V) Reactive power supplied from the source



Numerical problem: RLE load

$$Vdc(av) = \frac{3Vml}{T} \cos x = \frac{3 \times \sqrt{2} \times 400}{T} \cos 20$$

$$Vdc(av) = \frac{270.09}{270.09} V = -270.09V$$

$$Idc = \frac{E - Vdc(av)}{R} = \frac{450 - 270.09}{10} = 17.99A$$

$$Power disipated in R law = Idc. R$$

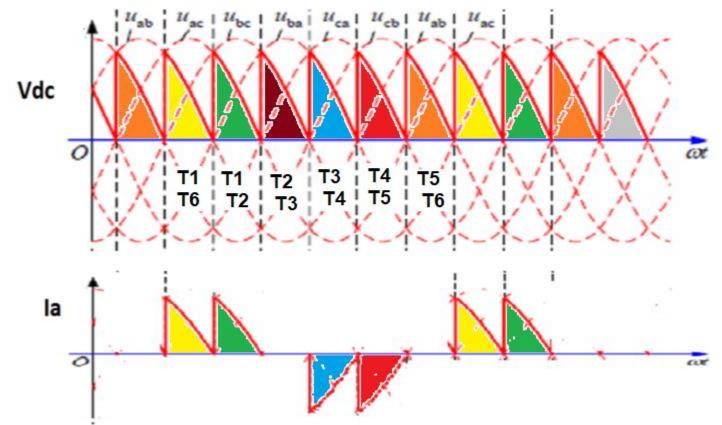
$$= (17.99)^{2} \times 10 = 3236.76W$$

$$Source current Is = \sqrt{2}/3 \cdot Tdc = \sqrt{2}/3 \times 17.99$$

$$= 14.6688 A$$

Numerical problem: RLE load

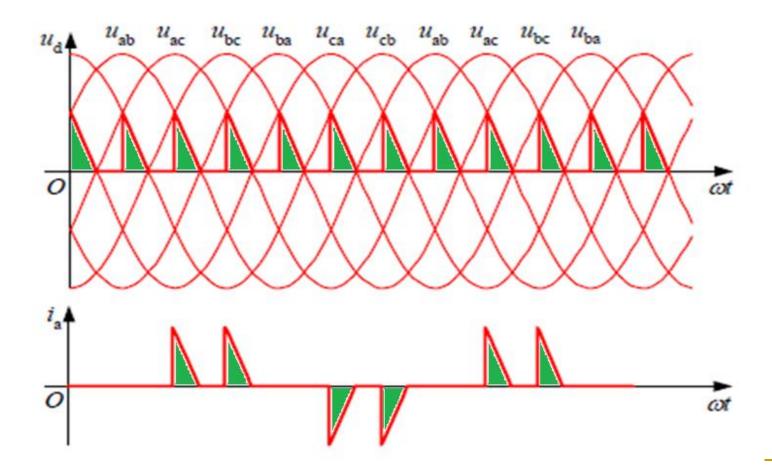
- continuous conduction => 0^{0} < α < 60^{0}
- discontinuous conduction => 60° < α < 120°
- Firing angle : $\alpha = 60^{\circ}$



