

AE461 : Aircraft design I



FINAL REPORT

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REPORT**

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APPENDIX

Chapters	Content
Chapter 1	Mission requirements
Chapter 2	Weight and wing-loading estimation
Chapter 3	Wing configuration
Chapter 4	Tail configuration
Chapter 5	Elevator sizing
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Chapter 1: Mission Requirements

1. Min. Payload = 40 kgs of payload
2. Max. Range = 1000 km.
3. Max Takeoff and Landing Runway Length = 500 m
4. Service Ceiling = 11 km
- 5 Cruise Speed = 400 kmph
- 6 Propulsion: Jet Engines (Turbofans)

The parameters we choose are:-

$Cd_0 = 0.017$ (by historical values it is between 0.014 and 0.02)

Sfc (specific fuel consumption - cruise) = $2.5043508000000000e-04$,

Sfc (specific fuel consumption - loiter) = $2.2260896000000001e-04$

Endurance = 40 min

$L/D = 9$ (high L/D ratio)

Aspect Ratio = 3 (we decided to make a delta wing, we compared the results for various aspect ratio as choose this value)

$Cl_{max} = 2.5$ (by historical value for delta wing)

$Cd_{0LG} = 0.009$ (0.006-0.012 by historical value)

$Cd_{0HLDto} = 0.005$ (0.003-0.008 by historical value)

$Cl_c = 0.4$ (0.3-0.5 by historical value)

$Cl_{flapTo} = 0.5$ (0.3-0.8 by historical value)

$\rho = 1.225$ (general density of air at sea level)

Ceiling = 11 km (by mission requirements)

Thus the sigma value is 0.81

Stall velocity = 25m/s

$V_{max} = 140$ m/s (1.2 V_{cruise})

ROC(rate of climb) = 7 (by historical value of delta wings, 3-10)

ROC (at ceiling) = 2.5 (for cruise ceiling of delta wing(military) we took

ROC=2.5)

Take of distance = 500m

Chapter 2: Weight and Wing-loading Estimation

For weight estimation, the flight path was:-



By historical data we took the weight ratio as

Table 3: Typical average segment weight fractions

No.	Mission segment	W_{i+1}/W_i
1	Taxi and take-off	0.98
2	Climb	0.97
3	Descent	0.99
4	Approach and landing	0.997

Thus $W_0/W_1 = 0.98$

$W_2/W_1 = 0.97$

$W_4/W_3 = 0.99$

$W_6/W_5 = 0.997$

For W_3/W_2 the formula for jet aircraft is:

$$\frac{W_3}{W_2} = e^{-\left(\frac{R^*C}{V^*L/D}\right)}$$

Thus $W_3/W_2 = 0.79$

And for W_5/W_4

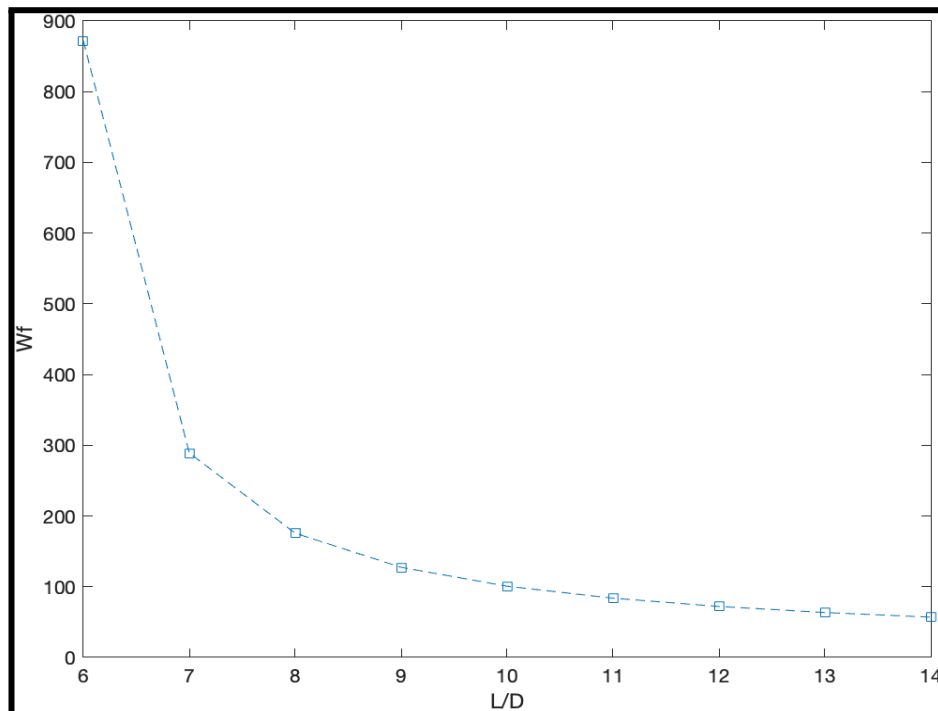
$$\frac{W_5}{W_4} = e^{-\left(\frac{E^*C}{L/D(max)}\right)}$$

