#### Agenda:

- Construct a Binary Tree, given its Preorder and Inorder traversals (discuss also for Postorder and Inorder).
- Iterative inorder traversal
- Introduction to Binary Search Trees
  - Discuss properties
  - Inorder traversal always sorted
- Searching a node in a BST
- Inserting a node in a BST
- Deleting a node from a BST
- How to check whether a given tree is a BST or not?
- Sorted array to BST
- Merge two BSTs (Just explain the approach using iterative Inorder)

#### **Construct Tree from Inorder & Preorder**

Given 2 Arrays of Inorder and preorder traversal. Construct a tree and print the Postorder traversal.

### **Iterative inorder traversal**

Given a binary tree, return the inorder traversal of its nodes values.

**NOTE:** Using recursion is not allowed.



### **Introduction to Binary Search Trees**

Binary Search Tree is a node-based binary tree data structure that has the following properties:

- The left subtree of a node contains only nodes with keys lesser than the node's key.
- The right subtree of a node contains only nodes with keys greater than the node's key.
- The left and right subtree each must also be a binary search tree.

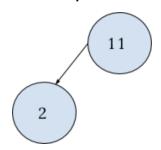
### There must be no duplicate nodes.

The basic purpose and idea behind such a data structure are to have a storing mechanism that provides a way for efficient sorting and searching operations.

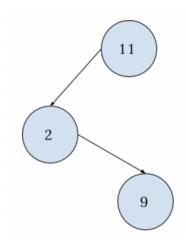
# **Inserting a Node into BST**

Any newly inserted node in a BST is always a leaf node.

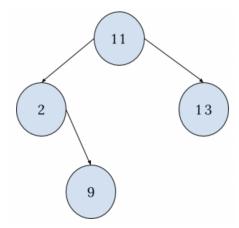
# For example:



# Insert 9:



## Insert 13:



### **Deleting a Node from BST**

## There are 3 possible cases:

1. Node to be deleted is leaf: Simply remove from the tree.



2. Node to be deleted has only one child: Copy the child to the node and delete the child.

3. Node to be deleted has two children: Find inorder successor of the node. Copy contents of the inorder successor to the node and delete the inorder successor. Note that inorder predecessor can also be used.

```
50 60

/ \ delete(50) / \

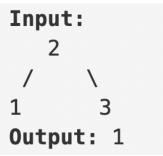
40 70 -----> 40 70

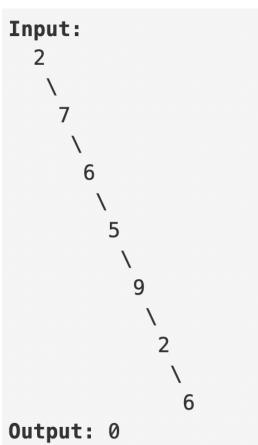
/ \ \

60 80 80
```

## How to check whether a given tree is a BST or not?

Given the root of a binary tree. Check whether it is a BST or not. **Note:** We are considering that BSTs can not contain duplicate Nodes.





### **Sorted array to Height Balanced BST**

Given an integer array nums where the elements are sorted in **ascending** order, convert it to a **height-balanced** binary search tree.

A **height-balanced** binary tree is a binary tree in which the depth of the two subtrees of every node never differs by more than one.

### Output: Preorder traversal of the returned BST