

1 Hierarchical clustering

2 DBSCAN

3 Practical

4 few remaining topic

Solve 10

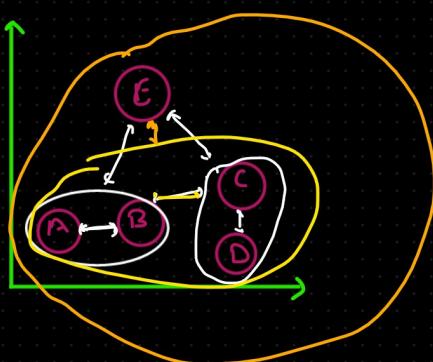
Clustering \Rightarrow group \Rightarrow group₁
group₂
group₃

$\left. \begin{array}{c} \text{K-Means \& K-Means} \\ \text{Hierarchical} \\ \text{DBSCAN} \end{array} \right\}$

1 Agglomerative \approx Bottom to up

2 Divisive \Rightarrow Top to Bottom

A B C D E



Hierarchical

Hierarchy

All the Data Point. is being treated as a single cluster

top to bottom

top

Divisive
(Divide)

Bottom



Agglomerative

Bottom to top

All the Data is being treated as a separate or individual cluster

- Agglomerative \Rightarrow
- (1) Each Data Point is a cluster
 - (2) Bottom to top approach
 - (3) Combine all the Data Point into single cluster

Point matrix or Distance matrix \Rightarrow 5 Points

$(P_1, P_2, P_3, P_4, P_5)$
 $\downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow$
 $(x_1, y_1), (x_2, y_2), (x_3, y_3), (x_4, y_4), (x_5, y_5)$ coordinates

Calculating a Dist b/w
Each Point

Distance \Rightarrow B/w the Point

$$\text{Euclidean Dist} = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

Note Imp

i am going to fill this
matrix with any value

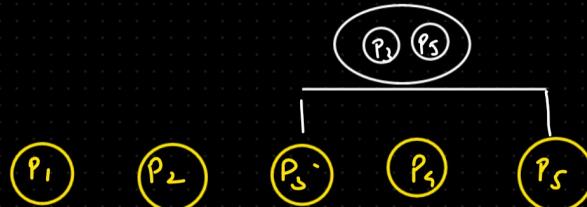
P_1	0				
P_2	9	0	.	.	.
P_3	3	7	0	.	.
P_4	6	5	9	0	.
P_5	11	10	2	8	0

Single linkage
method

Minimum Dist B/w the Point

$\min \rightarrow \text{Dist}(P_5, P_3)$

Single cluster



P_1

P_2

P_3, P_4

P_5

P_1	0			
P_L	9	0		
P_3, P_5	3	7	0	
P_4	6	5	0	
				0

$$\min \left(\frac{D(P_3, P_2)}{=}, D(P_3, P_2) \right)$$

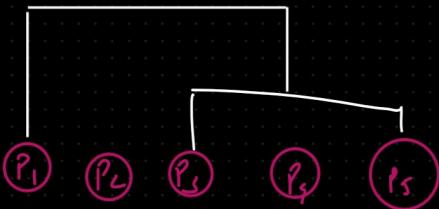
$$\min \left[\frac{D(P_3, P_1)}{=}, \frac{D(P_3, P_1)}{=} \right]$$

$$\min \left(7, 10 \right)$$

$$7 = \frac{D(P_3, P_2)}{D(P_3, P_2)}$$

$$\min \left(3, 11 \right)$$

$$0 = \frac{D(P_3, P_1)}{D(P_3, P_1)}$$



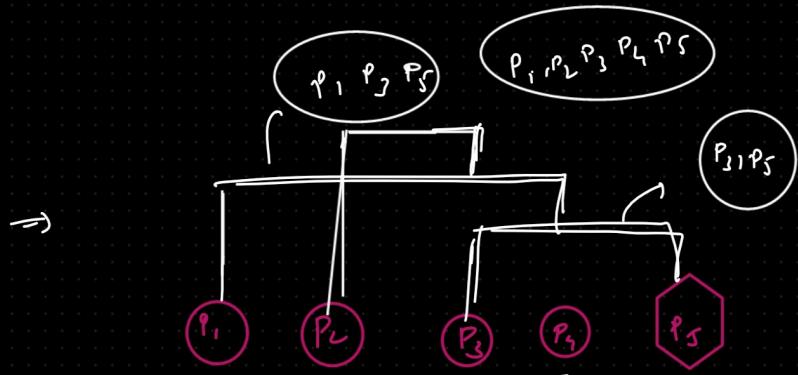
P_1, P_3, P_5	P_L	0		
	7	0		
P_1, P_3	6	5	0	
P_4	-	-		0