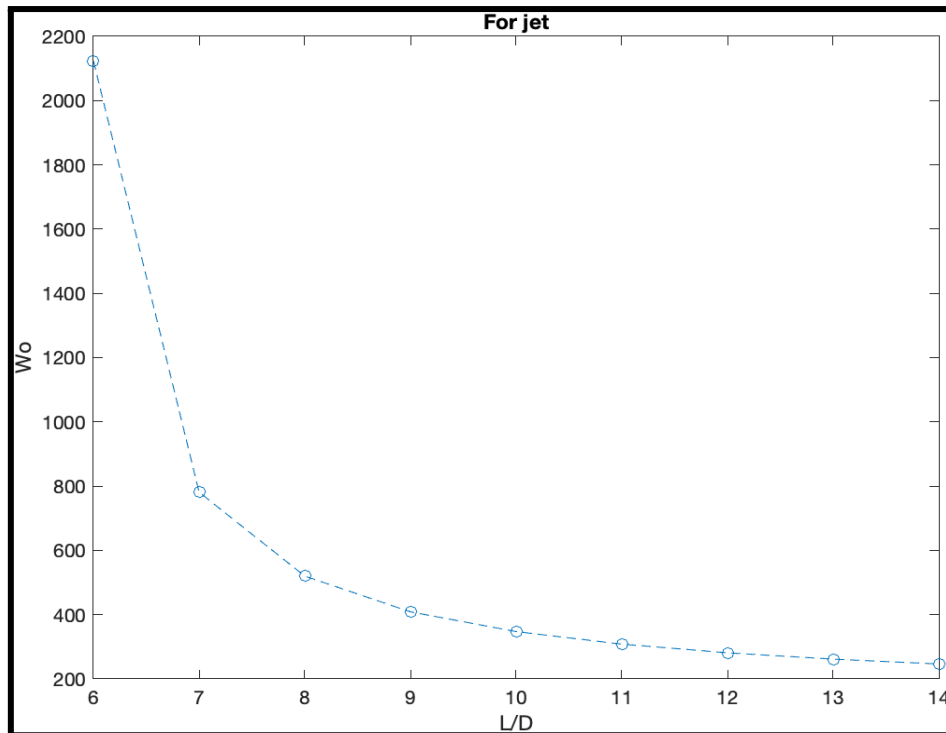
Thus, $W_5/W_4 = 0.94$

Thus the $W_6/W_0 = 0.7$

$$W_0 = \frac{W_c + W_p}{1 - \frac{W_f}{W_0} - \frac{W_E}{W_0}}$$

Putting in the values we get -





We choose $L/D = 9$ and for which got the following values

$W_0 = 408 \text{ kg}$

For $W_p = 50 \text{ kg}$ and $W_f = 127.41 \text{ kg}$

W/S and T/W was chosen according to the formulas below for our mission profile-

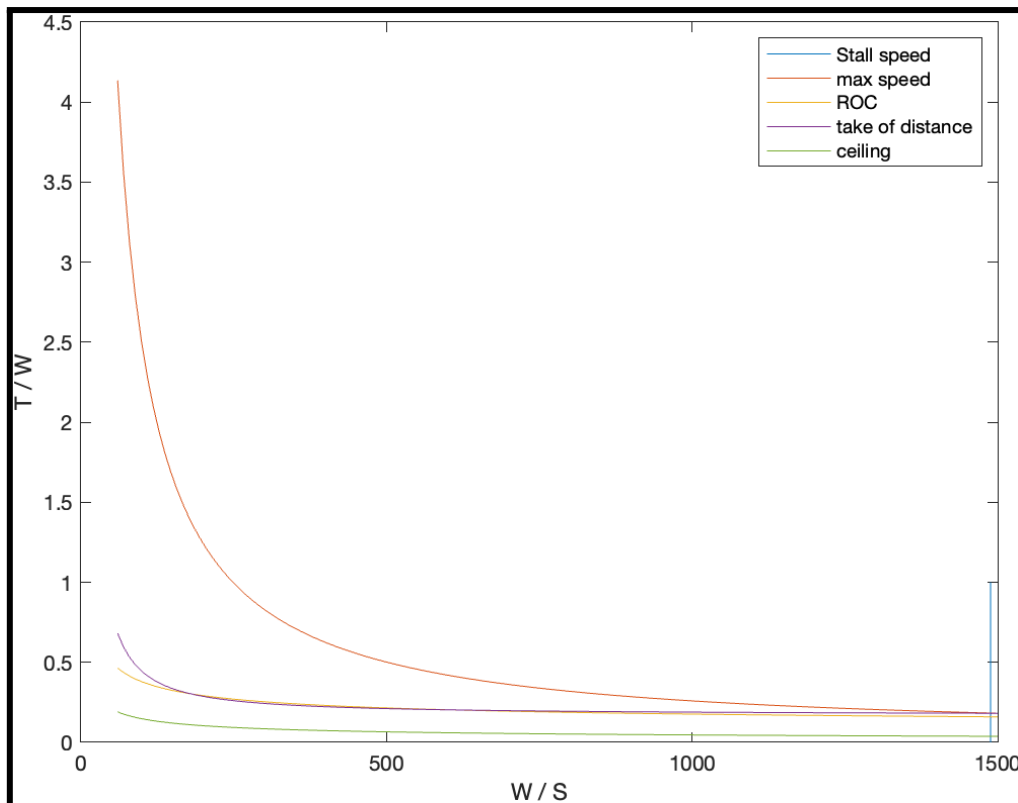
$$\left(\frac{W}{S}\right)_{V_s} = \frac{1}{2} \rho V_s^2 C_{L_{\max}}$$

For maximum velocity:

$$\left(\frac{T_{SL}}{W}\right)_{V_{\max}} = \rho_0 V_{\max}^2 C_{D_0} \frac{1}{2 \left(\frac{W}{S}\right)} + \frac{2K}{\rho \sigma V_{\max}^2} \left(\frac{W}{S}\right)$$

For rate of climb:

$$\left(\frac{T}{W}\right)_{\text{ROC}} = \frac{\text{ROC}}{\sqrt{\frac{2}{\rho \sqrt{\frac{C_{D_0}}{K}}} \left(\frac{W}{S}\right)}} + \frac{1}{(L/D)_{\max}}$$



The selection of W/s was very important and we understood and learnt a lot about the designing procedure as these values affected our W_o (as to accommodate our acceptable s and airfoil values we had to make changes again and again in W_o as well) and also the are which affected our lab reports 6,7,8 directly and hence to craft a possible design we spent hours getting such value to fall in place and finally the values were chosen and our design point came out to be $W/S = 1500$

Chapter 3: Wing and airfoil Configuration

Based on our W/S and W0,

our wing planform geometry and airfoil geometry is as follows

- Taper angle:
- Taper ratio=0.1
- Root chord=1.7164 m
- Tip chord= 0.17164 m
- Wing span = 2.8321 m
- Wing area=2.6736 m²

It will be a delta wing geometry.

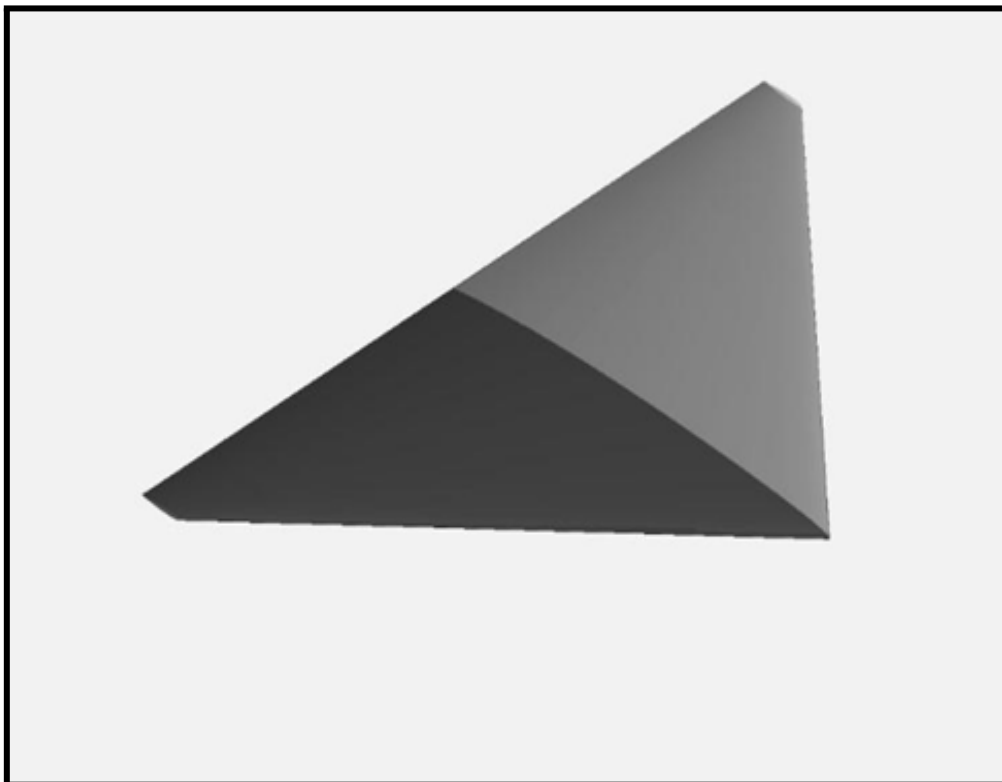
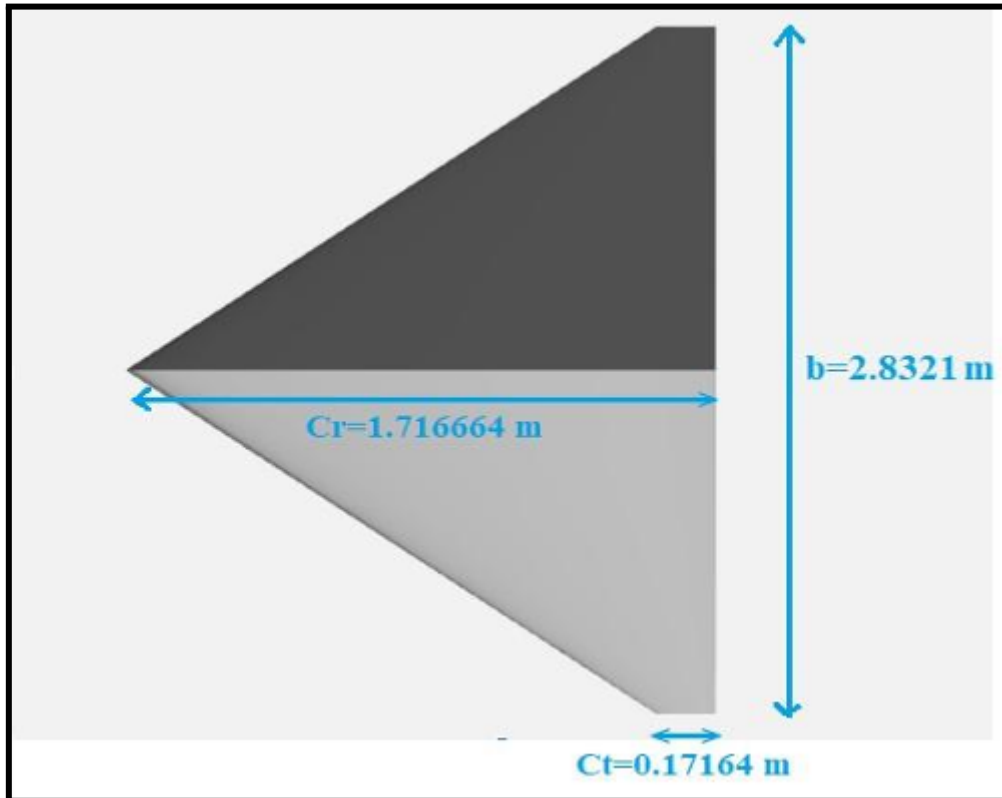
Wing aerofoil estimation

