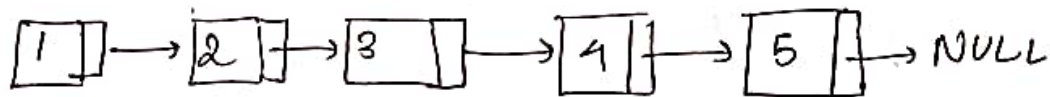


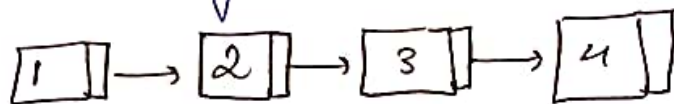
FIND MIDDLE ELEMENT IN A LINKED LIST

problem: Given the head of a linked list.



return middle node = $\frac{5}{2} + 1 = 3$

if even no of elements



return second middle node $\left(\frac{n}{2} + 1\right)$

BRUTE:

Traverse and count all the node in first pass

get middle value by $\left(\frac{n}{2} + 1\right)$

Now traverse again upto $\frac{n}{2} + 1 =$ become 0 and return that pointer

mid = $\left(\frac{\text{count}}{2} + 1\right)$

temp = head

while (temp != null) {

mid--;

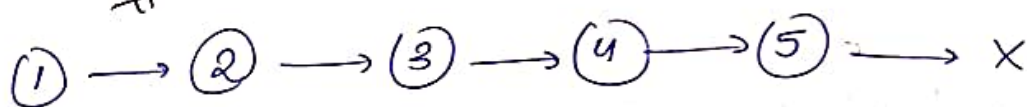
if (mid == 0) return temp;

temp = temp -> next;

}

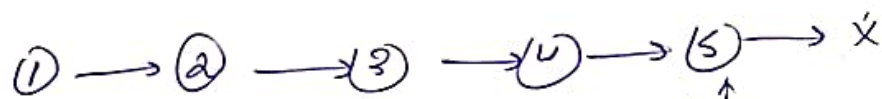
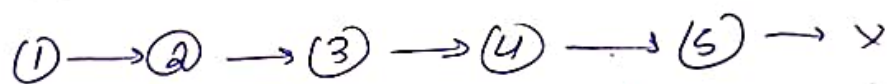
OPTIMAL:

when odd length



slow will move 1 step and fast will move 2 step ahead at once

∴

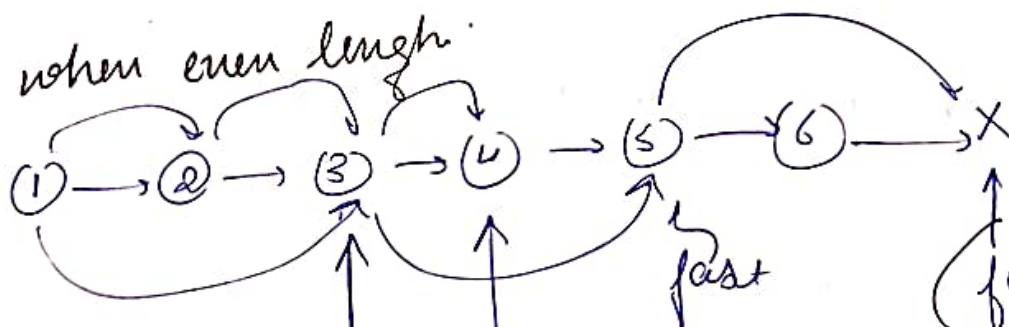


slow

fast

now fast is at end then slow will point to midian

when even length



slow

slow answer

fast

fast

when even fast == null

intuition → p → travelling at n speed ∴ n distance
 p2 → travelling at $\frac{n}{2}$ speed ∴ $\frac{n}{2}$ distance
 median

} slow = head
fast = head

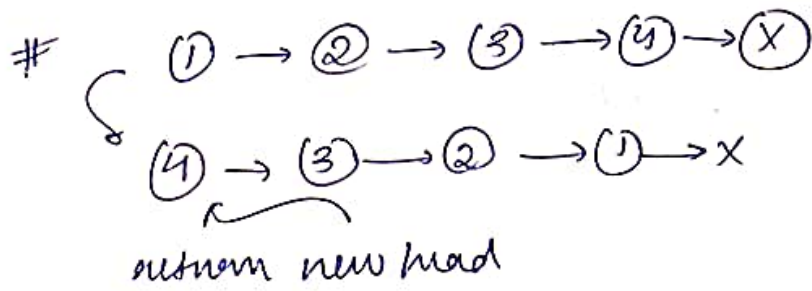
44
while (fast != null & fast.next != null) {

slow = slow.next;

fast = fast.next.next;