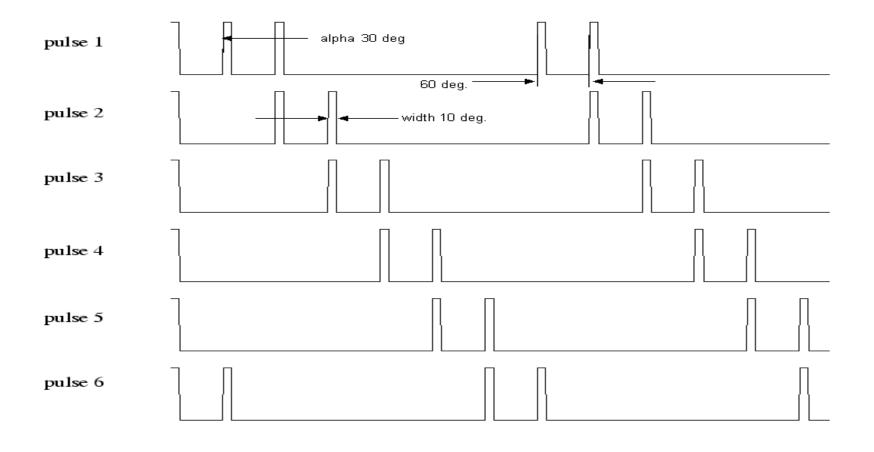
4/22/2021

WCE, Sangli

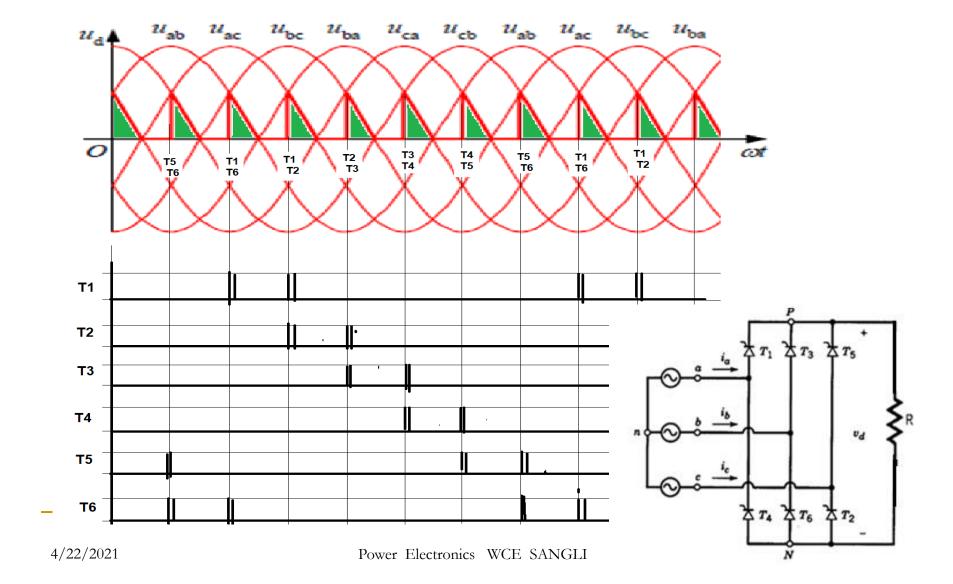
• Firing angle : $\alpha = 90^{\circ}$



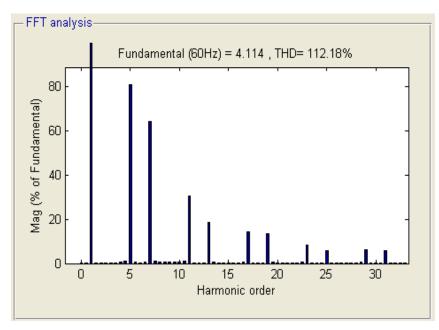
Gating signal for 6 pulse converter

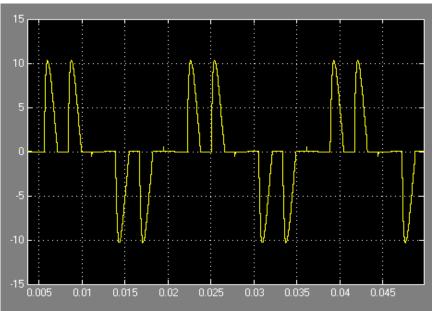


Gate trigger signal – 6 pulse converter



Firing angle = 90 degree





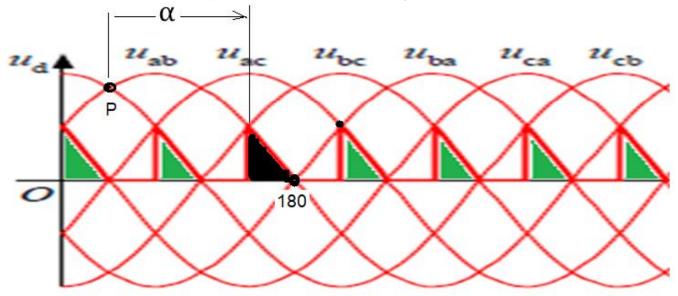
$$I_h = \sqrt{{I_5}^2 + {I_7}^2 + {I_{11}}^2 + {I_{13}}^2 + \cdots}$$
$$= \sqrt{\sum_{n=5,7,...} {I_n}^2}$$