- design lift coefficient.=0.0935
- design angle of attack.=3
- $CL_{\alpha,3D}=0.1014$. $CL_0=0$
- Aerofoil: NACA 16-006 6. L/D= 9 . From the table we calculated for lab 1 given below we choose NACA 0016 for our model.

series	reynolds no.	airfoil	Clo	Cl alpha	Cl max	alpha not	alpha stall	Cm ac 2	Column1	Clo2	Cl alpha2	AR
4	8	NACA0006	0	0.1	-1	0	9	0	0	0.099532542	8	
3	3X10^4	NACA 0009	0	0.1	2	0	12	-0.9	0	0.099532542		
4		6 NACA 0010-34	0	0.8	0.8	0	11.5	0	0	0.771030614		
5		6 NACA 0012	0	0.1	1.6	0	16	0	0	0.099532542		
6		NACA10-35	0	0.1	0.7	0	10	-1.1	0	0.099532542		
7	3X10^4	NACA 1412	-1.5	0.1	1.6	-1	17		0.099533	0.099532542		
8		NACA1408	0.1	0.1	1.35	-0.1	14	-0.9	0.009953	0.099532542		
9		3.1 NACA2408	0.2	0.1	1.5	-2	14		0.199065	0.099532542		
10		NACA1410	0.1	0.1	1.5	-0.1	14	-1	0.009953	0.099532542		
11		NACA2410	0.2	0.09	1.6	-2	16	-1	0.179242	0.089621182		
12		3.1 NACA2412	0.2	0.09	1.6	-2	16	-0.2	0.179242	0.089621182		
13		9 NACA 2415	0.2	0.1	1.6	-2	16	-0.2	0.199065	0.099532542		
14		NACA4412	0.4	0.1	1.5	-4	14	-0.4	0.39813	0.099532542		
15		NACA4415	0.4	0.1	1.4	-4	12	-0.4	0.39813	0.099532542		
16		NACA4418	0.4	0.1	1.4	-4	14	-0.3	0.39813	0.099532542		
17		NACA4421	0.4	0.1	1.3	-4	12	-0.3	0.39813	0.099532542		
18		NACA4424	0.4	0.12	1.4	-4	12	-0.3	0.47731	0.119327489		
19	5 3*10^4	NACA 23012	0.15	0.106	1.8	-1.9	18	-0.5	0.200402	0.105474911		
20		8.9 NACA 23015	1	0.1	1.63	-1	18	-0.5	0.099533	0.099532542		
21		6 NACA 23018	0.15	0.1	1.6	-1	16	-0.1	0.099533	0.099532542		
22		5.9 NACA 23021	0.1	0.1	1.5	-1.3	15	0	0.129392	0.099532542		
23		8.9 NACA 23024	0.2	0.1	1.4	-1	15	0	0.099533	0.099532542		
24	6	9 NACA 63-206	0.2	0.1	1	-2	12		0.199388	0.099693851	15	
25		NACA 66-210	0.15	0.104	1.3	-1.75	11	-0.14	0.181421	0.103668909		
26		NACA 64A140	0.35	0.105	1.6	-2.75	14	-0.32	0.287822	0.104662522		
27		NACA 64A010	0	0.102	1.225	0	12	0	0	0.101681502		
28		NACA 64-015	0	0.1	1.4	0	15	0	0	0.099693851		
29		NACA 64-215	0.17	0.1125	1.5	-1.75	15	-0.11	0.196197	0.112112678		
30		NACA 64-415	0.35	0.166	1.65	-3	16	-0.275	0.495474	0.165158076		
31		NACA 64-018	0	0.106	1.5	0	17	0	0	0.105656074		
32		NACA 64-218	0.1	0.116	1.45	-1	17	-0.125	0.115588	0.115588247		
33		6 NACA 66-006	0	0.1	0.8	0	11.8	0	0	0.099693851		
34		9 NACA 66-009	0	0.1	1.05	0	10.2	0	0	0.099693851		
35		6 NACA 66-206	0.2	0.1	1	-2	11	-0.15	0.213299	0.106649565		
36		6 NACA 66-209	0.1	0.107	1.15	-1.2	11	-0.12	0.119633	0.099693851		
37		9 NACA 66-012	0	0.1	1.25	0	14	0	0	0.099693851		
38		9 NACA 66-212	0.15	0.1	1.45	-1.8	15	-0.12	0.23307	0.129483082		
39		6 NACA 66-015	0	0.13	1.35	0	16.2	0	0	0.159217695		
40		9 NACA 66-215	0.15	0.16	1.5	-1	16.3	-0.12	0.159218	0.159217695		
41		6 NACA 66-415	0.25	0.16	1.6	-2.9	18	-0.29	0.289112	0.099693851		
42		5.9 NACA 66-018	0	0.1	1.3	0	17	0	0	0.159217695		

As per the data we got Clo value 0 corresponding to an acceptable Cla value and hence a symmetric airfoil was chosen as mentioned above.

The airfoil was chosen with rigorous effort as for our configurations Cl design wasn't coming in an acceptable range but for a symmetric airfoil we got all falling together as the Cl design was in coherence with acceptable alpha design which was 3 and hence we were sure to use a symmetric airfoil



Chapter 4: Tail/Canard Configuration

As we have delta wing , we do not have tail instead we have canard mounted in front of the main wing and hence the equations were not readily available so we derived it, for C_l and for C_m , as proof and the equations we used are provided below.

down wash = 0

$$V_c/V_w = 1$$

$$\begin{aligned} \frac{1}{2} \rho V_w^2 S_w \{C_{L0} + C_{L\alpha}\} &= \frac{1}{2} \rho V_c^2 S_c \{C_{Lc}(\alpha + i)\} \\ &+ \frac{1}{2} \rho V_w^2 S_w \{C_{Lw}(\alpha)\} \\ C_{L0} + C_{L\alpha} &= \frac{S_c}{S_w} \{C_{Lc}(\alpha + i)\} \\ &+ C_{Lw}\alpha \end{aligned}$$

$$\begin{aligned} C_{L0} &= \frac{S_c}{S_w} \times C_{Lc} i \\ C_{L\alpha} &= \frac{S_c}{S_w} C_{Lc} + C_{Lw} \end{aligned}$$

①

$$\begin{aligned} \frac{1}{2} \rho V_w^2 S_w C_m \{C_{m0} + C_{m\alpha}\} &= \frac{1}{2} \rho V_c^2 S_c \{C_{Lc}(\alpha + i)\} \\ &\times (\bar{x}_{cg} - \bar{x}_{acc}) \\ &- \frac{1}{2} \rho V_w^2 S_w \{C_{Lw}\alpha\} (\bar{x}_{acw} - \bar{x}_{cg}) \end{aligned}$$

$$\begin{aligned} C_{m0} + C_{m\alpha} &= \frac{S_c}{S_w} \times C_{Lc} i (\bar{x}_{cg} - \bar{x}_{acc}) \\ &+ \frac{S_c}{S_w} C_{Lc} (\bar{x}_{cg} - \bar{x}_{acc}) \\ &- C_{Lw} (\bar{x}_{acw} - \bar{x}_{cg}) \end{aligned}$$

$$\begin{aligned} C_{m0} &= \frac{S_c}{S_w} \times C_{Lc} i (\bar{x}_{cg} - \bar{x}_{acc}) \\ C_{m\alpha} &= \frac{S_c}{S_w} C_{Lc} (\bar{x}_{cg} - \bar{x}_{acc}) - C_{Lw} (\bar{x}_{acw} - \bar{x}_{cg}) \end{aligned}$$

$$S_t = \frac{S_t}{S} * s$$

$$C_{L_{at}(2D)} = \frac{C_{L_{at}(3D)}}{1 - \frac{C_{L_{at}(3D)}}{\pi e_t A R_t}}$$