4
return slow; }

REVERSE A LINKED LIST

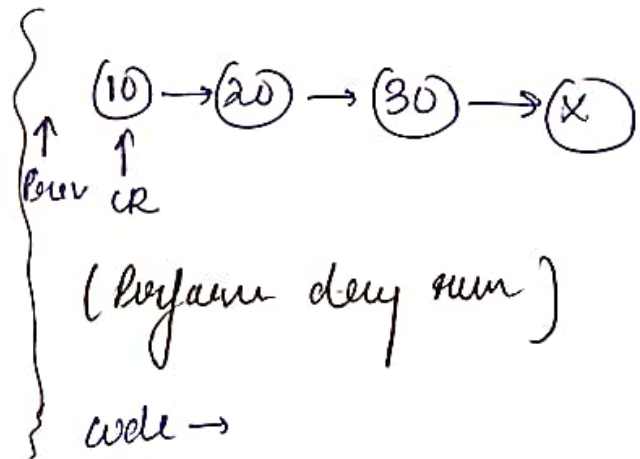
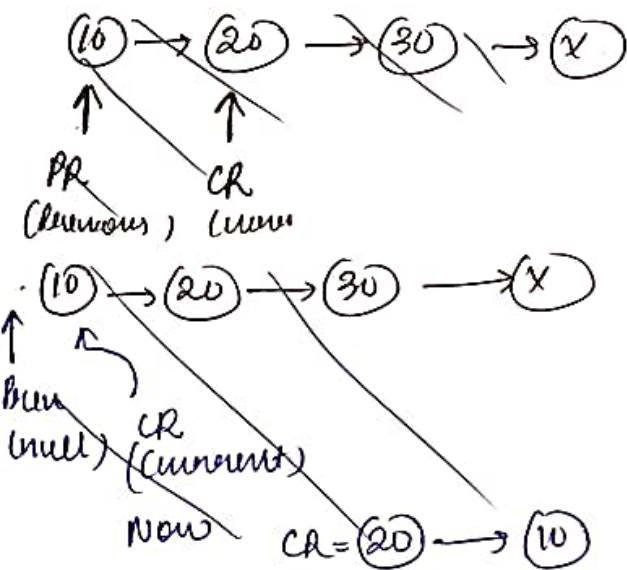


BRUTE

traverse list and add data to stack

traverse again and overwrite data by popping element.

OPTIMAL: (Iterative)



```
[ Node current = head;  
  " previous = null;
```

```
  while (current != null) {  
    Node next = current.next;  
    current.next = previous;  
    previous = current;  
    current = next;  
  }  
  return previous;
```

$O(n)$

OPTIMAL: (Recursive)

(10) → (20) → (30) → null

code

using Recursion (Node current) {

if (current == null || current.next == null) return current;

↳ if only one element

↳ return last element which will become new head

Node newHead = usingRecursion(current.next);

↳ so we will keep on returning this new head

Node front = current.next;

front.next = current;

current.next = null;

} performing link change of two nodes in context

return newHead;

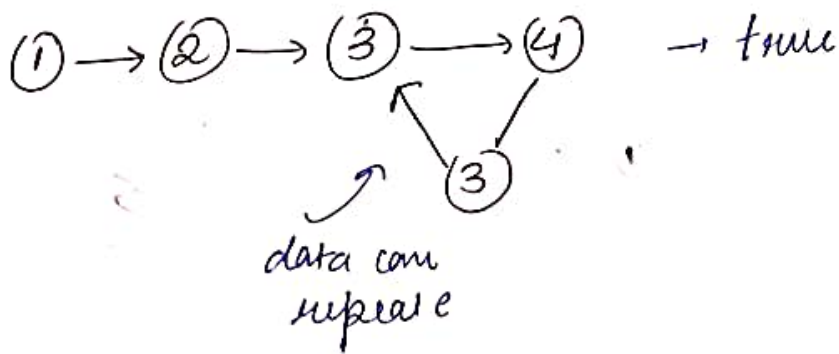
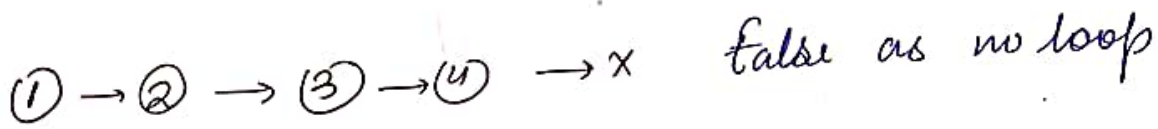
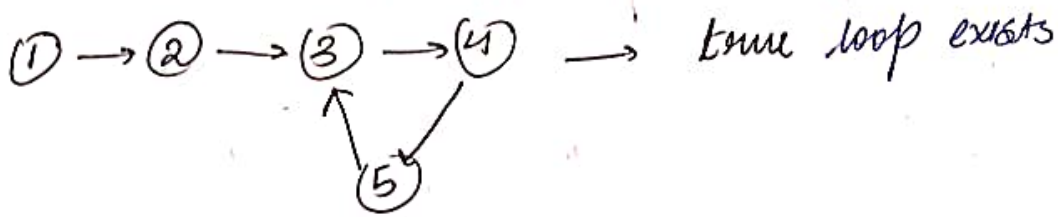
↳ keep on returning last (new head)

