

K-means Clustering

Dataset preparation:

Use dataset [g_data](#). Code for loading dataset into 2D python list: [here](#)

Train:

1. $K = 4$
2. Load dataset into 2D list "Data"
3. Randomly select K different data points from "Data" and store them into 2D list "Centers"
4. Initialize a 2D list named "Clusters" which contains K 1D lists for the K centers
5. **for** each sample/ data point "S" **in** "Data":
6. identify the center " C_i " that is the closest to "S"
7. Append "S" in " i "th list of "Clusters"
8. $itr = 1$, " $Shift$ " = 0
9. **while** True:
10. **for** each 1D list "L" in "Clusters":
11. Determine the average of the data points. This is the new center of this list.
12. Update the center of this list in "Centers"
13. **if** $itr > 1$ **and** " $Shift$ " < 50: **break** (convergence)
14. " $Shift$ " = 0
15. Initialize a 2D list named "Temp_Clusters" which contains K 1D lists for the K centers
16. **for** each sample/ data point "S" **in** "Data":
17. identify the center " C_i " that is the closest to "S"
18. Append "S" in " i "th list of "Temp_Clusters"
19. **if** S belongs to different clusters in "Clusters" and "Temp_Clusters" **then**
20. " $Shift$ " = " $Shift$ " + 1
21. Now "Temp_Clusters" 2D list contains K 1D lists
22. Assign "Temp_Clusters" to "Clusters"
23. $itr = itr + 1$
24. "Clusters" will contain your desired clusters and "Centers" will contain your desired centers at the end of loop
25. **Plot them with appropriate color**
26. " $inertia$ " = 0
27. **for** each 1D list "L" **in** "Clusters":
28. " $inertia$ " = " $inertia$ " + sum of distances-square of data points of "L" from the center

Report:

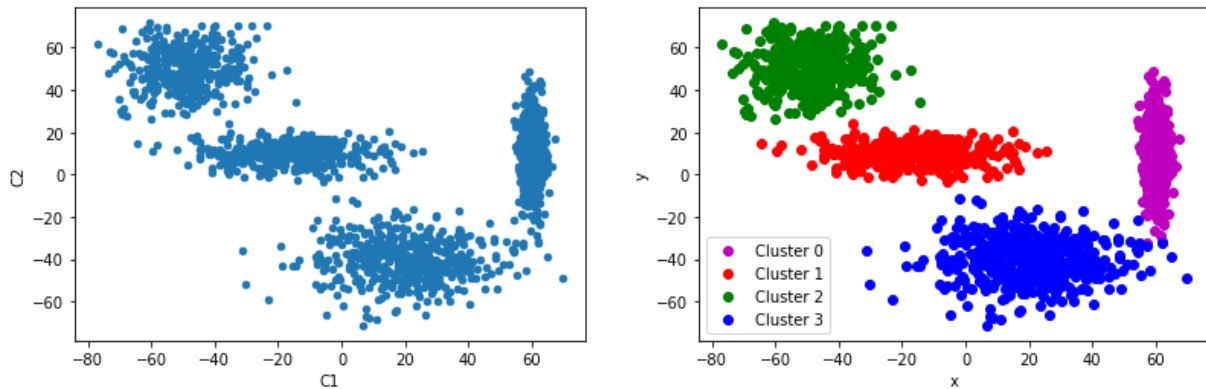
- ☐ Plot the data for $K = 2, 4, 6, 7$ and note down inertia.

Instruction

- Submit a .ipynb file and a report ([report template](#)) .pdf file.
- **You must follow the given algorithm**
- **DO NOT USE LIBRARIES SUCH AS: "Sklearn", "Scikit learning" or "pandas" for this assignment**
- **Use your student id as seed**
- **Copying will result in -100% penalty**
- **Your marks will fully depend on your viva and understanding.**
 - Full Algorithm: 16
 - Plotting: 4