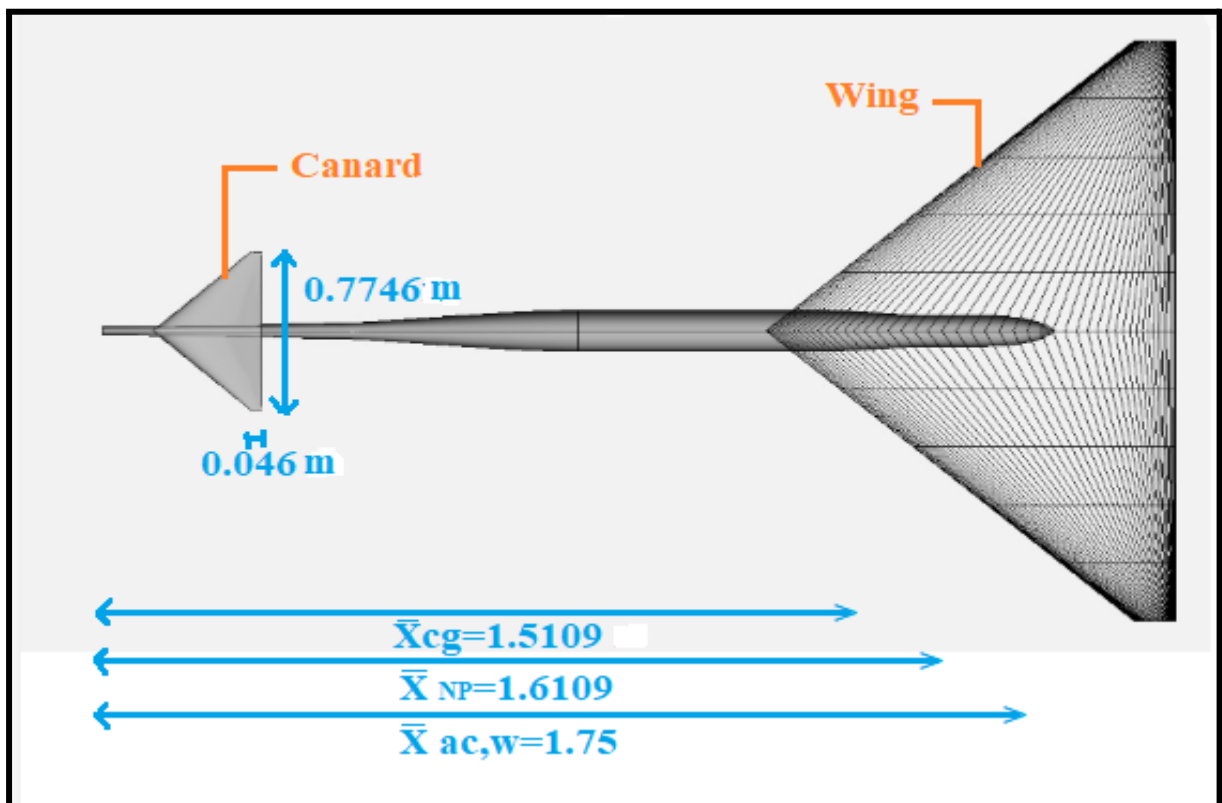
We choose static margin as 10% of the root chord of the main wing and the distance values provided below are normalised with the root chord itself.

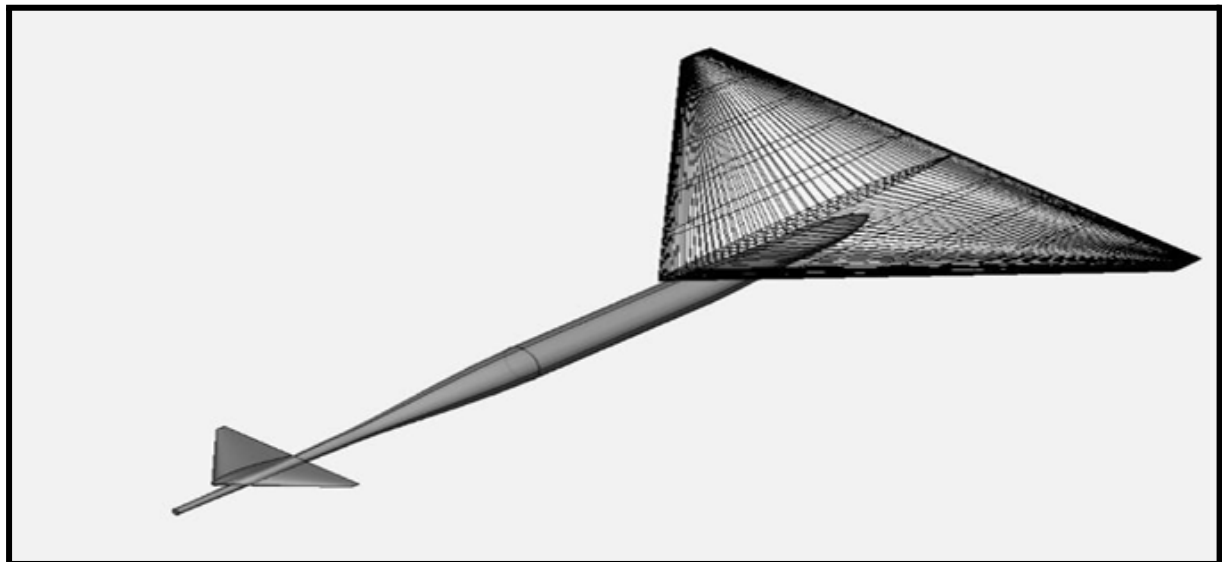
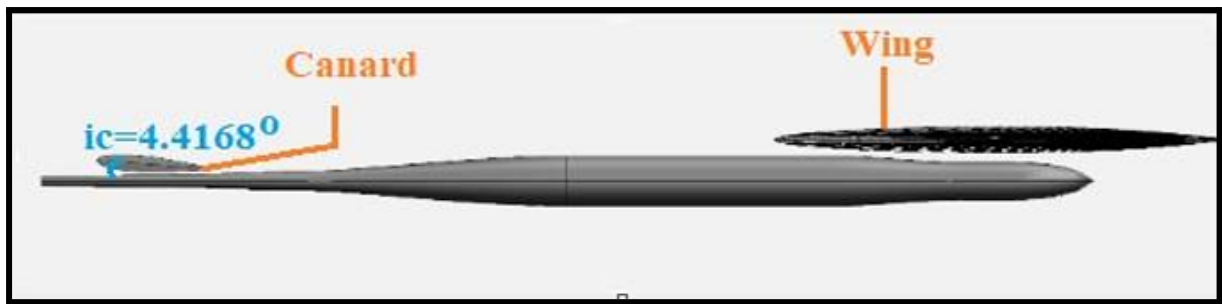
Using the formulas above we got the following:

- $X_{NP}=1.6109$
- $Cl_{\alpha}=0.10172$
- $SM=0.1$
- $X_{cg}=1.51$
- $C_{m0}=0.053822$
- $i_c=4.4168^{\circ}$
- $VH=-0.1725$ (our formation is canard, equation are above)

- $CL_{\alpha 3D}=0.11$
- $S_c=0.2 \text{ m}^2$
- $S_c/S=0.0748$
- Selected airfoil= S8035
- $C_{rc}=0.46 \text{ m}$
- $C_{tc}=0.046 \text{ m}$
- $bc=0.7746$
- $\lambda=0.1$
- $CL_{\alpha 2D}=0.11138$

And prepared a CAD model describing the same configuration.





