# Eso208 Programming Assignment 2

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## 1. input1.txt

4 2 0 10 2 4 1 11.5 0 1 5 4.5

### a) Gauss elimination

3

Enter the method you want to use

- 1. Guass Elimination(without pivoting)
- 2. Guass Elimination(with partial pivoting)
- 3. LU decomposition by Doolittle method (without pivoting)
- 4. LU decomposition by Crout method (without pivoting)
- 5. Cholesky decomposition (for symmetric positive definite matrix)

1

X =

1.5000

2.0000

0.5000

### b) Gauss elimination (Partial Pivoting)

Enter the method you want to use

- 1. Guass Elimination(without pivoting)
- 2. Guass Elimination(with partial pivoting)
- 3. LU decomposition by Doolittle method (without pivoting)
- 4. LU decomposition by Crout method (without pivoting)
- 5. Cholesky decomposition (for symmetric positive definite matrix)

2

X =

1.5000

2.0000

0.5000

Name 📤	Value
<b></b> A	3x4 double
<del></del> B	[8.2682,-0.0057,
durerror curerror	3.6868e-04
eigenvalue	double 2,4.5990,-1
error	3.0808e-04
fid	21
filename	"output1.txt"
i i	1
iter iter	9
<b>⊞</b> j	2
<b></b> k	2
ine line	'0 1 5 4.5'
merror	1.0000e-03
method	1
miter	100
utf outf	22
<b></b> ■ Q	[1.0000,0.0012,-5
<b></b> R	[8.2682,-0.0159,
size	3
talue value	8x5 double
<u></u> X	[1.5000;2;0.5000]
	1.8672

Name 📤	Value
<b>⊞</b> A	3x4 double
<del>∐</del> B	[8.2682,-0.0057,
curerror	3.6868e-04
= eigenvalue	[8.2682,4.5990,-1
error	3.6868e-04
	23
💶 filename	"output1.txt"
<b>⊞</b> i	1
iter	9
<b>∃</b> j	2
⊞ k	2
line line	'0 1 5 4.5'
merror	1.0000e-03
	2
miter     miter	100
→ outf	24 1x1 double
<b>∃</b> Q	[1.0000,0.0012,-5
<del>∐</del> R	[8.2682,-0.0159,
∃ size	3
	8x5 double
<b></b> X	[1.5000;2.0000;0
ymod	1.8672

### c) LU decomposition by Doolittle method (Without Pivoting)

Enter the method you want to use

1. Guass Elimination(without pivoting) Name A Value 2. Guass Elimination(with partial pivoting) **⊞** A 3x4 double 3. LU decomposition by Doolittle method (without pivoting) fid 9 4. LU decomposition by Crout method (without pivoting) "output1.txt" 🍱 filename ⊞i 5. Cholesky decomposition (for symmetric positive definite 1 ∭j ∭k 2 matrix) 3 3 2 ₩L [4,0,0;2,3,0;0,1,4.6... line Y = '0 1 5 4.5' 描 method 4 10 描 outf 0 <u></u>р 2 0 <u></u> s1 0.3333 s2 0.3333 0 📩 size 3 **⊞** U [1,0.5000,0;0,1,0.... [1.5000;2.0000;0.... L =[2.5000;2.1667;0.... 1.0000 0 [1,0,0;0.5000,1,0;... ine 🍱 '0 1 5 4.5' 0.5000 1.0000 0 method 3 0 0.3333 1.0000 🚻 outf 8 <u></u>р 2 🛨 s1 0 U = 0.3333 ize size 3 ₩ U [4,2,0;0,3,1;0,0,4.6... 4.0000 2.0000 0 [1.5000;2;0.5000] 3.0000 1.0000 H Y [10;6.5000;2.3333] 0 4.6667

X =

1.5000

2.0000

0.5000

### d) LU decomposition by Crout method (Without Pivoting)

Enter the method you want to use

- 1. Guass Elimination(without pivoting)
- 2. Guass Elimination(with partial pivoting)
- 3. LU decomposition by Doolittle method (without pivoting)
- 4. LU decomposition by Crout method (without pivoting)
- 5. Cholesky decomposition (for symmetric positive definite matrix)