Resources

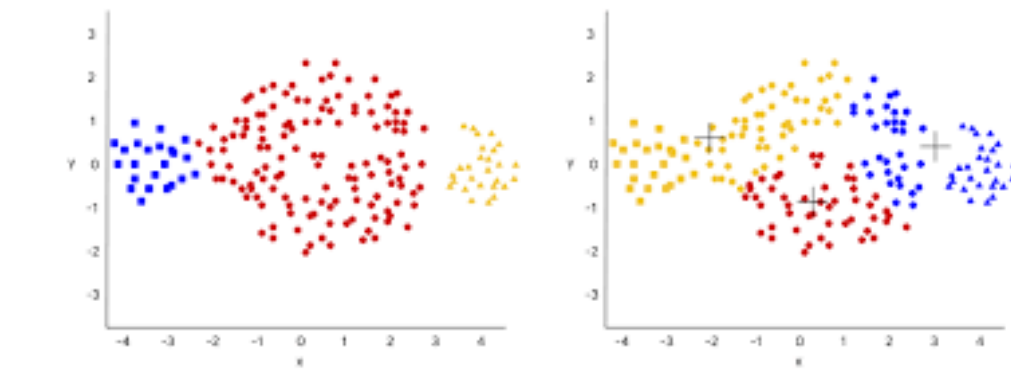
▶ k-means clustering



1. Select K random data points as the centers of K clusters
2. Assign each datapoint to the closest clusters (by calculating the distance from centers).
3. **While True:**
4. Recalculate the center of the clusters (which is the mean of the data points)
5. Reassign each datapoint to the closest cluster
6. **If no datapoint changes cluster then**
7. **break**

Limitations:

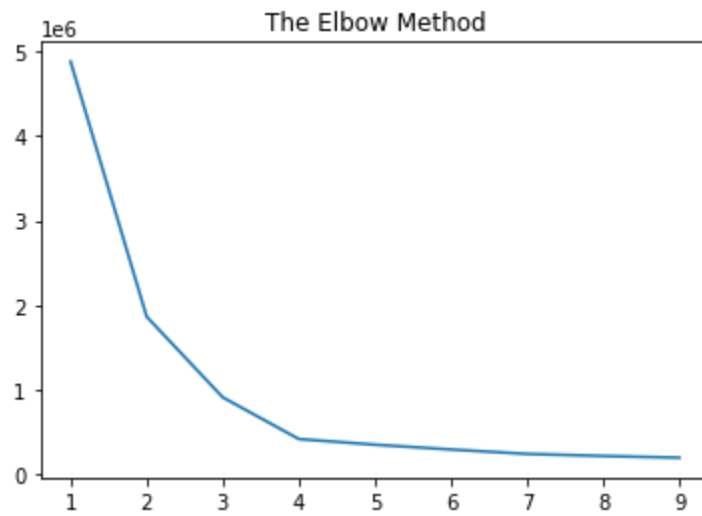
- Need to know K in advance
- Depended on initial assignment of the centers



How to choose the K?

- Inertia measures how well a dataset was clustered by K-Means. It is calculated by measuring the distance between each data point and its centroid, squaring this distance,

and summing these squares across one cluster. A good model is one with low inertia AND a low number of clusters (K).



6. Use K-Means clustering on the following dataset where $K=2$ and the initial centers are $[1, 1]$ and $[5, 5]$. Show the first three (3) iterations. Stop iterating as soon as the clusters converge completely. [5]

x	y	Label
3	4	No
5	6	Yes
5	-1	Yes
6	4	Yes
6	6	No

Similarly,

$$\text{cluster}[1] = 1$$

$$\text{cluster}[2] = 0$$

$$\text{cluster}[3] = 1$$

$$\text{cluster}[4] = 1$$

$$\text{centers} = [(5, -1), (5, 5)]$$

$$\text{centers} = [(1, 1), (5, 5)]$$

$$\text{cluster}[0] = [0, 0, 0, 0, 0]$$

$$\text{min-dist} = 0$$

$$\text{dist} = (3, 4) \rightarrow (1, 1) = \sqrt{2^2 + 3^2} = \sqrt{13}$$

$$\therefore \text{min-dist} = \sqrt{13}$$

$$\therefore \text{cluster}[0] = 0$$

$$\text{dist} = (3, 4) \rightarrow (5, 5) = \sqrt{2^2 + 1^2} = \sqrt{5}$$

$$\therefore \text{min-dist} = \sqrt{5}$$

$$\therefore \text{cluster}[0] = 1$$

next -

$$\text{cluster}[0] = 1$$

$$\text{cluster}[1] = 1$$

$$\text{cluster}[2] = 0$$

$$\text{cluster}[3] = 1$$

$$\text{cluster}[4] = 1$$

$$\therefore \text{centers} = [(5, -1), (5, 5)]$$

unchanged in 2nd iteration.

\therefore Clustering complete.