Assessment-2

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Section A: Data Wrangling (Questions)

- 1. What is the primary objective of data wrangling?
 - a) Data visualization
 - b) Data cleaning and transformation
 - c) Statistical analysis
 - d) Machine learning modeling

ANSWER: b) Data cleaning and transformation

The primary objective of data wrangling is to clean and transform raw data into a usable format for analysis. This involves tasks such as removing errors, handling missing values, restructuring data, and preparing it for further analysis.

2. Explain the technique used to convert categorical data into numerical data. How does it help in data analysis?

Explanation:

- One common technique used to convert categorical data into numerical data is called "onehot encoding."
- In one-hot encoding, each category is represented by a binary vector where only one bit is 1 (hot) and the rest are 0 (cold). Each bit corresponds to a category, and the position of the hot bit indicates the category's presence or absence.

For example, if you have a categorical variable "color" with three categories: red, green, and blue, one-hot encoding would represent them as follows:

Red: [1, 0, 0] Green: [0, 1, 0] Blue: [0, 0, 1]

• One-hot encoding helps in data analysis by allowing categorical data to be used in machine learning algorithms and statistical analyses that require numerical input.

• It prevents the algorithm from assuming a natural ordering or hierarchy among the categories, which might not exist in reality. Additionally, it avoids biasing the analysis towards any particular category by representing each category equally and independently.

3. How does Label Encoding differ from One Hot Encoding?

Explanation:

Label Encoding and One-Hot Encoding are two techniques used to convert categorical data into numerical data, but they differ in their approach and application:

1. Label Encoding:

- In Label Encoding, each category is assigned a unique integer label.
- This technique is suitable for **ordinal categorical variables**, where there is a clear ranking or order among the categories.

For example, if you have categories like "low," "medium," and "high," Label Encoding might assign them integer labels like 0, 1, and 2, respectively.

 The problem with Label Encoding arises when the categorical variable doesn't have an inherent order, as assigning numerical labels might introduce unintended relationships or biases in the data.

2. One-Hot Encoding:

- In One-Hot Encoding, each category is represented as a binary vector where only one bit is 1 (hot) and the rest are 0 (cold).
- This technique is suitable for **nominal categorical variables**, where there is no inherent order among the categories.
- One-Hot Encoding creates new binary columns for each category, where a 1 indicates the presence of that category and 0 indicates its absence.

For example, if you have categories like "red," "green," and "blue," One-Hot Encoding would create three binary columns, one for each category, with a 1 indicating the presence of that color and 0s for the others.

• One-Hot Encoding avoids the issues of assuming ordinal relationships among categories and ensures that each category is treated independently in analysis.

4. Describe a commonly used method for detecting outliers in a dataset. Why is it important to identify outliers?

What Are Outliers?

• Outliers are data points that significantly deviate from the rest of the dataset. They can be either much larger or significantly smaller than other values.

• Outliers may result from natural variation, measurement errors, or other anomalies.

The most commonly used method for detecting outliers in a dataset is IQR(IQR stands for Interquartile Range.)

- Sort data, calculate Q1, Q3, and IQR.
- Identify data points beyond the fences.
- Remove or handle outliers appropriately.

WORKING: Interquartile Range (IQR) Method:

- Calculate the first quartile (Q1) and third quartile (Q3).
- Determine the interquartile range (IQR = Q3 Q1).
- Define an upper fence (Q3 + 1.5 * IQR) and a lower fence (Q1 1.5 * IQR).
- Any data point beyond these fences is considered an outlier.

For instance, consider measuring running times for college students. True outliers (natural variations) should be retained, while other outliers (measurement errors) should be addressed.

5. Explain how outliers are handled using the Quantile Method.

EXPLANATION:

The Quantile Method for handling outliers involves several steps:

1. Calculate Quantiles:

- Divide the dataset into quantiles, such as quartiles (Q1, Q2, Q3) or percentiles (e.g., 25th, 50th, 75th).

2. Identify Outliers:

- Determine the lower and upper bounds for outliers using the quantiles.
- Commonly, outliers fall below Q1 k * IQR or above Q3 + k * IQR, where IQR is the interquartile range (Q3 Q1), and k is a constant multiplier (e.g., 1.5 or 3).

3. Handle Outliers:

- Outliers can be treated in various ways:
- Removal: Exclude outliers from the dataset.
- Transformation: Apply mathematical transformations to the outliers, such as winsorization or log transformation.
- Capping: Cap outliers at a certain threshold to reduce their impact on the analysis.

4. Reevaluate Analysis:

- After handling outliers, reassess the analysis to ensure that the results remain valid and meaningful.

6. Discuss the significance of a Box Plot in data analysis. How does it aid in identifying potential outliers?

Explanation:

A box plot, also known as a box-and-whisker plot, is a type of chart used in explanatory data analysis.