4

```
0
  0
  0
L =
 4.0000
            0
                 0
 2.0000 3.0000
    0 1.0000 4.6667
U =
 1.0000 0.5000
    0 1.0000 0.3333
         0 1.0000
X =
 1.5000
 2.0000
 0.5000
```

### e) Cholesky decomposition (for symmetric positive definite matrix)

Enter the method you want to use

- 1. Guass Elimination(without pivoting)
- 2. Guass Elimination(with partial pivoting)
- 3. LU decomposition by Doolittle method (without pivoting)
- 4. LU decomposition by Crout method (without pivoting)
- 5. Cholesky decomposition (for symmetric positive definite matrix)

5

Y =

0

0

L =

2.0000 0 0 1.0000 1.7321 0 0 0.5774 2.1602

Name 📤	Value
<b></b> A	3x4 double
ans     ans     ans     ans	[2,1,0;0,1.7321,0
fid	11
ilename	"output1.txt"
<b>⊞</b> i	1
<b>Ⅲ</b> j	2
<b></b> k	3
	2
<b></b> L	[2,0,0;1,1.7321,0;
ine line	'0 1 5 4.5'
method	5
→ outf	12
<del>ll</del> p	2
<b></b> 1 s1 s1	0.3333
± s2	0.3333
ize size	3
<b>⊞</b> U	[1,0.5000,0;0,1,0
<b></b>	[1.5000;2.0000;0
<b></b>	[5;3.7528;1.0801]

X =

1.5000

2.0000

0.5000

# 2. input.txt

3 8 -1 -1 -1 4 -2 -1 -2 -1 100 0.001 8

### a) Power Method

Enter the method you want to use

- 1. Power method
- 2. Inverse power method
- 3. Inverse power method with shift
- 4. QR method

1

Give your input in a file named 'input2.txt'

FORMAT: Size of matrix

matrix

Maximum iterations

Maximum approximate relative error

Press ENTER to continue

z =

0.9778

-0.1998

-0.0624

(Error, Eigenvalue) is

value =

1.5505 8.2398

Name 📤	Value
<b></b> A	[8,-1,-1;-1,4,-2;-1,
cureigenval	8.2682
dureigenvec :	[8.0850;-1.6524;
durerror curerror	6.1649e-04
eigenvalue	8.2682
error	6.1649e-04
<b></b> fid	13
tilename 🚾	"output2.txt"
i i	3
iter iter	15
ine line	'0.001'
maxelement	0.9778
maxelpos —	1
merror	1.0000e-03
method	1
miter	100
d outf	14
size	3
🛨 value	14x2 double
<u></u> y	[8.0850;-1.6524;
<u></u> ymod	68.3630
<u></u> z	[0.9778;-0.1998;
zmod	8.2682

```
      0.1239
      8.2602

      0.4008
      8.2658

      0.1632
      8.2674

      0.1173
      8.2680

      0.0632
      8.2681

      0.0368
      8.2682

      0.0205
      8.2682

      0.0115
      8.2682

      0.0036
      8.2682

      0.0036
      8.2682

      0.0011
      8.2682

      0.0011
      8.2682

      0.0006
      8.2682
```

### eigenvalue =

#### 8.2682

### b) Inverse Power Method

Enter the method you want to use

- 1. Power method
- 2. Inverse power method
- 3. Inverse power method with shift
- 4. QR method

2

Give your input in a file named 'input2.txt'

FORMAT: Size of matrix

matrix

Maximum iterations

Maximum approximate relative error

Press ENTER to continue

z =

- -0.1288
- -0.3396
- -0.9317

(Error, Eigenvalue) is

value =

1.0e+03 \*

0.1000	0.0071
0.1784	0.0035
1.8103	0.0020
0.2047	0.0019
0.2259	0.0019
0.2008	0.0019
0.2021	0.0019
0.2001	0.0019