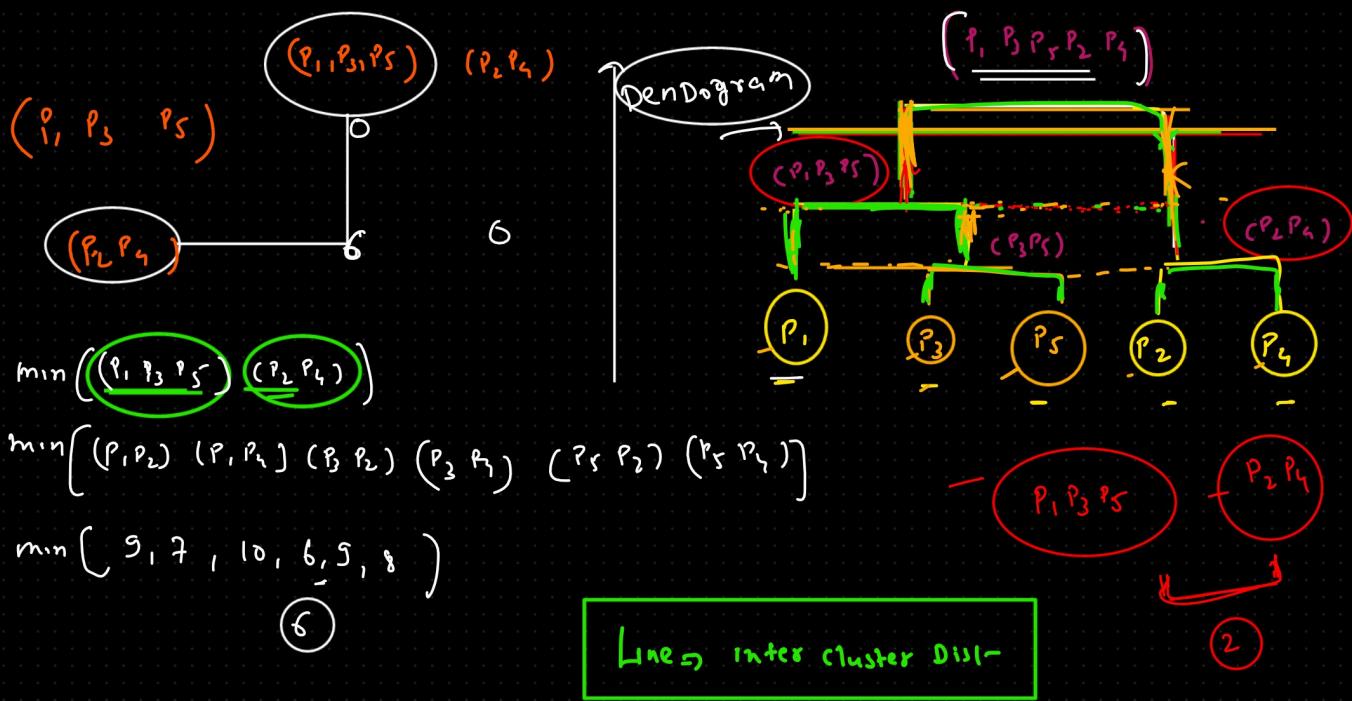
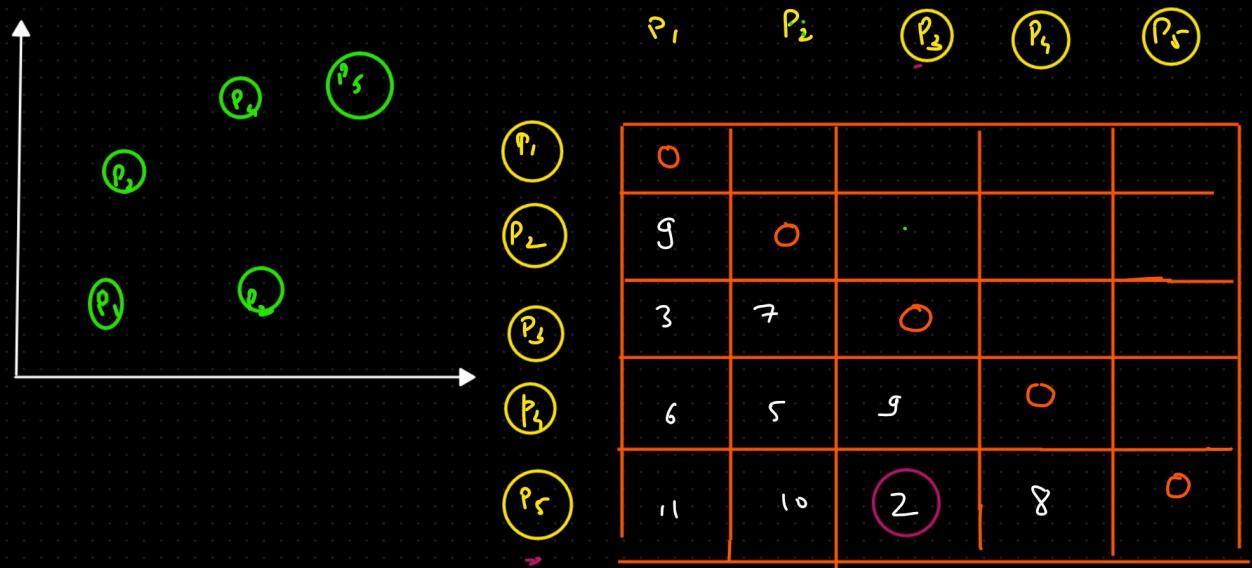
$$\min \left[D(P_1, P_3, P_5), P_L \right]$$