?

↖
O(1)

DETECT A LOOP OR CYCLE

: LIMITED



BRUTE:

traverse and store node in set data structure

if node already present ∴ there is a loop return true;

if if reached end return false;



```
Node temp = head;  
HashSet<Node> set = new HashSet<>();
```

OU

```
while (temp != null) {
```

```
    if (set.contains(temp)) return true;
```

```
    else set.add(temp);
```

```
    temp = temp.next;
```

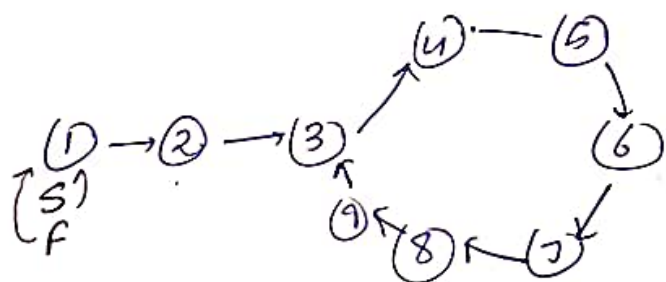
```
    return false;
```

→ O(n) space

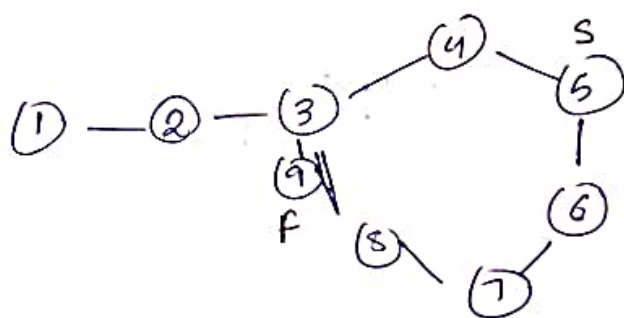
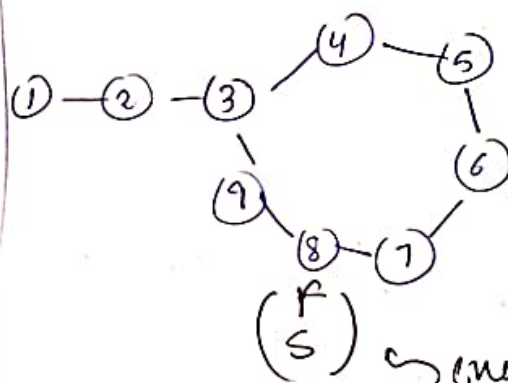
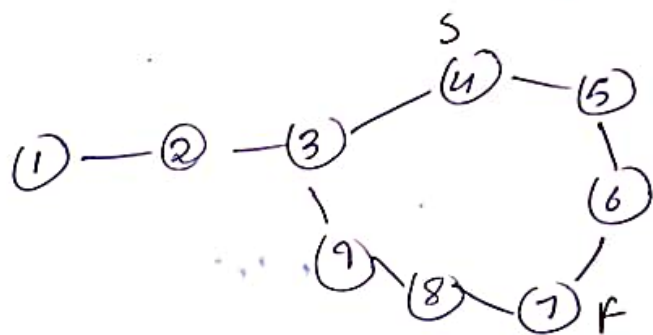
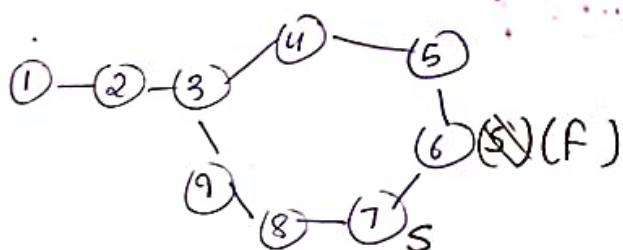
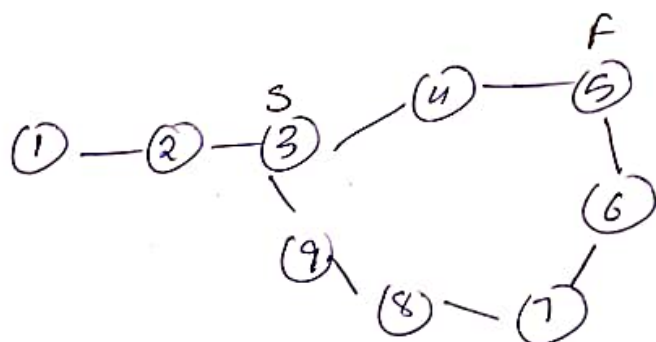
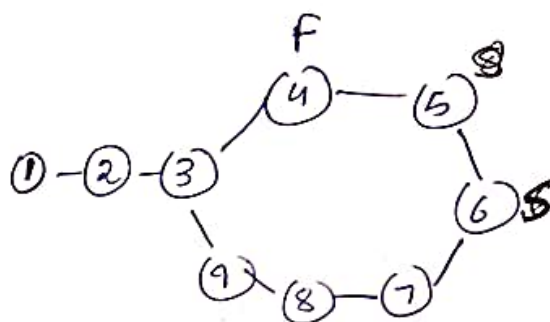