• It visually represents the distribution of numerical data and provides insights into the central tendency, spread, and skewness of the dataset.

1. Components of a Box Plot:

- Minimum Score: The lowest data point (excluding outliers) represented at the end
 of the left whisker.
- Lower Quartile (Q1): The value below which 25% of the data falls.
- Median (Q2): The midpoint of the data, dividing the box into two equal parts.
- **Upper Quartile (Q3)**: The value below which 75% of the data falls.
- Maximum Score: The highest data point (excluding outliers) represented at the end
 of the right whisker.
- Whiskers: Represent scores outside the middle 50% (between Q1 and Q3).
- Interquartile Range (IQR): The range between Q1 and Q3.

2. Why are Box Plots Useful?

•	Visual Summary: Box plots	divide data	into sections	containing	approximately	25%
	of the data. They provide	a quick over	view of:			

Mean va	lues.
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Dispersion (spread) of the dataset. 🏻	Signs	of
skewness.		

Outlier Detection: Outliers are often visible as data points beyond the whiskers.

Skewness Identification:

- Symmetric distribution: Median in the middle of the box, whiskers balanced.
- Positively skewed (skewed right): Median closer to the bottom of the box, shorter whisker on the lower end.
- Negatively skewed (skewed left): Median closer to the top of the box, shorter whisker on the upper end.

Remember, box plots provide valuable insights beyond just central tendency measures (mean, median, mode.

Section B: Regression Analysis

7. What type of regression is employed when predicting a continuous target variable? Explanation:

When predicting a **continuous target variable**, the most commonly used regression method is **linear regression**. Linear regression, also known as **ordinary least squares (OLS)**, is a fundamental technique in statistics and data science. Let's explore its key aspects:

Linear Regression (OLS):

- Purpose: Linear regression models the relationship between a continuous dependent variable (target) and one or more independent variables (predictors).
- Assumption: It assumes a linear relationship between the predictors and the target.
- **Objective**: The goal is to find the best-fitting straight line (or hyperplane in multiple dimensions) that minimizes the sum of squared differences between the observed data points and the predicted values.
- Parameters: Linear regression estimates coefficients (slopes) for each predictor variable.

8. Identify and explain the two main types of regression.

Explanation:

The two main types of regression are:

- (a). Linear Regression
- (b). Logistic Regression

(a). Linear Regression:

- Linear regression models the relationship between one or more independent variables (features) and a continuous dependent variable (target) by fitting a linear equation to the observed data.
- The relationship is assumed to be linear, meaning the change in the target variable is proportional to changes in the independent variables.
- Linear regression is used when the relationship between the variables can be approximated by a straight line and is widely applied in various fields for prediction and inference tasks.

(b). Logistic Regression:

- Logistic regression models the probability that a binary outcome occurs based on one or more independent variables.
- Unlike linear regression, which predicts continuous outcomes, logistic regression predicts the probability of a categorical outcome (e.g., success/failure, yes/no, 0/1).

• The logistic function (sigmoid function) is used to map the linear combination of independent variables to a probability between 0 and 1.

9. When would you use Simple Linear Regression? Provide an example scenario. Explanation:

- Simple linear regression is typically used when there is a linear relationship between a single independent variable and a continuous dependent variable.
- It's suitable for scenarios where you want to understand or predict the behavior of the dependent variable based on changes in one predictor variable.

Example Scenario:

Let's consider a scenario in which a real estate agent wants to predict house prices based on their size (in square feet). The agent believes that there is a linear relationship between the size of a house and its price.

In this scenario:

Dependent Variable (Y): House Price

Independent Variable (X): House Size (in square feet)

The agent collects data on various houses, recording their sizes and corresponding prices.
 By applying simple linear regression to this data, the agent can build a model that predicts the price of a house based on its size.

10. In Multi Linear Regression, how many independent variables are typically involved?

Explanation:

- In Multiple Linear Regression, two or more independent variables are typically involved.
- This technique allows us to estimate the relationship between these independent variables and a **single dependent variable**.
- For instance, you might use multiple linear regression to analyze how rainfall, temperature, and fertilizer usage affect crop growth.

11. When should Polynomial Regression be utilized? Provide a scenario where Polynomial Regression would be preferable over Simple Linear Regression.

Explanation:

Polynomial regression is a powerful technique used in situations where the relationship between the predictor variable(s) and the response variable is **nonlinear**.

Unlike **simple linear regression**, which models the relationship as a straight line, polynomial regression allows for more flexibility by fitting a **polynomial equation** to the data.