Range of $\alpha => 0$ to 120°

Continuous conduction $=> \alpha < 60^{\circ}$

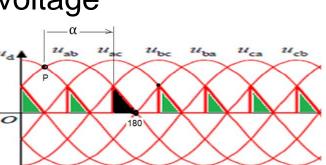
discontinuous conduction $\Rightarrow \alpha > 60^{\circ}$

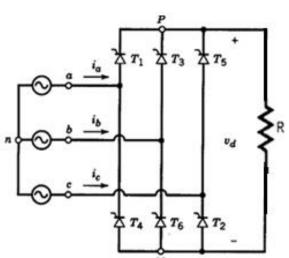
DC O/P Voltage for R load $(60^{\circ} < \alpha < 120^{\circ})$



- $Vdc(av) = \frac{6}{2\pi} \int_{60+\alpha}^{180} Vml \sin \theta \ d\theta$
- $Vdc(av) = \frac{3}{\pi} Vml [1 + cos(60 + \alpha)]$

- Numerical problem
- 6 pulse converter supplied from 400 V 3φ 50 Hz
- R load => R=10 Ω and
- $\alpha = 70^{\circ}$ determine
- i) converter O/P voltage Vdc (rms)
- ii) Power dissipated in R load
- iii) Vdc (av)
- iv) % ripple in O/P voltage





$$V_{dc (rms)} = \left[\frac{6}{2\pi} \int_{130}^{180} V_{ml}^{2} \cdot \sin^{2}\theta \cdot d\theta\right]_{2}^{12}$$

$$V_{dc (rms)} = \left[\frac{6}{2\pi} V_{ml}^{2} \int_{130}^{180} S_{in}^{2}\theta \cdot d\theta\right]_{2}^{12}$$

$$V_{dc (rms)} = \left[\frac{3V_{ml}}{17} \int_{136}^{180} \left(\frac{1 - \cos 2\theta}{2}\right) \cdot d\theta\right]_{2}^{12}$$

$$V_{dc (rms)} = \left[\frac{3V_{ml}}{2\pi} \int_{130}^{180} d\theta - \int_{130}^{180} \cos 2\theta \cdot d\theta\right]_{2}^{12}$$

$$Vdc(rms) = \left[\frac{3V_{mi}}{2\pi}\int_{130}^{180}do - \int_{cos2co}^{180}do\right]^{1/2}$$

$$Vdc(rms) = \left[\frac{3V_{mi}}{2\pi}\left\{\left(\frac{8}{9}\right) - \frac{1}{2}\sin 2\theta\right\}\right]^{1/2}$$

$$Vdc(rms) = \left[\frac{3V_{mi}}{2\pi}\left\{\left(\pi - \frac{130}{180}\pi\right) + \frac{1}{2}\sin 2\theta\right\}\right]^{1/2}$$

$$Vdc(rms) = \left[\frac{3\sqrt{2}\times400}\right]^{2}\left\{0.872 + 0.492\right\}^{1/2}$$

$$Vdc(rms) = 240.95V$$

$$Vdc(\alpha v) = \frac{3 \times \sqrt{2} \times 400}{T} (1-0.6427)$$

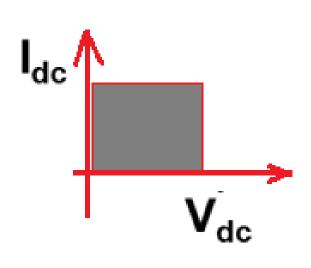
$$Vdc(\alpha v) = 193 V$$

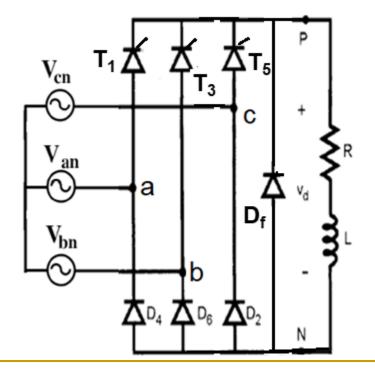
$$FF = \frac{vdc(rms)}{Vdc(\alpha v)} = \frac{240.95}{193.00} = \frac{240.95}{193.00}$$