Name 📤	Value
<b></b> A	[8,-1,-1;-1,4,-2;-1,
<mark></mark> B	[0.1127,-0.0141,
🛨 cureigenval	1.8672
dureigenvec :	[0.2406;0.6340;1
curerror	200
🛨 eigenvalue	1.8672
error	200
🛨 fid	15
💶 filename	"output2.txt"
<mark> </mark>	3
🛨 iter	100
<u>line</u>	'0.001'
merror	1.0000e-03
method	2
	100
■ outf	16
ize size	3
1x1 double	99x2 double
<del> </del> y	[0.2406;0.6340;1
	3.4864
<b></b> z	[-0.1288;-0.3396;
zmod	0.5356

- 0.2004 0.0019
- 0.2000 0.0019
- 0.2001 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
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- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0013
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0013
- 0.2000 0.0019 0.2000 0.0019
- 0.2000 0.0019
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- 0.2000 0.0019
- 0.2000 0.0019
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- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0019
- 0.2000 0.0013
- 0.2000 0.0019
- 0.2000 0.0019 0.2000 0.0019
- 0.2000 0.0019

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0.2000 0.0019
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0.2000 0.0019
0.2000 0.0019
0.2000 0.0019
0.2000 0.0019
0.2000 0.0019
0.2000 0.0019
```

eigenvalue =

1.8672

### c) Inverse Power Method with Shift

Enter the method you want to use

- 1. Power method
- 2. Inverse power method
- 3. Inverse power method with shift
- 4. QR method

3

Give your input in a file named 'input2.txt'

FORMAT: Size of matrix matrix Maximum iterations Maximum approximate relative error The scalar value to which the eigenvalue should be closest
Press ENTER to continue
z =
0.9778 -0.1999 -0.0624
(Error,Eigenvalue) is
value =
100.0000       8.2676         7.2541       8.2682         0.5375       8.2682         0.0472       8.2682         0.0039       8.2682         0.0003       8.2682
eigenvalue =
8.2682
QR method Enter the method you want to use
1. Power method
2. Inverse power method
3. Inverse power method with shift
4. QR method 4
Give your input in a file named 'input2.txt'
FORMAT: Size of matrix matrix Maximum iterations Maximum approximate relative error
Press ENTER to continue
(Iterations,Error,Eigenvalues) is

d)

value =

1.000041.57208.22734.4842-1.71152.00007.04678.25784.5835-1.84133.00001.16208.26514.5978-1.8629

Name 📤	Value
<b></b> A	[8,-1,-1;-1,4,-2;-1,
<del></del> B	[3.5556,-0.7778,
☐ cureigenval	8.2682
dureigenvec :	[8.0849;-1.6526;
durerror curerror	3.1548e-04
🚠 eigenvalue	8.2682
⊟ error	3.1548e-04
fid	17
💶 filename	"output2.txt"
<b>⊞</b> i	3
iter	7
<del></del>	3
line	'8'
	1.0000e-03
→ method	3
→ miter	100
→ outf	18
∃ size	3
theta	8
	6x2 double
<b>⊞</b> y	[8.0849;-1.6526;
	68.3630
<del>∏</del> z	[0.9778;-0.1999;
<b></b> zmod	3.7287

Name 📤	Value
<b></b> A	[8.2682,-0.0057,
<del>∐</del> B	[8.2682,-0.0057,
durerror curerror	3.6868e-04
igenvalue <u></u>	[8.2682,4.5990,-1
error	3.6868e-04
id fid	19
filename	"output2.txt"
i i	3
iter iter	9
<b></b> j	3
<u></u> k	2
ine line	'0.001'
merror	1.0000e-03
method	4
miter	100
outf	20
<b></b> □ Q	[1.0000,0.0012,-5
<del>∐</del> R	[8.2682,-0.0159,
size	3
🛨 value	8x5 double
	1.8672

4.00000.19128.26724.5992-1.86655.00000.03158.26794.5992-1.86716.00000.00528.26814.5991-1.86727.00000.00108.26824.5990-1.86728.00000.00048.26824.5990-1.8672

eigenvalue =

8.2682 4.5990 -1.8672