S8035 symmetrical airfoil was chosen for the canard.

Chapter 5: Elevator Sizing

We got all the parameters like C_{m0} , C_{m_alpha} , Static Margin.... As our plane is canard configuration the formula of C_{l_deltae} and C_{m_deltae} was little bit changed as following.

Diagram of a canard configuration showing the canard and main wing.

$$L = L_c + L_w$$

$$S \approx \frac{1}{2} \rho V_{\infty}^2 \Delta C_L = \frac{1}{2} \rho V_{\infty}^2 S_c \Delta C_{Lc}$$

$$\Delta C_L = \eta \frac{S_c}{S} \frac{\Delta C_{Lc}}{\Delta \delta_e} \delta_e$$

$$\boxed{\frac{\partial C_L}{\partial \delta_e} = \eta \frac{S_c}{S} C_{L_{\alpha c}}}$$

$$\Delta M = \Delta C_L (n_{c.g} - n_{a.c})$$

$$S \times \frac{1}{2} \rho V_{\infty}^2 (\Delta C_M) = \frac{1}{2} \rho V_{\infty}^2 S_c \Delta C_{Lc} (n_{c.g} - n_{a.c})$$

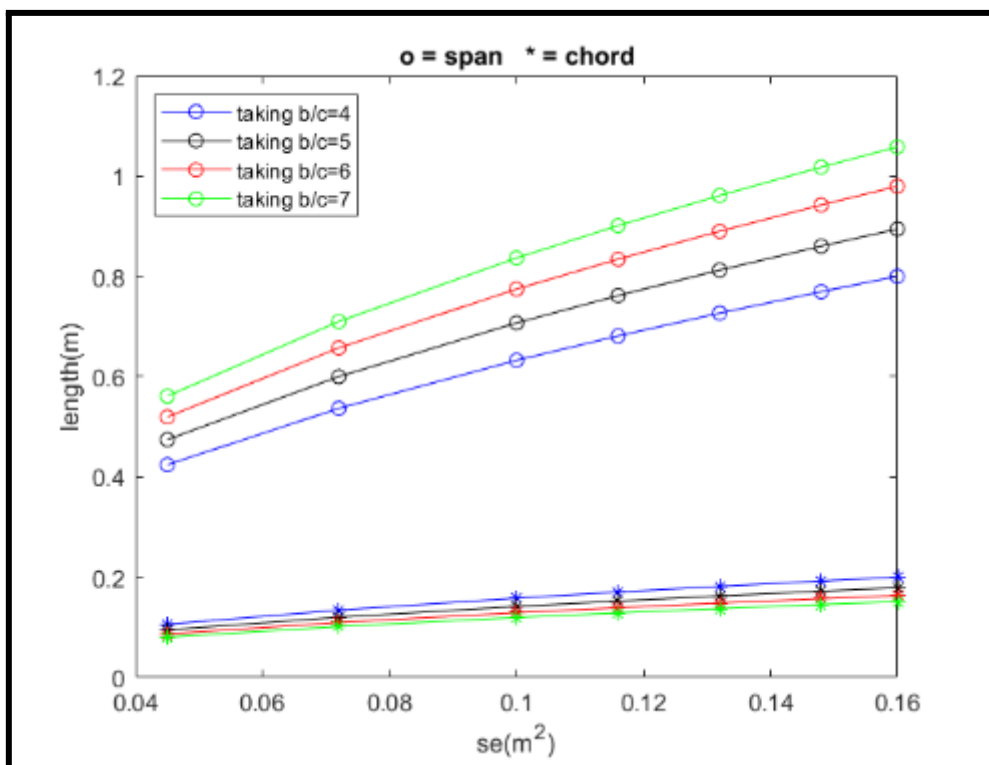
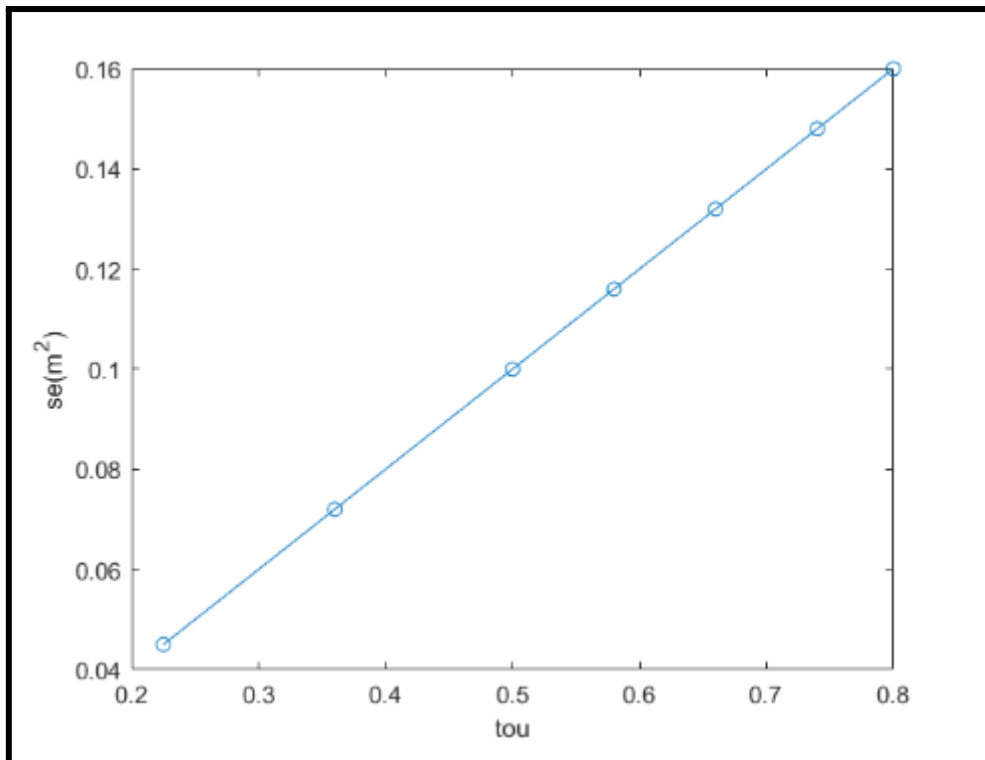
$$\Delta C_M = \eta \frac{S_c}{S} (n_{c.g} - n_{a.c}) \frac{\Delta C_{Lc}}{\Delta \delta_e} \delta_e$$

$$\boxed{\frac{\partial C_M}{\partial \delta_e} = \eta \left(\frac{S_c}{S} \right) (n_{c.g} - n_{a.c}) C_{L_{\alpha c}}}$$