$$FF = 1.248$$
% Ripple = $\sqrt{5.248^2 - 1} \times 100$

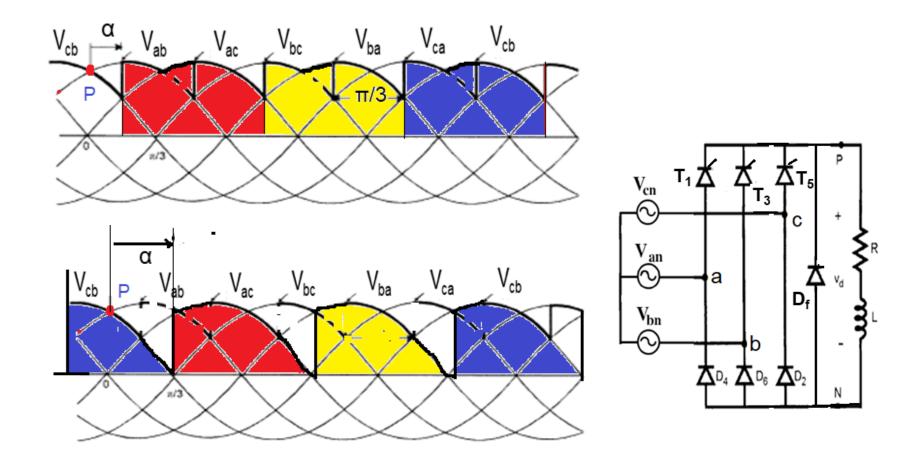
$$= 74.73\%$$

- Single quadrant converter
- Range of $\alpha => 0^{\circ}$ to 180°
- 3 pulse half controlled converter

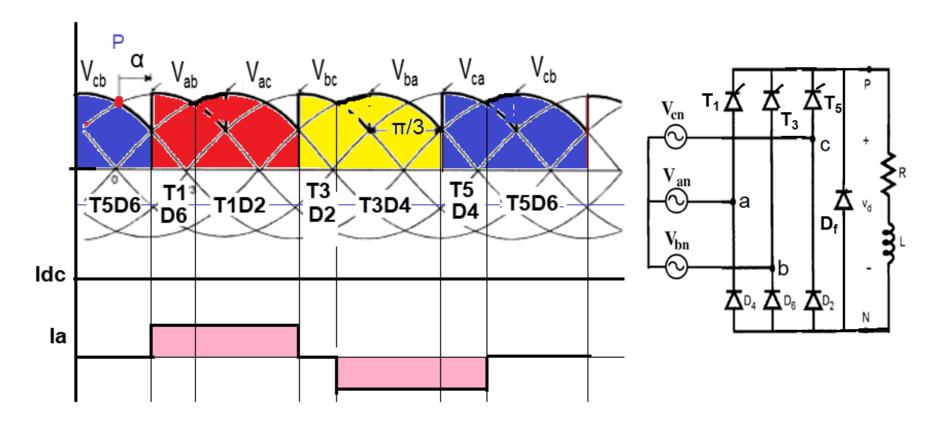




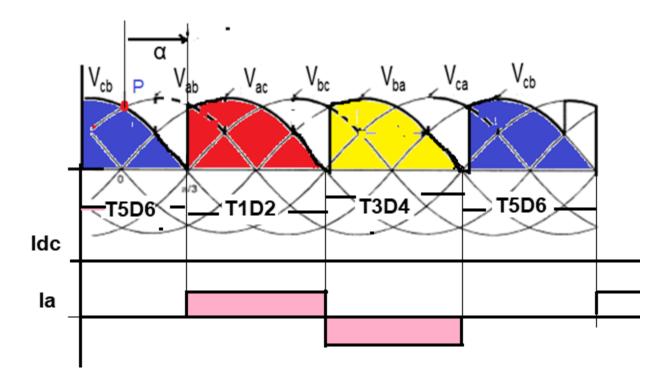
• Waveform at $\alpha = 30^{\circ}$ and $\alpha = 60^{\circ}$