Here are scenarios where polynomial regression would be preferable over simple linear regression:

1. Curved Relationships:

- When the scatterplot of the predictor variable and the response variable exhibits a **curved pattern**, polynomial regression is a better choice.
- For instance, consider predicting a student's exam score based on the number of hours studied.
- If the scatterplot shows a nonlinear relationship (like a U-shape), polynomial regression can capture this curvature more effectively.

2. Fitting Nonlinear Patterns:

- Suppose you have data that follows a quadratic, cubic, or higher-degree nonlinear relationship.
- In such cases, simple linear regression would underperform. Polynomial regression can handle these situations by allowing for more complex curves in the model.

3. Adjusted R-Squared Comparison:

- Calculate the adjusted R-squared for both linear and polynomial regression models.
- The adjusted R-squared represents the proportion of variance in the response variable explained by the predictor variables, adjusted for the number of predictors. The model with the **higher adjusted R-squared** provides a better fit.
- If the adjusted R-squared is significantly better for the polynomial model, it indicates that polynomial regression is more appropriate.

12. What does a higher degree polynomial represent in Polynomial Regression? How does it affect the model's complexity?

Explanation:

In polynomial regression, the degree of the polynomial represents the highest power of the independent variable (predictor) in the regression equation. For example, in a polynomial regression with a degree of 2, the equation might look like this:

$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_{12} + \beta_2 x_{13} + \dots + \beta_n x_{1n}$$

Here X^2 represents the squared term of the independent variable (X). Similarly, in a polynomial regression with a degree of 3, the equation might include terms up to (X^3), and so on.

- However, increasing the degree of the polynomial also increases the model's complexity.
- This increased complexity can lead to overfitting, where the model captures noise in the training data rather than the underlying true relationship between the variables.
- As a result, the model may not generalize well to unseen data, leading to poor performance on new data.

13. Highlight the key difference between Multi Linear Regression and Polynomial Regression.

Explanation:

The key difference between multiple linear regression and polynomial regression lies in the nature of the relationship they model between **the independent variable(s)** and the **dependent variable**:

Multiple Linear Regression: In multiple linear regression, the relationship between the dependent variable and the independent variables is assumed to **be linear**.

O The model includes **multiple independent variables**, but each of these variables is raised to the power of 1, and the model equation is a linear combination of these variables. O The equation takes the form:

$$Y=\beta 0+\beta 1X1+\beta 2X2+...+\beta nXn+\epsilon$$

Here, X1,X2,...,Xn represent the independent variables, and β0,β1,...,βn are

the coefficients associated with each independent variable.

Polynomial Regression: In polynomial regression, the relationship between the dependent variable and the independent variable is **not constrained to be linear**. Instead, the model allows for higher-order terms of the independent variable to capture nonlinear relationships. The model equation takes the form:

$$Y=\beta 0+\beta 1X+\beta 2X2+\beta 3X3+...+\beta dXd+\epsilon$$

Here, X represents the independent variable, and X2,X3,...,Xd represent the higher-order polynomial terms up to degree d. $\beta0,\beta1,\beta2,...,\betad$ are the coefficients associated with each term.

14. Explain the scenario in which Multi Linear Regression is the most appropriate regression technique.

Explanation:

Multiple linear regression is most appropriate when you have a single dependent variable and two or more independent variables (the variables used to predict the dependent variable), and the relationship between the dependent variable and the independent variables is assumed to **be linear.**

scenario:

Suppose you are working for a real estate agency, and your task is to predict the selling price of houses based on various factors. You have data on houses that were sold in a particular area, and for each house, you have information such as the size of the house (in square feet), the number of bedrooms, the number of bathrooms, the age of the house, and the neighborhood.

- 1. Dependent variable: The selling price of the houses.
- 2. **Independent variables:** The size of the house, the number of bedrooms, the number of bathrooms, the age of the house, and potentially other factors like the neighborhood.

You can use multiple linear regression to build a model that predicts the selling price of a house based on these independent variables. The assumption is that there is a linear relationship between each independent variable and the selling price, holding other variables constant.

15. What is the primary goal of regression analysis?

Explanation:

The primary goal of regression analysis is to understand and quantify the relationship between one or more independent variables (predictors) and a dependent variable (outcome).

The primary goals of regression analysis are:

- 1. **Estimate Parameters**: Determine the coefficients or parameters that best describe the relationship between the independent variables and the dependent variable.
- 2. **Predict Outcome**: Use the estimated regression equation to make predictions about the dependent variable for new or unseen data based on the values of the independent variables.
- Inferential Purposes: Draw statistical inferences about the relationship between variables, including testing hypotheses about the significance of individual predictors and overall model fit.

4.	Model Interpretation : Provide insights into the strength, direction, and nature of the relationship between variables, helping to understand the underlying mechanisms driving the outcome variable.				