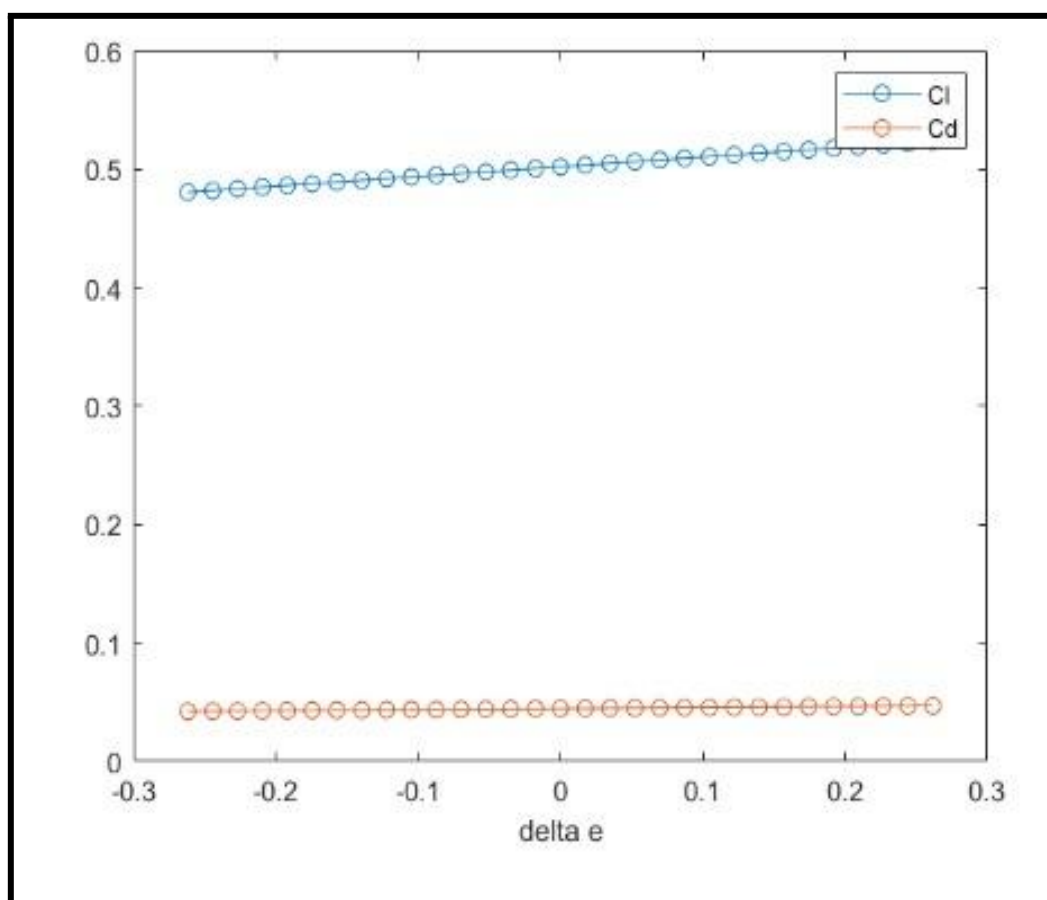
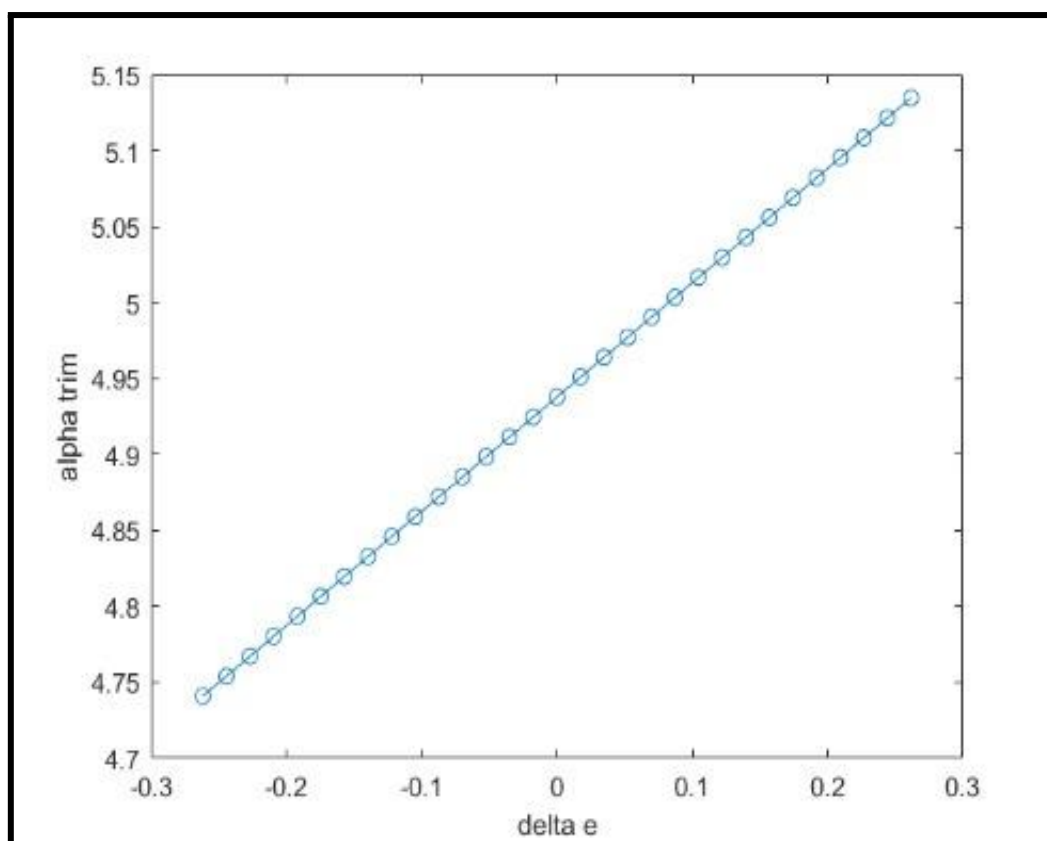
Thus for $\tau_{ao} = 0.225, 0.36, 0.5, 0.58, 0.66, 0.74, 0.8$ and $St = 0.2m^2$

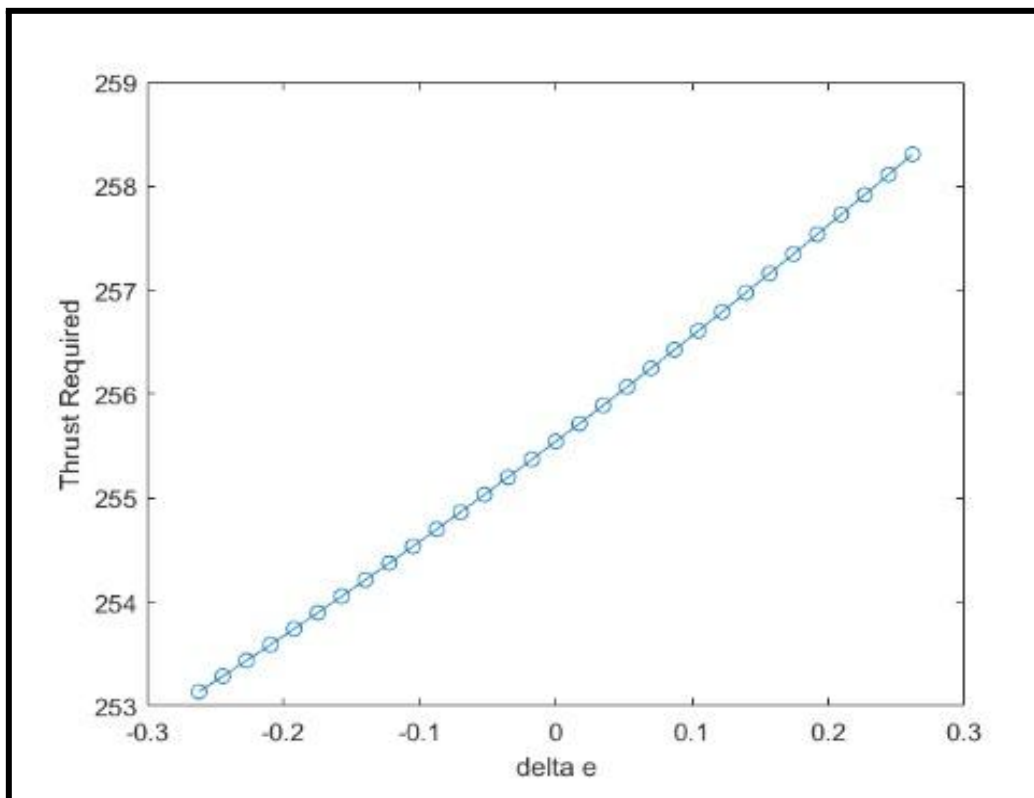
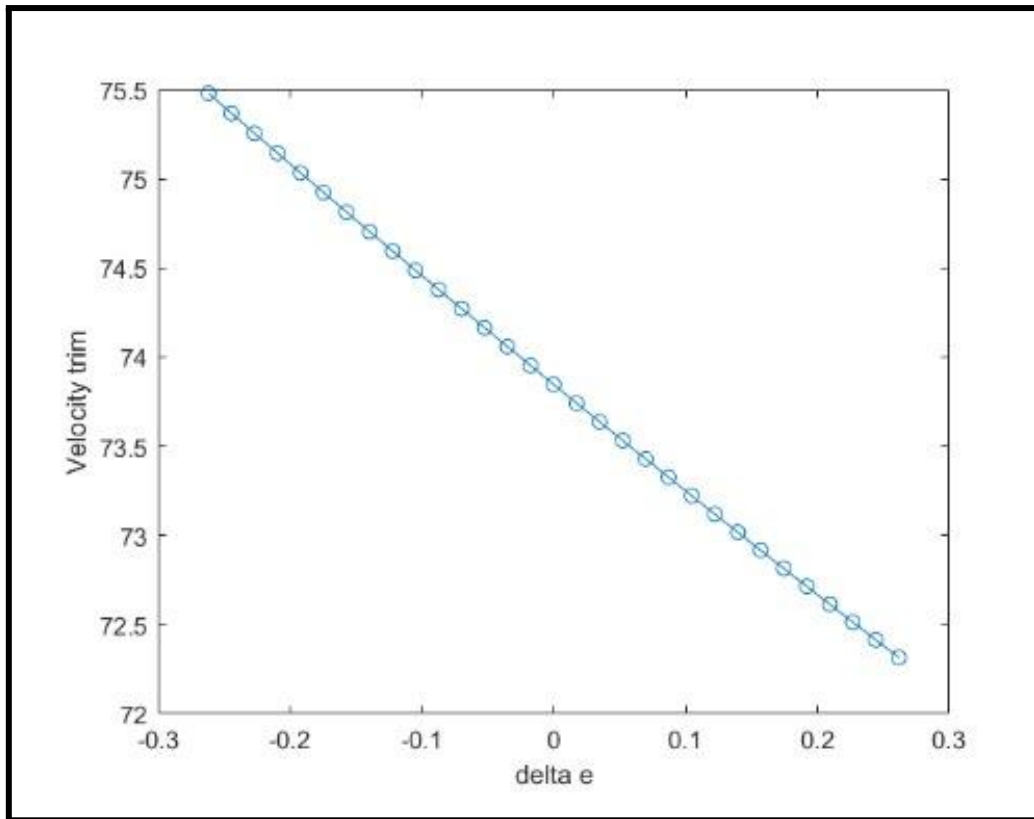
Se came out to be $0.0450, 0.0720, 0.1000, 0.1160, 0.1320, 0.1480, 0.1600$