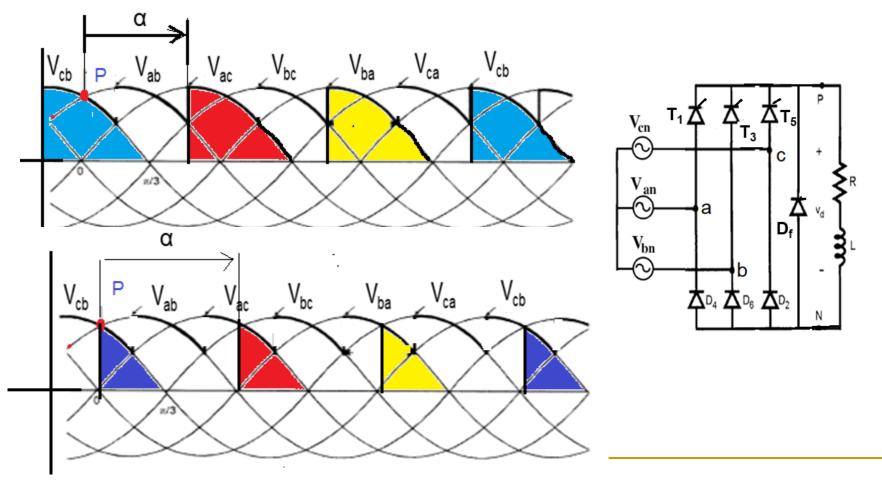
• Firing angle $\alpha = 30^{\circ}$



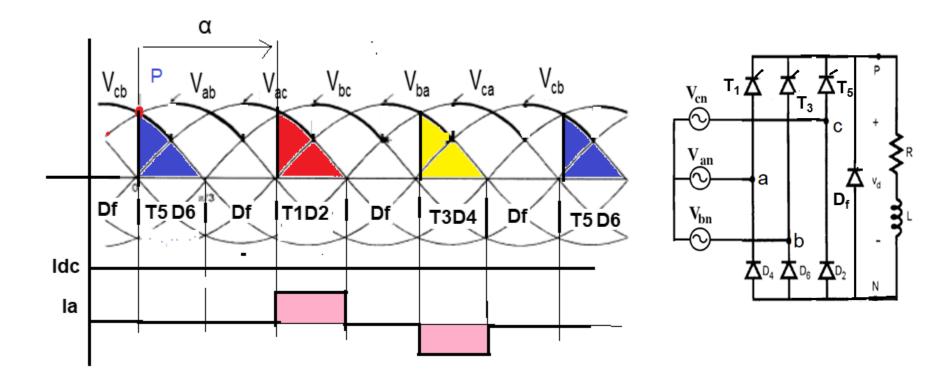
Vdc waveform $\alpha = 60^{\circ}$



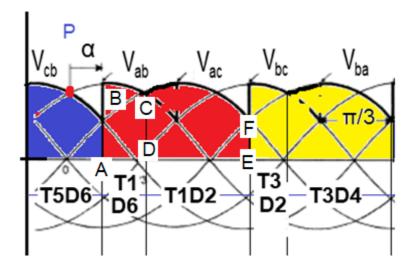
• Waveform at $\alpha = 90^{\circ}$ $\alpha = 120^{\circ}$



• Waveform at $\alpha = 120^{\circ}$



o/p voltage is same for R and RL load



- Vdc(av)= 3[area (ABCD) +area(CDEF)]/ 2 π
- Vdc (av)= $\frac{3}{2\pi} \left[\int_{60+\alpha}^{120} Vmlsin\theta \ d\theta + \int_{60}^{120+\alpha} Vmlsin\theta \ d\theta \right]$
- Vdc (av)= $\frac{3 Vml}{2\pi}$ [1+cosα]

$$A = \int_{0.5}^{120} V_{ml} \sin \theta \cdot d\theta = V_{ml} (-\cos \theta) \Big|_{0.5}^{120}$$