$$\min \left[D(P_1, P_3, P_5), P_4 \right]$$

$$\min \left(D(P_1, P_2), D(P_3, P_2), D(P_5, P_2) \right) = (9, 7, 10) = 7$$

$$\min \left[D(P_1, P_4), D(P_3, P_4), D(P_5, P_4) \right] = [6, 9, 8] = 6$$





Density Based method (DBSCAN)

Density Based spatial Clustering with application w/

1 Density Based Spatial Clustering	2 Noise \Rightarrow Outlier
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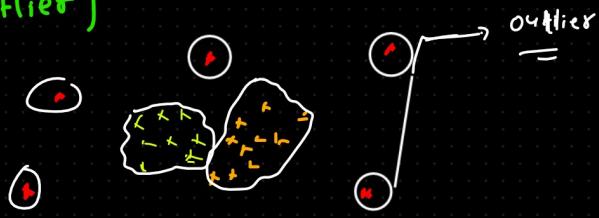
- 1 EPS Distance -
- 2 Minimum Point -
- 3 Core Point -
- 4 Border Point -
- 5 Noise Point -

1

Density (cluster, group)

2

Noise (outlier)



EPS Distance $\Rightarrow 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, \dots, \infty \Rightarrow$ hyperparameter

{ Base on the data }

- 1 Min Points $\Rightarrow 1, 2, 3, 4, 5, \dots, \infty$ { hyperparameter }
- 2 Core Point
- 3 Border Point
- 4 Noise Point



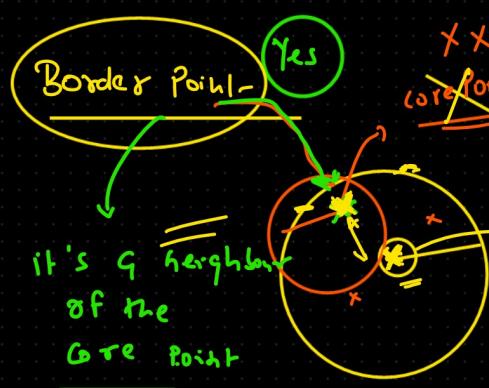
NO \Rightarrow why / not satisfying the cond.

$$\text{EPS} = 5$$

$$\text{minPoints} = 3$$

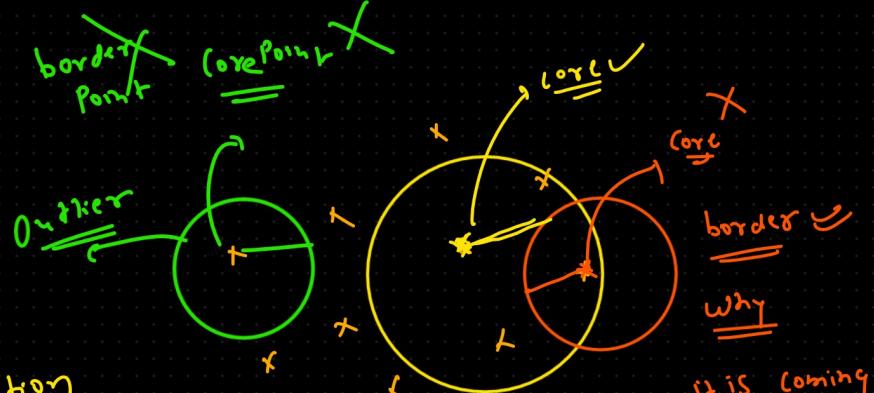
Create a circle by using this EPS value and make sure that you have min Points in their circle

\Rightarrow then only the center will be called Core Point



Noise Point

Outlier



Definition

it is coming
in circle

- 1 Core Point = satisfying the min point condition.
- 2 Border Point = Not satisfying the condition but neighbour of the core point
- 3 Noise Point = Neighter satisfying the cond. Nor a neighbour of a core point