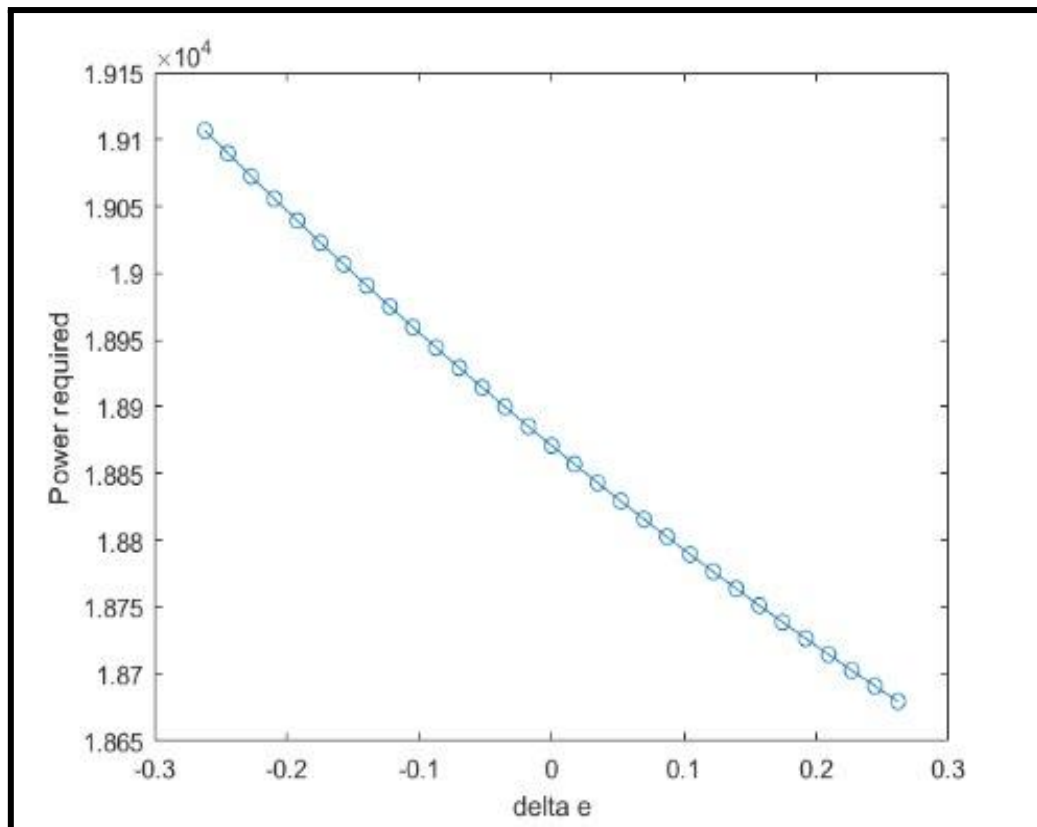
From this we choose $Se = 0.045$ and for which $b = 0.42, c = 0.1$



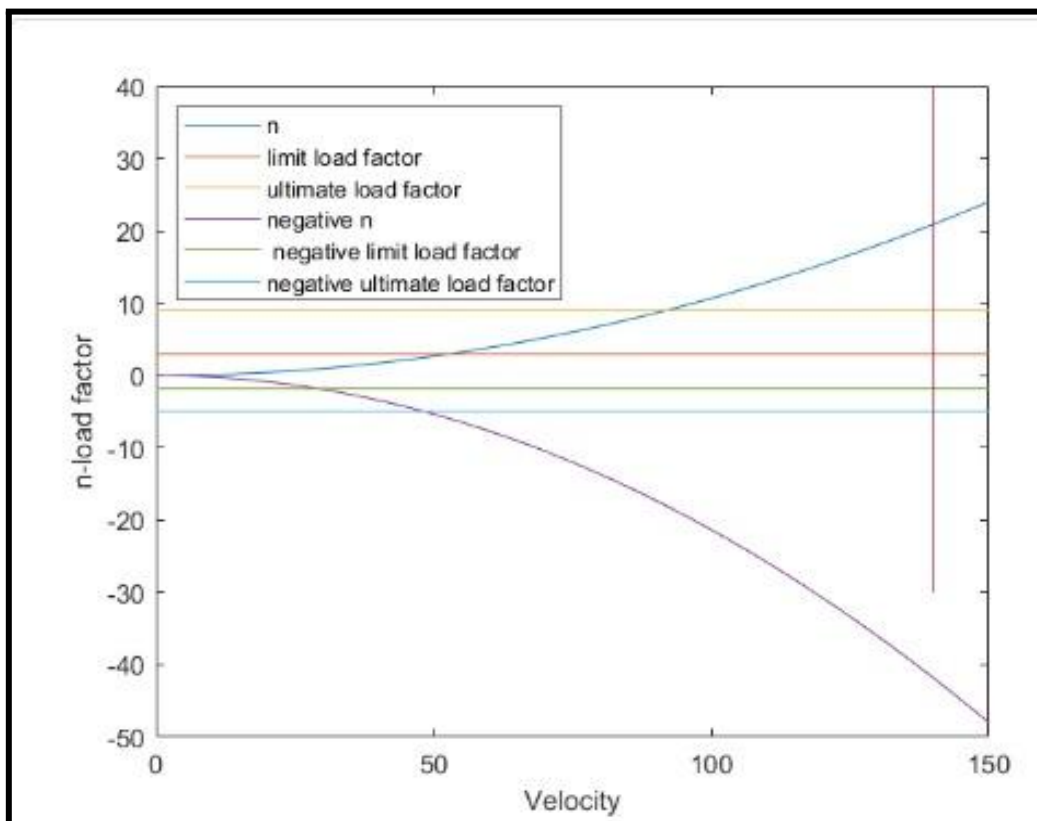
The trim performance for various delta e is:-