$$A = V_{ml} \left[-\cos 120 + \cos (6 \cdot + 4) \right]$$

$$A = V_{ml} \left[0.5 + \cos 60 \cos x - \sin 60 \sin x \right]$$

$$A = V_{ml} \left[0.5 + 0.5 \cos x - \cos 66 \sin x \right]$$

$$A = V_{ml} \left[0.5 + 0.5 \cos x - \cos 66 \sin x \right]$$

$$A = V_{ml} \left[0.5 + 0.5 \cos x - \cos 66 \sin x \right]$$

$$A = V_{ml} \left[0.5 + 0.5 \cos x - \cos 66 \sin x \right]$$

$$A = V_{ml} \left[0.5 + 0.5 \cos x - \cos 66 \sin x \right]$$

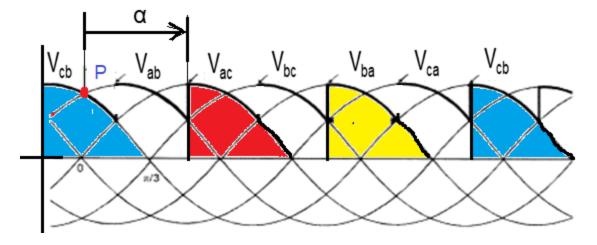
$$B = V_{MA} \left[-\cos(120 + L) + \cos(6) \right]$$

$$B = V_{MA} \left[\cos(6) + \cos(2 - \sin(2) \cos(2 - \sin(2) \cos(2)) \right]$$

$$B = V_{MA} \left[\cos(6) + \cos(6 - \sin(2) \cos(2 - \sin(2) \cos(2 - \cos(2) \cos(2)) \right]$$

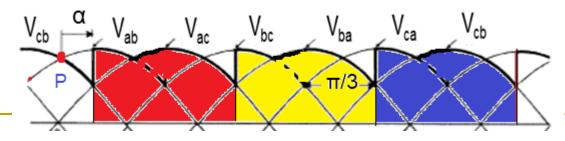
$$V_{MA} \left[\cos(2 - \cos(2 - \cos(2 - \cos(2 + \cos ((3 + \cos (2 + \cos(2 + \cos$$

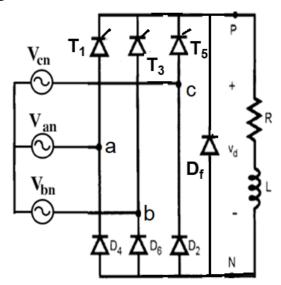
o/p voltage is same for R and RL load



- Vdc (av)= $\frac{3}{2\pi} \left[\int_{\alpha}^{180} Vmlsin\theta \ d\theta \right]$
- Vdc (av)= $\frac{3 Vml}{2\pi}$ [1+cosα]

- Numerical Problem
- 3φ full wave half controlled supplied => 400 V 3φ 50 Hz
- RL load => R=25 Ω and L is very large
- $\alpha = 30^{\circ}$ determine
- i) dc O/P voltage & DC current
- ii) Power dissipated in R load
- iii) Source current and supply pf
- iv) Active and reactive power supplied from the source





$$Vd(CaV) = \frac{3Vml}{2\pi} (1+\cos l)$$

$$Vd(CaV) = \frac{3V\pi \sqrt{2} \times 400}{2\pi} (1+\cos l) = \frac{504V}{2\pi}$$

$$Tac = \frac{Vd(caV)}{R} = \frac{504}{2\pi} = 20.16A$$

$$Pdc = Vd(caV) \cdot Tdc = Tdc \cdot R = 20.16^2 \times 25 = 10160.64W$$

$$Tac = \sqrt{7}3 \cdot Tdc = 16.46A$$

$$Ac Power = Dc \cdot Power$$

$$V2 VL TLCOS \phi = Vdc \cdot Tdc$$

$$V3 VL TLCOS \phi = Vdc \cdot Tdc$$

$$Vdc \cdot Tdc$$

Cos
$$\theta = \frac{504 \times 20.16}{\sqrt{3} \times 400 \times 16.46}$$

Cos $\theta = 0.891$

Pf = 0.891 $\phi = 27$

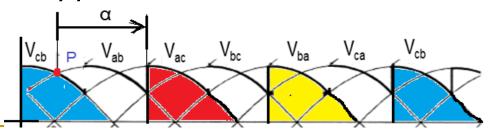
Achive Power = 10160.64W

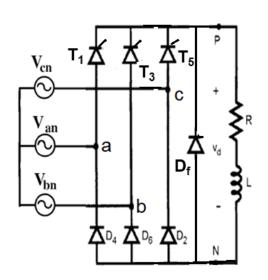
Reachive Power = $\sqrt{3} \times 20.16$