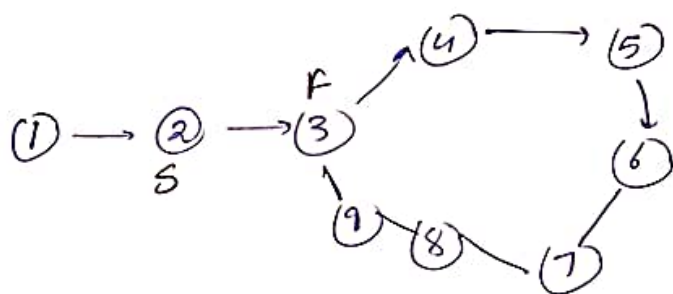
OPTIMAL:

slowly & quickly & slowly

detect a loop by TORTOISE & HARE algorithm



slow pointer 1 step
fast pointer 2 step

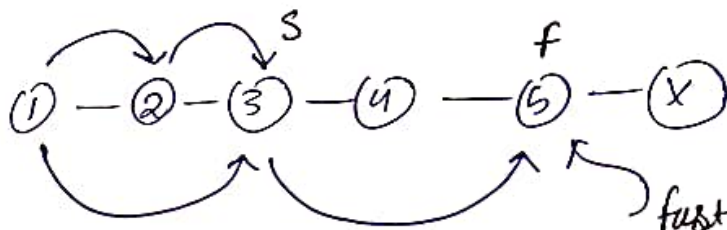


eventually meets

∴ loop

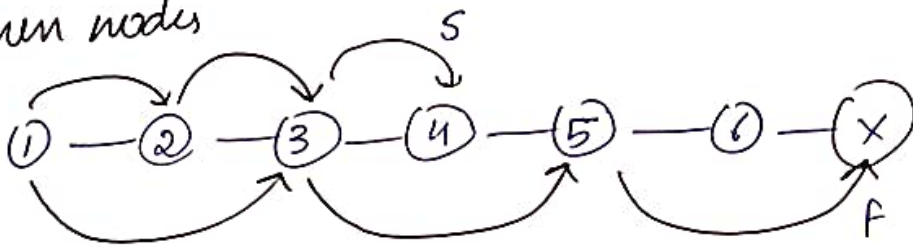
distance reduction between slow and fast is 1 ∴ they will always collide;

if odd no of nodes



fast pointer will be on last node in case of odd nodes

even nodes



fast will be on null pointer.

code →

```
slow = head, fast = head;  
while( fast != null && fast->next != null ) {
```

```
    slow = slow->next;  
    fast = fast->next->next;  
    if( slow == fast ) return true;
```

```
    }  
    return false;
```

```
}
```

$O(n)$ → time complexity

$O(1)$ → space