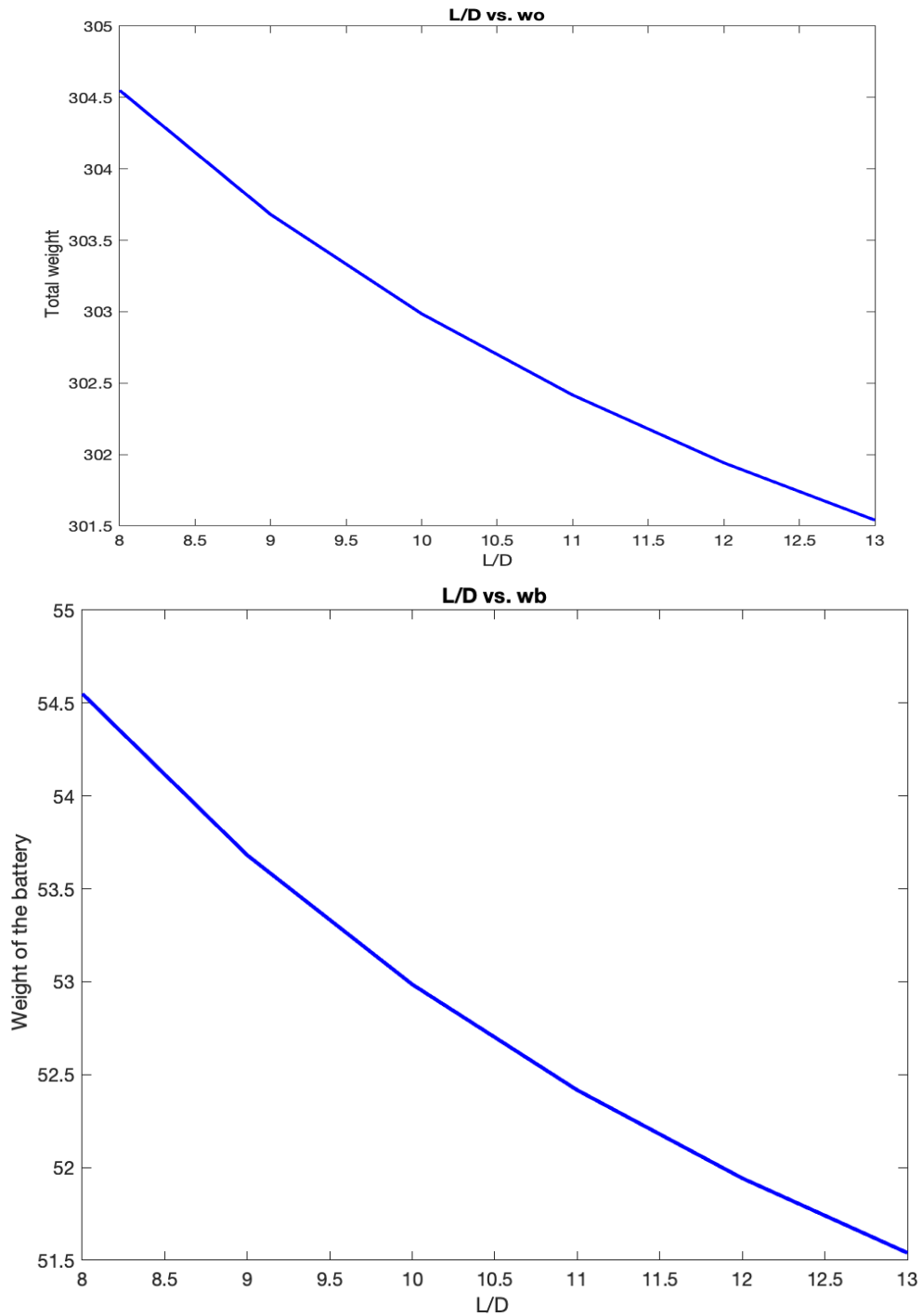


Finally we made the V-n diagram which look like:-

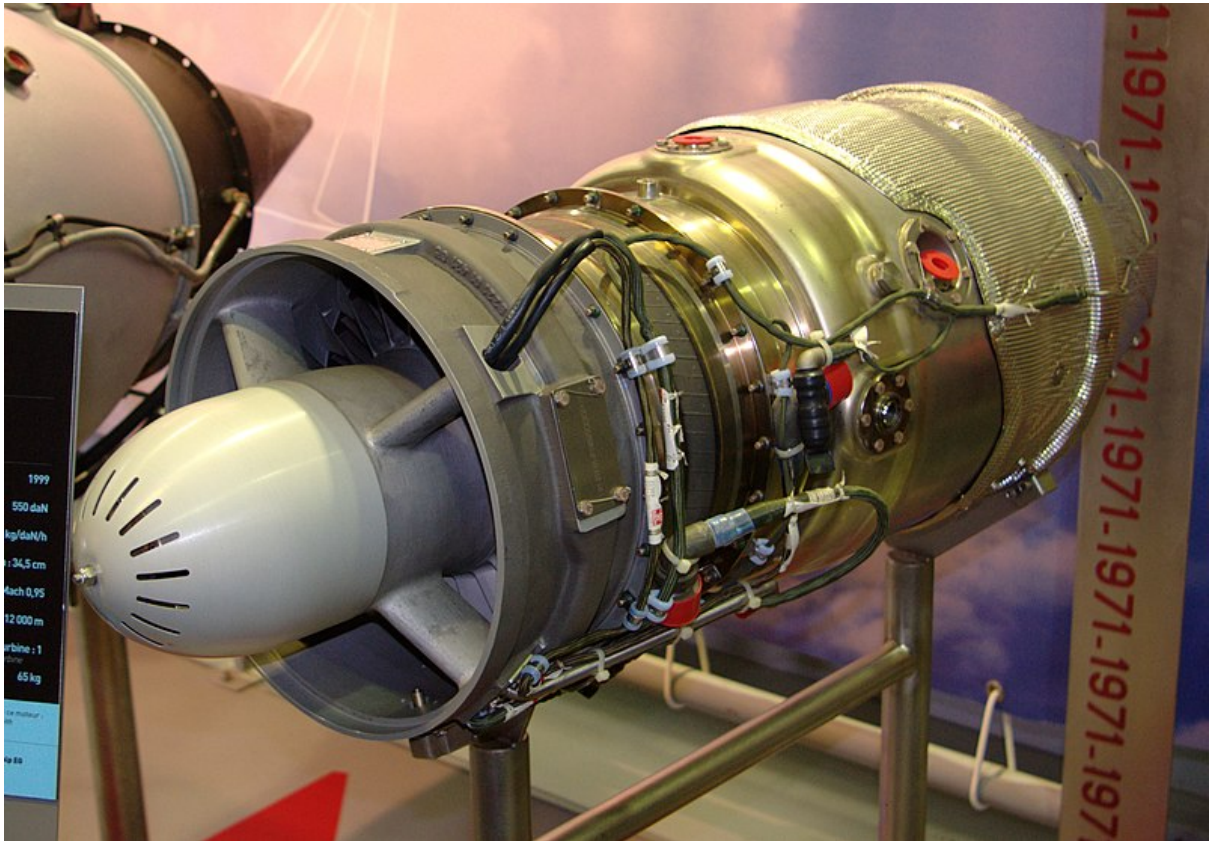


Chapter 6: Battery weight estimation

For our earlier mission requirements we calculated battery weight using initial guess for battery and we ran the code until we got the change in total weight less than $1e-6$. We also considered the changes in the density with the variation in the altitude and hence here are the final values for our mission profiles and



For our model, we took the TRI -60 Microturbo jet engine. It gives a maximum thrust of 3500N which falls under our design parameters



THANK YOU FOR TEACHING US HOW TO DESIGN A PLANE

WE GENUINELY LEARNT THE ACTUAL PROCEDURE ON HOW TO
DESIGN A PLANE AND GOT THE FLAVOURS WHAT ARE THE
ACTUAL CHALLENGES AND HOW TO RE-ITERATE THE PROCEDURE
AND TO NARROW DOWN TO ONE SINGLE VALUE AND DESIGN