Reachive Power = $\sqrt{3} \times 20.16$

Reachive Power = $\sqrt{3} \times 20.16$

- Numerical Problem
- 3φ full wave half controlled supplied => 400 V 3φ 50 Hz
- RL load => R=10 Ω and L is very large
- $\alpha = 90^{\circ}$ determine
- i) dc O/P voltage & DC current
- ii) Power dissipated in R load
- iii) Source current and supply pf
- iv) Active and reactive power supplied from the source





$$Vdc(av) = \frac{3V_{mL}}{2\pi} (1+\cos x)$$

$$Vdc(av) = \frac{3\times\sqrt{2}\times400}{2\pi} (1+\cos 90) = 270.09V$$

$$Tdc = \frac{Vdc(av)}{R} = \frac{270.09}{10} = 27.01A$$

$$Power dissipated in R local = Tdi.R = Vdc.Tdc$$

$$= 7294.86W$$

$$RMS Value of Source current = \sqrt{1/2}. Fdc$$

$$= 19.09A$$

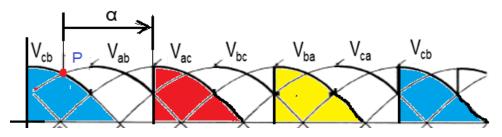
$$Active Power = \sqrt{3}VL.TL\cos \theta = Vdc(av).Tdc$$

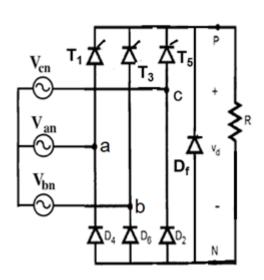
$$= 7294.86W$$

RMS value of source current =
$$\sqrt{\frac{1}{2}} \cdot \text{Idc}$$

= 19.09 A
Active Power = $\sqrt{3}$ VL. IL cos ϕ = $\sqrt{4}$ con. Ide
= $\sqrt{29} \cdot 4 \cdot 86$
 $\cos \phi = \frac{\sqrt{4} \cdot 1 \cdot 1}{\sqrt{3}} = \frac{7294 \cdot 86}{\sqrt{3} \cdot 400 \times 13.03}$
 $\cos \phi = Pf = 0.551$ $\phi = 56.56$
Reactive Power = $\sqrt{3} \cdot \sqrt{13} \cdot 23 \cdot 100 \cdot 100 \times 1000$
= $\sqrt{3} \times 400 \times 1000 \times 1000 \times 1000$
= $\sqrt{3} \times 400 \times 1000 \times 1000 \times 1000$

- Numerical Problem
- 3φ full wave half controlled supplied => 400 V 3φ 50 Hz
- R load => R=10 Ω
- $\alpha = 90^{\circ}$ determine
- i) Vdc (av) and Vdc(rms)
- ii) Power dissipated in R load
- iii) % ripple in the output
- Iv) Avg current flowing through Df





$$Vde(av) = \frac{3 \text{ Vml}}{2\pi} (1+\cos x)$$

$$= \frac{3 \times \sqrt{2} \times 400}{2\pi} (1+\cos x)$$

$$Vde(rms) = \left[\frac{3}{2\pi}\right]^{180} \text{ Vml sin}^2 \text{ o.do}^{1/2}$$

$$Vde(rms) = \left[\frac{3 \text{ Vml sin}^2 \text{ o.do}}{2\pi}\right]^{1/2}$$

$$Vd(lyms) = \left(\frac{3 \text{ Vma}}{2 \text{ Tr}}\right) \left(\frac{1 - c s s 2 \sigma}{2}\right) \cdot d\sigma^{\frac{1}{2}}$$

$$Vd(lyms) = \left(\frac{3 \text{ Vma}}{2 \text{ Tr}}\right) \left(\frac{3 \text{ Vma}}{4 \text{ Tr}}\right) - \frac{1}{2} (\sin 360 - \sin 180) \right) \left(\frac{3 \text{ Vma}}{4 \text{ Tr}}\right) \left(\frac{3 \text{$$