

15/10/24

Recursive

→ Iterative Deepening Depth First Search

pseudocode:

```

function IDDFS(graph, startroot, goal):
  for d = 0 to INT-MAX
    result = DLS(graph, startroot, goal, depth)
    if result:
      return result
  return NULL

```

```

function DLS(root, goal, depth):

```

```

  if depth == 0:

```

```

    if noderoot == goal:

```

```

      return root

```

```

    return NULL

```

```

  for child in root.children:

```

```

    if result = DLS(root, goal, depth-1)

```

```

    if result:

```

```

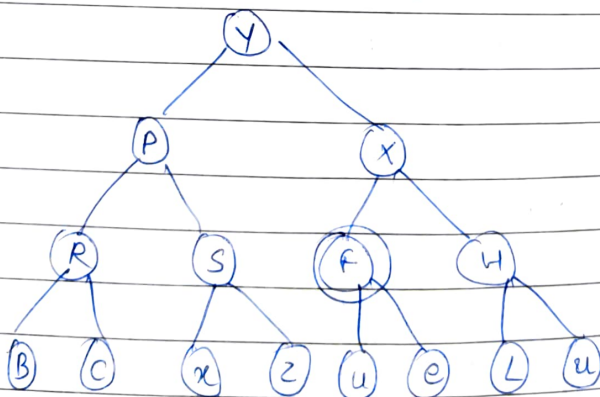
      return result

```

```

  return NULL

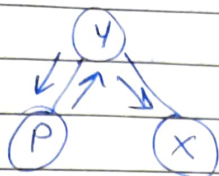
```



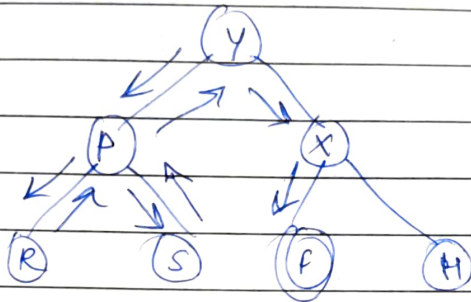
$d = 0 :$

(Y)

return NULL

 $d = 1 :$ 

return NULL

 $d = 2 :$ 

return F //

→ A* on 8 puzzle

pseudocode:

function A_star(start, goal):

open ← priority_queue()

open.add(start, ~~0~~ manhattan(start, goal))

close = set()

g_score = dictionary()

g_score[start] = ~~0~~ manhattan(start, goal)

parent = dictionary()

while !open.empty():

curr = open.pop()

if curr == goal:

return path(parent, curr)

close.add(curr)

for neighbour in neighbours(curr):

if ~~curr~~ ^{neighbour} in close:

continue

```

newg = g_score[curr] + 1
if neighbour not in open and closed or
    newg < g_score[neighbour]:
    parent[neighbour] = curr
    g_score[neighbour] = newg
    f_score = g_score[neighbour]
               + manhattan(neighbour, goal)
    open.add(neighbour, f_score)
return "No soln"

```

```

function Neighbours(curr):
    neighbours = []
    if zero can move up:
        neighbours.append(up state)
    ...
    if zero can move right:
        neighbours.append(right state)
    return neighbours

```

```

function path(parent, curr)
    followed = [curr]
    while curr in parent:
        curr = parent[curr]
        followed.append(curr)
    print(reverse(path))

```

```

function manhattan(curr, goal):
    return manhattan distance of each
    element in curr and goal.

```

Initial state :

1	2	3
8	0	4
7	6	5

 $j = \text{man}$

1	2	3
8	2	0
7	6	5

1	2	3
0	8	4
7	6	5

1	2	3
8	6	4
7	0	5

1	0	3
8	2	4
7	6	5

 $j = 1 + \text{man}$ $j = 1 + \text{man}$ $j = 1 + \text{man}$ $j = 1 + \text{man}$

~~Subash~~
~~15/10/24~~